

```
def new_t(fn, x, tol=1e-8, n_iter=100):  
    for i in range(n_iter):  
        xnew=x- fn[0](x)/fn[1](x)  
        if abs(xnew-x) < tol: break  
        x=xnew  
    return xnew, i  
  
y=[lambda x: x*4 - x -10, lambda x: 4*x*3 - 1]  
x, n=new_t(y, 1.5)  
print("the root is %f at %d iteration" %(x,n))
```

the root is 3.333006 at 99 iteration

---

f=lambda x:x\*\*3+4\*(x\*\*2)-10

f1=lambda x:x\*\*2-3

f2=lambda x:x\*\*3-x-1

f3=lambda x:x\*\*3+1 import

math import sympy as eq

q=eq.symbols("x")

f=q\*\*3+4\*(q\*\*2)-10

f1=q\*\*2-3 f2=q\*\*3-q-1

f3=q\*\*3+1

der=eq.Derivative(f)

der=der.doit()

der1=eq.Derivative(f1)

der1=der1.doit()

der2=eq.Derivative(f2)

der2=der2.doit()

der3=eq.Derivative(f3)

der3=der3.doit()

MUHAMMAD UMAR KHAN  
10619  
NC LAB#05

```
print(der) print(der1)
```

```
print(der2)
```

```
print(der3)
```

```
fd=lambda x:3*x**2 + 8*x
```

```
fd1_=lambda x:2*x fd2=
```

```
lambda x:3*x**2 - 1 fd3=
```

```
lambda x:3*x**2 def
```

```
NewR(fun,fun1,x,to,niter):
```

```
for it in range(niter):
```

```
    a=x-(fun(x)/fun1(x))
```

```
    if abs(a-x)<to:
```

```
        break    else :
```

```
    x=a
```

```
    return a,it x=float(input("enter x: ")) print("No# Function      Derivative  interval  
tol      no. of iterations  root")    tol=0.01 tol2=0.001 tol3=0.0001 niter=20  
an,iterations=NewR(f,fd,x,tol,niter) print("1  x**3+4*(x**2)-10 3*x**2 + 8*x  1.5  
",tol,"      ",iterations,"      ",an) an,iterations=NewR(f,fd,x,tol2,niter) print("  
x**3+4*(x**2)-10 3*x**2 + 8*x  1.5      ",tol2,"      ",iterations,"      ",an)  
an,iterations=NewR(f,fd,x,tol3,niter) print("  x**3+4*(x**2)-10 3*x**2 + 8*x  1.5  
",tol3,"      ",iterations,"      ",an)
```

```
an,iterations=NewR(f1,fd1,x,tol,niter)
```

```
print("  x**2-3      2*x      1.5      ",tol,"      ",iterations,"      ",an)
```

MUHAMMAD UMAR KHAN

10619

NC LAB#05

```
an,iterations=NewR(f1,fd1,x,tol2,niter)
```

```
print("  x**2-3      2*x      1.5  ",tol2,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f1,fd1,x,tol3,niter)
```

```
print("  x**2-3      2*x      1.5  ",tol3,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f2,fd2,x,tol,niter)
```

```
print("3  x**3-x-1      3*x**2 - 1  1.5  ",tol,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f2,fd2,x,tol2,niter)
```

```
print("  x**3-x-1      3*x**2 - 1  1.5  ",tol2,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f2,fd2,x,tol3,niter)
```

```
print("  x**3-x-1      3*x**2 - 1  1.5  ",tol3,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f3,fd3,x,tol,niter)
```

```
print("4  x**3+1      3*x**2      1.5  ",tol,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f3,fd3,x,tol2,niter)
```

```
print("  x**3+1      3*x**2      1.5  ",tol2,"  ",iterations,"  ",an)
```

```
an,iterations=NewR(f3,fd3,x,tol3,niter)
```

```
print("  x**3+1      3*x**2      1.5  ",tol3,"  ",iterations,"  ",an)
```

File Edit View Insert Cell Kernel Widgets Help

Not Trusted

 Code

```
In [4]: f=lambda x:x**3+4*(x**2)-10
f1=lambda x:x**2-3
f2=lambda x:x**3-x-1
f3=lambda x:x**3+1
import math
import sympy as eq
q=eq.symbols("x")
f=q**3+4*(q**2)-10
f1=q**2-3
f2=q**3-q-1
f3=q**3+1

der=eq.Derivative(f)
der=der.doit()
der1=eq.Derivative(f1)
der1=der1.doit()
der2=eq.Derivative(f2)
der2=der2.doit()
der3=eq.Derivative(f3)
der3=der3.doit()

print(der)
print(der1)
print(der2)
print(der3)

fd=lambda x:3*x**2 + 8*x
fd1=lambda x:2*x
fd2= lambda x:3*x**2 - 1
fd3= lambda x:3*x**2

3*x**2 + 8*x
2*x
3*x**2 - 1
3*x**2
```

```
In [5]: def NewR(fun,fun1,x,to,niter):
        for it in range(niter):

            a=x-(fun(x)/fun1(x))
            if abs(a-x)<to:
                break
            else :
                x=a

        return a,it
```

```
In [6]: x=float(input("enter x: "))
print("No#   Function           Derivative   interval   tol       no. of iterations   root")
tol=0.01
tol2=0.001
tol3=0.0001
niter=20
an,iterations=NewR(f,fd,x,tol,niter)
print("1   x**3+4*(x**2)-10   3*x**2 + 8*x   1.5       ",tol,"       ",iterations,"       ",an)
an,iterations=NewR(f,fd,x,tol2,niter)
print("   x**3+4*(x**2)-10   3*x**2 + 8*x   1.5       ",tol2,"       ",iterations,"       ",an)
an,iterations=NewR(f,fd,x,tol3,niter)
print("   x**3+4*(x**2)-10   3*x**2 + 8*x   1.5       ",tol3,"       ",iterations,"       ",an)

an,iterations=NewR(f1,fd1,x,tol,niter)
print("   x**2-3               2*x           1.5       ",tol,"       ",iterations,"       ",an)
an,iterations=NewR(f1,fd1,x,tol2,niter)
print("   x**2-3               2*x           1.5       ",tol2,"       ",iterations,"       ",an)
an,iterations=NewR(f1,fd1,x,tol3,niter)
print("   x**2-3               2*x           1.5       ",tol3,"       ",iterations,"       ",an)

an,iterations=NewR(f2,fd2,x,tol,niter)
print("3   x**3-x-1             3*x**2 - 1     1.5       ",tol,"       ",iterations,"       ",an)
an,iterations=NewR(f2,fd2,x,tol2,niter)
print("   x**3-x-1             3*x**2 - 1     1.5       ",tol2,"       ",iterations,"       ",an)
an,iterations=NewR(f2,fd2,x,tol3,niter)
print("   x**3-x-1             3*x**2 - 1     1.5       ",tol3,"       ",iterations,"       ",an)

an,iterations=NewR(f3,fd3,x,tol,niter)
print("4   x**3+1               3*x**2         1.5       ",tol,"       ",iterations,"       ",an)
an,iterations=NewR(f3,fd3,x,tol2,niter)
print("   x**3+1               3*x**2         1.5       ",tol2,"       ",iterations,"       ",an)
an,iterations=NewR(f3,fd3,x,tol3,niter)
print("   x**3+1               3*x**2         1.5       ",tol3,"       ",iterations,"       ",an)
```

MUHAMMAD UMAR KHAN

10619

NC LAB#05

enter x: 1.5

No#	Function	Derivative	interval	tol	no. of iterations	root
1	$x^{**3}+4*(x^{**2})-10$	$3*x^{**2} + 8*x$	1.5	0.01	1	1.3652620148746266
	$x^{**3}+4*(x^{**2})-10$	$3*x^{**2} + 8*x$	1.5	0.001	2	1.3652300139161466
	$x^{**3}+4*(x^{**2})-10$	$3*x^{**2} + 8*x$	1.5	0.0001	2	1.3652300139161466
	$x^{**2}-3$	$2*x$	1.5	0.01	2	1.7320508100147276
	$x^{**2}-3$	$2*x$	1.5	0.001	2	1.7320508100147276
	$x^{**2}-3$	$2*x$	1.5	0.0001	2	1.7320508100147276
3	$x^{**3}-x-1$	$3*x^{**2} - 1$	1.5	0.01	2	1.3247181739990537
	$x^{**3}-x-1$	$3*x^{**2} - 1$	1.5	0.001	2	1.3247181739990537
	$x^{**3}-x-1$	$3*x^{**2} - 1$	1.5	0.0001	3	1.3247179572447898
4	$x^{**3}+1$	$3*x^{**2}$	1.5	0.01	13	-1.000005923086305
	$x^{**3}+1$	$3*x^{**2}$	1.5	0.001	14	-1.0000000000350826
	$x^{**3}+1$	$3*x^{**2}$	1.5	0.0001	14	-1.0000000000350826

S No.	Functions	Starting Interval	Tolerance	Total Iterations	Root
1.	$x^3-x-1=0$	1.5	0.01	2	1.324718
			0.001	2	1.324718
			0.0001	3	1.324718
2.	$x^3+1=0$	1.5	0.01	13	-1.000005
			0.001	14	-1.000000
			0.0001	14	-1.000000
3.	$x^2-3=0$	1.5	0.01	2	1.732051
			0.001	2	1.732051
			0.0001	2	1.732051
4.	$x^3+4*x^2-10=0$	1.5	0.01	1	1.365262
			0.001	2	1.365230
			0.0001	2	1.365230