

P4.

- a. Between the switch A and B, four connections could be established. It's also true for A and D, B and C, and C and D. So the maximum number can be 16.
- b. 4 connections could be established along A-B-C or A-D-C. Thus, maximum number is 8.
- c. Yes. For $A \rightarrow C$, randomly choose 2 connections along $A \rightarrow B \rightarrow C$ and $A \rightarrow D \rightarrow C$. Now, we established 4 connections for $A \rightarrow C$. Use the remaining 2 connections along $B \rightarrow C \rightarrow D$ and $B \rightarrow A \rightarrow D$ to make 4 connections for $B \rightarrow D$.

PS.

a.
$$d_{prop} = \frac{175}{100} = 1.75 \text{ hours} = 105 \text{ min}$$

$$d_{tran} = 10/5 = 2 \text{ min}$$

$$d_{end-to-end} = d_{prop} + 3d_{tran} = 111 \text{ min}$$

b.
$$d_{tran} = 8/5 = 1.6 \text{ min}, d_{prop} = 105 \text{ min}$$

$$d_{end-to-end} = d_{prop} + 3d_{tran} = 109.8 \text{ min}$$

$$= 109 \text{ min } 48 \text{ sec}$$

P6.

- a. $d_{\text{prop}} = \frac{m}{S}$ sec
- b. $d_{\text{tran}} = L/R$ sec
- c. $d_{\text{e-to-e}} = d_{\text{prop}} + d_{\text{tran}} = \frac{m}{S} + \frac{L}{R}$ sec.
- d. The last bit just left Host A.
- e. The first bit is still in the link.
- f. The first bit has arrived Host B.
- g. $d_{\text{prop}} = d_{\text{tran}} \Rightarrow \frac{m}{S} = \frac{L}{R}$

$$\text{Thus, } m = \frac{LS}{R} = \frac{1500 \times 8 \times 2.5 \times 10^8}{10 \times 10^6} = 3 \times 10^5 \text{ meters}$$

P7.

$$\begin{aligned} d &= d_{\text{proc}} + d_{\text{tran}} + d_{\text{prop}} \\ &= \frac{56 \times 8}{64 \times 10^3} + \frac{56 \times 8}{10^7} + 10 \text{ msec} \\ &= 7 \text{ msec} + 0.0448 \text{ msec} + 10 \text{ msec} \\ &= 17.0448 \text{ msec} \end{aligned}$$

P10.

$$\begin{aligned} d_{\text{e-to-e}} &= d_{\text{tran}} + 2d_{\text{proc}} + d_{\text{prop}} \\ &= \sum_i \frac{L}{R_i} + 2d_{\text{proc}} + \sum_i \frac{d_i}{S_i} \\ &= 14.4 \text{ msec} + 6 \text{ msec} + 40 \text{ msec} \\ &= 60.4 \text{ msec} \end{aligned}$$

P12.

$$d_{\text{queue}} = \frac{nL + (L-x)}{R} \rightarrow \text{general equation}$$
$$= \frac{4 \times 1500 \times 8 + (1500 \times 8 - 0.5 \times 1500 \times 8)}{2.5 \times 10^6}$$
$$= 21.6 \text{ msec}$$

P20.

$$\text{Throughput} = \min \left\{ R_s, R_c, \frac{R}{M} \right\}$$

P21.

$$\text{one path: Throughput} = \max \left\{ \min \{ R_1^1, \dots, R_N^1 \}, \min \{ R_1^2, \dots, R_N^2 \}, \dots, \min \{ R_1^M, \dots, R_N^M \} \right\}$$

$$\text{all paths: Throughput} = \sum_{k=1}^M \min \{ R_1^k, R_2^k, \dots, R_N^k \}$$

P25.

$$a. R \cdot d_{\text{prop}} = 5 \text{ Mbps} \cdot \frac{2 \times 10^7}{2.5 \times 10^8} = 0.4 \text{ Mbps}$$

b. because $800000 > 400000$, so the maximum bits are 400000 bits

c. Maximum number of bits that can stay in the link

$$d. \text{width} = \frac{2 \times 10^7}{4 \times 10^5} = 50 \text{ m}$$

not longer than a football field (91.44 m)

$$e. \text{ width} = \frac{m}{R \cdot \frac{m}{s}} = \frac{s}{R}$$

P28.

$$a. d = d_{\text{tran}} + d_{\text{prop}} = \frac{8 \times 10^5}{5 \times 10^6} + \frac{2 \times 10^7}{2.5 \times 10^8} = 0.24 \text{ s}$$

$$\begin{aligned} b. d &= 20 \text{ RTT} = 20 (d_{\text{tran}} + 2d_{\text{prop}}) \\ &= 20 \left(\frac{4 \times 10^4}{5 \times 10^6} + 2 \cdot 0.08 \right) \\ &= 3.36 \text{ s} \end{aligned}$$

c. Packet sending takes way longer time than continuous sending because the next packet should wait $2 \cdot d_{\text{prop}}$ seconds for previous packet to get acknowledged, and then it can be sent.