

Cache-aware data structures for packet forwarding tables on general purpose CPUs

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Abstract—TBD...

1. Background

To set the context, consider the fundamental task of a network router. In order to match an incoming packet to an outgoing interface link, the router inspects the packet's header to obtain the destination address. It will then consult a forwarding (Forwarding Information Base) table stored on the router. An address entry in such a table will contain, among other things, a variable length prefix (as in 129.12.30.0/20). In effect, the router will compare the destination IP against the known prefixes using the longest prefix match rule. The forwarding table itself may be occasionally updated with new prefixes received via BGP route advertisement [1].

It would appear that a standard hash table or a binary search tree could satisfy the requirements of a data structure that permits the *look-up* and *update* operations. The difficulty with adapting the well-known datastructures for Internet routing stems mainly from the sheer throughput demand imposed by today's line speed and the FIB table size. This can be easily shown on the example of a hypothetical 50Gbps router and an Ethernet frame of 84 bytes for a minimum sized packet. The bit per second wire line speed can be framed in terms of packets per second. Specifically, for this simplified scenario, we can expect to process 75Mpps. Depending on the algorithm that we pick, this may require at least 75 million lookups per second (or an order of magnitude more). For a general purpose CPU clock speed of (for the sake of example) 4 GHz, this equates to approximately 50 CPU cycles per packet. If the router cannot keep up with the speed of arriving packets, it will drop packets.

How much work can be done in 50 CPU cycles? As a very rough approximation, consider that conventional hashing algorithms require about 10 cycles per byte of hash (40 cycles to compute a 32 bit hash). Memory latency presents a particular challenge. The access times range between 4-50 cycles for L1 and L3 CPU caches, respectively. The penalty for misses can easily double the time requirements. Main memory access will require several hundred cycles.

Clearly, this hypothetical scenario is an oversimplification. The forwarding task is only one among many processing steps that a router performs on each packet, contemporary

CPUs will likely have multiple cores, router line speeds may be in the single digits or in the hundreds of Gbps, there will be a distribution of packet sizes (my estimate errs on the conservative side), leaf node routers may benefit from caching previously seen IP addresses etc. Still, the above generalization gives us a ballpark number to quickly determine if a particular datastructure is fit for the task.

In view of these numbers, it is not at all surprising that the lookup has been traditionally performed in hardware, using dedicated TCAM and SRAM circuits. There are multiple considerations that make software implementations superior to ASIC hardware based ones. The cost per transistor, power requirements, and monopoly effects, in particular, drive up the cost. The inability to patch hardware makes security updates unfeasible. There has been a renewed push recently to develop programmable routers that, on the one hand, can accommodate the data processing speeds expected of today's networks, and on the other, offer the option to implement and continuously update various parts of the network stack in software rather than hardware.

2. Related Work

Classical algorithms developed up to about 2007 have been surveyed in Ruiz-Sanchez et al.[2] and Varghese[3]. The data structures include trie, tree, and hash table variants.

Of particular relevance is the binary search on prefix lengths proposed in Waldvogel et al.[4]. Waldvogel et al. propose a very elaborate hash table of binary search trees with logarithmic time complexity. Most of the refinements require comparatively large databases, an order of magnitude more memory than what can fit into third level cache, and are therefore only practical for hardware implementations. We believe that the core ideas of leveraging the binary search on prefixes and using memoization to avoid backtracking when the search fails can be adapted to the more compact data structures.

Dharmapurikar et al.[5] describe a longest prefix matching algorithm utilizing a probabilistic set membership check with Bloom filters. A Bloom filter is associated with each prefix length. The destination address is masked and matched against each of the Bloom filters, yielding a list of one or more prefix matches. The list is then checked against an off-chip conventional hash table, starting with the longest prefix match. Because of the arbitrarily small false positive rate, a

single lookup in high-latency main memory is sufficient in practice.

3. Solution

3.1. Goals

We have identified two opportunities for improvement in the context of the Bloom filter-based solutions to the longest prefix matching problem. The Bloom filter (BF) data structure was originally used by Dharmapurikar et al. [?] for parallel look up implemented in hardware. By contrast, the software implementations on conventional hardware pay a hefty penalty – in computation cost and code complexity – to parallelize the look up. The default solution has been a linear search (see Algorithm 1). The time complexity of Algorithm 1 is $\mathcal{O}(n)$, where n is the number of distinct prefix lengths in the BF. We propose to improve on the linear search for Bloom filter in this paper.

Algorithm 1 Linear search for longest matching prefix

```

1: procedure LINEARSEARCH( $bf, ip, fib, maxlen$ )
2:    $plen \leftarrow maxlen$  ▷ max prefix length
3:   while  $plen \geq \text{MINLEN}$  do ▷ min prefix length
4:      $tmp \leftarrow \text{extract } plen \text{ most significant bits in IP}$ 
5:      $key \leftarrow \text{encode}(tmp, plen)$ 
6:      $res \leftarrow bf.contains(key,$ 
7:       [ $hash_1 \dots hash_{bf.k}$ ])
8:     if  $res \neq 0 \ \& \ key \in fib$  then
9:       return  $plen$ 
10:    else  $plen \leftarrow plen - 1$ 
11:    end if
12:  end while
13:  return  $PREF_{\text{DEFAULT}}$  ▷ default route
14: end procedure

```

Second, any scheme that utilizes a probabilistic data structure, such as the Bloom filter, to identify candidate(s) for the *longest matching prefix* (LMP) would generally need to look up the candidate(s) in a forwarding table that serves as the definitive membership test and the store of the next hop information. Current solutions typically store this information in an off-chip hash table. This operation is therefore a bottleneck of the probabilistic filter-based schemes. While we have not yet implemented or tested the proposed guided search data structure specifically for FIB storage, we conjecture that the method we propose may be broadly applicable to any key-value store application that

- (a) is defined as a many-to-few kind of mapping over totally ordered keys, and
- (b) tolerates (i.e. self-corrects for) a certain probability of error.

In the case of the FIB table, we propose to store the outgoing link information in a compact array. We would then insert encoded ($index, prefix$) pairs into a guided BF data structure (separate from the BF used to encode

($length, prefix$) pairs). For forwarding table applications, this appears feasible on today’s off-the-shelf hardware, where we would typically have on the order of a million keys, with array indices (outgoing interfaces) numbering in the low hundreds.

From our preliminary analysis, both Bloom filters (BF_{fib} and BF_{lmp}) can fit in L3 cache for the current backbone router FIB table sizes that we’ve had the opportunity to survey. The implementation and a cost-benefit analysis of such a FIB implementation remain to be done.

3.2. Implementation

The key observation that we draw upon is that any one of the routine tests – whether a particular bit in a Bloom filter bit array is set – contains valuable information, in that the correlation between a set bit and a prefix being a member of the set is much higher than chance (see Fig. 1). The cost of calculations performed as part of validating the membership of a given key in a BF gives us an incentive to assign meaning to specific hashing calculations. In other words, we will define a simple protocol that exploits the overhead associated with the BF hashing calculations to direct our search for the LMP.

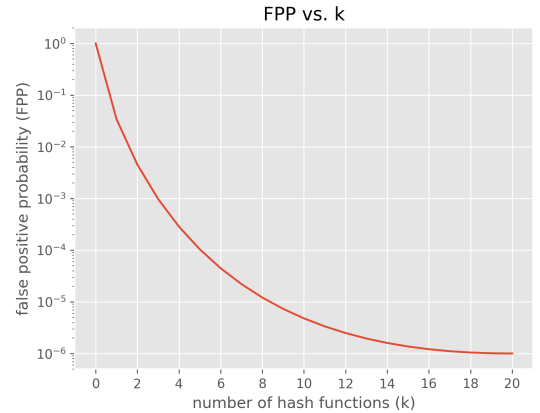


Figure 1: False positive probability vs. number of hash functions in an *optimal* BF

Algorithm 2 contains the pseudocode to *build* the data structure amenable to such a guided search. The underlying idea is to pre-compute in advance the traversal path for an IP that could possibly match a given prefix – at the time of inserting the prefix into the BF. Algorithm 3 suggests a procedure to *look up* an IP in a data structure built by Algorithm 2. The algorithms assign specific meaning to the *first* hashing function to direct our search left or right in a binary search tree. In addition, we reserve n hashing functions ($n = 5$ for IPv4, $n = 6$ for IPv6) to encode the best matching prefix as a bit sequence. The n bits, when decoded, will index the prefix length in a compact array of the prefix lengths contained in the router’s FIB table (e.g., $0 \rightarrow 0$, $1 \rightarrow 8$, etc. for the IPv4 table used in our experiments).

Both the *build* and the *look up* procedures assume an (optimal) binary search tree to guide the search. Such an optimal tree could be constructed for a given router if the historic traffic data and its correlation with the fraction of space covered by each prefix length were known. In the absence of such information, we can conservatively assume random traffic and a balanced binary search tree (as in the classic binary search algorithm).

The *build* and the *look up* procedures are mutually recursive in that the *build* invokes the *look up* to identify the best matching (shorter) prefix in a BF constructed to date for the (longer) prefix about to be inserted. Therefore, we will first sort the prefixes, before inserting them into the BF in the ascending order.

Algorithm 2 Build a BF to enable guided search for LMP

```

1: procedure INSERT(bf, pref, fib, bst)
2:   bmp  $\leftarrow$  Lookup (            $\triangleright$  best match prefix
3:     bf,
4:     pref,
5:     fib,
6:     bst)
7:   curr  $\leftarrow$  bst            $\triangleright$  start at root
8:   counthit  $\leftarrow$  0        $\triangleright$  times branched right
9:   while curr  $\neq$  null do    $\triangleright$  not leaf
10:    if pref.len < curr.plen then
11:      curr  $\leftarrow$  curr.left
12:    else if pref.len = curr.plen then
13:      key  $\leftarrow$  encode(pref, pref.len)
14:      bf.ins(key,
15:        [hash1..hashbf.k])
16:      break
17:    else
18:      tmp  $\leftarrow$  curr.plen most signif bits in pref
19:      key  $\leftarrow$  encode(tmp, curr.plen)
20:      bf.ins(key, [hash1])  $\triangleright$  signal right
21:      counthit  $\leftarrow$  counthit + 1
22:      hashes  $\leftarrow$  filter (            $\triangleright$  hash funcs
23:        bmp,            $\triangleright$  encode bmp
24:        hashcounthit,  $\triangleright$  start hash func
25:        n)            $\triangleright$  num bits
26:      bf.insert(key, hashes)
27:      curr  $\leftarrow$  curr.right
28:    end if
29:  end while
30: end procedure

```

Algorithm 3 defaults to linear search when a bit that would be unset under the perfect hashing assumption is found set in the actual BF. The dead end scenario can ensue in the course of:

- 1) the search being directed *right*, where (in hindsight) it should have proceeded *left*;
- 2) the decoded best matching prefix length is incorrect – either logically impossible (nonsensical prefix length, or prefix length longer than or equal to *last_{hit}*) or

failing the BF look up on one of the remaining hash functions;

- 3) the case of false positive: The prefix is not found in FIB.

In any one of these cases, Algorithm 3 defaults to the linear look up scheme, starting with the longest match to date (*last_{hit}* in Algorithm 3 pseudocode). Given the number of prefixes to be stored in the BF, we can tune the BF parameters (bit array size *m*, number of hash functions *k*) to provide an optimal balance between the size of the data structure in memory (i.e., design the BF to fit in CPU cache), on the one hand, and the rate at which the guided search would default to linear search and the FIB table look up rate, on the other. The cost benefit analysis is a function of the size of L3 cache available, the penalty for off-chip memory hits and misses, the computational cost per byte of hash, and the like – and can be established through grid search and tuned for the target hardware (and traffic, if the details are available).

The time complexity of Algorithm 3 is $\Omega(\log n)$, where *n* is the number of distinct prefix lengths in the BF. Each search will scan the full height of the binary search tree, stopping at a leaf, then jumping from the most recent *hash₁* match to the *best matching prefix*, occasionally defaulting to a linear search over the lower prefix lengths. The number of defaults can in principle be controlled in the same way as the false positive rate can be tuned for the standard BF. In practice, the degree to which the default rate can be minimized is limited by the practical considerations of the available CPU cache size.

4. Experiments and Discussion

TBD...

References

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Algorithm 3 Guided search for LMP

```
1: procedure LOOKUP( $bf, ip, fib, bst$ )
2:    $last_{hit} \leftarrow -1$   $\triangleright$  last plen that yielded hit
3:    $count_{hit} \leftarrow 0$   $\triangleright$  times branched right
4:    $curr \leftarrow bst$   $\triangleright$  start at root
5:   while  $curr \neq null$  do  $\triangleright$  not leaf
6:      $tmp \leftarrow curr.plen$  most significant bits of IP
7:      $key \leftarrow \text{encode}(tmp, curr.plen)$ 
8:      $res \leftarrow bf.contains(tmp, [hash_1])$ 
9:     if  $res = 1$  then
10:       $count_{hit} \leftarrow count_{hit} + 1$ 
11:       $last_{hit} \leftarrow curr.plen$ 
12:       $curr \leftarrow curr.right$ 
13:     else
14:       $curr \leftarrow curr.left$ 
15:     end if
16:   end while  $\triangleright$  reached leaf
17:   if  $last_{hit} = -1$  then
18:     return  $PREF_{DEFAULT}$   $\triangleright$  default route
19:   end if
20:    $tmp \leftarrow last_{hit}$  most significant bits of IP
21:    $key \leftarrow \text{encode}(tmp, last_{hit})$ 
22:    $bmp \leftarrow bf.contains($   $\triangleright$  decode best match
23:      $key,$ 
24:      $[hash_{count_{hit}} \dots hash_{count_{hit}+n-1}],$ 
25:      $decode=true)$ 
26:   if  $bmp = 2^n - 1 \mid bmp < last_{hit}$  then
27:      $key \leftarrow \text{encode best match prefix, as usual}$ 
28:      $res \leftarrow bf.contains($ 
29:        $key,$ 
30:        $[hash_{count_{hit}+n} \dots hash_{bf.k}])$ 
31:     if  $res = 1 \ \& \ key \in fib$  then
32:       return  $bmp$ 
33:     else
34:       return  $\text{LinearSearch}($   $\triangleright$  defaulting
35:          $bf, ip,$ 
36:          $fib, last_{hit}-1)$ 
37:     end if
38:   end if
39: end procedure
```
