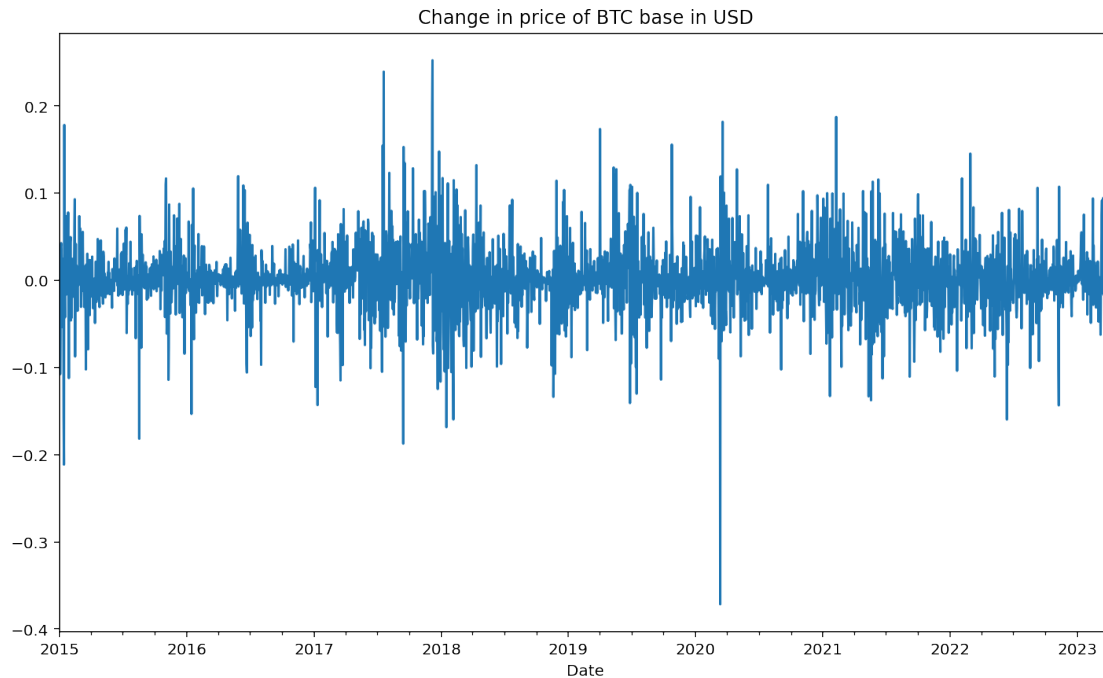


PDFformat

April 12, 2023

```
[58]: # Import Bitcoin based in USD
tickers = 'BTC-USD '
matana = (
    yf.download(tickers=tickers, progress=False)
    .assign(Date=lambda x: x.index.tz_localize(None))
    .set_index('Date')
    .rename_axis(columns=['Ticker'])
)
returns_1 = matana['Adj Close'].pct_change().loc['2015':]
matana['return']=returns_1
# Plot the return
returns_1.plot(figsize=(12,7))
plt.title('Change in price of BTC base in USD')

ff = (
    pdr.DataReader(
        name='F-F_Research_Data_Factors_daily',
        data_source='famafrench',
        start='1900',
        session=session
    )
)
```



```
[60]: # The Fama-French Three-Factor Model
brk = (
    yf.download(tickers='BTC-USD', progress=False)
    .assign(
        Date=lambda x: x.index.tz_localize(None),
        Ri=lambda x: x['Adj Close'].pct_change().mul(100)
    )
    .set_index('Date')
    .join(ff[0])
    .assign(RiRF = lambda x: x['Ri'] - x['RF'])
    .rename(columns={'Mkt-RF': 'MktRF'})
    .rename_axis(columns='Variable')
)

model = smf.ols(formula='RiRF ~ MktRF + SMB + HML', data=brk.iloc[:756])
fit = model.fit()
summary = fit.summary()
summary
```

```
[60]: <class 'statsmodels.iolib.summary.Summary'>
      """
```

```

                                OLS Regression Results
=====
Dep. Variable:                  RiRF    R-squared:                  0.000
Model:                          OLS    Adj. R-squared:             -0.005
```

```

Method:                Least Squares      F-statistic:                0.08239
Date:                  Tue, 11 Apr 2023    Prob (F-statistic):         0.970
Time:                  17:11:32           Log-Likelihood:             -1372.4
No. Observations:      521               AIC:                        2753.
Df Residuals:          517               BIC:                        2770.
Df Model:              3
Covariance Type:       nonrobust

```

```

=====
              coef      std err          t      P>|t|      [0.025      0.975]
-----
Intercept      0.1010      0.148        0.681      0.496      -0.190      0.393
MktRF          -0.0718      0.158       -0.454      0.650      -0.383      0.239
SMB             0.0727      0.291        0.250      0.803      -0.499      0.644
HML             0.0225      0.290        0.078      0.938      -0.547      0.592
=====
Omnibus:                136.317    Durbin-Watson:                1.915
Prob(Omnibus):           0.000    Jarque-Bera (JB):             1791.164
Skew:                    -0.738    Prob(JB):                     0.00
Kurtosis:                11.963    Cond. No.                     2.15
=====

```

Notes:

[1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
 ""

```

[61]: # 1. Model ARIMA
# Order of differencing
result = adfuller(matana['Adj Close'].dropna())
print('ADF Statistic:', result[0])
print('p-value:', result[1])
diff = matana['Adj Close'].diff().dropna()
#plot_acf(diff)
#plot_pacf(diff)
#plt.show()
# Apply model: one autoregressive, one differencing, and one moving average
model = sm.tsa.arima.ARIMA(returns_1, order=(2,2,1))
results = model.fit()
print(results.summary())
matana['forecast']=results.predict()
matana[['return','forecast']].plot(figsize=(12,7))
plt.title('ARIMA Model')
warnings.filterwarnings('ignore')

```

ADF Statistic: -1.5051287573506575

p-value: 0.53097270747215

SARIMAX Results

```

=====
Dep. Variable:          Adj Close    No. Observations:          3023
Model:                ARIMA(2, 2, 1)  Log Likelihood             5149.721
Date:                 Tue, 11 Apr 2023  AIC                        -10291.442
Time:                 17:14:03         BIC                        -10267.388
Sample:              01-01-2015       HQIC                       -10282.793
                  - 04-11-2023
Covariance Type:          opg
=====

```

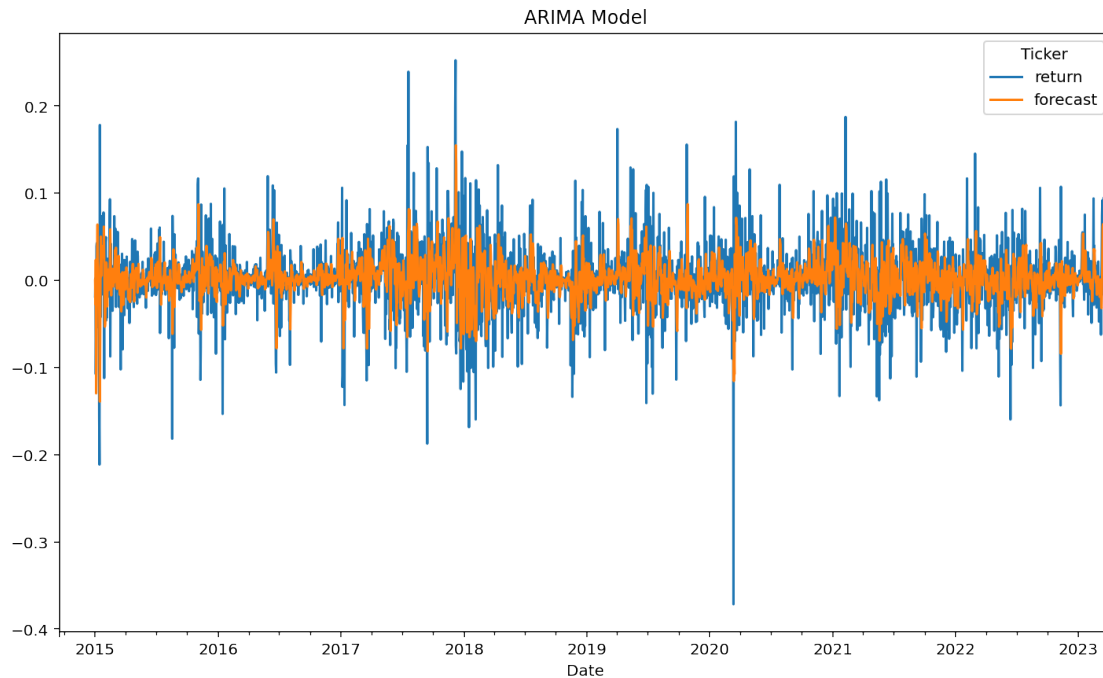
	coef	std err	z	P> z	[0.025	0.975]
ar.L1	-0.6908	0.011	-60.387	0.000	-0.713	-0.668
ar.L2	-0.3459	0.012	-28.661	0.000	-0.370	-0.322
ma.L1	-0.9999	0.098	-10.230	0.000	-1.191	-0.808
sigma2	0.0019	0.000	10.430	0.000	0.002	0.002

```

=====
===
Ljung-Box (L1) (Q):          22.83    Jarque-Bera (JB):
3465.30
Prob(Q):                    0.00    Prob(JB):
0.00
Heteroskedasticity (H):      0.98    Skew:
0.15
Prob(H) (two-sided):        0.76    Kurtosis:
8.24
=====
===

Warnings:
[1] Covariance matrix calculated using the outer product of gradients (complex-
step).

```



```
[7]: # 2. Garch Model
garch11_bitcoin = arch_model(returns_1.dropna()*100, p=1, q=1)
res_bitcoin = garch11_bitcoin.fit(update_freq=10)
print(res_bitcoin.summary())
```

Optimization terminated successfully (Exit mode 0)

Current function value: 8074.491992409081

Iterations: 9

Function evaluations: 60

Gradient evaluations: 9

Constant Mean - GARCH Model Results

```
=====
Dep. Variable:          Adj Close    R-squared:                0.000
Mean Model:             Constant Mean  Adj. R-squared:          0.000
Vol Model:              GARCH         Log-Likelihood:         -8074.49
Distribution:           Normal        AIC:                   16157.0
Method:                Maximum Likelihood  BIC:                   16181.0
                                     No. Observations:        3018
Date:                  Thu, Apr 06 2023  Df Residuals:          3017
Time:                  21:09:15         Df Model:               1
                                     Mean Model
```

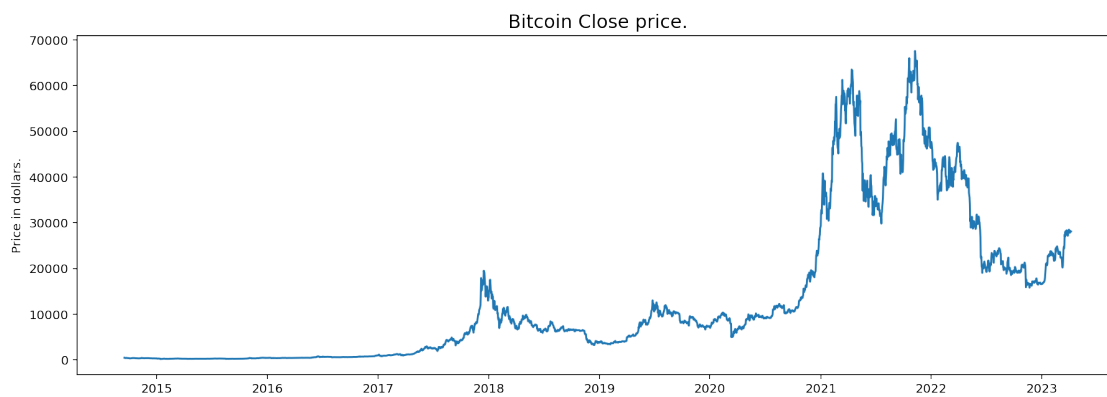
```
=====
              coef    std err          t      P>|t|  95.0% Conf. Int.
-----
mu           0.2247  5.727e-02    3.923  8.731e-05 [ 0.112,  0.337]
```

Volatility Model

	coef	std err	t	P> t	95.0% Conf. Int.
omega	0.6647	0.237	2.806	5.022e-03	[0.200, 1.129]
alpha[1]	0.1189	2.926e-02	4.063	4.835e-05	[6.154e-02, 0.176]
beta[1]	0.8435	2.936e-02	28.732	1.500e-181	[0.786, 0.901]

Covariance estimator: robust

```
[9]: # 3. Machine Learning model (New)
# Close data
plt.figure(figsize=(15, 5))
plt.plot(matana['Close'])
plt.title('Bitcoin Close price.', fontsize=15)
plt.ylabel('Price in dollars.')
plt.show()
```



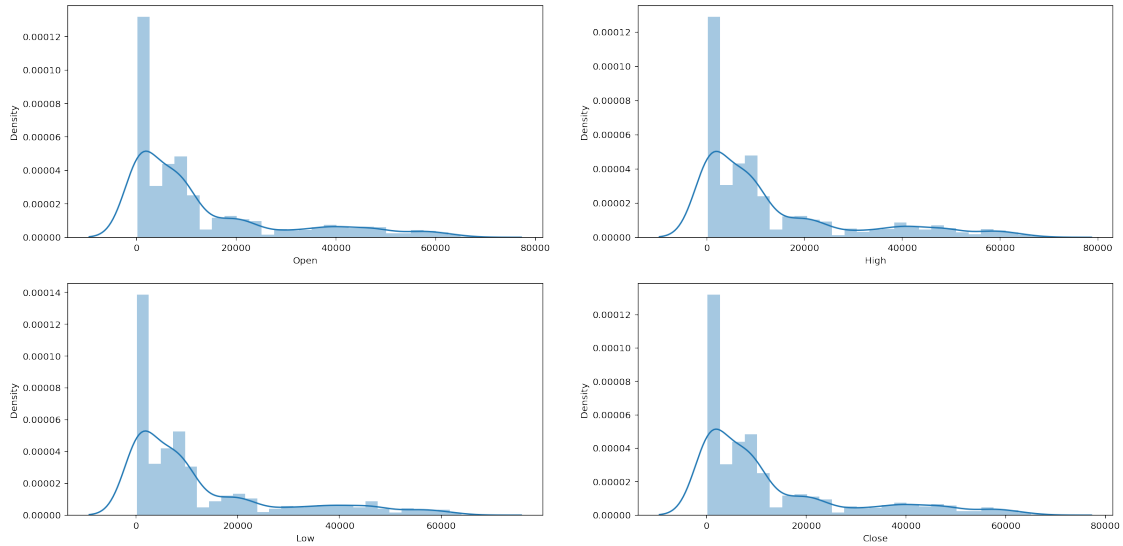
```
[16]: # Distribution plot of the OHLC data
features = ['Open', 'High', 'Low', 'Close']
print('Distribution plot of the OHLC data')

plt.subplots(figsize=(20,10))
for i, col in enumerate(features):
    plt.subplot(2,2,i+1)
    sb.distplot(matana[col])
plt.show()

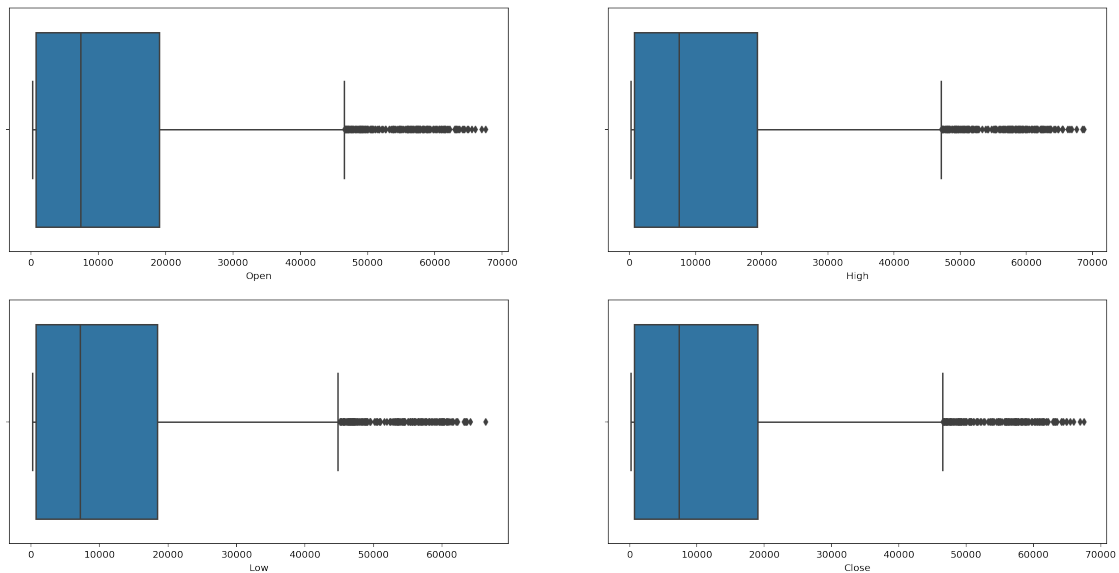
# Boxplot of the OHLC data
print('Boxplot of the OHLC data')
plt.subplots(figsize=(20,10))
for i, col in enumerate(features):
```

```
plt.subplot(2,2,i+1)
sb.boxplot(matana[col])
plt.show()
```

Distribution plot of the OHLC data

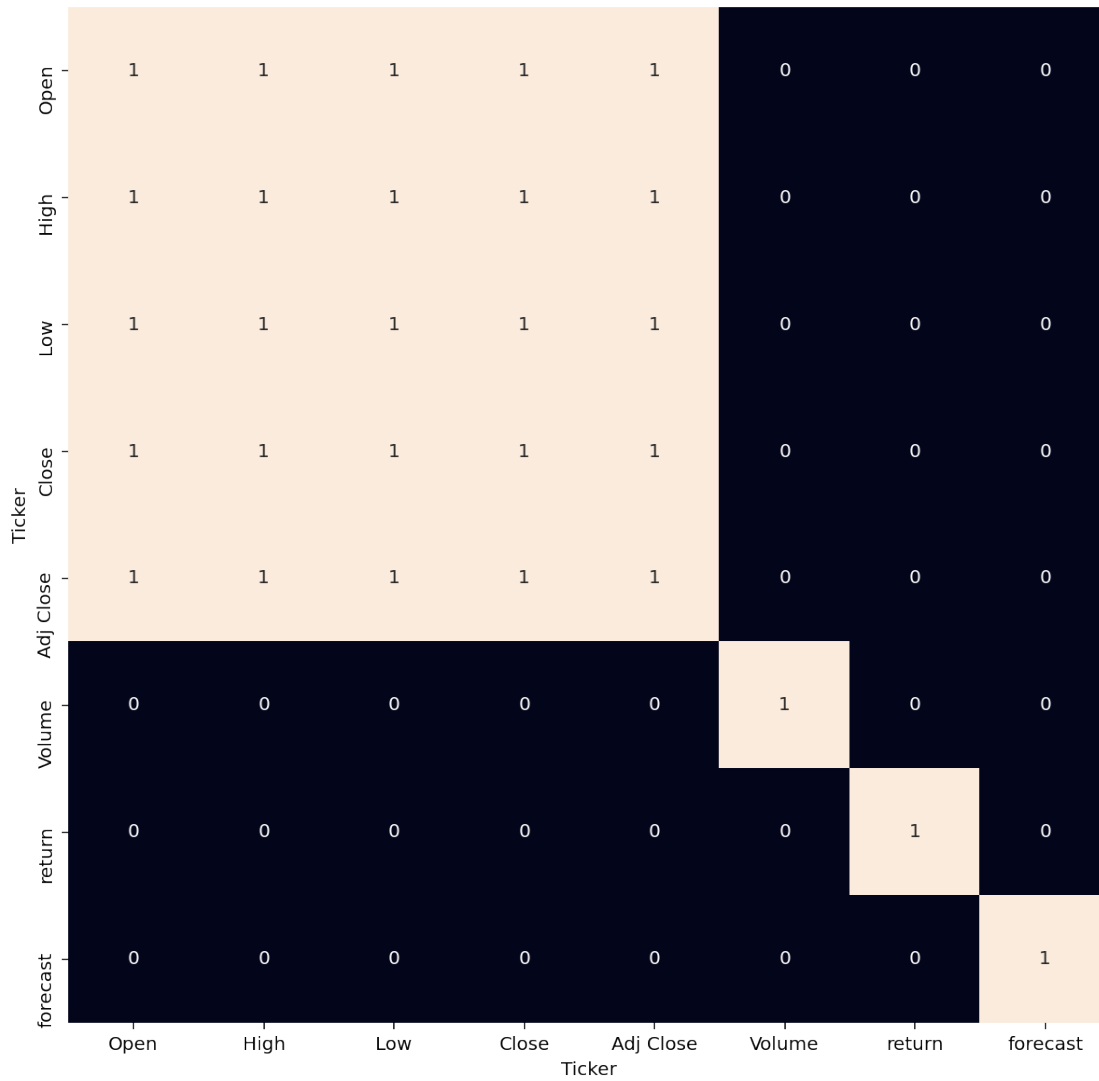


Boxplot of the OHLC data



```
[17]: # Heat map
plt.figure(figsize=(10, 10))
```

```
# As our concern is with the highly correlated features only so
sb.heatmap(matana.corr() > 0.9, annot=True, cbar=False)
plt.show()
```



```
[44]: btc = pd.read_csv('BTC.csv')
```

```
[50]: splitted = btc['Date'].str.split('/', expand=True)
# split data
btc['year'] = splitted[0].astype('int')
btc['month'] = splitted[1].astype('int')
btc['day'] = splitted[2].astype('int')

# Prepare the training of our model
```

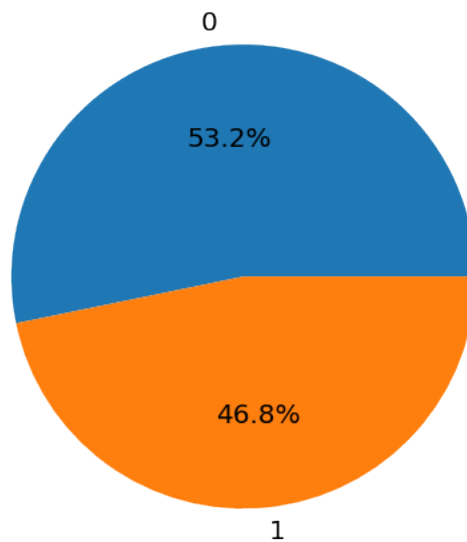


```

btc['is_quarter_end'] = np.where(btc['month']%3==0,1,0)
btc['open-close'] = btc['Open'] - btc['Close']
btc['low-high'] = btc['Low'] - btc['High']
# target is a signal whether to buy or not
btc['target'] = np.where(btc['Close'].shift(-1) > btc['Close'], 1, 0)

# Check No correlated features
plt.pie(btc['target'].value_counts().values,
        labels=[0, 1], autopct='%1.1f%%')
plt.show()

```



```

[53]: # Training Size
features = btc[['open-close', 'low-high', 'is_quarter_end']]
target = btc['target']

scaler = StandardScaler()
features = scaler.fit_transform(features)

X_train, X_valid, Y_train, Y_valid = train_test_split(
    features, target, test_size=0.1, random_state=2022)
print(X_train.shape, X_valid.shape)

```

(2813, 3) (313, 3)

```

[54]: # Apply the model with LogisticRegression, SVC, XGBClassifier
# Performance of different state-of-the-art models.

```

```

models = [LogisticRegression(), SVC(kernel='poly', probability=True),
↳XGBClassifier()]

for i in range(3):
    models[i].fit(X_train, Y_train)
    print(f'{models[i]} : ')
    print('Training Accuracy : ', metrics.roc_auc_score(Y_train, models[i].
↳predict_proba(X_train)[:,:1]))
    print('Validation Accuracy : ', metrics.roc_auc_score(Y_valid, models[i].
↳predict_proba(X_valid)[:,:1]))
    print('\n')

```

```

LogisticRegression() :
Training Accuracy :  0.5296558035487315
Validation Accuracy :  0.48965742784727334

```

```

SVC(kernel='poly', probability=True) :
Training Accuracy :  0.4626005389191113
Validation Accuracy :  0.5178235630774262

```

```

XGBClassifier(base_score=None, booster=None, callbacks=None,
               colsample_bylevel=None, colsample_bynode=None,
               colsample_bytree=None, early_stopping_rounds=None,
               enable_categorical=False, eval_metric=None, feature_types=None,
               gamma=None, gpu_id=None, grow_policy=None, importance_type=None,
               interaction_constraints=None, learning_rate=None, max_bin=None,
               max_cat_threshold=None, max_cat_to_onehot=None,
               max_delta_step=None, max_depth=None, max_leaves=None,
               min_child_weight=None, missing=nan, monotone_constraints=None,
               n_estimators=100, n_jobs=None, num_parallel_tree=None,
               predictor=None, random_state=None, ...) :
Training Accuracy :  0.946875031775891
Validation Accuracy :  0.4970975390401439

```

[]: