(B) unsupercised Data Augmentation (UDA) PL(x)//Labeled data dist UDA: Torget model P(y|x) Pulo Vulabelcal data dut. Perfect model of * Superiorised Augmentation: in ~ q (2/2) ODA: input u; Po (y1x) minimise D (ro(y1x) || Poly1x, d)
Po (y1x, e). Divergence noise quality?? $\hat{x} = \hat{q}(x, \epsilon)$ syemisa. $\frac{\min_{\theta} \mathcal{J}(\theta)}{\left\{ \theta \right\} = \left[\sum_{x_{i} \in \mathcal{P}_{L}(x)} \left[-\log \mathcal{P}_{\theta} \left(f^{*}(\phi) \mid x_{i} \right) \right] \right\}$ + 2 E E [CE (Alx) [CE (Alx)]] Wighted representation of the property of the pr unsupervised

 Theory:

In-domain: $P_{\nu}(\hat{x}) > 0$ for $\hat{x} \sim q(\hat{x}|x)$, $x \sim P_{\nu}(x)$ Label preserving: $f^{+}(\hat{x}) = f^{+}(\hat{x})$ for $q(\hat{x}|x)$; $x \sim P_{\nu}(x)$ Pevorsible: $\hat{f}(\hat{x}|x) > 0$; then $q(\hat{x}|\hat{x}) > 0$

Theorem: under UDA, Pre (A): Algo, continfer the label
of new test example In labeled anample from the

permetric (succeed after m try)

 $P_{K}(A) = \sum_{i} P_{i} (1 - P_{i})^{m} / Arcob bound$ $\Rightarrow = \sum_{x \in C_{i}/(1abeled component)} P_{K}(A)$

Pi=) observed example full in i-th component

component number

```
(B) SAM
  Training Dataset S= U {(xi, yi) } from D i'. L. D
     madel parameters, w & W = 1Rd
      Data point loss function L: wxxxxy -> 1R+
     Treating loss: Low = 1 E L (w, xis of)
     topulation loss: Low = [Ex, y) ND [L(w, x, v)]
Theorem: P>0, U. h. p. over training Set S, four D Alwill can somehow
   hyper L(\omega) \leq \max_{l \leq l} L_{S}(\omega + \epsilon) + h(||\omega||_{2}^{2}/\rho^{2}) do it !!

param l \in \mathbb{N}_{2} \leq \rho

strictly l \in \mathbb{N}_{2} \leq \rho

increasing furction (P_{1} \rightarrow P_{2})
                                      Rewriting conditioned on Lo
                      [ ran Lx (w+ e) + Ls(w) + Ls(w) + h (114112)
                              Sharepness
```

So SAM optimitation problem.

$$e^*(\omega) \stackrel{\triangle}{=} avcg man L_s(\omega + e) = avcg man L_s(\omega) + e^* L_s(\omega)$$

$$= avcg man e^* V_{\omega} L_s(\omega)$$

$$U \in \mathbb{N}_p \leq p$$

Now,

SHAM (w) & Vw Ls (w+ ê(v)) of the point w+ 2(m) = d(m+f(m)) /m /2(m) /m+f(m) = \rangle m \rangle m + \frac{g_{(n)}}{g_{(n)}} \rangle m + \frac{f_{(n)}}{g_{(n)}} for Acceleration : Dropping tru Second term. Vw Ls (w) = Vw Ls (w) | wy ê(w)

1 neta pseudo labels.

Teacher, T -> Of 1 Data labeled (xc, yc) Student, S -> Os

Notation Soft preediction T (m, by)

Input data Net params

Pseudo label Optionization: (Ferriew)

$$\theta_{s}^{PL} = \text{arg min } E_{z_{u}} \left[CE \left(T(z_{u}; \theta_{T}), s(z_{u}; \theta_{S}) \right) \right]$$

:= $L_{u} \left(\theta_{T}, \theta_{S} \right)$

En, ye CE (yr, S (xr; +s))):= Lr (+s) //should be is a function of (D_)

further,

 $\frac{e}{\theta_T}$ $\frac{e}{\theta_S}(\theta_T)$

where Θ_s ! $(\Theta_T) = arg nin Lu(OT, OS)$

pseudo label adjastment is possible ve

New optimization possiblem unterli everating !!

Practical Approximation:

SGD optimization Objective:

P PAWS	
untoteled dataset D = (zi) i = [n, N]	
Supportset S= {(zi, xi) i e fr. m)} m<< N	
Loverage both D & S . Fire ture with S? turce??	
Fisitive of swith positive on positive on presitive on presitive of president president president of president	
M(3 X 4 X W) I view Anchor	
hard $x \in \mathbb{R}$ $(2x + xw) = 12x + xw$	
Detailed: $x \in \mathbb{R}$	
Freedor: 18 X HX W To 18	
n×d z∈P.	
Ete Rn×d	
of e RS Kd label malmis. d(zi, -25)	
similarity Closinfier Ty(zi, z) = 5 (zi, zg) (zi, zg) (zi, zg)	75
L ATV / AZ Z T T T T T T T T T T T T T T T T T	

similarity matrices: d(a,b) = exp (aTb. CHall 1611)

1: T (21; 3) = F (21 25) /s //softmax prob.

Sharpering function $[P(P)]:=\frac{[P_i]_{K}}{[P_i]_{K}}$ is k=1...K J=1 is weights charging $[P_i]_{j}$ where, $P_i \in [0,1]_{K}$

overall objective, for encoder to minimize

Theoretical bound:

Assumption: [Ralanced dass] Longert shorpening is not uniform.].

[der, 2i) = de 2j uniform

[trup! Non-collapsing Representation. It responsation = 2i= 2 + 2its

then 11 To H (pt, 1) 11>0; greadient à partire?)

1000f: if d(zi, z) = d(zj, z)

=) P: T (z, S) = { S y 1 } = { Punform

| P | Not uniform tren, | P | P | > 0

1 notor (viifora)

```
Maximum Entropy IRL
     Background: Agent behavior: 5, /trajectory
                                                                                                 state: si' ) feature fsi & Rb
                                                                                                Action: an
                                                                  [ goal ] optimizing some function fs; to pervared value
                                                                                        f = E fsi. > Remard foor all the party.
                                                          Reward (f5) = 0 f5 = E 0 f5,
  expectation > Ep (50) fsi = f // Probabiliste problem.
Deterministre Path distribution : P(S; 10) = (0) 151
                                                                                                                                                                                                                    Dehibution
                                                                                                                                                                  Plane with higher reward is
                                                                                                                                                                                                                              preferred
                                                                                                                                                                                                                                                                                      et fs lleshity
                                                                                                                                                    P(S|\theta,T) = E P_T(0) \frac{1}{2(\theta,0)} I_{SE0}
\approx \frac{e^{T}f_{SE0}}{2(\theta,T)} \frac{1}{S_{H_1}} \frac{1}{\alpha_{L_1}} \frac{1}{S_{L_2}} \frac{1}{\alpha_{L_3}} \frac{1}{S_{L_4}} \frac{1}{\alpha_{L_5}} \frac{1}{S_{L_5}} \frac
 won determination paths:
 Stochasitic policies: 1 (action | 0, T) of & P(510, T)

5, age
```

hearing from Demostration!

PINTOLE

INFONCE; f_i $e^{infonce}$; $f_$

NNCLE: fincle END (NN(x, D), 21/2)

ECNT (NN(x, Zi), Zk/2)

ELNT (NN(x, Zi), Zk/2)

whore, \nn (z; 0)= areg min || zi - 1/2 key ports.

relation the free habite

I sai to make a man of the said

g i deli aleli alelini

free or state of the

P Perceptual rewords

Et + visual feature activation at time + + [sit, sit, ---]

 $C \rightarrow \{S_1, \dots, S_T\}$ // Sequence of totalectory. $C \rightarrow \{S_1, \dots, S_T\} = \{S_1, \dots, S_T\} = \{S_1, \dots, S_T\} = \{S_1, \dots, S_T\} = \{S_2, \dots, S_T\} = \{S_2, \dots, S_T\} = \{S_2, \dots, S_T\} = \{S_1, \dots, S_T\} = \{S_2, \dots$

programme challages: How to Boltzmann distribution.

Now, Not state, St +1 = \ f (at, st) peterchinistic \
\(\text{vp}(s_{t+1}) at, st) \) Acobabilistic.)

Simplifying Assumption,

$$P(c) = \prod_{i=1}^{N} P(s_{i+1}) = \prod_{i=1}^{N} \frac{1}{\sum_{i=1}^{N} e^{x_i} P(k_i \cdot s_{i+1})}$$

$$+ = 1 \quad e^{\frac{1}{2}} 1 \quad e^{\frac{1}{2}} 1 \quad e^{\frac{1}{2}} e^{x_i} P(k_i \cdot s_{i+1})$$

where =) R (St) = E R: (Sit)

Interemediate state Discovery:

1 improving mis grèn mages x, --- xn & their encoding f(x,)= \$ (xi, 0) \in 12 mini large ho for each $x_m \rightarrow \{x_m^{(i)}, x_m^{(i)}\}$ modified bef = E E way (fife) (a)

Two sum

New embed. fi = m fi + (1 - m) & i / Aggregation with "
some noment. consistence loss, lons = & & KL (P(i|xi))|| P(i|xi)))

| K=1 jrk classified deflactue Differt embedding boxs deflact]

1 metalearning for semi-supervised FIL

K-shot Namey episodes.

total k example from

1 support (towning) set 5 = {(x1, y1) (x2, y2) - (2 NOK) YNXK)}

1) Quercy Heat set Q = { (xx, y1) + (x2, y2) ---- (x7, x7) }

Prototype, Po of clase e

$$+(c|x, \{R_{2}\}) = \frac{\exp(-11h(x^{4}) - R_{2}|x^{2})}{\sum_{c'} \exp(-11h(x^{3}) - R_{2}|x^{2})}$$

Loss faretron: to munimize arranas

Referement Prestotypy: Pc

Protop. Net with k-means [A distractor class] Assumption: Pc = { \frac{\xi\xi\xi\x}{\xi\xi\x}; \for c=1---N Emp (- 1/2 || x) - Pell2 - A(re) distractor days,) -A(r) = = 1 bg (r) + bg (r) Here this paper, 17, -- N = 1 PN soft k-means & masking, Thexis - Pell?

Normalized Distance, d, c = de [Be, &] = MLA[min(de), max (de), vor (de), stew (de),

Pe = Exic + Exempe moderned, torn) signoid

modified duster.

© minimum Entropy reegularizedtion

target outset

orcegonal Data h={xi, yi, y xi ∈ x Data input

Some of the label is missing !!

Craterian Descivation:

Mew learning Set In = 1 xi, zi)

Zik = 1 th label is

Zik = 0 provided

July = W

when label is not

provided.

Meanxix'is every body if

trandomly distributed

The an unlabeled case p(z|xi, w_k) = p(z|xi, w_k)

We, w_k)

conditional log site chihood

Model for P(we | x)

1 & parameters (concave)

L(0, fin) = E log (E zinf (xi 30)) + h(zi)

independent of

when unlabeled data is informative.

Conditional Entropy unknown about y | x, b & is known

H(y|x,z) = - Exyz log [P(x|x,z)]

maximum totrops in try!

E [H(y|x,z)] = C

Listodel params. , lagrangian

F(0, y) x exp(-xH(y|x,z))//proon on
$$\theta$$

Homp(x1x, Z o dn) = - 1 & & p(wk|xi, zi) log P(wk|xi, zi)

Entropo Regularization:

$$g_{k}(x,z;\theta) = \frac{z_{k}f_{k}(x,\theta)}{z_{k}}$$

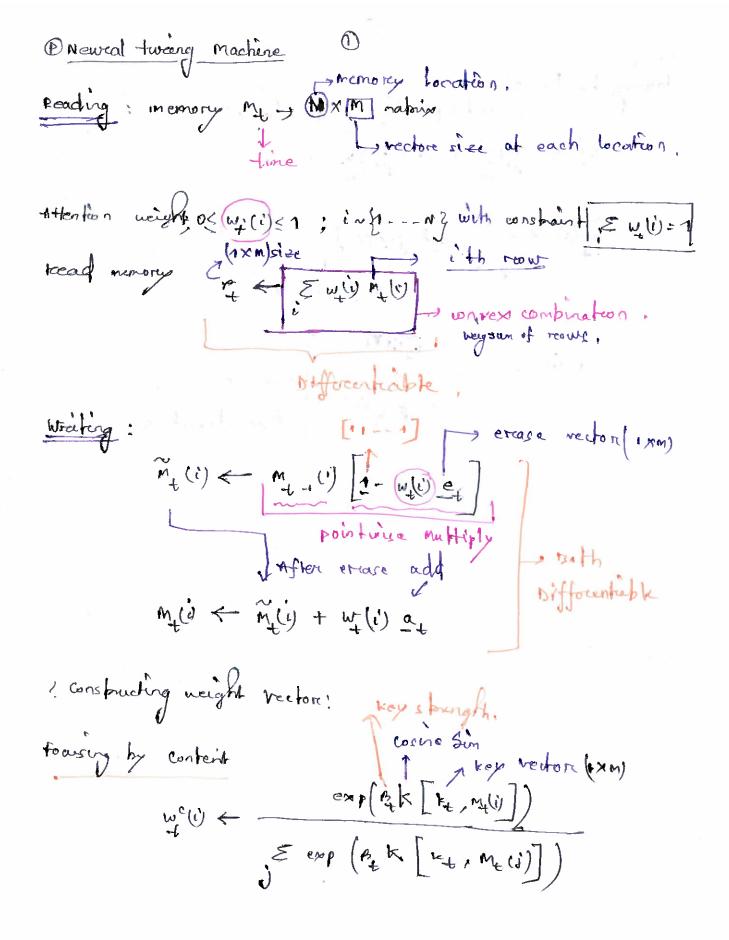
$$= \frac{z_{k}f_{k}(x,\theta)}{z_{k}f_{k}(x,\theta)}$$

$$=$$

So the maximizer ~ P(D, W) to plus | x, 2)/conditional.

c(D,x; In) = L(D; In) - x Hemp(x1x 2; In)

late led datay



towary by location:

intempolation gate (0,1)

we see gut + (1-9t) mt-1

 $\widetilde{\mathbf{w}}_{\mathbf{j}}(i) \leftarrow \widetilde{\mathbf{z}}_{\mathbf{w}_{\mathbf{j}}} (i) \mathbf{s}_{(i-j)}$ $\mathbf{shift}_{\mathbf{w}_{\mathbf{j}}} (i) + \widetilde{\mathbf{s}}_{\mathbf{k}} (i) \mathbf{s}_{(i-j)}$

Will & shareponery &

E & will to Morend readous.

Protoppical Network . Firen N labelted examples of = { (21, y) - (21, in)} y; € {1, --- k} Sk - + examples only from k classes of of K classes. Prototype $G_k = \frac{1}{|S_K|} \sum_{(x_i, y_i) \in S_K} \int_{(x_i, y_i) \in S_K} \int$ r Prétarce faretoin. exp (-d (fg W), (k) approach E comp (-d (fp/x), cx) Torget to minimize: J= - log P (y= x | x) Problègge of martire density totonation. Proegman Divergence: $g(z,z') = f(z) - \{f(z) + \{7f(z), z\}$ convex function, R - R, Exponential family of Distribution to the torn P(=10) = exp(=10 - y(0) - gy(=)) = exp(-dy(=, y) u(0))

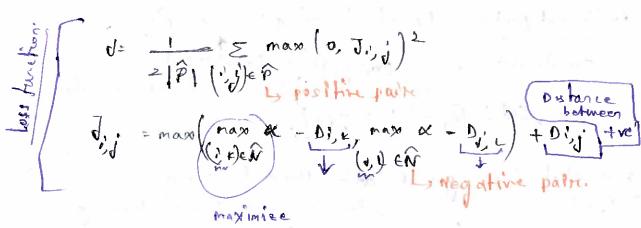
Exponential family with marture model parcom: [={0k, Th}] P(2/5) = E 7 Py (2/0) = ET exp (-dg(2, 1/(0x)) - gg(2)) constant teren gets cancelled prototype in prob equation. (but inductive bias)

X 1 000 (- of (5, h(0)))

Connertion Inicon model: for of (2, 2)= 12-21 / Eucleadean

- 11 to 1x) - Cx 112 = - fo(x) T fo(x) + 2 ct fo(x) - ct ck

OP Lifted stouchuree.



for what neg passy.

Embedded feature vector XCR to dass no

tairwise benefts materia $B^2 = \tilde{x} + 1 \tilde{x} - 2x \tilde{x}$ Whose Dij = $\|f(x_i) - f(x_i)\|_2^2$ (Efficient computation)

whose Dij = $\|f(x_i) - f(x_i)\|_2$ sumple compute.

using apper bound, the war function, should be as dess as provide as we provide as $J_{i,j} = log \left(\sum_{i,j} e^{sop} \left(A - D_{i,k} \right) + \sum_{i,j} e^{sop} \left(A - D_{i,k} \right) +$

Problem definition: Episodic leavening: Examples

sample Set: S = {(xi, yi)}

the set is a formal leavening: Relation Network Scorce.

the each is it is chat keeping

return Network Scorce.

for each ke if k shot kenging.

Pelaturn
Networks. Embedding

Objective furetion:

Objective function: $fy, g \leftarrow \underset{p, p}{\text{arg nin}} \left\{ \sum_{i=1}^{n} \left\{ \sum_{i=1}^{n}$

The first total and all

gartine e e lyga hert

(N-paire loss objective incorporeate multiple Negatives { & , ot, ry, -- xw-1,} $\mathcal{L}(\{x,x^{\dagger},\{x^{\prime}\}\},\{x^{\prime}\}) = \log\left(1 + \sum_{i=1}^{N-1} \exp\left(f^{\dagger}f_{i} - f^{\dagger}f^{\dagger}\right)\right)$

N-pair loss efficient deep melmie leavening?

$$\mathcal{L}_{N-\text{pair}} - \text{ovo} \left(\{ x_i, x_i^{\dagger} \}_{i=1}^{N}, j \} \right) = \frac{1}{N} \sum_{j=1}^{N} \sum_{d \neq i} \log \left(1 + \exp \left(f_i^{\dagger} f_j^{\dagger} \right) \right)$$

four shot meta leavening?

Simple view! Optimal model parcorny

one dataset as one data sample??

Training in the same way as Testing!

classifier to

output probabilities for y x + P(y x)

Optimal Parameters

Few Dataset + small support set + fake + fast learning.

Steps

(subset of labels L C glabel. taking for labels [od G ctbes]

- @ sample support st (D), toraing both & CD

 g∈L, ∀ (x,y) ∈ st, &
- (ii) support set + Part of model input.
- @ option 12 ation was mini Butch 12

model trained to generalized to other dataset.

optimization: to be good at many

Learner Vs Meta-learener:

Two stage updates:

1 to + learners model.

@ Evolving loss method: multimodal learning.

task waighted [8,1]

L = E E Am, + hm, + + E 2 Ly

wighted L

waighted L Distillation: Ly (Li, mi) = 1/Li -nilla layerin & layer in man retwork Another notwork. Evolving an unsupercuired was function? @ constraint zipts distribution natching. feature report = Fregh (I) , cluster into k. $P(x|ci) = \frac{1}{\sqrt{2\sigma^2\pi}} \exp\left(-\frac{(x-a)^2}{2\sigma^2}\right) // \operatorname{cerbroid} \quad a^* \in \mathbb{R}^D$ prior of Q(u) = 1/15 + real constants 11? Likth hormanic humber 17. law of real prest. FL (Pllq) = EP (a) log (Ci) /(Pla) = 1 × P(Ci) x)

@ what should be contrastive

view Gonerations;

n atomic augmentation.

first key view $f_{ko} = f_q, g_l = \int \{x, x_0, x_0\}, x_1^q, x_0\} - \dots, x_n^q$ query view Iq n views from resperence images In, +6 € {1, --, 2}

Proovides with Iq. In, In -
so on so first.

Contrastive Embedding Space:

f(): X -> VelPd 52 relihead each 17d

MTE setup !

it, vko - pkn Rd projected into (n+1) normalized embedding To, Zn -- Epd'by head h: V -> Z,

We invorciant dependent -- so on so from the

in to all on

1st towarformation

different instance $L_{q} = -\frac{1}{n+1} \left[\log \frac{E_{0,0}}{E_{0,0}^{\dagger} + E_{0,0}^{\dagger}} \right]$ [bog = E; i + & E; i

3.44

3.7

Car 7/7 I

..

har has for

1-0

600

1 intriguing Properties of CL Loss

generalized boss function.

Agence = laugn + Aldistin

The sim (zi, zi) + 1 Eling & 1 expsim (zi, zi)

fort xent = -1 Elegen (2i, =d/a)]

iviend En [k = ig exp[sim (zi, zk)/a]

K=1 [k = ig exp[sim (zi, zk)/a]

exposure calculation, log breaking of log sum exp normalised

NT xent

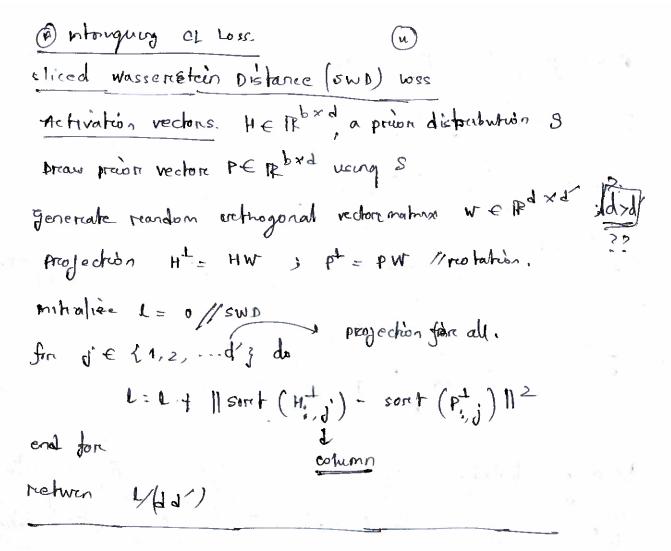
= -1 & sim[= + 2 i, = j =] + [E log & 1] exp [sim[= i, = n] of temperation of te

I match hidden déti uniform

- Pairewise potential of gaussian Kerenel.

~ [minimized by perifect uniform

Endere]



where it fits

A measuring Invariance in DL

-Measuring Invorciance :

fireing Newcon, sihi(x) > +i

Si € {-1, 1} / chose si to manimize

firmy fix = 1 { si hi(x) > + i }

Transformation function: T(x, x)

Ireal trajactory T(x) - semantically similar stimuli

T(x) = { ? (x, x) | x ∈ Γ }

grabal stimuli, ali = I film] / over all possible input.

local fixing reate $|L(i)| = \frac{1}{|Z|} \sum_{z \in Z} \frac{1}{|Z|} \sum_{x \in$