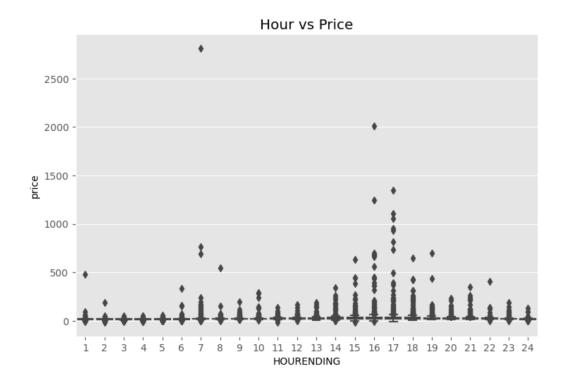
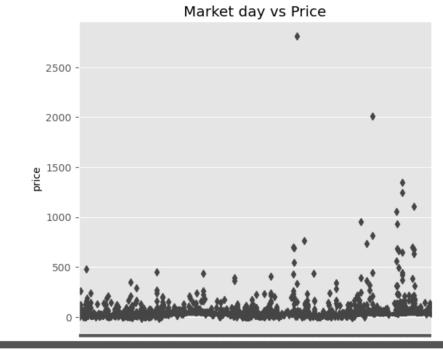
Q3 report

This question is slightly more exploratory than the first two, so I did my best analysis based on my knowledge.

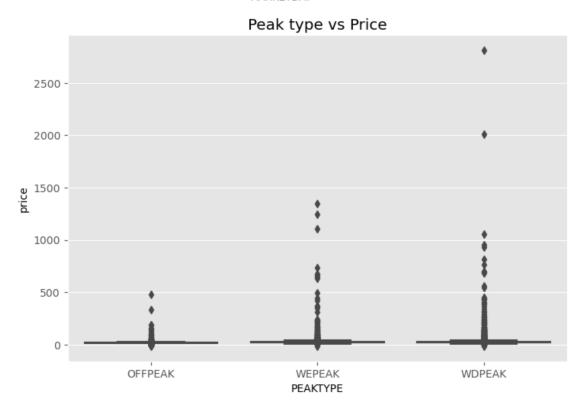
First, we note the object is to predict the price of RTLMP, and we have eight independent variables, wind, solar, and load are numerical variables, and hours ending, peak type, month, and year are categorical variables. Market day is a date variable, so it is tricky; it can be seen as both numerical and categorical variables.

To understand the relationship better, I run a few plot for categorical variables and pair plot for the numerical variables:

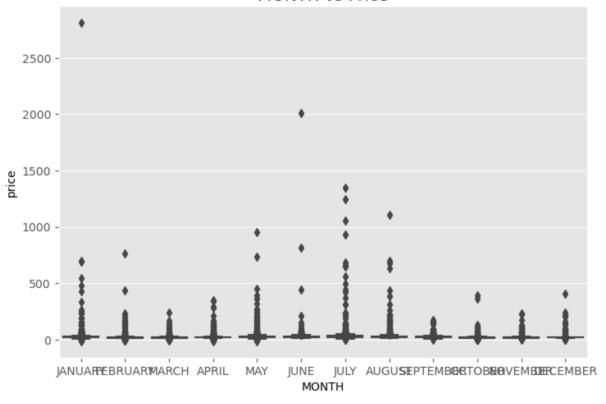


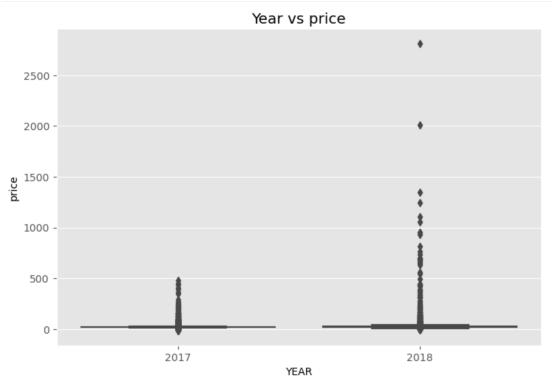


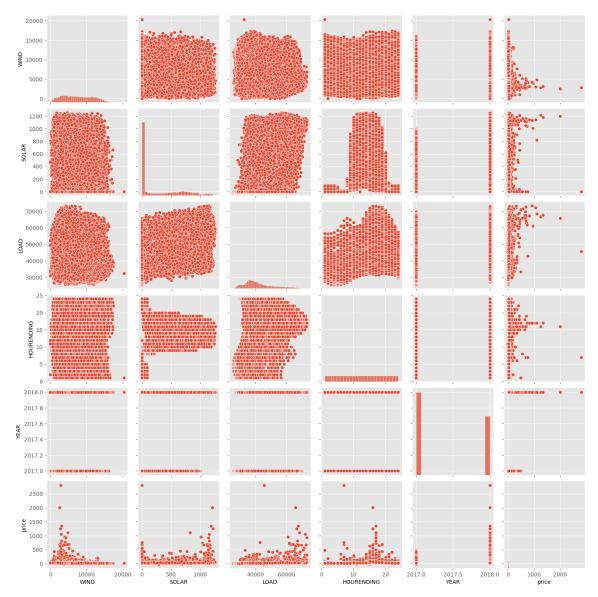
MARKETDAY











From the categorical variables, it appears that certain market day, hours, month, and peak type has higher prices than others, but these are yet to determine. From the numerical variables, It appears that wind has a negative correlation with the price, while all the other numerical variable has a positive correlation with the price. Furthermore, as the correlation matrix below suggests, there is a high correlation between each independent variable as well, so we might need to remove the collinearity as we are doing the modeling.



The other thing we need to do is to change categorical variables to numerical values, these can be done with some simple data processing knowledge and by creating dummy variables. After removing the collinearity from the independent variables (specifically, we removed to load and market day), we can run a linear regression model to predict the price, given the data:

OLS Regression Results

Dep. Variable:		price	R-squared:		0.050				
Model:		0LS	Adj. R-squared:		0.049				
Method:	Least Squares Mon, 29 May 2023 18:11:23		<pre>F-statistic: Prob (F-statistic): Log-Likelihood:</pre>		46.52 6.79e-153 -78377.				
Date:									
Time:									
No. Observations:		14987	AIC:		1.568e+05				
Df Residuals:		14969	BIC:		1.569e+05				
Df Model:		17							
Covariance Type:		nonrobust 							
	coef	std err	t	P> t	[0.025	0.975]			
const	29.6934	1.661	17.879	0.000	26.438	32.949			
WIND	-0.0015	0.000	-14.415	0.000	-0.002	-0.001			
SOLAR	0.0106	0.001	8.323	0.000	0.008	0.013			
HOURENDING	0.4010	0.059	6.836	0.000	0.286	0.516			
YEAR	5.5073	0.826	6.668	0.000	3.888	7.126			
PEAKTYPE_WDPEAK	2.2430	1.082	2.073	0.038	0.122	4.363			
PEAKTYPE_WEPEAK	1.6298	1.244	1.310	0.190	-0.808	4.068			
MONTH_APRIL	-6.2221	1.688	-3.686	0.000	-9.531	-2.913			
MONTH_AUGUST	-3.3763	1.683	-2.006	0.045	-6.675	-0.078			
MONTH_DECEMBER	-6.6147	2.072	-3.192	0.001	-10.677	-2.552			
MONTH_FEBRUARY	-7.4775	1.702	-4.394	0.000	-10.813	-4.142			
MONTH_JULY	0.5551	1.687	0.329	0.742	-2.753	3.863			
MONTH_JUNE	-3.2526	1.693	-1.922	0.055	-6.570	0.065			
MONTH_MARCH	-9.2147	1.665	-5.534	0.000	-12.479	-5 . 951			
MONTH_MAY	-1.8836	1.675	-1.125	0.261	-5.167	1.399			
MONTH_NOVEMBER	-6.4111	2.095	-3.060	0.002	-10.518	-2.305			
MONTH_OCTOBER	-6.0652	2.082	-2.913	0.004	-10.147	-1.984			
MONTH_SEPTEMBER	-8.8869 	1.816 	-4.895 	0.000	-12.446 	-5 . 328			
Omnibus:		38905 . 026	Durbin-Watson:		1.054				
<pre>Prob(Omnibus):</pre>		0.000	Jarque-Bera (JB):		1156315640.049				
Skew:		29.875	Prob(JB): 0.00		0.00				
Kurtosis:		1362.463	Cond. No.		1.00e+05				
						:====			

It looks like we have some insignificant variables with high p-values, so we remove the highest p-value variable each time and run the model again. Finally, we obtain:

OLS Regression Results

Dep. Variable: Model: Method: Date: Time: No. Observations: Df Residuals: Df Model: Covariance Type:		price R-squared: 0.050 OLS Adj. R-squared: 0.049 t Squares F-statistic: 60.32 May 2023 Prob (F-statistic): 5.41e-155 18:11:36 Log-Likelihood: -78380. 14987 AIC: 1.568e+05 14973 BIC: 1.569e+05 13 nonrobust		Adj. R-squared: F-statistic: Prob (F-statistic): Log-Likelihood: AIC:		0.049 60.32 e-155 8380. 8e+05
=======================================	coef	std err	t	P> t	[0.025	0.975]
const WIND SOLAR HOURENDING YEAR MONTH_APRIL MONTH_AUGUST MONTH_DECEMBER MONTH_FEBRUARY MONTH_JUNE MONTH_MARCH MONTH_NOVEMBER MONTH_OCTOBER MONTH_SEPTEMBER		1.285 0.000 0.001 0.054 0.823 1.382 1.361 1.837 1.411 1.376 1.362 1.859 1.838	-2.253 -3.338 -4.865 -2.080 -6.331 -3.186	0.000 0.000 0.000 0.000 0.000 0.024 0.001 0.000 0.038 0.000 0.001 0.002	27.569 -0.002 0.010 0.339 3.791 -8.424 -5.734 -9.734 -9.633 -5.560 -11.293 -9.568 -9.241 -11.566	32.604 -0.001 0.014 0.552 7.016 -3.005 -0.398 -2.531 -4.100 -0.165 -5.954 -2.279 -2.034
Omnibus: Prob(Omnibus): Skew: Kurtosis:		38906.519 0.000 29.877 1363.347	Durbin-Watson: Jarque-Bera (JB): Prob(JB): Cond. No.		1.055 1157816648.568 0.00 6.07e+04	

Now this model has all variables being significant, from the model result, we can conclude that:

- Wind has a negative influence on the price, specifically -0.0015 per unit of increase in wind
- Solar has a positive influence on the price, specifically 0.0118 per unit of increase in solar
- Later ending hour has a positive influence on the price, with a coefficient of 0.4457 per hour
- The year 2018 has a higher price than the year 2017, on average by 5.4033 On average, compared to the month of **January**:
 - The price in April is 5.71 lower
 - The price in August is 3.07 lower
 - The price in December us 6.13 lower
 - The price in February is 6.87 lower
 - The Price in June is 2.86 lower
 - The Price in March is 8.62 lower
 - The price in November is 5.92 lower
 - The price in October is 5.64 lower
 - The price in September is 8.57 lower
 - There is no significant difference in price between January and May or July

lso, there is no significant price difference in regards to peak type (WEPEAK, WI	DPEAK and