post EIP gas prices variance checker

November 24, 2021

Import the data and the packages

```
[1]: import matplotlib as mpl
     import matplotlib.pyplot as plt
     import numpy as np
     import pandas as pd
     from scipy.stats import binomtest
     from data_personal_example import transaction_data_file, block_data_file, \
     large_pre_gas_prices_file, suite_spot_txn, suite_spot_blx, new_post_eip_txn, \
     new_post_eip_blx, new_post_eip_rcpts
     #Read in the data, use your own machines specific path as you see fit
     transaction_data=pd.read_csv(transaction_data_file)
     block data=pd.read csv(block data file)
     #read in the data and convert it to a list for better calculation speed
     large_pre_gas_prices=list(pd.read_csv(large_pre_gas_prices_file).gas_price)
     #read in sweet spot data
     suite txn=pd.read csv(suite spot txn)
     suite_blx=pd.read_csv(suite_spot_blx)
     #read in the spike free data
     new_txn=pd.read_csv(new_post_eip_txn)
     new_blx=pd.read_csv(new_post_eip_blx)
     new_rpcts=pd.read_csv(new_post_eip_rcpts)
```

Adding the gas limits into the dataframe

first we add the gas limits into the transaction dataframe, as well as add the gas limits and base fee back into the dataframe

```
#makes a dicionary with the key being the block number and the
#value being the gas limits and base fee, because this will allow us to
#easily assign a gas limit and base fee to the transaction going forward
for i in range(len(my_block_number)):
    gas_limit_tracker[my_block_number[i]]=my_gas_limit[i]
    base_fee_tracker[my_block_number[i]]=my_base_fee[i]
##get the block numbers from the transaction data
transaction block numbers=list(transaction data.block number)
#initialize a list for the purpose of saving the gas limits that will
#be assigned to the transaction data and assign the correct information
gas_limits_for_transaction_data=[gas_limit_tracker[x] for x in_
→transaction_block_numbers]
base_fee_for_transaction_data=[base_fee_tracker[x] for x in_
→transaction block numbers]
#add the column into the dataframe
#transaction_data['qas_limit']=qas_limits_for_transaction_data
transaction_data['base_fee']=base_fee_for_transaction_data
# The final step is to remove the NA's from then dataframe, from testing of the
# dataset, i have found that the max priority fee per gas and the max fee per
\hookrightarrow gas
# have the the same number of NA's -this can be oberved with the line
# np.sum(transaction data.isna())- that we can remove the NA's with the line...
transaction_data=transaction_data[pd.notnull(transaction_data.max_fee_per_gas)]
```

Rescaling the gas prices

now we need to add another column to revert the gas price into a metric that we can compare to the pre EIP 1559 data. to do this, we will need to work under the assumption that gas limits represent the same metric that they do in the pre EIP 1559 network (which is an assumption that the previous paper made that we will continue in this proposal). then, we see that the user bid has a specific value in the post EIP 1559 section which is min(base fee + tip, max tip), while in the pre EIP section the userbid is equal to gas price * gas limit. Therefore, if we set these metrics to be equal, we can solve for the equivilent of the gas prices in the post EIP section, giving us an ultimate answer of $\frac{min(base\ fee+tip, max\ fee)}{gas\ limit} = equivilent\ to\ pre\ EIP\ gas\ price$.

```
[3]: #get all the values...
b_fee=list(transaction_data.base_fee)
g_limit=list(transaction_data.gas)
m_fee=list(transaction_data.max_fee_per_gas)
```

Comparing variance

We will be comparing the variance in two ways, first, we will be simply taking the variance of the entire dataset, then we will run a simulation where the code will randomly take sets of 500 from both the pre and post EIP 1559 data and compare the variance in a simulation of many times and reports the results.

Clean up the data for comparison, remove outliers

I will be using the "03_22_03_26.csv" dataset in the CAMCOS google drive for the largest portion of data available, for both the 03_22_03_26.csv dataset and the suite spot dataset I'm going to use 40,000 results for a more appropriate comparison of variance.

First we will clean up the pre EIP dataset

```
[4]: #randomly generate 40000 indexes for the larger dataset
    pre_index=np.random.uniform(0,len(large_pre_gas_prices)-2,40000)
    pre_index=[round(x) for x in pre_index]

#assign values with the random indexes
    pre_gas_prices=[large_pre_gas_prices[x] for x in pre_index]

#gets 10% quantile and 90% quantile for both pre and post
#for later use in removing outliers
    pre_up_lim=np.quantile(pre_gas_prices,0.9)
    pre_lo_lim=np.quantile(pre_gas_prices,0.1)
    post_up_lim=np.quantile(rescaled_gas_prices,0.9)
    post_lo_lim=np.quantile(rescaled_gas_prices,0.1)

#Remove the outliers, save the results in two variables that
#will be our final variables
    pre_gas=[x for x in pre_gas_prices if (x<pre_up_lim) & (x>pre_lo_lim)]
    post_gas=[x for x in rescaled_gas_prices if (x<post_up_lim) & (x>post_lo_lim)]
```

Now to clean uo the suite spot data

```
[5]: #get gas prices
suite_gas_prices=list(suite_txn.gas_price)
```

```
#randomly generate 40000 indexes for the larger dataset
suite_index=np.random.uniform(0,len(suite_gas_prices)-2,40000)
suite_index=[round(x) for x in suite_index]

#assign values with the random indexes
suite_gas_prices=[suite_gas_prices[x] for x in suite_index]

#gets 10% quantile and 90% quantile for both suite gas
suite_up_lim=np.quantile(suite_gas_prices,0.9)
suite_lo_lim=np.quantile(suite_gas_prices,0.1)

#Remove the outliers, save the results
suite_gas=[x for x in suite_gas_prices if (x<suite_up_lim) & (x>suite_lo_lim)]
```

Simulation 1: non-ideal data

This simulation will be done with a normalization method, where for each unit i in n we take $\frac{n_i}{(n_i)^2}$ to try to account for the discrepency of the size of the units

```
[6]: | ##a function to normalize the gas price data via dividing by the square of the
     \rightarrowmean
     def my_normalizer(my_list):
         my_mean=np.mean(my_list)**2
         return [x/(x**2) for x in my_list]
     #a function designed to take two lists, pre and post EIP respectively,
     #and return False if post is bigger and True if post is smaller
     def variance_checker(pre,post):
         if np.var(pre)<np.var(post):</pre>
             return False
         else:
             return True
     #a function desinged to take two lists, along with a specefied integer, and then
     #qenerate an amount of random indexes associated with indexes to the two lists
     #in the amount of the number specified
     def random_index_generator(list1,list2,number):
```

```
result1=list(np.random.uniform(0,len(list1)-2,number))
    result1=[round(x) for x in result1]
    result2=list(np.random.uniform(0,len(list2)-2,number))
    result2=[round(x) for x in result2]
    return [result1,result2]
#declare a variable to represent the number of trials to take place in the
\rightarrowsimulation
trials=10000
#initialize a list to represent the output of the simulation
results=[]
#this code runs a simulation that randomly takes 500 observations from each \Box
\rightarrow dataset and
#records the percentage of times the variance is smaller in the post EIP dataset
for i in range(trials):
    my_index=random_index_generator(pre_gas,post_gas,500)
    index_1=my_index[0]
    index_2=my_index[1]
    my_pre_gas=my_normalizer([pre_gas[x] for x in index_1])
    my_post_gas=my_normalizer([post_gas[x] for x in index_2])
    results.append(variance_checker(my_pre_gas,my_post_gas))
#output results of simulation and simple variance of the two datasets
print("the variance in the post EIP-1559 data is " + str(np.
 →var(my_normalizer(post_gas))) + \
      " and the variance in the pre EIP-1559 data is " + str(np.
→var(my_normalizer(pre_gas))) + \
      ". the percentage of times the variance was lower in post EIP-1559 data "_{\mbox{\tiny LI}}
 →+ \
      "durring our simulation after normalizing was " +
      str(int(round((sum(results)/len(results))*100))) + '%. Note, the data had__
      "to be normalized to make up for the discrepency of size in the units")
#output summary stats of pre and post EIP gas prices
print('\n Some summary stats: \n \t Pre-EIP: \n')
print('\t Max: ' + str(np.max(pre_gas)))
print('\n \t Min: ' + str(np.min(pre_gas)))
print('\n \t Mean: ' + str(np.mean(pre_gas)))
print('\n \t Variance: ' + str(np.var(pre_gas)))
print('\n \t Quartile 25,50,75: ' + str(np.quantile(pre_gas,0.25)) + "," + \
```

```
str(np.quantile(pre_gas, 0.5)) + ',' + str(np.quantile(pre_gas, 0.75)))
print('\n \n \t Post-EIP:')
print('\t Max: ' + str(np.max(post_gas)))
print('\n \t Min: ' + str(np.min(post_gas)))
print('\n \t Mean: ' + str(np.mean(post_gas)))
print('\n \t Variance: ' + str(np.var(post_gas)))
print('\n \t Quartile 25,50,75: ' + str(np.quantile(post_gas,0.25)) + "," + \
      str(np.quantile(post_gas,0.5)) + ',' + str(np.quantile(post_gas,0.75)))
```

the variance in the post EIP-1559 data is 4.867035345448965e-12 and the variance in the pre EIP-1559 data is 1.8859877546107898e-24. the percentage of times the variance was lower in post EIP-1559 data durring our simulation after normalizing was 0%. Note, the data had to be normalized to make up for the discrepency of size in the units

Some summary stats: Pre-EIP: Max: 257900000000 Min: 108000001347 Mean: 165358376602.8309 Variance: 1.4148450861638093e+21 Quartile 25,50,75: 135000000000.0,15900000000.0,19000000000.0 Post-EIP: Max: 2496463.8959047617 Min: 132685.97152251133 Mean: 617233.1705626977 Variance: 295061619654.1383 Quartile 25,50,75: 178221.58082857143,413566.0087105776,828456.6181150794 Simulation 2: suite spot data

```
[7]: #declare a variable to represent the number of trials to take place in the
     \rightarrow simulation
     trials=10000
     #initialize a list to represent the output of the simulation
     results=[]
```

```
#this code runs a simulation that randomly takes 500 observations from each \Box
#records the percentage of times the variance is smaller in the post EIP dataset
for i in range(trials):
    my_index=random_index_generator(suite_gas,post_gas,500)
    index_1=my_index[0]
    index_2=my_index[1]
    my_suite_gas=my_normalizer([suite_gas[x] for x in index_1])
    my_post_gas=my_normalizer([post_gas[x] for x in index_2])
    results.append(variance_checker(my_suite_gas,my_post_gas))
#output results of simulation and simple variance of the two datasets
print("the variance in the post EIP-1559 data is " + str(np.
→var(my_normalizer(post_gas))) + \
      " and the variance in the 'suite spot' EIP-1559 data is " + str(np.
 →var(my_normalizer(suite_gas))) + \
      ". the percentage of times the variance was lower in post EIP-1559 data "_{\mbox{\scriptsize L}}
 →+ \
      "durring our simulation after normalizing was " +
      str(int(round((sum(results)/len(results))*100))) + '%. Note, the data had__
      "to be normalized to make up for the discrepency of size in the units")
#output summary stats of pre and post EIP gas prices
print('\n Some summary stats: \n \t Pre-EIP: (suite spot) \n')
print('\t Max: ' + str(np.max(suite_gas)))
print('\n \t Min: ' + str(np.min(suite_gas)))
print('\n \t Mean: ' + str(np.mean(suite_gas)))
print('\n \t Variance: ' + str(np.var(suite gas)))
print('\n \t Quartile 25,50,75: ' + str(np.quantile(suite_gas,0.25)) + "," + \
      str(np.quantile(suite_gas, 0.5)) + ',' + str(np.quantile(suite_gas, 0.75)))
print('\n \n \t Post-EIP:')
print('\t Max: ' + str(np.max(post_gas)))
print('\n \t Min: ' + str(np.min(post_gas)))
print('\n \t Mean: ' + str(np.mean(post_gas)))
print('\n \t Variance: ' + str(np.var(post_gas)))
print('\n \t Quartile 25,50,75: ' + str(np.quantile(post_gas,0.25)) + "," + \
      str(np.quantile(post_gas,0.5)) + ',' + str(np.quantile(post_gas,0.75)))
```

the variance in the post EIP-1559 data is 4.867035345448965e-12 and the variance in the 'suite spot' EIP-1559 data is 5.2377590689780563e-23. the percentage of times the variance was lower in post EIP-1559 data durring our simulation after normalizing was 0%. Note, the data had to be normalized to make up for the

discrepency of size in the units

Some summary stats:

Pre-EIP: (suite spot)

Max: 230607999999

Min: 31441176576

Mean: 77446585979.01144

Variance: 2.1772422139165632e+21

Quartile 25,50,75: 44000001481.0,59000000000.0,96650001258.5

Post-EIP:

Max: 2496463.8959047617

Min: 132685.97152251133

Mean: 617233.1705626977

Variance: 295061619654.1383

Quartile 25,50,75:

178221.58082857143,413566.0087105776,828456.6181150794

Implementation of the c-test

This method works by approximating the joint probability distribution of X_1 and X_2 as a binomial distribution, where in the binomial distribution, the x parameter is lambda_1 (from X_1), the n parameter is lambda_1+lambda_2, and the p parameter is n_1/(n_1+n_2) This test finds the p-value corresponding to the ratio lambda_1/lambda_2, the reasoning being that if the ratio is large, then that means lambda 1 is larger than lambda 2 (and thus that variance of the pre EIP gas price is larger than the variance of the post EIP gas price) to a statistically significant degree. Hence, we perform a "greater than" binomial test to determine of the if the variance is smaller in the post EIP framework.

This method was retrieved from the following sources:

- $1.\ https://stats.stackexchange.com/questions/109402/c-test-for-comparing-poisson-means-in-scipy$
- 2. https://cran.r-project.org/web/packages/rateratio.test/vignettes/rateratio.test.pdf

The first implementation will be conducted on the non-ideal data

```
[8]: ##grab the parameters for the test
my_x=int(np.mean(pre_gas))
```

```
BinomTestResult(k=165358376602, n=165358993835, alternative='greater', proportion_estimate=0.9999962673152171, pvalue=0.0)
```

This result means that we reject the null hypothesis, meaning that the variance in the pre ${\sf EIP}$ framework

is larger than the post EIP to a statistically significant degree

/Users/jacobmcgraw/opt/anaconda3/lib/python3.8/sitepackages/scipy/stats/_discrete_distns.py:75: RuntimeWarning: divide by zero encountered in _binom_sf return _boost._binom_sf(k, n, p)

The second implimentation of the c-test will be on the ideal data

```
BinomTestResult(k=77446585979, n=77447203212, alternative='greater', proportion_estimate=0.9999920302738589, pvalue=0.0)
```

This result means that we reject the null hypothesis, meaning that the variance in the pre EIP framework (suite spot) is larger than the post EIP to a statistically significant degree

To get a better result from the variance checker, we will omit the blocks that are from the spikes. The results seem to indicate that the most severe spikes in the first 8000 observations are from 12965850 - 12966400, 12966100 - 12966650, and 12972200 - 12972600

```
[10]: #display(new_txn)
      #display(new blx)
      #display(new_rpcts)
      new_rpcts=new_rpcts.rename(columns={'transaction_hash':'hash'})
      #display(new_rpcts)
      #new txn=
      new_txn=pd.merge(new_rpcts,new_txn,on='hash')
      #display(new_txn)
      #display(new_blx)
      base_fee_tracker={}
      my_blocks=list(new_blx.number)
      my_b_fee=list(new_blx.base_fee_per_gas)
      for i in range(len(my_blocks)):
          base_fee_tracker[my_blocks[i]]=my_b_fee[i]
      b_fee_for_txn=[]
      for i in new_txn.block_number:
          b_fee_for_txn.append(base_fee_tracker[i])
      new_txn['base_fee_per_gas']=b_fee_for_txn
      new_txn=new_txn[pd.notnull(new_txn.max_priority_fee_per_gas)]
```

```
#display(new_txn)
#new_txn['valuations']=np.min()
my_max_fee=list(new_txn.max_fee_per_gas)
my_tip=list(new_txn.max_priority_fee_per_gas)
my_b_fee=list(new_txn.base_fee_per_gas)
my g limit=list(new txn.gas)
rescaled_gas_prices=[]
#for i in range(len(my max fee)):
     rescaled gas prices.append(min(my b fee[i] + my tip[i])/my gas limit[i])
\#rescaled\_gas\_prices=[min(my\_b\_fee[x] + my\_tip[x] , my\_max\_fee[x]) /_{\sqcup}
 \hookrightarrow my_gas_limit[x]
#for x in range(len(my_g_limit))]
\#rescaled\_gas\_prices=[min(b\_fee[x]+tip[x],m\_fee[x])/g\_limit[x] for \
                      x in range(len(b_fee))]
for i in range(len(my_max_fee)):
    my_min=min(my_b_fee[i] + my_tip[i] , my_max_fee[i])
    price=my_min/my_g_limit[i]
    rescaled_gas_prices.append(price)
new_txn['rescaled_gas_prices']=rescaled_gas_prices
display(new txn)
#df[pd.notnull(df.column_of_interest)]
#rescaled_gas_prices[0:2]
#print(len(my_max_fee), len(my_tip), len(my_b_fee), len(my_g_limit))
                                                        hash gas_used \
197
         0xf03bd87c159a0a497949480b2bbb0de7e23dce94cec1...
                                                               45038
212
         0xfba633d9e7551a4440f5b6e35906d6125978d53e23ed...
                                                               110856
414
         0xa8fd938ae7ae741aa491cd6c3197667102b0b29ac8e2...
                                                               37271
         0xf1c71974ee378692cdb32e8032e365b0acf4de2cf4ae...
456
                                                              122414
         0xa8a1f19ee0772fb7de745eb10b21873eab1da5d7d204...
458
                                                               21000
1843740 0x9df9a7b26360e0a74a4b5169e22a1f464d982d7cce84...
                                                               21000
1843742 0xcfe656a58141b62303c6780b8059767e62bcdf3d9a32...
                                                                21000
```

30416

```
1843770 0x9faf8533bf95d6a99e3974099598024cbc7f65c73cd3...
                                                               21000
1843779
        0x4e5c3c5a02512acad4920c2716c76968c280028c5546...
                                                              170968
         block_number
                                                        gas_price
                                      value
                                                 gas
197
             12965602
                       1000000000000000000
                                              45038 83706455346
                                             148594
212
             12965602
                                                      8300000000
414
             12965602
                                             299408
                                                      69731541406
456
             12965602
                         113222162739578599
                                              180340
                                                      67535512656
458
             12965602 4700000000000000000
                                              21000
                                                      67535512656
                       1578144170000000000
1843740
             12975499
                                              21000 41761910280
                          16661600000000000
                                              21000 41761910280
1843742
             12975499
                                          0
                                              36027
                                                      39672524207
1843769
             12975499
1843770
             12975499
                           6100000000000000
                                              21000
                                                      39672524207
1843779
             12975499
                          20000000000000000
                                             175956
                                                      38761910280
         max_fee_per_gas max_priority_fee_per_gas
                                                     transaction_type \
197
            1.359278e+11
                                       2.299540e+10
212
            8.300000e+10
                                       8.300000e+10
                                                                     2
                                                                     2
414
            6.973154e+10
                                       6.973154e+10
456
            1.221756e+11
                                       6.824456e+09
                                                                     2
458
            1.221756e+11
                                       6.824456e+09
                                                                     2
1843740
            8.000000e+10
                                       7.000000e+09
                                                                     2
1843742
            8.000000e+10
                                       7.000000e+09
                                                                     2
                                                                     2
1843769
            6.936067e+10
                                       4.910614e+09
                                                                     2
            6.936067e+10
                                       4.910614e+09
1843770
                                                                     2
1843779
            6.588574e+10
                                       4.000000e+09
         base_fee_per_gas
                           rescaled_gas_prices
197
              60711056639
                                   1.858574e+06
212
              60711056639
                                   5.585690e+05
414
              60711056639
                                   2.328981e+05
456
              60711056639
                                   3.744899e+05
458
              60711056639
                                   3.215977e+06
1843740
              34761910280
                                   1.988662e+06
1843742
              34761910280
                                   1.988662e+06
1843769
              34761910280
                                   1.101189e+06
1843770
              34761910280
                                   1.889168e+06
1843779
              34761910280
                                   2.202932e+05
```

start: 12965400 spike 1: 12966050:12966400 spike 2: 12971900:12973400 end: 12975400

[96827 rows x 11 columns]

[11]: ##NOTE: #these two lines need to be run on the first new run of this code

```
#on your machine, after that, comment them out

new_txn=new_txn.sort_values(by=['block_number'])

new_txn=new_txn.set_index('block_number')

r1=new_txn.loc[12965400:1296050]

r1=r1.reset_index()

r2=new_txn.loc[12966400:12971900]

r2=r2.reset_index()

r3=new_txn.loc[12973400:12975400]

r3=r3.reset_index()

#display(r1)
#display(r2)
#display(r3)

r1_m_r2_m_r3=pd.concat([r1,r2,r3],axis=0)
#r1_m_r2_m_r3.loc[0].hash
```

Now to replicate the results of the variance checker ommitting the blocks with spikes. The first thing we need to do is randomly grab 80000 observations from the pre-eip framework and then remove outliers.

```
def random_index_generator_2(my_list,num_of_indexes):
    my_max=len(my_list)-1
    result=np.random.uniform(0,my_max,num_of_indexes)
    return [round(x) for x in result]

len(large_pre_gas_prices)

my_indexes=random_index_generator_2(large_pre_gas_prices,80000)

pre_eip_observations=[large_pre_gas_prices[x] for x in my_indexes]
    post_eip_observations=list(r1_m_r2_m_r3.rescaled_gas_prices)

##remove outliers

pre_up=np.percentile(pre_eip_observations,90)

pre_lo=np.percentile(pre_eip_observations if (x < pre_up) & (x > pre_lo)]

post_up=np.percentile(post_eip_observations,90)
```

```
post_lo=np.percentile(post_eip_observations,10)

true_post_eip=[x for x in post_eip_observations if (x < post_up) & (x >
    →post_lo)]

print(r1_m_r2_m_r3.iloc[0])

print(r1_m_r2_m_r3.hash.iloc[0])
```

block_number 12965401 0x272fedf18b095d9d59d805ccf724200675c757fa14fd... hash gas_used 254766 value 448229 gas gas_price 102000000000 102000000000.0 max_fee_per_gas 102000000000.0 max_priority_fee_per_gas transaction_type 94973980561 base_fee_per_gas rescaled_gas_prices 227562.250546 Name: 0, dtype: object 0x272fedf18b095d9d59d805ccf724200675c757fa14fdc212b909e87abf566831

Now I will replicate the variance checker code but with the newest and cleanest data

```
[13]: #declare a variable to represent the number of trials to take place in the
      \rightarrowsimulation
      trials=10000
      #initialize a list to represent the output of the simulation
      results=[]
      ##PRE: true pre eip
      ##POST: true post eip
      #this code runs a simulation that randomly takes 500 observations from each \Box
       \rightarrow dataset and
      #records the percentage of times the variance is smaller in the post EIP dataset
      for i in range(trials):
          my_index=random_index_generator(true_pre_eip,true_post_eip,500)
          index_1=my_index[0]
          index 2=my index[1]
          my_pre_gas=my_normalizer([true_pre_eip[x] for x in index_1])
          my_post_gas=my_normalizer([true_post_eip[x] for x in index_2])
          results.append(variance_checker(my_pre_gas,my_post_gas))
      #output results of simulation and simple variance of the two datasets
```

```
print("the variance in the post EIP-1559 (no spike) data is " + str(np.
→var(my_normalizer(true_post_eip))) + \
      " and the variance in the pre EIP-1559 data is " + str(np.
→var(my_normalizer(true_pre_eip))) + \
      ". the percentage of times the variance was lower in post EIP-1559 data ^{"}_{\sqcup}
      "durring our simulation after normalizing was " +
      str(int(round((sum(results)/len(results))*100))) + '%. Note, the data had__
 ' + \
      "to be normalized to make up for the discrepency of size in the units")
#output summary stats of pre and post EIP gas prices
print('\n Some summary stats: \n \t Pre-EIP: \n')
print('\t Max: ' + str(np.max(true_pre_eip)))
print('\n \t Min: ' + str(np.min(true_pre_eip)))
print('\n \t Mean: ' + str(np.mean(true_pre_eip)))
print('\n \t Variance: ' + str(np.var(true_pre_eip)))
print('\n \t Quartile 25,50,75: ' + str(np.quantile(true_pre_eip,0.25)) + "," +
\hookrightarrow\
      str(np.quantile(true_pre_eip,0.5)) + ',' + str(np.
→quantile(true_pre_eip,0.75)))
print('\n \n \t Post-EIP: (no spike)')
print('\t Max: ' + str(np.max(true post eip)))
print('\n \t Min: ' + str(np.min(true_post_eip)))
print('\n \t Mean: ' + str(np.mean(true_post_eip)))
print('\n \t Variance: ' + str(np.var(true_post_eip)))
print('\n \t Quartile 25,50,75: ' + str(np.quantile(true_post_eip,0.25)) + ","__
→+ \
      str(np.quantile(true_post_eip,0.5)) + ',' + str(np.
→quantile(true_post_eip,0.75)))
```

the variance in the post EIP-1559 (no spike) data is 5.477156510589586e-12 and the variance in the pre EIP-1559 data is 1.9027482025114883e-24. the percentage of times the variance was lower in post EIP-1559 data durring our simulation after normalizing was 0%. Note, the data had to be normalized to make up for the discrepency of size in the units

Some summary stats:

Pre-EIP:

Max: 256923140627

Min: 107000001347

Mean: 165180528293.2961

```
Variance: 1.4068878711547484e+21

Quartile 25,50,75: 134400000000.0,158750000000.0,19000000000.0

Post-EIP: (no spike)
    Max: 2232812.845190476

Min: 120756.24817652385

Mean: 560914.3235205642

Variance: 269727015799.2569

Quartile 25,50,75:
178221.58082857143,304436.4367272502,821197.2743272728
plot the base fee just to make sure no spikes got in

[14]: my_base_fee=list(set(list(r1_m_r2_m_r3.base_fee_per_gas)))
    my_x=list(range(len(my_base_fee)))

fig = plt.figure()
    ax = plt.axes()
```

[14]: [<matplotlib.lines.Line2D at 0x7fe5e622fd90>]

ax.tick_params(axis='x', colors='white')
ax.tick_params(axis='y',colors='white')

ax.xaxis.label.set_color('white')
ax.yaxis.label.set_color('white')

ax.title.set_color('white')
plt.plot(my_x,my_base_fee)

