

## Constraint Programming & Data Mining using CHOCO-SOLVER

### 1 Constraint Programming Using CHOCO-SOLVER

In this section, we will delve into a new programming paradigm—declarative programming, specifically *Constraint Programming (CP)*, employing the Java library CHOCO-SOLVER. CHOCO-SOLVER is an open-source Java library tailored for CP.

In your local repository, you will find :

- "HelloWorld.java" : A "Hello World" program using Choco Solver.
- "Sudoku.java" : A CP modeling of the  $\text{sudoku}(n \times n)$  problem.
- "HardSudoku.java" : An instance of Sudoku to be modeled.
- "VeryHardSudoku.java" : Another instance of Sudoku to be modeled.
- "GTSudoku.java" : A variant of the problem to be modeled.

**Question 1** • Fork the GitHub repository using the following Classroom link : [LINK](#)

**Question 2** • Import your local repository using an IDE of your choice.

**Question 3** • Execute the main method of the "Sudoku.java" class.

**Question 4** • Take the time to understand the code of the "Sudoku.java" class and model/complete the code of the "HardSudoku.java", "VeryHardSudoku.java", and "GTSudoku.java" classes. Figures 1, 2, and 3 represent respectively the "Hard," "VeryHard," and "GT" instances of Sudoku.

8								
		3	6					
	7			9		2		
	5				7			
				4	5	7		
			1				3	
		1					6	8
		8	5				1	
	9					4		

FIGURE 1 – Hard Sudoku instance.

	G			F	8	9	6	4	B	D	5			3	
6	C					4	E	2	7					5	9
			D			G	7	F	E			6			
		4	3	A							6	1	B		
7			5	8	F					B	E	9			G
8				9			4	D			3				2
C	1	3				6			G				F	4	5
9	D	B			G					F			7	A	6
G	B	A			2					7			5	6	D
5	6	F				A			2				8	7	4
D				6			9	5			G				F
3			C	B	5					A	4	G			1
		9	6	G							7	2	C		
			G			B	D	C	5			F			
4	3					8	2	G	F					1	7
	8			5	9	E	A	1	3	2	D			G	

FIGURE 2 – Very Hard Sudoku instance.

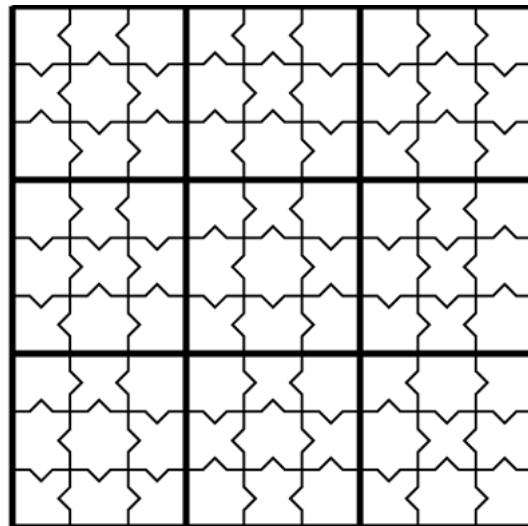


FIGURE 3 – Greater-Than Sudoku instance.

**Question 5** • We will now address the optimization aspect by dealing with a variant of Sudoku with a minimizable objective function. Create a file named `SudokuOPT.java` that returns the solution with the smallest sum of values in the grid's main diagonal.

## 2 Declarative Itemset Mining Using Choco-mining module

In this section, we will be working with :

- CHOCO-MINING is a Java library designed for solving itemset mining problems, built on the CHOCO-SOLVER framework.
- The SPMF library, an open-source Java-based software and data mining library, specializing in pattern mining ([SPMF](#)).

**Question 6** • Clone the GitHub repository of CHOCO-MINING ([link](#)).

**Question 7** • Open the file `ExampleClosedItemsetMining.java` and perform the following tasks :

1. Review the code in detail.
2. Run the main.
3. Run it on other datasets such as *mushroom* or *chess*.
4. Display the number of resulting patterns.
5. Display the execution time.

**Question 8** • Add the frequency constraint :  $freq(P) \geq \theta$ .

**Question 9** • Add a constraint on the size of the returned patterns :  $size(P) \geq \alpha$ .

**Question 10** • Now we are going to replicate the tasks using SPMF. Just run the `.jar` file available in your local repository. The goal is to run LCM for closed itemset enumeration, relaunch with different thresholds for frequency, and also for pattern size.

**Question 11** • We will now add a constraint, which we will call `CategoryConstraint` here, to our file ‘`ExampleClosedItemsetMining.java`’ that models the following problem : Let’s consider a dataset with  $n$  items. The dataset contains categories of size  $catSize$  (e.g., household products, appliances, etc.). The dataset is organized into  $nbCat = n/catSize$  categories, with items at the end that do not belong to any category but do not exceed the number of  $catSize$ . Figure 4 provides an example of a dataset with 8 items, 2 categories of size 3, and 2 items at the end that are out of category but do not exceed the category size. The question now is to have a constraint model that allows enumerating all closed itemsets composed of items belonging to atleast  $m$  categories :

$$\text{CategoryConstraint}(P) \equiv \sum_{i=1}^{nbCat} \prod_{j=1}^{catSize} P_i \geq m$$

For example, the dataset in Figure 4 yields the following patterns with  $m = 2$  : *BEF*.

**Question 12** • How can this `CategoryConstraint` be taken into account in SPMF?

<b>t1:</b>	B	C	E	F	G	H
<b>t2:</b>	A		D		G	
<b>t3:</b>	A	C	D			H
<b>t4:</b>	A		E	F		
<b>t5:</b>	B		E	F		
<b>t6:</b>	B		E	F	G	
	Category 1		Category 2			

FIGURE 4 – Items categories illustration.