M. Sc. Mathematics

Syllabus

UNIVERSITY DEPARTMENT

Program Code: MATA

2020 - 2021 onwards



BHARATHIAR UNIVERSITY

(A State University, Accredited with "A" Grade by NAAC, Ranked 13th among Indian Universities by MHRD-NIRF, World Ranking: Times - 801-1000, Shanghai - 901-1000, URAP - 982)

Coimbatore - 641 046, Tamil Nadu, India

| Program | Programme Educational Objectives (PEOs) | | | | | | | | |
|---------|---|--|--|--|--|--|--|--|--|
| | The M. Sc. Mathematics programme describes accomplishments that graduates are expected to attain within five to seven years after graduation. | | | | | | | | |
| PEO1 | Have professional and ethical responsibility and able to adopt new skills and techniques. | | | | | | | | |
| PEO2 | Be able to plan, organize, lead and work in team to carry out tasks to the success of the team. | | | | | | | | |
| PEO3 | Understand the need for continuous learning and prepare himself/ herself with relevant inter–personal skills as an individual, as a member or as a leader throughout the professional career. | | | | | | | | |
| PEO4 | Be motivated to prepare himself/ herself to pursue higher studies and research to meet out academic demands of the country. | | | | | | | | |
| PEO5 | Communicate mathematical ideas with clarity and able to identify, formulate and solve mathematical problems. | | | | | | | | |
| PEO6 | Have knowledge in wide range of mathematical techniques and application of mathematical methods/tools in scientific and engineering domains. | | | | | | | | |
| PEO7 | Have both analytical and computational skills in mathematical sciences. | | | | | | | | |

| Program | Programme Specific Outcomes (PSOs) | | | | | | | | | |
|-----------|--|--|--|--|--|--|--|--|--|--|
| After the | After the successful completion of M.Sc. Mathematics programme, the students are expected to | | | | | | | | | |
| PSO1 | Solve diverse mathematical problems and capable of analysing the obtained results. | | | | | | | | | |
| PSO2 | Analyze and interpret the outcomes and develop new ideas based on the issues in broader social context. | | | | | | | | | |
| PSO3 | Apply the knowledge and design the methodology to the real world problems. | | | | | | | | | |
| PSO4 | Use the learned techniques, skills and modern mathematical tools suitable to the problem encountered. | | | | | | | | | |
| PSO5 | Acquire problem solving skills, analytical thinking, creativity and mathematical reasoning. | | | | | | | | | |
| PSO6 | Write effective reports and documents, prepare effective presentations and communicate the findings efficiently. | | | | | | | | | |
| PSO7 | Develop confidence to crack the competitive exams like NET, GATE, SET, etc. | | | | | | | | | |



| Progran | Programme Outcomes (POs) | | | | | | | | |
|----------|--|--|--|--|--|--|--|--|--|
| Successf | Successful completion of the M. Sc. Mathematics programme | | | | | | | | |
| PO1 | Inculcates mathematical reasoning among students | | | | | | | | |
| PO2 | Makes students understand fundamental axioms and develop ideas based on them | | | | | | | | |
| PO3 | Equips students analyze and write logical arguments to prove mathematical concepts | | | | | | | | |
| PO4 | Equips students with advanced knowledge and insight in mathematics | | | | | | | | |
| PO5 | Equips students with different types of problem solving methods | | | | | | | | |
| PO6 | Moulds students communicate mathematical ideas precisely | | | | | | | | |
| PO7 | Enhances professional skills in mathematics and some specialized areas of applied mathematics | | | | | | | | |
| PO8 | Equips students with mathematical and computational skills so that they can later get involved in independent research | | | | | | | | |
| PO9 | Produces professionals who can work on real life and challenging problems | | | | | | | | |
| PO10 | Moulds students prepare a written report on technical mathematical content with clarity and coherence | | | | | | | | |

BHARATHIAR UNIVERSITY:: COIMBATORE 641 046 M. Sc. Mathematics Curriculum (University Department)

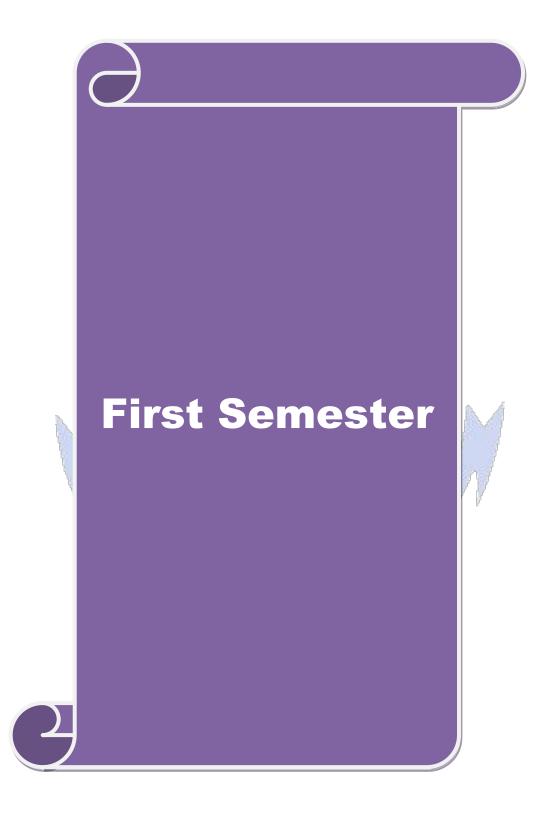
(For the students admitted during the academic year 2020-21 onwards)

| Course Code | Title of the Course | Credits | | per week hours) | Maxi | imum I | Marks | | | | | | |
|-----------------|------------------------------------|---------|---------|--------------------|------|--------|-------|--|--|--|--|--|--|
| | | | Theory | Practical | CIA | ESE | Total | | | | | | |
| | FIRS | T SEMES | TER | | | | | | | | | | |
| 19MATA13A | Algebra I | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA13B | Real Analysis | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA13C | Ordinary Differential Equations | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA13D | Optimization Techniques | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA1E- | Elective I | 4 | 5/3 | 0/4 | 25 | 75 | 100 | | | | | | |
| 191GS | Supportive I | 2 | 2 | 0 | 12 | 38 | 50 | | | | | | |
| | Total | 22 | 27/25 | 0/4 | 137 | 413 | 550 | | | | | | |
| SECOND SEMESTER | | | | | | | | | | | | | |
| 19MATA23A | Algebra II | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA23B | Measure and Integration | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA23C | Partial Differential Equations | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA23D | Mechanics | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA2E- | Elective II | 4 | 5/3 | 0/4 | 25 | 75 | 100 | | | | | | |
| 192GS | Supportive II | 2 | 2 | 70 | 12 | 38 | 50 | | | | | | |
| 1 | Total | 22 | 27/25 | 0/4 | 137 | 413 | 550 | | | | | | |
| | THIR | D SEMES | STER | | | | | | | | | | |
| 19MATA33A | Complex Analysis | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA33B | Topology | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA33C | Fluid Dynamics | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA33D | Mathematical Methods | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA3E- | Elective III | 4 | 5/3 | 0/4 | 25 | 75 | 100 | | | | | | |
| 192GS | Supportive III | 2 | 2 | 0 | 12 | 38 | 50 | | | | | | |
| | Total | 22 | 27/25 | 0/4 | 137 | 413 | 550 | | | | | | |
| | FOUR | TH SEME | STER | | | | | | | | | | |
| 19MATA43A | Functional Analysis | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA43B | Number Theory and Cryptography | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA43C | Nonlinear Differential Equations | 4 | 5 | 0 | 25 | 75 | 100 | | | | | | |
| 19MATA4E- | Elective IV | 4 | 5/3 | 0/4 | 25 | 75 | 100 | | | | | | |
| 19MATA4LP | Project | 8 | 7 | 0 | - | 200 | 200 | | | | | | |
| | Total | 24 | 27/25 | 0/4 | 100 | 500 | 600 | | | | | | |
| | Grand Total | 90 | 108/100 | 0/16 | 511 | 1739 | 2250 | | | | | | |

| CO-SCHOLASTIC COURSES | | | | | | | | | | | | | |
|---------------------------|----------|--------|----|-----|---|-----|--|--|--|--|--|--|--|
| ONLINE COURSES | | | | | | | | | | | | | |
| Swayam, MOOC Course etc., | 2 | - | - | - | - | - | | | | | | | |
| VALUE ADDED COURSES | | | | | | | | | | | | | |
| Value Added Course - I | 2 | 30 | - | 50 | - | 50 | | | | | | | |
| Value Added Course - II | 2 | 30 | - | 50 | - | 50 | | | | | | | |
| CERTII | FICATE (| COURSE | ES | | | | | | | | | | |
| Certificate Course - I | 4 | 30-40 | - | 100 | - | 100 | | | | | | | |
| Certificate Course - II | 4 | 30-40 | - | 100 | - | 100 | | | | | | | |

The scholastic courses are only counted for the final grading and ranking. However, for the award of the degree, the completion of co-scholastic courses is also mandatory.





| Course code | 19MATA13A | Algebra-I | | L | T | P | C |
|---|--|---|-----------|------------|-------|------|-----|
| Core/Elective/S | Supportive | Core | | 4 | 1 | 0 | 4 |
| Pre-requisite | | Basic knowledge in definitions and preliminaries of Group Theory | ous on | 202 202 | | | |
| Course Object | ives: | • | | | | | |
| Learn the 6 Develop th Understand | e ability to form and the fundamental | are to: s and basic ideas involved in homomorp d evaluate group theory and its actions. concepts of abstract algebra which ind ect products and abelian groups. | | | • | | and |
| Expected Cour | rse Outcomes: | | | | | | |
| | | e course, student will be able to: | | | | | |
| | | group actions critically by Cayley's the | eorem. | | | K2 | |
| CO2 Use the | | s on abstract algebra to decide whether | | ment | is a | K4 | |
| CO3 Effectiv | ely write abstract n | nathematical proofs in a clear and logica | l manner. | | | K5 | , |
| CO4 Apply th | ne sylow theorems t | to describe the structure of certain finite | groups. | | | K3 |) |
| CO5 Achieve | enrich k <mark>nowled</mark> ge | of problem solving | | | | K6 | , |
| Unit:1 | , its estatistical, | K3 - Apply; K4 - Analyze; K5 - Evalua Introduction to groups | , 110 | | | ho | urs |
| actions. | . A Company | s - Matrix groups -Homomorphisms a les -Centralizers and Normalizer, Stabil | <i>*</i> | | | Gro | oup |
| Unit:2 | The same of the sa | Subgroups | | | 15 | ho | urs |
| Quotient Grou | | | | | d | | |
| Unit:3 | | Group Actions | | | 15 | ho | urs |
| | m - Groups acting of | resentations - Groups acting on themselven themselves by conjugation - The class | | | iplic | atio | n - |
| | T | | | | | | |
| Unit:4 | | Group Actions | | | 15 | ho | urs |

Unit:5 Direct and semi-direct products and Abelian groups

Direct Products – The fundamental theorem of finitely generated abelian groups - Table of groups of small order – semi direct products.

Unit:6 Contemporary Issues 2 hours

Nilpotent groups-Solvable groups

Total Lecture hours 75 hours

Text Book(s)

1 "Abstract Algebra" by **David S. Dummit** and **Richard M. Foote**, Third Edition, Wiley (2018)

Unit I: Chapter 1: (Sections 1.2, 1.3. 1.4, 1.6, 1.7); Chapter 2: (Sections 2.1, 2.2)

Unit II: Chapter 2: (Sections 2.3); Chapter 3: (Sections 3.1, 3.2, 3.3, 3.5)

Unit III: Chapter 4: (Sections 4.1, 4.2, 4.3, 4.4)

Unit IV: Chapter 4: (Sections 4.5, 4.6)

Unit V: Chapter 5: (Sections 5.1, 5.2, 5.3, 5.5)

Reference Books

- 1 Topics in Algebra by I.N. Herstein, John Wiley & Sons (Second Ed), New Delhi, 1975
- 2 Lectures in Abstract Algebra Vol. I by N. Jacobson, D. Van Nostrand Co., New York, 1976.

Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

1 https://www.youtube.com/watch?v=PN-cro0J_v8&list=PLEAYkSg4uSQ1Yhxu2U-BxtRjZElrfVVcOhttps://nptel.ac.in/courses/111/106/111106113/

Course Designed By: Dr. R. Rakkiyappan

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | S | S | S | -M | S | S | S | S | S |
| CO2 | M | S | S | S | S | S | M | S | S | S |
| CO3 | S | S | M | S | S | M | S | S | S | S |
| CO4 | M | S | S | S | S | S | S | S | S | S |
| CO5 | S | M | S | S | S | S | S | S | M | S |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATA 13 B | REAL ANALYSIS | L | T | P | C |
|--------------------------|--------------------|-----------------------------------|----------|----|----|------|
| Core/Elective/Supportive | | Core | 4 | 1 | 0 | 4 |
| Pre-requisite | | Basic knowledge in Real Analysis | Syllabus | | 20 | 020- |
| | | Dasic Knowledge in Real Allalysis | Versi | on | 20 | 021 |

Course Objectives:

Weierstrass theorem.

The main objectives of this course are to:

- 1. The main objective of this course is to introduce students to the theory and methods of Real Analysis.
- 2. Students should be able to implement the theorems taught in the course to work associated problems, including proving results of suitable accessibility.
- 3. This course will focus on the proofs of basic theorems of analysis.
- 4. The way to establish the proofs, many new concepts will be introduced.
- 5. Understanding the basic concepts and their properties are important for the development of the

| 3. | | nd further courses. | ent of the |
|--------|-----------------------|--|------------|
| Expe | cted Cours | e Outcomes: | |
| On the | e successfu | l completion of the course, student will be able to: | |
| CO1 | | the Riemann integrability and the Riemann-Stieltjes integrability of a function and proved a selection of theorems concerning integration. | K1 |
| CO2 | Recognize of function | te the difference between pointwise and uniform convergence of a sequence ons. | K3 |
| CO3 | | the continuity, differentiability, and integrability of functions defined on the real line. | K4 |
| CO4 | Able to l | learn advanced the Lebesgue measure and Lebesgue integral with related | K5 |
| CO5 | Illustrate | the derivatives of higher order and differentiation of integral. | K6 |
| | | | |
| K1 - I | Remember; | K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create | |
| | | | |
| Unit: | 1 | Continuity | 12 hours |
| Limits | s of functio | ns-Continuous functions-Continuity and Compactness- Continuity and | |
| Conne | ectedness- l | Discontinuities- Monotonic functions- Infinite limits and Limits at Infinity. | |
| Unit: | 2 | Differentiation | 12 hours |
| The D | erivative o | f a Real function- Mean Value Theorems- The Continuity of Derivatives- | |
| L'Hos | spital's Rul | e- Derivatives of Higher Order- Taylor's Theorem- Differentiation of Vector | r-valued |
| Funct | ions. | | |
| Unit:3 | | Riemann Stieltjes Integral | 14 hours |
| Defin | ition and ex | xistence of the integral – Properties of the integral – Integration and different | iation – |
| Integr | ration of vec | ctor-valued functions – Rectifiable curves. | |
| Unit: | | | 15 hours |
| Unifo | rm converg | gence-Uniform convergence and continuity – Uniform convergence and integ | gration – |
| Unifo | rm converg | gence and differentiation – Equicontinuous families of functions – The Stone | - |
| | | | |

| Uni | it:5 | Functions of Several Variables | 20 hours |
|------|-----------------|---|--------------------|
| Lin | ear transform | ations –Differentiation - The contraction principle – The inverse fur | nction theorem – |
| The | e implicit fur | action theorem -Determinants - Derivatives of higher order - D | Differentiation of |
| inte | egrals. | | |
| Uni | it:6 | Contemporary Issues | 2 hours |
| Exp | ert lectures, o | online seminars - webinars | |
| | | | |
| | | Total Lecture hours | 75 hours |
| Tex | kt Book(s) | | |
| 1 | "Principles of | of Mathematical Analysis" by W. Rudin, McGraw-Hill, New York, | 1976 |
| | Unit-I : Cl | napter 4. Unit-II : Chapter 5. Unit-III : Chapter 6. Unit-IV : Chapter 7 | ' . |
| | Unit-V: Ch | apter 9 (Except Rank Theorem) | |
| | | | |
| Ref | ference Book | s | |
| 1 | Mathematica | al Analysis" by Tom. M. Apostol, Second Edition, Addison Wesley | |
| | Publishing F | Iouse. | |
| 2 | ' Mathemati | cal Analysis' by V. Ganapathy Iyer, , Tata McGraw Hill Publishing I | House |
| | | | _ |
| Rel | ated Online | Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| 1 | https://nptel | ac.in/courses/111/106/111106053/ | |
| 2 | https://ocw.i | mit.edu/course <mark>s/mathematics/18-100c-real-analysis-fa</mark> ll-2012/ | |
| 3 | https://cosm | olearning.org/courses/real-analysis-with-prof-sh-kulkarni/ | |
| | 1 | | |
| Cou | ırse Designed | By: Dr. S. Narayanamoorthy | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | S | | S | S | M | S | S | S |
| CO2 | M | S | S | M | S | M | S | S | M | S |
| CO3 | M | M | S | M | M | M | M | S | M | M |
| CO4 | S | M | S | S | S | S | M | S | S | S |
| CO5 | M | S | L | M | L | M | S | M | M | M |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATA13C | ORDINARY DIFFERENTIAL EQUATIONS | S L | | P | C |
|--------------------------|-----------|--|----------------|---|------------|---|
| Core/Elective/Supportive | | Core | 4 | 1 | 0 | 4 |
| Pre-requisite | | Rasic knowledge in differential edilations | Sylla Versi | | 202 202 | |
| Course Objec | tives: | | | | | |

The main objectives of this course are to:

- 1. The main purpose of the course is to introduce students to the theory and methods of ordinary differential equations
- 2. Students should be able to implement the methods taught in the course to work associated problems, including proving results of suitable accessibility.
- 3. Understand the Existence and Uniqueness Theorem and its ramifications.
- 4. This course is designed to prepare students to solve problems arising from many applications such as mathematical models of physical or engineering processes.
- 5. Apply the methods of undetermined coefficients and variation of parameters.

| Expe | ed Course Outcomes: | | | | | | | |
|--------|--|----------|--|--|--|--|--|--|
| On the | successful completion of the course, student will be able to: | | | | | | | |
| CO1 | Explore some of the basic theory of linear ODEs, recognize basic types of linear ODEs for which exact solutions may be obtained and to apply the corresponding methods of solution. | K1 | | | | | | |
| CO2 | Recognize ODEs and system of ODEs concepts that are encountered in the real world, understand and be able to communicate the underlying mathematics involved in order to solve the problems using multiple approaches. | K3 | | | | | | |
| CO3 | Interpret the obtained solutions in terms of the physical quantities involved in the original problem under reference. | | | | | | | |
| CO4 | Determine particular solutions to differential equations with given boundary conditions or initial conditions. | | | | | | | |
| CO5 | Students are introduced to modern concepts and methodologies in differential equations, with particular emphasis on the methods that can be used to solve large-scale problems. | K6 | | | | | | |
| K1 - 1 | emember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create | | | | | | | |
| Unit: | Second Order Linear Equations With Constant Coefficients | 14 hours | | | | | | |
| | ond order homogeneous equations – Initial value problems – Linear dependence and adence - A formula for the Wronskian – The non-homogeneous equation of order two | | | | | | | |
| Unit: | n th Order Linear Equations With Constant Coefficients | 12 hours | | | | | | |
| | eneous and non-homogeneous equations of order n – Initial value problems – Annil to solve a non-homogeneous equation – Algebra of constant coefficient operators. | ilator | | | | | | |
| Unit: | Linear Equations With Variable Coefficients | 12 hours | | | | | | |

Initial value problems for the homogeneous equation- Solutions of the homogeneous equation – The

Wronskian and linear independence –Reduction of the order of a homogeneous equation -

Homogeneous equation with analytic coefficients – The Legendre equation.

| Un | it:4 | Lir | near Equation With Regular Singular Points | 15 hours |
|----------|--------------|--------------|--|-------------------|
| Eul | er equation | | rder equations with regular singular points – Exception | al cases – Bessel |
| equ | ation. | | | |
| | | T | | |
| Un | it:5 | Existe | ence and Uniqueness of Solutions to First Order Equations | 20 hours |
| | | | parated– Exact equations – The method of successive a | approximations – |
| The | Lipschitz o | condition –C | Convergence of the successive approximations. | |
| <u> </u> | | 1 | | |
| | it:6 | 1: | Contemporary Issues | 2 hours |
| Exp | ert lectures | , online sem | inars - webinars | |
| | | | Total Lastons haves | 75 hours |
| | | | Total Lecture hours | 75 Hours |
| | kt Book(s) | | | |
| 1 | | | rdinary Differential Equations" by E.A. Coddington, Pres | ntice Hall of |
| | | , New Delhi, | | |
| | | | ction <mark>s: 1 - 6. Unit II: Chapter 2: Sections: 7</mark> , 8, 10, 11, 12 | |
| | - | | -5, 7, 8. Unit IV : Chapter 4: Sections: 1 - 4, 6 - 8. Unit | V : Chapter 5: |
| | Sections: | 1 - 6. | | |
| | | | | |
| Ref | ference Boo | oks | | Á |
| 1 | "Ordinary | Differential | Equation" by S.C. Deo, Y. Lakshminathan and V. Ra | aghavendra: Text |
| | Book of T | ata McGraw | Hill, New Delhi (Chapters IV, VII and VIII). 1997 (Sec | ond edition) |
| 2 | "Ordinary | Differential | Equations" by P. Haitman:, Wiley, New York, 1964 | |
| | | | | |
| Rel | | | [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| | | | rses/111/107/11110 <mark>7111/</mark> | |
| 1 | 1 | •, 1 / | ourses/mathematics/18-03-differential-equations-spring-2 | 010/widoo |
| | | w.mit.edu/co | varses/ mathematics/ 10-05-differential-equations-spring-2 | 010/VIUCO- |
| 1 | lectures/ | | com/watch?v=CogfMjKUGc0 | 010/VIGEO- |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | S | S | M | M | S | S | M | M |
| CO2 | S | S | S | M | L | S | S | S | S | M |
| CO3 | M | S | S | M | M | M | M | M | L | M |
| CO4 | M | S | S | S | S | L | M | S | S | S |
| CO5 | M | S | S | M | L | S | M | S | S | S |

^{*}S-Strong; M-Medium; L-Low

Course Designed By: Dr. M. Muthtamilselvan

| Course code | 19MATA13D | OPTIMIZATION TECHNIQUES | L | T | P | C |
|-----------------|-----------|--|-------|-----|------------------|---|
| Core/Elective/S | upportive | Core | 4 | 1 | 0 4 | |
| Pre-requisite | | Basic knowledge in Operations Research | Sylla | bus | 2020- | |
| | | Dasic knowledge in Operations Research | Versi | on | 1 0 4 ous 2020- | 1 |
| Course Objectiv | ves: | | | | | |

The main objectives of this course are to:

- 1. The student is expected to be able to understand basic theoretical principles in optimization.
- 2. Define and use optimization terminology and concepts and understand how to classify an optimization problem.
- 3. Be able to implement basic optimization algorithms in a computational setting
- 4. To apply existing optimization software packages to solve engineering problems.

| Expec | ted Course Outcomes: | |
|--------|--|----|
| On the | successful completion of the course, student will be able to: | |
| CO1 | Understand and apply constrained and unconstrained optimization theory including | K2 |
| | the necessary and sufficient optimality conditions and algorithms. | |
| CO2 | Explain the fundamental knowledge of Geometric programming and Dynamic | K3 |
| | programming problems including different methods in order to solve various | |
| | optimization problems arising from engineering areas. | |
| CO3 | The ability to analyze optimization methods to engineering problems, including | K4 |
| | developing a model, defining an optimization problem, applying optimization | |
| | methods, exploring the solution, and interpreting results. | |
| CO4 | Apply and evaluate optimization techniques to find a robust design. | K5 |
| | | |
| CO5 | To Create the acquired knowledge to select the most appropriate method to solve | K6 |
| | the practical applications. | |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1One dimensional minimization methods12 hoursUnrestricted search –Exhaustive search Dichotomous search – Fibonacci method – Golden sectionmethod – Quadratic interpolation method.

 Unit:2
 Unconstrained Optimization
 14 hours

 Random search method – Grid Search method- Univariate method — The simplex method.

 Unit:3
 Constrained Optimization techniques
 14 hours

The Complex method – Sequential linear programming– Basic approach in the method of feasible directions. Transformation techniques – Interior penalty function method.

Unit:4 Geometric Programming 15 hours

Unconstrained Minimization problem-Solution of an unconstrained geometric programming-Primal dual relationship and sufficient conditions in the unconstrained case-Constrained Minimization-Solution of a constrained geometric programming problem. Primal and dual programs in the case of less than inequalities.

Unit:5 Computational procedure in Dynamic Programming 18 hours

Example illustrating the Calculus method of solution – Example illustrating the Tabular method of solution – Conversion of a final value problem into initial value problem- Linear programming as a case of Dynamic programming- Continuous dynamic programming.

| Unit:6 | Contemporary Issues | 2 hours |
|--------|---------------------|---------|
| | | |

Expert lectures, online seminars - webinars

Total Lecture hours 75 hours

Text Book(s)

1 "Engineering Optimization Theory and Practice" by Singiresu S. Rao, Third Ed., 2013

Unit I : Chapter 5 : Sections: 5.3-5.5,5.7,5.8,5.10; Unit II : Chapter 6 : Sections: 6.2-6.4, 6.9,

Unit III: Chapter 7: Sections: 7.4-7.6,7.11,7.13; Unit IV: Chapter 8: Sections: 8.3-8.9

Unit V: Chapter 9: Sections: 9.4-9.9

Reference Books

Hamdy A. Taha, "Operations Research", Seventh Edition, Pearson Education
Asia Editions

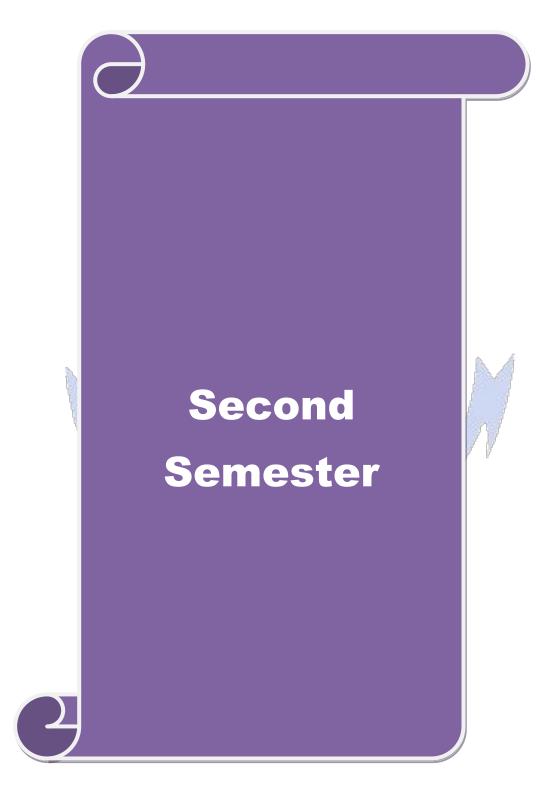
Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

- 1 https://nptel.ac.in/courses/111/105/111105100/
- 2 https://nptel.ac.in/courses/111/104/111104071/
- 3 http://apmonitor.com/me575/

Course Designed By: Dr. S. Narayanamoorthy

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | L | S | S | S | M | S | S | S |
| CO2 | M | M | S | S | M | M | M | S | S | M |
| CO3 | S | S | M | S | S | S | S | M | S | S |
| CO4 | M | M | M | S | L | M | M | M | S | S |
| CO5 | S | S | S | M | S | S | S | S | M | S |

^{*}S-Strong; M-Medium; L-Low



| Course code | 19MATA23A | ALGEBRA-II | L | T | P | C | | | |
|--|---|---|----------------|-------|--------|------|--|--|--|
| Core/Elect | ive/Supportive | Core | 4 | 1 | 0 | 4 | | | |
| Pre-requis | ite | Basic knowledge in definitions and preliminaries of Ring Theory | Sylla Vers | | 202 | | | | |
| Course Ob | jectives: | , | | | | | | | |
| To lea To dev use res | velop student's mathe sults from ring and fi | d notions of abstract algebra which includes ring ematical maturity and enables to build mathematical theory to solve contemporary problems. Inseparable extensions over the splitting fields. | | | - | | | | |
| Expected (| Course Outcomes: | | | | | | | | |
| | * | the course, student will be able to: | | | K1 | | | | |
| | | | | | | | | | |
| | | ship between ring, field and module theory. | | | K2 | | | | |
| | ate and use Chinese ous real life applicat | remainder theorem to solve problems in number ions. | theory | for | K4 | r | | | |
| CO4 Den | nonstrate under <mark>stand</mark> | <mark>ing</mark> of algeb <mark>raic</mark> extensions and <mark>algebraic cl</mark> osure | S. | | K4 | 1 | | | |
| CO5 Ach | nieve enrich kno <mark>wled</mark> | ge of problem solving | | | K5 | ; | | | |
| K1 - Reme | mber; K2 - Understa | nd; K3 - Apply; K4 - Analyze; K5 - Evaluate; K | 6 - Cre | ate | | | | | |
| Unit:1 | | Introduction to Rings | | 1: | 5 ho | urs | | | |
| Examples: | Polynomial rings - M | la <mark>trix rings and group rings – Ring H</mark> omomorphi | sms an | d quo | otient | [| | | |
| rings - Prop | perties of Ideals - Rin | gs of fractions - The Chinese remainder theorem | • | | | | | | |
| Unit:2 | Euclidean do | mains, principal ideal domains and unique factorization domains | | 1: | 5 ho | urs | | | |
| Euclidean d | lomain - Principal id | eal domains - Unique factorization domains. | | | | | | | |
| Polynomia | l rings: Definitions a | and basic properties – Polynomial rings over field | ds. | | | | | | |
| Unit:3 | | Polynomial rings | | 1: | 5 ho | urs | | | |
| fields. | on to Module Theor | e factorization domains-Irreducibility criteria – P ry: Basics definitions and examples – Quotient m | - | | | | | | |
| Unit:4 | | Field theory | | 1 | 3 ho | lire | | | |
| Эши.т | 1 | 1 icia tiicoi y | | 1. | - 110 | 413 | | | |

Basic Theory of field extensions - Algebraic Extensions.

| Un | it:5 | Field theory | 15 hours |
|-----|-------------|---|------------------|
| Sp | litting fie | lds and Algebraic closures - Separable and inseparable extensions - Cyc | elotomic |
| | | s and extensions. | |
| | | | |
| Un | it:6 | Contemporary Issues | 2 hours |
| Fin | ite fields | s-Galois Theory | |
| | | | |
| | | Total Lecture hours | 75 hours |
| Te | xt Book(| (s) | |
| 1 | "Abstra | act Algebra" by David S. Dummit and Richard M. Foote, Third Editio | on, Wiley (2018) |
| | Unit I: | Chapter 7: (Sections 7.2,7.3,7.4,7.5,7.6) | |
| | Unit II | : Chapter 8: (Sections 8.1,8.2,8.3); Chapter 9: (Sections 9.1,9.2) | |
| | Unit II | I: Chapter 9: (Sections 9.3,9.4,9. <mark>5); Chapter 10: (Sections 10.1,10.2,10.3</mark> | 3) |
| | | 7: Chapter 13: (Sections 13.1,13.2) | |
| | Unit V | : Chapter 13: (Sections 13.4,13.5,13.6) | |
| | | | |
| Re | ference l | Books | |
| 1 | Topics | in Algebra by I.N. Herstein, John Wiley & Sons (Second Edition), New | Delhi, 1975. |
| 2 | Lecture | es in Abstract A <mark>lgebra V</mark> ol. I by <mark>N. Jacobson, D. Va<mark>n Nostrand</mark> Co., Nev</mark> | v York, 1976. |
| | I | | |
| Re | lated On | aline Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | 9 |
| 1 | https:// | /www.youtube.com/w <mark>atch?v=yKRbG9Y5pYY&list=PLEAYkSg4uS</mark> Q3AaON5oCb | S6ecwKsoopBN3 |
| | https:// | /nptel.ac.in/courses/1 <mark>11/106/1</mark> 111 <mark>06131/</mark> | 7 |
| 2 | https:// | /www.youtube.com/watch?v=cDCFS68W7ZA | |
| | <u>-</u> | | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | S | S | S | S | S | S | S | S |
| CO2 | M | S | S | S | S | S | S | S | S | S |
| CO3 | M | S | S | S | S | S | M | S | S | S |
| CO4 | M | S | S | S | S | S | S | S | M | S |
| CO5 | S | M | S | S | S | M | S | S | S | S |

^{*}S-Strong; M-Medium; L-Low

Course Designed By: Dr. R. Rakkiappan

| Course code | 19MATA23B | MEASURE AND INTEGRATION | L | T | P | C |
|--------------------|--|---|-----------------|--------|-------|----------|
| Core/Electiv | e/Supportive | Core | 4 | 1 | 0 | 4 |
| Pre-requisite | 2 | K nowledge in Analysis | Syllal Versi | | 2020 | |
| Course Obje | ectives: | | | | | |
| The main obj | ectives of this cou | rse are to: | | | | |
| 2. Construct | Lebesgue's measu | bstract measure theory, definition and main properties are on the real line and in n-dimensional Euclidean Sp directions of the theory. | | inte | gral. | |
| Expected Co | urse Outcomes: | | | | | |
| On the succes | ssful completion o | f the course, student will be able to: | | | | |
| | nstrate understandal Lebesque integ <mark>r</mark> | ding of the basic concepts underlying the definitional. | on of | the | K2 | 2 |
| CO2 Prove | basic results of m | easure theory and integration theory. | | | K3 | ; |
| | | ing of the statement and proof of the fundamental integrand their applications. | gral | | K4 | + |
| | | ing of the statements of the main results on integration pility to apply these in examples. | on | | K4 | - |
| CO5 Apply difficu | | course to solve a variety of problems at an appropriate | level | of | K6 |) |
| K1 - Remem | ber; K2 - Understa | nd; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - C | reate | | | |
| Unit:1 | | Measure on the Real line | | 1: | 2 ho | ur |
| | | Lebesgue Outer measure – Measurable sets – Regrand Outer Measures - Extension of a Measure | ularity | у — | Abst | rac |
| Unit:2 | Measurable F | unctions | | 1 | 4 ho | ur |
| Measure on | the Real Line – | Measurable functions – Borel and Lebesgue Meas | urabil | ity | | |
| Unit:3 | Integ | ration of Functions of a Real Variable | | 1 | 4 ho | ur |
| _ | | eal Variable – Integration of Non–negative Functions -Riemann and Lebesgue integrals | s – 1 | The | Gene | era — |
| Unit:4 | Sign | ed Measures and their Derivatives | | 1: | 5 ho | ur |
| Signed Meas | | Derivatives – Signed Measures and the Hahn Deco | mpos | sition | | The |

Jordan Decomposition - the Radon - Nikodym Theorem.

| Un | it:5 | Measure and Integration in a Product Space | 18 hours |
|-----|---------------|---|-----------------------|
| Me | easure and In | ntegration in a Product Space – Measurability in a Product Space – | The Product Measure |
| and | d Fubini's T | neorem. | |
| | | | |
| Un | it:6 | Contemporary Issues | 2 hours |
| Exp | pert lectures | , online seminars - webinars | |
| | | | |
| | | Total Lecture hours | 75 hours |
| Te | xt Book(s) | | |
| 1 | "Measure | Theory and Integration" by G. De Barra, Wiley Eastern, New Delhi | i, 1981. |
| | Unit I : | Chapters 2 &5: Sections 2.1, 2.2, 2.3, 5.1, 5.2 | |
| | | Chapter 2: Sections 2.4, 2.5 | |
| | | Chapter 3: Sections 3.1, 3.2, 3.3, 3.4 | |
| | | Chapter 8: Sections 8.1, 8.2, 8.3 | |
| | Unit V:C | hapter 10: Sections 10.1, 10.2 | |
| | | | |
| Re | ference Boo | oks | |
| 1 | "Real Ana | lysis" by H <mark>.L. Royd</mark> en, , McMillian Publ. Co, New York, 1993. | |
| 2 | "Lebesgue | Measure and Integration" by P.K. Jain and V.P. Gupta, New Ag | ge Int. (P) Ltd., New |
| | Delhi, 200 | 0. | |
| 3 | "Real and | Complex Analysis" by Walter Rudin, , Tata McGraw Hill Publ. (| Co. Ltd., New Delhi, |
| | 1966. | | |
| | | | |
| Re | | e Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| 1 | | el.ac.in/courses/111/1 <mark>01/1111/01005/</mark> | |
| 2 | 1 1 | el.ac.in/courses/111/101/1111 <mark>01100/#</mark> | |
| 3 | https://ww | w.youtube.com/playlist?list=PLo4jXE-LdDTQq8ZyA8F8reSQHej3 | F6RFX |
| | | The many the second | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | S | S | S | M | S | S | S | S | M |
| CO2 | S | M | M | S | S | S | M | M | S | S |
| CO3 | S | S | S | S | M | S | S | M | S | M |
| CO4 | M | M | S | S | S | M | M | S | S | S |
| CO5 | S | S | S | M | M | M | S | S | M | S |

^{*}S-Strong; M-Medium; L-Low

Course Designed By: Dr. S. Narayanamoorthy

| Course code | 19MATA23C | PARTIAL DIFFERENTIAL EQUATIONS L T I | | | | | | | |
|--------------------------|-----------|--------------------------------------|---------|-----|-----|----|--|--|--|
| Core/Elective/Supportive | | Core | 4 | 1 | 0 | 4 | | | |
| Duo voquigito | | Knowledge in Ordinary Differential | Syllal | bus | 202 | 0- | | | |
| Pre-requisite | | Equations | Version | | 202 | 1 | | | |
| Course Object | ives: | <u> </u> | - | | | | | | |

The main objectives of this course are to:

- 1. Learn the elementary concepts and basic ideas involved in partial differential equations.
- 2. Develop the mathematical skills to solve problems involving partial differential equations rather than general theory.
- 3. Solve linear second order PDEs using canonical variables for initial-value problems, separation of variables and boundary value problems.
- 4. Understand the partial differential equations as models of various physical processes such as mechanical vibrations, transport phenomena and electrostatics.
- 5. This course focuses on partial differential equation (PDE) models, which will be developed in the context of modeling heat and mass transport and, in particular, wave phenomena, such as sound and water waves.

Expected Course Outcomes: On the successful completion of the course, student will be able to: CO₁ Know the various types of methods and their limitations to solve the pdes. K2 CO₂ Extract information from partial differential equations to interpret the reality. K3 CO₃ Identify the physical situations formulate mathematical models using pdes. K4 CO4 Solve practical PDE problems with finite difference methods, implemented in code, K4and analyze the consistency, stability and convergence properties of such numerical Apply the acquired knowledge to select the most appropriate method to solve the CO₅ K6 particular partial differential equations. K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Nonlinear Partial Differential Equations of the First Order 12 hours Unit:1 Cauchy's method of characteristics-Compatible systems of first order equations - Charpit's method-

Special types of first order equations – Jacobi's method. Partial Differential Equations of Second Order 14 hours

The origin of second-order equations – Linear partial differential equations with constant coefficients - Equations with variable coefficients -Characteristic curves of second-order equations-Characteristics of equations in three variables.

Unit:3 **Partial Differential Equations of Second Order** 14 hours The solution of linear hyperbolic equations - Separation of variables - The method of integral transforms – Nonlinear equations of the second order.

Unit:4 Laplace's Equation 15 hours

The occurrence of Laplace's equation in physics- elementary solution of Laplace's equation – Families of equipotential surfaces - boundary value problems Separation of variables- Problems with axial symmetry.

Unit:5 The Wave Equation 18 hours

The occurrence of wave equation in physics – Elementary solutions of the one-dimensional wave equation – vibrating membranes: Applications of the calculus of variations – Three dimensional problems. The diffusion equation: Elementary solutions of the diffusion equation – Separation variables- The use of integral transforms

Unit:6 Contemporary Issues 2 hours

Expert lectures, online seminars - webinars

Total Lecture hours

75 hours

Text Book(s)

Elements of Partial Differential Equations" by I. N. Sneddon, McGraw-Hill Book Company, Singapore, 1957.

Unit-I: Chapter 2: Sections: 7, 8, 9, 10, 11, 13.

Unit-II: Chapter 3: Sections: 1, 4, 5, 6, 7. Unit-III: Chapter 3: Sections: 8, 9, 10, 11.

Unit-IV: Chapter 4: Sections: 1, 2, 3, 4, 5, 6.

Unit-V: Chapter 5: Sections: 1, 2, 4, 5; Chapter 6: Sections: 3, 4, 5.

Reference Books

- 1 "Differential Equations, Graduate Studies in Mathematics" by L.C. Evans Partial Vol. 19, American Mathematical Society, 1998.
- 2 "Partial Differential Equations", by F. John, 3rd Edition, Narosa, 1979.

Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

- 1 https://nptel.ac.in/courses/111/107/111107111/
- 2 https://nptel.ac.in/courses/122/107/122107037/-
- https://ocw.mit.edu/courses/mathematics/18-152-introduction-to-partial-differential-equations-fall-2011/lecture-notes/

Course Designed By: Dr. M. Muthtamilselvan

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | S | S | S | M | S | S | M | S | S |
| CO2 | S | M | M | S | S | S | M | S | S | S |
| CO3 | S | S | S | S | M | S | M | S | S | M |
| CO4 | M | M | S | S | S | S | S | M | M | M |
| CO5 | S | S | S | M | M | S | M | S | L | M |

^{*}S-Strong; M-Medium; L-Low

| Course code | ourse code 19MATA23D MECHANICS | | | | | | | |
|--------------------|--------------------------------|--|----------------|---|-------------|---|--|--|
| Core/Elective/S | Supportive | Core | 4 | 1 | 0 | 4 | | |
| Pre-requisite | | A basic course on partial differential equations | Sylla Versi | | 2020 202 | - | | |
| Course Objectives: | | | | | | | | |

The main objectives of this course are:

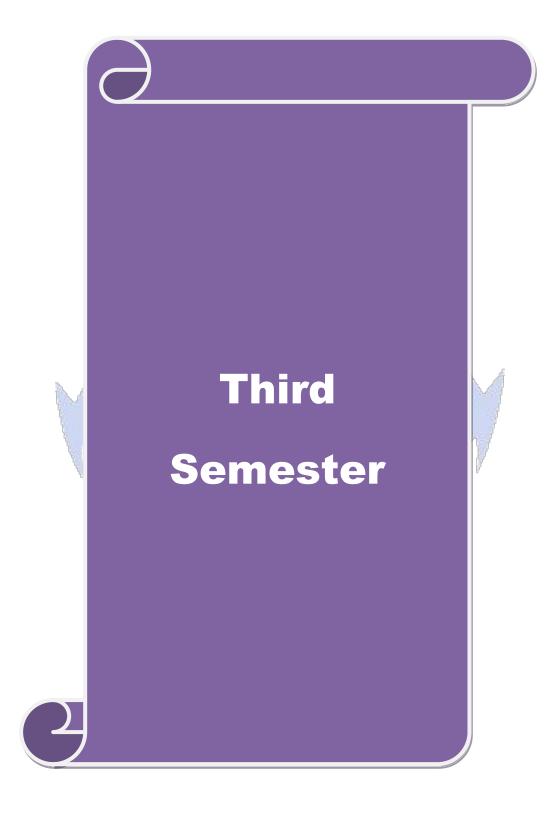
- 1. To create a solid foundation for understanding basic principles of mechanics and some classical problems
- 2. To learn Lagrangian and Hamiltonian formulations of classical mechanics
- 3. To learn the importance and consequences of canonical transformations

| Expecte | ed Cour | se Outcomes: | | | | | | | |
|----------------|---|--|------------|--|--|--|--|--|--|
| On the s | successfi | ul completion of the course, the student will be able to: | | | | | | | |
| CO1 | Derive | e Lagrange's equation using elementary calculus | K2 | | | | | | |
| CO2 | | amilton- <mark>Jacobi theory in identifying conserved quantities</mark> for a mechanical, even when the problem is not solvable. | cal K4 | | | | | | |
| CO3 | Define different sets of generalized coordinates for a given mechanical system and use the canonical transformations. | | | | | | | | |
| CO4 | CO4 Apply techniques like least action principles and calculus of variations on to | | | | | | | | |
| | understand the motion of objects. | | | | | | | | |
| CO5 | Use an | nalytical treatments in checking the numerical models. | K4, | | | | | | |
| | | LLITONI 1 | K5 | | | | | | |
| K1 - Re | member | r; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Cre | ate | | | | | | |
| | | | | | | | | | |
| Unit:1 | | Introductory Concepts | 16 hours | | | | | | |
| The me moment | | system – Generalized coordinates – Constraints – Virtual work – I | Energy and | | | | | | |
| Unit:2 | | Lagrange's Equations | 14 hours | | | | | | |
| Derivati | ons of I | Lagrange's equations- Examples –Integrals of the motion. | | | | | | | |
| Unit:3 | | Hamilton's Equations | 13 hours | | | | | | |
| | n's nrin | ciple – Hamilton's equations. | 15 Hours | | | | | | |
| 1141111110 | ıı s pı III | cipic – Hammon's Equations. | | | | | | | |
| | | | | | | | | | |

| Un | it:4 | Hamilton-Jacobi Theory | 16 hours |
|-----|----------------|--|---------------------|
| Ha | milton's prin | cipal function – The Hamilton - Jacobi equation – Separability. | |
| | | | |
| | it:5 | Canonical Transformations | 14 hours |
| Dif | ferential form | ns and generating functions – Lagrange and Poisson brackets. | |
| | | | |
| | it:6 | Contemporary Issues | 2 hours |
| Ind | ustry 4.0: In | roduction to Cyber Physical Systems and Manufacturing | |
| | | | |
| | | Total Lecture hours | 75 hours |
| | xt Book(s) | | |
| 1 | | Dynamics" by D.T. Greenwood, Dover, 1997. | |
| | Unit-I : Ch | | |
| | | napter 2: Sections: 2.1 - 2.3 | |
| | | napter 4: Sections: 4.1 - 4.2 | |
| | Unit-IV: C | napter 5 | |
| | Unit-V : Cl | napter 6: Sections: 6.1.6.3 | |
| | | | |
| Re | ference Boo | ks | A |
| 1 | Classical | lechanic <mark>s by H. Goldstein, C. Poole & J. Safko, Pear</mark> son E | ducation, Inc., New |
| | Delhi, 2002 | | |
| 2 | Classical N | Iechanics by R. Douglas Gregory, Cambridge University Press | , 2006. |
| | | | |
| Re | lated Online | Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | B, |
| 1 | https://ww | w.edx.org/course/introduction-to-mechanics-part-1 (Prof. Jasor | Hafner, Rice |
| | University) | Victoria de la companya del la companya de la compa | |
| 2 | https://swa | yam.gov.in/nd1_noc20_ph18/preview (Prof. Charudatt Kadolk | ar, IIT Guwahati) |
| | | TE TO BELL | |
| Co | urse Designe | d By: Dr. S. Saravanan | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | M | L | L | M | M | L | S | S | M | M |
| CO2 | M | L | L | S | M | L | M | M | M | L |
| CO3 | L | L | L | M | L | L | S | M | S | L |
| CO4 | M | L | L | M | M | L | S | S | S | L |
| CO5 | M | M | M | S | M | L | M | M | M | M |

^{*}S-Strong; M-Medium; L-Low



| Course code 19MATA33A | COMPLEX ANALYSIS | L | L T | | C |
|--------------------------|--|----------------|-----|--------------|---|
| Core/Elective/Supportive | Core | 4 | 1 | 0 | 4 |
| Pre-requisite | Basic knowledge in definitions and preliminaries of Complex numbers, Analytic functions and Conformal Mappings | Sylla Versi | | 2020 2021 | |

Course Objectives:

The main objectives of this course are to:

- 1. To lay the foundation for this subject, to develop clear thinking and analyzing capacity for further study.
- 2. Cauchy's Theorem guaranteeing that certain integrals along closed paths are zero. This striking result leads to useful techniques for evaluating real integrals based on the 'calculus of residues'
- 3. Important results are the Mean Value Theorem, leading to the representation of some functions as power series (the Taylor series), and the Fundamental Theorem of Calculus which establishes the relationship between differentiation and integration.

Expected Course Outcomes:

On the successful completion of the course, student will be able to:

| On the | successful completion of the course, student will be dole to. | |
|--------|--|------|
| CO1 | Analyze limits and continuity for complex functions as well as consequences of | K1 |
| | continuity. | |
| CO2 | Apply the concept and consequences of analyticity and the Cauchy-Riemann | K1& |
| | equations and of results on harmonic and entire functions including fundamental | K2 |
| | theorem of algebra. | |
| CO3 | Evaluate integrals along a path in the complex plane and understand the statement of | K3& |
| | Cauchy's Theorem | K5 |
| CO4 | Represent functions as Taylor, power and Laurent series, classify singularities and | K4 & |
| | poles, find residues and evaluate complex integrals using the residue theorem. | K5 |
| CO5 | Find residues and evaluate complex integrals using the residue theorem. | K4& |
| | | K5 |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 Fundamental theorems 18 hours

Line integrals rectifiable arcs – Line integrals as functions of arcs- Cauchy's theorem for a rectangle - Cauchy's theorem in a disk, Cauchy's integral formula: The index of a point with respect to a closed curve – The integral formula – Higher derivatives - Local properties of analytical functions: Removable singularities, Taylor's theorem – Zeros and poles – The local mapping – The maximum principle – The general form of Cauchy's theorem: Chains and cycles.

Unit:2 The calculus of residues 12 hours

The residue theorem – The argument principle – Evaluation of definite integrals-Harmonic functions: Definition and basic properties – The mean-value property – Poisson's formula.

Unit:3 Power series Expansions 12 hours

Weierstrass theorem – The Taylor series – The Laurent series- Partial fractions and factorization: Partial fractions – Infinite products – Canonical products-The Gamma functions-Stirling's formula-Jensen's formula-Hadamard's Theorem.

| Unit:4 | | 13 hours | | | | | | | | |
|----------|--|------------------------|--|--|--|--|--|--|--|--|
| | nent and proof – Boundary behavior – Use of the reflection principle – A | | | | | | | | | |
| mappin | ng of polygons: The behavior at an angle – The Schwarz – Christoffel | Formula – Mapping on a | | | | | | | | |
| _ | gle. A close look at Harmonic functions: Functions with mean-val | ue property, Harnack's | | | | | | | | |
| Princip | ole. | | | | | | | | | |
| | | | | | | | | | | |
| Unit:5 | | 18 hours | | | | | | | | |
| | y periodic functions: Representation by Exponentials-The Fourier de | | | | | | | | | |
| | Order. Doubly Periodic Functions: The Period Module Unimodular | | | | | | | | | |
| | ical Basis- General Properties of Elliptic Functions. The Weierstrass Th | | | | | | | | | |
| | on, The functions $\zeta(z)$ and $\sigma(z)$ -The Differential Equation- The Modular | | | | | | | | | |
| Unit:6 | I V | 2 hours | | | | | | | | |
| Elliptic | e Equations-Applications to Fluid Flow problems | | | | | | | | | |
| | Total Lecture hours | 75 hours | | | | | | | | |
| Text B | | | | | | | | | | |
| | Complex Analysis" by L.V. Ahlfors, Third Edition, McGraw-Hill, New | York, 1979. | | | | | | | | |
| | nit I : Chapter 4: Sections: 1.1 – 1.5, 2.1 - 2.3, 3.1 - 3.4, 4.1. | | | | | | | | | |
| | nit II: Chapter 4: Sections: 5.1 - 5.3, 6.1 - 6.3. | | | | | | | | | |
| | nit III: Chapter 5: Sections: 1.1 – 1.3, 2.1 – 2.5, 3.1-3.2. | | | | | | | | | |
| I I | nit IV : Chapter 6: Sections: 1.1 - 1.4, 2.1 - 2.3, 3.1-3.2. | | | | | | | | | |
| | nit V: Chapter 7: Sections: 1.1-1.3, 2.1-2.4, 3.1-3.5. | | | | | | | | | |
| Refere | ence Books | A | | | | | | | | |
| 1 "C | Complex Analysis <mark>" by T. W. Gamlelin, Springer-Verlag, New Y</mark> ork, 20 | 01 | | | | | | | | |
| 2 "C | Complex Analysis" <mark>by V. Karunakaran, Narosa Publishing H</mark> ouse, New | Delhi, 2002. | | | | | | | | |
| | Complex Variables & Applications" by R.V. Churchill & J. W. | Brown, Mc.Graw Hill, | | | | | | | | |
| 19 | 990. | <i>\{</i> | | | | | | | | |
| 4 "C | Complex Variables with Applications"by S. Ponnusamy& Herb S | ilverman, ,Birkhauser, | | | | | | | | |
| Вс | oston, 2006 | | | | | | | | | |
| Relate | ed Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | | | | | | | | | |
| 1 htt | tps://www.youtube.com/watch?v=b5VUnapu-qs | | | | | | | | | |
| | tps://www.youtube.com/watch?v=gFjlBKW8aZU&list=PLbMVogVj5nJS_i8vfVV | VJG16mPcoEKMuWT&ind | | | | | | | | |
| | <=2 | | | | | | | | | |
| 3 htt | tps://www.youtube.com/watch?v=QQ4xY0TS6wY&list=PLbMVogVj5nJTLfYTw | vct_SILaxv1b50Vk | | | | | | | | |
| | | | | | | | | | | |
| Course | e Designed By: Dr. R. Rakkiappan | | | | | | | | | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | M | S | S | S | S | S | S | S | S | S |
| CO2 | M | M | S | S | S | S | S | S | S | S |
| CO3 | S | S | S | S | S | S | S | S | S | S |
| CO4 | S | S | S | S | S | M | S | S | S | S |
| CO5 | S | S | M | S | S | S | S | S | S | S |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATA33B | TOPOLOGY | L | T | P | C |
|----------------------|--|--|----------------------|----------------|--------------|--------------|
| Core/Elective/S | upportive | Core | 4 | 1 | 0 | 4 |
| Pre-requisite | | Basic knowledge in definitions and | Sylla | bus | 202 | 0- |
| | | preliminaries of Real Analysis | Vers | ion | 202 | 1 |
| Course Objecti | | | | | | |
| J | ives of this course a | | | | | |
| | | ll concepts of topology | | | | |
| | he properties oftop | | 1 1 | | | |
| 3. To enrich n | nuch knowledge in | Metric topology, connected, compact a | na normai sp | aces | | |
| Expected Cour | se Outcomes: | | | | | |
| | | e course, student will be able to: | | | | |
| | | veral constructions of topological spaces | | K2 | 2 | |
| | | ties of topological spaces | | | 2 & K | 4 |
| | | of continuous functions on topological | snaces | | 2 & K | |
| 8 | | mpact and normal topological spaces a | | K ² | | |
| properti | for the same of th | inpact and normal topological spaces a | ilia tileli | | • | |
| | | ical spaces and their properties. | | K2 | 2 & K | <u></u> |
| | | A difference of the last | A 4 | | | |
| K1 - Remember | ; K2 - Understand; | K3 - Apply; K4 - Analyze; K5 - Evalu | ate; K6 - Cre | eate | | |
| T. | | | | | | |
| Unit:1 | | | | 1 | 5 ho | urs |
| Topological spa | ces -Basis for a top | <mark>ology - The</mark> order topology - The prod | lucttopology | on X | $X \times Y$ | _ |
| The subspace to | pology - Closed se | ts and limit. | <i>A</i> | | | |
| | | | | | | |
| Unit:2 | | | | 1 | 5 ho | urs |
| Continuous fun | ctions - The produ | ct topology - The metric topology. | | | | |
| | | COUNTY III WAS INCOME. | | | | |
| Unit:3 | | | | | 5 ho | |
| - | es - Connected sub | ospaces of the real line - Compact space | es -Compac | t subs | pace | S |
| of the real line. | | | | | | |
| TI:4. 4 | F | | | 1 | <i>5</i> 1 | |
| Unit:4 | | | | | 5 ho | urs |
| = | = | untability and separation axioms: The | countability | axio | ıns - | |
| The separation | axiuiiis. | | | | | |
| Unit:5 | | | | 1 | 3 ho | urs |
| | | | | _ | | |
| Normal spaces - | The Urvsohn's le | mma - The Urysohn's metrization the | orem –Tietz | | | |

| Un | it:6 | Contemporary Issues | 2 hours |
|----|----------------|---|---------------------|
| Ex | pert lectures, | online seminars - webinars | |
| | | | |
| | | Total Lecture hours | hours |
| Te | xt Book(s) | | |
| 1 | "Topology" | by James R. Munkres, $2nd$ Edition, Pearson Education, Delhi | , 2006. |
| | Unit 1: Cha | pter 2: Sections 2.1- 2.6 ; | |
| | Unit 2: Cha | pter 2: Sections 2.7-2.10 | |
| | Unit 3: Cha | pter 3: Sections 3.1, 3.2, 3.4, 3.5; | |
| | Unit 4: Cha | pter 4: Sections 3.6, 4.1-4.2 | |
| | Unit 5: Cha | pters 4: Sections 4.3, 4.4 <mark>, 4.5, 4.6, C</mark> hapter 5: 5.1. | |
| | | | |
| Re | ference Book | s | |
| 1 | "Introduction | on to Topology" by B. Mendelson, CBS Publishers, Delhi, 1985 | |
| 2 | "Introduction | on to Gen <mark>eral T</mark> opology" by Sze- <mark>Tsen Hu,</mark> Tata McG | raw-Hill Publishing |
| | Company L | td., New Delhi, 1966 | |
| 3 | "General To | opology <mark>" by S. L</mark> ipschutz, Schaum's Series, McGraw-Hill New | Delhi, 1965 |
| 4 | "Introduction | n to General Topology" by K. D. Joshi, New Age International | Pvt. Ltd, 1983 |
| | | | 7 |
| Re | lated Online | Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | 1 |
| 1 | https://www | v.youtube.com <mark>/watch?v=XHKcrs8YaSo&list=PLbMVogV</mark> j5nJRR7zYZifY | opb52zjoScx1d |
| 2 | https://www | v.youtube.com/watch?v=-CWFpdPQqFI | |
| | | | |
| Co | urse Designed | l By: Dr. R. Rakkiappan | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 | |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|--|
| CO1 | S | S | M | S | S | S | S | S | M | S | |
| CO2 | S | M | S | S | S | S | S | S | S | S | |
| CO3 | M | S | S | S | S | S | S | S | S | S | |
| CO4 | M | S | S | S | S | S | S | S | S | S | |
| CO5 | S | S | S | M | S | S | S | S | S | S | |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATA33C | FLUID DYNAMICS | FLUID DYNAMICS L T | | | | | | | |
|-----------------|------------|--|--------------------|---|------------|---|--|--|--|--|
| Core/Elective/S | Supportive | Core | 4 | 1 | 0 | 4 | | | | |
| Pre-requisite | | A basic course on mechanics and analysis | Sylla Versi | | 202 202 | | | | | |
| Course Objecti | ves: | 100000000000000000000000000000000000000 | , , , , | | | | | | | |

The main objectives of this course are:

- 1. To establish an understanding of the fundamental concepts of fluid dynamics
- 2. To make students understand the importance of fluid dynamics in diverse real life applications
- 3. To build the necessary theoretical background for solving a variety of problems

Expected Course Outcomes:

On the successful completion of the course, student will be able to:

| On the s | on the successful completion of the course, student will be able to. | | | | | | | | |
|----------|---|-----|--|--|--|--|--|--|--|
| CO1 | Apply laws of discrete mechanics to continuous systems | | | | | | | | |
| | | K4 | | | | | | | |
| CO2 | Apply basic principles of multi-variable calculus, differential equations and | K3, | | | | | | | |
| | complex variables to fluid dynamic problems | K4 | | | | | | | |
| CO3 | Analyze fluid flow problems with the application of the momentum and energy | K4 | | | | | | | |
| CO4 | Understand modeling approximations in finding exact solutions | K2 | | | | | | | |
| CO5 | Derive boundary layer equations by logical reasoning | K3 | | | | | | | |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 Inviscid Theory 15 hours

Introductory notions - velocity: streamlines and paths of the particles-stream tubes and filaments-fluid body -density -pressure- Bernoulli's theorem. Differentiation with respect to time- equation of continuity- boundary conditions: kinematical and physical- rate of change of linear momentum-equation of motion

Unit:2 Inviscid Theory Continued 13 hours

Euler's momentum theorem- conservative forces- Lagrangian form of the equation of motionsteady motion- energy equation- rate of change of circulation- vortex motion- permanence of vorticity.

Unit:3 Two Dimentional Motion 18 hours

Two dimensional functions: stream function, velocity potential- complex potential- indirect approach- inverse function basic singularities: source, doublet, vortex- mixed flow- method of images: circle theorem- flow past circular cylinder with circulation - aerofoil: Blasius's theorem-lift force.

Unit:4 Viscous Theory 14 hours

Equations of motion for viscous flow: stress - Navier-Stokes equations- vorticity and circulation in a viscous fluid. Flow between parallel flat plates: Couette flow - plane Poiseuille flow. Steady flow in pipes: Hagen-Poiseuille flow.

| Unit:5 | Boundary Layer Theory | 13 hours |
|------------|--|-------------------------------|
| Boundary | layer concept- boundary layer equations in two dimension | al flow- boundary layer along |
| a flat pla | te: Blasius solution- shearing stress and boundary layer t | hickness- momentum integral |
| theorem | for the boundary layer: Von Karman integral relation- Vo | n Karman integral relation by |
| momentu | m law. | |
| | | |
| Unit:6 | Contemporary Issues | 2 hours |
| Industry | 4.0 and 5.0: Internet of Things in the field of Fluid Power, I | FDMS, etc. – Impact of |
| Augment | ed Reality on CFD. | |
| | Total Lectur | re hours 75 hours |
| Text Boo | ok(s) | <u> </u> |
| | coretical Hydrodynamics" by L.M. Milne Thomson, Dover | . 1996. |
| | -I : Chapter 1: Sections: 1.0-1.4, Chapter 3: Sections: 3.10-3 | |
| | -II: Chapter 3: Sections: 3.42-3.45, 3.50-3.53. | , |
| | dern Fluid Dynamics Vol-I" by N. Curle and H.J. Davi | es, D Van Nostrand, London, |
| 1968 | | , |
| Unit | -III: Chapter 3: Sections: 3.2, 3.3, 3.5 - 3.5.1, 3.5.2, 3.7.4, 3 | .7.5. |
| | -IV: Chapter 5: Sections: 5.2.1- 5.2.3 | |
| 3 "Fou | ındations of Fluid Mechanics" by S.W. Yuan Prentice-Hall | of India, New Delhi, 1988. |
| Unit | -IV: Chapter 8: Sections: 8.3 - a,b, 8.4 – a. | |
| Unit | -V: Chapter 9: Sections: 9.1, 9.2, 9.3 – a,b, 9.5 – a,b. | n. A |
| Reference | e Books | |
| 1 "Tex | tbook of Fluid Dynamics" by Chorlton, CBS Publishers, N | ew Delhi, 2004. |
| 2 "A I | Mathematical Introduction to Fluid Dynamics" A.J. Chor | n and A. Marsden, Springer- |
| | ag, New York, 1993. | |
| | | |
| Related | Online Contents [MOOC, SWAYAM, NPTEL, Websites | etc.] |
| 1 http: | s://www.edx.org/course/flight-vehicle-aerodynamics (Prof.) | Mark Drela, MIT) |
| | s://swayam.gov.in/nd1_noc20_me54/preview (Prof. Suman | |
| | The second secon | / |
| Course D | esigned By: Dr. S. Saravanan | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | L | L | L | M | L | L | S | M | S | L |
| CO2 | S | L | L | M | S | M | S | M | S | M |
| CO3 | L | M | L | M | M | L | S | M | S | L |
| CO4 | L | M | M | L | L | L | S | L | M | L |
| CO5 | S | L | L | M | L | M | M | M | M | M |

^{*}S-Strong; M-Medium; L-Low

| Course | Course code 19MATA33D MATHEMATICAL METHODS | | | | | | |
|--------------------------|--|--|--|----------------|-------|-------------|------|
| Core/Elective/Supportive | | Supportive | Core | 4 | 1 | 0 | 4 |
| Pre-req | uisite | | A basic course on mechanics and analysis | Sylla Versi | | 2020 202 | |
| Course | Objecti | ves: | · | • | | | |
| 2. | | | integral transforms, integral equations and c tegral equations and calculus of variations | | | | |
| D 4 | 1.0 | • | | | | | |
| | | se Outcomes: | e course, student will be able to: | | | | |
| CO1 | | | perties of Fourier and Hankel transforms | | | K1 | ,K2 |
| CO2 | | stand the classical | | | | | 2,K4 |
| CO3 | | differential and inte | | | | | 5,K4 |
| CO4 | | te the extremals of | | | | | ,K5 |
| CO5 | Apply | the acquired know | ledge in solving applied problems | | | | ,K5 |
| | | | | | | | |
| K1 - Re | member | ; K2 - U <mark>ndersta</mark> nd; | K3 - Apply; K4 - Analyze; K5 - Evaluate; | K6 - C | reate | | |
| | | | | | | | |
| Unit:1 | | | Fourier Transforms | 7 | 1 | 15 h | ours |

Fourier Transforms – Definition. Inversion theorem – Fourier cosine transforms – Fourier sine transforms – Fourier transforms of derivatives – Fourier transforms of some simple functions – Fourier transforms of rational functions – The convolution integral – convolution theorem – Parseval's relation for Fourier transforms – solution of PDE by Fourier transform. Laplace's Equation in Half plane Laplace's Equation in an infinite strip The Linear diffusion equation on a semi-infinite line The two-dimensional diffusion equation.

| ĺ | Unit:2 | Hankel Transforms | 15 hours |
|---|--------|-------------------|----------|

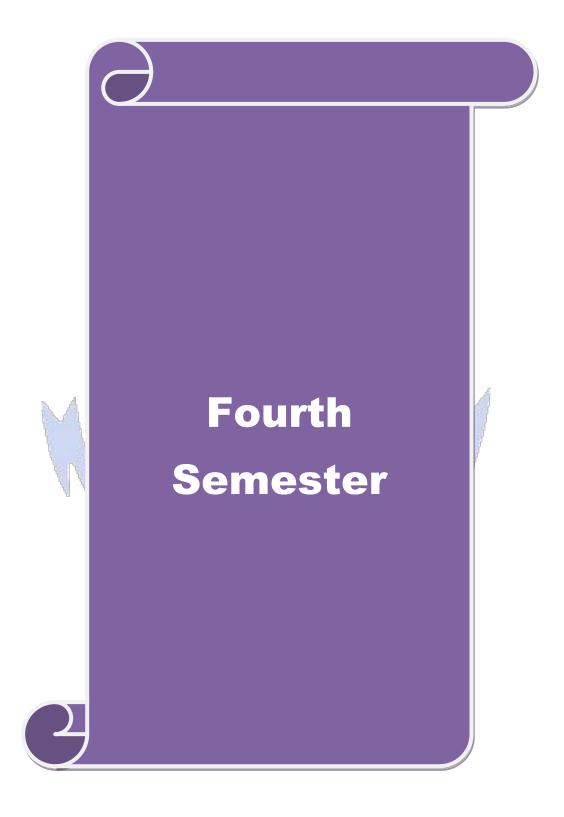
Definition – Elementary properties of Hankel Transforms - Hankel Transforms of Derivatives of functions - Hankel Transforms of some elementary functions - The Parseval relation for Hankel transforms – Relation between Fourier and Hankel transforms – Application to PDE. Axisymmetric Dirichlet problem for a half – space. Axisymmetric Dirichlet problem for a thick plate

Types of Integral equations – Equation with separable kernel - Fredholm Alternative Approximate method – Volterra integral equations – Classical Fredholm theory – Fredholm's First, Second, Third theorems.

| Unit:4 | Applications of Integral equations to ordinary | 13 hours |
|---|--|-----------------------|
| | differential equations | |
| initial value pro | oblems – Boundary value problems – singular integral equa | tions – Abel Integral |
| equation | | |
| | | |
| Unit:5 | Calculus of Variations | 13 hours |
| | its properties - Euler's equation - Functionals of the integ | |
| - | higher order derivatives - functionals dependent on the | functions of several |
| independent var | riables – variational problems in parametric form. | |
| | | |
| Unit:6 | Contemporary Issues | 2 hours |
| • | 15.0: Internet of Things in the field of Fluid Power, FDMS, etc. | c. – Impact of |
| Augmented Rea | ılity on CFD. | |
| | | |
| | Total Lecture hours | 75 hours |
| Text Book(s) | | |
| 1 "The Use of For Units I | of Integral Transforms" by I.N.Sneddon , Tata Mc Graw Hill, N & II | lew Delhi, 1974. |
| 2 "Linear In York, 1971 For Units I | | Academic Press, New |
| 3 "Differenti 1970. For Unit V | al Equations and Calculus of Variations" by L.Elsgolts, Mir | Publishers, Moscow, |
| D. 6 D | | , |
| Reference Boo | | 7 |
| | ansforms and their Applications by Lokenath Debnath, Damb ondon, 2007. | aru Bhatta, Taylor & |
| 2 Integral Eq | uations and Applications by C. Corduneanu, Cambridge Unive | ersity Press, 1991 |
| | f Variations, with Applications to Physics and Engineering by I Iill, New York, 1952. | R. Weinstock, |
| Course Designe | d By: Dr. S. Saravanan | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | M | L | L | M | M | L | M | M | S | L |
| CO2 | M | L | L | M | M | M | S | M | M | M |
| CO3 | L | L | L | M | S | L | S | S | S | L |
| CO4 | L | L | L | M | S | L | S | M | S | L |
| CO5 | M | M | L | M | S | M | S | S | S | M |

^{*}S-Strong; M-Medium; L-Low



15 hours

| Course | code | 19MATA43A | FUNCTIONAL ANALYSIS | L | T | P | C | |
|--|---|---------------------------|--|--------------------------------|--------|------|---------|--|
| Core/Elective/Supportive | | | Core | 4 | 1 | 0 | 4 | |
| Pre-requisite | | | Basic knowledge in definitions and preliminaries of Real Analysis and Linear Algebra | Syllabus 2020- Version 2021 | | | | |
| Course Objectives: | | | | | | | | |
| The main objectives of this course are to: | | | | | | | | |
| This course introduces functional analysis and operator theoretic concepts. This area combines | | | | | | | | |
| ideas from linear algebra and analysis in order to handle infinite-dimensional vector spaces and | | | | | | | | |
| linear mappings thereof | | | | | | | | |
| To impart analytic knowledge on infinite-dimensional vector spaces, of which the most important cases are Banach spaces and Hilbert spaces. This course provides an introduction to the basic concepts which are crucial in the modern study of partial differential equations, Fourier analysis, quantum mechanics, applied probability and many other fields. | | | | | | | | |
| | 1.0 | | | | | | | |
| | | rse Outcomes: | A' Mais Med A | | | | | |
| On the successful completion of the course, student will be able to: | | | | | | | | |
| | | | n different areas of mathematics combine to prod | luce | | K1 & | Ĺ | |
| | | | werful than would otherwise be possible. | 4 | | K2 | | |
| | Understand how functional analysis underpins modern analysis. | | | | | K2 | | |
| | Develop their mathematical intuition and problem-solving capabilities, especially | | | | | K3 & | Ĺ | |
| 1 | which the solution of a partial differential equation | tion K4 | | | | | | |
| CO4 | Understand the Sobolev, Besov, Orlicz spaces and their properties. | | | | | K2 | | |
| CO5 | CO5 Learn advanced analysis i | | terms of Sobolev spaces, Besov spaces, Orlicz sp | | S | K6 | | |
| | and other distributional spaces. | | | | | | | |
| K1 - Re | membe | r; K2 - Understand | ; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 | - Crea | ate | | | |
| | | | ATE TO BLEVE | | | | | |
| Unit:1 | | | Banach spaces | 1 | | | 5 hours | |
| Definiti | on and | examples – Continu | uous linear transformations – The Hahn Banach | theore | em. | | | |
| Unit:2 | | | Banach spaces | 15 hours | | urs | | |
| The nati | ıral imb | oedding – Open ma | pping theorem – The conjugate of an operator. | | | | | |
| Unit:3 | | | Hilbert spaces | 15 hours | | | | |
| Definiti | on and | simple properties – | Orthogonal complements –Orthonormal sets– (| Conjug | gate s | pace | ; | |

Hilbert spaces

The adjoint of an operator-Self –adjoint operators-Normal and unitary operators-Projections.

Unit:4

| Un | it:5 Algebras of Operators | 13 hours |
|------|--|------------------|
| Ge | neral Preliminaries on Banach Algebras: The definitions and some examples-Regu | ılar and |
| sin | gular elements-Topological divisors of zero-The spectrum-The formula for the spe | ectral radius. |
| | | |
| | it:6 Contemporary Issues | 2 hours |
| Fre | chet Spaces | |
| | Total Lecture hours | 75 hours |
| Te | xt Book(s) | |
| 1 | "Introduction to Topology and Modern Analysis" by G.F. Simmons, McGraw-F | Hill, New York, |
| | 1963 | , |
| | | |
| Re | ference Books | |
| 1 | "A Course in Functional Analysis" by J. B. Conway, Springer, New York, 1990 |) |
| 2 | "First Course in Functional Analysis" by C. Goffman& G. Pedrick, Prentic | e-Hall of India, |
| | New Delhi, 2002. | |
| | "Elements of Functional Analysis" by L. A. Lusternik& V. J. Sobo | lev, Hindustan |
| 3 | | |
| 3 | Publishing Co, New Delhi, 1985. | |
| 3 | Publishing Co, New Delhi, 1985. "Introduction to Functional Analysis" by A. E. Taylor, John Wiley, New York, | 1958. |
| | | 1958. |
| 4 | | 1958. |
| 4 | "Introduction to Functional Analysis" by A. E. Taylor, John Wiley, New York, | 1958. |
| 4 Re | "Introduction to Functional Analysis" by A. E. Taylor, John Wiley, New York, ated Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | M | S | S | S | S | S | S | S | S | S |
| CO2 | S | M | S | S | S | S | S | S | S | M |
| CO3 | S | M | S | S | S | S | S | S | S | S |
| CO4 | S | S | S | S | S | S | M | S | S | S |
| CO5 | S | S | S | S | M | S | S | S | S | S |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATA43B | NUMBER THEORY & CRYPTOGRAPHY | L | Т | P | C |
|-----------------|----------------------|---|----------------|---|------------|---|
| Core/Elective/S | Supportive | Core | 4 | 1 | 0 | 4 |
| Pre-requisite | | Basic knowledge in definitions and preliminaries of Number Theory | Sylla Versi | | 202 202 | - |
| Course Objecti | ives: | | | | | |
| The main object | tives of this course | are to: | | | | |

- 1. To introduce students to some of the basic ideas of number theory, and to use this as a context in which to discuss the development of mathematics through examples, conjectures, theorems, proofs and applications.
- 2. Illustrate different methods of proof in the context of elementary number theory, and will apply some basic techniques of number theory to cryptography.
- 3. To explore the working principles and utilities of various cryptographic algorithms including secret key cryptography, hashes and message digests, and public key algorithms.
- 4. To introduce classical encryption techniques and concepts of modular arithmetic and number theory.

| Expected Course Outcomes: | |
|--|--------|
| On the successful completion of the course, student will be able to: | |
| CO1 Identify and apply various properties of and relating to the integers including the Well Ordering Principle, primes, unique factorization, the division algorithm, and greatest common divisors. | 1 & K2 |
| CO2 Understand the concept of congruence and use various results related to congruencies including the Chinese Remainder Theorem. | 2 & K3 |
| CO3 Identify and Understand how number theory is related to and used in cryptography K2 | 2 & K4 |
| CO4 Acquire knowledge on standard algorithms used to provide confidentiality, integrity and authenticity. | 4 |
| CO5 Understand how to deploy encryption techniques to secure data in transit across data networks | 5 & K6 |
| K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create | |
| | |
| Unit:1 | hours |
| Divisibility and Euclidean algorithm - Congruence, Euler's Theorem, Wilson's Th | eorem, |
| Chinese Remainder Theorem, Primitive roots - Applications to Factoring | |
| | |
| Unit:2 | hours |
| Finite Fields – Quadratic Residues – Quadratic Reciprocity – The Jacobi symbol. | |
| | |
| Unit:3 | hours |
| Cryptosystems - Enciphering Matrices - Public Key Cryptography - Concep | ots of |
| Public Key Cryptography – Modular Arithmetic – RSA. | |

| Un | it:4 | | 15 hours |
|-----|------------------|--|-----------------------|
| Pse | eudo primes | and Strong Pseudo primes - The rho method - Ferma | t factorization and |
| fac | tor bases and | Algorithm – The Continued fraction method and Algorithm. | |
| | | | |
| | it:5 | | 13 hours |
| Ell | iptic Curves – | Basic Facts, Elliptic curves Cryptosystems, Elliptic curve Factor | orization. |
| TIm | it:6 | Contomnovowy Issues | 2 house |
| | | Contemporary Issues online seminars - webinars | 2 hours |
| EX | pert lectures, (| Total Lecture hours | 75 hours |
| Te | xt Book(s) | Total Lecture Hours | 75 110415 |
| 1 | | n Number Theory and Cryptography' by Neal Koblitz, , Springe | er – Verlag |
| 1 | New York, | The same and the s | n venag, |
| | 1 | oter 1, Sections 1,1-1.4; Unit II: Chapter 2, Sections 2.1-2.2 | |
| | _ | apters 3&4, Sections 3.1-3.2, 4.1-4.2;Unit IV: Chapter 5, Section | ns 5.1-5.4 |
| | | pter 6, Sections 6.1-6.2,6.4 | |
| | I | A MARK ACTAN CO. | |
| Re | ference Book | S | |
| 1 | "An Introd | uction to <mark>Theory</mark> of Nu <mark>mbers" by Ivan Nivan and H</mark> erber | tsZucherman, Third |
| | Edition, 197 | 2, Wiley E <mark>astern Limited, New Delhi</mark> | |
| 2 | "Introductio | n to Analyti <mark>c Num</mark> ber Theory" by Tom Apostol, <mark>Naros</mark> a Publica | ations, New Delhi |
| 3 | "Elementary | Number Theory" by David M. Burton, Wm. C. Brown P | ublishers, Dubuque, |
| | Lowa, 1989 | | 7)7 |
| 4 | "Cryptograp | ohy and Network Security Principles and Practice" by William | n Stallings, Prentice |
| | Hall, Fifth F | Edition, New Delhi, 2011. | |
| | | | |
| | 1 | Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| 1 | | v.youtube.com/watch?v=SCvtxjpVQms | |
| 2 | https://www | y.youtube.com/watch?v=pBELpogInvQ&list=PLgMDNELGJ1CbdGLyn7 | OrVAP-IKg-0q2U2 |
| | | | |
| Co | urse Designed | By: Dr. R. Rakkiappan | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | M | M | S | S | S | S | S | S | S | S |
| CO2 | S | S | S | S | S | S | S | S | S | S |
| CO3 | S | M | S | S | S | S | S | S | S | S |
| CO4 | M | S | S | S | S | S | S | M | S | S |
| CO5 | S | S | M | S | S | S | S | S | S | S |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATA43C | NONLINEAR DIFFERENTIAL EQUATIONS | L | T | P | C |
|--------------------------|-----------|----------------------------------|----------------|---|------------|---|
| Core/Elective/Supportive | | Core | 4 | 1 | 0 | 4 |
| | | 9 | Sylla Versi | | 202 202 | |

The main objectives of this course are to:

- 1. Introduce oscillations or wild chaotic fluctuations produced by a nonlinear system
- 2. Discuss solution behaviour of nonlinear differential equations without finding the solutions explicitly.
- 3. Develop clear thinking and analyzing capacity for advanced research.

Expected Course Outcomes:

On the successful completion of the course, student will be able to:

| On the successful completion of the course, student will be able to | | | | | | | |
|---|---|--------|--|--|--|--|--|
| CO1 | Understand the dynamics of basic population models | K2 | | | | | |
| CO2 | Find approximate solutions of nonlinear equations using averaging and | K3, K5 | | | | | |
| | perturbation methods | | | | | | |
| CO3 | Master the concepts of stability in different perspectives | K2, K4 | | | | | |
| CO4 | Have an idea on qualitative properties of solutions of linear and nonlinear | K2 | | | | | |
| | systems | | | | | | |
| CO5 | Improve their problem solving capabilities | K3, K5 | | | | | |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 First order Systems in Two Variables and Linearization 14 hours

The general phase plane – Some population models – Linear approximation at equilibrium points – Linear systems in matrix form.

Unit:2 Averaging Methods 15 hours

An energy balance method for limit cycles – Amplitude and frequency estimates – Slowly varying amplitudes; Nearly periodic solutions - Periodic solutions: Harmonic balance – Equivalent linear equation by harmonic balance – Accuracy of a period estimate.

Unit:3 Perturbation Methods 16 hours

Outline of the direct method – Forced oscillations far from resonance Forced oscillations near resonance with weak excitation – Amplitude equation for undamped pendulum – Amplitude perturbation for the pendulum equation – Lindstedt's method- Forced oscillation of a self – excited equation – The Perturbation method and Fourier series.

| Unit:4 | Linear Systems | 14 hours |
|--------|----------------|----------|
|--------|----------------|----------|

Structure of solutions of the general linear system – Constant coefficient system – Periodic coefficients – Floquet theory – Wronskian.

Unit:5 Stability 13 hours

Poincare stability – Solutions, paths and norms – Liapunov stability - Stability of linear systems – Comparison theorem for the zero solutions of nearly-linear systems.

Unit:6 Contemporary Issues 2 hours

Expert lectures, online seminars - webinars

Total Lecture hours 75 hours

Text Book(s)

1 "Nonlinear Ordinary Differential Equations" by **D.W. Jordan and P. Smith,** Clarendon Press, Oxford, 1977.

Unit-I: Chapter 2;

Unit-II: Chapter 4;

Unit-III: Chapter 5: Sections: 5.1 - 5.4, 5.7 - 5.10.

Unit-IV: Chapter 8: Sections: 8.1 - 8.4;

Unit-V: Chapter 9: Sections: 9.1 - 9.4, 9.6.

Reference Books

- 1 "Differential Equations" by G.F. Simmons, Tata McGraw-Hill, New Delhi, 1979.
- 2 "Ordinary Differential Equations and Stability Theory" by **D.A. Sanchez**, Dover, New York, 1968.
- 3 "Notes on Nonlinear Systems" by J.K. Aggarwal, Van Nostrand, 1972.

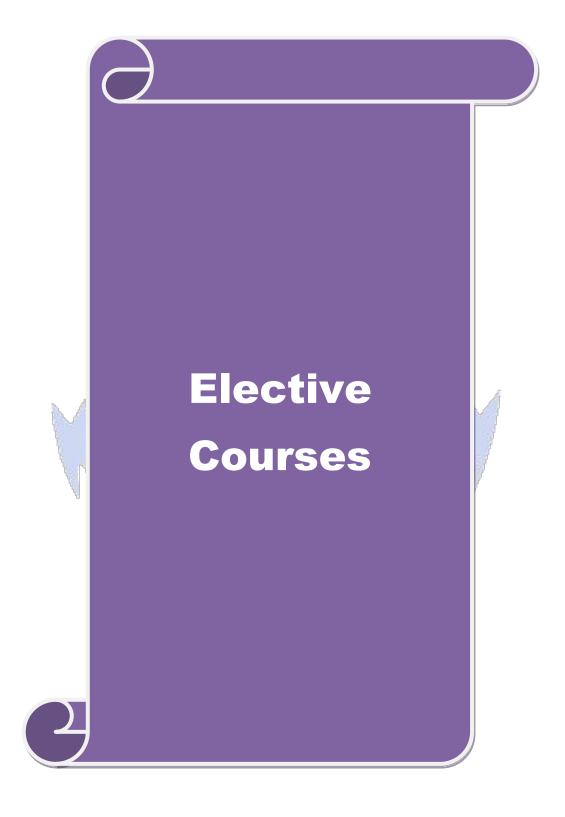
Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

1 https://www.edx.org/course/differential-equations-2x2-systems (Prof. David Jerison, MIT)

Course Designed By: Dr. S. Saravanan

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | M | M | S | M | S | M | S | M |
| CO2 | L | L | L | M | S | L | M | M | S | L |
| CO3 | M | M | M | M | L | S | M | M | M | M |
| CO4 | M | L | L | M | M | M | S | S | M | L |
| CO5 | M | L | L | M | S | L | M | S | M | L |

^{*}S-Strong; M-Medium; L-Low



ELECTIVES COURSES

| Course code | 19MATAEA | NUMERICAL METHODS | L | T | P | C |
|--------------------------|----------|------------------------------|-------|-----|-----|----|
| Core/Elective/Supportive | | Elective | 4 | 1 | 0 | 4 |
| Pre-requisite | | Basic Knowledge in Algebraic | Sylla | bus | 202 | 0- |
| | | &Differential Equations | Versi | on | 202 | 1 |
| | | | | | | |

Course Objectives:

The main objectives of this course are to:

- 1. To understand appropriate numerical methods to solve algebraic and transcendental equations
- 2. To perform an error analysis for various numerical methods and derive appropriate numerical methods to solve definite integrals.
- 3. To develop appropriate numerical methods to solve a system of linear equations.
- 4. To learn special kinds of differential equations such as elliptic, parabolic and hyperbolic differential equations

Expected Course Outcomes:

On the successful completion of the course, student will be able to:

| | r | |
|-----|--|----|
| CO1 | Solve algebraic and transcendental equations using appropriate numerical methods | K2 |
| | and approximate a function using appropriate numerical methods. | |
| CO2 | Derive numerical methods for various mathematical operations and tasks such as | K3 |
| | interpolation, differentiation, integration and the solution of linear and nonlinear | |
| | equations. | |
| CO3 | Analyze and evaluate the accuracy of common numerical methods. | K4 |
| CO4 | Demonstrate understanding of the numerical methods in real life problems | K4 |
| CO5 | To evaluate the numerical methods using software's | K5 |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 Solving Nonlinear Equations 12 hours

Newton's method – Convergence of Newton's method – Bairstow's method for quadratic factors. **Numerical Differentiation and Integration**: Derivatives from differences tables – Higher-order derivatives – Divided difference, Central difference formulas – The trapezoidal rule-A composite formula – Romberg integration – Simpson's rules.

Unit:2 Solving set of Equations: 14 hours

The elimination method – Gauss and Gauss Jordan methods – LU decomposition method – Matrix inversion by Gauss-Jordan method – Methods of iteration – Jacobi and Gauss Seidal iteration – Relaxation method – Systems of nonlinear equations.

| Solution of Ordinary Differential Equations: | Unit:3 Solu | ition of Ordinary Differential Equations: | 14 hours |
|--|-------------|---|----------|
|--|-------------|---|----------|

Taylor series method – Euler and modified Euler methods – Runge- Kutta methods – Multistep methods – Milne's method – Adams-Moulton method.

| Unit:4 | Boundary value problems and Characteristic value | 15 hours |
|--------|--|----------|
| | problems | |

The shooting method – Solution through a set of equations – Derivative boundary conditions – Characteristic-value problems – Eigen values of a matrix by iteration – The power method.

Unit:5 Numerical solution of Partial Differential Equations: 18 hours

Representation as a difference equation – Laplace's equation on a rectangular region – Iterative methods for Laplace equation – The Poisson equation – Derivative boundary conditions – Solving the equation for time-dependent heat flow (i) The explicit method (ii) The Crank Nicolson method – Solving the wave equation by finite differences.

| Unit:6 | | Contemporary Issues | 2 hours |
|-----------------|-----------------|---------------------|---------|
| Exmant lastures | anlina saminara | vvohinora | |

Expert lectures, online seminars - webinars

Total Lecture hours 75 hours

Text Book(s)

1 "Applied Numerical Analysis" by C.F. Gerald and P.O. Wheatley, Sixth Edition, Addison-Wesley, Reading, 1998.

Unit I: Chapter 1: Sections: 1.4, 1.8, 1.11; Chapter 5: Sections: 5.2, 5.3, 5.6, 5.7.

Unit II: Chapter 2: Sections: 2.3 - 2.5, 2.7, 2.10 - 2.12.

Unit III: Chapter 6: Sections: 6.2 - 6.7.

Unit IV: Chapter 7: Sections: 7.2 – 7.5.

Unit V: Chapter 7: Sections: 7.6,7.7; Chapter 8: Sections: 8.1 - 8.4.

Reference Books

- 1 "Numerical Methods for Scientific and Engineering Computation" by Jain MK, Iyengar SRK, Jain R K., Second Edition, Wiley Eastern Ltd, New Delhi
- 2 "Introduction to Numerical Analysis" by Froberg C E., Second Edition, Addison-Wesley Publishing Company, 1972.

Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

- 1 https://nptel.ac.in/courses/111/107/111107105/
- 2 https://freevideolectures.com/course/3597/numerical-analysis
- 3 http://mathforcollege.com/nm/videos/index.html

Course Designed By: Dr. S. Narayanamoorthy

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | S | S | S | M | S | S | S | S | S |
| CO2 | S | S | M | S | S | S | S | M | S | S |
| CO3 | S | S | S | S | M | S | S | S | S | M |
| CO4 | M | M | S | M | S | M | M | S | M | S |
| CO5 | S | M | S | S | M | M | S | S | S | S |

*S-Strong; M-Medium; L-Low

| Course code | 19MATAEB | MATLAB THEORY & PRACTICAL | L | T | P | C |
|-----------------|-----------|--------------------------------------|---------|-----|------|----|
| Core/Elective/S | upportive | Elective | 2 | 0 | 2 | 4 |
| Pre-requisite | | Basic knowledge in Numerical Methods | Syllal | bus | 202 | 0- |
| | | Dasic knowledge in Numerical Methods | Version | | 2021 | |
| G 01: 4: | | | | | | |

Course Objectives:

The main objectives of this course are to:

- 1. This course provides basic fundamentals on MATLAB, primarily for numerical computing.
- 2. To learn the characteristics of script files, functions and function files, two-dimensional plots and three-dimensional plots.
- 3. To enhance the programming skills with the help of MATLAB
- 4. Its features which allow learning and applying specialized technologies.

| Expe | cted Cours | e Outcomes: | | | | |
|---------|---|---|-----------|-------|--|--|
| On the | e successfu | l completion of the course, student will be able to: | | | | |
| CO1 | _ | oundation for doing matrix manipulations, plotting of functions nation of algorithms, and creation of user interfaces. | and data, | K1 | | |
| CO2 | in an ea | o understanding in integrating computation, visualization and prosty to use environment where problems and solutions are expanthematical notations. | | K2 | | |
| CO3 | O3 This software is a more flexible programming tool for users in order to create large and complex application programs. | | | | | |
| CO4 | | s of set of tools that facilitates for developing, managing, debugg. M-files, and MATLAB's applications. | ng and | K4 | | |
| CO5 | It consist | s of set of tools that facilitates for evaluating and crating the MA | TLAB's | K5 | | |
| | application | ons. | | &K6 | | |
| K1 -] | Remember | K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 | - Create | | | |
| | | | | | | |
| Unit: | 1 | | 12 | hours | | |
| Startii | ng with Ma | tlab - Creating arrays - Mathematical operations with arrays. | | | | |
| Unit: | 2 | Script files | 14 | hours | | |
| Script | files - Fur | ctions and function files. | | | | |
| Unit: | 2 | | 1.4 | hours | | |
| | | 1 ulata Thurs dimensional ulata | 14 | nours | | |
| 1 WO-0 | aimensiona | l plots - Three-dimensional plots. | | | | |
| Unit: | 4 | | 15 | hours | | |
| | | | | | | |

| Un | it:5 | 18 hours |
|-----|---|-------------------|
| Pol | ynomials, Curve fitting and interpolation - Applications in numerical analysis. | |
| TT | | 2.1 |
| | it:6 Contemporary Issues | 2 hours |
| Exp | pert lectures, online seminars - webinars | |
| | Total Lecture and practical hours | 75 hours |
| Tex | xt Book(s) | |
| 1 | "MATLAB An Introduction with Application" by A. Gilat, John Wiley & | Sons, Singapore, |
| | 2004. | |
| | Unit – I: Chapter 1, Chapter 2, Chapter 3; Unit -II: Chapter 4, Chapter 6. | |
| | Unit -III: Chapter 5, Chapter 9; Unit - IV: Chapter 7; Unit - V: Chapter 8, Chapter 8 | oter 10. |
| | ***List of practical programs will be issued by course teacher | |
| | | |
| Ref | ference Books | |
| 1 | "Getting Started with MATLAB – A Quick Introduction for Scientists and E | Ingineers" by R. |
| | Pratap, Oxford University Press, New Delhi, 2006. | Á |
| 2 | "Introduction to Matl <mark>ab 7 fo</mark> r Engineers" by W.J. Palm, McGraw-Hill Educa | ition, New York, |
| | 2005. | 1 |
| 3 | "Introduction to MATLAB 7" by D. M. Etter, D. C. Kuncicky and H. Mooi | e, Prentice Hall, |
| | New Jersy, 2004. | |
| | | |
| Rel | ated Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| 1 | https://nptel.ac.in/courses/103/106/103106118/ | |
| 2 | https://freevideolectures.com/course/3186/matlab | |
| 3 | https://www.classcentral.com/course/swayam-matlab-programming-for-numer | ical- |
| | computation-5303 | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | S | S | L | S | M | S | S | M |
| CO2 | M | S | M | M | S | M | S | M | M | S |
| CO3 | S | M | S | S | L | S | M | S | S | M |
| CO4 | M | M | S | M | S | M | M | S | M | S |
| CO5 | S | S | M | M | S | S | S | S | S | S |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATAEC | COMPUTER PROGRAMMING (C++ Theory & Practical) | L | Т | P | C |
|------------------|----------|---|---------------|---|---|-------|
| Core/Elective/Su | pportive | Elective | 2 | 0 | 2 | 4 |
| Pre-requisite | | Basic Knowledge in C | Sylla Vers | | | 2020- |

The main objectives of this course are to:

- 1. To perform object oriented programming to develop solution to problems demonstrating.
- 2. The usage of objects as instances of classes and data members, to implement various member functions and manage I/O operation.
- 3. To learn the characteristics of the object oriented programming language, data abstraction, dynamic memory allocation and inheritance,
- 4. To learn about operator overloading and type conversions.
- 5. To enhance problem solving and programming skills with extensive programming sessions.

Expected Course Outcomes:

On the successful completion of the course, student will be able to:

| CO1 | Remember to use different data structures and memory allocation method. | K1 |
|-----|---|--------|
| CO2 | Understand advanced features of C++ such as stream I/O templates and operator | K2 |
| | overloading. | |
| CO3 | Apply and analyze the C++ programme in various mathematical problem | K3 |
| CO4 | Apply and analyze the major object oriented concepts to implement object | K4 &K5 |
| | oriented programs in C++, encapsulation and inheritance. | |
| CO5 | Its helps to create the mathematical logical problems in real situation | K6 |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 The Big Picture:

12 hours

Overview of object- oriented programming –Characteristics of object- oriented languages –C++ and C. C++ Programming Basics: Basic program construction- Output using cout – Preprocessor directives –Comments –Integer variables –Character variables –Input with cin –Type float – Manipulators –Variable type summary –Type conversion –Arithmetic operators –Library functions.

Unit:2 Loops and Decisions

14 hours

Relational operators –Loops –Decisions –Logical operators- Precedence summary –Other control statements. Structures: Enumerated datatypes. Functions: Simple functions –Passing arguments to functions –Returning values from functions –Reference arguments –Overloaded functions –Inline

functions -Default arguments- Variables and storage classes -Returning by reference.

Unit:3 Objects and Classes:

14 hours

A simple class – C++ objects as physical objects –C++ objects as datatypes –Constructors –Objects as function arguments –Returning objects from functions- A card game example –Structures and classes –Classes, objects, and memory –Static class data. Arrays: Array fundamentals –Arrays as class member data –Arrays of objects –Strings.

Unit:4 Operator Overloading

15 hours

Overloading unary operators —Overloading binary operators —Data conversion —Pitfalls of operator overloading and conversion. Inheritance: Derived class and base class —Derived class constructors — Overriding member functions —Inheritance in the English distance class —Class hierarchies —Public and private inheritance —Levels of inheritance —Multiple inheritance —Ambiguity in multiple inheritance —Containership: classes within classes —Inheritance and program developing.

Unit:5 Pointers:

18 hours

Address and pointers –Pointers and arrays –Pointers and functions –Pointers and string –Memory management: new and delete –Pointers to objects –A linked list example- Pointers to pointers – Debugging pointers. Virtual Functions and Other Subtleties: Virtual functions –Friend functions – Static functions –Assignment and copy-initialization – The this pointer. Files and Streams: Streams – String I/O –Character I/O –Object I/O – I/O with multiple objects –File pointers –Disk I/O with member functions –Error handling Redirection –Command-line arguments –Printer output – Overloading the extraction and insertion operators.

| Unit:6 | Contemporary Issues |
|--------|---------------------|
| CIIICO | Contemporar Justics |

2 hours

Expert lectures, online seminars - webinars

Total Lecture and practical hours

75 hours

PRACTICALS (50 Marks)

SAMPLE LIST OF PRACTICALS

1. DISTANCE CONVERSION PROBLEM

Create two classes DM and DB which store the value of distances. DM stores the value of distances. DM stores distances in meters and centimeters in DB in feet and inches. Write a program that can create the values of the class objects and add one object DM with another object DB. Use a friend function to carry out addition operation. The object that stores the result may be DM object or DB object depending on the units in which results are required. The display should be in the order of meter and centimeter and feet or inches depending on the order of display.

2. OVERLOADING OBJECTS

Create a class FLOAT that contains one float data member overload all the four arithmetic operators

so that operate on the objects of FLOAT.

3. OVERLOADING CONVERSIONS

Design a class polar which describes a part in a plane using polar Co-ordinates radius and angle. A point in polar Co-ordinates is as shown below. Use the over loader + operator to add two objects of polar. Note that we cannot add polar values of two points directly. This requires first the conversion. Points into rectangular co-ordinates and finally converting the result into polar coordinates. You need to use following trigonometric formulas.

$$X = r * cos(a); Y = r * sin(a); a = tan-1(Y/X); r = \sqrt{(X 2 + Y 2)};$$

4. POLAR CONVERSION

Define two classes polar and rectangular coordinates to represent points in the polar and rectangular systems. Use conversion routines to convert from one system to another.

5. OVRELOADING MATRIX

Create a class MAT of size M*N. Define all possible matrix operations for MAT type objects. Verify the identity. $(A-B)^2 = A^2+B^2 - 2*A*B$

6. AREA COMPUTATION USING DERIVED CLASS

Area of rectangle = X*Y, Area of triangle = $\frac{1}{2}*X*Y$

7. VECTOR PROBLEM

Define a class for vector containing scalar values. Apply overloading concepts for vector addition, Multiplication of a vector by a scalar quantity, replace the values in a position vector.

Text Book(s)

1 "Object – Oriented Programming in Microsoft C++" by **R. Lafore,** Galgotia Publications Pvt. Limited, New Delhi, 1999.

Unit I: Chapters 1,3; Unit II: Chapters 4,5,6; Unit III: Chapter 7, 8; Unit IV: Chapters 9, 10; Unit V: Chapters 12, 14.

Reference Books

- 1 "The C Programming Language" by **B.W. Kernighan & D. M. Ritchie**, Second Edition, Prentice Hall of India Pvt. Limited, New Delhi, 2006.
- 2 "Object Oriented Programming with C++" by **Balagurusamy E**., Tata McGraw Hill Publishing Company Ltd, New Delhi, 1996.

| Pα | elated Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.] |
|-----|--|
| IXC | |
| 1 | https://nptel.ac.in/courses/106/105/106105151/ |
| 2 | https://nptel.ac.in/courses/106/101/106101208/ |
| 3 | https://www.youtube.com/playlist?list=PL0gIV7t6l2iIsR55zsSgeiOw9Bd_IUTbY |
| | |
| Co | ourse Designed By: Dr. S. Narayanamoorthy |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | S | S | S | S | S | M | M | S |
| CO2 | M | M | M | M | M | M | S | S | M | S |
| CO3 | S | S | M | S | M | S | S | S | S | M |
| CO4 | M | M | M | M | M | M | M | M | M | S |
| CO5 | S | S | S | M | S | S | S | S | L | S |



| Course code | 19MATAED | PROBABILITY THEORY | L | T | P | C |
|-----------------|------------|---|----------------|---|------------|---|
| Core/Elective/S | Supportive | ortive Elective 4 1 | | | 4 | |
| Pre-requisite | | Basic knowledge in definitions and preliminaries of Mathematical Statistics | Sylla Versi | | 202 202 | |

The main objectives of this course are to:

- 1. To provide a thorough treatment of probability ideas and techniques necessary for a firm understanding of the subject.
- 2. Understanding of the ideas in their proofs, and ability to make direct application of those results to related problems.
- 3. As evidence of that understanding, students should be able to demonstrate mastery of all relevant vocabulary, familiarity with common examples and counterexamples, knowledge of the content of the major theorems.

Expected Course Outcomes:

| On the | On the successful completion of the course, student will be able to: | | | | | | |
|--------|--|------|--|--|--|--|--|
| CO1 | The ability to use and simulate random variables, distribution functions, | | | | | | |
| | probability mass functions, and probability density functions. | K2 | | | | | |
| CO2 | Through calculus and functional transformations, to answer quantitative questions | K2 | | | | | |
| | about the outcomes of probabilistic systems. | | | | | | |
| CO3 | The ability to use and simulate multivariate distributions, independence, | K2 | | | | | |
| | conditioning, and functions of random variables. | &K3 | | | | | |
| CO4 | The ability to compute expectations, moments, and correlation functions, to | K2 | | | | | |
| | describe relationships between different experimental conditions. | &K3 | | | | | |
| CO5 | The ability to use probabilistic reasoning and the foundations of probability theory | K4 & | | | | | |
| | to describe probabilistic engineering experiments in terms of sample spaces, event | K5 | | | | | |
| | algebras, classical probability, and Kolmogorov's axioms. | | | | | | |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 **Random Events and Random Variables** 15 hours

conditional probability - Bayes Theorem Independent events - Random variables - Distribution Function - Joint Distribution - Marginal Distribution - Conditional Distribution - Independent random variables - Functions of random variables.

| Unit:2 | Parameters of the Distribution | 15 hours |
|--------|--------------------------------|----------|
| | | |

Expectation – Moments - The Chebyshev Inequality Absolute moments. Characteristic functions: Properties of characteristic functions - Characteristic functions and moments-semi invariants characteristic function of the sum of the independent random variables - Determination of distribution function by the Characteristic function - Characteristic function of multidimensitional random vectors - Probability generating functions.

Unit:3 Some Probability distributions 15 hours

One point, two point, Binomial - Polya -Hypergeometric - Poisson (discrete) distributions-Uniform-normal gamma-Beta-Cauchy and Laplace (continuous) distributions.

Unit:4 Limit Theorems 15 hours

Stochastic convergence - Bernaulli law of large numbers - Convergence of sequence of distribution functions - Levy - Cramer Theorems - de Moivre -Laplace Theorem - Poisson, Chebyshev, Khintchine Weak law of large numbers - Lindberg Theorem - Lapunov Theorem - Borel - Cantelli Lemma -Kolmogorov Inequality and Kolmogorov Strong Law of Large numbers.

Unit:5 Markov Chains 13 hours

Preliminaries-Homogeneous Markov chains-The Transition matrix Theergodic theorem- Random variables forming a homogeneous Markov chain.

Unit:6 Contemporary Issues 2 hours

Expert lectures, online seminars - webinars

Total Lecture hours 75 hours

Text Book(s)

"Probability theory and Mathematical statistics" by MarekFisz, John Wiley and Sons, ThirdEdition, New York, 1963.

Unit I: Chapter 1 & 2: 1.5-1.7, 2.1-2.9; Unit II: Chapter 3 & 4: 3.1-3.5, 4.1-4.7

Unit III: Chapter 5: 5.1-5.10; Unit IV: Chapter 6: 6.2-6.4,6.6-6.9,6.11,6.12

Unit V: Chapter 7: 7.1-7.5

Reference Books

- 1 "Introduction to Mathematical Statistics" by Robert V. Hogg & Allen T. Craig, , 5th Edition, Pearson Education, Singapore, 2002.
- 2 "Introduction to Probability Models" by S.M. Ross, Academic Press, India, 2000
- 3 "Mathematical Statistics" by John E. Freund, 5th edition, Prentice Hall India, 1994.

Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

- 1 https://www.youtube.com/watch?v=mrCrjeqJv6U&list=PLbMVogVj5nJQWowhOG0-K-yI-bwRRmm3C
- 2 https://www.youtube.com/watch?v=VVYLpmKRfQ8&list=PLbMVogVj5nJQrzbAweTVvnH6-vG5A4aN5

Course Designed By: Dr. R. Rakkiappan

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | L | M | M | S | S | S | S | S | S | S |
| CO2 | L | S | S | S | S | M | S | S | S | S |
| CO3 | S | M | M | S | S | S | S | S | S | S |
| CO4 | S | S | S | S | M | S | S | S | S | S |
| CO5 | M | S | S | S | S | S | S | S | S | S |

^{*}S-Strong; M-Medium; L-Low

| | | | bea | A DA | ILD | . 20.0 | |
|--|--------------------|--|---------------------|------|------------|--------|--|
| Course code | 19MATAEE | FUZZY SET THEORY | L | Т | P | C | |
| Core/Elective/S | upportive | Elective | 4 | 1 | 0 | 4 | |
| Pre-requisite | | Basic knowledge in set theory & Analysis | Syllabus Version | | 202 202 | | |
| Course Objectiv | ves: | | • | · · | | | |
| The main object | ives of this cours | e are to: | | | | | |
| 1. To underst | and the basic kno | owledge of fuzzy set theory. | | | | | |
| 2. To gain kn | owledge in fuzzy | relations and fuzzy measures | | | | | |
| 3. To learn the basics of pattern recognition and decision making. | | | | | | | |
| 4. To learn al | bout relations bet | ween crisp and fuzzy in applications. | | | | | |

Expected Course Outcomes:

| On the successful completion of the course, student will be able to: | | | | | | | | |
|--|-----|---|----|--|--|--|--|--|
| | CO1 | It lays foundation for difference between the concepts of crisp and fuzzy set, | K2 | | | | | |
| | | principle for fuzzy sets in the real life situations. | | | | | | |
| | CO2 | The ability to use and understand the concept of operations on fuzzy sets- Union, | | | | | | |
| | | intersection, complement properties of α-cuts. | | | | | | |
| | CO3 | This course also provides the several relations according to the fuzzy set theory and | K3 | | | | | |
| | | 11 11 11 | | | | | | |

CO3 This course also provides the several relations according to the fuzzy set theory and possibility theory

CO4 Knowledge and understanding of the applications such as Fuzzy clustering; Fuzzy image processing, fuzzy decision making and fuzzy ranking methods.

CO5 Demonstrate understanding of the Fuzzy Set theory in real applications

K4

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 Crisp sets and Fuzzy sets 12 hours

Fuzzy Sets (basic concepts); Representation of fuzzy sets; Decompositions theorems; Extension Principle for fuzzy sets.

Unit:2 Operation on fuzzy sets 14 hours

Operations on Fuzzy sets-Union, intersection and complement; Properties of De-Morgan's Laws: α -cuts of fuzzy operations.

Unit:3 Fuzzy Relations 14 hours

Crisp and fuzzy relations-Projections; Binary fuzzy relations; Binary relations on a single set; Fuzzy equivalence relations; Fuzzy compatibility relations; Fuzzy ordering relations; Fuzzymorphism; Compositions of fuzzy relations

| Unit:4 | Possibility theory | 15 hours |
|-----------------|---|--------------------|
| Fuzzy Measure | e; Evidence Theory; Possibility theory; fuzzy sets and possibility theo | ory. |
| | | |
| Unit:5 | Pattern Recognition& Fuzzy Decision Making: | 18 hours |
| Fuzzy clusteri | ng; Fuzzy image processing. Multi-person decision making; Mult | icriteria decision |
| making; Multi | stage decision making; Fuzzy Ranking Methods. | |
| | | |
| Unit:6 | Contemporary Issues | 2 hours |
| Expert lectures | s, online seminars - webinars | |
| | | |
| | Total Lecture hours | 75 hours |
| Text Book(s) | | |
| 1 "Fuzzy So | ets and Fuzzy Logic: Theory and Applications" by George J. Kl | ir and Bo Youn, |
| Prentice F | Iall of India, 2004. | |
| | | |
| | | |
| Reference Bo | oks | |
| 1 "Fuzzy Se | t theory a <mark>nd its Applications" by H.J. Zimmerman, Kluw</mark> er Academi | c Publishers,. |
| 2 "Fuzzy Se | ts and Sy <mark>stems: Theory and Applications" by D. DuBois</mark> and H.M. P | rade, Academic |
| Press, 199 | 4. 4 | |
| | | |
| Related Onlin | e Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| 1 https://np | el.ac.in/course <mark>s/111/102/111102130/</mark> | |
| 2 https://np | rel.ac.in/courses/127/105/127105006/ | |
| 3 https://wv | vw.youtube.com/watch?v=oWqXwCEfY78 | |
| | | |
| Course Design | ed By: Dr. S. Narayanamoorthy | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | M | S | S | M | S | M | S | M | M | S |
| CO2 | S | M | S | S | M | S | M | S | S | M |
| CO3 | M | S | S | M | S | S | S | S | S | S |
| CO4 | S | S | S | S | M | S | S | S | S | M |
| CO5 | S | S | S | M | S | S | S | S | L | S |

^{*}S-Strong; M-Medium; L-Low

| Course code | 19MATAEF | GRAPH THEORY | L | T | P | C |
|-----------------|-----------|--------------|----------------|---|------------|---|
| Core/Elective/S | upportive | Elective | 4 | 1 | 0 | 4 |
| Pre-requisite | | , 11 0 | Sylla Versi | | 202 202 | |

The main objectives of this course are to:

- 1. Explain basic concepts in graph theory, with an emphasis on applications and modeling.
- 2. Discuss the key ideas, theorems, and proofs of the important result.
- 3. To learn to model problems using graphs and to solve these problems algorithmically.
- 4. To develop rigorous logical thinking and analytical skills by graph theoretic concepts, which helps for solving real time problems.

Expected Course Outcomes:

On the successful completion of the course, student will be able to:

| On the | successful completion of the course, student will be able to. | |
|--------|---|----|
| CO1 | Grasp the type of graphs, features, properties of special graphs | K2 |
| CO2 | Use the concept and properties of different types of trees | K3 |
| CO3 | Formulate and prove central theorems about trees, matching, connectivity, colouring and planar graphs | K3 |
| CO4 | Discuss the concept of graph, tree, Euler graph, cut set and Combinatorics | K4 |
| CO5 | Use graph theory as a modelling tool | K6 |

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create

Unit:1 Graphs And Subgraphs 13- hours

Elementary Concepts of Graphs and Digraphs , Graphs - Degree sequences - Connected graphs and Distance -Digraphs and Multigraphs - Cut vertices - Bridges - Blocks - Automorphism group of a graph.

Unit:2 Trees and Connectivity 15- hours

Trees and Networks: Trees, cut edges and bonds, cut vertices, Cayley Formula, the maxflow min-cut theorem, connectivity, blocks. The Connector problem, Menger's theorem.

Unit:3 Euler Tours and Hamilton Cycles 15- hours

Euler and Hamiltonian Paths. Necessary and sufficient conditions for Euler circuits and paths in simple, undirected graphs. Hamiltonicity: noting the complexity of hamiltonicity, Traveling Salesman's Problem, Nearest neighbor method.

| Unit:4 | Planar Graphs | 15- hours |
|--------|---------------|-----------|

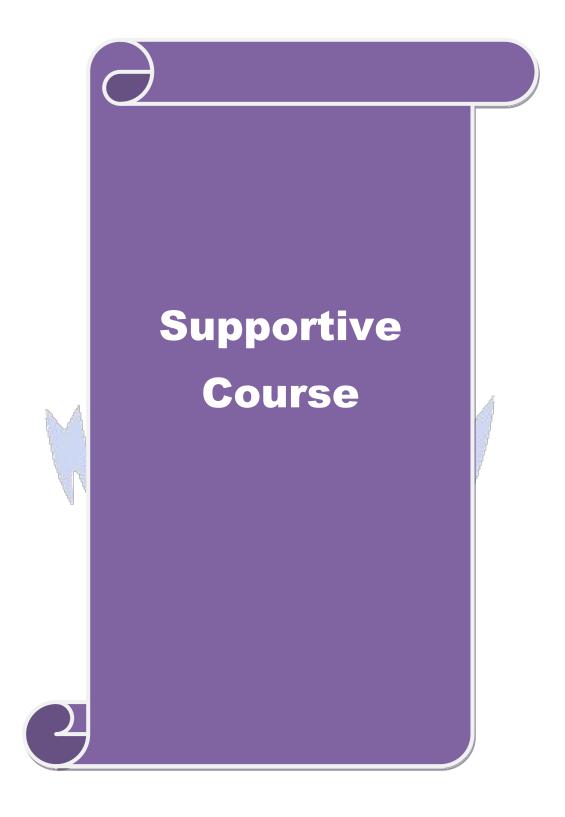
Planarity in graphs, Euler's Polyhedron formula. Kuratowski's theorem . Vertex connectivity, Edge connectivity, covering, Independence.

| Unit:5 | Matching and Colouring | 15- hours |
|------------------|---|-----------------------|
| Matching in Bij | partite graphs, perfect matching. The personnel Assignment pro | blems, The Optimal |
| assignment prob | lems. Colorings: Edge chromatic number, Coloring of Chordal gr | raph, Class-1 graphs, |
| Class-2 graphs, | Vizing's theorem, Brook's theorem. | |
| | | |
| Unit:6 | Contemporary Issues | 2 hours |
| The Shortest Pat | th Problem, The Chinese Postman Problem, The Personnel Assign | ment Problem |
| | | |
| | Total Lecture hours | 75- hours |
| Text Book(s) | | |
| - | ory with Applications" by Bondy, J. A. and Murty, U.S.R. North | Holland Publication |
| (2000). | | |
| D.C. D.I | | |
| Reference Bool | | |
| - | eory with A <mark>pplication to Engineering and Comp</mark> uter Science" | ' by Narasing Deo, |
| | ll of India, N <mark>ew Del</mark> hi. 2003 | |
| 2 "Graph The | ory" by F. H <mark>arary</mark> : Addition Wesley, 1969 | |
| | | |
| Related Online | Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | Á |
| 1 Graph The | ory A NPTEL Course by S.A. Choudum, Department of Math | nematics IIT Madras |
| Chennai, In | dia https://nptel.ac.in/courses/111/106/111106050/ | 7 |
| 2 Graph Theo | ory by Prof. SoumenMaity, IISER, PUNE https://swayam.gov.in/i | nd1_noc20_ma05 |
| 3 Graph Theo | ory by Prof. S.A. Choudum, IIT Madras, | |
| https://npte | l.ac.in/courses/111/106/111106102/ | |
| , | | |
| Course Designed | d By: Dr. S. Bharathi (BUPEC, Erode) | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | M | M | M | S | M | M | M | M | S |
| CO2 | S | M | M | S | S | S | M | M | S | S |
| CO3 | S | M | M | S | S | S | M | M | S | M |
| CO4 | S | S | M | S | S | S | M | M | S | S |
| CO5 | S | M | S | S | S | S | M | S | S | S |

^{*}S-Strong; M-Medium; L-Low

| | | | | | | . <u> </u> | | | |
|-------------------|-------------------|--|---------|--------|-------|------------|--|--|--|
| Course code | 19MATAEG | Advancements in Industry 4.0 | L | T | P | C | | | |
| Core/Elective/S | upportive | Elective | 4 | 1 | 0 | 4 | | | |
| Pre-requisite | | Basic knowledge computer science | | | | | | | |
| Unit:1 | | MACHINE LEARNING | | 1 | 5 ho | urs | | | |
| | g_Introduction-D | efinition-Types of Machine Learning-Supervise | ed, Uns | | | | | | |
| | _ | ithms for Machine Leaning – Problems solved b | | _ | | | | | |
| | | arning – Applications areas of Machine Learnin | - | | | | | | |
| | | | | | | | | | |
| Unit:2 | Ro | obotic Process Automation (RPA) | | 1 | 5 ho | urs | | | |
| Robotic Process | Automation (RP. | A): Introduction to RPA – Need for automation | Progra | ımmi | ng | | | | |
| constructs in RP | A - Robots and S | oftbots – RPA architecture and process method | ologies | s – In | dustr | ies | | | |
| best suited for R | PA – Risks & Ch | allenges with RPA | | | | | | | |
| | | | | | | | | | |
| Unit:3 | , | Cloud Computing | Á | 1 | 5 ho | urs | | | |
| Cloud Computin | g: Need – Defini | tion – Types of Cloud – Types of Services – Sa | aS, Paa | aS,Iaa | as | | | | |
| | | Carrier Character Characte | 3 | | | | | | |
| Unit:4 | | Cyber Security | | 1 | 5 ho | urs | | | |
| Cyber Security: | Cyber Crime and | Information Security – Classification of Cyber | Crime | es Ty | pes o | f | | | |
| Cyber Attacks – | Cyber crime and | Indian IT Act 2000 - Security Methods | u | | | | | | |
| | 1 | | | | | | | | |
| Unit:5 | | Virtual Reality | | 1 | 3 ho | urs | | | |
| Virtual Reality: | Definition – Type | es of Head Mounted Displays - Tools for Virtua | al Real | ity – | | | | | |
| Applications of | VR in Education, | Industries – Differences between VR and AR . | | | | | | | |
| Unit:6 | | Contemporary Issues | | | 2 ho | <u> </u> | | | |
| | online seminars - | 1 0 | | | | | | | |
| Empere rectares, | | Total Lecture hours | | 7 | 5 ho | urs | | | |
| Text Book(s) | | I otta Lecture nours | | | | 410 | | | |
| | | stry 4.0 and Transformation to Education 5.0 |)" by : | P.Ka | liraj | and | | | |
| Related Online | Contents [MOO | C, SWAYAM, NPTEL, Websites etc.] | | | | | | | |
| 1 www.uipatl | | • | | | | | | | |
| | | | | | | | | | |
| Course Designed | d By: Universi | ty | | | | | | | |



SUPPORTIVE COURSES

| Course code | | APPLIED MATHEMATICS-I | L | T | P | C |
|----------------------------------|--|--|----------------|-------|-------------|----------|
| Core/Elective/S | Supportive | Supportive | 2 | 0 | 0 | 2 |
| Pre-requisite | | Any allied mathematics course in under graduation | Sylla Versi | | 2020 202 | |
| Course Object | ives: | , - | | | | |
| The main object | tives of this course | are to: | | | | |
| Introduce ba | asic annlied mathen | natics to students from other Departments | | | | |
| | | ed mathematics which are essential in probler | n solv | ing | | |
| | | s in differential equations and vector calculus | | 8 | | |
| | | | | | | |
| Expected Cour | usa Ovetsamasa | | | | | |
| On the successf | | e course, student will be able to: | | | | |
| | - | nd their systems arising in other field | | | K2 | , |
| Solve and | orontial equations a | and their systems drising in other rend | | | 112 | , |
| 2 Formulate | e differen <mark>tial equa</mark> tion | ons for the given scenario | | | K3 | ı |
| 3 Extend ba | sic calcu <mark>lus to vect</mark> | ors | Á | | K3 | , |
| K1 - Remember | r; K2 - Understand; | K3 - Apply; K4 - Analyze; K5 - Evaluate; K | 6 - C1 | reate | | |
| T. | | | 7 | | | |
| Unit:1 | | dinary Differential Equations | 7 | | 7 ho | |
| | TO | mogeneous linear equations with constant co | | nts - | - case | e of |
| complex roots - | - non-homogeneous | equations – solutions by variation of parame | ters. | | | |
| TI '4 2 | G 4 CO | Diff. Air Diff. | | | 7 1 | |
| Unit:2 | | rdinary Differential Equations - Basics : introductory ideas on vectors, matrices, | oigo | | 7 ho | |
| - | - | heory – homogeneous linear systems with cor | _ | | | |
| eigenvectors o | asie concepts and t | neory nomogeneous mear systems with cor | <u> </u> | 0001 | 110101 | <u> </u> |
| Unit:3 | Systems of | Ordinary Differential Equations - | | | 7 ho | urs |
| | | Applications | | | | |
| Systems of diffe | erential equations: p | phase plane, critical points and stability. | | | | |
| Unit:4 | | Vector Differentiation | | | 7 ho | urs |
| Differential calc | culus: Calculus in se | everal variables – gradient – divergence - curl | l | | | |
| | I | | | | | |
| Unit:5 | 1: : | Vector Integration | . , | | 8 ho | urs |
| integral calculu | s: line integrals – pa | ath independence (statements alone) - double | ıntegr | ais. | | |

| Uni | it:6 | Contemporary Issues | 1 hours |
|-----|---------------|--|---------------------|
| Exp | ert lectures, | online seminars - webinars | |
| | | | |
| | | Total Lecture hours | 37 hours |
| Tex | t Book(s) | | |
| 1 | "Advanced | Engineering Mathematics" by E. Kreyszig, Eighth Edition, Jo | ohn Wiley and Sons, |
| | (Asia) Pvt | Ltd., Singapore, 2000. | |
| | Unit I: Cl | napter 2: Sections 2.2, 2.3, 2.8, 2.10 | |
| | Unit II: Cl | napter 4: Sections 4.0, 4.2, 4.3 | |
| | Unit III: Cl | napter 4: Section 4.4 | |
| | Unit IV: Cl | napter 8: Sections 8.8- 8.11 | |
| | Unit V : Cl | napter 9: Sections 9.1, 9.2, 9.3 | |
| | | | |
| | | | |
| | | | |
| Ref | erence Boo | ks | |
| 1 | "Higher En | gineering Mathematics" by B.S.Grewal, Khanna Publishers, 4 | 3rd Edition 2015 |
| 2 | "Essential | Mathematical Methods for Physicists" by H.J. Weber and G.E | B. Arfken, Academic |
| | Press, 2003 | | M |
| | 1 | | |
| Rel | ated Online | Contents [MOOC, SWAYAM, NPTEL, Websites etc.] | |
| 1 | https://ww | w.edx.org/course/mathtrackx-differential-calculus (Dr Melissa | Humphries, |
| | University | of Adelaide) | |
| 2 | https://ww | w.edx.org/course/engineering-calculus-and-differential-equatio | ns (Prof. Kwok |
| | Wing Chov | w and Prof. Kai Man Tsang, University of Hong Kong) | |
| | ı | SULITORI S | |
| Coı | ırse Designe | d By: Dr. S. Saravanan | |

| 191GS56 | APPLIED MATHEMATICS-II | L | T | P | C |
|----------------|--|--|---|---|---|
| pportive | Supportive | 2 | 0 | 0 | 2 |
| | Any allied Mathematics subject in | Sylla | bus | 202 | 0- |
| | Undergraduate studies | Versi | on | 202 | 1 |
| | | | | | |
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| | | near, no | JIIIOĘ | genec | us |
| _ | | rential e | equa | tions | |
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| | The second secon | | | | |
| | - | | | K ² | ι |
| K2 - Onderst | and, K3 - Appry, K4 - Anaryze, K3 - Evaluate, K0 | - Crea | ie | | |
| Fourie | r Analysis and Partial Differential Fountions | | Q | hoi | ırc |
| | The state of the s | sions | | 1100 | 113 |
| ictions of per | lod 2% even and odd functions ham tange expans | 10113. | | | |
| Fourier | Analysis and Partial Differential Equations | | , | 7 hoi | ırs |
| | | | | | |
| | 0.5 | | | | |
| | | | , | 7 hou | ırs |
| Fourier A | Analysis and Partial Differential Equations | | | | |
| l | Analysis and Partial Differential Equations asic concepts - solution using separation of variable | es. | | | |
| l | | es. | | | |
| l equations: b | asic concepts - solution using separation of variable Complex Analysis | | | 7 hou | |
| l equations: b | asic concepts - solution using separation of variable | | | 7 hou | |
| l equations: b | asic concepts - solution using separation of variable Complex Analysis | | | 7 hou | |
| l equations: b | Complex Analysis gral – two integration methods - Cauchy integral | | m - | 7 hou Cauc | hy |
| l equations: b | Complex Analysis gral – two integration methods - Cauchy integral Residue Theorem | theore | m - | 7 hou | hy |
| l equations: b | Complex Analysis gral – two integration methods - Cauchy integral | theore | m - | 7 hou Cauc | hy |
| l equations: b | Complex Analysis gral – two integration methods - Cauchy integral Residue Theorem sidues - residue theorem - evaluation of real integral | theore | m - | 7 hou Cauc | hy |
| l equations: b | Complex Analysis gral – two integration methods - Cauchy integral Residue Theorem sidues - residue theorem - evaluation of real integra Contemporary Issues | theore | m - | 7 hou Cauc | hy |
| | es: ves of this cousic concepts of the methods the mogeneous case are Fourier series in the problems of the simple problems of the simple physical completion of the simple phy | Any allied Mathematics subject in Undergraduate studies es: ves of this course are to: sic concepts of system dynamics and applications in various disc the methods to analyze the system behavior for linear and nonlin nogeneous cases. e Fourier series and its application to the solution of partial differ imple problems using Fourier transform and Complex Integration. e Outcomes: completion of the course, student will be able to: the simple physical processes as mathematical models. the appropriate methods to solve the mathematical problems. The acquired knowledge to identify the different kinds of system be fourier transform, inverse Fourier transform and Residue of a fund and evaluate partial derivatives and integrals of multivariable K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 Fourier Analysis and Partial Differential Equations metions of period 2π - even and odd functions - half range expansion. Fourier Analysis and Partial Differential Equations | Any allied Mathematics subject in Undergraduate studies version of this course are to: sic concepts of system dynamics and applications in various disciplines the methods to analyze the system behavior for linear and nonlinear, he mogeneous cases. e Fourier series and its application to the solution of partial differential of mple problems using Fourier transform and Complex Integration. e Outcomes: completion of the course, student will be able to: the simple physical processes as mathematical models. the appropriate methods to solve the mathematical problems. the acquired knowledge to identify the different kinds of system behavior fourier transform, inverse Fourier transform and Residue of a function. The dand evaluate partial derivatives and integrals of multivariable function. The Analysis and Partial Differential Equations metions of period 2π - even and odd functions - half range expansions. Fourier Analysis and Partial Differential Equations The properties of this course, student will be able to: a properties and integrals of multivariable functions. The properties of this course, student will be able to: a properties and its applications of system behavior for inear and nonlinear, he may be a properties and integrals of system behavior for inear and nonlinear, he may be a properties and integrals of system behavior for inear and nonlinear, he may be a properties and nonlinear, he may be a properties and nonlinear and nonlinear, he may be a properties and nonlinear and nonlinear, he may be a properties and nonlinear, he may be a properties and nonlinear and nonlinear, he may be a properties and nonlinear and nonlinear, he may be a properties and nonlinear, he | Any allied Mathematics subject in Undergraduate studies version es: version system dynamics and applications in various disciplines, the methods to analyze the system behavior for linear and nonlinear, homogeneous cases. e Fourier series and its application to the solution of partial differential equal pulled problems using Fourier transform and Complex Integration. e Outcomes: completion of the course, student will be able to: the simple physical processes as mathematical models. the appropriate methods to solve the mathematical problems. the acquired knowledge to identify the different kinds of system behavior. Fourier transform, inverse Fourier transform and Residue of a function. and and evaluate partial derivatives and integrals of multivariable functions K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create Fourier Analysis and Partial Differential Equations metions of period 2π - even and odd functions - half range expansions. | Any allied Mathematics subject in Undergraduate studies Version 202 es: ves of this course are to: sic concepts of system dynamics and applications in various disciplines. the methods to analyze the system behavior for linear and nonlinear, homogeneonogeneous cases. e Fourier series and its application to the solution of partial differential equations, imple problems using Fourier transform and Complex Integration. e Outcomes: completion of the course, student will be able to: the simple physical processes as mathematical models. the appropriate methods to solve the mathematical problems. the acquired knowledge to identify the different kinds of system behavior. Fourier transform, inverse Fourier transform and Residue of a function. The dam devaluate partial derivatives and integrals of multivariable functions. K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6 - Create Fourier Analysis and Partial Differential Equations 8 hounctions of period 2π - even and odd functions - half range expansions. |

Text Book(s)

1 "Advanced Engineering Mathematics" by E. Kreyszig, Eighth Edition, John Wiley and Sons, (Asia) Pvt Ltd., Singapore, 2000.

Unit I: Chapter 10.2, 10.4, 10.5 Unit II: Chapter 10.11 Unit III: Chapter 11.1, 11.3 Unit IV: Chapter 13.1, 13.2, 13.3, 13.5 Unit V: Chapter 15.1-15.3

Reference Books

- 1 "Higher Engineering Mathematics" by B.S. Grewal, Thirty Eighth Edition, Khanna Publishers, New Delhi, 2004.
- 2 "Higher Engineering Mathematics" by John Bird, Sixth Edition, Published by Elsevier Ltd. 2010

Related Online Contents [MOOC, SWAYAM, NPTEL, Websites etc.]

- 1 https://nptel.ac.in/courses/111/105/111105035/
- 2 https://nptel.ac.in/courses/111/106/111106046/
- 3 https://www.youtube.com/watch?v=gZNm7L96pfY

Course Designed By: Dr. M. Muthtamilselvan



Job Oriented Certificate Programme (Add on Programme)

| Job Orie | nted Course | Data Analytics using R | Cre | dits: 4 |
|------------|--------------------------|--|---------------------|-------------|
| Pre-requ | isite | Basic knowledge of programming and | Syllabus | 2020- |
| | | statistics | Version | 2021 |
| | Objectives: | | | |
| | objectives of this o | | | |
| | | ning knowledge in R | | |
| | ar Algebra, Numer | ods to visualize data | | |
| | n machine learning | | | |
| | | , | | |
| Expected | Course Outcome | s: | | |
| On the su | ccessful completion | n of the course, student will be able to: | | |
| 1 Dov | wnload and install o | ppen sou <mark>rce</mark> software R | | K1 |
| 2 Visu | ualize and summar | ize data | | K2 |
| 3 Rec | ognize Rconcepts t | tha <mark>t are enc</mark> ountered in the real wor <mark>ld, und</mark> erstand | and be able | К3 |
| to c | ommunicate the un | derlying mathematics involved in order to solve t | the problems | |
| usin | ıg multiple approac | thes | | |
| 4 Det | ermine the solution | <mark>s of Li</mark> near Alge <mark>bra</mark> and Numerica <mark>l M</mark> etho <mark>ds u</mark> sin | ng R | K5 |
| 5 Stud | dents are introduce | d to modern concepts and methodologies in R | | K6 |
| K1 - Rem | nember; K2 - Unde | r <mark>stand; K3 - Apply; K4 - Analyze; K5 -</mark> Evaluate | ; K6 – Creat | e |
| | | | | |
| Unit:1 | | Essentials of R | | 08 hours |
| Introducti | ion to Data Analyt | ics - Introduction to R – download and installa | tion procedu | ure – Data |
| types: vec | ctors, list, matrix, a | rray, data frame, l <mark>ist - data man</mark> agement. | 7 | |
| | | | | |
| Unit:2 | | Functions of R | | 08 hours |
| | | s – user defined function – Control structures: | looping and | conditional |
| structures | – R packages. | | | |
| | | | | |
| Unit:3 | | Visualization | | 11 hours |
| | | various data - Visualization of data: bar plot - | - | |
| multiple | bar diagram – histo | ogram - boxplot - steam-leaf plot - strip chart — | scatter plot - | - |
| II:4:4 | | Lineau Aleshus | | 00 5 |
| Unit:4 | nanationa America | Linear Algebra | ion) | 09 hours |
| vector O | perations, Arrays a | nd Matrices (Matrix addition, Matrix Multiplicat | ЮП) | |
| | | | | |
| Unit:5 | | Numerical Methods | | 09 hours |
| | | r and modified Euler methods – Runge- Kutta me | | |

| | Total Lecture hours 45 hours |
|----|--|
| Bo | oks for study and References |
| 1 | Crawley, M.J. (2007). The R Book, John Wiley and Sons Limited. |
| 2 | Purohit, Gore and Deshmukh (2008). Statistics Using R, Narosa Publishing House, New Delhi |
| 3 | Gupta, S.P. (2014). Statistical Methods, 43 rd edition, Sultan Chand, New Delhi |
| 4 | "Applied Numerical Analysis" by C.F. Gerald and P.O. Wheatley, Sixth Edition, |
| | AddisonWesley, Reading, 1998. |
| | |
| | |
| Re | lated Online Contents |
| 1 | https://cran.r-project.org/ |
| 2 | https://nptel.ac.in/courses/110/107/1101 <mark>07095/</mark> |
| 3 | http://www.digimat.in/nptel/courses/video/111104100/L01.html |
| | |
| Co | urse Designed By: Dr. S. Narayanamoorthy |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | A S | M | S | S | S | S | M | S | S |
| CO2 | S | M | S | S | M | S | M | S | S | S |
| CO3 | S | S | M | M | S | S | S | S | S | L |
| CO4 | S | S | S | S | M | S | S | S | S | S |
| CO5 | S | M | S | M | S | S | S | S | M | M |

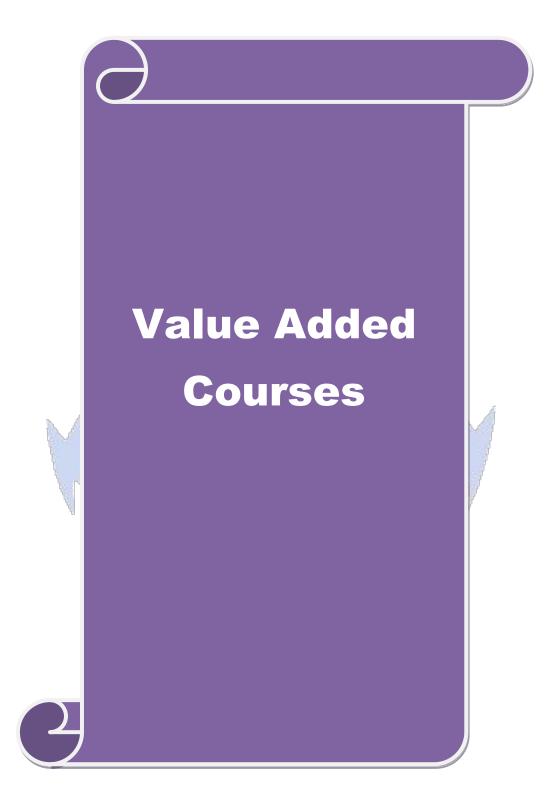
^{*}S-Strong; M-Medium; L-Low

| | iented Course | Python for Data Analytics | Credi | ts: 4 |
|--|---|---|-----------------------|---------|
| Pre-re | anisita | Basic knowledge of programming, statistics | Syllabus | 2020- |
| | quisite | & mathematics | Version | 2021 |
| | | | | |
| | e Objectives: | | | |
| | ain objectives of this co | | | |
| | 1 0 | ng knowledge in Python | | |
| | earn descriptive statistic earn machine learning T | | | |
| | earn ODE using Python | | | |
| т. Д | carn ode asing i ymon | | | |
| Expect | ted Course Outcomes: | | | |
| On the | successful completion | of the course, student will be able to: | | |
| CO1 | Remember to downlo | ad and install open source software Python | | K1 |
| CO2 | | pncepts that are encountered in the real world, un | | K2 |
| | | nunicate the underlying mathematics involved in | order to | |
| 900 | | ing multiple approaches | | *** |
| CO3 | | programming in to the real world problems | | K3 |
| CO4 | | ns of ODE using Python | | K4 |
| CO5 | | cures for real applications | Á | K5 |
| CO6 | 100 /000 | ed to modern concepts and methodologies in Pytho | | K6 |
| K1 - R | emember; K2 - Unders | tand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K | 6 – Create | |
| | | | 1 | |
| Unit:1 | | Introduction to Python | | hour |
| | | thon-Python Features-Python Interpreter- Install | ation and | setup: |
| Windo | ws-Linux-macOS-Insta | lling/ Updating Python Packages. | | |
| TT 1. A | | D. I. G. | 1 4 | |
| Unit:2 | | Data Structures | |) hours |
| T . 1 | | -Python List: Introduction-Accessing values-List | - | ion-Lis |
| | · D4 T 1 C | | | |
| Operat | | Creating Tuples-Operation in Tuples- Accessing | and Funct | ions in |
| Operat Tuples | | | | |
| Operation Tuples. Unit:3 | | Descriptive Statistics | 08 | |
| Operation Tuples. Unit:3 | | | 08 | |
| Operation Tuples. Unit:3 Description | iptive Statistics – Meas | Descriptive Statistics ures of location and Scale – Correlation and regres | sion. | 8 hours |
| Operat Tuples Unit:3 Descr | iptive Statistics – Meas | Descriptive Statistics ures of location and Scale – Correlation and regres Machine Learning Techniques | 08 sion. | 8 hours |
| Operat Tuples. Unit:3 Descr Unit:4 Machir | iptive Statistics – Meas ne Learning – Introduct | Descriptive Statistics ures of location and Scale – Correlation and regres Machine Learning Techniques tion – supervised and unsupervised machine learning | 08 sion. | 8 hour |
| Operat Tuples Unit:3 Descr Unit:4 Machir | iptive Statistics – Meas | Descriptive Statistics ures of location and Scale – Correlation and regres Machine Learning Techniques tion – supervised and unsupervised machine learning | 08 sion. | 8 hours |
| Operat Tuples Unit:3 Descr Unit:4 Machir | iptive Statistics – Meas ne Learning – Introduct rimination – Clustering | Descriptive Statistics ures of location and Scale – Correlation and regres Machine Learning Techniques tion – supervised and unsupervised machine learning | sion. 10 ng - Classi | 8 hours |

| | | Total Lecture hours | 45 hours | | | | | | |
|-----|--------------------------------|---|----------------|--|--|--|--|--|--|
| Boo | Books for study and References | | | | | | | | |
| 1 | Fred L.Drake | e, Guido Van Russomk, "An Introduction to Python", Network T | heory Limited. | | | | | | |
| 2 | Magnus Lie | Hetland, Beginning Python: From Novice to Professional", 2nd Ec | lition. | | | | | | |
| 3 | Gupta, S.P. (| 2014). Statistical Methods, 43 rd edition, Sultan Chand, New Delhi | | | | | | | |
| 4 | Kaliraj P and | Devi T, Highere education for Industry 4.0 and Transformation to | Education | | | | | | |
| | 5.0, 2020 | | | | | | | | |
| | | | | | | | | | |
| Rel | ated Online (| Contents | | | | | | | |
| 1 | https://www. | youtube.com/watch?v=VV3BnroVjZo | | | | | | | |
| 2 | https://www. | youtube.com/watch?v=Dkifb6nytao | | | | | | | |
| 3 | https://nptel.a | ac.in/courses/111/107/111107137/ | | | | | | | |
| | • | | | | | | | | |
| Cou | ırse Designed | By: Dr. S. Narayanamoorthy | | | | | | | |

| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
|-----|-----|-----|-----|-----|-----|-----|-----|-----|-----|------|
| CO1 | S | S | M | M | S | M | S | M | M | S |
| CO2 | S | M | S | S | M | S | M | S | S | S |
| CO3 | M | S | M | M | S | S | S | S | S | S |
| CO4 | S | S | S | S | M | S | S | S | S | M |
| CO5 | S | S | S | M | S | M | S | L | M | S |

^{*}S-Strong; M-Medium; L-Low



Value Added Programme (Add on Programme)

| Value added Course | ie added Course Latex Credits: 4 | | | | |
|--|--|------------------------------------|--------------------|--|--|
| Pre-requisite | Basic knowledge of programming & mathematics | Syllabus Version | 2020-2021 | | |
| Course Objectives: | | | | | |
| The main objectives of the | is course are to: | | | | |
| 1. Introduce the Software knowledge in Latex | | | | | |
| Learn Mathematics structures using Latex Understanding the basic concepts and their properties are important for the development of | | | | | |
| 3. Understanding the bathe present and further | | ortant for the | development of | | |
| the present and farth | or courses. | | | | |
| Expected Course Outcon | mes: | | | | |
| On the successful comple | etion of the course, student will be able to: | | | | |
| 1 Remember to Downlo | oad and install open source software Latex | | K1 | | |
| 2 Understanding and fo | rmatting Latex | | K2 | | |
| 3 Illustrate to learn to c | reate Latex file | | K3 | | |
| 4 Apply and Analyze th | ne Latex commands to large files | | K3 & K4 | | |
| 5 Able to learn mathem | atics derivations and structures using LAT | EX | K6 | | |
| K1 - Remember; K2 - U | nderstand; K3 - Apply; K4 - Analyze; K5 | <mark>- Ev</mark> aluate; k | K6 – Create | | |
| | | | | | |
| Unit:1 07 hours | | | | | |
| Text formatting, TEX and | lits offspring | | | | |
| | | | | | |
| Unit:2 | | | 09 hours | | |
| What's different in LAT | $EX2\epsilon$, Distinguishing LATEX2 ϵ , Basic o | f a LATEX f | ile | | |
| | | | | | |
| Unit:3 | | <u> </u> | 07 hours | | |
| Commands and Environments-Command names and arguments, Declarations Lengths, special | | | | | |
| Characters. | | | | | |
| Unit:4 | | | 09 hours | | |
| | ganization-Document class, Page style, Pa | rts of the Do | | | |
| 2 0 0 million and 0 1 game and 0 1 game and 1 ago 50 jie, 1 are 50 the Document | | | | | |
| Unit:5 | | | 08 hours | | |
| Table of Contents, Fine tuning text, Footnotes and marginal notes. | | | | | |
| | | | | | |
| | Total Lecture | hours | 40 hours | | |
| Books for study and References | | | | | |
| 1 H. Kopka and P.W. D | Daly, "A guide to LATEX" - third Edition, | , Addison –W | Vesley, London | | |

1999.

2 **Stefan Kottwitz** "LaTeX Beginner's Guide: Create High-quality and Professional-looking Texts, Articles, and Books for Business and Science Using LaTeX" Packt Publishing, 2011

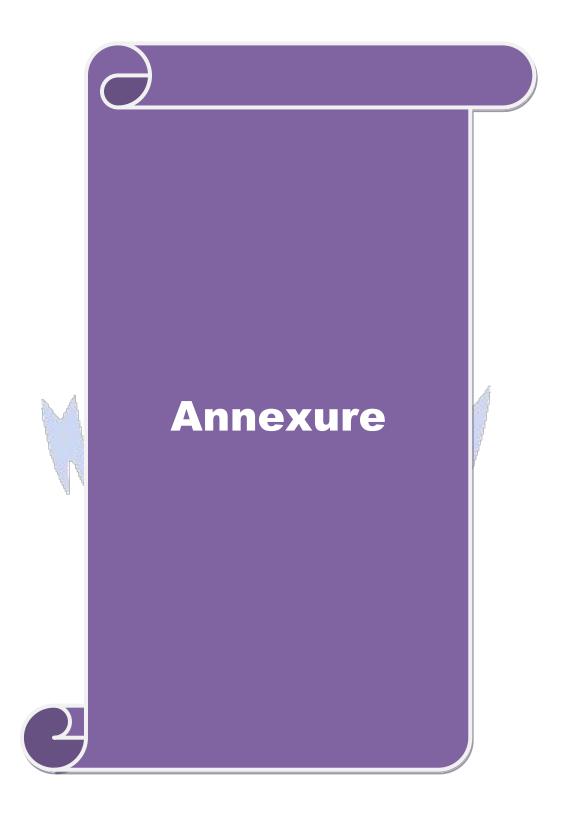
Related Online Contents

- 1 https://onlinecourses.swayam2.ac.in/aic20_sp17/preview
- 2 https://www.classcentral.com/course/edx-latex-for-students-engineers-and-scientists-15201
- 3 http://home.iitk.ac.in/~dasgupta/teaching/LSSC/TechInScholComm/A%20Brief%20Introduction%20to%20LaTeX-2017-8.pdf
- 4 http://www.latextemplates.com/

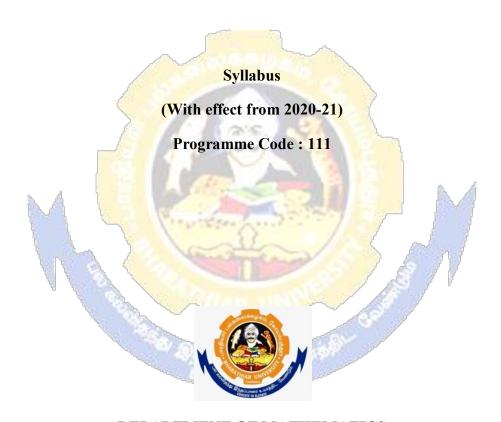
Course Designed By: Dr. S. Narayanamoorthy

| | | | 100 | | | | The second second | | | |
|-----|-----|-----|-----|-----|-----|-----|-------------------|-----|-----|------|
| COs | PO1 | PO2 | PO3 | PO4 | PO5 | PO6 | PO7 | PO8 | PO9 | PO10 |
| CO1 | S | M | S | S | S | S | M | S | S | M |
| CO2 | M | S | S | M | S | M | S | S | M | S |
| CO3 | M | S | S | M | M | M | S | M | S | S |
| CO4 | S | M | S | S | S | S | S | S | S | S |
| CO5 | M | S | M | M | M | M | S | S | M | S |

^{*}S-Strong; M-Medium; L-Low



M. Sc. MATHEMATICS



DEPARTMENT OF MATHEMATICS

Bharathiar University

(A State University, Accredited with "A" Grade by NAAC and 13th Rank among Indian Universities by MHRD-NIRF)

Coimbatore 641 046, INDIA

| LIST OF ELECTIVES | | |
|-------------------|-----|---|
| 19MATAEA | | Numerical Methods |
| 19MATAEB | | Matlab Theory & Practical |
| 19MATAEC | | Computer Programming (C++ Theory & Practical) |
| 19MATAED | | Probability Theory |
| 19MATAEE | | Fuzzy Set Theory |
| 19MATAEF | f** | Graph Theory |
| 19MATAEG | | Advancements in Industry 4.0 |

ONLINE COURSES

In addition to the above, the students have to earn at least two additional credits at any time during the course of study by taking an online course from Swayam.

| | SUPPORTIVE COURSES OFFER | EED TO OTHER DEPARTMENTS |
|---------|--------------------------|--|
| 191GS21 | | Applied Mathematics I (Odd Semester) |
| 191GS56 | | Applied Mathematics II (Even Semester) |