

Supercomputing with R part 2 Agent-based model of all neighbourhoods in the Netherlands

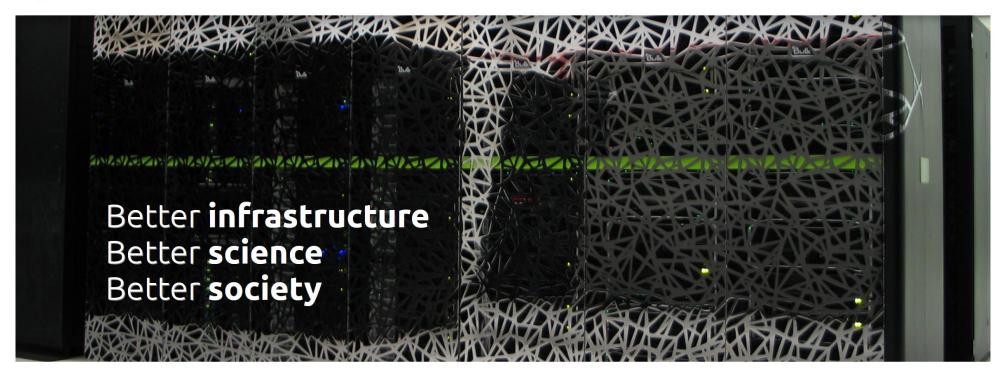
About me



Background

- PhD in Statistics (UU)
 Structural Equation Models, high-dimensional data,
 regularization & penalization, algorithms & optimization
- Assistant professor at Methodology & Statistics, UU
 Human Data Science group, teaching Data Science master
 courses
- Team lead for the ODISSEI Social Data Science (SoDa) team
 Advancing data- & computation-intensive research in social science





Using the ODISSEI Secure Supercomputer

In the ODISSEI Secure Supercomputer (OSSC), researchers can perform analyses of highly-sensitive data – such as CBS Microdata – in SURF's high performance computing environment Cartesius. The ODISSEI Secure Supercomputer (OSSC) consists of an enclave of Statistics Netherlands within the domain of SURF. This virtual IT environment offers a high performance computing environment that meets the requirements of Statistics Netherlands in legal, technical and security requirements.

About me



Relevant experience

- Experience with parallel programming, supercomputing, large simulations
 statistics, social sciences, a bit of neuroscience (structural MRI), and a bit of bioinformatics (microarrays, epigenetics)
- Native in **R**, capable in **Python** dabbled in C++, C#, web languages, Julia, and more
- Many research consultations
- Strongly advocating for open science
 Make everything available all the time!
- Almost no experience with agent-based models!!!

About you

Write down in one short sentence why you are here / what you hope to learn

This afternoon

How to structure R projects for running analyses on a SURF supercomputer

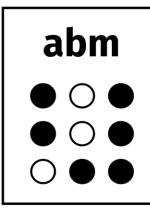
This afternoon

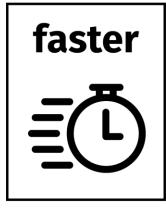
Time	Title
13:00	Lecture: computational limits in social science
13:45	Hands-on: a parallel agent-based model in R
14:30	Break
14:45	Lecture: supercomputing with R
15:30	Hands-on: submitting an R array job
16:00	Break
16:15	Lecture: combining & analysing the results
16:30	Conclusion & Q&A

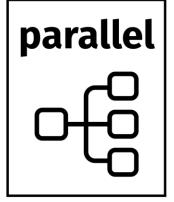
Hands-on 1

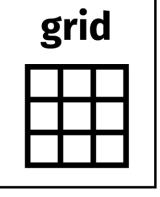
Hands-on 2

Lecture 3





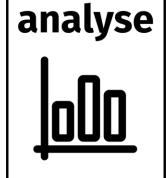




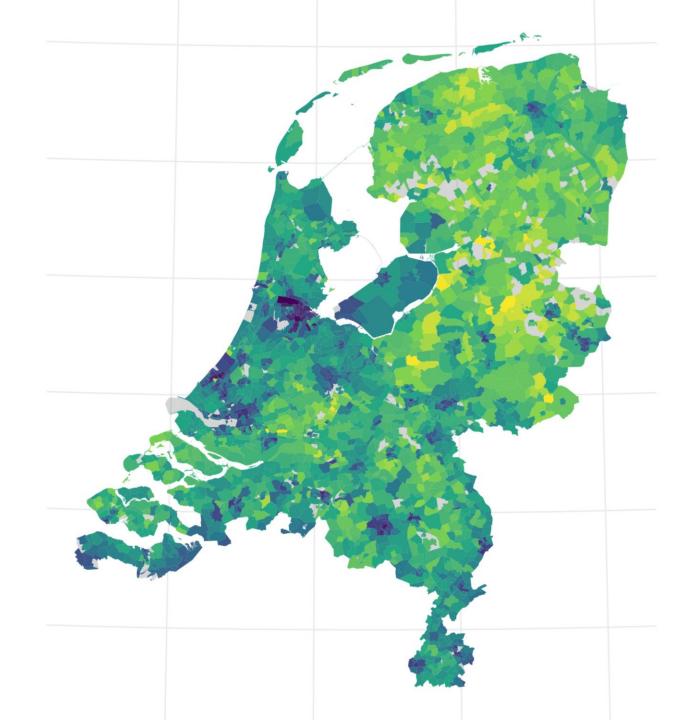












Computational limits in social science

Experimental research in soc. sci.

- Come up with research question
- Design experiment
- Run experiment
- Analyze results (perform statistical test)
- Make inferences about found effect

Observational research in soc. sci.

- Come up with research question
- Collect data
- Create statistical model
- Make inferences about model (pay attention to assumptions)

Computational research in soc. sci.?

- Come up with research question
- Create generative / computational model
- Generate data from computational model
- (compare computational model data with real data)
- Make conclusions about computational model (pay attention to assumptions)

Psych trend: theory construction

A **formal model** captures the principles of the explanatory theory in a set of equations or rules (as **implemented in a computer program or simulation**).

The theorist can then examine whether the theory, as implemented in the formal model, does in fact **generate the phenomena** as a matter of course, either **in a simulation** study or through analytic derivations.

Borsboom et al. (2021), Theory Construction Methodology: A Practical Framework for Building Theories in Psychology <u>doi.org/10.1177/1745691620969647</u>

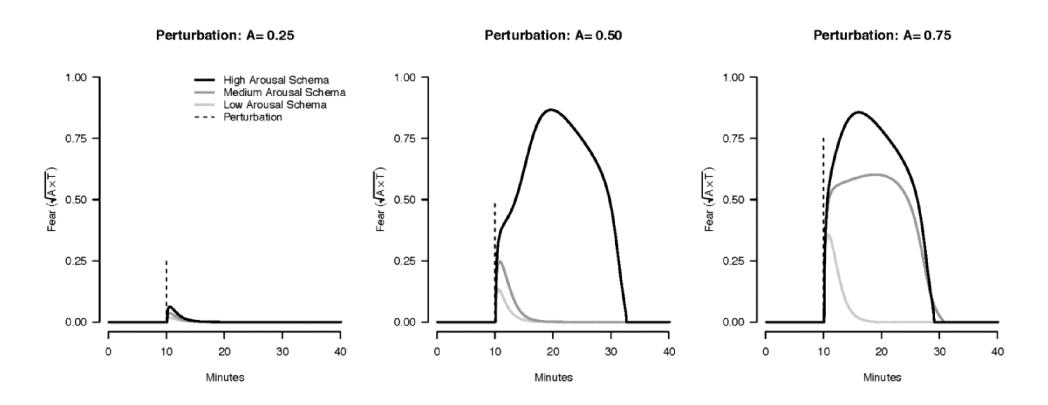
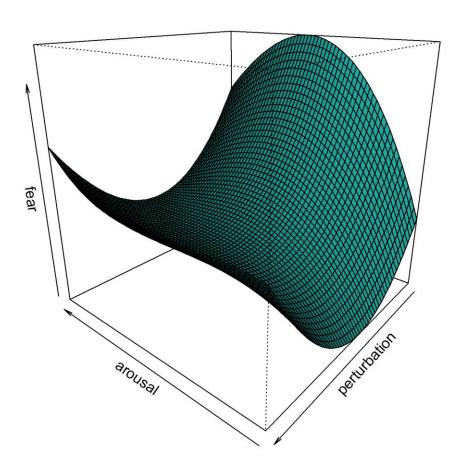


Figure 4. Individual Differences in Vulnerability to Panic Attacks. We simulated perturbations to arousal of varying strength (inducing arousal of .25, .50, and .75) in three conditions: low, medium, and high arousal schema (S=.25, .50, and .75, respectively). To

With more parameter settings?

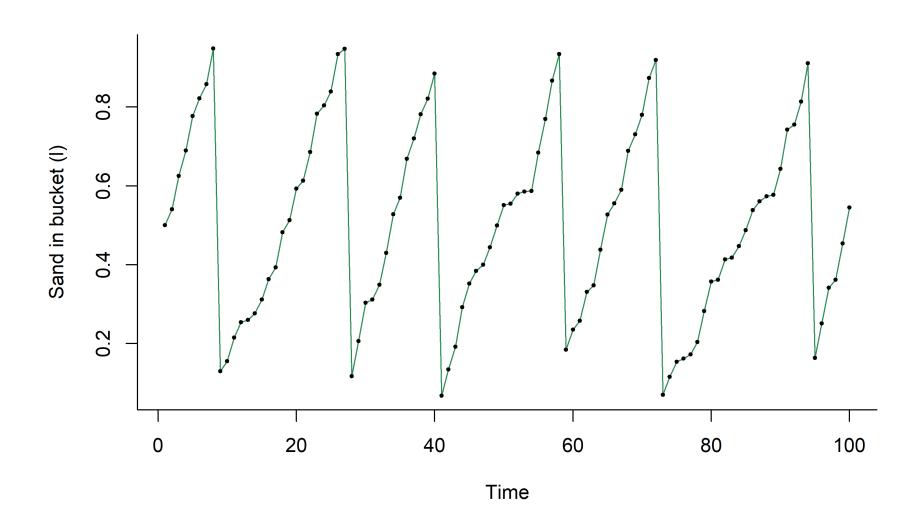


- Used in economics, sociology, ecology, finance, spatial planning, social psychology, and more
- Create agents who interact in an environment
- Each agent has rules based on theory
- Simulating the system means applying these rules repeatedly
- Then you can investigate the system



```
child_a ← function(sand) sand + runif(1, 0, 0.1)
child_b ← function(sand) if (sand > 0.95) runif(1, 0.05, 0.2) else sand

sand_vec ← numeric(100)
sand_vec[1] ← 0.5
for (i in 2:100) {
  sand_vec[i] ← child_a(sand_vec[i-1])
   sand_vec[i] ← child_b(sand_vec[i])
}
plot(sand_vec, type = "l")
```



Interim conclusion

- 1. Computational methods used by social scientists to formalize & investigate theories
- 2. Simulation from computational models to inspect phenomena following from model
- 3. Do this for different parameter settings
- 4. (2) and (3) may take a long time -> computational limits reached!

abm







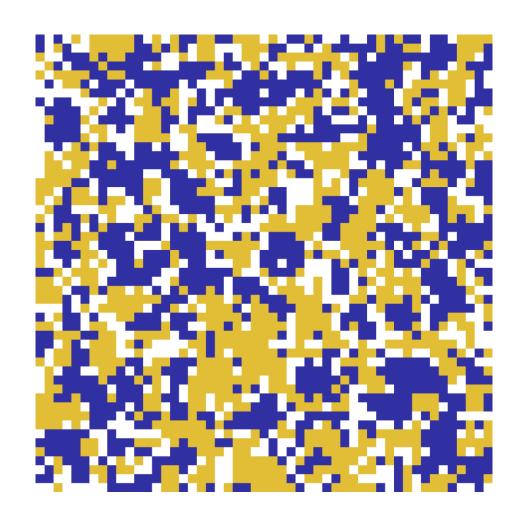
Schelling's model of segregation

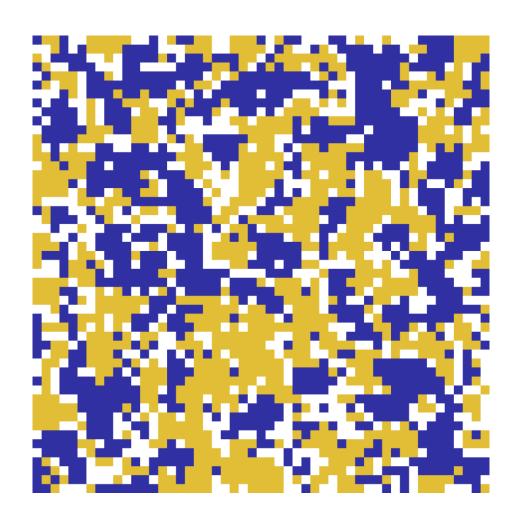
• Famous example of ABM in social behaviour

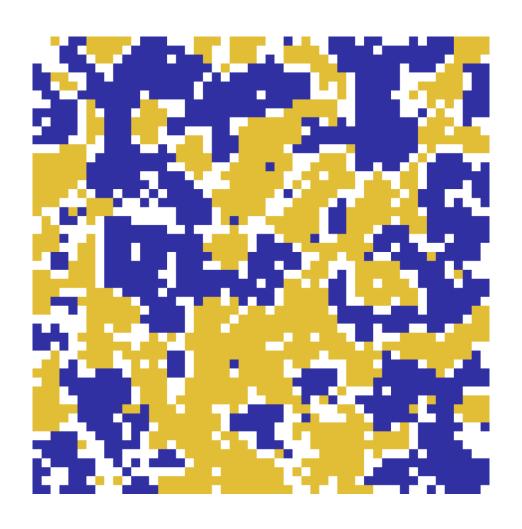
- What are the causes of de facto segregation in society?
- Theoretical / formal model of population dynamics
- Implemented as an agent-based model
- Conclusions drawn based on phenomena resulting from this model

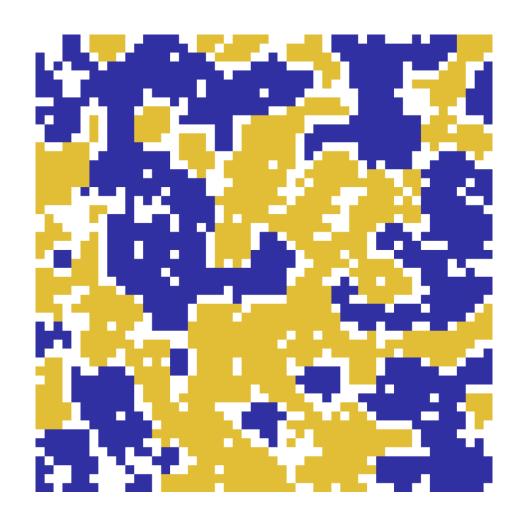
- Environment: two-dimensional grid
- Agents belong to one of two groups
- Agents want to live close to others like themselves
 - Agents have preference (B_a) for the proportion of neighbours like them (B)
- If B $< B_a$, then move to random free location on grid
- Else stay

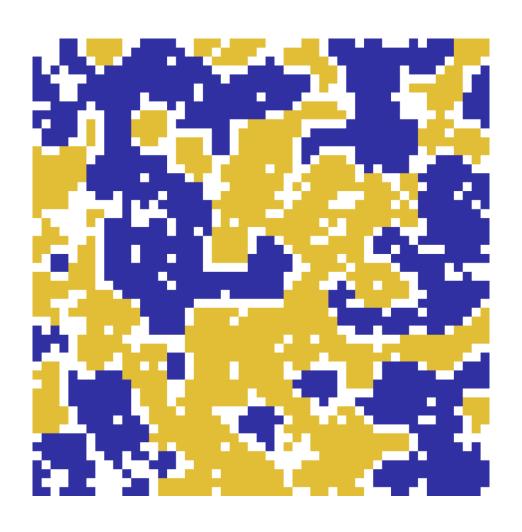
```
# in-group preference
Ba \leftarrow 0.5
# initialize population
pop \leftarrow init\_population(c(0.5, 0.5))
# occupation matrix
M \leftarrow matrix(data = pop, nrow = N)
# happiness matrix
H \leftarrow matrix(data = FALSE, nrow = N, ncol = N)
# run for 50 iterations
for (i in 1:50) {
  H ← compute_happiness(M, Ba)
  M \leftarrow move\_agents(M, H)
```











 Micro behaviour: happy or unhappy with current location -> move or stay

 Macro phenomenon: how does the distribution of agents over the grid look?

- Schelling's finding: for groups of equal size with $B_a \gtrsim 0.33$, the system is likely to end in a **segregated** state
- Below that, the system will stay in a **mixed** / random state

Conclusion

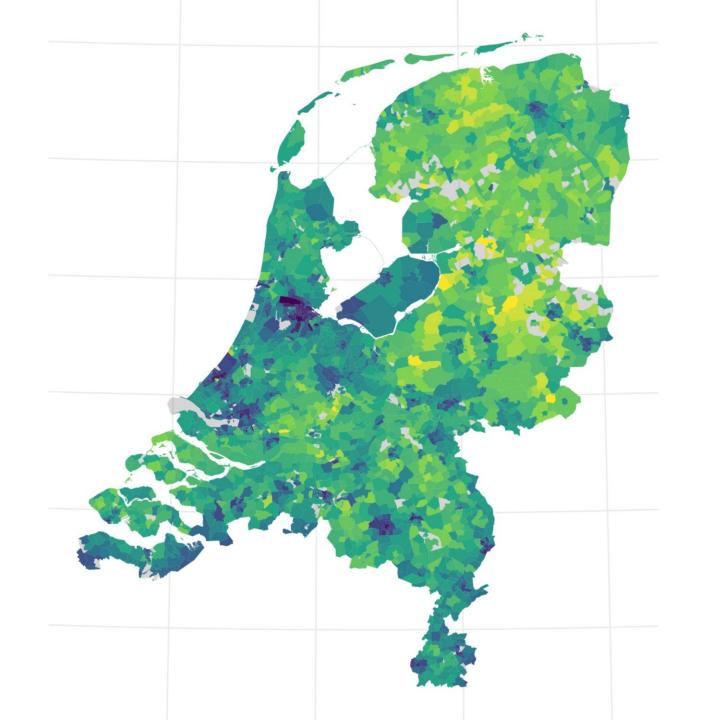
Even if there is only a mild in-group preference, the world might still end up very segregated!

(keep assumptions in mind ©)

- Note: randomness in initialization & in movement to different locations
- At which B_a will the system segregate?
- Need to run this model many times for different B_a and compute expectation (average over the iterations)
- Monte carlo simulation

Some more parameters you may want to vary:

- Number of distinct populations
- Relative population sizes
- Number of free spots in the grid
- Neighbour preference
- Radius for looking at neighbours
- Other extensions...

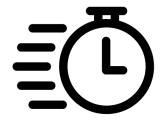


This will take a long time

Speeding up the ABM

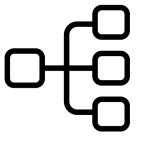
Two options

faster



Write faster, optimized code

parallel

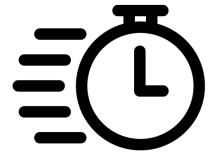


Run multiple ABMs at the same time

Two options



faster



Speeding up slow code

- There isn't one solution for all types of code
- Speeding up slow code takes time
- Investigate smarter algorithms for your problem!
- If you are rewriting your R code, use vectorized & matrix operations where possible (faster than loops!)
- Use benchmarking to check the speed & memory usage of your functions (I like bench::mark())

Speeding up slow code

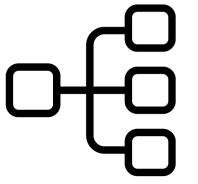
- Another step: rewrite in C++
- Depending on problem, this may yield great speedup

• In R: Rcpp package helps with this

```
sourceCpp("my_cpp_function.cpp")
```

An example of Rcpp speedup is in the hands-on later

parallel



Parallel programming

 Many problems are of the "embarrassingly parallel" type Little to no effort required to separate problem into number of parallel tasks

- ABM itself is **not** embarrassingly parallel: time step 3 requires results from time step 2!
- Running the whole ABM several times to average over uncertainty **is** embarrassingly parallel

Parallel programming

- Computers nowadays can do more than one task at a time: threads
 - Often: 4 or 8 threads
 - Bigger computers have 12, 16 or 32 threads
 - Depending on computer, potential speedup of 32 times! (remember that our Rcpp effort gave ~10 times)

• Parallel programming is built into R (package parallel)

```
library(parallel)
# create a function to run in parallel
my func \leftarrow function(i) sprintf("this is iteration %i", i)
# instantiate 8 workers
clus \leftarrow makeCluster(8)
# run the function for iteration 1:100
parSapply(clus, 1:100, my_func)
   [1] "this is iteration 1" "this is iteration 2"
                                                        "this is iteration 3"
   [4] "this is iteration 4" "this is iteration 5"
                                                        "this is iteration 6"
   [7] "this is iteration 7" "this is iteration 8"
                                                        "this is iteration 9"
#> [10] "this is iteration 10" "this is iteration 11" "this is iteration 12"
#> [13] "this is iteration 13" "this is iteration 14" "this is iteration 15"
#> [16] "this is iteration 16" "this is iteration 17" "this is iteration 18"
#> [19] "this is iteration 19" "this is iteration 20"
                                                        "this is iteration 21"
#> ...
# stop the workers (we're done with them now)
stopCluster(clus)
```

An example of parallel programming is in the hands-on later

Interim conclusion

- 1. Today we are working with the Schelling agent-based model
- 2. Running the abm with different settings takes a long time
- 3. We can program the abm itself more efficiently
- 4. We can perform the abm in parallel

Let's try it out!

Hands-on session 1