

Discount factor

$$v = \frac{1}{1+i}$$

Commutative numbers

$$p_x = 1 - q_x$$

$$l_{x+1} = l_x * p_x$$

$$d_x = l_x - l_{x+1}$$

$$D_x = l_x v^x$$

$$C_x = d_x v^{x+1}$$

$$N_x = D_x + D_{x+1} + \dots + D_w$$

$$M_x = C_x + C_{x+1} + \dots + C_{w-1}$$

Net Single Premium

$${}_nE_x = \frac{D_{x+n}}{D_x}$$

- x is age of insured person
- n is contract duration

$${}_nA_x = \frac{M_x - M_{x+n}}{D_x}$$

$$\text{Net Single Premium} = \begin{cases} {}_nE_x * \text{Sum Insured} & \text{for Saving} \\ {}_nA_x * \text{Sum Insured} & \text{for Death} \\ ({}_nE_x + {}_nA_x) * \text{Sum Insured} & \text{for Endowment} \end{cases}$$

Net Annual Premium– Annuity factor

$${}_ta_x = \frac{N_x - N_{x+t}}{D_x}$$

- x is age of insured person
- t is time period

$$\text{NetAnnualPremium} = \frac{\text{NetSinglePremium}}{{}_ma_x}$$

- m is premium payment duration

Annuity factor with adjustment

$${}_ta_x^{(j)} = {}_ta_x - \frac{j-1}{2*j}$$

- x is age of insured person
- t is time period
- j is premium payment frequency

$$\text{NetPremiumWithinTheYear} = \frac{\text{NetSinglePremium}}{{}_ma_x^{(j)} * j}$$

- m is premium payment duration
- j is premium payment frequency

$$Gross\ Single\ Premium = \begin{cases} \frac{{}_nE_x + \alpha + \gamma * {}_n a_x}{1 - \beta} * Sum\ Insured & \text{for Saving} \\ \frac{{}_n A_x + \alpha + \gamma * {}_n a_x}{1 - \beta} * Sum\ Insured & \text{for Death} \\ \frac{({}_n E_x + {}_n A_x) + \alpha + \gamma * {}_n a_x}{1 - \beta} * Sum\ Insured & \text{for Endowment} \end{cases}$$

$$GrossAnnualPremium = \frac{GrossSinglePremium}{{}_m a_x}$$

$$GrossPremiumWithinTheYear = \frac{GrossSinglePremium}{{}_m a_x^{(j)} * j}$$

(gross-premium-interface "endowment" 23 10 3 4 100000 "male")