



ACADGILD

SESSION 3: FOUNDATIONAL R PROGRAMMING

Assignment 2

Submitted by: Munmun Ghosal

Login Id: munmun55@gmail.com

(M):+91-8007178659

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1. Problem Statement

1. Create an $m \times n$ matrix with replicate ($m, \text{rnorm}(n)$) with $m=10$ column vectors of $n=10$ elements each, constructed with $\text{rnorm}(n)$, which creates random normal numbers.

- a) Then we transform it into a dataframe (thus 10 observations of 10 variables) and perform an algebraic operation on each element using a nested for loop: at each iteration, every element referred by the two indexes is incremented by a sinusoidal function, compare the vectorized and non-vectorized form of creating the solution and report the system time differences.

2. Solution

A. APPROACH-1: Using rbenchmark library

The R-script for the given problem is as follows:

```
m <- replicate(10, rnorm(10), simplify = "matrix")
m

m <- as.data.frame(m)
View(m)

library(rbenchmark)
benchmark(
  vect = as.vector(m),      # vectorized form
  conc = (n <- as.vector(for (i in seq(nrow(m))) {
    for (j in seq(ncol(m))) { # nested for
      print(2*sin(m[i, j])) # performing algebraic function on each element
    }
  })))
)
```

Explanation:

- `rbenchmark` is intended to facilitate benchmarking of arbitrary R code.

The library consists of just one function, `benchmark`, which is a simple wrapper around `system.time`.

Given a specification of the benchmarking process (counts of replications, evaluation environment) and an arbitrary number of expressions, `benchmark` evaluates each of the expressions in the specified environment, replicating the evaluation as many times as specified, and returning the results conveniently wrapped into a data frame

- $m \times n$ matrix is created with `replicate(m, rnorm(n))` with $m=10$ column vectors and $n=10$ elements each, constructed with `rnorm(n)`, which creates random normal numbers.

```
m <- replicate(10, rnorm(10), simplify = "matrix")
```

- Then we transform it into a dataframe (thus 10 observations of 10 variables) using :

```
m <- as.data.frame(m)
View(m)
```

- Then an algebraic operation is performed on each element using a nested for loop. At each iteration, every element referred by the two indexes is incremented by a sinusoidal function, the vectorized and non-vectorized form of creating the solution are compared and the system time differences are reported using following script:

```
library(rbenchmark)
benchmark(
  vect = as.vector(m),      # vectorized form
  conc = (n <- as.vector(for (i in seq(nrow(m)))
    {
      for (j in seq(ncol(m)))
        { # nested for
          print(2*sin(m[i, j])) # performing algebraic function on each element
        }
      )))
)
```

The output of the R-Script is given as follows:

```

Console Terminal x
~/
> m <- replicate(10, rnorm(10), simplify = "matrix")
> m
      [,1]      [,2]      [,3]      [,4]      [,5]      [,6]      [,7]      [,8]      [,9]     [,10]
[1,] -0.08913953  0.17852840 -0.3330458 -0.7651631  0.1609026  0.49489303  0.58475214  0.7442312  0.5474005  0.99168346
[2,] -0.19463112  0.78286788  0.5451576  0.5666370  0.4790692  0.09617377 -0.07863453 -1.2616526 -2.0790019  0.96535492
[3,] -0.36349639  0.07132321  0.4602538 -1.1004102  0.5630840 -0.49058915  0.03791804  0.4800590  1.4030853 -0.11609871
[4,] -0.06079984  1.28273140 -0.4049807 -0.4453792 -0.9164643 -2.41584548  0.92220882  0.5496038 -0.4223738  0.05982698
[5,]  0.66551158 -0.71696873  0.6269364 -1.0082628  1.7009680  2.16117918  0.20122057  0.2666471 -0.7888810 -0.29723941
[6,]  0.63135697 -0.11233793  0.4010243  0.5705256  1.3431657 -0.48726694 -0.26466107  0.6085019 -0.3825191 -0.18903918
[7,] -0.54529999 -0.40747348 -1.3077086  1.2178529 -0.8857726 -0.57038455  0.57998706 -0.1476260 -0.6078100 -2.52208526
[8,] -0.52984751 -1.47527410  1.0200674  1.2293665 -2.3030236  0.05051781 -0.13821254 -0.4062084 -1.5767537  0.12480130
[9,] -1.00253067  0.46465830 -0.3902984  0.9789133 -1.4535623  0.90239864 -0.65342060  0.9636103 -1.5888214  0.16989079
[10,] 0.28523755  0.70273672 -0.9797874 -1.8428999 -0.5178634  0.28830255 -0.93924817  0.4789491  0.9339680  0.57616535
> |

> m <- as.data.frame(m)
> View(m)
```

Assignment 3_2_question1.R										
Filter										
	V1	V2	V3	V4	V5	V6	V7	V8	V9	V10
1	-0.08913953	0.17852840	-0.3330458	-0.7651631	0.1609026	0.49489303	0.58475214	0.7442312	0.5474005	0.99168346
2	-0.19463112	0.78286788	0.5451576	0.5666370	0.4790692	0.09617377	-0.07863453	-1.2616526	-2.0790019	0.96535492
3	-0.36349639	0.07132321	0.4602538	-1.1004102	0.5630840	-0.49058915	0.03791804	0.4800590	1.4030853	-0.11609871
4	-0.06079984	1.28273140	-0.4049807	-0.4453792	-0.9164643	-2.41584548	0.92220882	0.5496038	-0.4223738	0.05982698
5	0.66551158	-0.71696873	0.6269364	-1.0082628	1.7009680	2.16117918	0.20122057	0.2666471	-0.7888810	-0.29723941
6	0.63135697	-0.11233793	0.4010243	0.5705256	1.3431657	-0.48726694	-0.26466107	0.6085019	-0.3825191	-0.18903918
7	-0.54529999	-0.40747348	-1.3077086	1.2178529	-0.8857726	-0.57038455	0.57998706	-0.1476260	-0.6078100	-2.52208526
8	-0.52984751	-1.47527410	1.0200674	1.2293665	-2.3030236	0.05051781	-0.13821254	-0.4062084	-1.5767537	0.12480130
9	-1.00253067	0.46465830	-0.3902984	0.9789133	-1.4535623	0.90239864	-0.65342060	0.9636103	-1.5888214	0.16989079
10	0.28523755	0.70273672	-0.9797874	-1.8428999	-0.5178634	0.28830255	-0.93924817	0.4789491	0.9339680	0.57616535

library(rbenchmark)

benchmark(

```

  vect = as.vector(m),      # vecotrized form
  conc = (n <- as.vector(for (i in seq(nrow(m))) {
    for (j in seq(ncol(m))) { # nested for
      print(2*sin(m[i, j])) # performing algebraic function on each element
    }
  })))
)
```

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```

	test	replications	elapsed	relative	user.self	sys.self	user.child	sys.child
2	conc	100	4.01	NA	3.75	0.1	NA	NA
1	vect	100	0.00	NA	0.00	0.0	NA	NA

B. APPROACH-2:

The R-script for the given problem is as follows:

```
#Vectorized form
set.seed(100)
#create matrix
mat_1<- replicate(10,rnorm(10))
#transform into data frame
df_1= data.frame(mat_1)
df_1<- df_1 + 2*sin(0.75*pi)

#non-vectorized form
set.seed(100)
#create matrix
mat_1<- replicate(10,rnorm(10))
#transform into data frame
df_1= data.frame(mat_1)
for(i in 1:10){
  for(j in 1:10){
    df_1[i,j]<- df_1[i,j] + 2*sin(0.75*pi)
    print(df_1)
  }
}
#time difference
system.time(
  df_1[i,j]<- df_1[i,j] + 2*sin(0.75*pi)
)
system.time(
  for(i in 1:10){
    for(j in 1:10){
      df_1[i,j]<- df_1[i,j] + 2*sin(0.75*pi)
    }
  }
)
```

Explanation:

- Here, Vectorized form and non- Vectorized form is created and converted into dataframes respectively.
- Hence, the time difference is calculated using system.time()

The output of the R-Script is given as follows:

```

Console Terminal x
~/
1 0.9120212 1.5040997 0.9761236 1.3231000 1.3125843 0.96715138 1.1522178
2 1.5457447 1.5104880 2.1782742 3.1715892 2.8174171 -0.32438438 1.3453695
3 1.3352965 1.2125796 1.6761749 1.2762840 -0.3625621 1.59307841 1.0353300
4 2.3009984 2.1540541 2.1876182 1.3030201 2.0370810 3.31167926 3.9961725
5 1.5311848 1.5375931 0.5998344 0.7241992 0.8919302 -0.85771192 1.5440477
6 1.7328436 1.3848969 0.9757630 1.1924193 2.7364445 2.39467770 0.7011886
7 0.8324229 1.0253593 0.6939920 1.5971212 1.0507732 0.01538795 2.0522078
8 2.1287463 1.9250698 1.6451581 1.8315368 2.7332793 3.23908599 1.6159052
9 0.5889541 0.5003994 0.2564841 2.4796159 1.4579926 2.79551229 1.3442966
10 1.0543514 3.7245104 1.6612896 2.3844156 -0.4644423 0.57536169 1.3217237
      x8      x9      x10
1 1.8631168 2.31103583 0.8570913
2 0.3498579 1.36421780 2.8425150
3 0.2517942 0.06886425 0.5212562
4 3.0627353 -0.51699797 0.2566423
5 -0.6478825 2.12379515 0.8839171
6 1.4269633 1.25630853 3.8598963
7 0.3266852 1.63058144 0.5817178
8 1.6847531 2.23157564 1.8277334
9 2.4226654 3.14138932 0.2355304
10 -0.6601912 1.31044327 0.2401788
> #time difference
> system.time(
+   df_1[i,j]<- df_1[i,j] + 2*sin(0.75*pi)
+ )
      user  system elapsed
         0         0         0
> system.time(
+   for(i in 1:10){
+     for(j in 1:10){
+       df_1[i,j]<- df_1[i,j] + 2*sin(0.75*pi)
+     }
+   }
+ )
      user  system elapsed
      0.02    0.00    0.02
~ |

```