

Short	Oniz	#2 /28	Lambs C	SC 225	3. Dicerate	Structures.	C- 2020
PARTIE E	Cours.	THE LACTOR	Jann. C	and the second	y, Discrete	SUPPLICATIONS.	OD ARREST

Your answers must be to the point. Total = 20; marks for each question is shown in [ ].

LastName:

FirstName

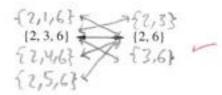
- The following code is a slight variant of the one given in the class for computing all C(n, m), 0 ≤ m ≤ n for a fixed n using a recursive formula for C(n, m).
  - int[] c = new int[n+1]; //assume n has a value assigned
  - 2. c[0] = 1; //c[m] = C(n, m); c[1], c[2], ... are computed below
  - 3. for (int m = 1;  $m \le n$ ; m++)
  - c[m] = c[m-1] \* (n-m+1)/m;
  - Give the number of iterations of the for-loop. [1]

Herations

- Give #(arithmetic and assignment operation in all iterations of line 4). [2]
- Let n = 6. Give a value of m to show in detail why changing line 4 to c[m] = (n-m+1)/m\*c[m-1] does not work. [2]
- If m= 2, ([2]=(5)/2\*(1) = 2\*6=12, which is incorrect. The
- 2. Complete the following sentences/equations; use the notation C(., .) whenever possible. [1+1+1+2+3] Order (confer confer confer)
  - (a)  $\#(m\text{-subsets of }\{1,2,\cdots,n\}) = \mathcal{L}(\mathcal{N}/\mathcal{M})$ .

there should not be rounding

- #(lines connecting each m-subset to the (m-1)-subsets in the way we considered in the class) = .  $\mathbb{N}$
- #(lines connecting each (m-1)-subset to the m-subsets in the way we considered in the class) =  $\sqrt{1-4m^2+1}$
- Therefore,  $\mathcal{M}((n,m)) = (\mathcal{M}-\mathcal{M}+1)((n,m-1))$
- (e) For n = 6 and m = 4, complete the diagram below by showing all 2-subsets to which the 3-subset {2, 3, 6} is linked and also all 3-subsets that are linked to {2, 6}.



- Consider the code below to compute top and bottom so that C(n, m) = top/bottom for a fixed n and m (1 ≤ m ≤ n).
  - int top = n, bottom = m; //assume n and m have values assigned
  - for (int i = 1; i < m; i++)

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Complete the following sentences/equations. [1+1+1+2+2]

- #(assignments and arithmetic operations in lines 3-4 for all iterations) =  $5(m-1)^m$ (b)
- Final value of bottom is 1\*2\*3\*...\*m; final value of top is . (N) X(N-1) X(N-2) X ... X (N-1)+1 (c)
- (d) If we replace "for (int i = 1; i < m; i++)" above by "for (int i = 2; i <= m; i++)", then both "top \*= n - i" and "bottom \*= i" have to be modified. Give the modified form of "top \*= n - i".
- The sum  $1 + 2 + 3 + \dots + n = \dots$

top \*= 11-1+1