

# Assignment\_1

November 16, 2024

#Assignment 1

Due EOD Monday Sept 16th.

Please include sufficient documentation to support the ‘method’ marks.

##Question 1

{method, implementation, answer}

Examine the value of sparse matrices by comparing the approximate computational efficiencies of sparse and dense solvers on a tridiagonal system. Use the %timeit function to approximate the complexity.

HINT: Refer to the last example from Thursday’s lecture on how to generate, store, and apply sparse solvers.

## 0.1 Question 2

Consider the truss:

##2a) Write the linear system for  $P_i$  {answer}

**0.1.1 2b) Solve for  $P_i$  using decomposition and back-substitution.**

{method, answer}

##2c) Double the loads (18 kN and 12 kN) and solve for  $P_i$  again *without refactoring*. {answer}

## 0.2 Question 3

Consider the matrix:

$$A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$$

**0.3 3a) Calculate the condition number of A**

{answer}

**0.4 3b) Let's use a preconditioner matrix  $P$  to improve the condition number of the product  $P^{-1}A$ . Give 2 examples of  $P$  that improve the condition number, one of which being the 'perfect' preconditioner.**

{answer, answer}

HINT: consider the easiest linear system to solve.