DINO: distillation with no labels

DINO: Distillation with No Labols.

Approach: SSL with LD: pk-dimentional Output.

Student Network go; teacher Net go-

softmax conversion of student Output.

$$\frac{1}{s}(x)^{i} = \frac{e^{x} \left\{ \frac{g_{0s}(x)}{g_{0s}(x)} \right\} \frac{1}{g_{0s}(x)}$$

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$$I_{+}(x)^{i} = \frac{\exp \left\{ \frac{g_{+}(x)}{c_{+}} \right\}}{K} = \frac{\left( \frac{g_{+}(x)}{c_{+}} \right)}{\left( \frac{g_{+}(x)}{c_{+}} \right)} = \frac{1}{1 + \operatorname{eachert}}.$$

optimization goal: min H(q(x), g(x)) // H(a,b) =-a log b

Actualy: Local - to - Global view

min 
$$\sum_{x \in \{x_1^q, x_2^{j}\}} \sum_{x' \in V} H\left(P_{+}(x), P_{+}(x)\right)$$

set of images with different view of x.

I will, soil in a local views & smaller devertions

& passed through (student Network)

teacher only ?

Teacher Notwork Update:

Avoid Collapse:

centercing g(x) + g(x) + c

 $c \leftarrow mc + (n-m) \cdot \frac{1}{B} \cdot \frac{E}{C=1} \int_{\Phi_{+}}^{\Phi_{+}} (x)$  Exp: Hog