



# Projekt-Labor: Automatisierungstechnik

Development and validation of a SoC algorithm for  
solarbatterychargecontroller Mppt-1210-hus by Libre.solar with lead acid  
WS2122

handed in

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of the faculty VII – Elektrotechnik –  
of Berlin University of Applied Sciences and Technology handed in Projektarbeit  
to finalize the Projekt-Labor

**Master of Engineering (M.Eng.)**  
im Studiengang  
**Energie und Automatisierungstechnik**

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## Gutachter

Gutachter1 Berlin University of Applied Sciences and Technology

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# Introduction

The scope of the project is to produce an algorithm for the solar charge controller (mppt-1210-hus)<sup>1</sup> produced by libre.solar, which outputs the state of charge (SoC) of the lead acid battery attached to it.

A key principle followed throughout the project is to use, wherever possible, Free Open-source Hardware (FOSH) and Free Open-source Software (FOSS). Consequently, the whole project has been released as source code with a license adhering to these principles [Schons 2021] is available at <sup>2</sup>. As the SoC can only be measured indirectly, it has to be deduced from available measurements. The charge controller exposes battery current and voltage measurements once a second for this purpose.

There are three main approaches for estimating the SoC: model-based, data-driven, coulomb-counting w/ Open circuit voltage (OCV) [Espedal et al. 2021]. Best results seems to be achieved with combining the approaches to profit from their different strengths.

## Current integration method - Coulomb Counting /w OCV

Seems the most simple way to define SoC:

$$z(t) = z(0) - \frac{1}{Q_C} \int_0^{\Delta t} i(t) dt \quad (1.1)$$

where:

- $z$  = the SoC
- $i$  = battery current
- $Q_C$  = battery capacity
- $\Delta t$  = the time interval between two current measurements

The initial SoC  $z(0)$  is determined by consulting a OCV-SoC lookup table. Starting from there the charge in relation to total capacity entering and leaving the battery is subtracted from SoC. This method has several disadvantages:

- The initial SoC incorporates already an error, which won't be corrected till recalibration
- Error in counting charges and measurement errors accumulate quickly
- The algorithms only recalibrate reliably on full charge, which especially in solar systems does not occur regularly, producing awful SoC till recalibration.

The coulomb counting method is most often combined with ongoing voltage measurements, while battery is at rest, known as OCV and a resulting OCV-SoC-lookup as shown in figure 1.1. This mitigates the recalibration problem in case the battery gets some rests, but this enhancement still does not take hysteresis into account, which make OCV-SoC-lookup even with voltages at rest unreliable [Tjandra et al. 2014] [Khan und Choi 2016].

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<sup>1</sup><https://github.com/LibreSolar/mppt-1210-hus>

<sup>2</sup>[https://github.com/mulles/Doc\\_Projekt-Labor\\_SOC](https://github.com/mulles/Doc_Projekt-Labor_SOC)

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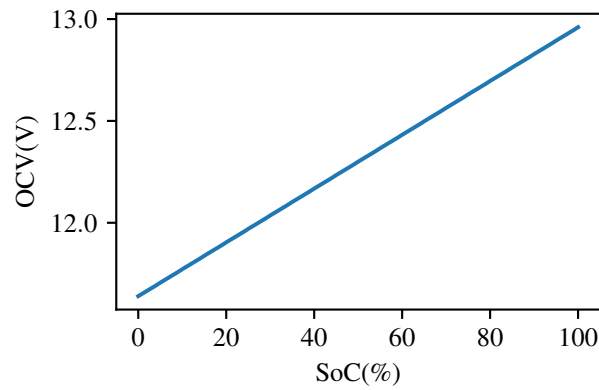


Figure 1.1: OCV-SoC lead acid battery

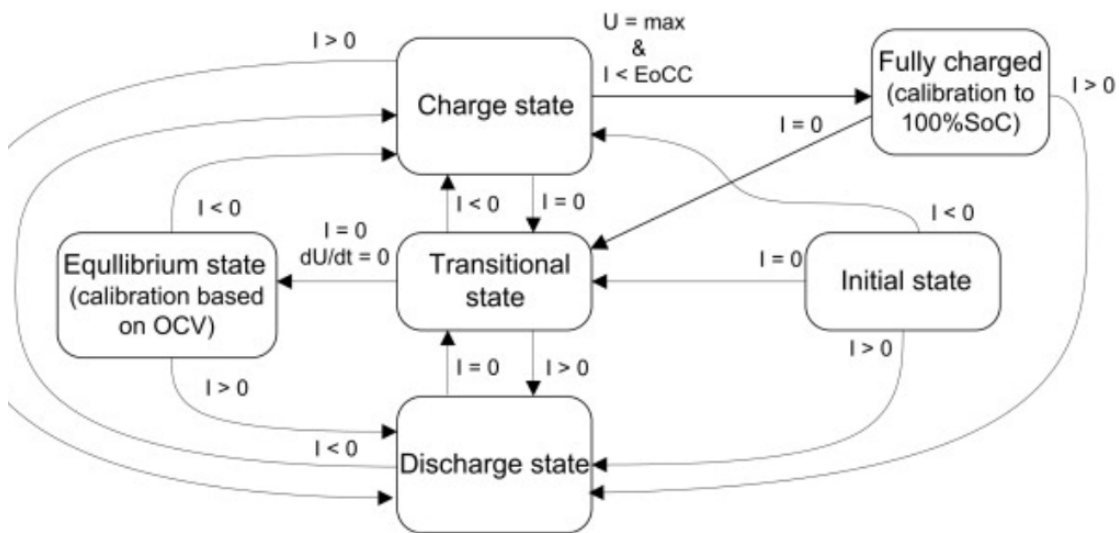


Figure 1.2: State machine libre.solar

The existing SoC function *Charger :: update\_soc*<sup>3</sup> A embedded in mppt-1210-hus uses OCV-SoC-lookup function based on linear interpolation of *ocv\_empty* and *ocv\_full*:

TODO Remove 1.2 and produce one that fits Libre.solar Algo maybe cite <https://www.sciencedirect.com/topics/engineering/coulomb-counting> but it does not seems to be a good reference.

<sup>3</sup>[https://github.com/LibreSolar/charge-controller-firmware/blob/5196694e42c38eee18ab25e65bd51ec578eba101/src/bat\\_charger.cpp#L325](https://github.com/LibreSolar/charge-controller-firmware/blob/5196694e42c38eee18ab25e65bd51ec578eba101/src/bat_charger.cpp#L325)



## Equivalent circuit based models

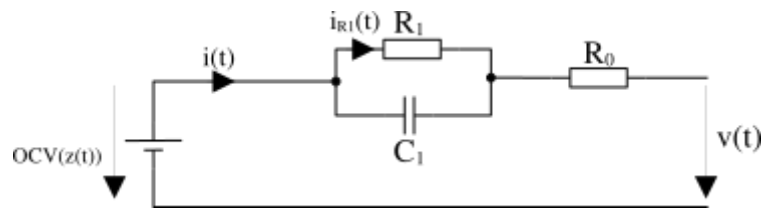


Figure 1.3: Equivalent circuit model

The figure 1.3 shows an empirical model known as Thévenin model or equivalent circuit model (ECM), adhering to the equation:

$$v(t) = OCV(z(t)) - R_0 i(t) - R_1 i_{R_1}(t) \quad (1.2)$$

where:

$v$  = voltage measured on battery terminals under load

$z$  = SoC

$v_1$  =  $R_1 i_{R_1}(t)$

$OCV$  = a function based on a SoC-OCV-lookup table

$R_1, C_1, R_0$  = don't exist as physical components inside the battery, their values are chosen to fit battery test data for example that of a hybrid pulse power characterization (HPPC) battery test

Other empirical models are the auto regressive exogenous (ARX) model and dual polarisation (DP) model.

## Physics based models

As Gregory Plett<sup>4</sup> puts it in his lectures notes of course ECE5720<sup>4</sup> : "Battery management and controls using physics-based models is a major focus of our present research efforts and (I hope) of a future course" in 2015. The first papers on the topic are available now [Miguel et al. 2021], but physics based models (PBM) still are hard to implement and not much material or software code is available. Thus, the ECM model is preferred for now. Moreover, the PBM based models have a higher computational complexity than empirical models, making it non suitable for the mppt-1210-hus micro-controller unit (MCU) being a 32bit ARM STM32L072.

## Data-driven

These approaches are based on artificial intelligence (AI) and need good training data and the right training parameters. Combined with PBM's it is a very promising research field [Miguel et al. 2021], which first successes to reduce the computational complexity so online estimation of SoC on MCU is possible.

<sup>4</sup><http://mocha-java.uccs.edu/ECE5720/ECE5720-Notes02.pdf>



# Implementation

It is popular to combine any of the approaches introduced in 1 with a kalman filter (KF) in order to reduce the influence of white (uncorrelated) noise in measurements and to combine voltage and current measurements known as sensor fusion. The second principle makes the algorithm resilient to inaccurately chosen ECM parameters. In this project the combination of coulomb counting 1 and ECM 1 has been chosen.

As the ECM's equation 1.2 is non-linear an extended kalman filter (EKF) needs to be used. The EKF linearizes the non-linear system by calculating the Jacobian matrix, which is the Taylor series expansions of first order.

## 2.1 EFK implementation

A reasonable step by step guide to implement the EKF is [Rzepka et al. 2021]. The algorithm refined in this project is based on a fork of the algorithm named *kalman – soc*<sup>1</sup> designed by Matthew Johnston for the company okra-solar.

Some refinements consists of improvements or adaptations to libre.solar use case and code base.

Changelog<sup>2</sup>:

- adoption of libre solar code style guide
- adoption of TinyEKF notation <sup>3</sup>
- change from energy counting to coulomb counting
- use of float instead of integer in order to guarantee correct calculations, with no overflow.

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<sup>1</sup><https://github.com/mulles/kalman-soc>

<sup>2</sup>note exact changes are traceable with the commits to the fork.

<sup>3</sup><https://github.com/simondlevy/TinyEKF/>

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### 2.1.1 Definition of EKF equations

The EKF consist of two equations describing the system the SoC is to be predicted for:

$$\mathbf{x}_{k+1} = f(\mathbf{x}_k, i_k) + \mathbf{w}_k \text{ (state space equation)} \quad (2.1)$$

$$y_k = h(\mathbf{x}_k, i_k) + \mathbf{v}_k \text{ (control output equation)} \quad (2.2)$$

where:

$$f(\mathbf{x}_k, i_k) = x_k[0] - \frac{\Delta t}{Q_C} i_k \quad (\text{discrete coulomb counting equation 1.1})$$

$$h(\mathbf{x}, i_k) = OCV(SoC) + i_k R_0 + v_1 \text{ (discrete ECM equation 1.2)}$$

$$\mathbf{x}_k = [SoC, R_0, v_1]$$

$y_k$  = battery terminal voltage,  $v_k$  is common

$i_k$  = battery current,  $u_k$  is common

$w_k$  = noise

$v_k$  = measurement noise

This equations need to be linearized in order to apply the EKF to them.

This leaves us with the matrices defining the system :

$$\mathbf{x}_k = \begin{bmatrix} SoC \\ R_0 \\ v_1 \end{bmatrix} \underbrace{\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & e^{\frac{\Delta t}{R_1 C_1}} \end{bmatrix}}_{\mathbf{F}_k} \underbrace{\begin{bmatrix} SoC \\ R_0 \\ v_1 \end{bmatrix}}_{\mathbf{x}_k} + \underbrace{\begin{bmatrix} \frac{\Delta t}{Q_C} \\ 0 \\ R_1(1 - e^{\frac{\Delta t}{R_1 C_1}}) \end{bmatrix}}_{\mathbf{B}_k} i_k \quad (2.3)$$

$$\mathbf{H} = \frac{h(\mathbf{x}_k, i_k)}{d\mathbf{x}} = \frac{OCV(SoC) + i_k R_0 + v_1}{d\mathbf{x}_k} = \begin{bmatrix} \frac{dOCV}{dSoC} & i_k & 1 \end{bmatrix} \quad (2.4)$$

### EKF Steps

#### Predict

$$\hat{\mathbf{x}}_k = f(\hat{\mathbf{x}}_{k-1}, i_k)$$

$$\mathbf{P}_k = \mathbf{F}_{k-1} \mathbf{P}_{k-1} \mathbf{F}_{k-1}^T + \mathbf{Q}_{k-1}$$

#### Update

$$\hat{\mathbf{y}}_k = h(\hat{\mathbf{x}}, i_k)$$

$$\mathbf{G}_k = \mathbf{P}_k \mathbf{H}_k^T (\mathbf{H}_k \mathbf{P}_k \mathbf{H}_k^T + \mathbf{R})^{-1}$$

$$\hat{\mathbf{x}}_k = \hat{\mathbf{x}}_k + \mathbf{G}_k (v_k - \hat{\mathbf{y}}_k)$$

$$\mathbf{P}_k = (\mathbf{I} - \mathbf{G}_k \mathbf{H}_k) \mathbf{P}_k$$


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### 2.1.2 Parametrization of the EKF

The parametrization is particularly challenging. It is typically done offline <sup>4</sup> and requires quite advanced equipment.

No effort has been undertaken to find good parameters, it has been initialized with the idea that the EKF will adjust to bad chosen parameters. The parameters used listed in 2.5 and 2.6 are found in literature.

$$\mathbf{F} = \begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \mathbf{P} = \begin{bmatrix} 0.1 & 0 & 0 \\ 0 & 0.1 & 0 \\ 0 & 0 & 0.1 \end{bmatrix} \mathbf{Q} = \begin{bmatrix} 0.0001 & 0 & 0 \\ 0 & 0.0001 & 0 \\ 0 & 0 & 0.0001 \end{bmatrix} \quad (2.5)$$

$$\mathbf{x}_k = \begin{bmatrix} SoC \\ R_0 \\ v_1 \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \\ 0 \end{bmatrix} \quad R = 0.1 \quad (2.6)$$

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<sup>4</sup>not generated by the micro controller unit (MCU) the algorithm is deployed to, thus not on the system running the final algorithm. Offline means on more advanced hardware, which is not available in the final product. See [https://en.wikipedia.org/wiki/Online\\_model](https://en.wikipedia.org/wiki/Online_model)

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# Experimental Validation

## 3.1 Graphs with Matplotlib or plotly

2 Arten von Datensätze:

Vergleich alter Algo neuer Algo, mit Daten von einem Device.

X mit Zeit? Vllt schafft man dies im gleiche Schritt wie man die Zeiträume verbessert? Y Achse in 100

Titel SoC Libre.solar Algo vs Kalman-soc auf Datensatz von Device xy im Zeitraum xx. Kein Titel in der Graphik selber.

Mit Matplotlib da ist wsl mehr Hilfe verfügbar? Schnell mal mit Plotly versuchen.

-Prozent Abweichung dazwischen. Warum ist er besser? Scheint schwer zu diskutieren.

-Meine Daten?

-Neue Daten generieren? Der Prozess ist ja eigentlich recht automatisiert.

It is difficult to say that how much the kalman-soc algo is better, but sure is that both are different and that there are many cases where it is sure that libre.solar performs poorly, show examples timeframes.

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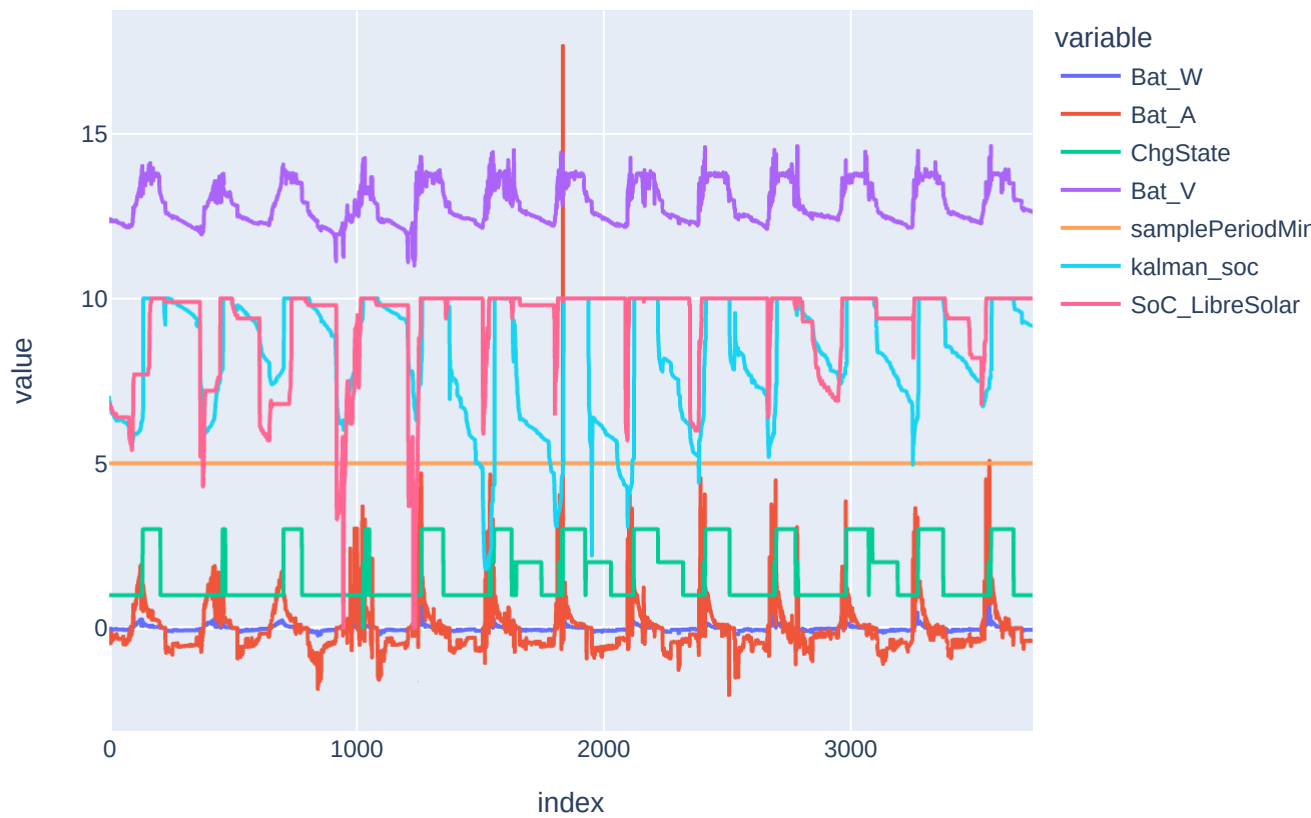


Figure 3.1: Overview of data



Figure 3.2: Overview of data

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## Conclusion

The key to success for a good SoC is a good definition of both models and a good parametrization. In case no FPU is available on the micro-controller unit (MCU) fix point arithmetic might be an option. The Adaptive extend Kalman Filter (AEKF) is an option, where the parameters are determined online, but still AEKF needs to be initialized with parameters not necessary fitting all batteries of a given chemistry, because of different capacities or tolerances and specific designs. TODO It needs to be researched if it only affects the convergence time or if convergence is not reached at all? A further advantage of an adaptive filter is that the state of health (SOH) can be determined along the side. When simple observation and control-input models are used as in the okra kalman-soc algorithm, the parametrization might be much easier? TODO to check if the initial parameters, in this case OCV in function of SoC data can be used generally or only on the batteries, the data has been generated with.

### Citations concerning the on/off-line parametrization

"A sigma-point Kalman filter is further used to manage inaccuracies generated by the reduction process and experimental-related issues such as measurement error (noise) in the current and voltage sensors."

Offline parametrization:

'As a result, many experimental pretests investigating the effects of the internal and external conditions of a battery on its parameters are required, since the accuracy of state estimation depends on the quality of the information regarding battery parameter changes'

'Therefore, some tests data must be available in advance to find the parameters of these models.'  
[Hussein und Batarseh 2011]

Gregory Plett says:

'Two possible approaches:

First, an algorithm might somehow adapt the parameter values of the model during operation to match presently observed current–voltage behaviors; but, this **must be done very carefully to avoid making the model unstable or physically nonmeaningful**.

Alternately, a set of models could be pre-computed at different feasible aging points and the model from this set that most closely predicts presently observed current–voltage dynamics could be selected from the set. This second approach guarantees stable and physically meaningful models since all models in the pre-computed set meet these criteria. We propose such an approach here.' —<https://www.sciencedirect.com/science/article/abs/pii/S2352152X18301385?viaIn> order to have online first algo, the parametrization needs to be done online!.

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### 4.0.1 Outlook

Promising articles and/or methods for online parameter estimation:

**online parameter estimation** from the ARX model tran2017state  
[Wang et al. 2021] xia2018online

## Appendix

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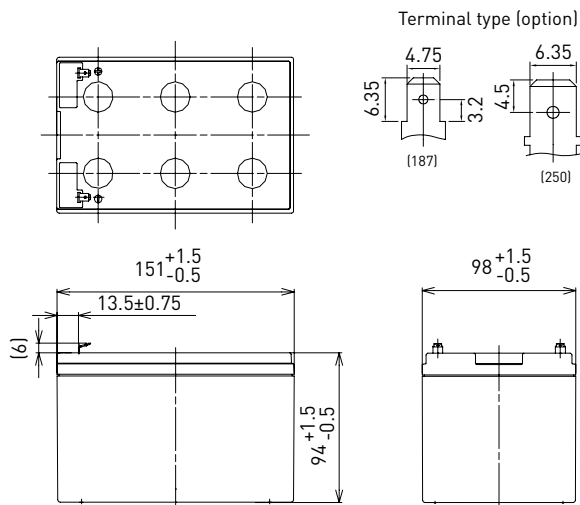
## LC-CA1212P

### DIMENSIONS (MM)



Contents indicated (including the recycle marking, etc.) are subject to change without notice.

FOR MAIN POWER SUPPLIES.  
CYCLE LONG-LIFE TYPE

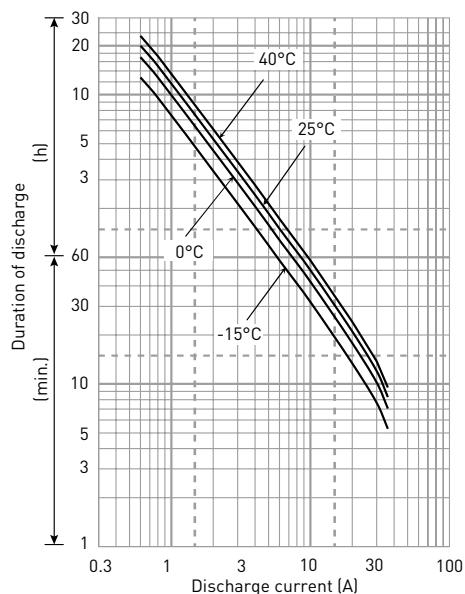


Battery case resin: standard (UL94 HB)

### SPECIFICATIONS

Name		LC-CA1212P/P1
Nominal voltage		12V
Nominal capacity (20 hour rate)		12Ah
Dimensions	Length	151mm
	Width	98mm
	Height	100mm
Approx. mass		3.80kg
Terminal		Faston 187/250
Capacity (25°C)	20 hour rate	12.0Ah
	10 hour rate	11.0Ah
	3 hour rate	9.3Ah
	1 hour rate	8.5Ah
Impedance	Fully charged battery (25°C)	15mΩ
Temperature dependency of capacity (20 hour rate)	40°C	102%
	25°C	100%
	0°C	85%
	-15°C	65%
Self-discharge (25°C)	After 3 month	91%
	After 6 month	82%
	After 12 month	64%

### DURATION OF DISCHARGE VS. DISCHARGE CURRENT



### WATT TABLE (25°C)

(Wattage/battery)

Cut-off	3min.	5min.	10min.	15min.	20min.	30min.	45min.	1h	1.5h	2h	3h	4h	5h	6h	10h	20h
9.6V	679	559	384	298	247	183	137	105	70.3	54.5	38.1	28.8	24.1	21.7	13.3	7.22
9.9V	649	537	373	288	241	177	135	104	69.9	54.2	37.8	28.8	24.1	21.7	13.3	7.22
10.2V	607	506	363	282	235	177	134	102	69.1	53.9	37.5	28.8	24.0	21.6	13.2	7.21
10.5V	556	475	343	271	231	172	133	100	68.5	53.3	36.9	28.7	24.0	21.6	13.2	7.20
10.8V	495	434	321	261	225	166	123	98	66.1	52.1	36.3	28.4	23.8	21.5	13.1	7.18

### AMPERE TABLE (25°C)

(Ampere/battery)

Cut-off	3min.	5min.	10min.	15min.	20min.	30min.	45min.	1h	1.5h	2h	3h	4h	5h	6h	10h	20h
9.6V	61.1	50.1	34.3	25.9	21.3	15.6	11.7	8.90	5.95	4.60	3.20	2.41	2.01	1.81	1.11	0.602
9.9V	58.4	48.2	33.3	25.0	20.8	15.1	11.5	8.80	5.92	4.58	3.18	2.41	2.01	1.81	1.11	0.602
10.2V	54.6	45.4	32.4	24.5	20.3	15.1	11.4	8.70	5.85	4.55	3.15	2.41	2.00	1.80	1.10	0.601
10.5V	50.0	42.6	30.6	23.6	19.9	14.7	11.3	8.50	5.80	4.50	3.10	2.40	2.00	1.80	1.10	0.600
10.8V	44.5	38.9	28.7	22.7	19.4	14.2	10.5	8.30	5.60	4.40	3.05	2.38	1.99	1.79	1.09	0.598

All mentioned values are average values

## LC-CA1212P

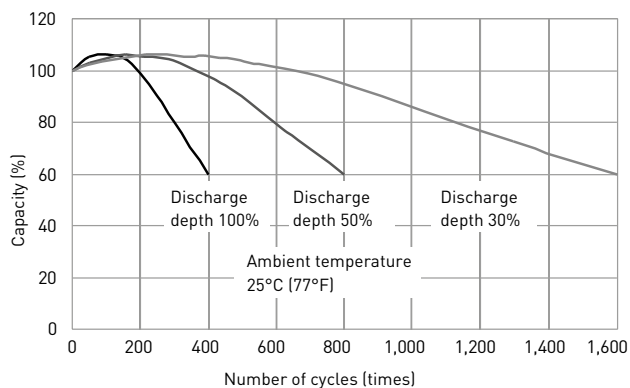
### CHARGING METHOD (25°C)

**Cycle use** Control voltage 14.5V - 14.9V  
Initial current 4.8A or smaller

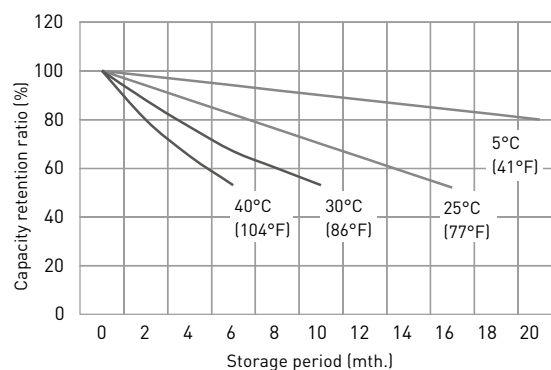
### CUT-OFF VOLTAGE

Discharge current	0.6A - 2.4A	2.4A - 6A	6A - 12A	12A - 24A	24A - 36A
Cut-off voltage	10.5V	10.2V	9.9V	9.3V	8.7V

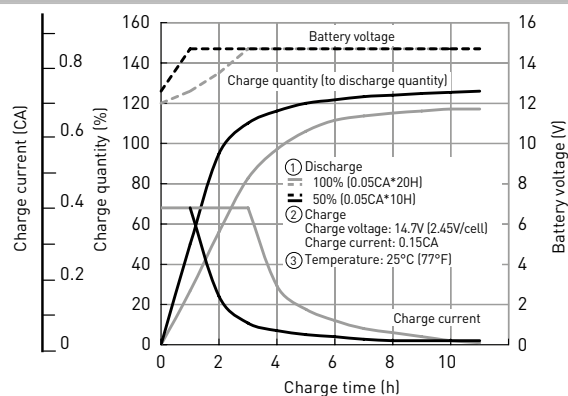
### CYCLE LIFE VS. DEPTH OF DISCHARGE (ACC. IEC 61056)



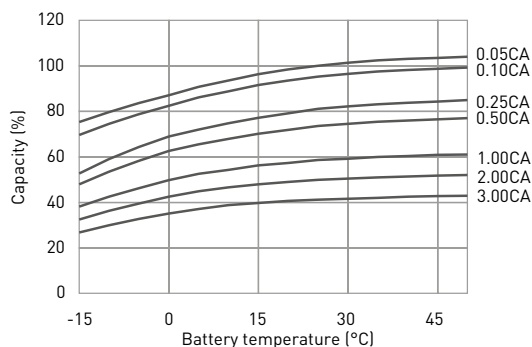
### RESIDUAL CAPACITY TEST RESULT



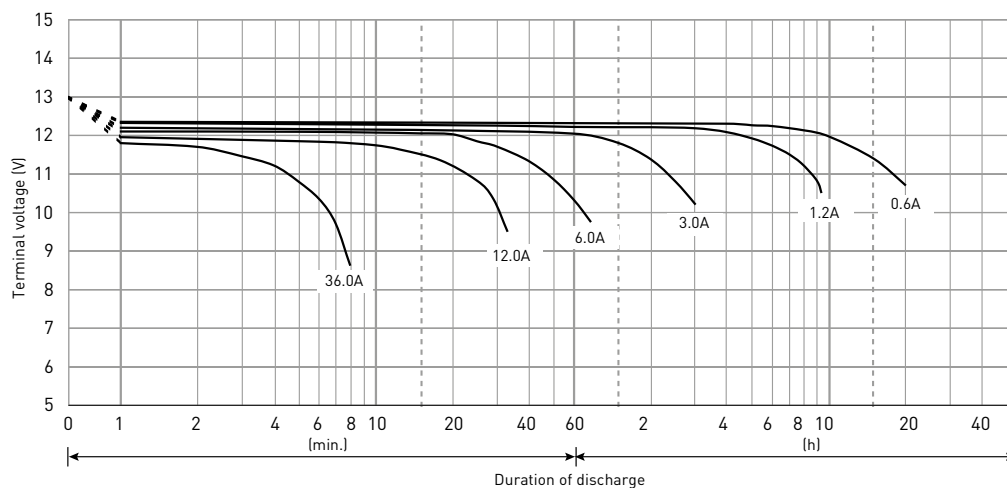
### CONSTANT-VOLTAGE CONSTANT-CURRENT CHARGE CHARACTERISTICS FOR CYCLE USE



### DISCHARGE CAPACITY BY TEMPERATURE AND BY DISCHARGE CURRENT



### DISCHARGE CHARACTERISTICS



The data in this document are for descriptive purposes only and are not intended to make or imply any guarantee or warranty. Regarding handling and safety please consult our VRLA technical handbook chapter 1.

---

```

void Charger::update_soc(BatConf *bat_conf)
{
    static int soc_filtered = 0;          // SOC / 100 for better filtering

    if (fabs(port->current) < 0.2) {
        int soc_new = (int)((port->bus->voltage - bat_conf->ocv_empty) /
                             (bat_conf->ocv_full - bat_conf->ocv_empty) * 10000.0);

        if (soc_new > 500 && soc_filtered == 0) {
            // bypass filter during initialization
            soc_filtered = soc_new;
        }
        else {
            // filtering to adjust SOC very slowly
            soc_filtered += (soc_new - soc_filtered) / 100;
        }

        if (soc_filtered > 10000) {
            soc_filtered = 10000;
        }
        else if (soc_filtered < 0) {
            soc_filtered = 0;
        }
        soc = soc_filtered / 100;
    }

    discharged_Ah += -port->current / 3600.0F; // current > 0: change sign
}

```

---



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