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Experiment No.	3

AIM:	Experiment on implementing strassen's multiplication.
Program 1	
Algorithm:	<p>STRASSENS-MULTIPLICATION (A, B):</p> <ol style="list-style-type: none"> 1. $n = A.rows$ 2. Let C be a new $n \times n$ matrix 3. if $n == 2$: <ol style="list-style-type: none"> a. $P1 \ A11 \times (B12 - B22)$ b. $P2 \ (A11 + A12) \times B22$ c. $P3 \ (A21 + A22) \times B21$ d. $P4 \ A22 \times (B21 - B11)$ e. $P5 \ (A11 + A22) \times (B11 + B22)$ f. $P6 \ (A12 - A22) \times (B21 + B22)$ g. $P7 \ (A11 - A21) \times (B11 + B12)$ h. $C11 \ P5 + P4 - P2 + P6$ i. $C12 \ P1 + P2$ j. $C21 \ P3 + P4$ k. $C22 \ P5 + P1 - P3 - P7$ l. return C 4. Divide input matrices A and B and output matrix C into 4 submatrices of size $n/2 \times n/2$ each as follows: <ol style="list-style-type: none"> 5. $P1 \ STRASSENS-MULTIPLICATION(A11, (B12 - B22))$ 6. $P2 \ STRASSENS-MULTIPLICATION(A11 + A12, B22)$ 7. $P3 \ STRASSENS-MULTIPLICATION(A21 + A22, B21)$ 8. $P4 \ STRASSENS-MULTIPLICATION(A22, B21 - B11)$ 9. $P5 \ STRASSENS-MULTIPLICATION(A11 + A22, B11 + B22)$ 10. $P6 \ STRASSENS-MULTIPLICATION(A12 - A22, B21 + B22)$ 11. $P7 \ STRASSENS-MULTIPLICATION(A11 - A21, B11 + B12)$ 12. $C11 \ P5 + P4 - P2 + P6$ 13. $C12 \ P1 + P2$ 14. $C21 \ P3 + P4$

	15. C22 P5 + P1 – P3 – P7 16. return C
PROGRAM:	<pre> #include <stdio.h> #include <stdlib.h> // prototypes int **addSquareMatrices(int **a, int **b, int n, int a_p, int a_q, int b_p, int b_q); int **subtractSquareMatrices(int **a, int **b, int n, int a_p, int a_q, int b_p, int b_q); int **strassensMultiplication(int **a, int **b, int n); int **actualStrassensMultiplication(int **a, int **b, int n, int a_p, int a_q, int b_p, int b_q); int **mallocSqaureMatrix(int n); void freeSquareMatrix(int **mat, int n); int **mallocSqaureMatrix(int n) { int **new = malloc(n * sizeof(int *)); for (int i = 0; i < n; i++) new[i] = malloc(n * sizeof(int)); return new; } void freeSquareMatrix(int **mat, int n) { for (int i = 0; i < n; i++) free(mat[i]); free(mat); } int **addSquareMatrices(int **a, int **b, int n, int a_p, int a_q, int b_p, int b_q) { int **sum = mallocSqaureMatrix(n); for (int i = 0; i < n; i++) { for (int j = 0; j < n; j++) sum[i][j] = a[a_p + i][a_q + j] + b[b_p + i][b_q + j]; } return sum; } int **subtractSquareMatrices(int **a, int **b, int n, int a_p, int a_q, int b_p, int b_q) { int **diff = mallocSqaureMatrix(n); for (int i = 0; i < n; i++) </pre>

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{
for (int j = 0; j < n; j++)
diff[i][j] = a[a_p + i][a_q + j] - b[b_p + i][b_q + j];

}
return diff;
}
int **strassensMultiplication(int **a, int **b, int n)
{
return actualStrassensMultiplication(a, b, n, 0, 0, 0, 0);
}
int **actualStrassensMultiplication(int **a, int **b, int n, int a_p, int a_q, int b_p, int b_q)
{
int **prod = mallocSquareMatrix(n);
if (n == 2)
{
int p1 = a[a_p][a_q] * (b[b_p][b_q + 1] - b[b_p + 1][b_q + 1]);
int p2 = (a[a_p][a_q] + a[a_p][a_q + 1]) * b[b_p + 1][b_q + 1];
int p3 = (a[a_p + 1][a_q] + a[a_p + 1][a_q + 1]) * b[b_p][b_q];
int p4 = a[a_p + 1][a_q + 1] * (b[b_p + 1][b_q] - b[b_p][b_q]);
int p5 = (a[a_p][a_q] + a[a_p + 1][a_q + 1]) * (b[b_p][b_q] + b[b_p + 1][b_q + 1]);
int p6 = (a[a_p][a_q + 1] - a[a_p + 1][a_q + 1]) * (b[b_p + 1][b_q] + b[b_p + 1][b_q + 1]);
int p7 = (a[a_p][a_q] - a[a_p + 1][a_q]) * (b[b_p][b_q] + b[b_p][b_q + 1]);
prod[0][0] = p5 + p4 - p2 + p6;
prod[0][1] = p1 + p2;
prod[1][0] = p3 + p4;
prod[1][1] = p5 + p1 - p3 - p7;
}
else
{
int x = n / 2;
int **temp = subtractSquareMatrices(b, b, x, b_p, b_q + x, b_p + x, b_q + x);
int **p1 = actualStrassensMultiplication(a, temp, x, a_p, a_q, 0, 0);
freeSquareMatrix(temp, x);
temp = addSquareMatrices(a, a, x, a_p, a_q, a_p, a_q + x);
int **p2 = actualStrassensMultiplication(temp, b, x, 0, 0, b_p + x, b_q + x);
freeSquareMatrix(temp, x);
temp = addSquareMatrices(a, a, x, a_p + x, a_q, a_p + x, a_q + x);
int **p3 = actualStrassensMultiplication(temp, b, x, 0, 0, b_p, b_q);
freeSquareMatrix(temp, x);

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temp = subtractSquareMatrices(b, b, x, b_p + x, b_q, b_p, b_q);
int **p4 = actualStrassensMultiplication(a, temp, x, a_p + x, a_q + x, 0, 0);
freeSquareMatrix(temp, x);
temp = addSquareMatrices(a, a, x, a_p, a_q, a_p + x, a_q + x);
int **temp2 = addSquareMatrices(b, b, x, b_p, b_q, b_p + x, b_q + x);

int **p5 = actualStrassensMultiplication(temp, temp2, x, 0, 0, 0, 0);
freeSquareMatrix(temp, x);
freeSquareMatrix(temp2, x);
temp = subtractSquareMatrices(a, a, x, a_p, a_q + x, a_p + x, a_q + x);
temp2 = addSquareMatrices(b, b, x, b_p + x, b_q, b_p + x, b_q + x);
int **p6 = actualStrassensMultiplication(temp, temp2, x, 0, 0, 0, 0);
freeSquareMatrix(temp, x);
freeSquareMatrix(temp2, x);
temp = subtractSquareMatrices(a, a, x, a_p, a_q, a_p + x, a_q);
temp2 = addSquareMatrices(b, b, x, b_p, b_q, b_p, b_q + x);
int **p7 = actualStrassensMultiplication(temp, temp2, x, 0, 0, 0, 0);
freeSquareMatrix(temp, x);
freeSquareMatrix(temp2, x);
temp = addSquareMatrices(p5, p4, x, 0, 0, 0, 0);
temp2 = addSquareMatrices(temp, p6, x, 0, 0, 0, 0);
freeSquareMatrix(temp, x);
temp = subtractSquareMatrices(temp2, p2, x, 0, 0, 0, 0);
freeSquareMatrix(temp2, x);
for (int i = 0; i < x; i++)
{
for (int j = 0; j < x; j++)
prod[i][j] = temp[i][j];
}
freeSquareMatrix(temp, x);
temp = addSquareMatrices(p1, p2, x, 0, 0, 0, 0);
for (int i = 0; i < x; i++)
{
for (int j = x; j < n; j++)
prod[i][j] = temp[i][j - x];
}
freeSquareMatrix(temp, x);
temp = addSquareMatrices(p3, p4, x, 0, 0, 0, 0);
for (int i = x; i < n; i++)
{

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for (int j = 0; j < x; j++)
prod[i][j] = temp[i - x][j];
}
freeSquareMatrix(temp, x);
temp = addSquareMatrices(p5, p1, x, 0, 0, 0, 0);
temp2 = subtractSquareMatrices(temp, p3, x, 0, 0, 0, 0);
freeSquareMatrix(temp, x);
temp = subtractSquareMatrices(temp2, p7, x, 0, 0, 0, 0);
for (int i = x; i < n; i++)
{
for (int j = x; j < n; j++)
prod[i][j] = temp[i - x][j - x];
}
freeSquareMatrix(temp, x);

freeSquareMatrix(temp2, x);
}
return prod;
}
int main()
{
printf("Enter matrix dimension(must be in power of 2): ");
int n;
scanf("%d", &n);
int **a = mallocSqaureMatrix(n);
int **b = mallocSqaureMatrix(n);
printf("Enter first matrix elements: ");
for (int i = 0; i < n; i++)
{
for (int j = 0; j < n; j++)
scanf("%d", &a[i][j]);
}
printf("Enter second matrix elements: ");
for (int i = 0; i < n; i++)
{
for (int j = 0; j < n; j++)
scanf("%d", &b[i][j]);
}
printf("Product of first and second matrices:\n");
int **prod = strassensMultiplication(a, b, n);

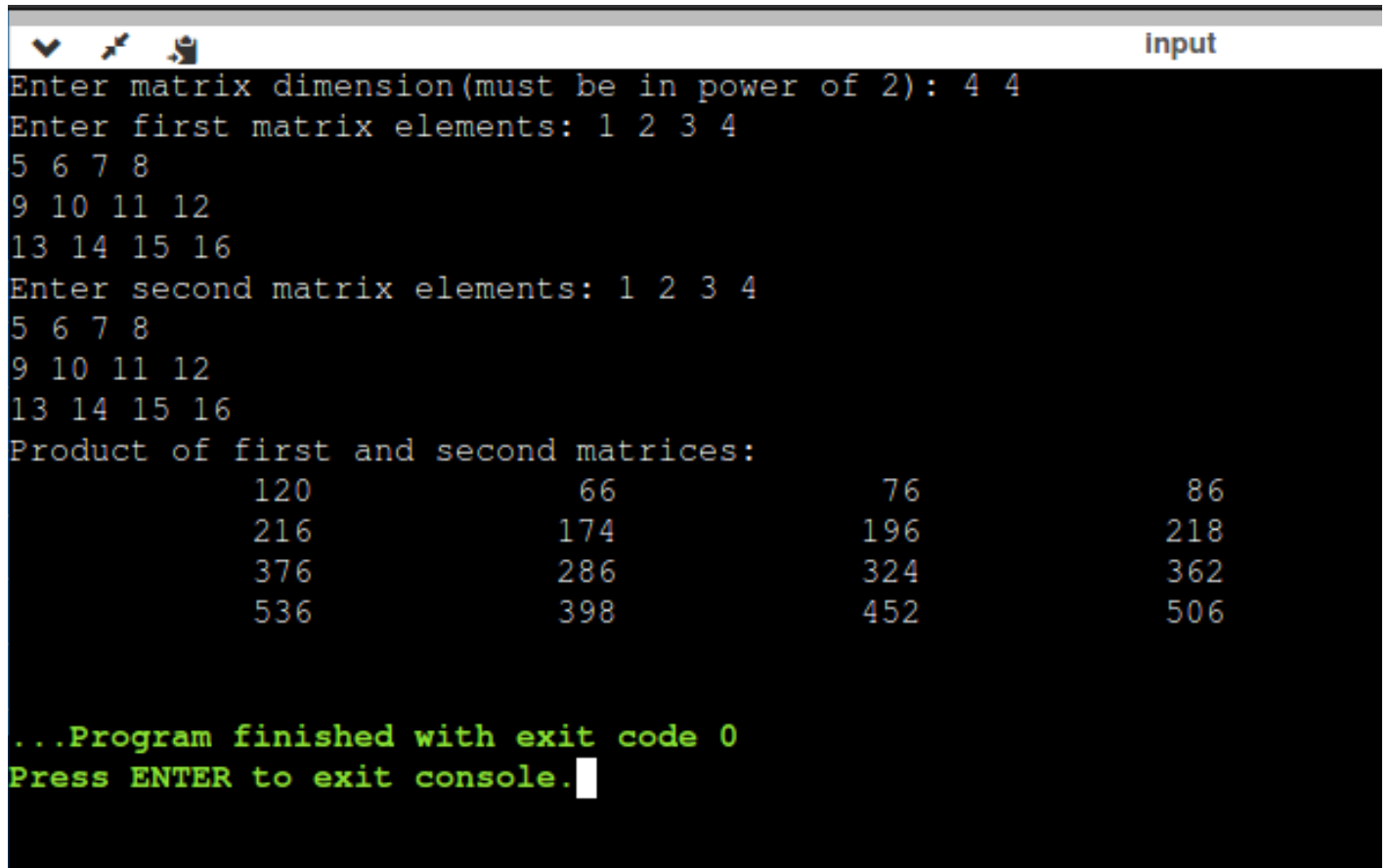
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for (int i = 0; i < n; i++)
{
for (int j = 0; j < n; j++)
printf("%15d", prod[i][j]);
printf("\n");
}
}

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RESULT:



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Enter matrix dimension(must be in power of 2): 4 4
Enter first matrix elements: 1 2 3 4
5 6 7 8
9 10 11 12
13 14 15 16
Enter second matrix elements: 1 2 3 4
5 6 7 8
9 10 11 12
13 14 15 16
Product of first and second matrices:
      120      66      76      86
      216      174      196      218
      376      286      324      362
      536      398      452      506

...Program finished with exit code 0
Press ENTER to exit console.

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CONCLUSION:

Thus, we have implemented stressens multiplication for the matrix having dimension in the power of 2.