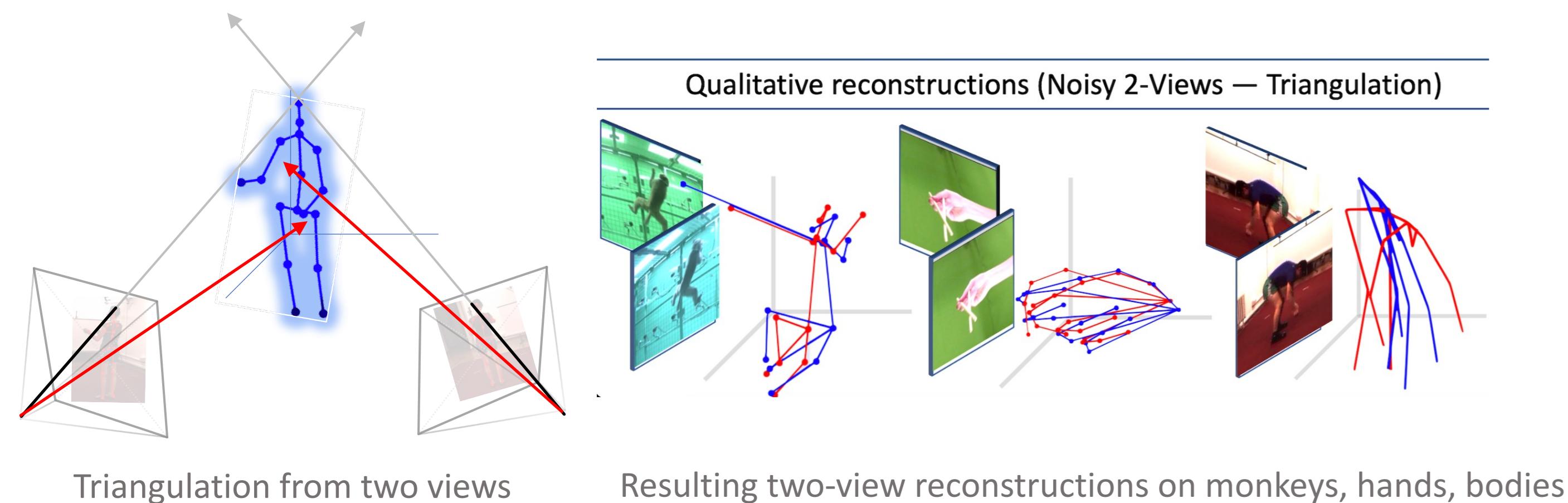


Mosam Dabhi<sup>1,2</sup> Chaoyang Wang<sup>1</sup> Kunal Saluja<sup>2</sup> Laszlo Jeni<sup>1</sup> Ian Fasel<sup>2</sup> Simon Lucey<sup>1,3</sup>

## Overview

Two views are not enough for triangulation

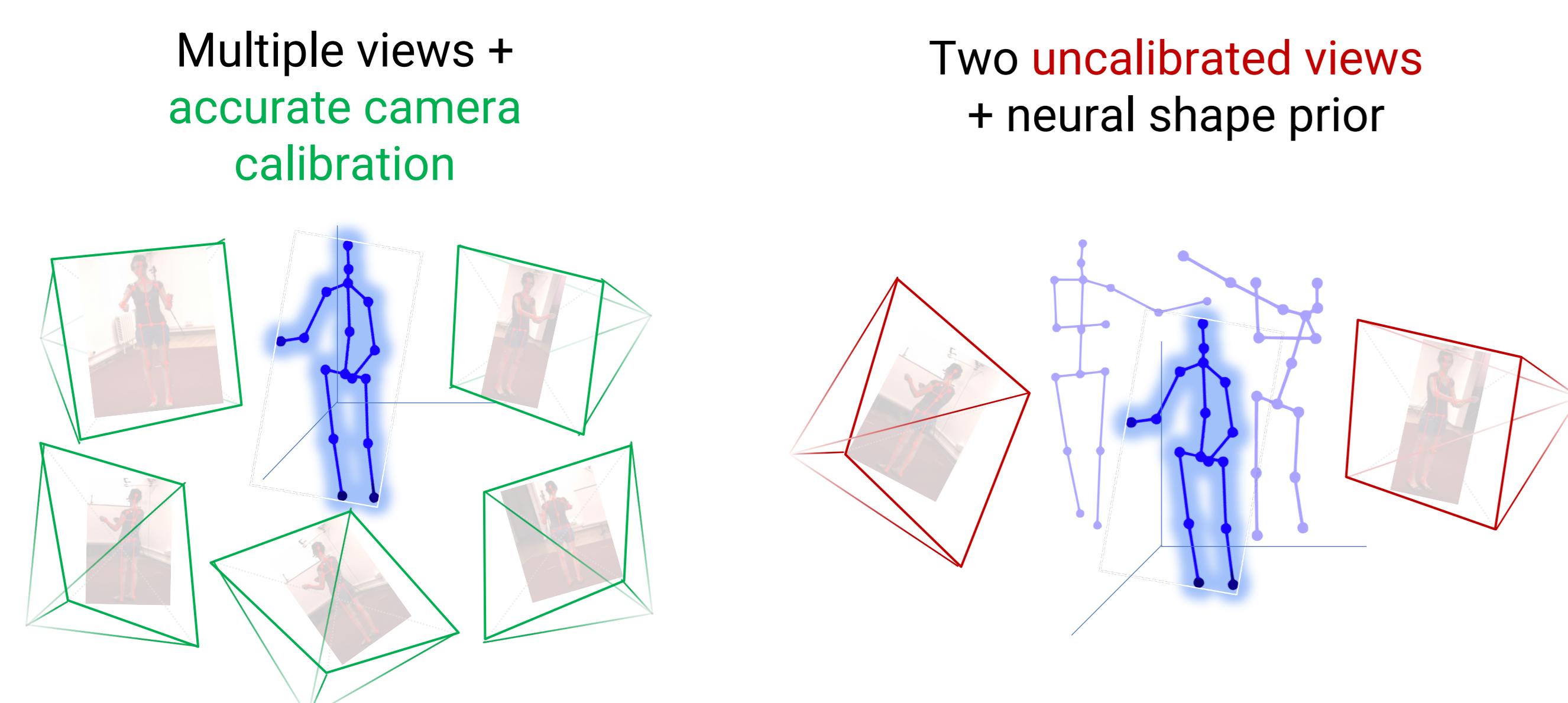


In principle, two views should be enough to triangulate a point. However, any imperfections in 2D keypoints or calibration leads to poor reconstructions.

There are no constraints for reconstructing the points and they could end up arbitrarily anywhere.

Large multi-view rigs (shown below) enables the usage of accurate camera calibration and multiple views to minimize error on each point. However, that could lead to immense cost and complexity.

## Approach: Two views can be enough!



Large multi-view rig uses multiple observations (with outlier rejection) to minimize error for each point. (Still, it does not enforce any constraints on the overall shape)

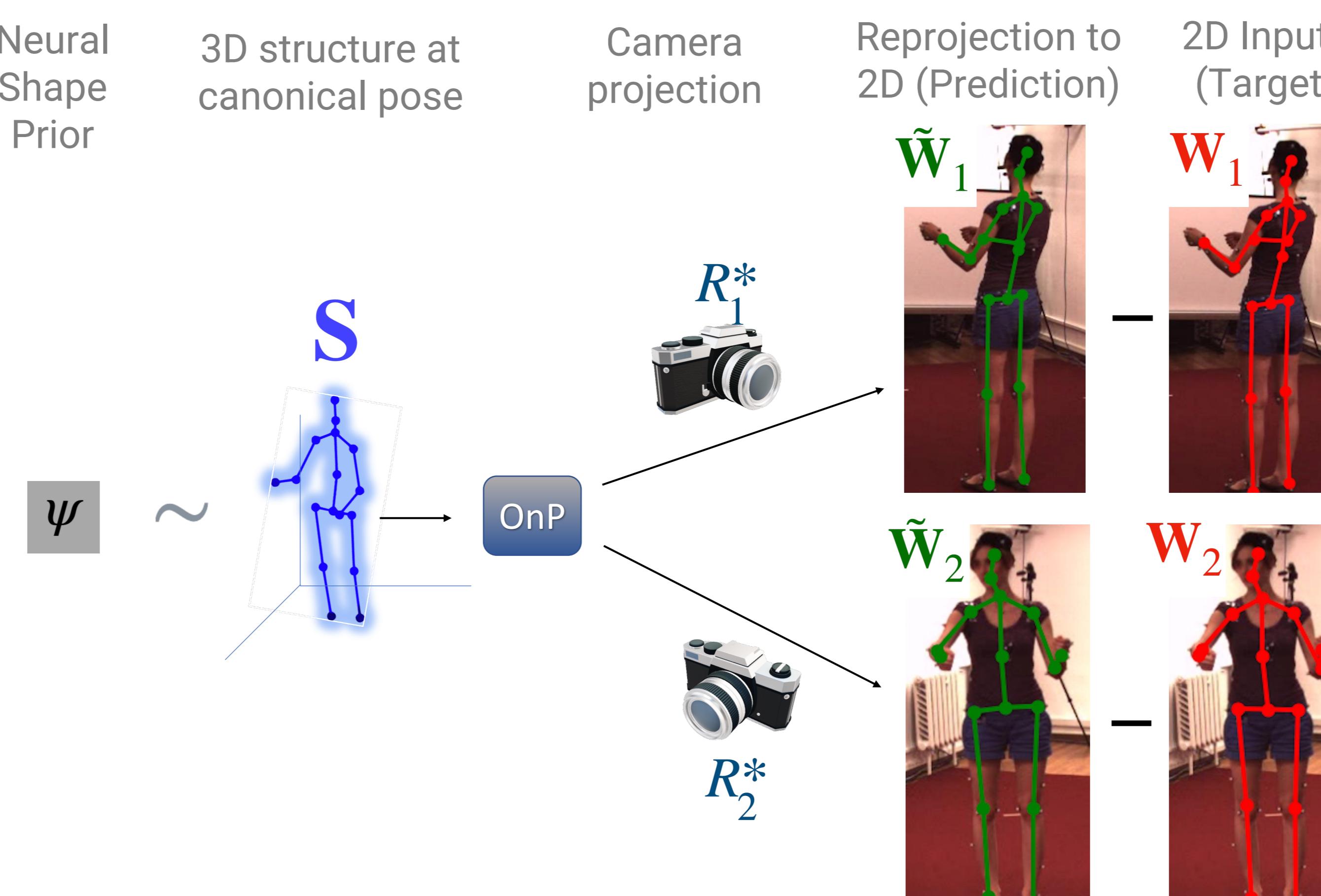
Our approach: Instead of more cameras, we add a neural prior to constrain the shape (the set of 3D points) to lie on a manifold.

This allows us to combine multiple observations even though the object is deforming, while only leveraging only two physical views at any observation.


<https://sites.google.com/view/high-fidelity-3d-neural-prior>

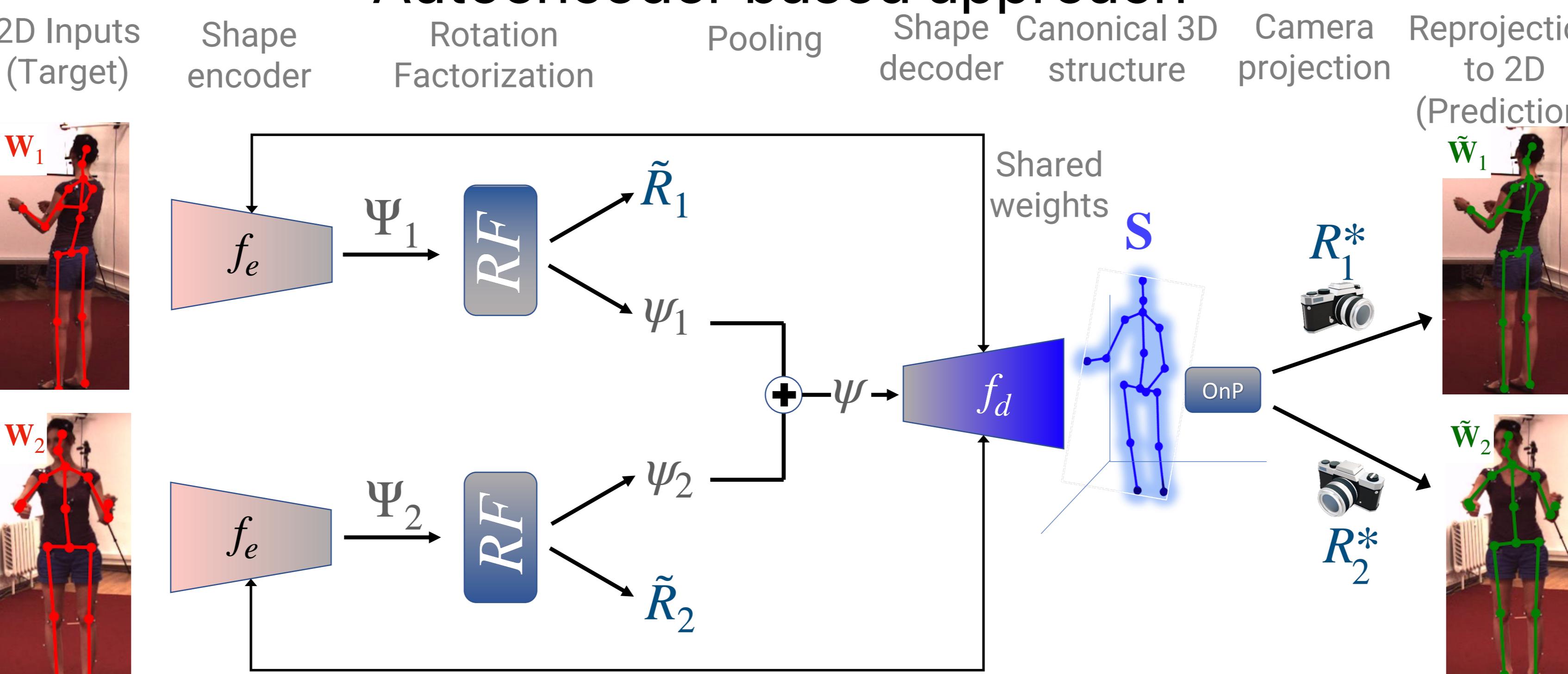
## Method

### Statistical Shape Prior



- The 3D structure,  $\mathbf{S}$ , is drawn from a statistical shape distribution using neural shape priors and projected to 2 views using the Orthographic-N-Point (OnP).
- Parameters of the shape distribution are adapted by minimizing the predicted and groundtruth (input) 2D projections.
- $\mathbf{S}$ ,  $R^*$ , and  $\mathbf{W}$  are recovered by constraining shapes from a shared neural model.

### Autoencoder based approach

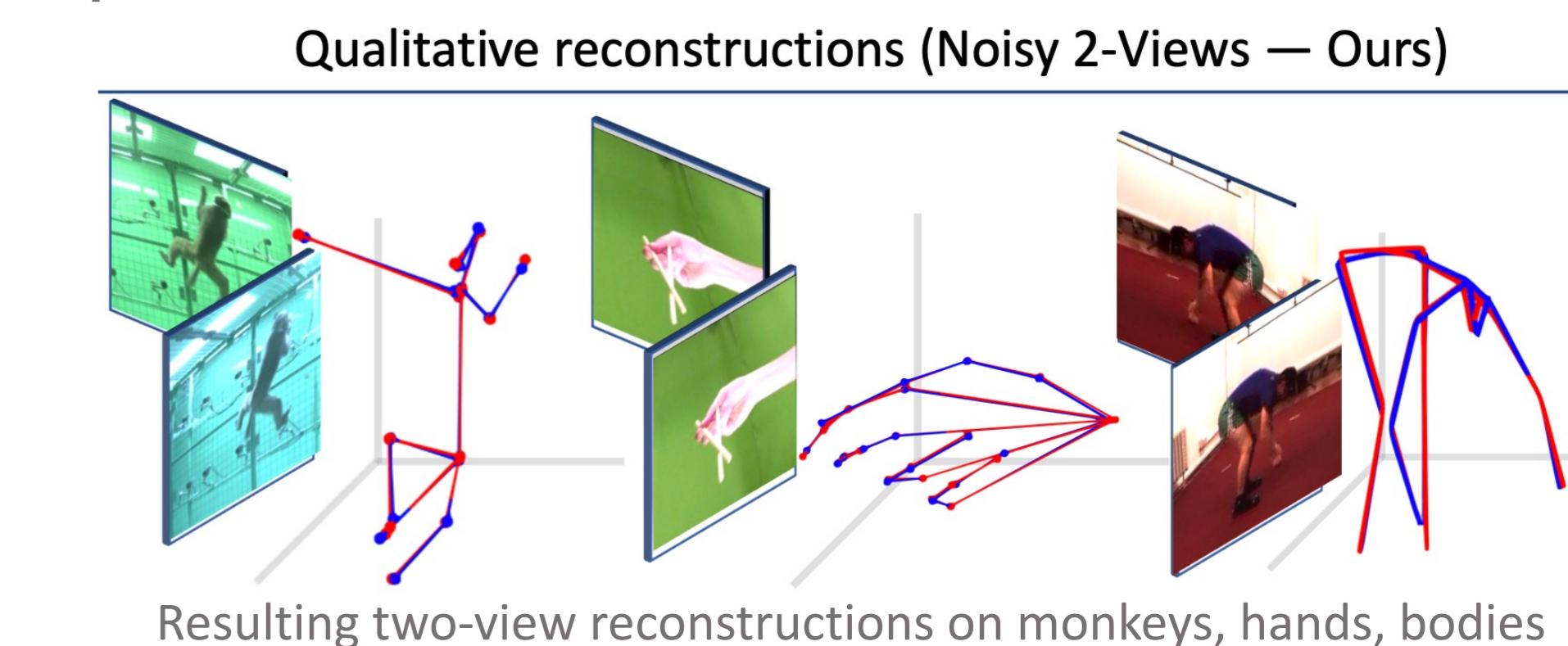


- Motivated by hierarchical sparse coding, network  $f_e$  extracts block sparse codes  $\Psi$ .
- The bottleneck ( $RF$  layer) extracts each block sparse code into camera matrix and unrotated vector sparse code.
- Codes are pooled and fed into the decoder  $f_d$  to generate canonicalized 3D structure  $\mathbf{S}$ .

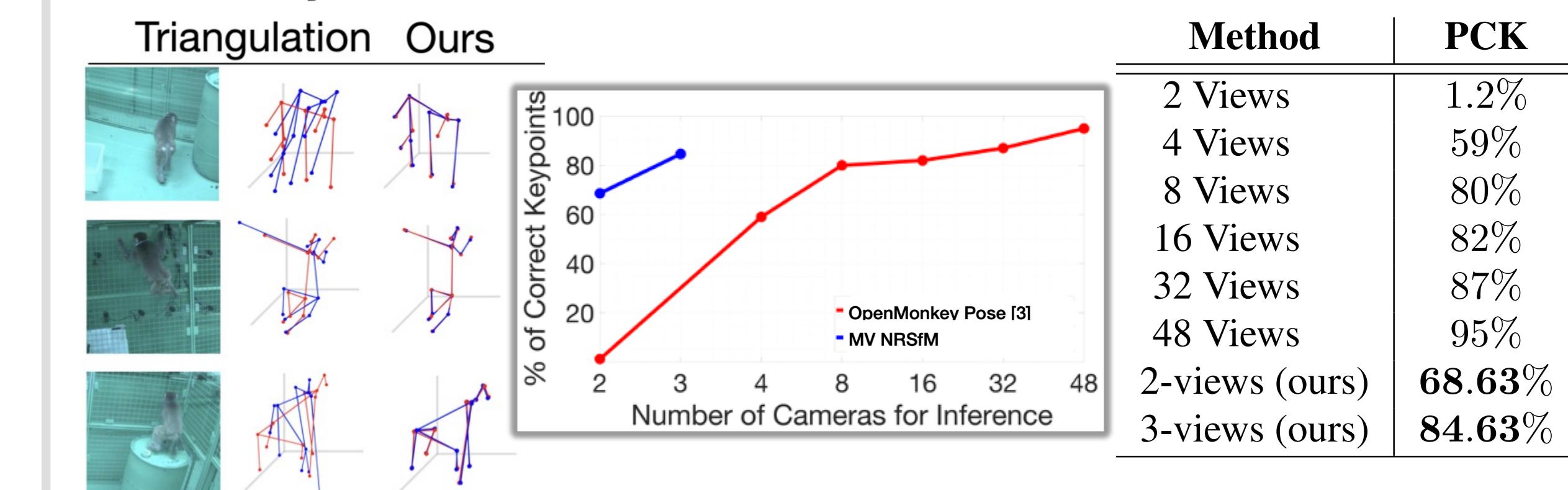
## Results

Robustness to calibration and noise on 2D keypoints

### Multiple modalities



### Monkey dataset

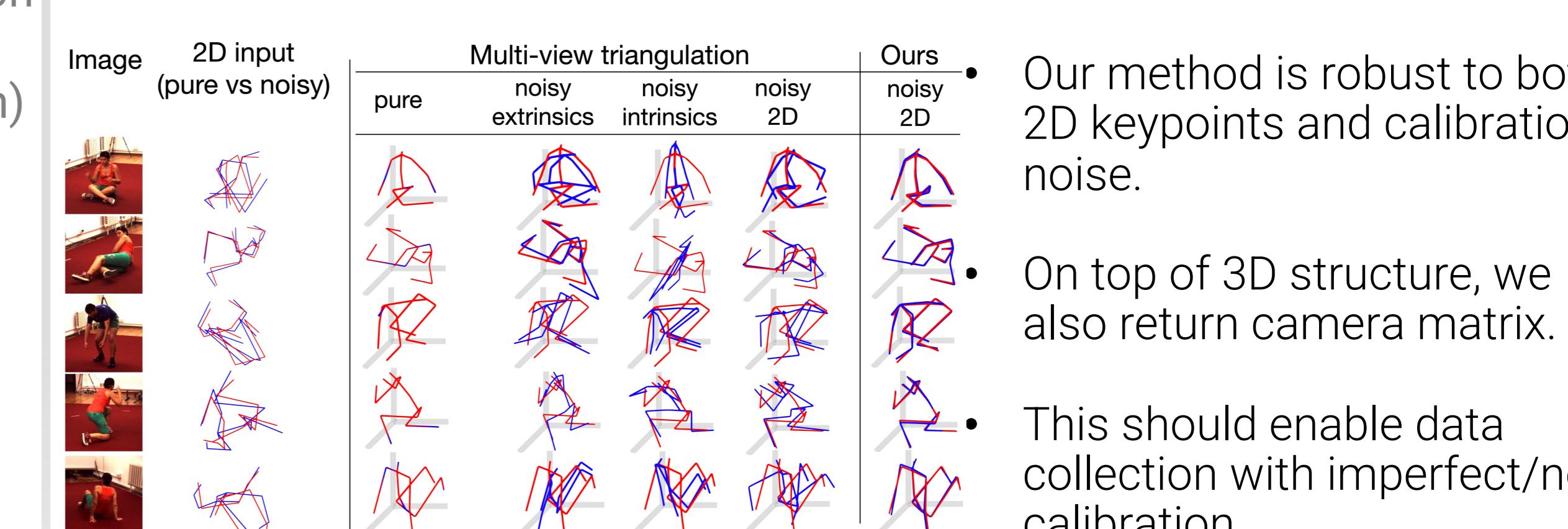


- Our method with 3 views is comparable to 16+ views that utilizes iterative multi-view triangulation (TRNG).

### Human dataset

	S1, S5, S6, S7, S8												
	Extrinsics Noise		Intrinsics Noise		2D keypoints Noise								
	$\sigma = 0.1$	$\sigma = 0.5$	$\sigma = 0.9$	$\sigma = 0.1$	$\sigma = 0.5$	$\sigma = 0.9$	$\sigma = 15$	$\sigma = 25$	$\sigma = 35$				
TRNG	65.49		131.66		145.94		69.57		188.63	234.47	70.08	114.06	154.41
2-Views (ours)					30.53				54.22		65.74	77.82	

Robustness to camera calibration and 2D annotations noise for Human 3.6M dataset. Values are in mm.



- Our method is robust to both 2D keypoints and calibration noise.
- On top of 3D structure, we also return camera matrix.
- This should enable data collection with imperfect/no calibration.

## Conclusion

- This work could open doors for wide-scale data collection setups, making the expensive and complex multi-view rigs obsolete.
- Limitation:** Requires multiple non-rigid atemporal views to enforce the proposed neural shape prior during optimization.