



Technical Model Description

The ICON developer group

Deutscher Wetterdienst and Max Planck Institute for Meteorology

June 3, 2011

Contents

1	Cou	ıpling [Dynamics to Physics in ICONAM	5
	1.1	The Co	oupling Interface	5
		1.1.1	Flow of Physic Calls	5
2	Diag	gnostic	cs and Debugging	9
	2.1	Testca	ses and Diagnostics	9
		2.1.1	Jablonowski Williamson Test	9
		2.1.2	Mountain Rossby wave	
	2.2	Debug	gging	9
		2.2.1	Message Levels	9
		2.2.2	Extra output	9
		2.2.3	Diagnostics using tendencies	10
3	Trar	nsport		11
	3.1	Ārgun	nent lists	11

1 Coupling Dynamics to Physics in ICONAM

1.1 The Coupling Interface

The motivation to create a coupling interface between physics and dynamics comes from several demands

- 1. have a clean port to dock the physical parametrizations when new developments come into the model
- 2. define all fields and variables coming from the dynamics at one place to be valid for all schemes
- 3. to recalculate the prognostic fields from the dynamical core in different definition (e.g. θ_v) or from different place (winds at the edges and not at the center) forth and back.

1.1.1 Flow of Physic Calls

One important task of the interface is the organisation of physical contributions to the prognostic variables.

In order to be stable and consistent but also efficient in computation we do a compromise between sequential and accumulated updating of the prognostic stage of our fields. Therefore we consider some physical processes as fast ones which should update their contributions in a cumulative way, meaning that each process see the contributions of the one acting before it. Currently the cloud microphysics, the turbulence scheme and the surface model fall into this category.

At which place the surface model has to be called is still under discussion.

Other processes are considered to act more slowly on the atmosphere. Therefore they will be called less often, they see the updated stage of the fast processes and they give out *tendencies* working on the dynamical fields at the next time step. These are the radiation, convection, cloud cover, and the gravity wave related schemes.

This introduces an additional complexity and care must be taken on the place and time of the diagnostic of the variables *temperature* and *pressure* The overall flow - how physics works together with dynamics is scetched in Figure 1.1. The full inner flow is described below:

• THE FAST PROCESSES

- 1. CALL nh_update_prog_phy The hydrometeor variables are updated at first, immediately after their advection is completed.
- 2. CALL diagnose_pres_temp Temperature and pressure will be diagnosed out of exner pressure and the moist potential temperature on both half and full levels.
- 3. CALL satad_v_3D The saturation stage of the atmosphere is checked and water vapor is converted into cloud water or vice versa.

- 4. Out this the set of prognostic fields is recalculated and so updated.
- 5. CALL rbf_vec_interpol_cell Interpolation of winds from egdes to cells
- 6. CALL diagnose_pres_temp diagnose Pressure, Temperature at half and full levels
- 7. CALL nwp_turbulence Currently the COSMO turbulence and the ECHAM turbulence scheme are available
- 8. CALL diagnose_pres_temp only diagnose pressure, since temperature is at actual state!
- 9. CALL nwp_microphysics Currently this leads to the current COSMO microphysics with 5 prognostic hydrometeors.
- 10. CALL pre_radiation_nwp calculates the zenith angle for the heating rates
- 11. CALL radheat heating rates are calculated each time step
- 12. recalculate the prognostic variables

THE SLOW PROCESSES

- 1. CALL diagnose_pres_temp At the first timestep diagnose Pressure and temperature, later on only the pressure needs to be diagnosed since temperature is up to date.
- 2. CALL nwp_convection Currently the Tiedtke-Bechtold code is implemented
- 3. CALL cover_koeh 3 different types of cloud diagnostics are behind.
- 4. CALL nwp_radiation two Radiation sets: RRTM and Ritter-Geleyn
- 5. CALL pre_radiation_nwp calculates the zenith angle for the heating rates
- 6. CALL radheat heating rates are calculated each time step because of the diurnal cycle
- 7. CALL nwp_sso
- 8. CALL nwp_gwd
- 9. collect the scalar tendencies of the slow processes
- 10. recalculate the prognostic variable

convert temperature tendencies into exner tendencies Since the exner function shows up as $\Pi = \frac{T_v}{\theta_v}$ this relates to pressure and virtual temperature tendencies

$$\frac{d\pi}{dt} = \frac{1}{c_{pd}\theta_v\rho} \frac{dp}{dt} \tag{1.1}$$

$$\frac{dp}{dt} = (c_p/c_v - 1)Q_h + c_p/c_vQ_h \tag{1.2}$$

where
$$Q_h = \frac{dT}{dt}|_{phys}$$
 (1.3)

and
$$Q_m = R_d T \rho \frac{d\alpha}{dt}$$
. (1.4)

The resulting tendency can be written as

$$\frac{d\pi}{dt} = \frac{R}{c_v \theta_v} \left(\frac{dT}{dt} + T \frac{d\alpha}{dt} \right)$$
 (1.5)

SLOW	DYNAMICS	HYD – ADV	HYD – UPDATE	SATAD	FAST – PHYSICS	SLOW
-PHYSICS						-PHYSICS
Radiation,	Wind	$Advection\ of$	Hydrometeor	Saturation	Turbulence	Radiation,
Convection,	and	hydrometeors	update	adjustment	$and\ Diffusion,$	Convection,
cloud cover	$Exner\ pressure$	$and\ tracers$			Microphysics	cloud cover
$\Delta ec{v}_{n_{phy}}$	$\vec{v}_n^{t+1} = \vec{v}_n^t + \Delta \vec{v}_{n_{dyn}} + \Delta \vec{v}_{n_{phy}}$				$\Delta \vec{v}_{n_p h_y}$	$\Delta \vec{v}_{n_{phy}}$
$\Delta\pi_{sp}$	$\pi^{t\star} = \pi^t + \Delta \pi_{dyn} + \Delta \pi_{sp}$			$\pi^{t\star\star} = \pi^{\star} + \Delta \pi_{satad}$	$\pi^{t+1} = \pi^{t\star,\star} + \Delta \pi_{fp}$	$\Delta\pi_{sp}$
$\Delta Q x_{sp}$		$Qx^{t\star} = Qx^t + \Delta Qx_{adv}$	$Qx^{t\star \star} = Qx^{t\star} + \Delta Qx_{sp}$	$Qx^{t\star} = Qx^t + \Delta Qx_{adv} \left Qx^{t\star \star} = Qx^{t\star} + \Delta Qx_{sp} \right Qx^{t\star \star \star} = Qx^{t\star \star} + \Delta Qx_{satad}$	$Qx^{t+1} = Qx^{t\star\star} + \Delta Qx_{fp}$	$\Delta Q x_{sp}$
$t_{step} = 1$						
$t_{step} = t_{dyn}$						
$t_{step} = t_{adv}$						
$t_{step} = t_{dyn}$						
$t_{step} = t_{slowphys}$						
$t_{step} = t_{dyn}$						
$t_{step} = t_{adv}$						

Figure 1.1: Application flow of Physics calls

2 Diagnostics and Debugging

2.1 Testcases and Diagnostics

For tescase details the reader is referred to ... Here only some special setups are described.

2.1.1 Jablonowski Williamson Test

This test can be run for dry dynamics only - as it is intended for- but full physics can be also tested. For the latter two additional namelist parameters are introduced in the testcase_ctl to control the initial moisture in the atmosphere:

- here rh_at_1000hpa to be set between 0 and 1. The default is set to 0.7 which gives a quite smooth start. If you really want to see early onsets of convection and microphysics just tuned this parameter.
- qv_max is usually set to 2.e 3kg/kg and refers to the maximum value in the tropics

2.1.2 Mountain Rossby wave

In order to test the model dynamics in dry stage but with real or any complex topography one can choose the mountain rossby wave test and selet different types of topography. By setting this you might want to have the turbulence scheme switched on while the rest of physics is switched OFF. Simulating dry physics means to set the tracer fields to zero. The transport is nto necessary but should be switched off via the transport namelist, so the resulting namelist setting for this case is:

```
testcase_ctlnh_test_name = 'mrw_nh'nh_test_name = 'mrw_nh'
```

2.2 Debugging

2.2.1 Message Levels

2.2.2 Extra output

1. In the namelist run_ct1 set the number of fields with inextra_2d or inextra_3d. The logical variable for output lwrite_extra then will be set automatically. Note, the number of extra fields is limited by 9 each for 2D and 3D.

- 2. USE these variables in the module needed.
- 3. Implement the storage of wished fields by using the nonhydrostatic diagnostic type with $p_diag%extra_2d/3d$.

Example for the use of p_diag%extra_2d:

2.2.3 Diagnostics using tendencies

3 Transport

3.1 Argument lists

Argument lists of the following subroutines are documented below:

- step_advection (table 3.1)
- vert_upwind_flux (table 3.2)
- hor_upwind_flux (table 3.3)

		Table 3.1	I: Argument	list of driver su	3.1: Argument list of driver subroutine step_advection	advection
	physical	physical variable	a	units	INTENT	
Name	ICOHAM	ICONAM	ICOHAM	ICONAM		description
p-patch	I	I	ı	I	Z	patch on which computation is performed
p_int_state	I	I	I	I	Z	interpolation state
p- $dtime$	Δt	Δt	s	S	Z	time step
k_step	I	I	Н	\vdash	Z	time step counter
p_tracer_now	\overline{q}_k^n	\overline{q}_k^n	$kg kg^{-1}$	$kg kg^{-1}$	Z	4D tracer array
$p_mflx_contra_h$	$\Delta p^{n+\alpha}v_n^{n+\alpha}$	$\rho^{n+1/2}\Delta zv_n^{n+1/2}$	$kg s^{-3}$	$kgm^{-1}s^{-1}$	Z	horizontal mass flux at edge midpoints
$p_vn_contra_traj$	$v_n^{n+\alpha}$	$v_n^{n+1/2}$	ms^{-1}	$m s^{-1}$	Z	normal velocity component at edge midpoints
$p_mflx_contra_v$	$(\dot{\eta}\frac{\partial p}{\partial \eta})_{k-1/2}^{n+\alpha}$	$\rho_{k-1/2}^{n+1/2}w_{k-1/2}^{n+1/2}$	$Pa s^{-1}$	$kg m^{-2} s^{-1}$	INOUT	contravariant vertical mass flux at half level centers
$p_w_contra_traj$	$(\dot{\eta}\frac{\partial p}{\partial \eta})_{k-1/2}^{n+\alpha}$	$w_{k-1/2}^{n+1/2}$	$Pa s^{-1}$	$m s^{-1}$	Z	contravariant vertical velocity at half level centers
$p_cellhgt_mc_now$	Δp_k^n	Δz_k	Pa	m	Z	cell height at cell circumcenter
$p_delp_mc_new$	Δp_k^{n+1}	$\rho_k^{n+1}\Delta z_k$	Pa	kgm^{-2}	Z	new weighted density
$p_delp_mc_now$	Δp_k^n	$ ho_k^n \Delta z_k$	Pa	kgm^{-2}	Z	old weighted density
$p_pres_mc_now$	p_k^n	$\frac{\kappa}{\kappa}$	Pa	m	Z	full level height
$p_pres_ic_now$	$p_{k-1/2}^n$	$^{2k-1/2}$	Pa	u	Z	half level height
$p_grf_tend_tracer$	$\Delta t rac{\partial q}{\partial t}$	$\Delta t rac{\partial q}{\partial t}$	$kg kg^{-1}$	$kg kg^{-1}$	INOUT	interpolated tracer time tendencies
p_tracer_new	\overline{q}_k^{n+1}	\overline{q}_k^{n+1}	$kg kg^{-1}$	$kg kg^{-1}$	INOUT	updated 4D tracer array

Table 3.1: Argument list of driver subroutine step_advection

			0			
	physical	physical variable	un	units	INTENT	
Name	ICOHAM	ICONAM	ICOHAM	ICONAM		description
p-mflx_tracer_h	F_i^n	F_i^n	$kg s^{-3}$	$kg m^{-1} s^{-1}$	INOUT	horizontal tracer mass flux at edge midpoints
$p_mflx_tracer_v$	$F_{k-1/2}^n$	$F_{k-1/2}^n$	$Pa s^{-1}$	$kg m^{-2} s^{-1}$	INOUT	vertical tracer mass flux at half level centers
opt_rho_ic	I	$\rho_{k-1/2}^{n+1/2}$	I	kgm^{-3}	OPT IN	half level density (NH-core only)
opt_topflx_tra	I	$F_{1/2}^n$	$Pa s^{-1}$	$kg m^{-2} s^{-1}$	OPT IN	vertical tracer flux at upper boundary (NH-core only)
opt_q_int	I	$\overline{q}_{1/2}^n$	I	$kg kg^{-1}$	OPT OUT	tracer value at upper boundary of child nest (NH-core only)
$opt_ddt_tracer_adv$	$\frac{\partial q}{\partial t}$	$\frac{\partial q}{\partial t}$	$kg kg^{-1} s^{-1}$	$kgkg^{-1}s^{-1}$ $kgkg^{-1}s^{-1}$	OPT INOUT	advective tendency (NH-core only)

-		Table 3.2: Argument list of subroutine vert_upwind_flux	gument list of	subroutine ver	t_upwind_f	lux
	physica	physical variable	un	units	INTENT	
Name	ICOHAM	ICONAM	ICOHAM	ICONAM		description
p-patch	I	I	I	ı	Z	patch on which computation is performed
p-cc	\overline{q}^n	\overline{q}^n	$kg kg^{-1}$	$kg kg^{-1}$	Z	advected cell centered variable (3D field)
$p_mflx_contra_v$	$(\dot{\eta} rac{\partial p}{\partial \eta})^{n+lpha}$	$\rho^{n+1/2}w^{n+1/2}$	$Pa s^{-1}$	$kg m^{-2} s^{-1}$	INOUT	contravariant vertical mass flux at half level centers
p_w_contra	$(\dot{\eta} rac{\partial p}{\partial \eta})^{n+lpha}$	$w^{n+1/2}$	$Pa s^{-1}$	$m s^{-1}$	Z	contravariant vertical velocity at half level centers
p- $dtime$	Δt	Δt	S	s,	Z	time step
p-pres_ic	$p_{k-1/2}^n$	$z_{k-1/2}$	Pa	m	Z	half level height
p-pres- mc	p_k^n	z_k	Pa	m	Z	full level height
$p_cellhgt_mc_now$	Δp^n	$z \nabla$	Pa	m	Z	cell height at cell circumcenter
$p_rcellhgt_mc_now$	$1/\Delta p^n$	$1/\Delta z$	Pa^{-1}	m^{-1}	Z	reciprocal cell height at cell circumcenter
$p_cellmass_now$	Δp^n	$du \nabla^n \Delta z$	Pa	$kg m^{-2}$	Z	1D cell mass
p_ivadv_tracer	I	I	т	_	Z	selects numerical scheme for vertical transport
p_itype_vlimit	I	I	1	-	Z	selects limiter for vertical transport
p_iubc_adv	I	I		_	Z	selects upper bpoundary condition
p_iadv_slev	I	I		_	Z	vertical start level
$p_{-up} = - \frac{1}{2} \int_{-u}^{u} du du$	$F_{k-1/2}^n$	$F_{k-1/2}^n$	$Pa s^{-1}$	$kg m^{-2} s^{-1}$	OUT	vertical tracer mass flux at half level centers
opt_topflx_tra	I	$F_{1/2}^n$	I	$kg m^{-2} s^{-1}$	N	vertical tracer flux at upper boundary (NH core only)

Table 3.2: Argument list of subroutine vert_upwind_flux

	physical variable		units	its	INTENT	
Name	ICOHAM	ICONAM	ICOHAM	ICOHAM ICONAM		description
opt_q_int	ı	$\overline{q}_{1/2}^n$	I	$kg kg^{-1}$	OUT	tracer value at upper boundary of child nest (NH core only)
opt_rho_ic	I	$\rho_{k-1/2}^{n+1/2}$	I	$kg m^{-3}$	OPT IN	half level density (NH-core only)
$opt_rlstart$	I	I	_	1	OPT IN	refinement control start level
opt_rlend	I	Ι	1	1	OPT IN	refinement control end level

Table 3.3: Argument list of subroutine hor_upwind_flux

	physical	physical variable	in	units	INTENT	
Name	ICOHAM	ICONAM	ICOHAM	ICONAM		description
p-cc	du	\overline{q}^n	$kg kg^{-1}$	$kg kg^{-1}$	ZI	advected cell centered variable (3D field)
p- $c0$	$u \overline{\underline{b}}$	du	$kg kg^{-1}$	$kg kg^{-1}$	Z	advected cell centered variable (3D field) step (n)
$p_mass_flx_e$	$\Delta p^{n+\alpha}v_n^{n+\alpha}$	$\rho^{n+1/2}\Delta zv_n^{n+1/2}$	kgs^{-3}	$kg m^{-1} s^{-1}$	ZI	horizontal mass flux at edge midpoints
p-v	$v_n^{n+\alpha}$	$v_n^{n+1/2}$	$m s^{-1}$	$m s^{-1}$	Z	normal velocity component at edge midpoints
p_dtime	Δt	Δt	ς,	S	Z	time step
$p ext{-}patch$	I	I	I	I	Z	patch on which computation is performed
p_int	I	I	I	I	Z	interpolation state
p_ihadv_tracer	I	I	1	П	Z	selects numerical scheme for horizontal transport
$p_igrad_c_miura$	I	I	1	—	Z	selects gradient reconstruction method at cell centers
p_itype_hlimit	I	I	1	-	Z	selects limiter for horizontal transport
p_iadv_slev	I	I	П	_	Z	vertical start level
$p_iord_backtraj$	ı	I	1	_	Z	selects method for backward trajectory computaion
pupflux	F_i^n	F_i^n	$kg s^{-3}$	$kg m^{-1} s^{-1}$	INOUI	horizontal tracer mass flux at edge
opt_rlend	I	I	1	1	OPT IN	refinement control end level