

22/10/18

Code Optimization:

It is a technique which tries to improve the code while eliminating unnecessary code lines and arranging the statements in such a sequence that speed up the program execution without wasting the resources.

The adv. of code optimization are:-

- ① Execute faster
- ② Efficient memory usage
- ③ Yields better performance

Techniques for code optimization

- ① Common sub expression
- ② Constant folding
- ③ Code motion or code motion tech
- ④ Dead code elimination
- ⑤ Induction variable and reduction in strength

Common Sub-expression:

$t_6 = 4 * i$	$t_6 = 4 * i$
$x = a[t_6]$	$x = a[t_6]$
$t_7 = 4 * i$	$t_8 = 4 * j$
$t_8 = 4 * j$	$t_9 = a[t_6]$
$t_9 = a[t_8]$	$a[t_6] = t_9$
$a[t_7] = t_9$	$a[t_8] = x$
$t_{10} = 4 * j$	$g \rightarrow B_2$
$a[t_{10}] = x$	
$g \rightarrow B_2$	

After optimization

Before optimization

Within the block → local . }
Many blocks → global . }

We are eliminating the variables having same values as previously assigned to some other variable. In short, we are eliminating the common expression.

Where our start expression will be the start of a block and where we encounter some jump or loop ending expression → there will be the end of the block.

The common sub-expression is an expression appearing repeatedly in the code which is computed previously. This technique replace redundant expressions each time it is encountered.

Constant folding:

Eg:- $\pi = 3.14$
 $r = 5$

$$\text{Area} = \pi * r * r;$$

Eg:- $\text{length} = \left(\frac{2\pi}{\pi}\right) * d.$

It refers to a technique of evaluating the expression whose operands are known to be constant at compile time itself.

Code movement or code motion technique

It is a technique of moving a block of code outside a loop, if it wouldn't have any difference if it is inside or outside the loop.

Before code movement

Eg:- ① $\text{for } (\text{int } i=0; i \leq 10; i++)$
 {
 $x = y + z;$
 $a[i] = 6 * i;$
 }

After code movement

② $x = y + z;$
 $\text{for } (\text{int } i=0; i \leq 10; i++)$
 {
 $a[i] = 6 * i;$
 }

Dead code elimination

It include eliminating those code segments which are either never executed or unreachable.

If variable is live at a point in a program if its value can be used subsequently otherwise it is dead at that point.

Eg:- If we are assigning a variable true and we are checking that variable is false then there are

Some execution related to the condition. So that condition will never be executed. So we have to remove these code (dead code).

int i = 1

if $i = 0$ is never get executed (we have to eliminate this)

⑤ Induction variable and reduction in strength

Those variables whose value is increased or decreased by same constant value are known as induction variable.

As cost of multiplication is more than addition \rightarrow we will replace mult with add if possible & known as reduction in strength.
The induction variables leads to strength reduction and eliminate computation.
It is replacement of expression that are expensive with cheaper and simple one.

- * Cause of redundancy (read from book)
- * Blocks concept

loop optimization

- ① loop movement or code motion.
- ② induction variable
- ③ loop invariant
- ④ loop unrolling
- ⑤ loop fusion and loop jamming

③ Loop invariant

The computation inside the loop is avoided & thereby computational overhead on compiler is avoided.

for (int i = 0; i \leq 10; i++)

{

$$P = a/b + i$$

}

Before optimization

$$t = a/b$$

for (int i = 0; i \leq 10; i++)

$$P = t + i$$

}

After optimization

25/09/18

④ loop unrolling

→ Reduce the number of loops to half.

→ The number of jumps and test can be reduced while writing the code two times.

Before optimization

```
int i = 1;  
while (i <= 100)  
{  
    a[i] = b[i]  
    i++  
}
```

After optimization

```
int i = 1  
while (i <= 100)  
{  
    a[i] = b[i]  
    i++  
    a[i] = b[i]  
    i++  
}
```

All these optimization is done by compiler not by us.

⑤ loop fusion and loop jamming

Some adjacent loops can be fused into one loop to reduce loop overhead & improve run-time performance.

Basic Block and Flow Graph

The basic block is a sequence of consecutive statements which are always executed in sequence without halt or possibility of branching.

if $a < b$ then 1 else 0

$$a = b + c + d$$

$$x_1 = b + c$$

~~$$x_2 = c + d$$~~

~~$$a = \underline{\underline{x_1}} \underline{\underline{x_2}}$$~~

if $a < b$

- ① if ($a < b$) goto ⑤
- ② $t_1 = 0$
- ③ $t_1 = 1$.
- ④

Rules to convert 3-address code to Basic block

Rule 1 - Determine the leader :

- (a) The first statement is a leader.
- (b) Any target statement of conditional and unconditional goto is a leader.
- (c) Any statement that immediately follows goto is a leader.

Rule 2 - The basic block is formed starting at the leader statement and ending just before the next leader statement appearing

① $i = 1$ (L) B₁
 ② $j = 1$ (L) B₂
 ③ $t_1 = 10 * i$ (L)
 ④ $t_2 = t_1 + j$
 ⑤ $t_3 = 8 * t_2$
 ⑥ $t_4 = t_3 - 88$
 ⑦ $a[t_4] = 0 \cdot 0$
 ⑧ $j = j + 1$
 ⑨ if $j <= 10$ goto ③
 ⑩ $i = i + 1$ (L) B₄
 ⑪ if $i < 10$ goto ②
 ⑫ $i = 1$ (L) B₅

⑬ $t_5 = i + 1$ (L)
 ⑭ $t_6 = 8 \cdot 8 * t_5$
 ⑮ $a[t_6] = 1 \cdot 0$
 ⑯ $i = i + 1$
 ⑰ if $i < 10$ goto ⑧
 B₆

There are total 6 basic blocks

The basic block doesn't have any jump statement among them. When the first statement is executed, all the "inst" in the same basic block will be executed in ^{the} sequence of appearance without losing the flow control of the program.

- First we will have 3-address code.
- We will convert it to DAG to apply rules to it
- We will then convert it to 3-address code
- Data flow analysis.

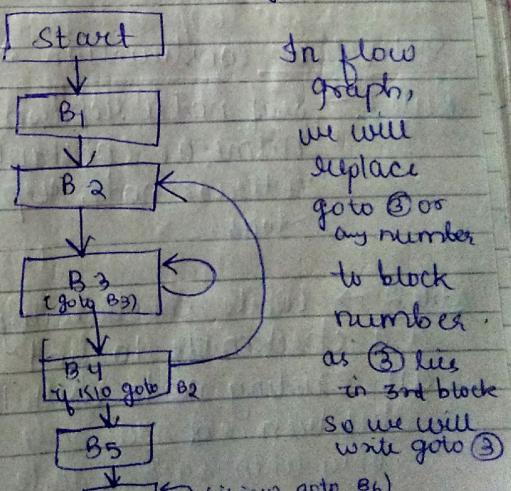
Flow graph

If flow graph is a directed graph in which the flow control information is added to basic blocks.

Rule 1 → The basic blocks are the nodes to the flow graph.

Rule 2 → The block whose leader is the first statement is called initial block.

Rule 3 → There is a direct edge from block B₁ to block B₂, if B₂ immediately follows B₁ in the given sequence



Optimization of basic blocks

① Representation of basic block using DAG

DAG_i is a useful data structure for implementing transformation on basic block. A basic block can be optimized by ~~using~~ the construction of DAG_i.

→ A DAG_i can be constructed for a block and certain transformations such as

~~Common subexpression elimination~~ and dead code elimination can be applied for performing the local optimization.

→ A DAG_i is constructed from 3-address statements.

Rules for construction of DAG_i

Rule 1 - Leaf nodes represent identifiers, name or constants and interior node represent operators.

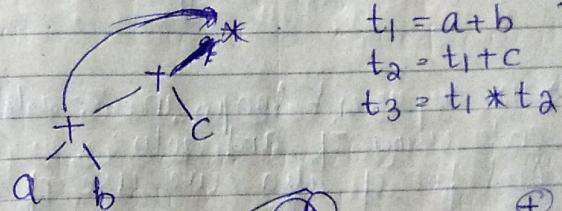
Rule 2 → While constructing DAG_i, there is a checkmate to find if there is an existing node with the same children. A new node is created only when such a node doesn't

exist. This action allows us to detect common sub-expression and eliminate the re-computation of the same.

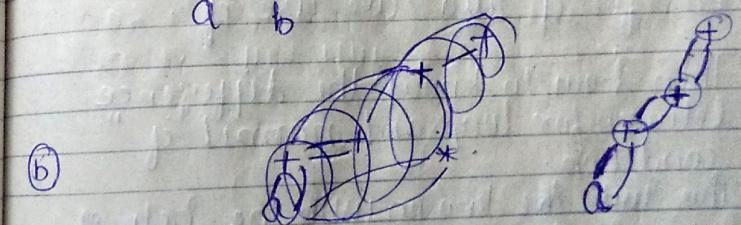
(a+b) * (a+b+c)

((a+a) + (a+a)) + ((a+a) + (a+a))

(a)



(b)



$t_1 = a+a$
 $t_2 = t_1 + t_1$
 $t_3 = t_2 + t_2$

29/10/18

Loop optimization

① Detect loops.

② For detecting loops:

→ CF in PFG_i

(CF → control flow
PFG → program flow graph)

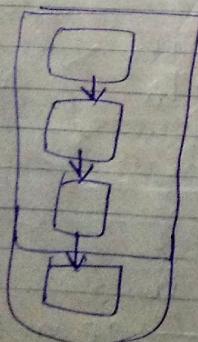
- CF analysis of PFG
- ③ For PFG
 → we need BB.

- ④ For BB → we find out leaders.

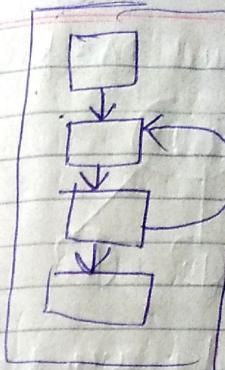
→ We represent loops in 3-address code using if and goto.
And for if also we use if.

Then how to know the difference between for loop and normal if condition.

This will be known with the help of basic blocks.



No loop, then
normal if
statement



loop exists

(→ here there is no
normal if condition,
but there is loop).

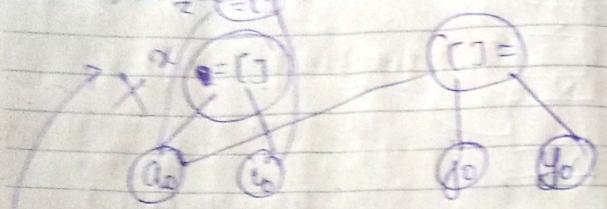
For detecting loops → we need program flow graph → for PFG
we need basic blocks (BB) →
for Basic blocks (BB) → we need leaders
(This is the chaining rule).

Eg:- $x = a[i]$ ①
 $a[j] = y$ ②
 $z = a[t]$

① If we are putting array's value into variable, we will be using $= []$
It will have 2 children (a_0 and i_0)
and value is being stored in x .

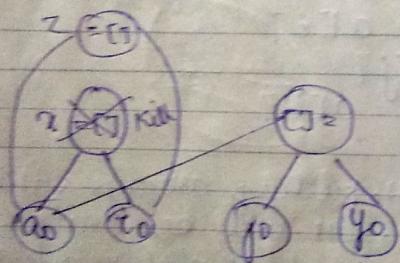
② If we are putting variable value into array, we will be using $[] =$
and it will have 2 children
(a_0, j_0, y_0).

Now, we have to construct DAG for this



If value of i and j are same
then we can kill x node.

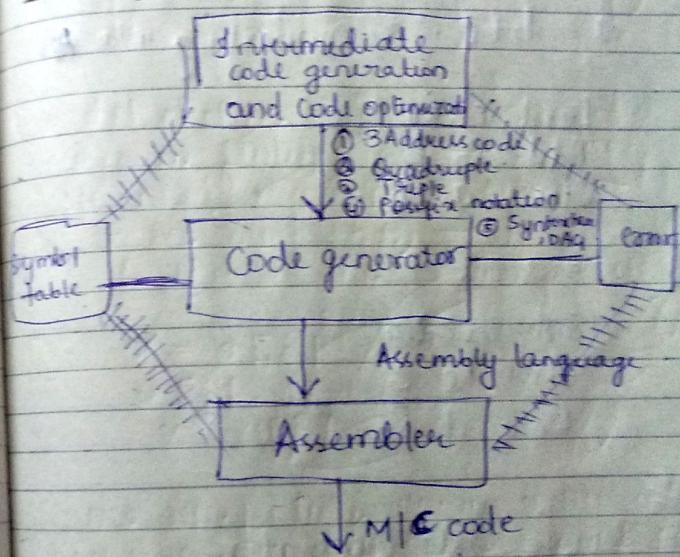
Now, in this case we are not using
 x further, as we are replacing
it with z ($z = a[i]$), so
here also we will kill x node.



(x is killed because, it is not
being used further).

$$\begin{aligned} b &= a + 1 \\ x &= b[i] \\ b[j] &= y \end{aligned}$$

Code generation:



Errors in code generation
If input is different from the above (5),
then code generation won't happen
nicely.

⑥ The O/p of the code generation,
should be such that assembler can

Convert it into machine code.

(3) Instruction selection

(4) Register allocation

$a = b + c$ → converting into AL

Load c R0

Add R0 b

Store a R0

$d = a + e$

Load d R0

Add R0 e

Store d R0

01/11/18.

A Simple Code Generator.

→ If we have 3-address code, then we have to convert it into assembly language code.

→ Register Descriptors:- It tracks which register, which variable is there

Tracks < Register, variablename >

Address Descriptors:

Tracks which variable is in which location

Tracks < variablename, Location >

We have a function here, GetReg().

Suppose we have 3 reg. R1, R2, R3

$$A = B + C$$

Load R1, B

Load R2, C

Add R3, R1, R2

We are performing operation by loading variables in registers then cost is less, but if we are directly performing with memory location then cost is more. This all depends on machine architecture.

Get Reg():

→ Find register R for computing $A = B \oplus C$.
Op → operation

① If B is already in the register

and B is live after the block then return register R.

- ② If ① fails, return an empty register or if available.
 - ③ If ② fails, then use a heuristic to find an occupied register and empty that register.
- Basis on which heuristic is based:-
- ① A register whose content are referenced farthest in future.
 - ② The number of next user is smaller i.e., used for few time.

Here we will use command,

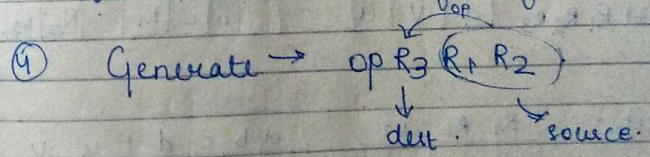
MOV C R₁.

Moving content of R₁ to location thus update the address descriptor

- ④ Update register & address descriptor at every step.

Here we are assuming that no register is globally assigned. We are talking in terms of 1 block

Algorithm:-

- ① For each quadruple $A = B \text{ op } C$ do the following steps:-
 - ① Find a location L to perform B op C. Usually a register can return by get Reg() function.
 - ② Where is the location of B.
③ B found using address descriptor.
If B is both in memory & register use register for the operation and if B is in memory then load it in register.
 - ③ Where is the location of C.
Same as B we will find for C.
 - ④ Generate $\xrightarrow{\text{op}} \text{op } R_3(R_1, R_2)$

 - ⑤ Update descriptor (address & register both) for R₁, R₂ and R₃

Register Descriptors			Addressing Desp.					
R ₁	R ₂	R ₃	a	b	c	d	t	u
$t = a - b$	a	b	a	b	c	d	t	u
load R ₁ a load R ₂ b sub R ₂ R ₁ , R ₂								
$u = a - c$	a	t	a	t	b	c	d	t
load R ₃ c sub R ₃ R ₁ , R ₃								
$v = t + u$	a	t	u	a	b	c	d	t
Add R ₂ R ₂ , R ₃				a, R ₁	b	c	d	R ₂ , R ₃
$a = d$	a	v	u	a, R ₁	b	c	d	t, u, v
load R ₁ d								
$a = d$	a	v	u	R ₁	b	c	R ₁	t, u, v
	a	v	u					
	a	v	u	R ₁	b	c	d	R ₃ , R ₂

As value of a has been updated, so a is no more in memory location.

$$d = v + u \quad R_1 \quad R_2 \quad R_3 \quad \begin{array}{|c|c|c|} \hline a & b & c & d & t & u & v \\ \hline -b & c & R_1 & -R_3 & R_3 & R_3 \\ \hline \end{array}$$

Add R_1, R_2, R_3

Exit	R_1	R_2	R_3	a	b	c	d	t	u	v
	-	-	-	-	b	c	d	-	u	v

Machine Independent Optimization

- loop joining
→ Constant folding, etc

Machine dependent Optimization

(After ^{native} code generation)

- Register Allocation
 - Addressing mode.

Peephole Optimization

Optimizations (Small peephole window; we will slide it & find if we can reduce the redundant code).

- ① Eliminate load and store statements.
 - ② Eliminate unreachable code.
 - ③ Flow of control optimization.
 - ④ Algebraic simplification and reduction in strength.

- ① Load Ro a
Store a Ro } Eliminate this type

- ⑤ Jump over `Jump` statements.

→ Algebraic Simplification

④

$$x = x + 1 : \\ n^2 = n + 1 ;$$

} Eliminate
this type.

⑤

$$y = x^2$$

} Don't use this,
instead of this we

$$y = x * x$$

Reduction

in strength.

→ X →