Digital signals/Time domain

Time domain

total energy, average power and root mean square

$$E = \sum_{i=1}^{N} x_i^2$$
, $P = \frac{1}{N} \sum_{i=1}^{N} x_i^2$ and $RMS = \sqrt{\frac{1}{N} \sum_{i=1}^{N} x_i^2}$

```
>> E = sum( xi .* xi ); % total energy
>> P = mean( xi .* xi ); % average power
>> RMS = sqrt( mean( xi .* xi ) ); % root mean square
```

▶ decibel full scale, different for power- and magnitude-like quantities, e. g.

$$P_{\rm dB} = 10 \log_{10}(P)$$
 and $RMS_{\rm dB} = 20 \log_{10}(RMS)$

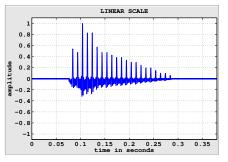
```
>> PdB = 10 * log10( P ); % power-like
>> RMSdB = 20 * log10( RMS ); % magnitude-like
```

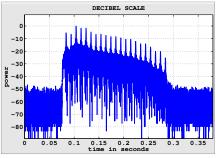
zero-crossings rate

```
>> fZ = sum( abs( diff( xi >= 0 ) ) ) / N * fS;
```

Time domain

example: matlab/decibel.m (matlab/sound.wav)





exercise:

- compare linear and logarithmic scales
- ► explain negative decibel values (e. g. −3 dB power, −6 dB magnitude)
- specify the power of silence in decibels