

# CSCE 560

## Introduction to Computer Networking



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# Agenda

- 8.1 What is network security?
- 8.2 Principles of cryptography
- 8.3 Message integrity and digital signatures
- 8.4 Authentication
- 8.5 Securing email

# What is Network Security?

**Confidentiality:** only sender and intended receiver should “understand” message contents

- ❖ Sender encrypts message
- ❖ Receiver decrypts message

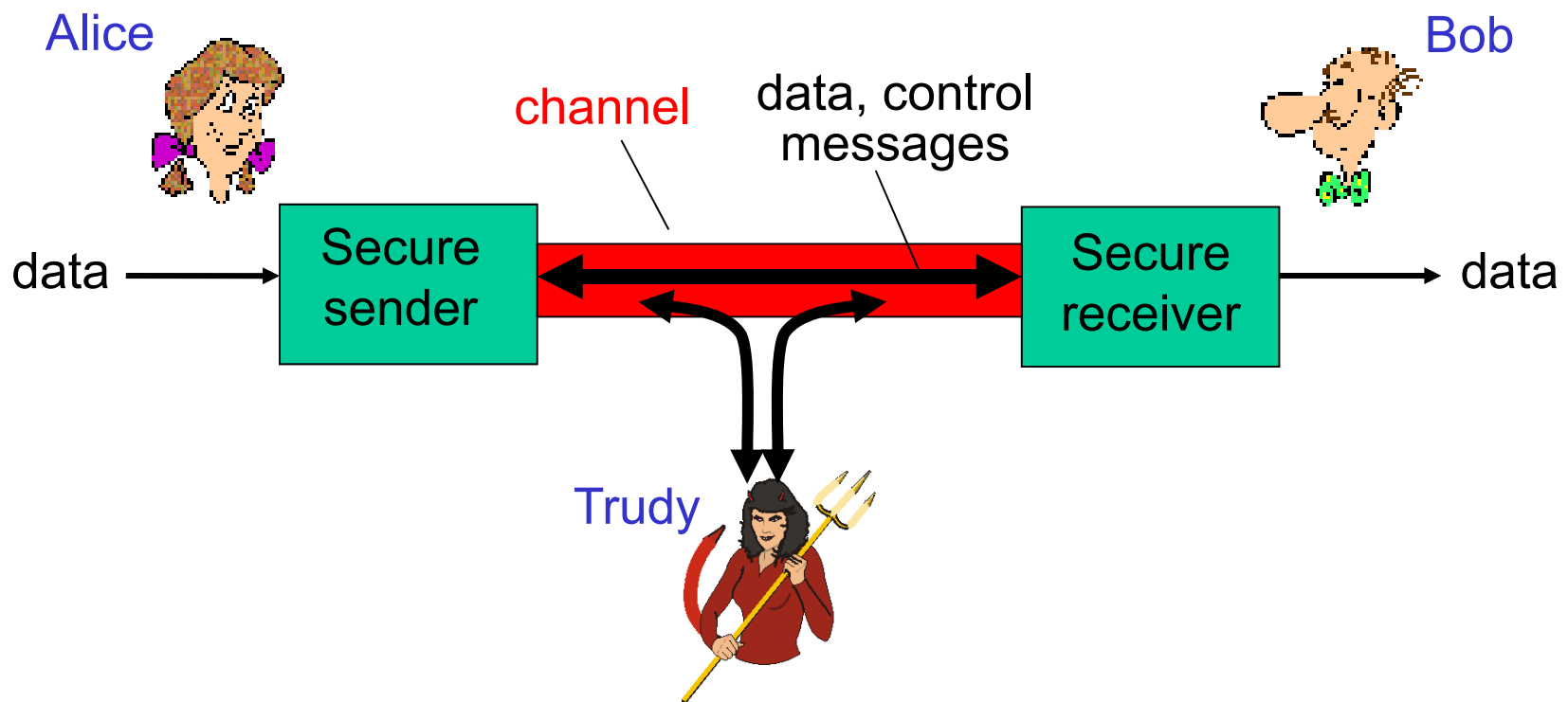
**Message Integrity:** sender and receiver want to ensure message not altered (in transit or afterwards) without detection

**Authentication:** sender and receiver want to confirm identity of each other

**Availability:** services must be accessible and available to users

# Friends and Enemies: Alice, Bob, Trudy

- Well known in network security world
- Names used by Ron Rivest in 1978 article and stuck
- Alice and Bob want to communicate “securely”
- Trudy (intruder) may intercept, delete, add messages



# Who Might Alice and Bob Be?

- ... well, real-life Alices and Bobs!
- Web browser/server for electronic transactions
  - ❖ On-line purchases
  - ❖ On-line banking client/server
- DNS servers
- Routers exchanging forwarding table updates
- Wireless client and access point

# What Can A Bad Actor Do?

- ❑ *Eavesdrop*: intercept messages
- ❑ Actively *insert* messages into connection
- ❑ *Impersonation*: can fake (spoof) source address in packet (or any field in packet)
- ❑ *Hijacking*: “take over” ongoing connection by removing sender or receiver inserting himself in place
- ❑ *Denial of service*: prevent service from being used by others (e.g., by overloading resources)
- ❑ Details discussed in CSCE 629

# Agenda

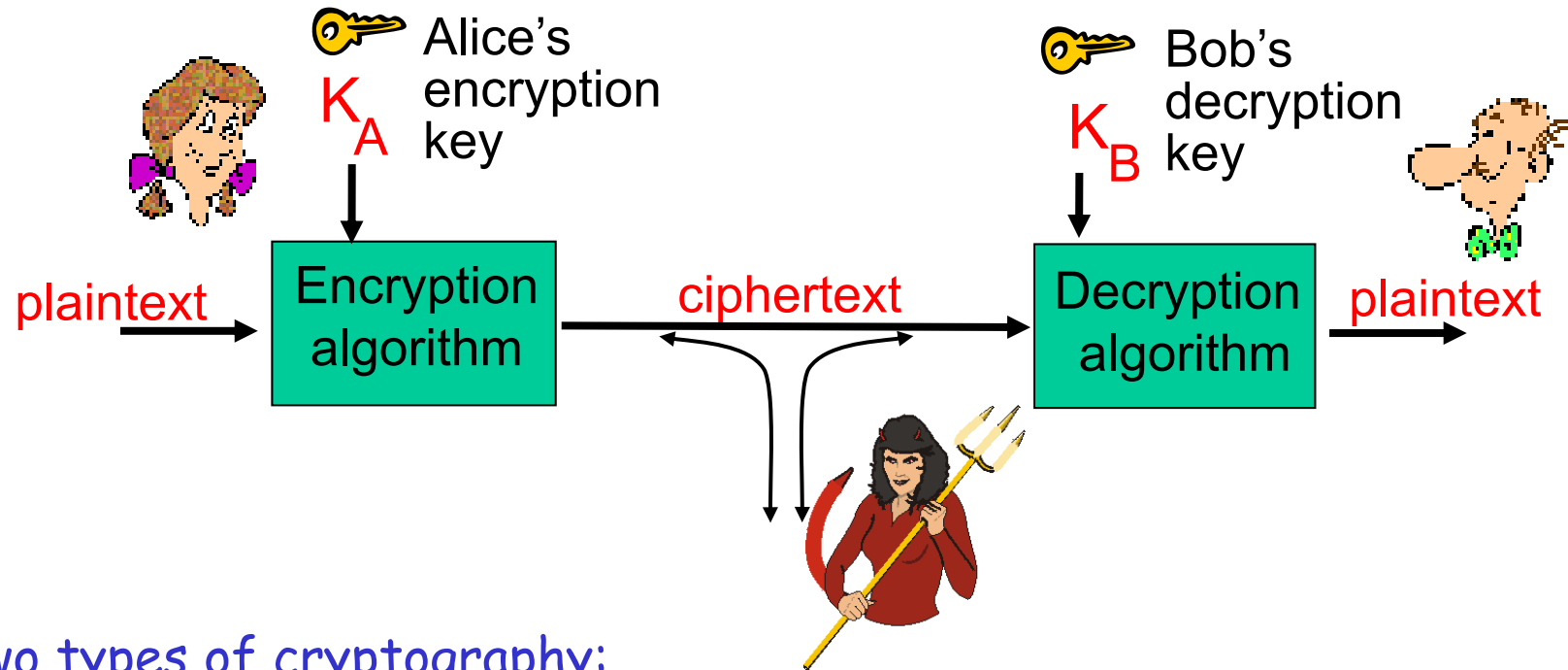
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# Basic Terminology

- ❑ Plain Text - Original data: not disguised
- ❑ Cipher (Encrypted) Text - Unintelligible to intruder
  - ❖ Data disguised using encryption algorithm
- ❑ Algorithm
  - ❖ Should be public and known to all
    - Inspires trust that the algorithm works
    - Proprietary algorithms are not the answer
- ❑ Key
  - ❖ String of bits represented as alphanumerics used as input to control **how** encryption algorithm disguises plain text
  - ❖ Should be long enough to prevent easy breaking yet short enough to keep algorithm efficient
  - ❖ Typical key lengths in bits: 56, 128, 256, 512



# The Language of Cryptography



Two types of cryptography:

**Symmetric key** crypto: sender and receiver keys *identical*

**Public-key** crypto:

encryption key  $\rightarrow$  public

decryption key  $\rightarrow$  private (secret)

# Symmetric Key Crypto Substitution Ciphers



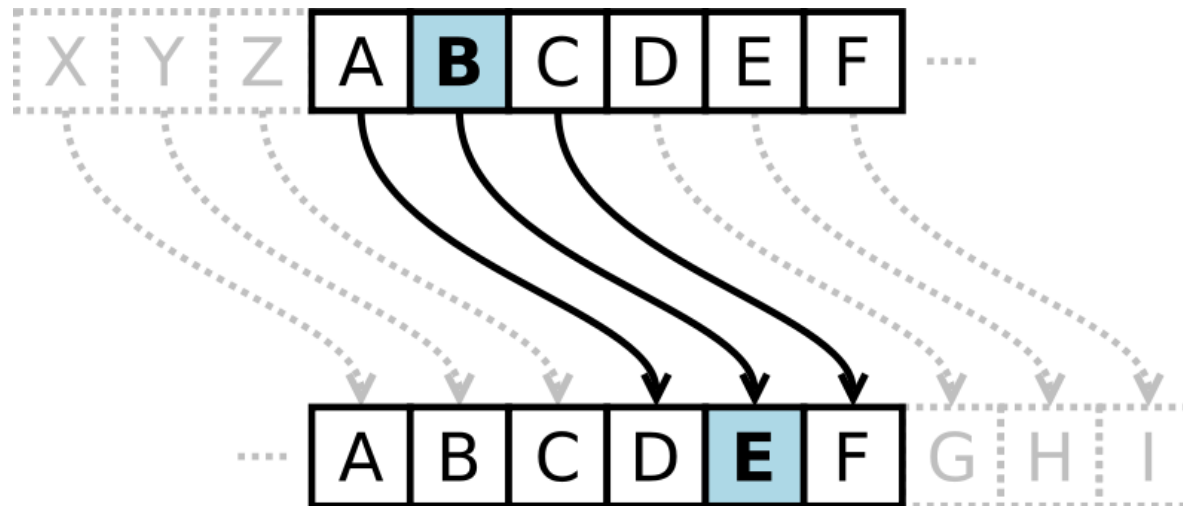
Snow  
@\_sn0ww

Following

This year my kids will be writing letters to Santa using caesar cipher

11:54 AM - 1 Dec 2017

- Every letter (or group of letters) is replaced by another letter (or group of letters)
- Example
  - ❖ Caesar's (ROTn) cipher: substitute with letter "n" positions later
  - ❖ "n" is the key
    - A/D, B/E, C/F, D/G, ..., Z/C →  $n = 3$
    - WARNING! → ROT26 has been cracked



Once it is known that Caesar cipher is being used, it is easy to break the code (only 25 possible key values)

# Symmetric Key Crypto

## Substitution Ciphers

- Monoalphabetic cipher: substitute one letter for another

|                    |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |
|--------------------|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|
| Plaintext letter:  | a | b | c | d | e | f | g | h | i | j | k | l | m | n | o | p | q | r | s | t | u | v | w | x | y | z |
| Ciphertext letter: | m | n | b | v | c | x | z | a | s | d | f | g | h | j | k | l | p | o | i | u | y | t | r | e | w | q |

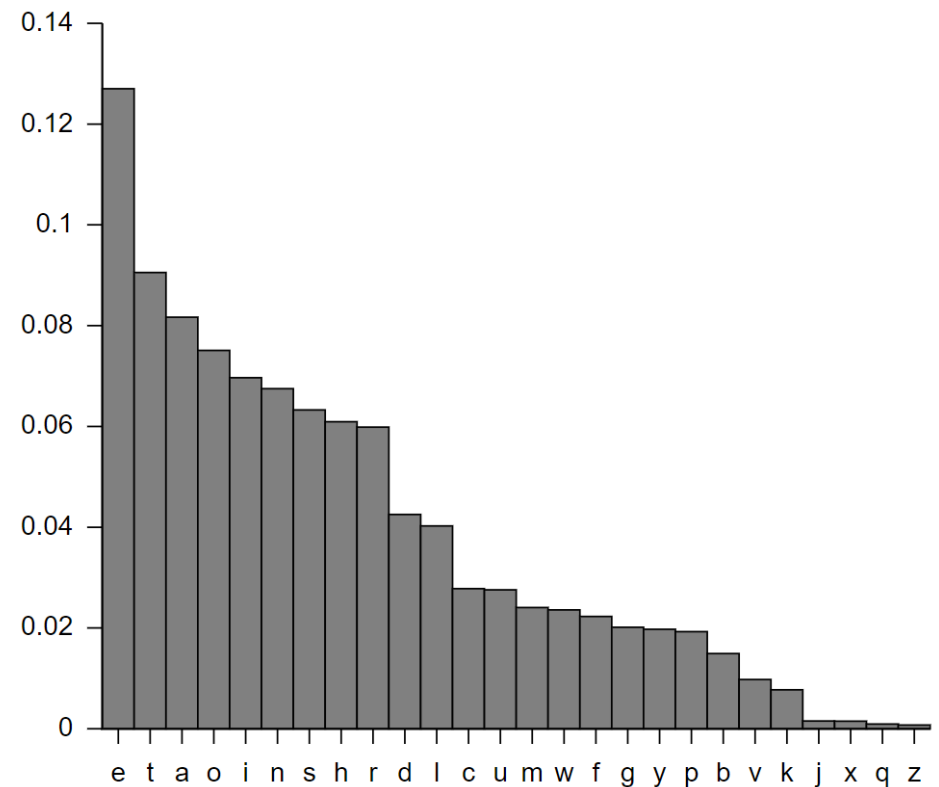
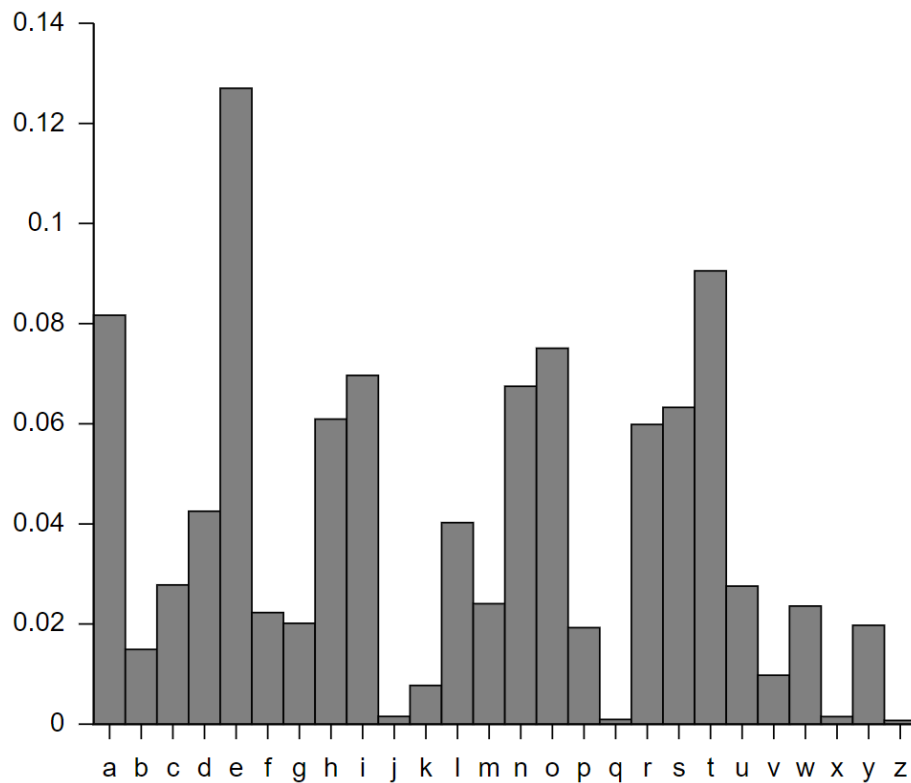
**Plaintext:** bob, i love you. alice  
**ciphertext:** nkn, s gktc wky. mgsbc

# Symmetric Key Crypto

## Substitution Ciphers

Q: How hard to brute force this simple cipher?

- 26! ( $403 \times 10^{24}$ ) possible pairings of letters - so breaking code is not as easy as Caesar cipher
- Statistical analysis of plain text language can help in breaking the code faster



# Symmetric Key Crypto

## Substitution Ciphers

- ❑ Polyalphabetic cipher: use **multiple** monoalphabetic ciphers
- ❑ Choose either  $C_1$  or  $C_2$  based on some predetermined sequence (e.g.,  $C_1, C_2, C_2, C_1, C_2$ , and repeat)

|                   |   |
|-------------------|---|
| Plaintext letter: | a b c d e f g h i j k l m n o p q r s t u v w x y z |
| $C_1(k = 5)$ :    | f g h i j k l m n o p q r s t u v w x y z a b c d e |
| $C_2(k = 19)$ :   | t u v w x y z a b c d e f g h i j k l m n o p q r s |

**Plaintext:** bob, i love you.  
**ciphertext:** ghu, n etox dhz.

- ❑ Note the first b is encrypted using  $C_1$  while the second b uses  $C_2$

# Symmetric Key Crypto

## Transposition Ciphers

- Instead of substituting letters in the plaintext, we change their order

Key = ANDREW

Plaintext = thisisamessageiwouldliketoencryptnow  
Ciphertext = tagltyieiletisokcohmedopsswinnsauerw

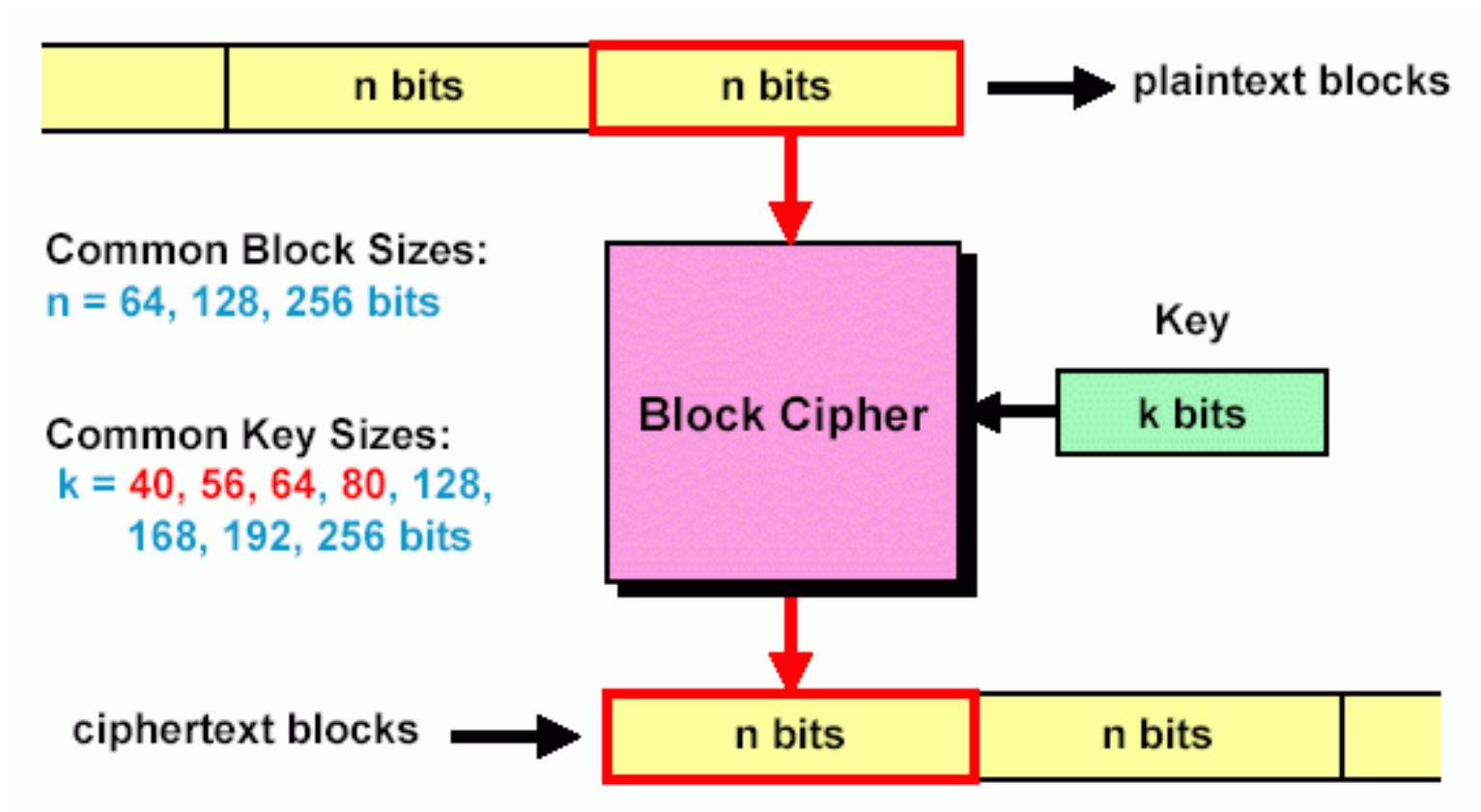
|       |   |   |   |   |   |
|-------|---|---|---|---|---|
| A     | N | D | R | E | W |
| 1     | 4 | 2 | 5 | 3 | 6 |
| <hr/> |   |   |   |   |   |
| t     | h | i | s | i | s |
| a     | m | e | s | s | a |
| g     | e | i | w | o | u |
| l     | d | l | i | k | e |
| t     | o | e | n | c | r |
| y     | p | t | n | o | w |

# Symmetric Key Crypto: DES

- Most encryption algorithms use a complex combination of substitution and transposition
- **DES**: Data Encryption Standard - Became standard in 1977
  - Multiple iterations of substitution and transposition using a 56-bit symmetric key and 64-bit **blocks**
  - ❖ How secure is DES?
    - DES Challenge: 56-bit-key-encrypted phrase brute forced:
      - 4 months - 1997
      - 41 days - Feb 1998
      - 56 hours - Jul 1998
      - 22 hours and 15 minutes - Jan 1999
    - No known "backdoor" decryption approach
- Making DES more secure:
  - ❖ 3DES: encrypt 3 times with 3 different keys
    - Actually: encrypt → decrypt → encrypt

# Block Ciphers

- Divide input bit stream into  $n$ -bit sections, encrypt only that section, no dependency/history between sections
- In a good block cipher, each output bit is a function of all  $n$  input bits and all  $k$  key bits





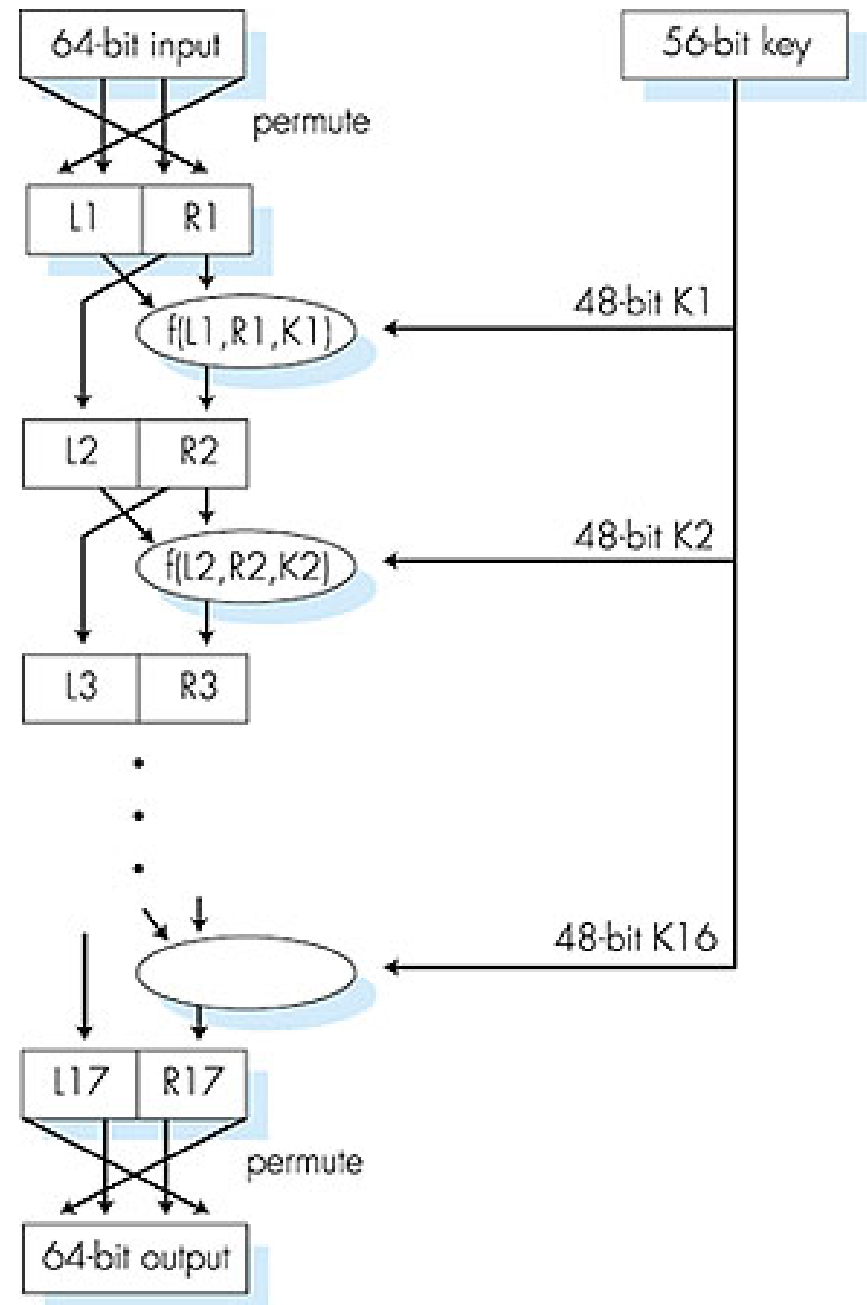
# Symmetric Key Crypto: DES

## DES operation

Initial permutation

16 identical "rounds" of  
function application, each  
using different 48 bits of  
key material

Final permutation



# Symmetric Key Crypto:

## AES: Advanced Encryption Standard

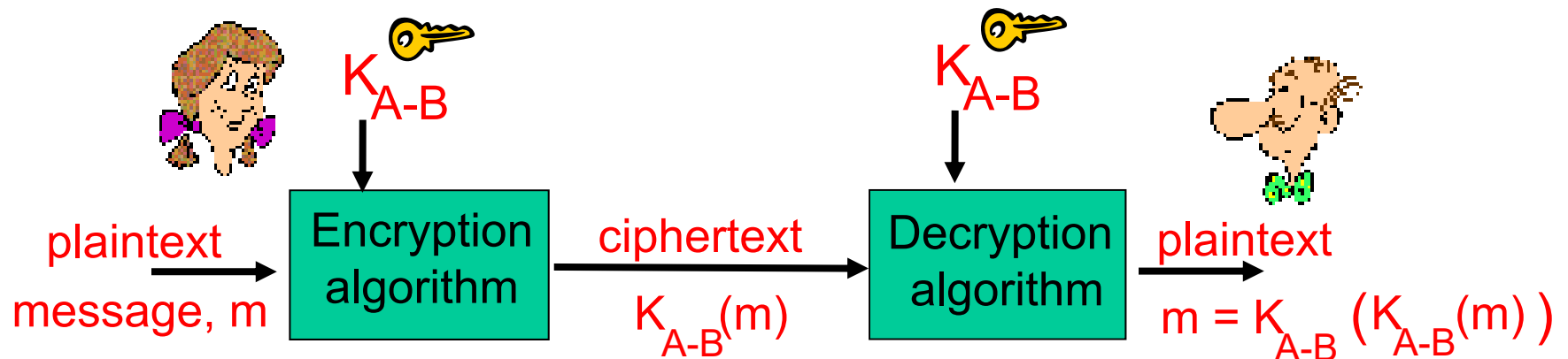
- ❑ DES has small key space
- ❑ 3DES has high computational costs
- ❑ Enter AES as a NIST standard—2002
  - ❖ Processes data in 128-bit blocks
  - ❖ 128, 192, or 256 bit keys
  - ❖ Brute force decryption
    - **DES**: Assume a machine that can brute force DES in 1 sec (instead of ~22 hours)
    - **AES**: To brute force 128-bit AES, same machine would take 149 trillion years

$$\frac{2^{(128bits-56bits)}}{60 * 60 * 24 * 365} = 149.75 \times 10^{12} \text{ years}$$

# Symmetric Key Cryptography

**Symmetric key** crypto: Bob and Alice share same (symmetric) key:  $K_{A-B}$

Q: How do Bob and Alice agree on key value?



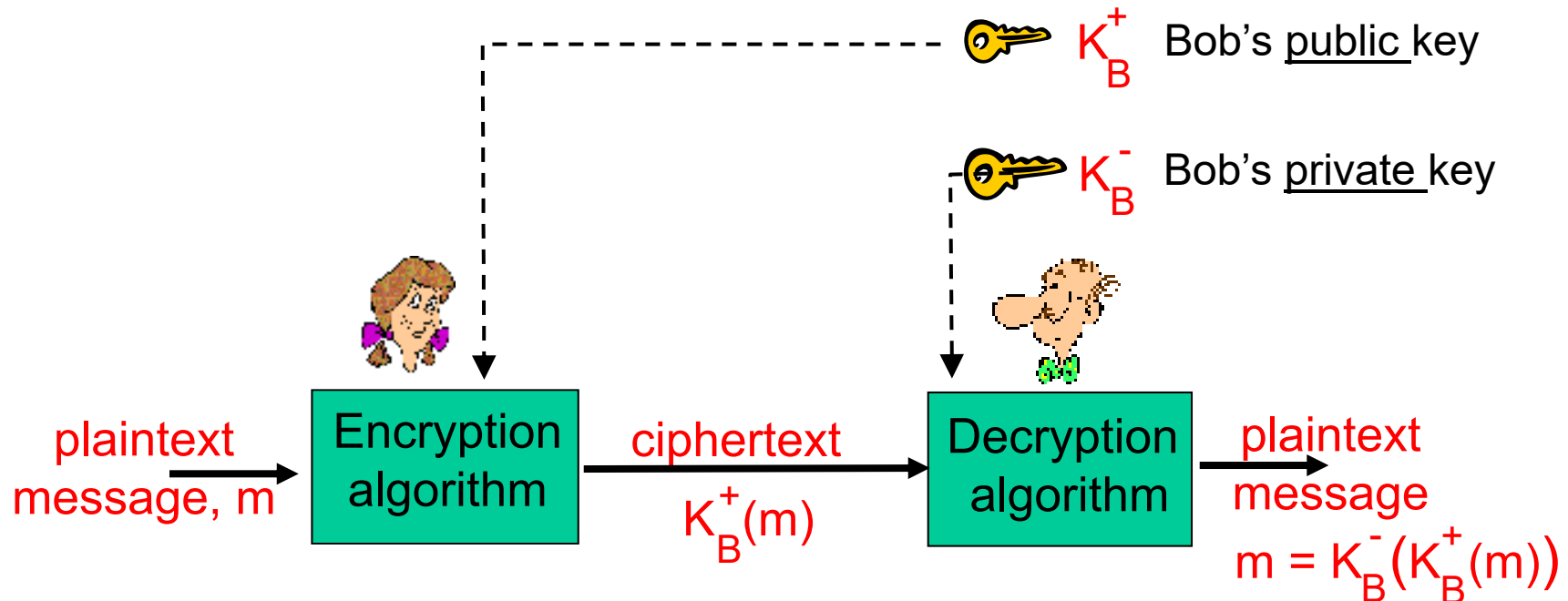
# Symmetric Key Crypto

- Problem with all the cryptography algorithms discussed so far
  - ❖ If the key is stolen, any message can be decrypted
- Is there a way to do cryptography without worrying about this?

Yes, **public key cryptography!**

# Public Key Cryptography aka Asymmetric Encryption

- Sender and receiver do not share secret key
- Each user (e.g., Bob) holds two different keys
  - ❖ **Private** key to decrypt messages sent to Bob
  - ❖ **Public** key everyone uses to encrypt messages to send to Bob



# Public Key Encryption Algorithms

Requirements:

- ① Need  $K_B^+(\cdot)$  and  $K_B^-(\cdot)$  such that

$$K_B^-(K_B^+(m)) = m$$

- ② Given public key  $K_B^+$ , it should be impossible to compute private key  $K_B^-$

**RSA** (Rivest, Shamir, Adleman) algorithm satisfies these requirements

# RSA: Choosing Keys

1. Choose two large prime numbers  $p, q$   
Minimum of 1024 bits recommended; CACs use 2048 bits
2. Compute  $n = pq$  and  $z$  (totient)  $= (p-1)(q-1)$
3. Choose  $e$  (with  $1 < e < z$ ) that has no common factors with  $z$  ( $e, z$  are "relatively prime" or  $\gcd(e, z) = 1$ )
4. Choose  $d$  such that  $ed-1$  is exactly divisible by  $z$   
(i.e.,  $ed \bmod z = 1$ )
5. Public key is  $(\underbrace{n, e}_{K_B^+})$  and private key is  $(\underbrace{n, d}_{K_B^-})$

# RSA: Encryption, Decryption

0. Given  $(n,e)$  and  $(n,d)$

1. To encrypt bit pattern,  $m$ , compute

$$c = m^e \bmod n$$

2. To decrypt received bit pattern,  $c$ , compute

$$m = c^d \bmod n$$

Magic  
happens!

$$m = \underbrace{(m^e \bmod n)}_c^d \bmod n$$



# RSA Example

Choose  $p=5, q=7 \rightarrow n=35, z=24$

Choose  $e=5$  (so  $e, z$  relatively prime)

Choose  $d=29$  (so  $ed-1$  exactly divisible by  $z$ )  $\rightarrow (ed \bmod z = 1)$

$[(5*d)-1] / 24 = \text{integer} \rightarrow d = 5, 29, 53, 77 \dots$

|          |               |          |                      |                                |
|----------|---------------|----------|----------------------|--------------------------------|
|          | <u>letter</u> | <u>m</u> | <u>m<sup>e</sup></u> | <u>c = m<sup>e</sup> mod n</u> |
| encrypt: | I             | 12       | 248832               | 17                             |

---

|          |          |                                      |                                |               |
|----------|----------|--------------------------------------|--------------------------------|---------------|
|          | <u>c</u> | <u>c<sup>d</sup></u>                 | <u>m = c<sup>d</sup> mod n</u> | <u>letter</u> |
| decrypt: | 17       | 481968572106750915091411825223071697 | 12                             | I             |

# RSA: Another Important Property

- The following property will be *very* useful later:

$$\underbrace{K_B^-(K_B^+(m))}_{\text{use public key first followed by private key}} = m = \underbrace{K_B^+(K_B^-(m))}_{\text{use private key first followed by public key}}$$

use public key first  
followed by private key

use private key first  
followed by public key

*Result is the same!*

# Session Keys

$$c = m^e \bmod n$$

- Exponentiation is computationally expensive
- DES is faster than RSA
  - ❖ In software → at least 100 times faster
  - ❖ In hardware → 1,000 to 10,000 times faster

## Session key, $K_s$

- Bob and Alice use RSA to exchange a symmetric key  $K_s$
- Once both have  $K_s$ , they use symmetric key crypto

# Agenda

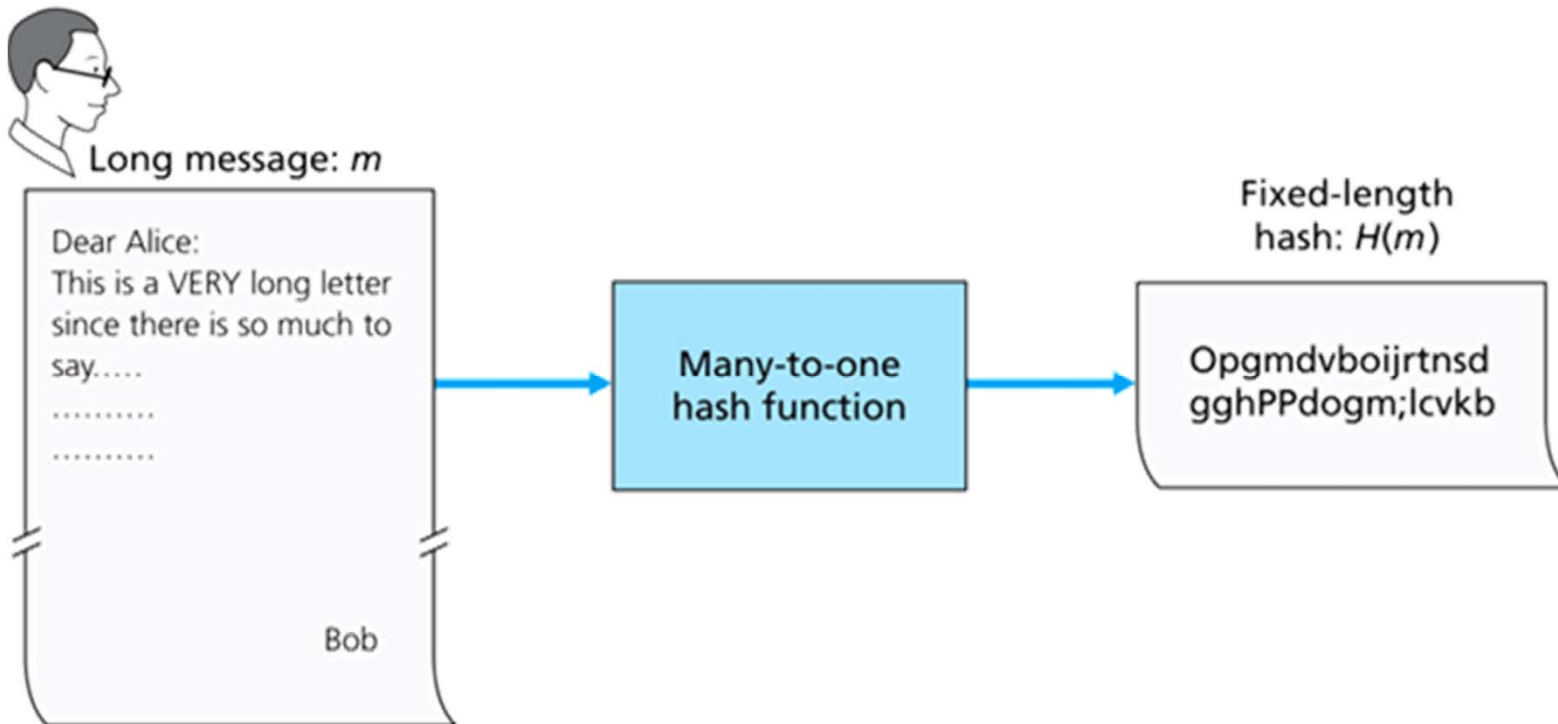
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# Message Integrity

- Allows communicating parties to verify that received messages are authentic
  - ❖ Source of message is who/what you think it is
  - ❖ Content of message has not been altered
- Let's first talk about message digests

# Message Digests aka Cryptographic Hash

- Function that takes arbitrary length input  $m$ , produces fixed-length string,  $H(m)$
- Computationally infeasible to find two different messages,  $x, y$  such that  $H(x) = H(y)$ 
  - ❖ Given  $m = H(x)$ , ( $x$  unknown), cannot determine  $x$



# Internet Checksum: Poor Crypto Hash Function

Internet checksum has some properties of hash function:

- ✓ produces fixed length digest (16-bit sum) of message
- ✗ But given message with given hash value, it is easy to find another message with same hash value
- Original message is IOU100.99BOB
- Altered message is IOU900.19BOB

| <u>message</u> | <u>ASCII format</u> |
|----------------|---------------------|
| I O U 1        | 49 4F 55 31         |
| 0 0 . 9        | 30 30 2E 39         |
| 9 B O B        | 39 42 4F 42         |
| <hr/>          |                     |
|                | B2 C1 D2 AC         |

| <u>message</u> | <u>ASCII format</u> |
|----------------|---------------------|
| I O U 9        | 49 4F 55 39         |
| 0 0 . 1        | 30 30 2E 31         |
| 9 B O B        | 39 42 4F 42         |
| <hr/>          |                     |
|                | B2 C1 D2 AC         |

Different messages  
but identical checksums!

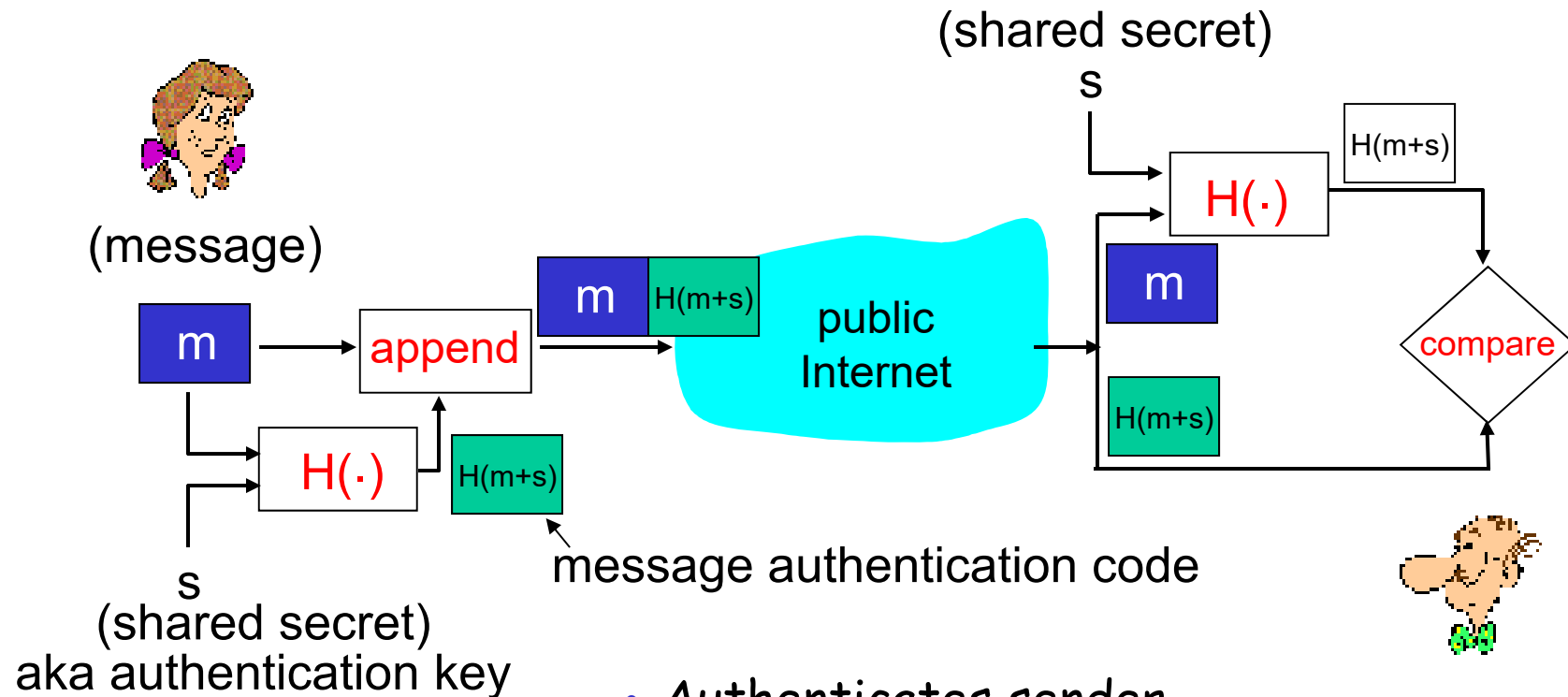
# Hash-based Message Authentication Code (HMAC)

- MD5 hash function designed by Rivest in 1992 (RFC 1321)
  - ❖ Computes 128-bit message digest
  - ❖ Change anything in the message and hash is vastly different
    - $H(\text{"Barry Mullins"}) = 566565478e370616d1f484519a2ea7aa$
    - $H(\text{"barry Mullins"}) = 1a0aa383eb6cc2793d6ea6e88428104a$
  - ❖ Security of MD5 hash function "severely" compromised
    - Collision attack can find collisions within seconds
- SHA1 hash function designed by NSA in 1995 (RFC 3174)
  - ❖ 160-bit message digest
  - ❖ In 2017 Google said they performed a collision attack



# Message Authentication Code (MAC)

## How We Can Perform Message Integrity



- Authenticates sender
- Verifies message integrity
- No encryption!
- Also called "keyed hash"

# Digital Signatures

Cryptographic technique analogous to handwritten signatures

- ❑ Sender (Bob) digitally signs document establishing he is document owner/creator
- ❑ **Verifiable, nonforgeable**: recipient (Alice) can prove to someone that Bob, and no one else (including Alice), must have signed document
- ❑ **Non-repudiable**: Bob cannot deny signing the document

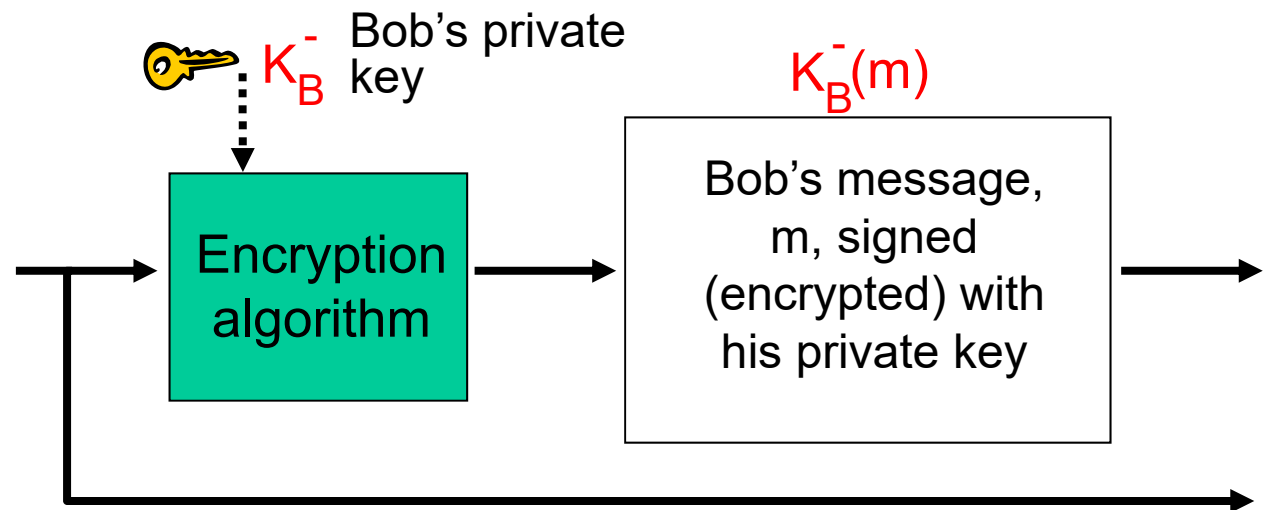
# Digital Signatures

Simple digital signature for message  $m$ :

- Bob signs  $m$  by encrypting with his private key  $K_B^-$ , creating "signed" message,  $K_B^-(m)$

Bob's message,  $m$

Dear Alice  
Oh, how I have missed  
you. I think of you all the  
time! ...(blah blah blah)  
Bob



# Digital Signatures (More)

- Alice receives msg  $m$  and digital signature  $K_B^-(m)$
- Alice verifies  $m$  signed by Bob by applying Bob's public key  $K_B^+$  to  $K_B^-(m)$  to get  $K_B^+(K_B^-(m)) = m$
- If  $K_B^+(K_B^-(m)) = m$ , whoever signed  $m$  must have used Bob's private key

Alice thus verifies that:

- ✓ Bob signed  $m$
- ✓ No one else signed  $m$
- ✓ Bob signed  $m$  and not  $m'$

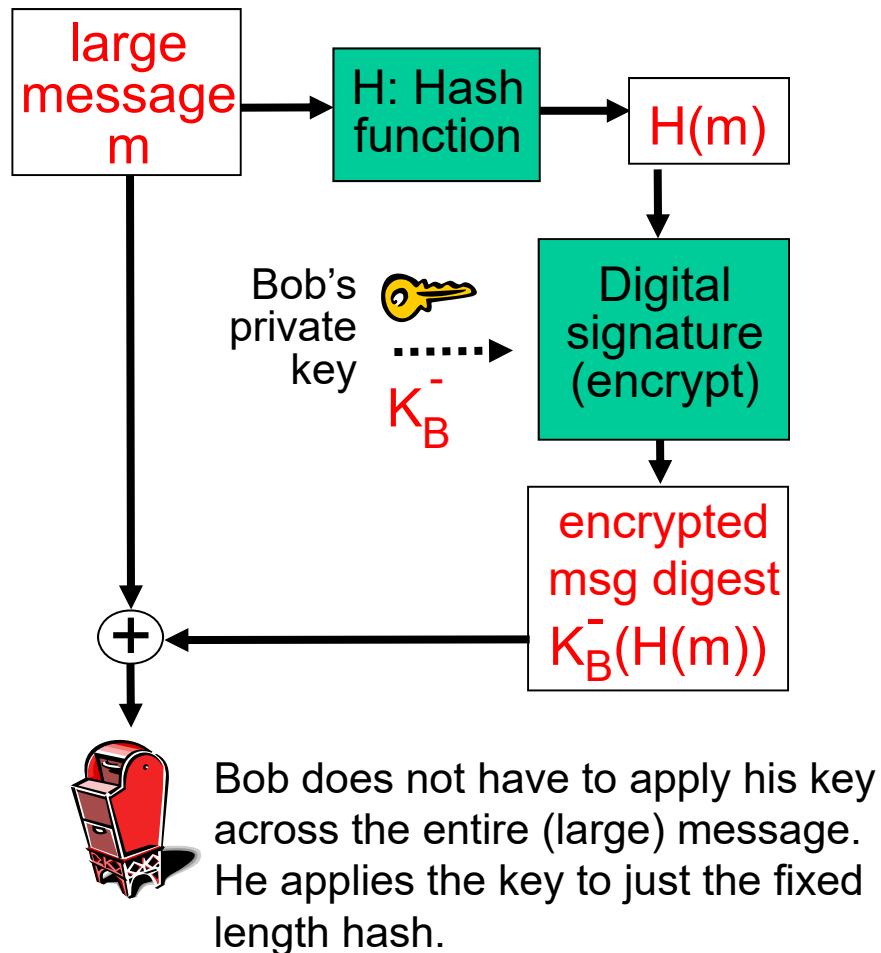
Non-repudiation:

- ✓ Alice can take  $m$  and signature  $K_B^-(m)$  to court and prove that Bob signed  $m$

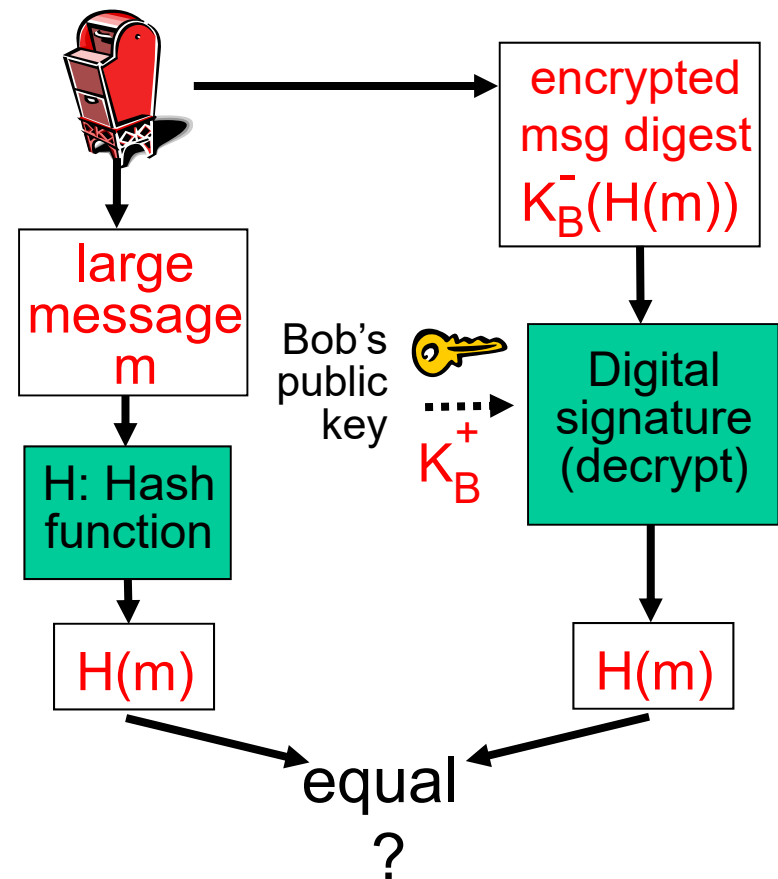
**Problem:** Computationally expensive (encryption/decryption) to public-key-encrypt **long** messages

# Digital Signature: Signed Message Digest

Bob sends digitally signed message:

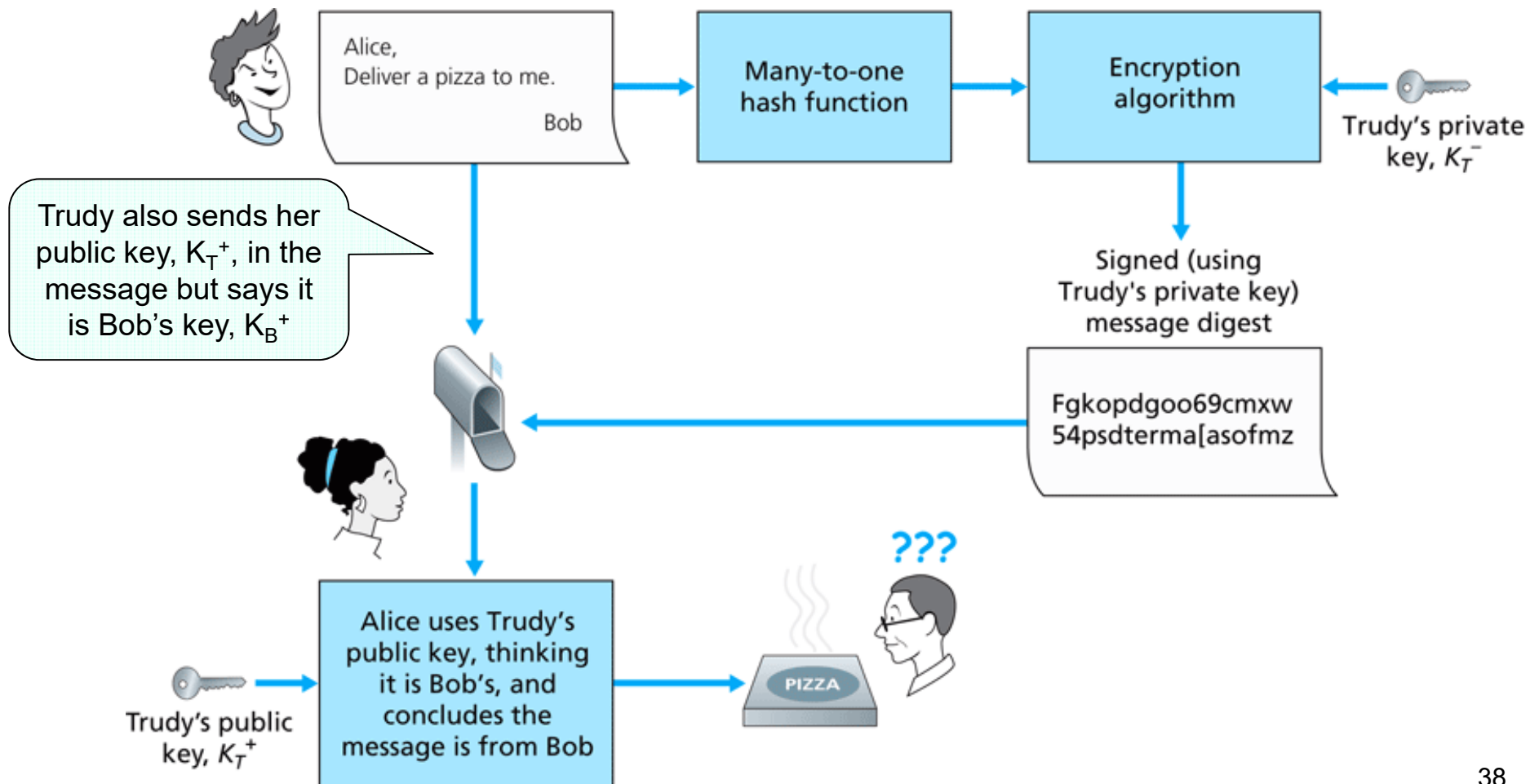


Alice verifies signature and integrity of digitally signed message:



# Certification Authorities

- When Alice obtains Bob's public key (from web site, e-mail, CD, thumbdrive), how does she know it is Bob's public key, not Trudy's?
- We need to know for sure we have the correct key!



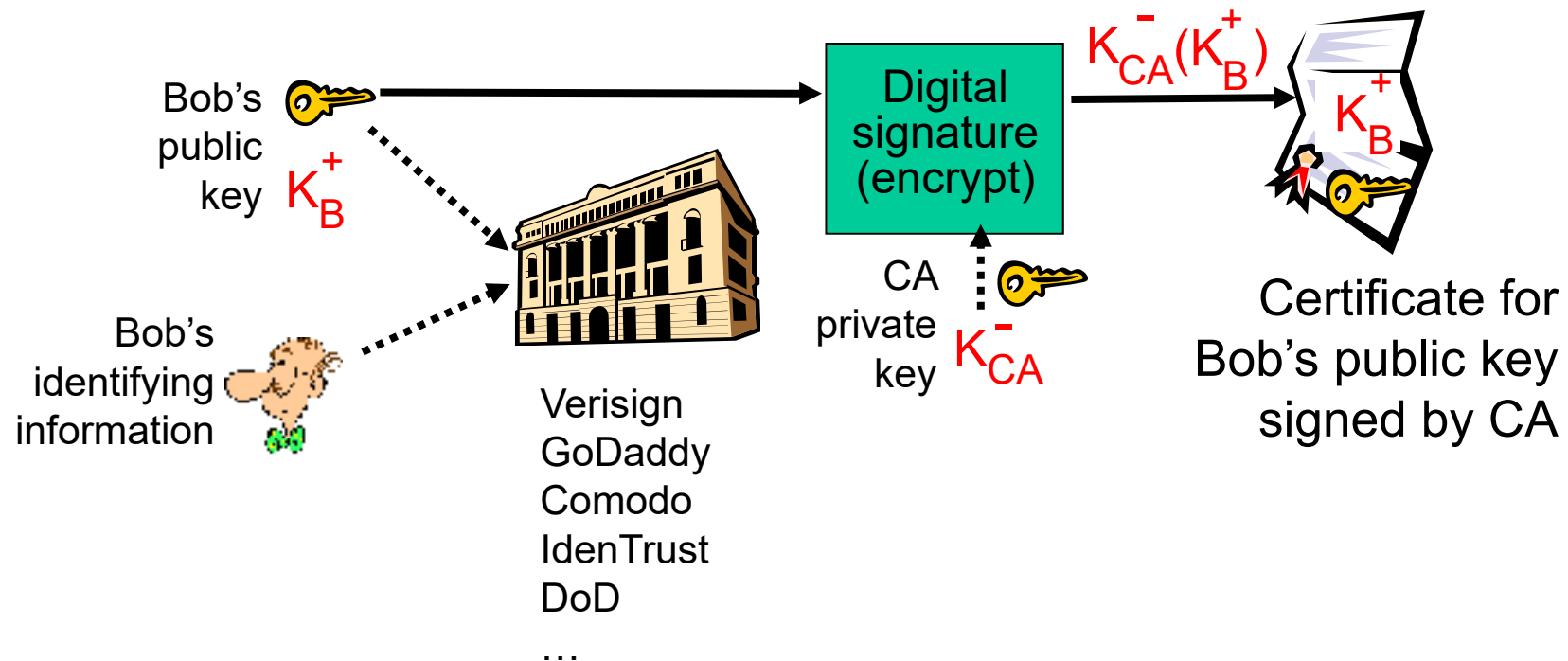
# Certification Authorities

## □ Certification authority (CA):

binds public key to particular entity, E

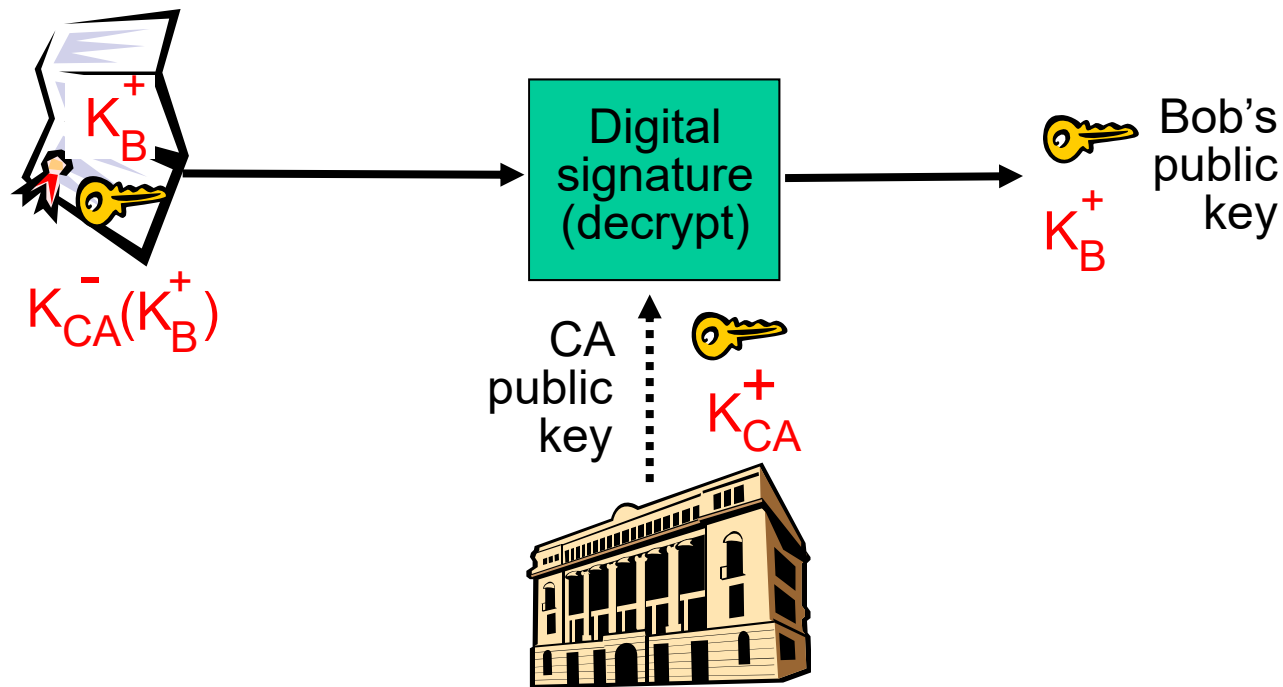
## □ Bob registers his public key with CA

- ❖ Bob provides "proof of identity" to CA
- ❖ CA creates certificate binding Bob to his public key
- ❖ Certificate containing Bob's public key digitally signed by CA
  - CA says "This is Bob's public key"



# Certification Authorities

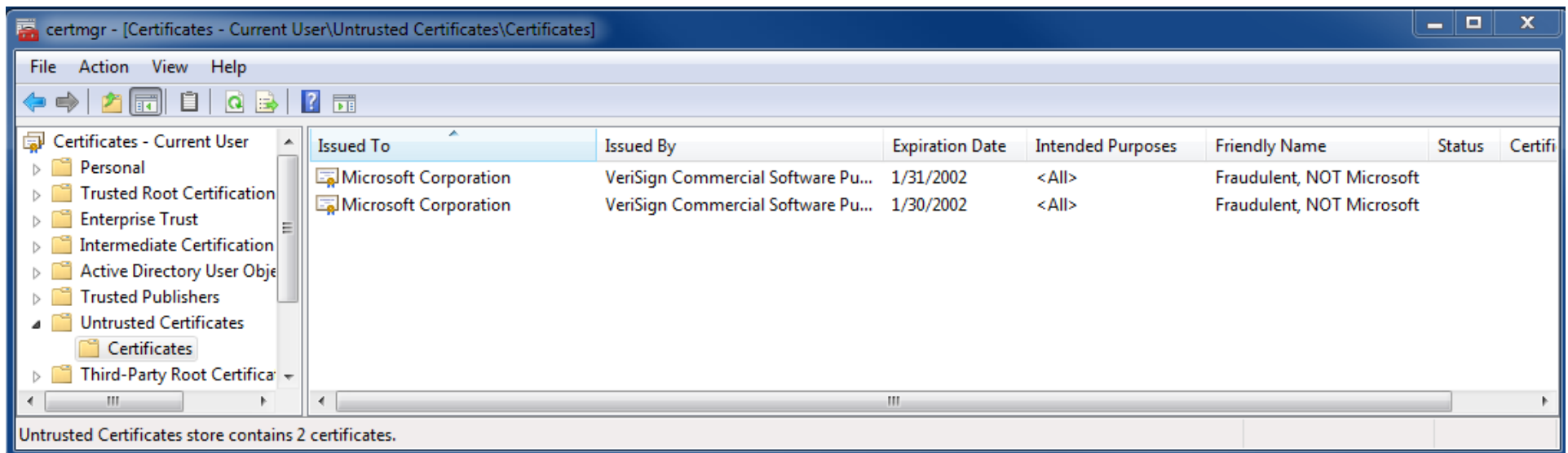
- When Alice wants Bob's public key:
  - ❖ Gets Bob's certificate (Bob or elsewhere)
  - ❖ Apply CA's public key to Bob's certificate to get Bob's public key





# It's All About Trust...

- ❑ You can trust the identity associated with a public key only to the extent that you can trust a CA and its ID verification process
- ❑ In mid-March 2001, VeriSign advised Microsoft that on January 29 and 30, 2001, it issued two VeriSign Class 3 code-signing digital certificates to an individual who fraudulently claimed to be a Microsoft employee. The common name assigned to both certificates is "Microsoft Corporation".
- ❑ To view certificates
  - ❖ Start → Run → certmgr.msc



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# Authentication

Goal: Bob wants Alice to “prove” her identity to him

Protocol ap1.0: Alice says “I am Alice”



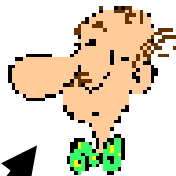
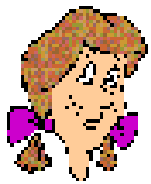
Failure scenario??



# Authentication

Goal: Bob wants Alice to “prove” her identity to him

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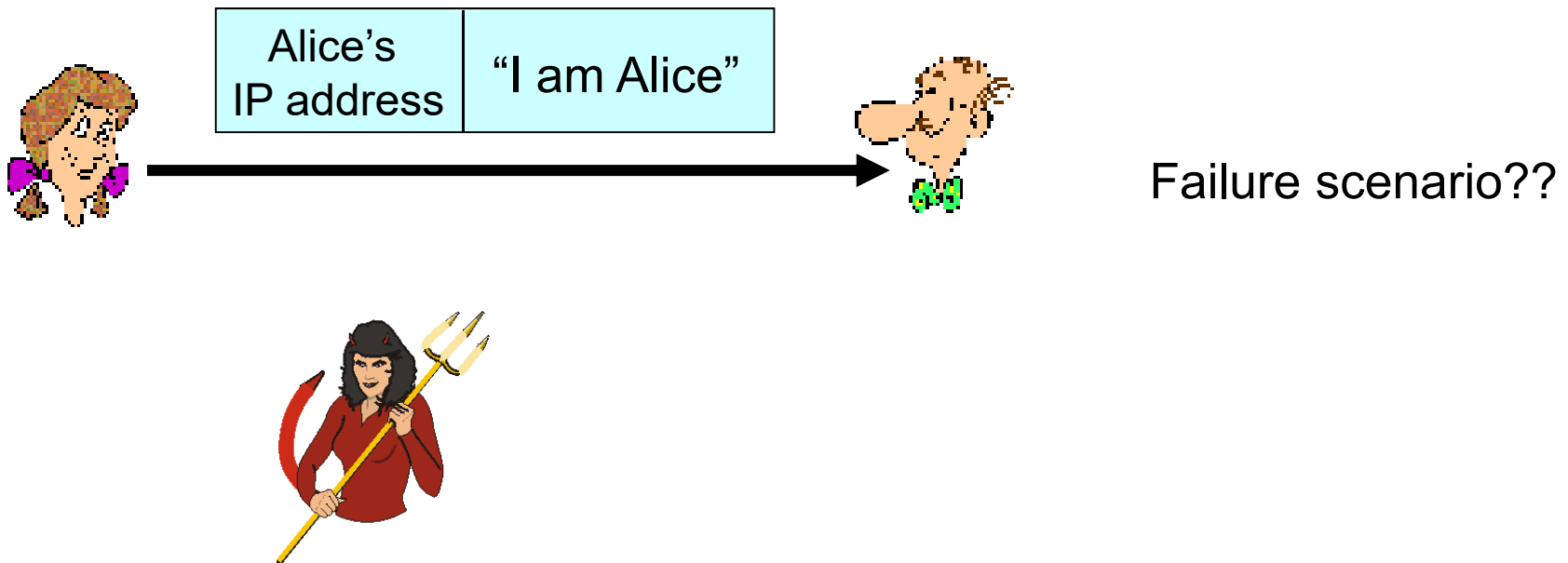
“I am Alice”

In a network,  
Bob cannot “see” Alice, so  
Trudy can simply declare  
herself to be Alice

# Authentication: Another Try

## Protocol ap2.0

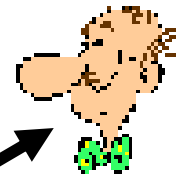
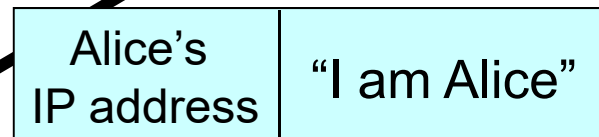
- Alice says "I am Alice" in an IP packet containing her source IP address and
- Bob already knows Alice's IP address



# Authentication: Another Try

## Protocol ap2.0

- Alice says "I am Alice" in an IP packet containing her source IP address and
- Bob already knows Alice's IP address

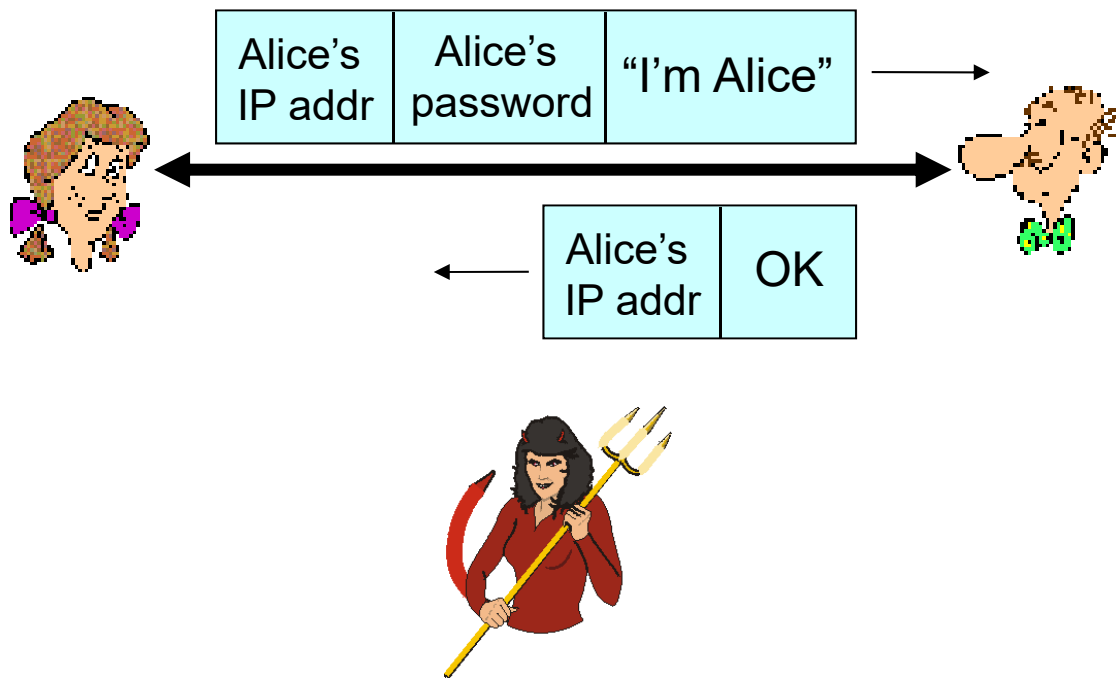


Trudy can create a packet "spoofing" Alice's address

# Authentication: Another Try

## Protocol ap3.0

- Alice says "I am Alice" and sends her secret password to "prove" it

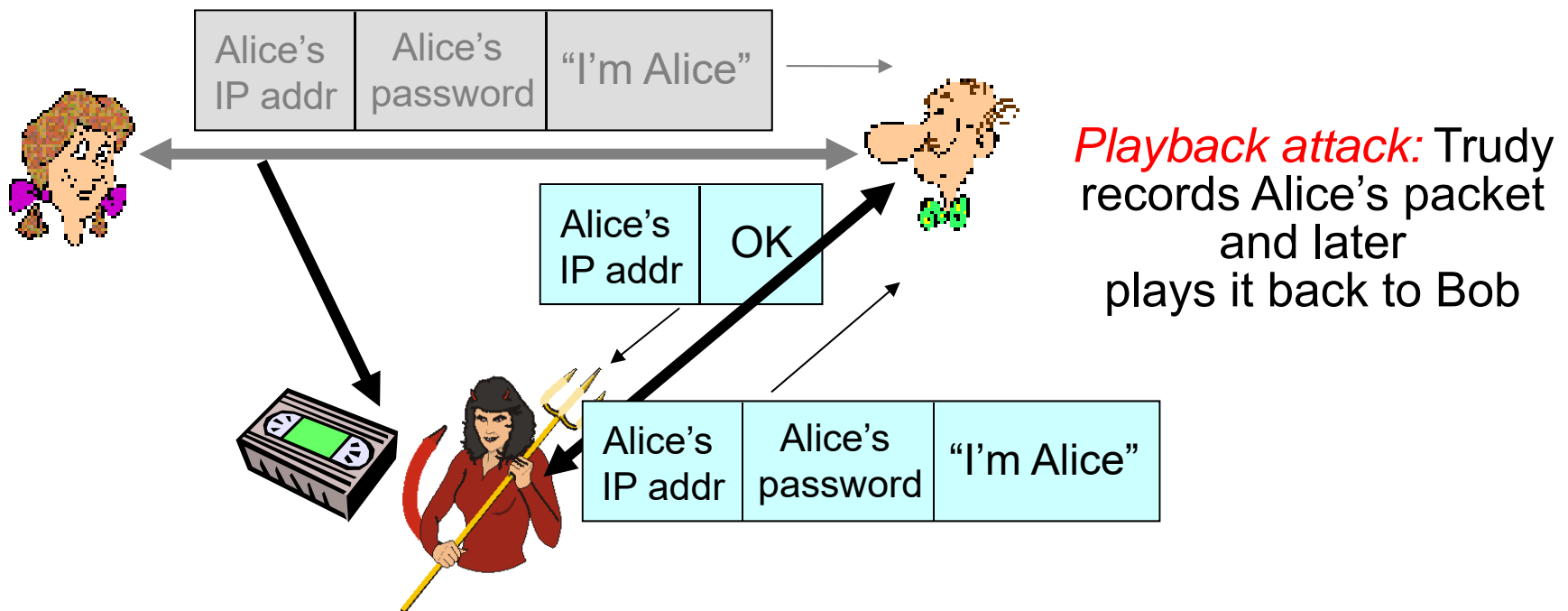


Failure scenario??

# Authentication: Another Try

## Protocol ap3.0

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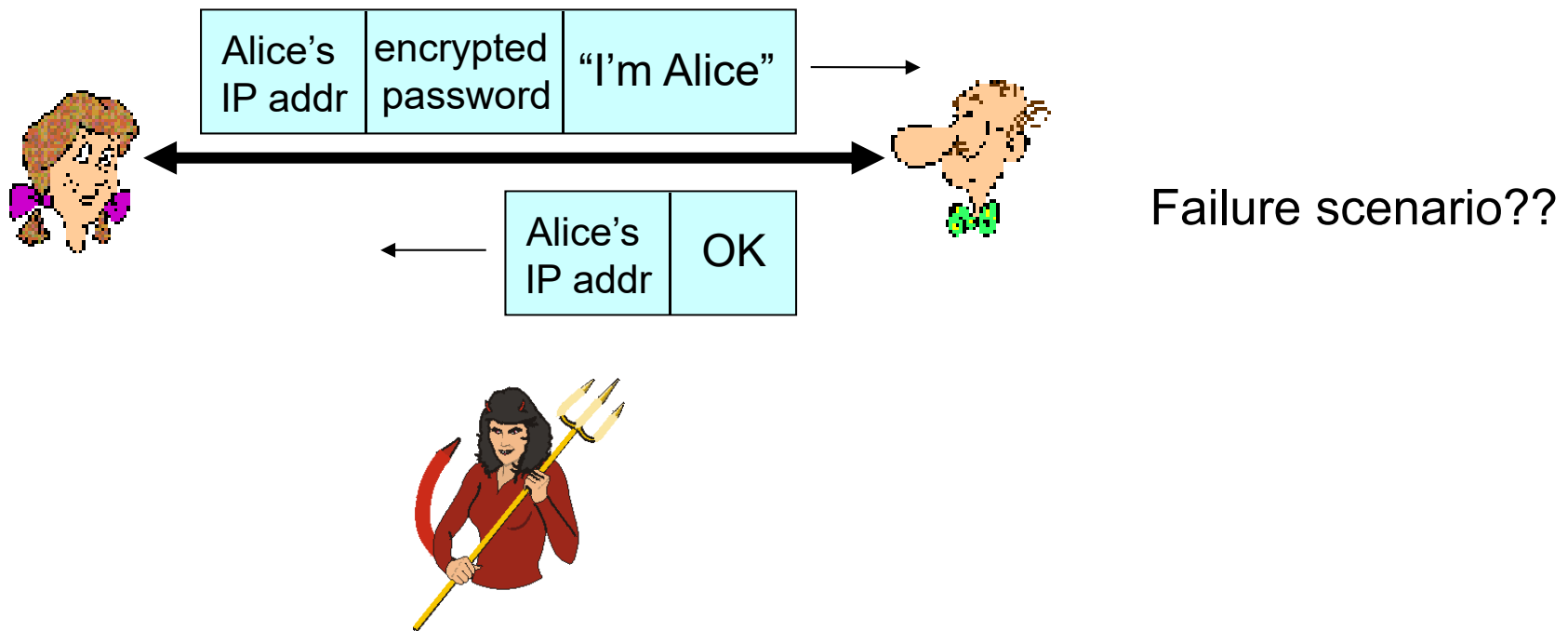




# Authentication: Yet Another Try

## Protocol ap3.1

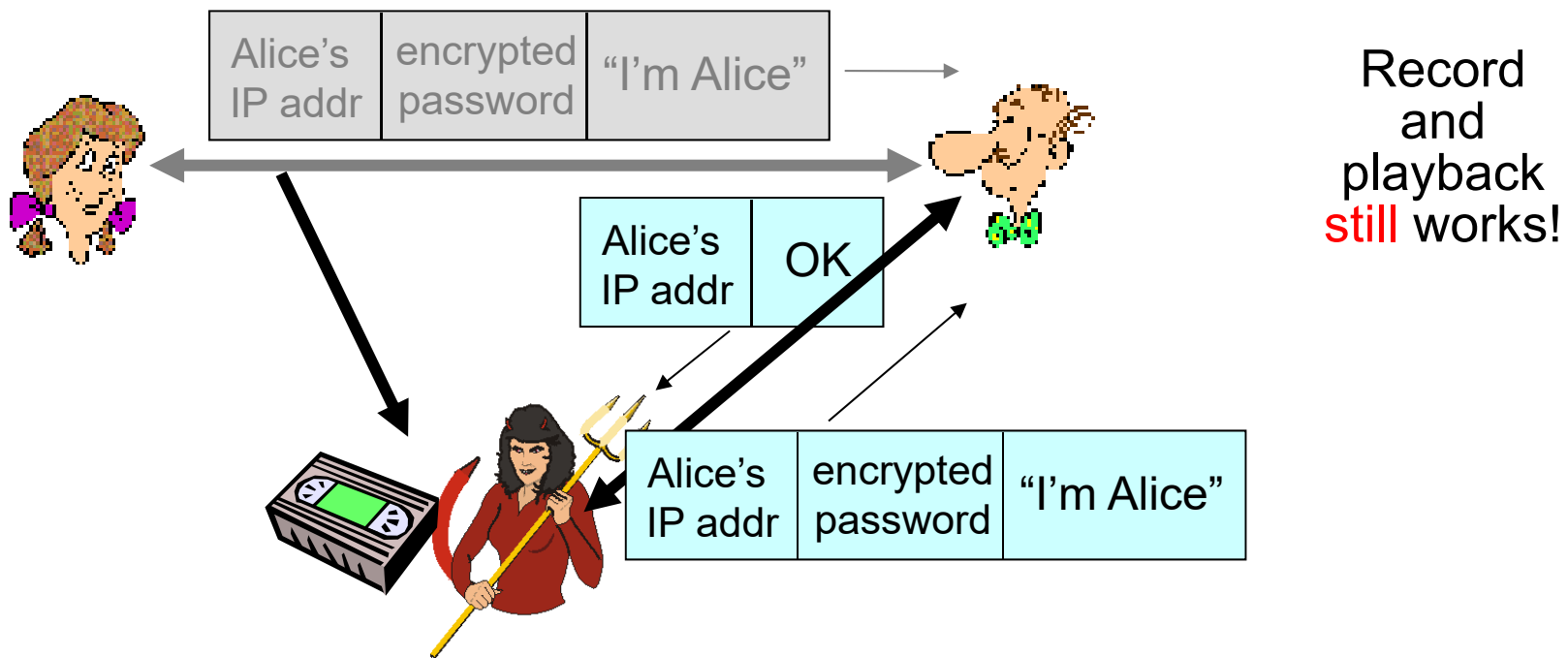
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# Authentication: Another Try

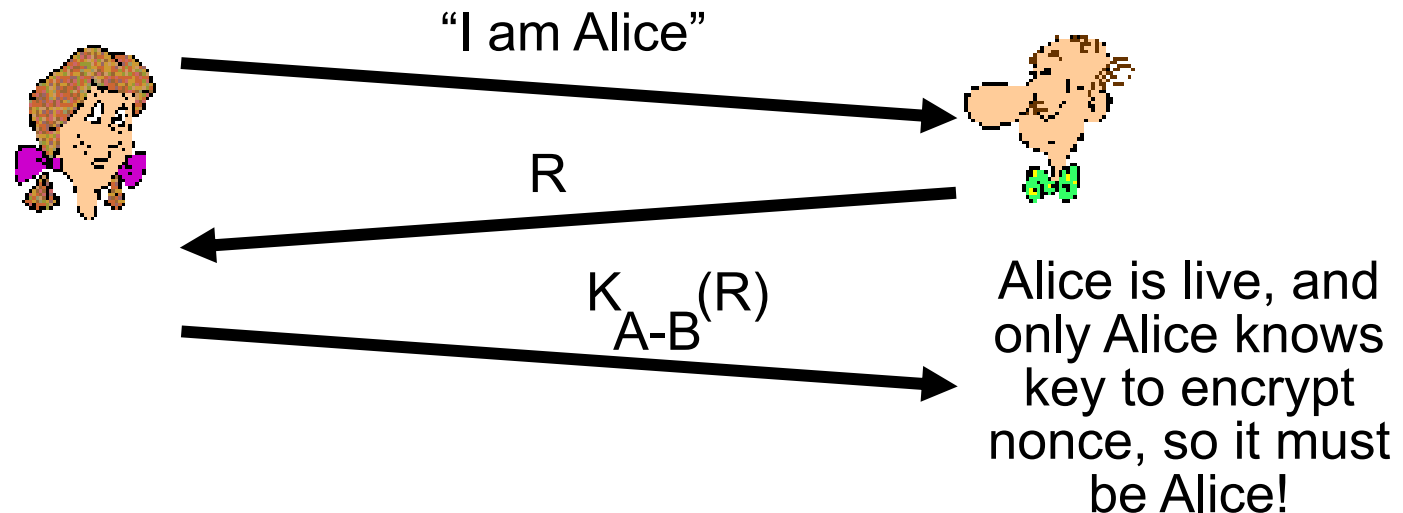
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# Authentication: Yet Another Try

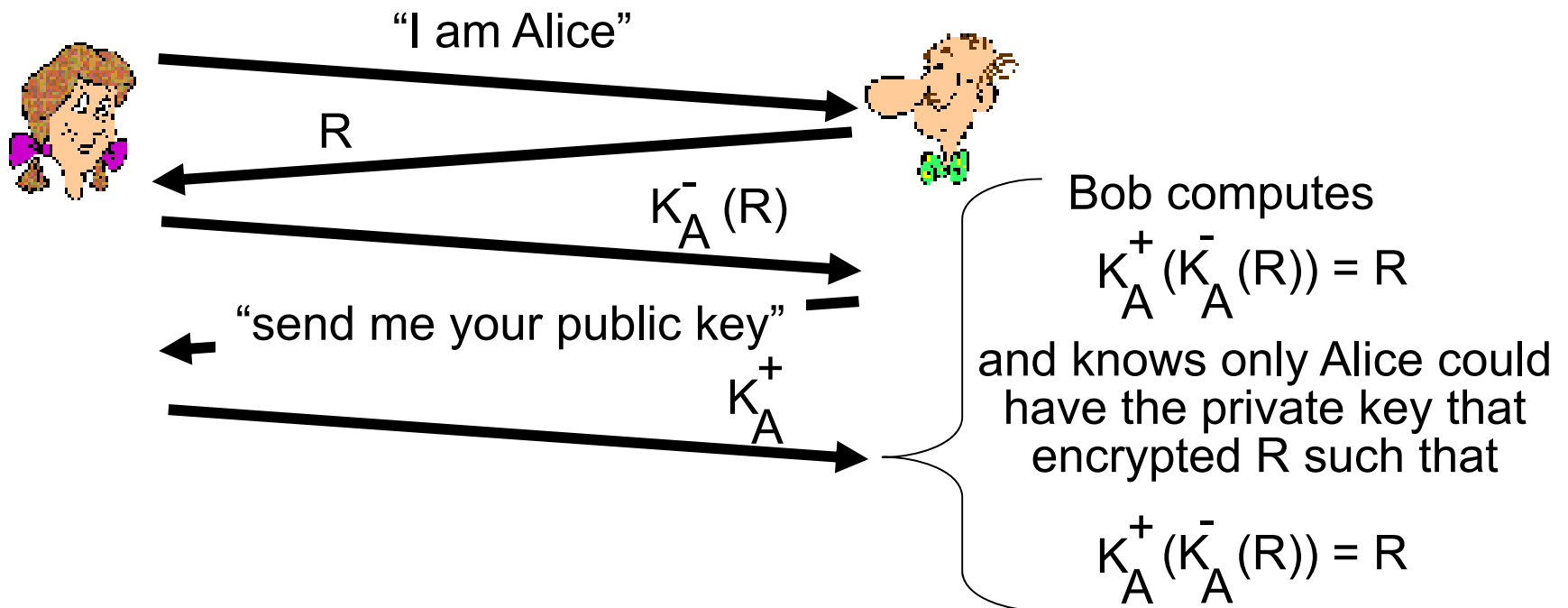
- Goal: Avoid playback attack
- Nonce: Number (R) used only *once-in-a-lifetime*
- ap4.0: To prove Alice is "live", Bob sends Alice **nonce**, R  
Alice must return R, encrypted with shared secret key



Failures, drawbacks?

# Authentication: ap5.0

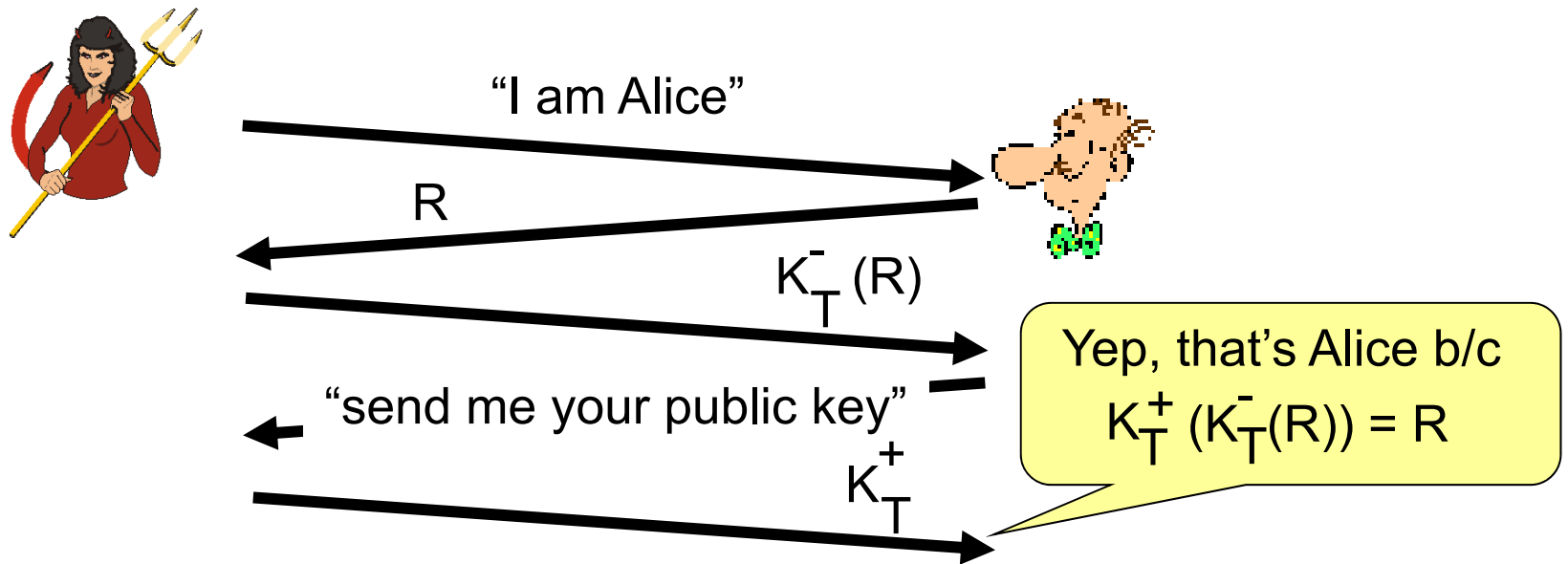
- ap4.0 requires shared symmetric key
- Can we authenticate using public key techniques?
- ap5.0: Use nonce and public key cryptography



# Authentication: ap5.0

ap5.0: Use nonce and public key cryptography

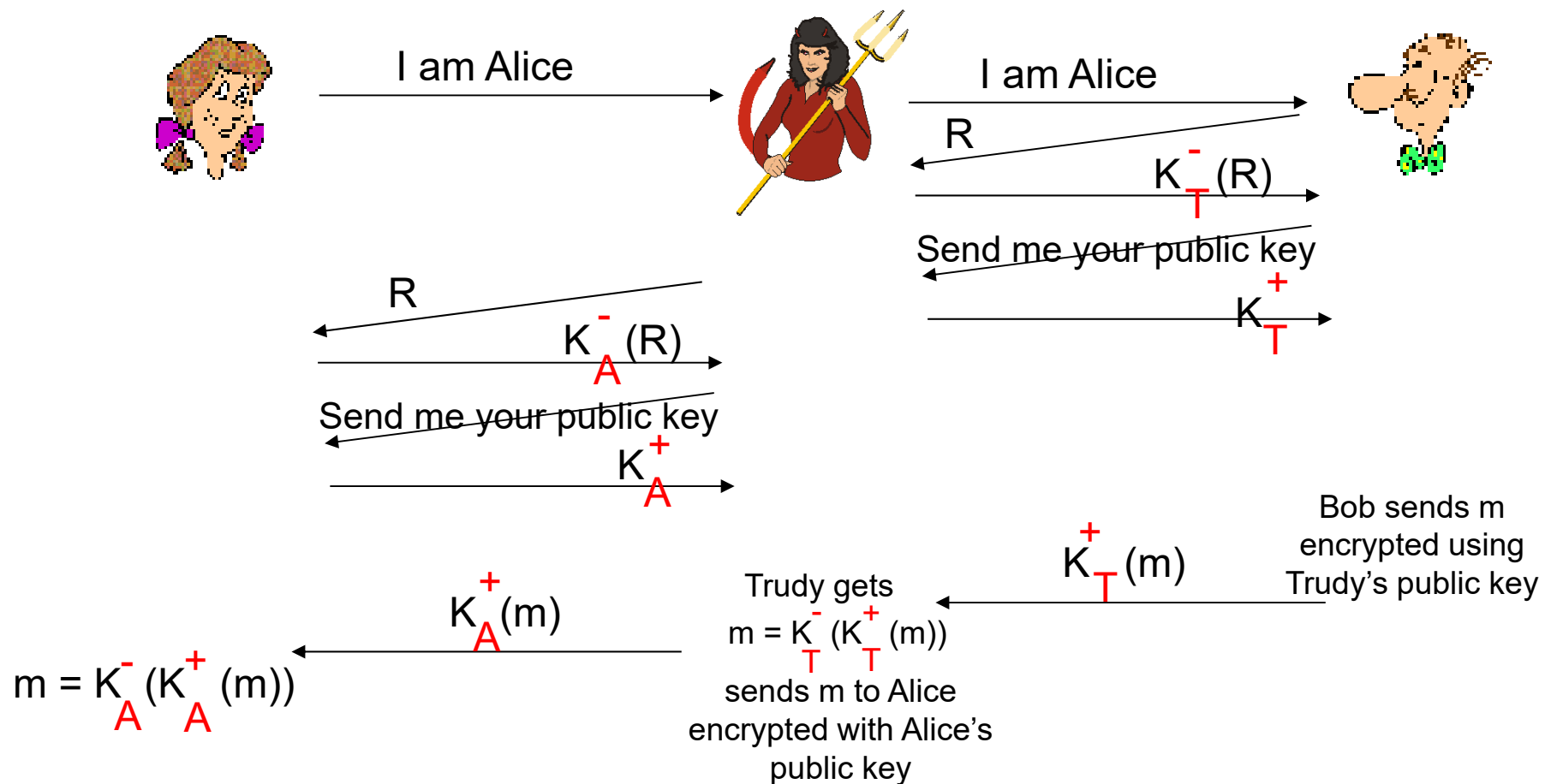
Now Trudy impersonates Alice and Bob is clueless until he talks with Alice later and she denies talking with Bob



# ap5.0: Security Hole

## □ Man in the middle attack

- ❖ Trudy poses as Alice (to Bob) and as Bob (to Alice)



# ap5.0: Security Hole

## ❑ Man in the middle attack

- ❖ Trudy poses as Alice (to Bob) and as Bob (to Alice)



Difficult to detect:

- ❑ Bob receives everything that Alice sends and vice versa
  - ❑ So Bob and Alice can meet one week later and recall the entire conversation
- ❑ Problem is that Trudy receives all messages as well!

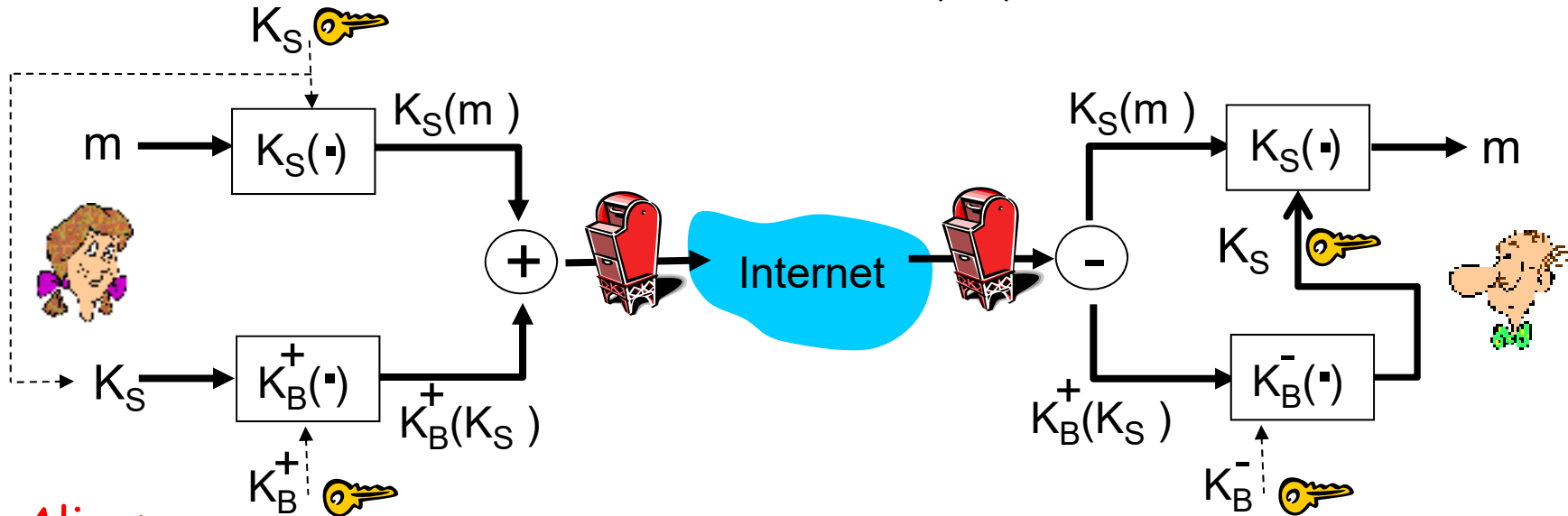
# Agenda

- 8.1 What is network security?
- 8.2 Principles of cryptography
- 8.3 Message integrity and digital signatures
- 8.4 Authentication
- 8.5 Securing email



# Securing Email - C

- Alice wants to send **confidential** email,  $m$ , to Bob



**Alice:**

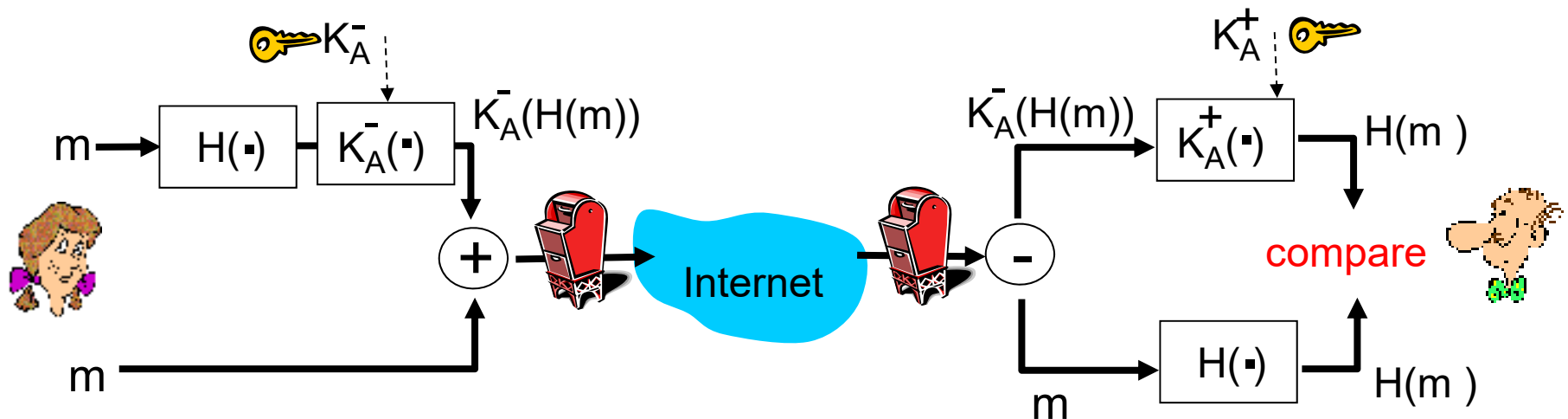
- Generates random symmetric session key,  $K_S$ , and encrypts  $m$  with  $K_S$ 
  - Why use  $K_S$ ? Public key encryption is inefficient for long msgs
- Also encrypts  $K_S$  with Bob's public key
- Sends both  $K_S(m)$  and  $K_B^+(K_S)$  to Bob

**Bob:**

- Uses his private key to decrypt and recover  $K_S$
- Then uses  $K_S$  to decrypt  $K_S(m)$  to recover  $m$

# Securing Email - I and A

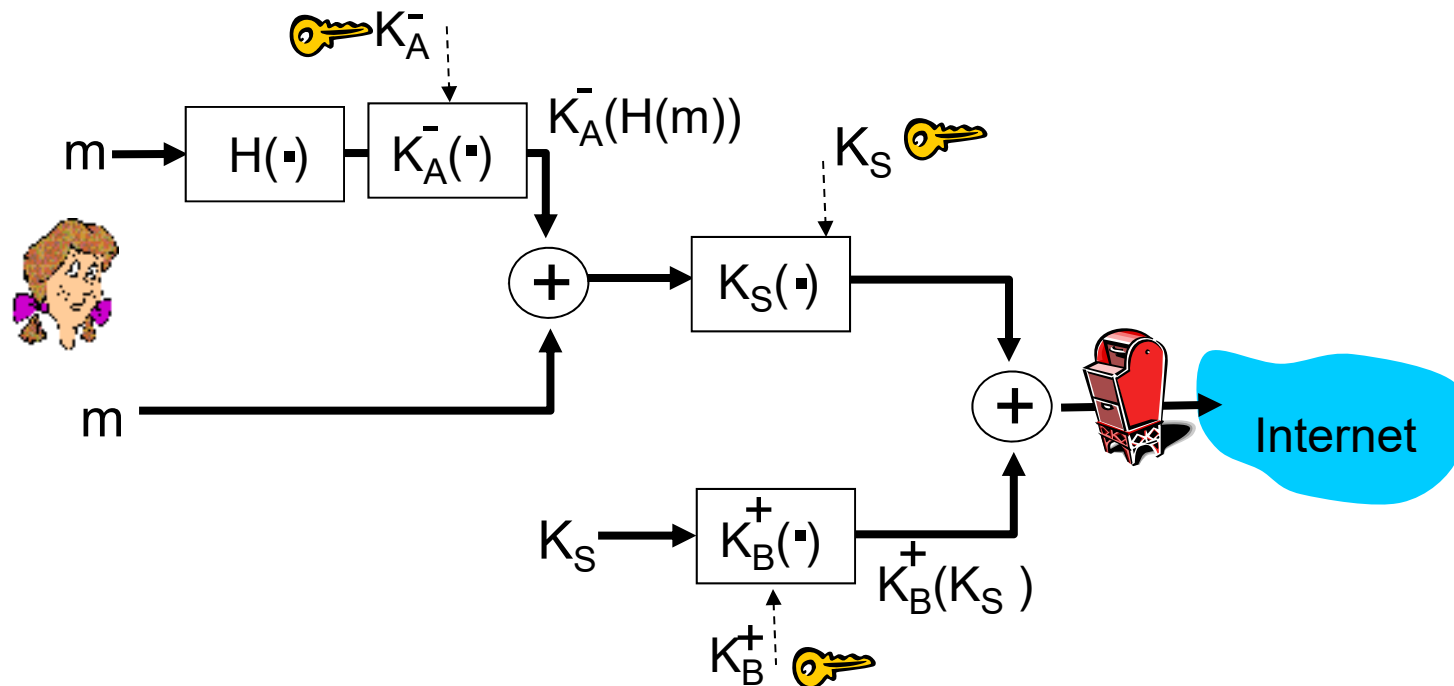
- Alice wants to provide message **integrity** and sender **authentication**



- Alice digitally signs message
- Sends both message (in the clear) and digital signature

# Securing Email - CIA

- Alice wants to provide **confidentiality** (secrecy), sender **authentication**, and message **integrity**



- Alice uses three keys: her private key, Bob's public key, newly created symmetric key

# Network Security (Summary)

The following questions from Chapter 8 are representative of those you may see in the future:

Review questions: 1, 2, 3, 9, 10, 11, 12, 13, 16, 17

# Surveys

- Please take a few moments to complete course & instructor surveys

Within AFIT : <https://cf.afit.edu/OES/>

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