

Programmatic thinking

Flowcharts and pseudocode

Programmatic thinking tools

Recap:

Algorithms

Specific procedures to solve problems in terms of the **required actions** and the order in which these actions are executed.

Operators are an important tool that algorithms use to **make decisions**.

Next up:

Flowcharts

Pseudocode

Conditional statements

Operators

Comparison operators are used to compare numbers or strings to perform the evaluation within a boolean expression and boolean operators as conjunctions to combine (or exclude) statements in a boolean expression.

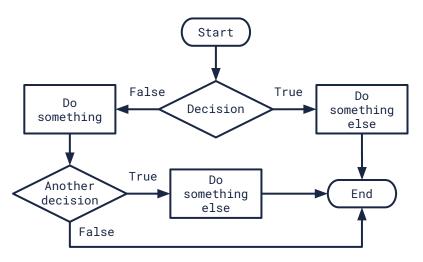
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Flowcharts

We use flowcharts (aka flow diagrams) to visually **represent the flow of control** of our logic, algorithms, pseudocode, and conditional statements.

We can use a flowchart to **visualise the logic** of an **algorithm** before we even start coding. It may also be useful to map out a flowchart before writing **pseudocode**!

Example of a flowchart:



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Flowchart symbols

We use different symbols in a flowchart to **represent different actions** or **steps** in a process.

Terminator

The terminator, also known as the start/end or terminal symbol, represents the **start or end of the process** flow.



The decision or branch point symbol is where we have our boolean expression. It is the point where a **decision needs to be made** with the outcome of either true or false.

Process

The process or action symbol represents a single step or function, or an entire sub-process within the overall process flow.

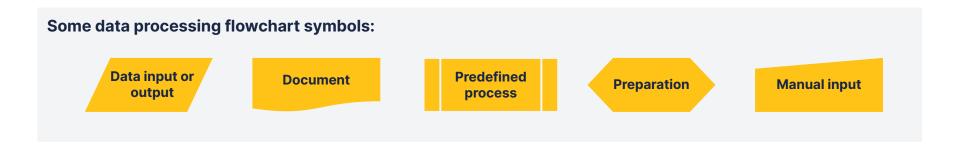


The flow arrow **connects** the different symbols and **indicates the relationships** between them.

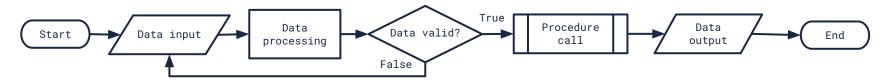
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Flowchart symbols

There are other flowchart symbols that are not often used in problem solving but rather to represent **data processing**.



Example of a data processing flowchart:



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Flowchart example

Let's create a flowchart that represents the following:

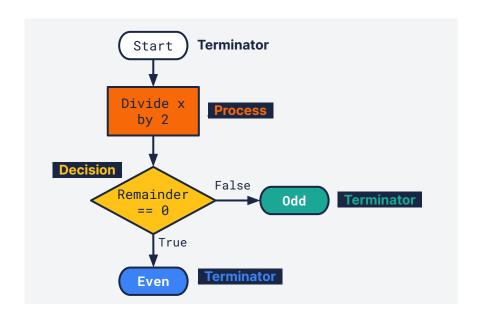
Determine whether a number x is an even or odd number.

What we need to do (i.e., the algorithm):

Divide x by 2. If the remainder is equal to 0 then the number is even, and if the remainder is not equal to 0 then the number is odd.

The steps:

- Process: divide x by 2.
- Decision: is the remainder equal to zero or not?
- Output 1: the remainder is equal to zero, so the number is even.
- Output 2: the remainder is not equal to zero, so the number is odd.



We could also have used the **modulus** (MOD or %) function. How would this change the flowchart?

Alternative solution

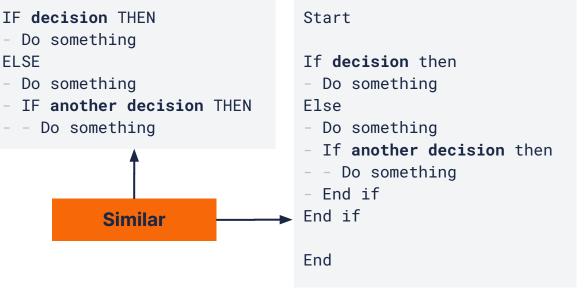
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Pseudocode

We can describe a sequence of steps and actions in a plain natural language called **pseudocode**. These are step-by-step descriptions for an algorithm using short but descriptive phrases.

Because pseudocode is written in natural language, **some variation is often observed** in the syntax.

To ensure that **indents** are clear, dashes, lines, or dots are often used in place of the spaces/tabs.





Pseudocode example

Let's again consider the following example:

Determine whether a number x is an even or odd number.

Considering the alternative solution (using the modulus function), the algorithm is:

If x modulus 2 is equal to 0, then the number is even, else the number is odd.

We can represent the output in the following ways:

- **01.** If the number is even the output y is equal to "Even", if the number is odd the output y is equal to "Odd".
- **02.** If the number is even the output y is equal to 1, if the number is odd the output y is equal to 0.

If x % 2 == 0, then y = "Even", else y = "Odd"

```
If x % 2 == 0 then
- y = "Even"
Else
- y = "Odd"
End if
```

If x % 2 == 0, then y = 1, else y = 0



Pseudocode components

Conditional statement

Represents decision-making by setting specific conditions.

Comparison operator

Compares numbers or strings to perform the evaluation within a boolean expression.

Boolean expression

A statement that results in an answer of either True or False.

Assignment operators

Assigns the value on the right to the variable on the left of the operator.

Indents

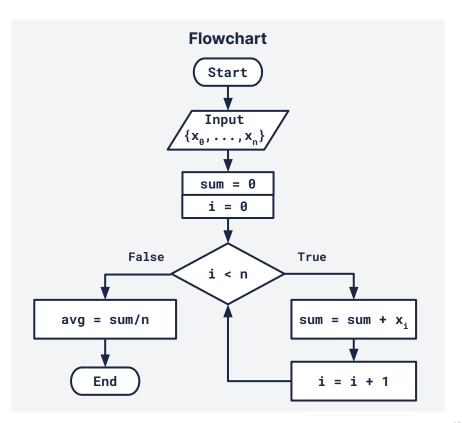
Groups statements that are intended to be executed together.



Example:

Calculate the average of a list of **n** numbers.

- 1. Our input is the list of **n** numbers, where each value is $\mathbf{x_i}$; we make use of set notation: $\{x_{0i}, x_{1i}, x_{2i}, ..., x_{n-1}\}$.
- 2. We need to keep track of the sum of the values (sum) and the ith number in the list.
- 3. We check if the value of **i** is smaller than the length of the list.
- 4. When the condition is True, we calculate sum by adding the number x_i in the list to the previous sum.
- 5. We also add one to our position value.
- 6. We repeat steps 3 to 5 until the condition is False.
- 7. When the condition is False, we divide the sum by the list length, and the output is the average (avg).





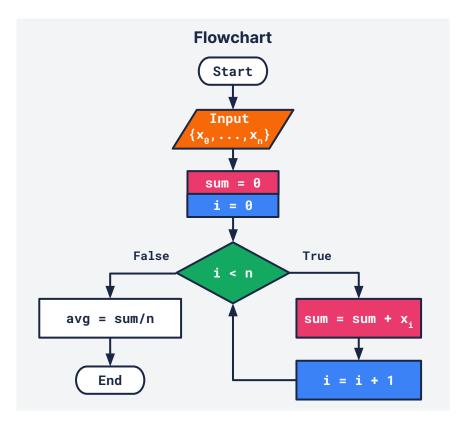
Example:

Calculate the average of a list of **n** numbers.

Let's consider the following list: 2 5 6 8

n = 4 sum = 0	i = 0
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$$x_0 = 2$$
 0 < 4 ? True
 $sum = 0 + 2 = 2$ $i = 0 + 1 = 1$





Example:

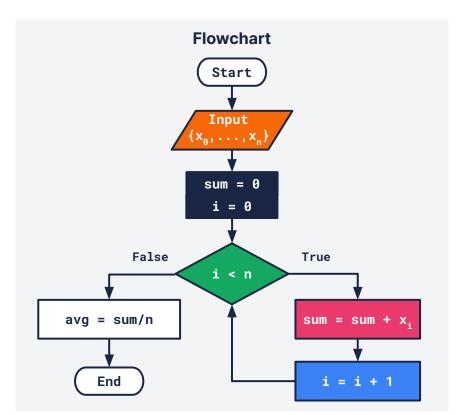
Calculate the average of a list of **n** numbers.

Let's consider the following list: 2 5 6 8



$$x_0 = 2$$
 0 < 4 ? True
 $sum = 0 + 2 = 2$ $i = 0 + 1 = 1$

$$x_1 = 5$$
 1 < 4 ? True
 $sum = 2 + 5 = 7$ $i = 1 + 1 = 2$





Example:

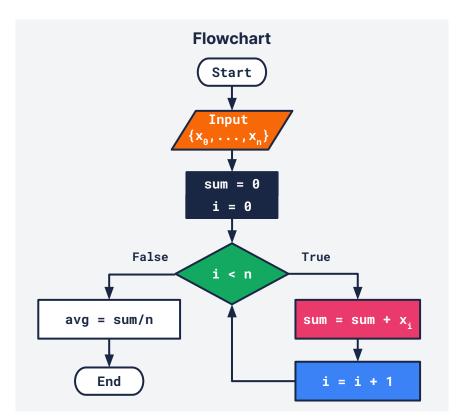
Calculate the average of a list of **n** numbers.

Let's consider the following list: 2 5 6 8

$$n = 4$$
 sum = 0 $i = 0$

$$x_0 = 2$$
 0 < 4 ? True
 $sum = 0 + 2 = 2$ $i = 0 + 1 = 1$

$$x_1 = 5$$
 1 < 4 ? True
 $sum = 2 + 5 = 7$ $i = 1 + 1 = 2$





Example:

Calculate the average of a list of **n** numbers.

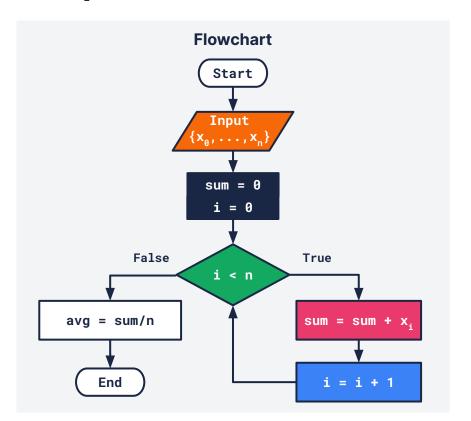
Let's consider the following list: 2 5 6 8

$$n = 4$$
 sum = 0 $i = 0$

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$$x_1 = 5$$
 1 < 4 ? True
 $sum = 2 + 5 = 7$ $i = 1 + 1 = 2$

$$x_2 = 6$$
 2 < 4 ? True
 $x_2 = 6$ 2 < 4 ? True
 $x_2 = 6$ 13 1 = 2 + 1 = 3





Example:

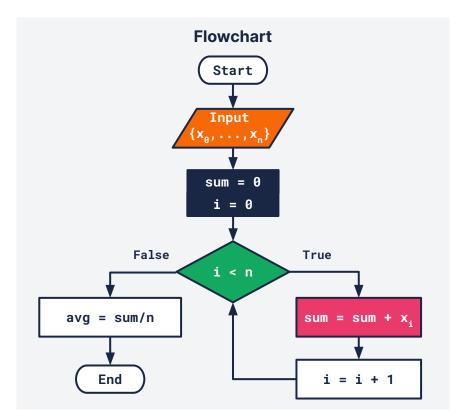
Calculate the average of a list of **n** numbers.

Let's consider the following list: 2 5 6 8



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4 < 4 ? False avg = 21 / 4 = 5.25





Example:

Calculate the average of a list of **n** numbers.

From the flowchart, we know that we need to repeat the condition $\mathbf{x_i} < \mathbf{n}$ until it is False.

This is a **conditional loop** called a while loop. A conditional loop repeats a block of code as long as the condition is met.

```
Start
Input \{x_n, x_1, x_2, \ldots, x_n\}
sum = 0
i = 0
While i < n do
- sum = sum + x_i
-i = i + 1
End while
avg = sum/n
End
```