repeated measure

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```
####### Richard Johnson Ed. 5 p. 281 #######
x1 <- c(426,253,359,432,405,324,310,326,375,286,349,429,348,412,347,434,364,420,397)
x2 <- c(609,236,433,431,426,438,312,326,447,286,382,410,377,473,326,458,367,395,556)
x3 <- c(556,392,349,522,513,507,410,350,547,403,473,488,447,472,455,637,432,508,645)
x4 <- c(600,395,357,600,513,539,456,504,548,422,497,547,514,446,468,524,469,531,625)
x \leftarrow cbind(x1, x2, x3, x4)
n \leftarrow nrow(x)
j <- matrix(1, n, n)</pre>
C \leftarrow \text{matrix}(c(-1,-1,1,1,1,-1,1,-1,1,-1,1)), \text{ ncol} = 4, \text{ byrow} = TRUE) #contrast
matrix, sesuaikan dengan soal
S \leftarrow 1/(n-1) * t(x) %*% (diag(n) - j/n) %*% x
cat("Matriks x\n\n")
## Matriks x
##
          x1 x2 x3 x4
    [1,] 426 609 556 600
##
##
   [2,] 253 236 392 395
##
   [3,] 359 433 349 357
   [4,] 432 431 522 600
   [5,] 405 426 513 513
##
##
    [6,] 324 438 507 539
##
   [7,] 310 312 410 456
   [8,] 326 326 350 504
## [9,] 375 447 547 548
## [10,] 286 286 403 422
## [11,] 349 382 473 497
## [12,] 429 410 488 547
## [13,] 348 377 447 514
## [14,] 412 473 472 446
## [15,] 347 326 455 468
## [16,] 434 458 637 524
## [17,] 364 367 432 469
## [18,] 420 395 508 531
## [19,] 397 556 645 625
```

```
cat("Matriks C\n\n")
## Matriks C
C
##
        [,1] [,2] [,3] [,4]
## [1,] -1
              -1
              -1
                     1
## [2,]
          1
                          -1
                    -1
## [3,]
         1
               -1
                           1
cat("Matriks S\n\n")
## Matriks S
S
##
            х1
                     x2
                              х3
## x1 2819.287 3568.415 2943.497 2295.357
## x2 3568.415 7963.135 5303.991 4065.459
## x3 2943.497 5303.991 6851.316 4499.640
## x4 2295.357 4065.459 4499.640 4878.988
# Uji Beda Rata-rata pada Repeated Measure (Statistic Uji T2 Hotelling's)
xbar <- matrix(c(mean(x1), mean(x2), mean(x3), mean(x4)), 4)</pre>
p \leftarrow ncol(x) - 1
a <- .05
T2 = n * t(C %*% xbar) %*% solve(C %*% S %*% t(C)) %*% (C %*% xbar)
T2tab = p*(n-1) / (n-p) * qf(1 - a, p, n - p)
if(T2 > T2tab){
cat(T2, ">", T2tab, "\nTolak H0")
}else{
 cat(T2, "<", T2tab,"\nGagal tolak H0")</pre>
## 116.0163 > 10.93119
## Tolak H0
# Menghitung Selang Kepercayaan
\# C1 = (miu3 + miu 4) - (miu1 + miu2) \#
b = 1 #baris pada matrix C
C1 <- (C[b,1:4] \% *\% xbar) + c(-1,1) * (T2tab * (C[b,1:4] \% *\% S \% *\% C[b,1:4]) / n)^0.5
cat("(miu3 + miu 4) - (miu1 + miu2)\n")
## (miu3 + miu 4) - (miu1 + miu2)
cat("Selang (95%) \n", C1[1], C1[2])
## Selang (95%)
## 135.6503 282.9813
```

```
\# C2 = (miu1 + miu 3) - (miu2 + miu4) \#
b = 2 #baris pada matrix C
C2 \leftarrow (C[b,1:4] \% xbar) + c(-1,1) * (T2tab * (C[b,1:4]\% x\% x\% C[b,1:4]) / n)^0.5
cat("(miu1 + miu 3) - (miu2 + miu4)\n")
## (miu1 + miu 3) - (miu2 + miu4)
cat("Selang (95%) \n", C2[1], C2[2])
## Selang (95%)
## -114.7271 -5.37818
\# C3 = (miu1 + miu 4) - (miu2 + miu3) \#
b = 3 #baris pada matrix C, menunjukkan interaksi
C3 <- (C[b,1:4] \% *\% xbar) + c(-1,1) * (T2tab * (C[b,1:4] \% *\% S \% *\% C[b,1:4]) / n)^0.5
cat("(miu1 + miu 4) - (miu2 + miu3)\n")
## (miu1 + miu 4) - (miu2 + miu3)
cat("Selang (95%) \n", C3[1], C3[2])
## Selang (95%)
## -78.72858 53.14964
```