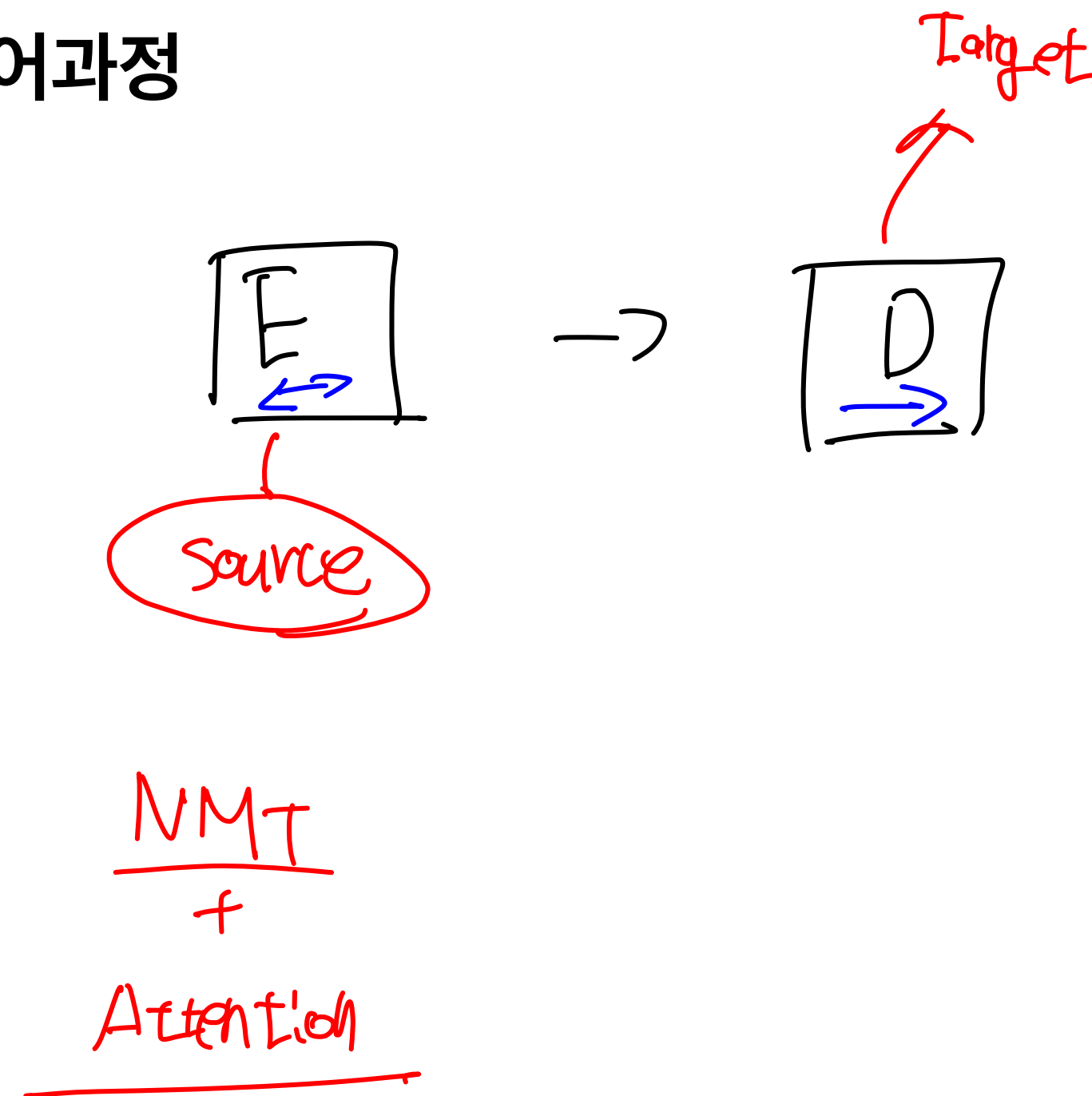


ICT이노베이션스퀘어 AI복합교육 고급 언어과정

# 자연어처리를 위한 Attention



현청천

2021.04.19

분류 문제에 유용 //

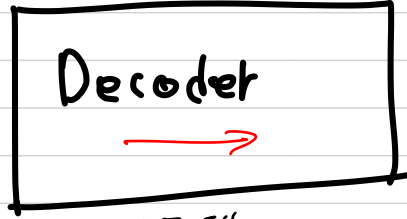


○ feature 추출

↑  
source

○ Transformer

○ bert



○ 생성 모델

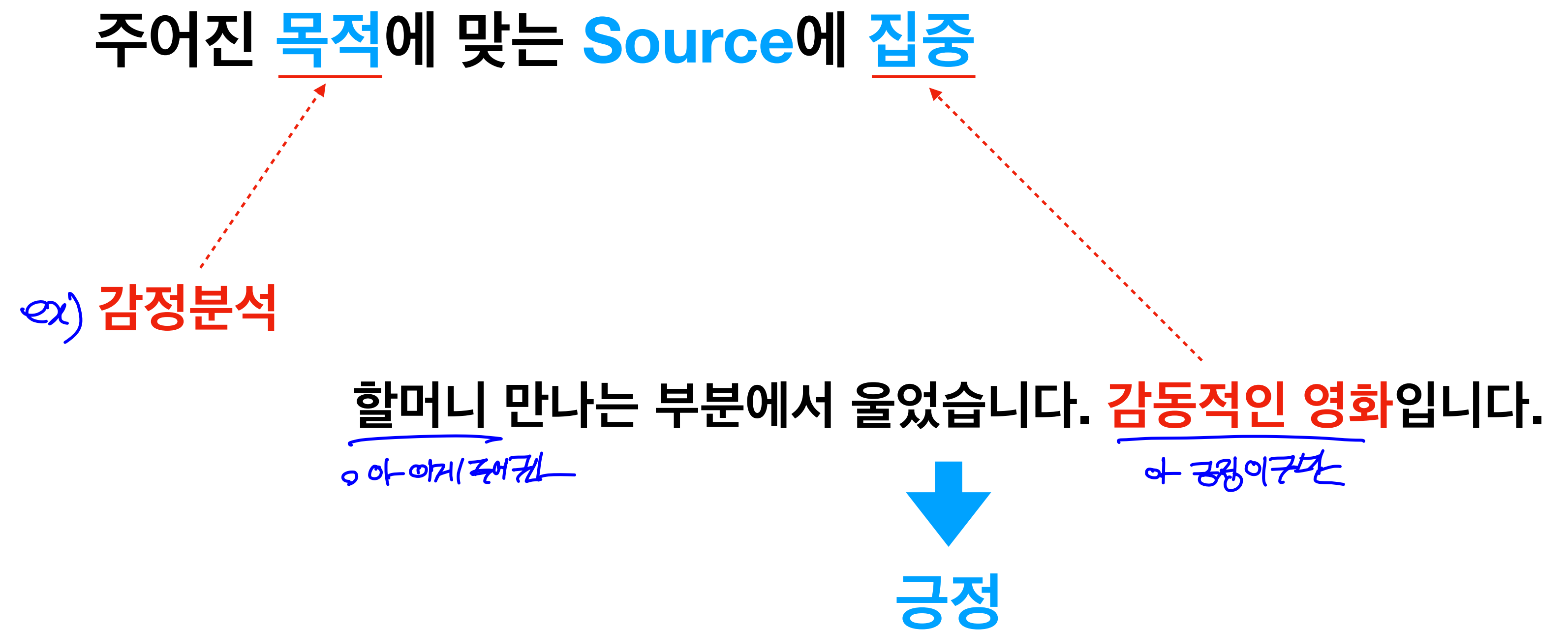
↑  
Target (Previous)

↑  
Target (Next)

○ GPT ex) 소설, 대화, 기타 검색 (고정)

○ google 에서 최근 장항

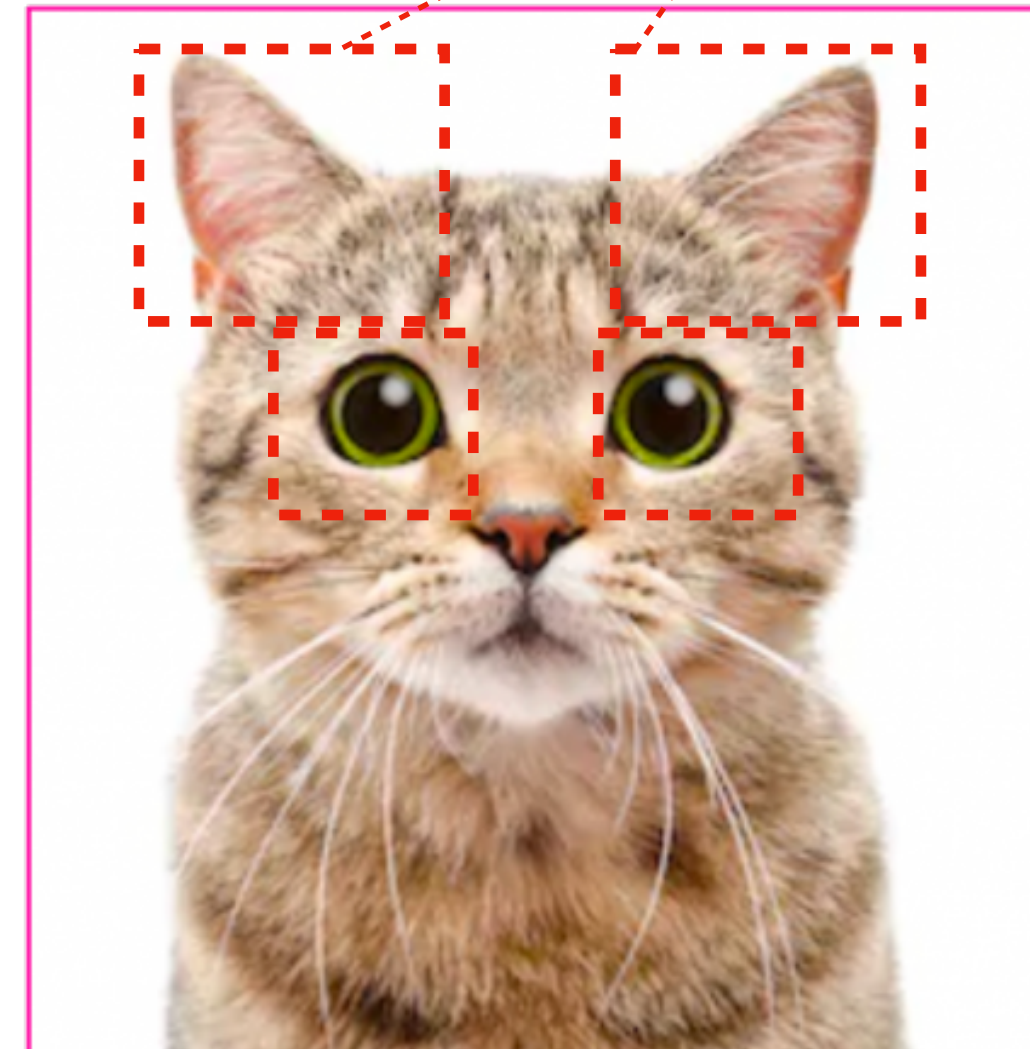
# What is Attention



# What is Attention

주어진 목적에 맞는 Source에 집중

이미지분류

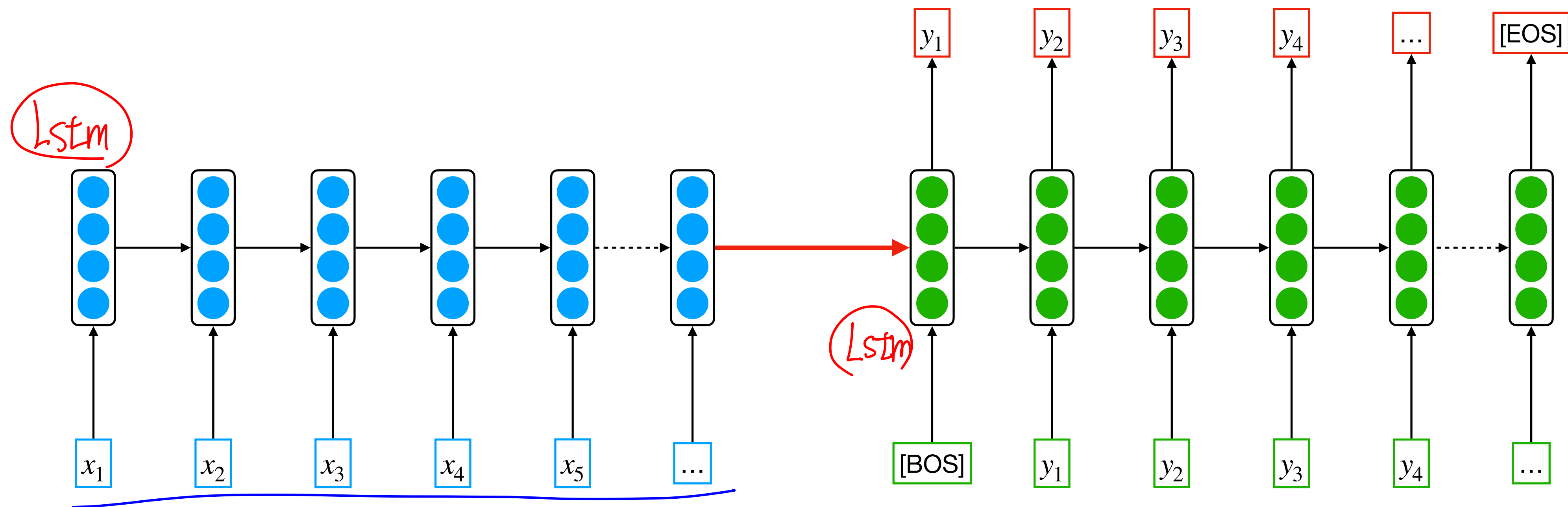


↓  
고양이

# What is Attention

$N-m-T$

나는 학생 입니다

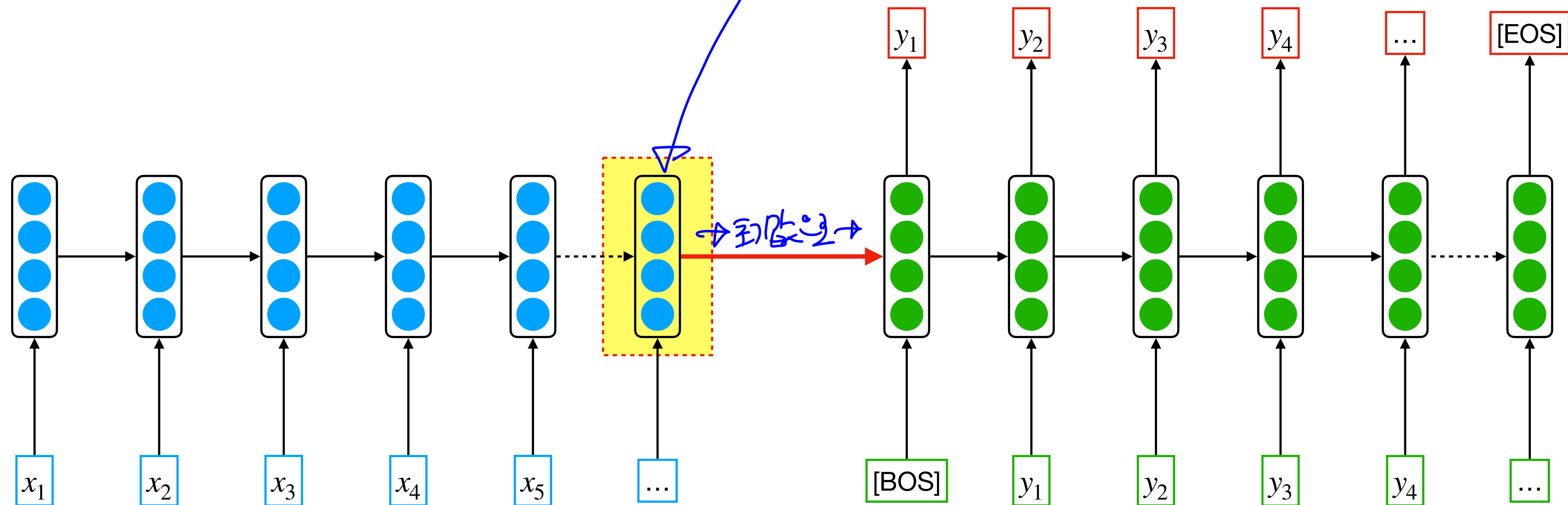


Source

I - am student

# What is Attention

Encoder Input 정보를 하나의 벡터로 저장



# What is Attention

## Encoder Input 정보를 하나의 벡터로 저장

한글 ① 긴 문장을 하나의 벡터로 변환하기 어려움 (Information bottleneck)  
⇒ 충분히 정보를 잃어버리게 됨

if) token이 500개일때.

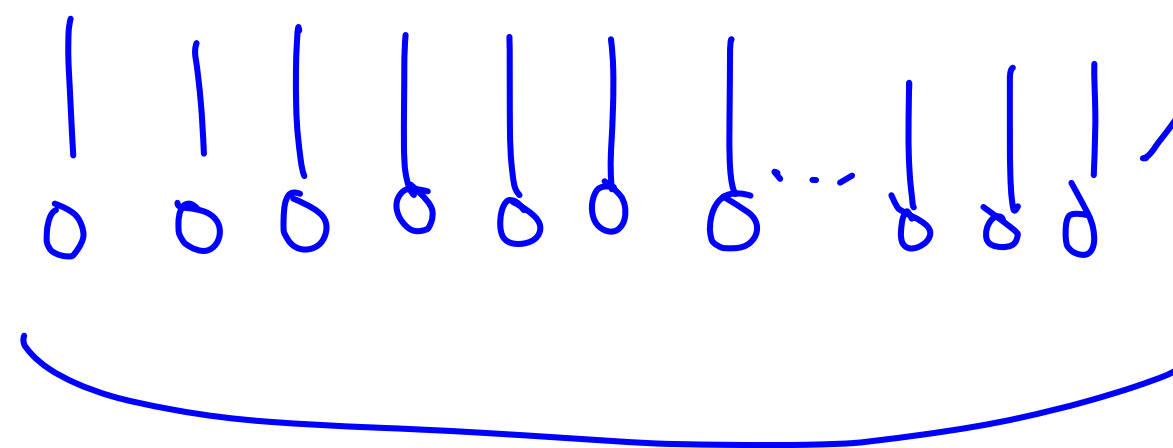
The dominant sequence transduction models are based on complex

...

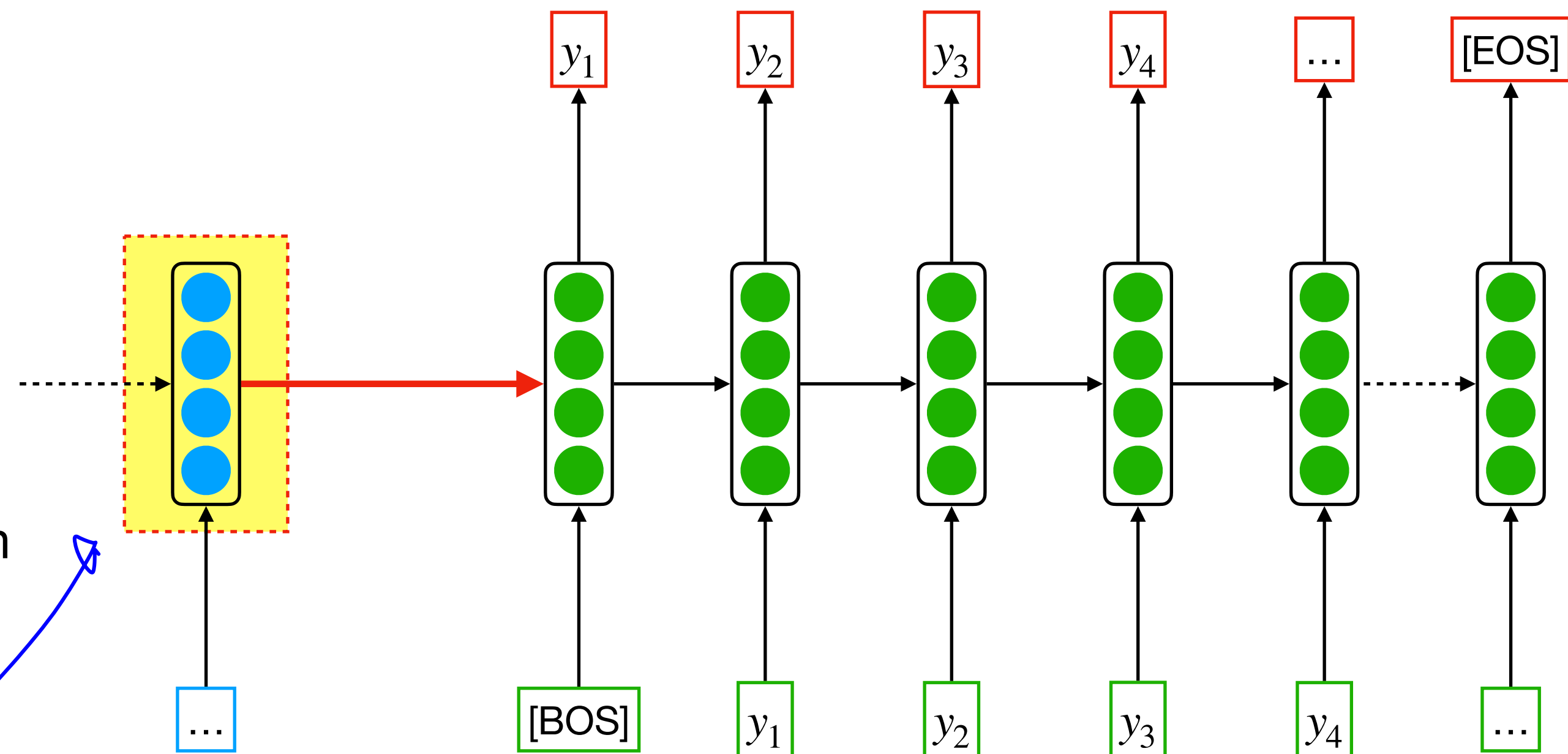
...

...

requiring significantly less time to train



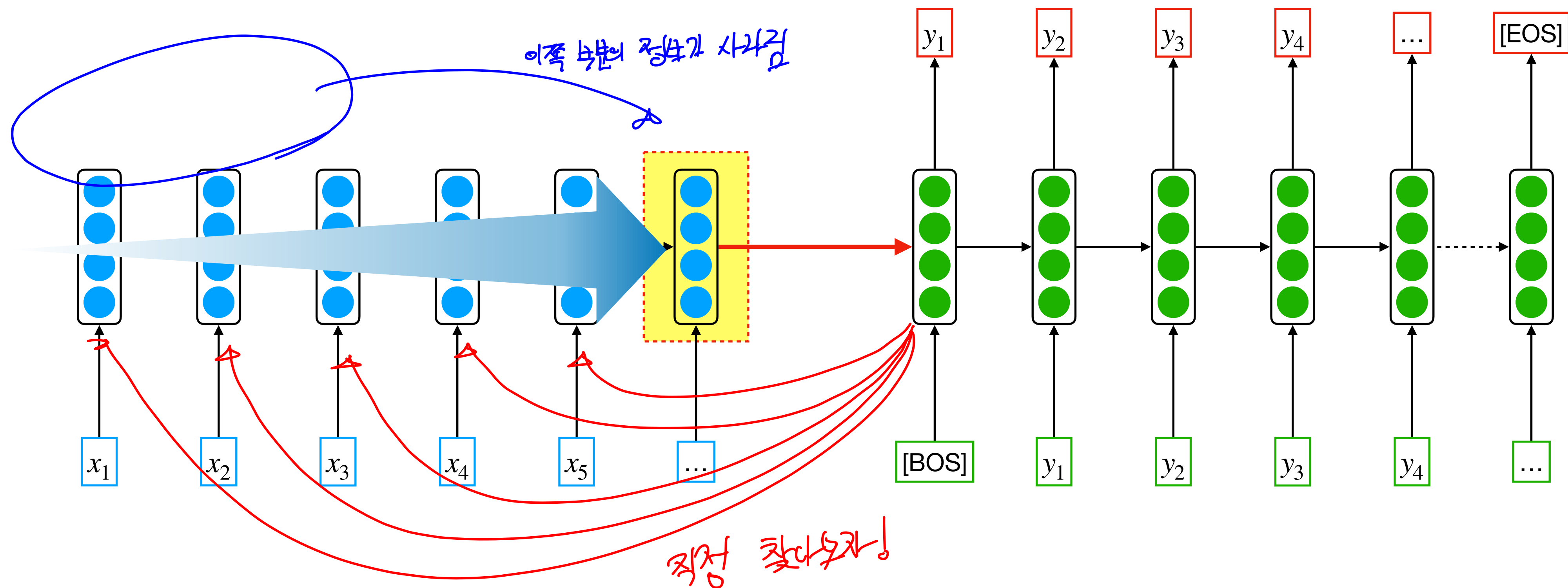
500 개.



# What is Attention

Encoder Input 정보를 하나의 벡터로 저장

한글(2) 과거의 정보가 점점 사라짐 (Vanishing gradient)





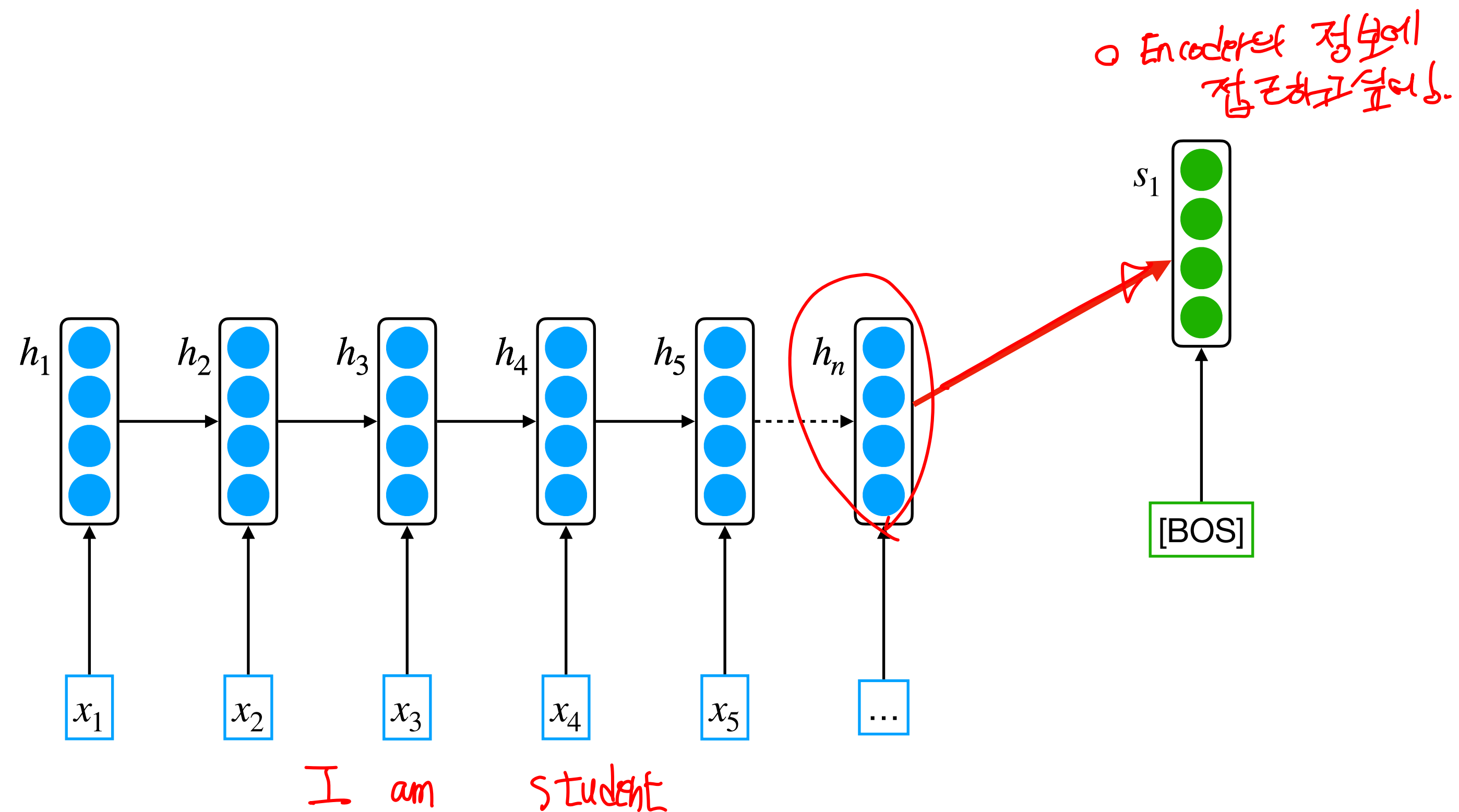
# What is Attention

- 두가지 주요 문제 해결
  - 긴 문장을 하나의 벡터로 변환하면서 발생하는 Information bottleneck
  - 과거의 정보가 점점 사라지는 vanishing gradient

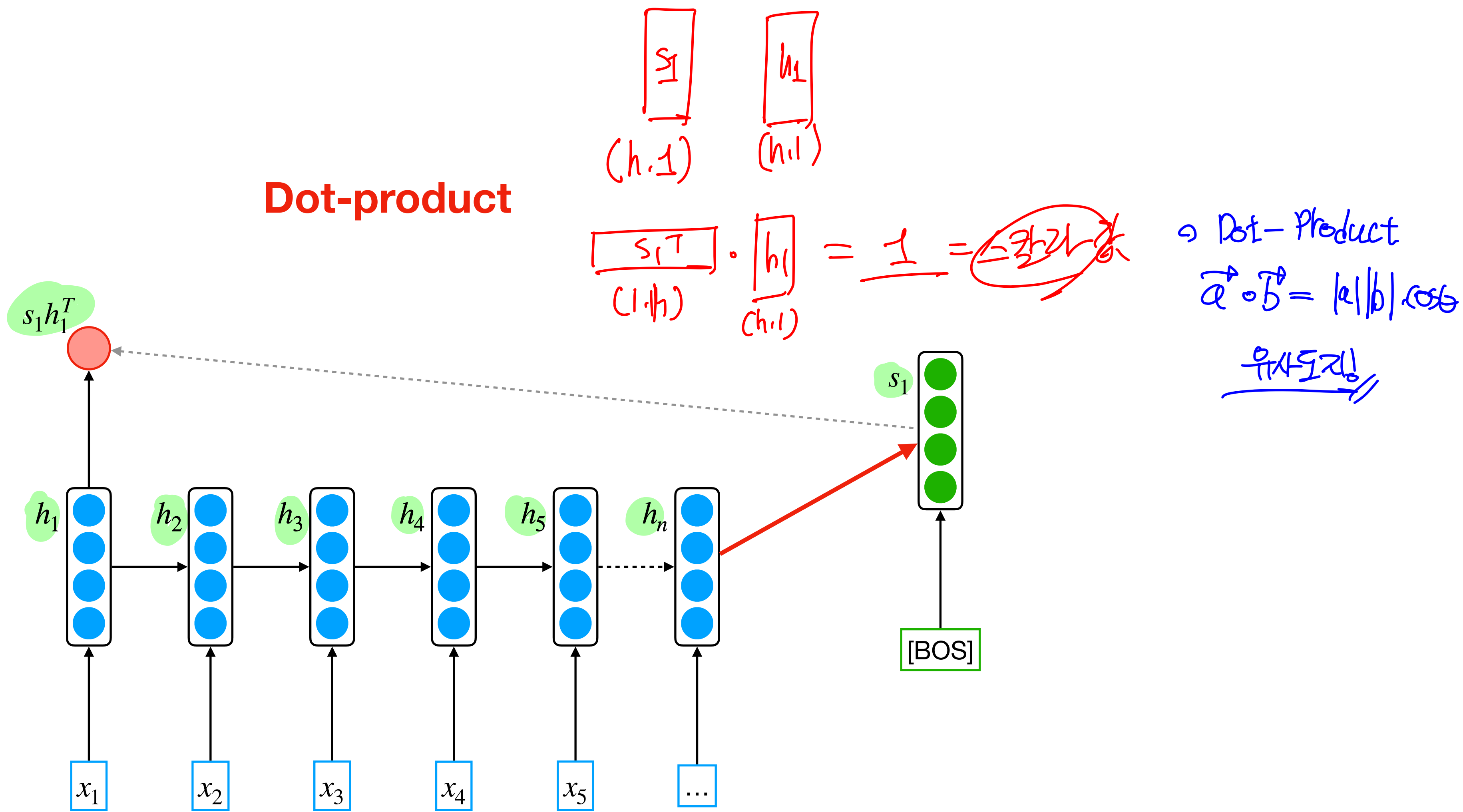
Encoder의 특징 변

Source의 특정 부분을 집중하기 위해 Decoder가 Encoder의 정보를 직접 접근함

# Attention Model



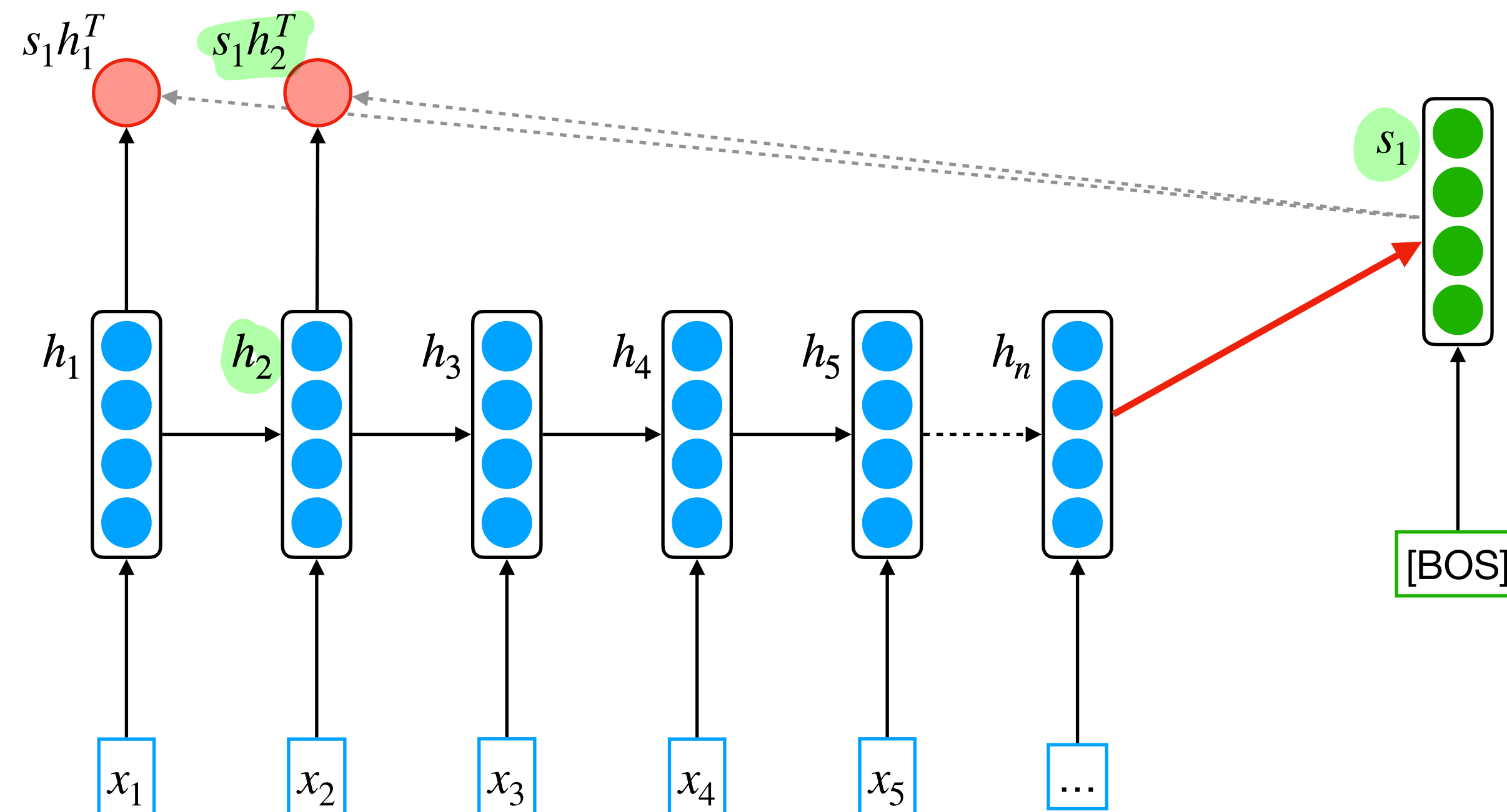
# Attention Model



# Attention Model

Q shape에 맞게 다 곱해서 결과.

Dot-product

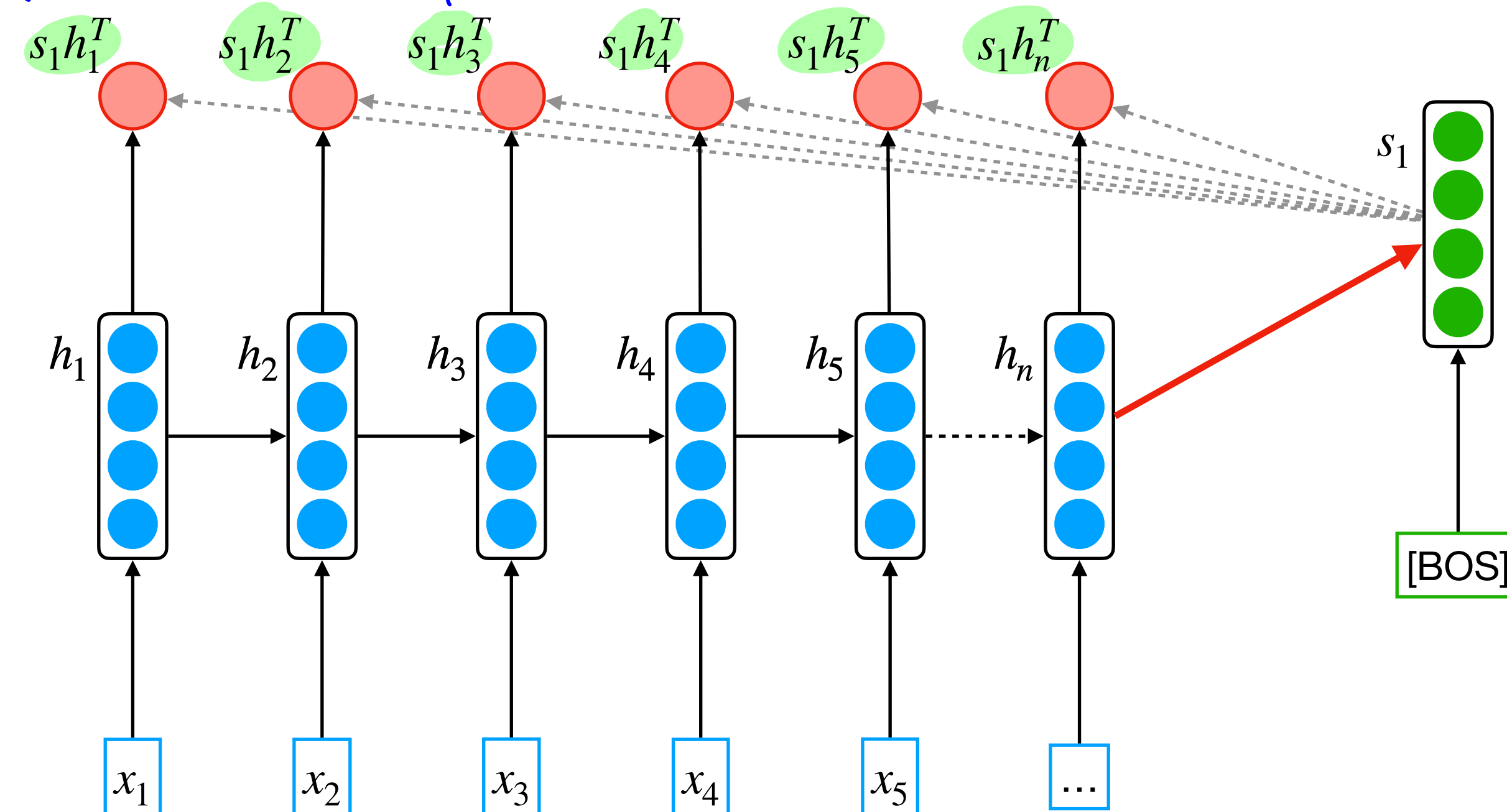


# Attention Model

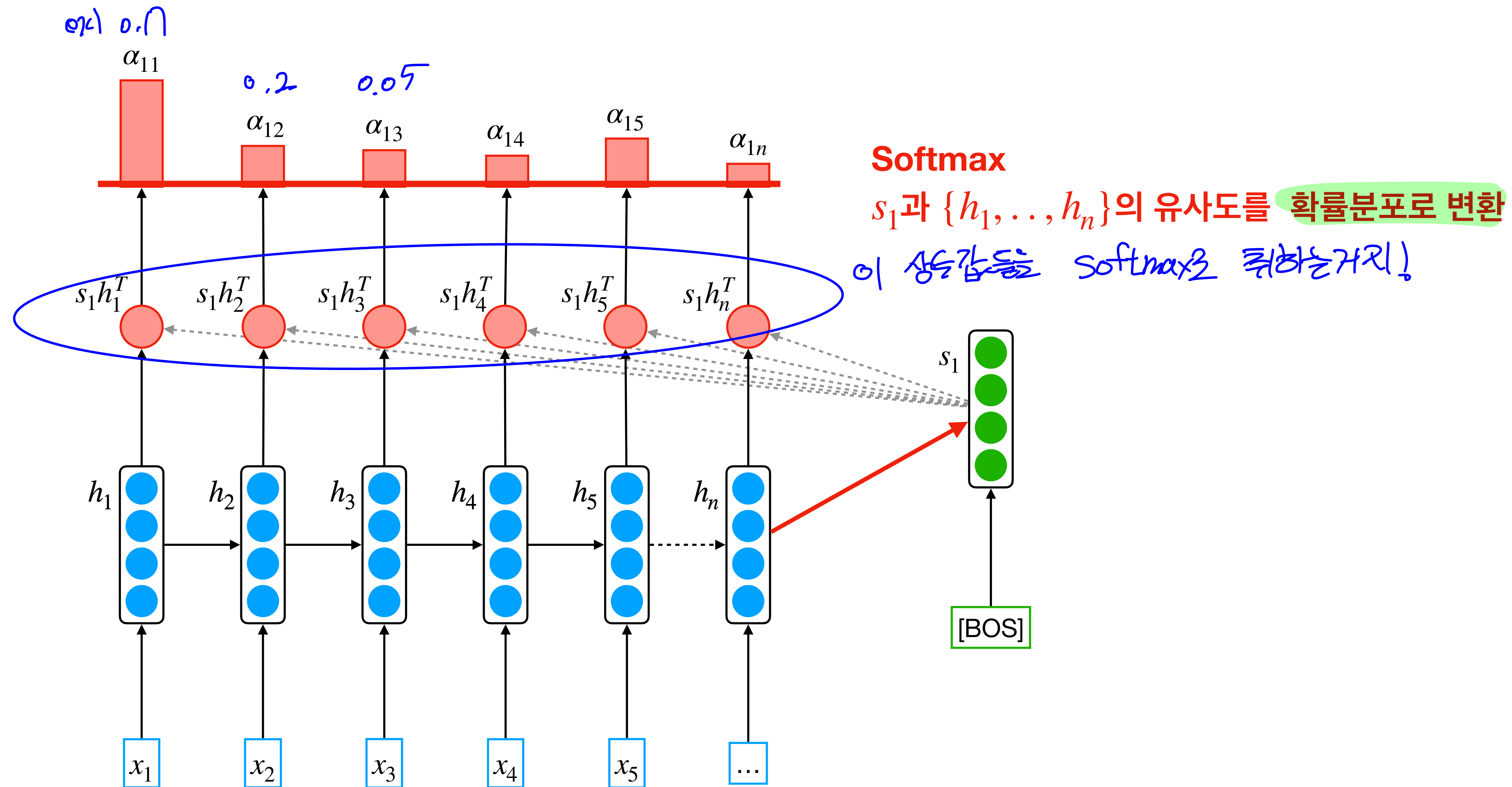
다 보유가,,  
 ~~$|s_1| \cdot |h_1| \cdot \cos \theta_1$~~

**Dot-product**  
 ~~$|s_1| \cdot |h_1| \cdot \cos \theta_2$~~   
 ~~$|s_1| \cdot |h_1| \cdot \cos \theta_3$~~

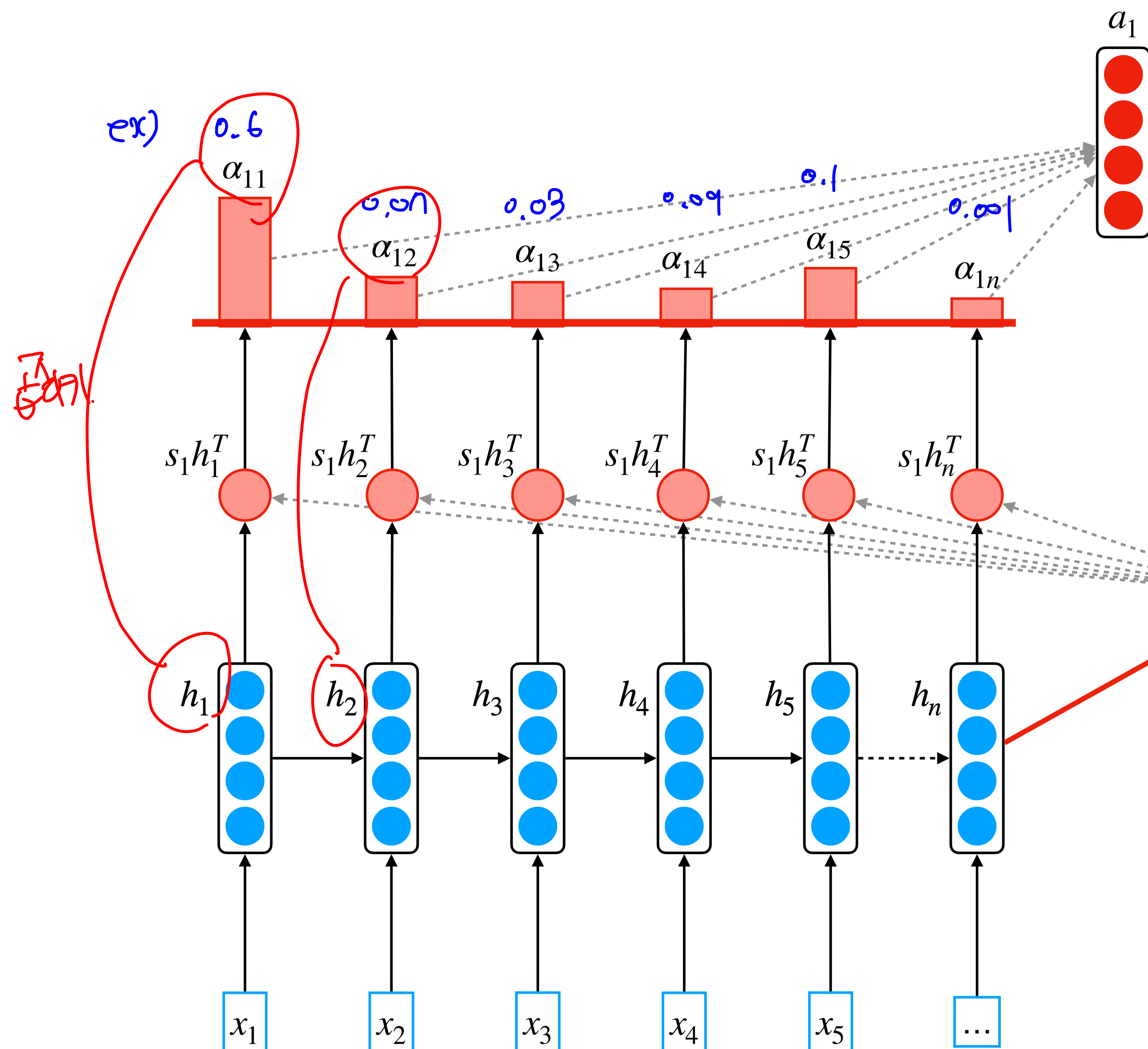
o  $s_1$  에 대해 각  $h_i$  들의 dot-product를 통해 유사도를 측정.



# Attention Model



# Attention Model



**Weighted Sum**

**Encoder hidden state의 weighted sum**

$$a_1 = \sum_{i=1}^n \alpha_{1i} h_i$$

이제 이걸 통해  $a_1$ 을 계산  
이것을 다시  $h$ 와 곱해서 함  $\Rightarrow$   $a_2$

attention output

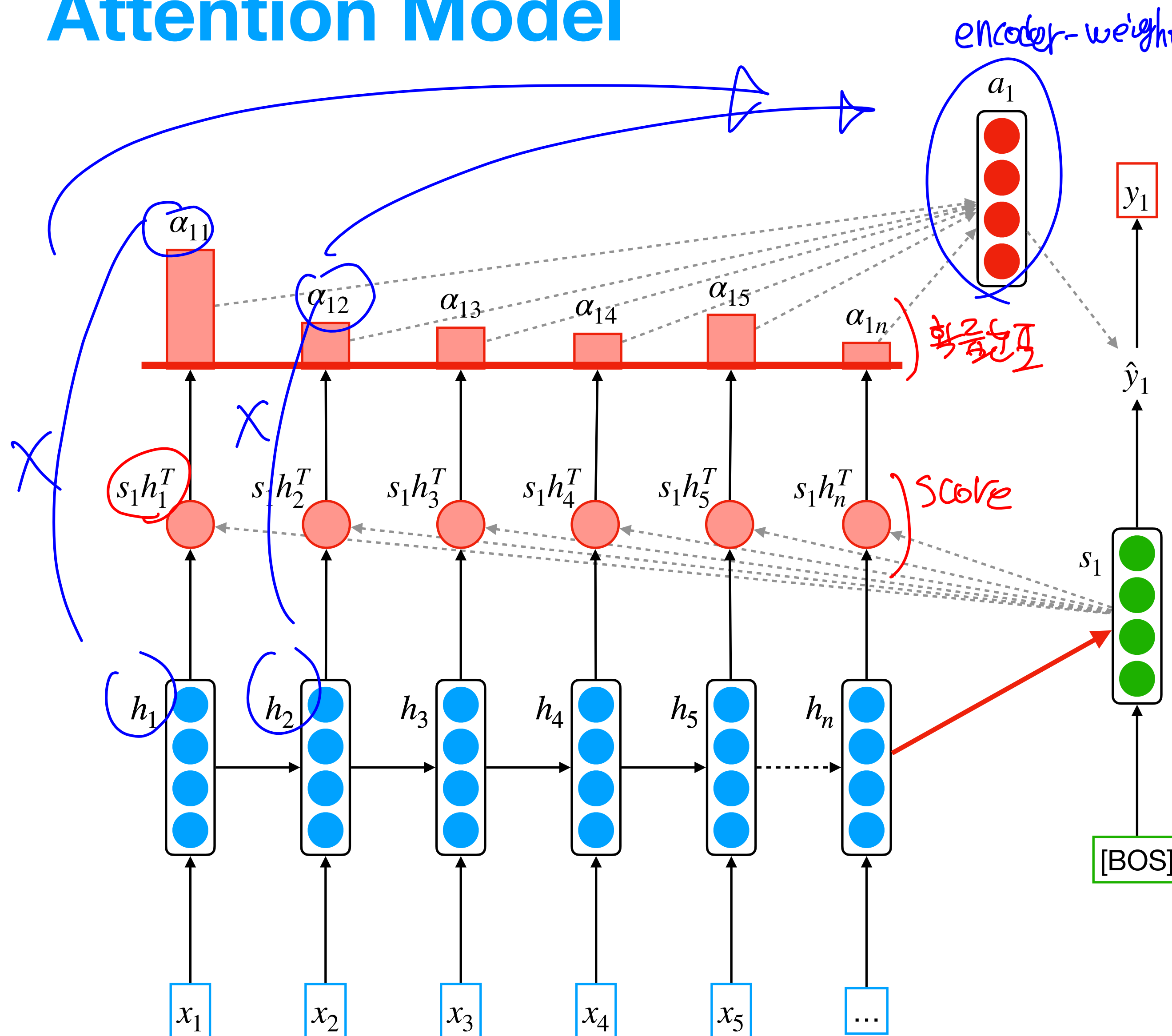
$$0.6h_1 + 0.07h_2 + 0.03h_3 + \dots + 0.001h_n$$

=  $h_1$ 은 60% 영향.

=  $h_2$ 는 7% 영향.

$\Rightarrow \dots$

# Attention Model



encoder-weight-sum  $\Rightarrow$  encoder의 정보만 있는거지  
 $S_1$ 은 단순히 score를 나타낼거니까  
 (=유사도)

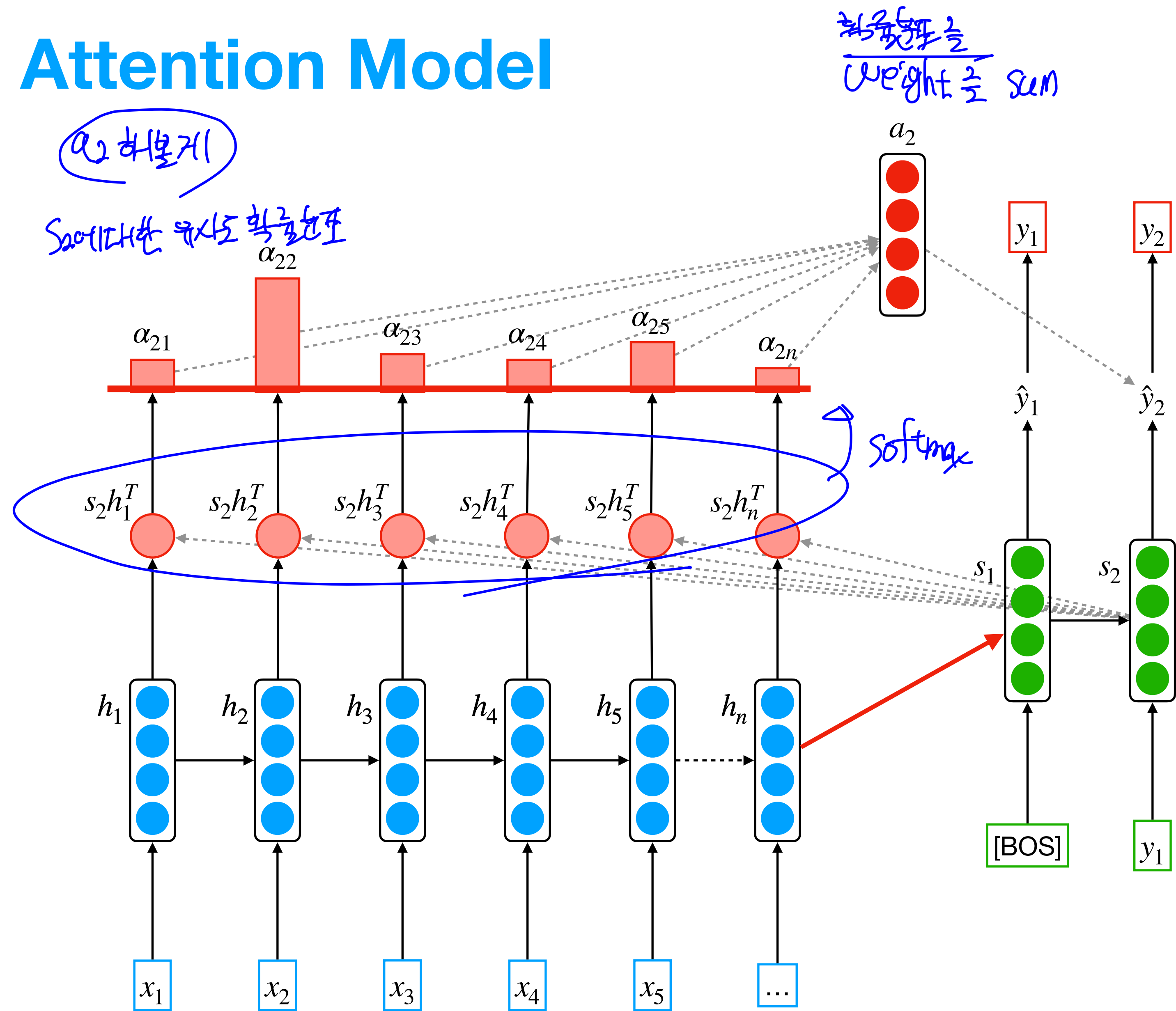
**Concatenate attention output with  
decoder hidden state  $[s_1; a_1]$   
and compute output**

○ Encoder의 정답을 잊어버!  
그러니까 Siang 다시  
Concat하거라!

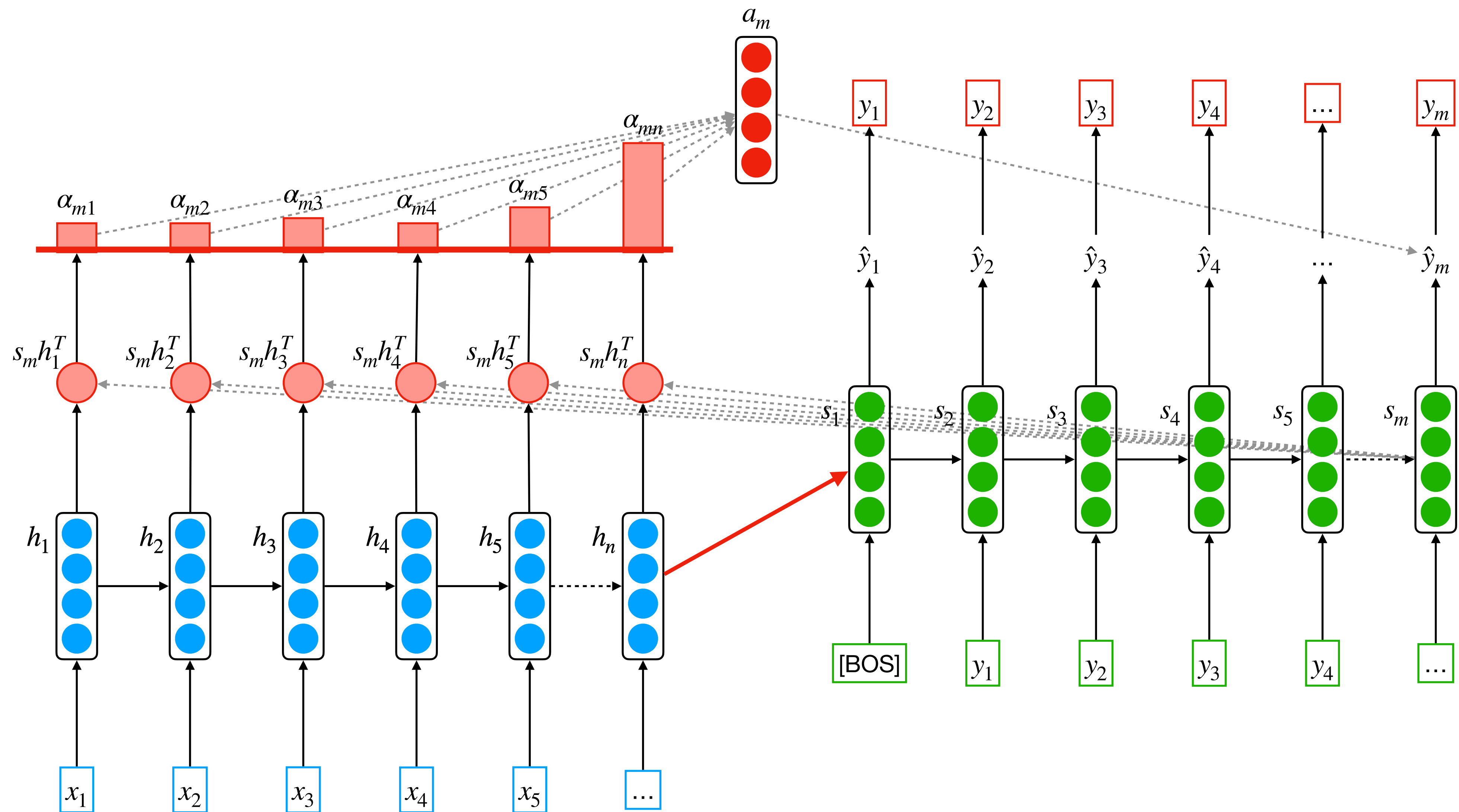
Q So이런게 계산한거지  
그걸 통해서 학포를 하고  
그걸 h1 통해서 각기 차중치를 준거잖아  
그니까 Encoder 정보만 있는거지!  
그래서 decoder 정보를 합치기 위해서  
concat을 하대들



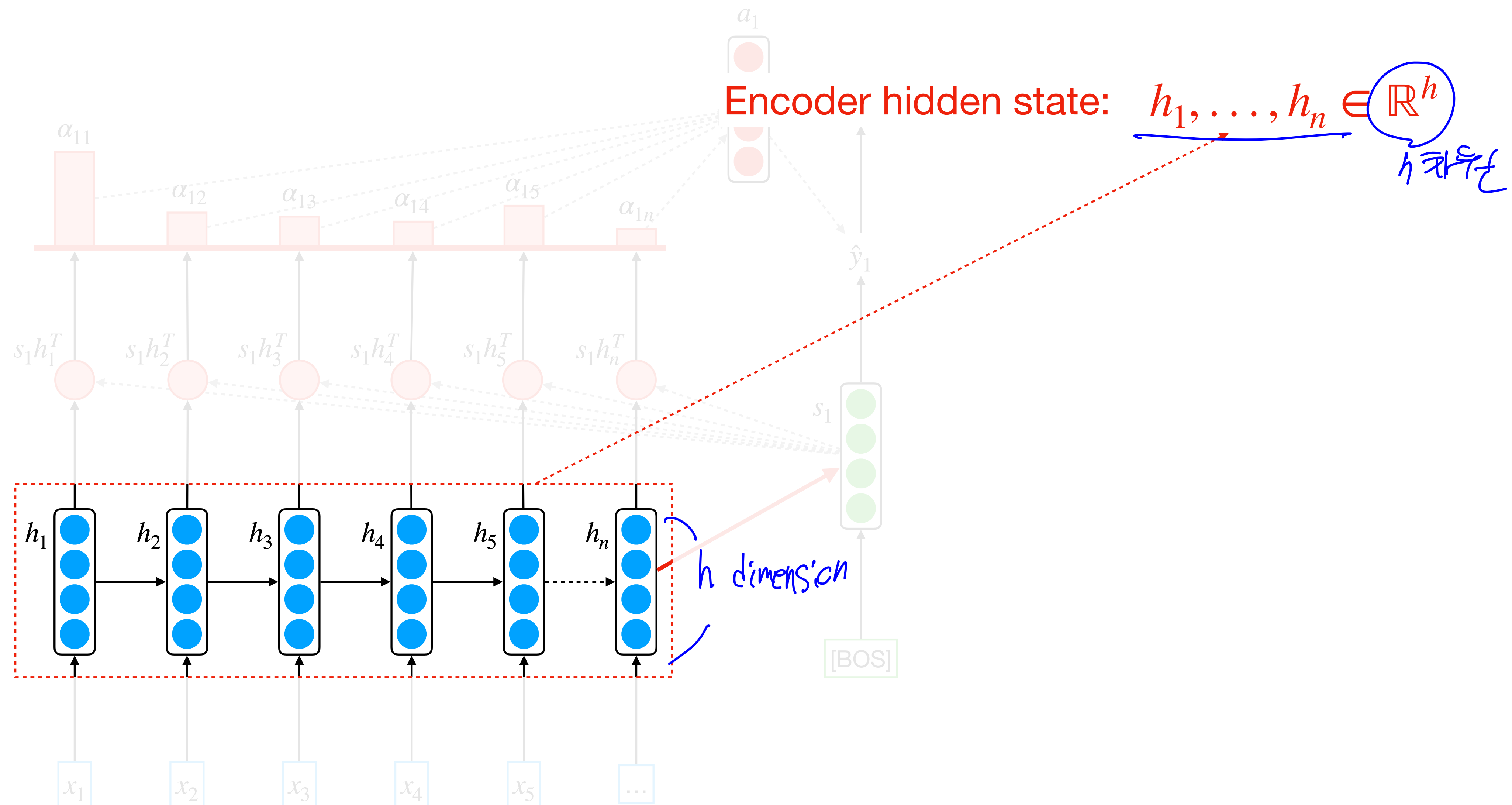
# Attention Model



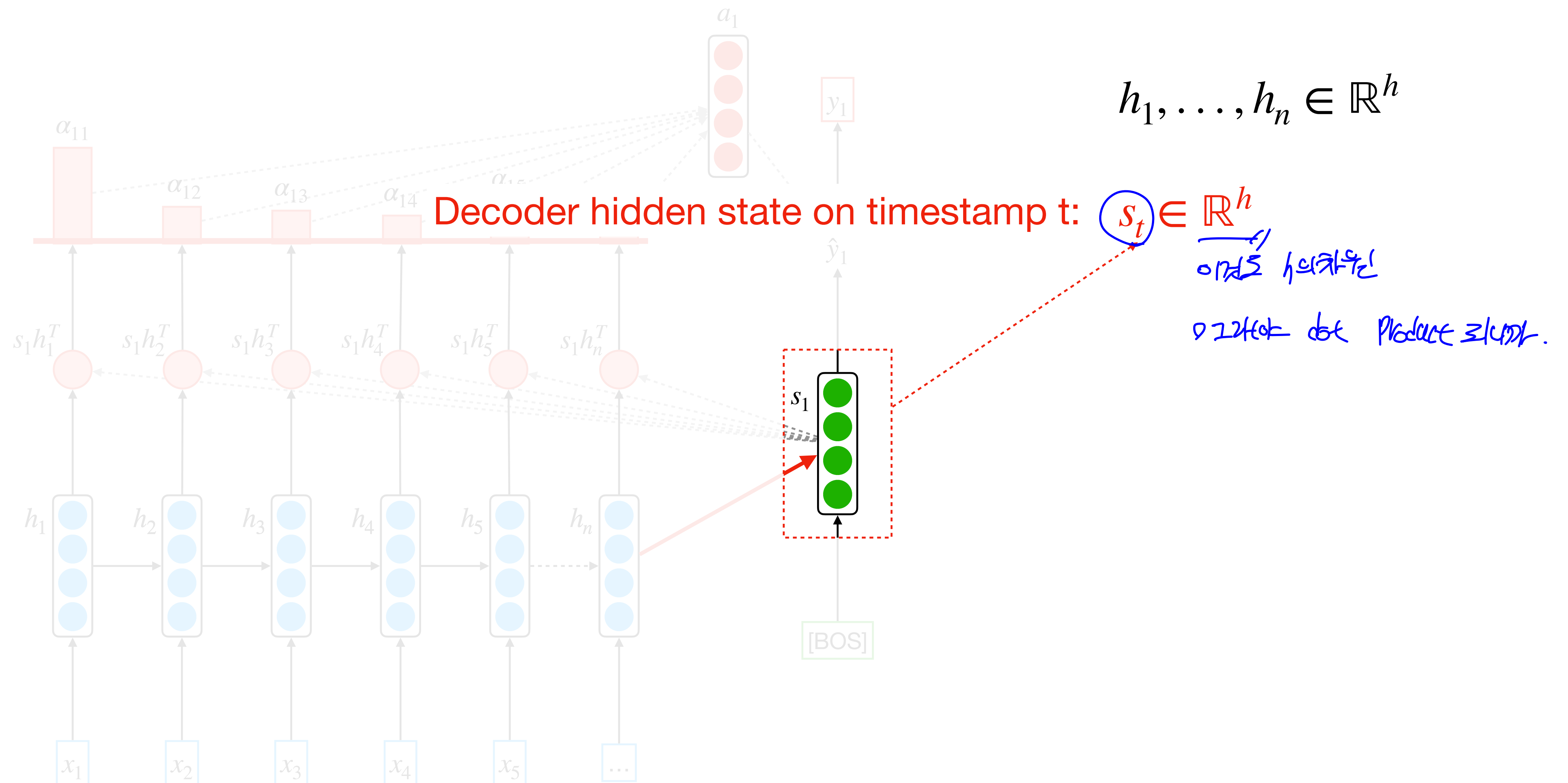
# Attention Model



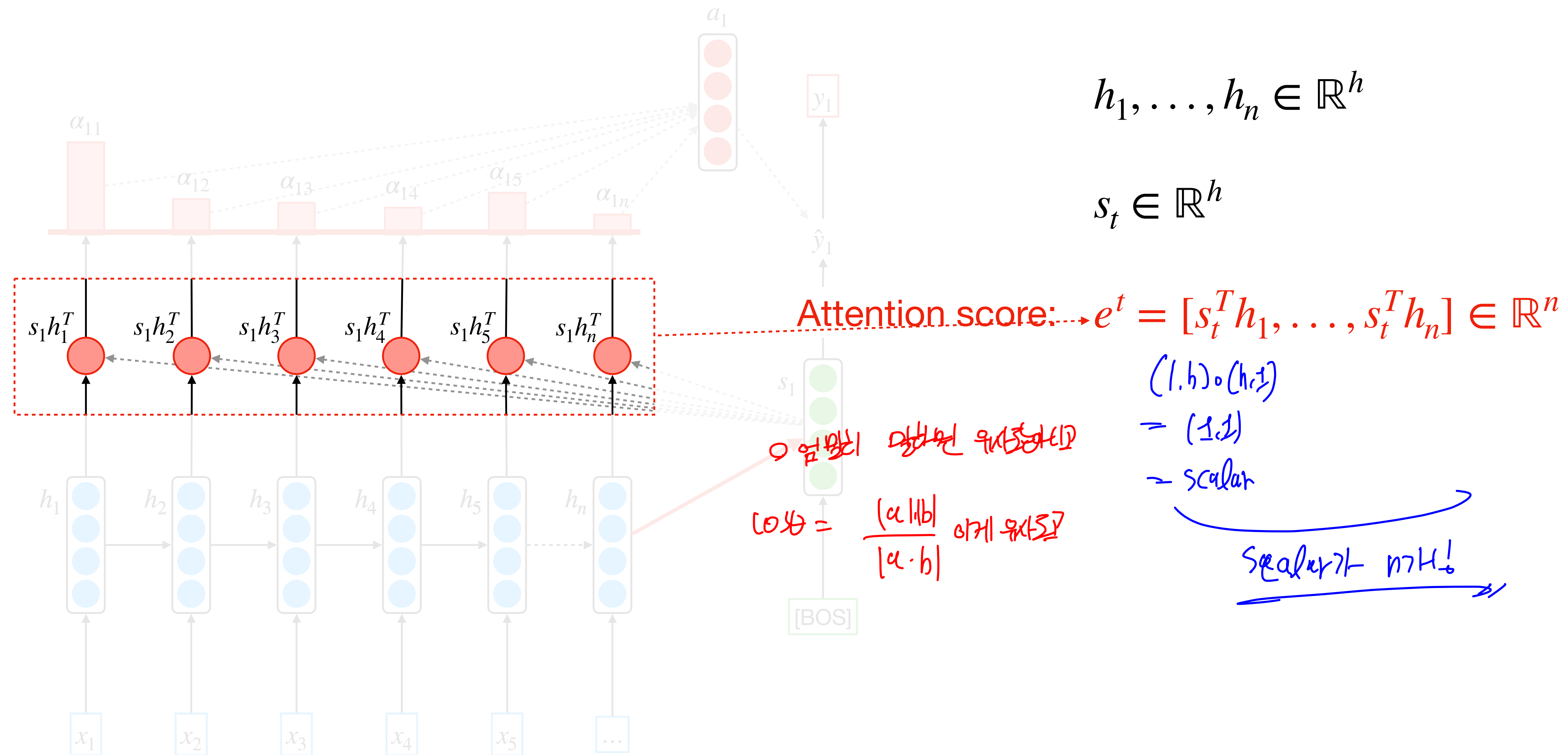
# Attention Model (Equation)



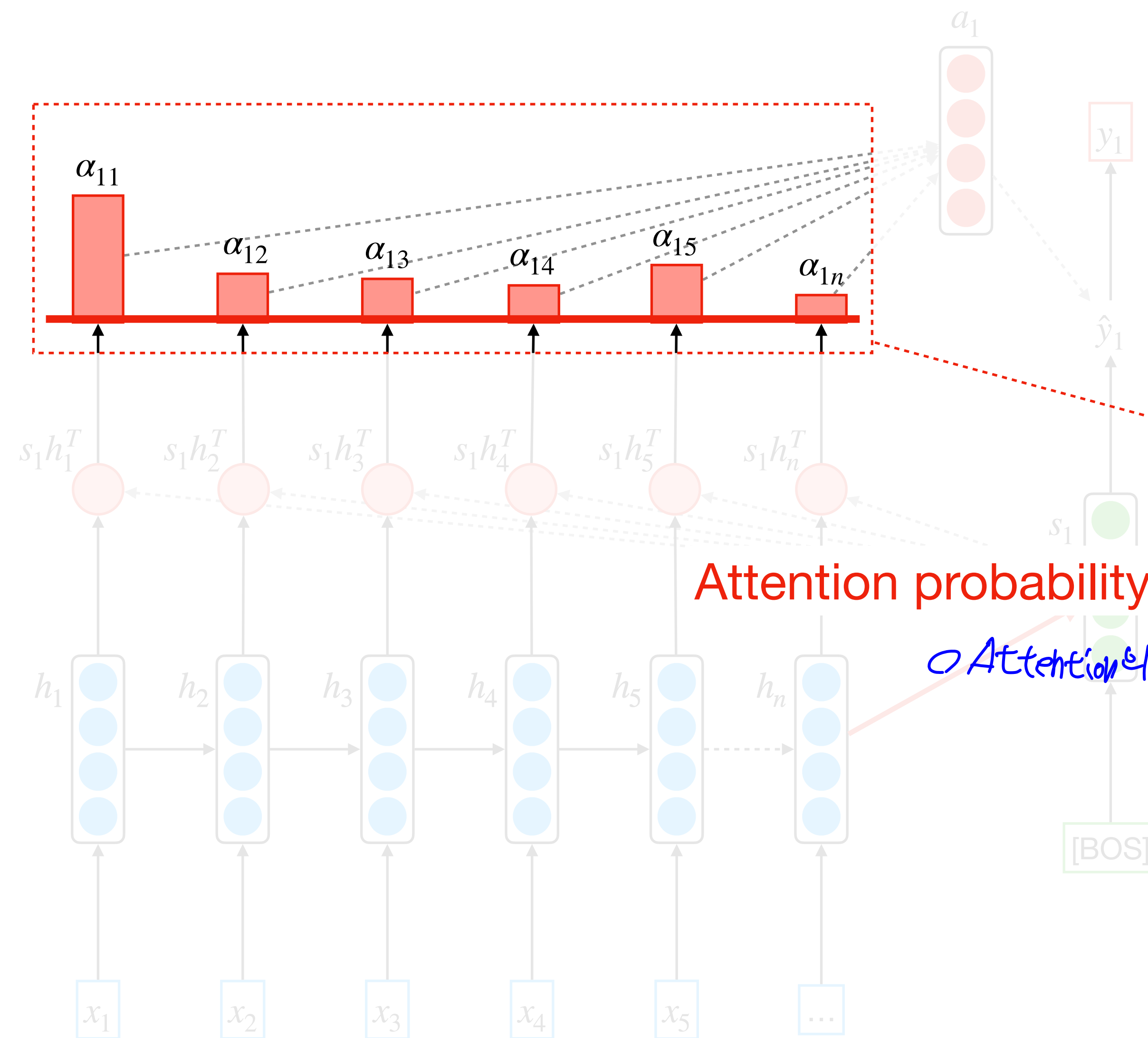
# Attention Model (Equation)



# Attention Model (Equation)



# Attention Model (Equation)



$$h_1, \dots, h_n \in \mathbb{R}^h$$

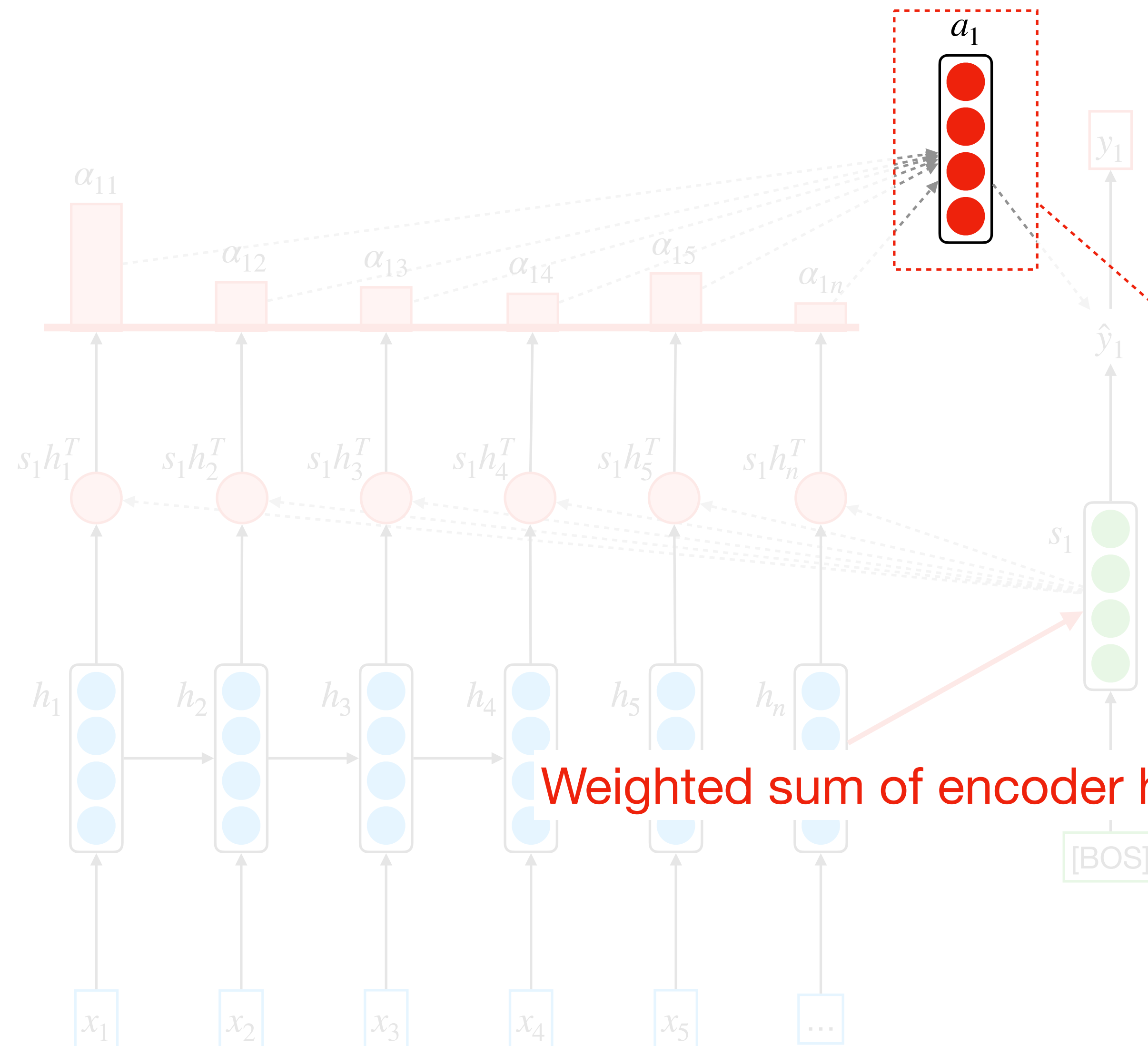
$$s_t \in \mathbb{R}^h$$

$$e^t = [s_t^T h_1, \dots, s_t^T h_n] \in \mathbb{R}^n$$

Attention probability distribution:  $\alpha^t = \text{softmax}(e^t) \in \mathbb{R}^n$

○ Attention의 확률 분포.  
n 차원!

# Attention Model (Equation)



$$h_1, \dots, h_n \in \mathbb{R}^h$$

$$s_t \in \mathbb{R}^h$$

$$e^t = [s_t^T h_1, \dots, s_t^T h_n] \in \mathbb{R}^n$$

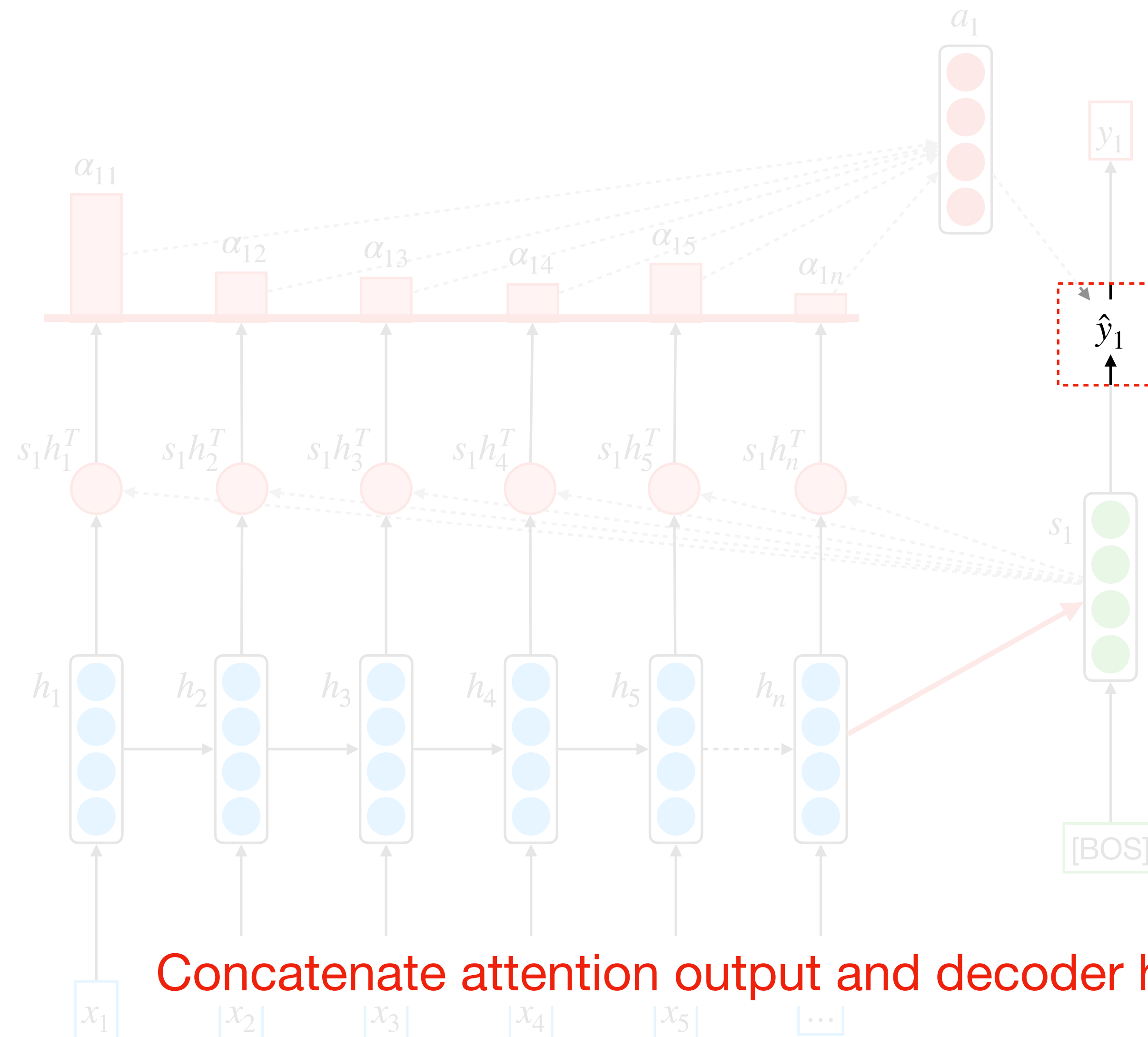
$$\alpha^t = \text{softmax}(e^t) \in \mathbb{R}^n$$

Weighted sum of encoder hidden state:

$$\star \textcircled{a_t} = \sum_{i=1}^n \alpha_i^t h_i \in \mathbb{R}^h$$

$$(1, n) \otimes (h, h) \\ = (1, h) //$$

# Attention Model (Equation)



Concatenate attention output and decoder hidden state:  $[a_t; s_t] \in \mathbb{R}^{2h}$

$$h_1, \dots, h_n \in \mathbb{R}^h$$

$$s_t \in \mathbb{R}^h$$

$$e^t = [s_t^T h_1, \dots, s_t^T h_n] \in \mathbb{R}^n$$

$$\alpha^t = \text{softmax}(e^t) \in \mathbb{R}^n$$

$$a_t = \sum_{i=1}^n \alpha_i^t h_i \in \mathbb{R}^h$$

$\hat{y}_1 = a_1$   
 $h_1, \dots, h_n \in \mathbb{R}^h$



# Attention Model (Equation)

Encoder hidden state:  $h_1, \dots, h_n \in \mathbb{R}^h$

Decoder hidden state on timestamp  $t$ :  $s_t \in \mathbb{R}^h$

Attention score:  $e^t = [s_t^T h_1, \dots, s_t^T h_n] \in \mathbb{R}^n$

Attention probability distribution:  $\alpha^t = \text{softmax}(e^t) \in \mathbb{R}^n$

Weighted sum of encoder hidden state:  $a_t = \sum_{i=1}^n \alpha_i^t h_i \in \mathbb{R}^h$

Concatenate attention output and decoder hidden state:  $[a_t; s_t] \in \mathbb{R}^{2h}$

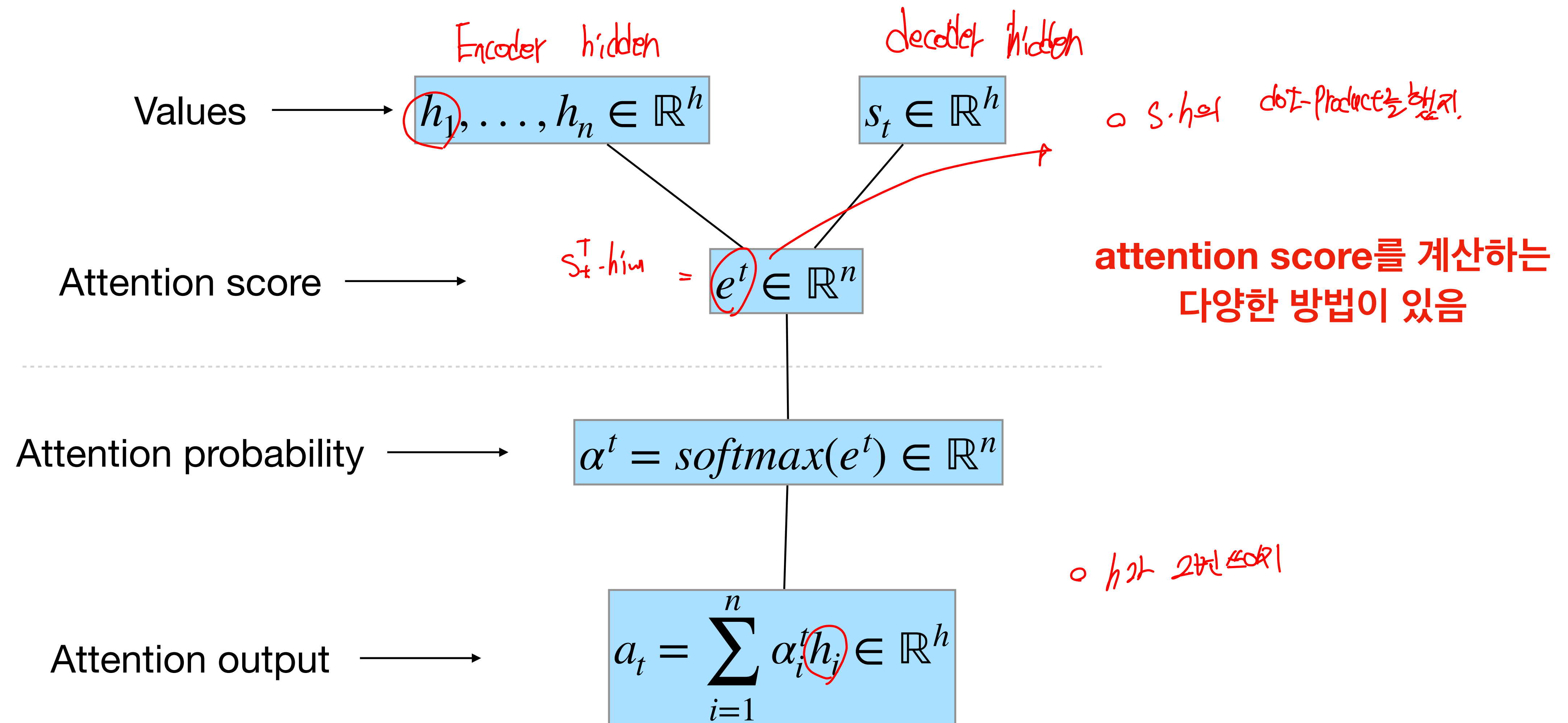
# Attention Model (Advantage)

- Attention을 이용해 NMT의 성능이 많이 좋아짐 → 가중치를 준다.
- Decoder가 source의 특정 부분에 집중하도록 한 것이 매우 효과적임
- Information bottleneck 문제를 해결 함
  - Decoder가 source에 직접 접근하도록 함
- Vanishing gradient 문제를 해결 함
  - 거리가 먼 source의 정보를 접근 할 수 있음
- Attention이 alignment를 학습함

feature maps를 보고는 해석이 어려웠지만  
attention maps도 보고 해석이 가능해짐.

	Education	is	most	powerful	weapon
교육은					
가장					
강력한					
무기					
입니다					

# Attention Model (Variants)



# Attention Model (Variants)

bi-lstm  $\Rightarrow$  unit =  $\frac{d - \text{model}}{2}$  해  
out을 맞춰주는 거고.

$$e_t = [e_{t1}, \dots, e_{tn}] \in \mathbb{R}^n$$

- Dot-product attention

- $e_i^t = s_t^T \underbrace{h_i}_{\text{내적}} \in \mathbb{R}$

- Multiplicative attention

- $e_i^t = \boxed{s_t^T} \boxed{W h_i} \in \mathbb{R}$

weight shape이 다르면

- where  $W \in \mathbb{R}^{d_s \times d_h}$

공해해서 다 맞추고!

- Additive attention

- $e_i^t = v^T \tanh(W_h h_i + W_s s_t) \in \mathbb{R}$

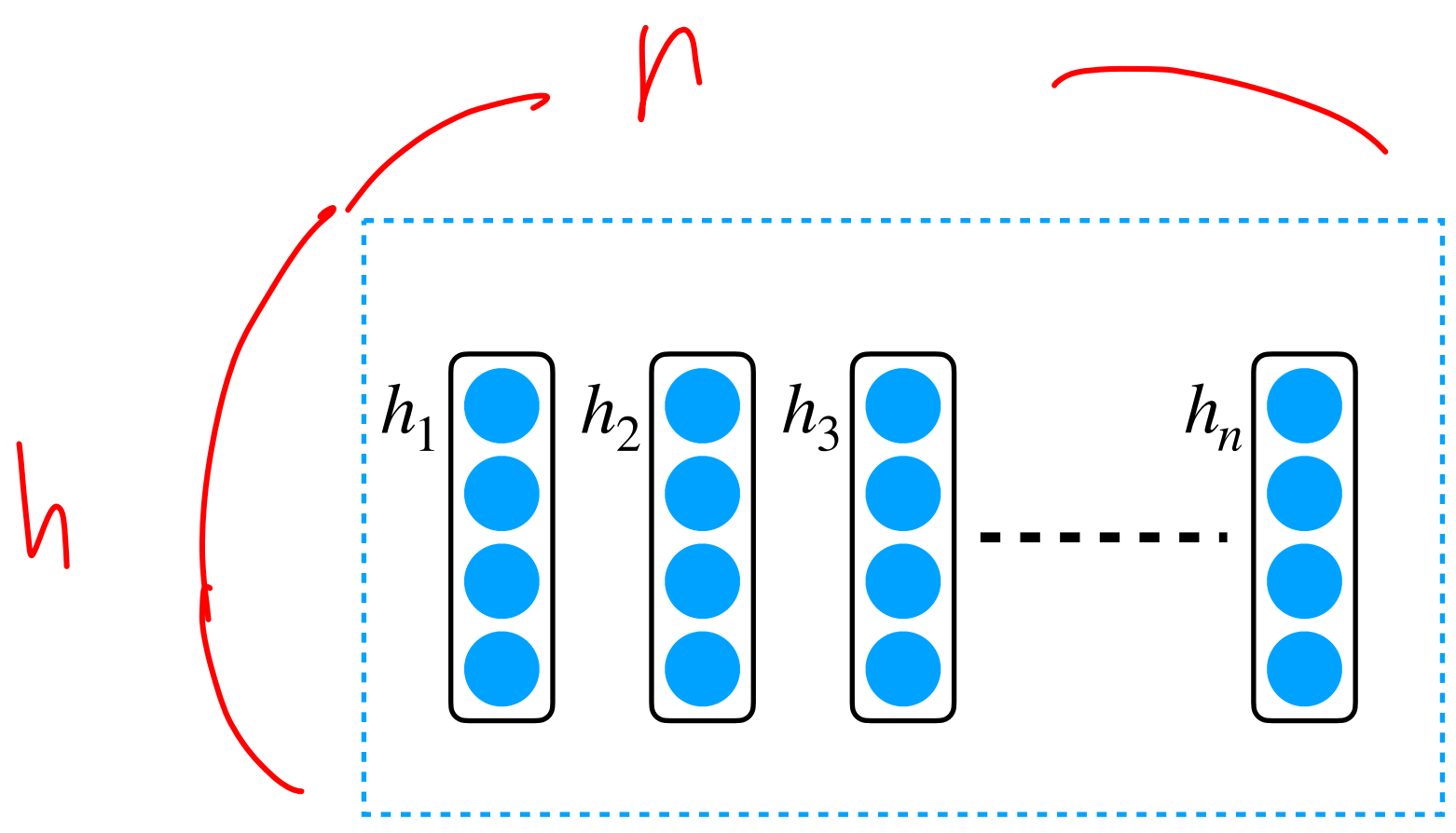
- where  $W_h \in \mathbb{R}^{d_v \times d_h}, W_s \in \mathbb{R}^{d_v \times d_s}, v \in \mathbb{R}^{d_v}$

# Attention Tutorial

# Attention Tutorial (inputs)

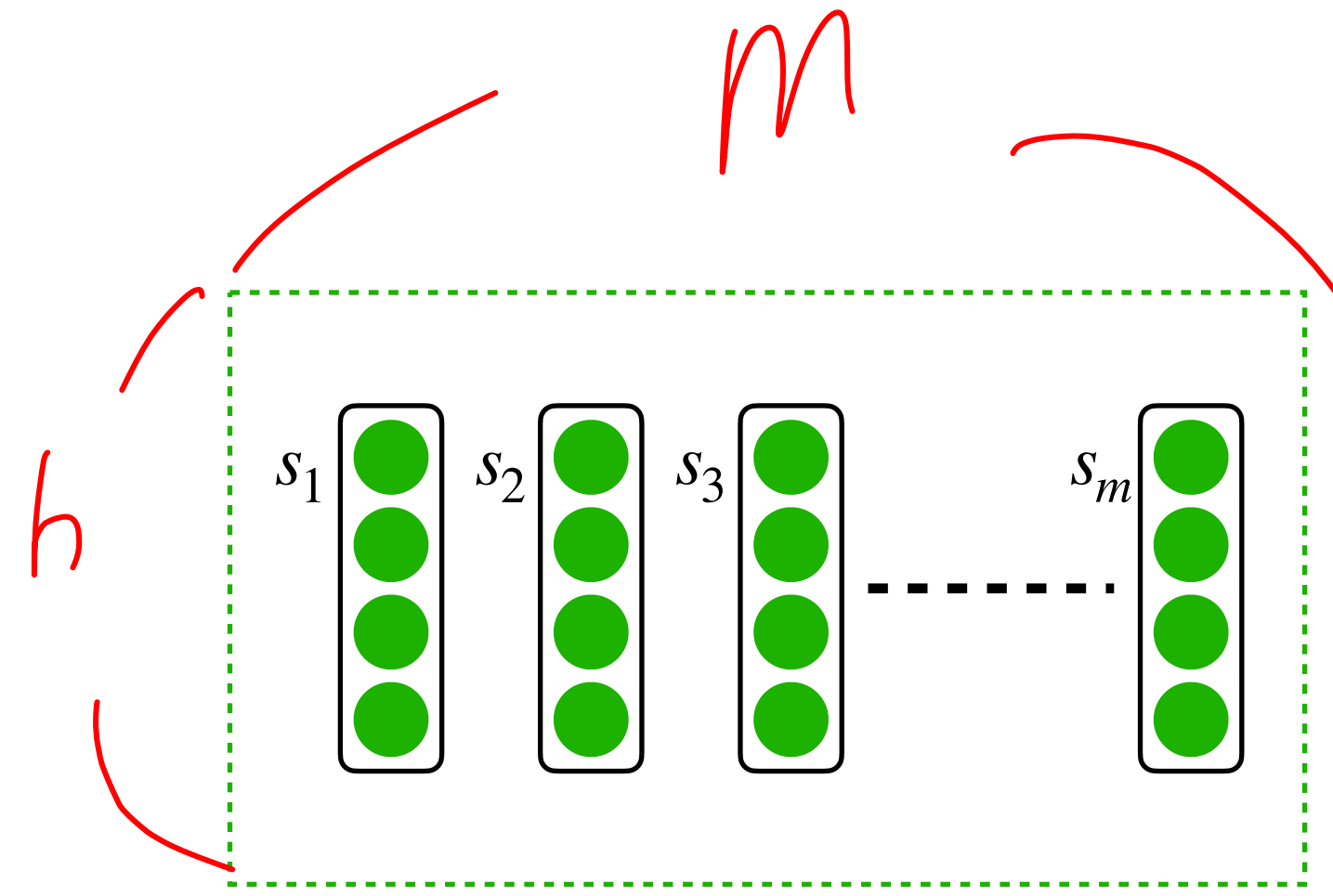
$h, m$   $n, h$

$h \times n$   $h, m$   
 $(n \times h) \times (h, m)$   
 $= (n, m)$



Encoder hidden state:  $h \in \mathbb{R}^{h \times n}$

$(h \times n)$



Decoder hidden state:  $s \in \mathbb{R}^{h \times m}$

$(h \times m)$

$(h \times m) \times (n \times h)$

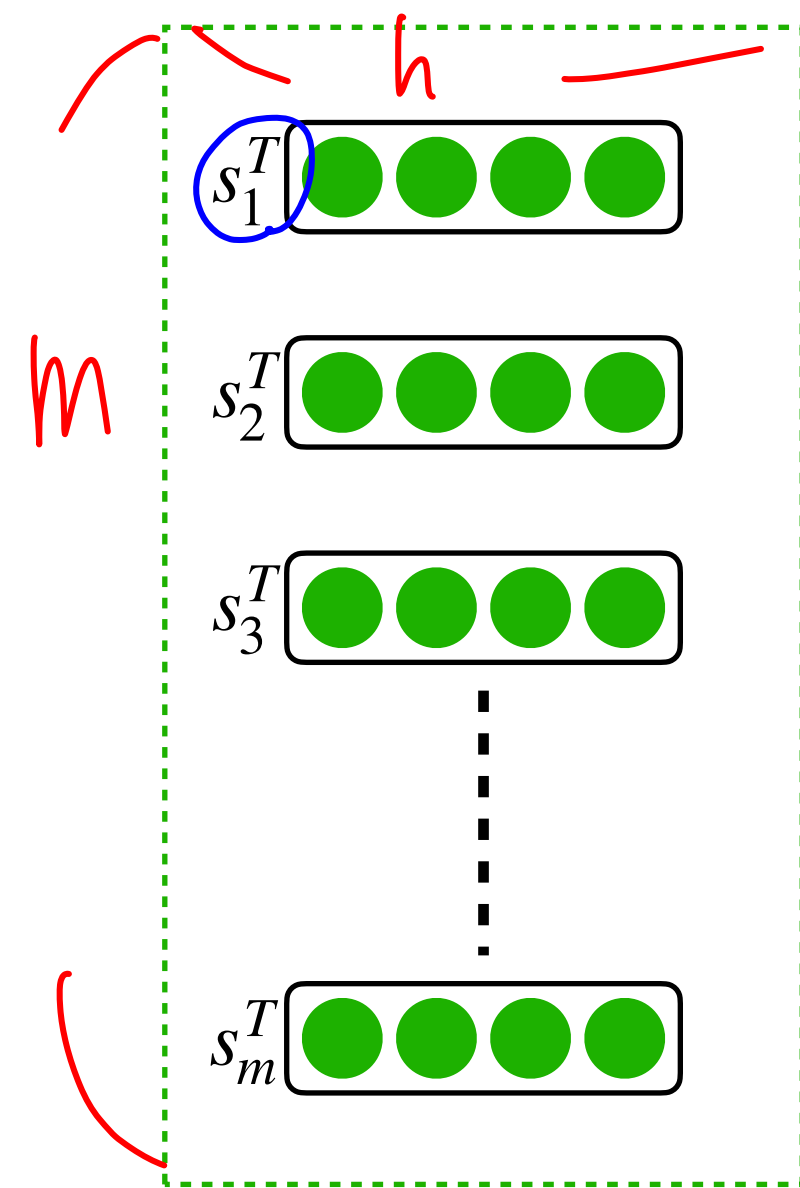
# Attention Tutorial (score)

$h^T = \text{enc-hidden}$   
 $s^T = \text{dec-hidden}$

행렬 곱셈 score를 얻기 위해서!

decoder - hidden

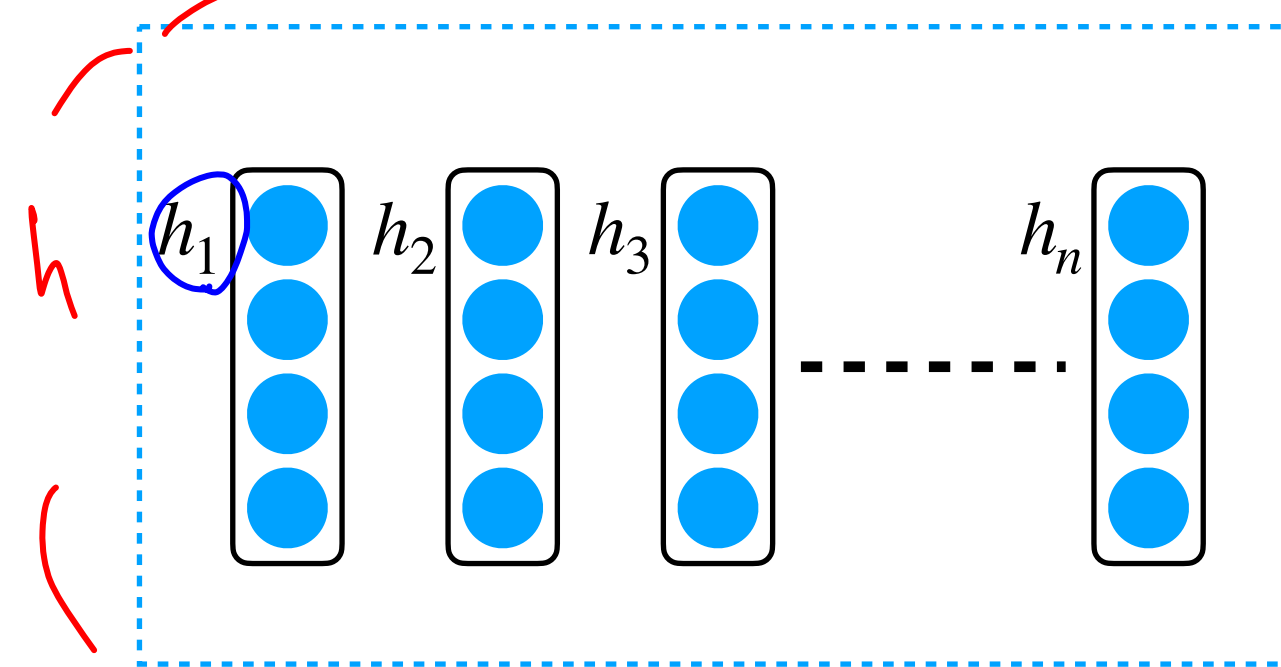
$s^T$



Decoder hidden state:  $s^T \in \mathbb{R}^{m \times h}$

$$e = s^T h \in \mathbb{R}^{m \times n}$$

encoder - hidden  $h$



Encoder hidden state:  $h \in \mathbb{R}^{h \times n}$

$\times$

$=$

$(m \times h) \times (h \times n)$   
 $= (m \times n)$

의 score를

	$h_1$	$h_2$	$h_3$	...	$h_n$
$s_1^T$	$s_1^T h_1$	$s_1^T h_2$	$s_1^T h_3$	...	$s_1^T h_n$
$s_2^T$	$s_2^T h_1$	$s_2^T h_2$	$s_2^T h_3$	...	$s_2^T h_n$
$s_3^T$	$s_3^T h_1$	$s_3^T h_2$	$s_3^T h_3$	...	$s_3^T h_n$
...	...	...	...	...	...
$s_m^T$	$s_m^T h_1$	$s_m^T h_2$	$s_m^T h_3$	...	$s_m^T h_n$

$s_1 \cdot h_n = 1$  score

Attention score:  $e \in \mathbb{R}^{m \times n}$

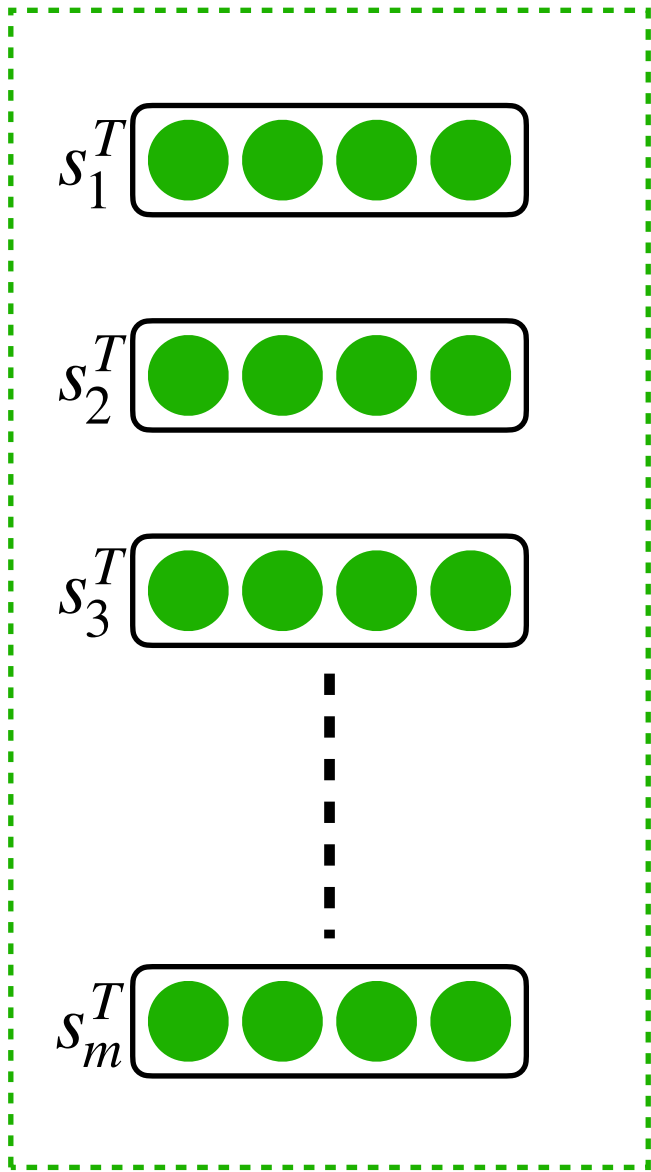
$$\begin{pmatrix} a & b \\ c & d \end{pmatrix} \begin{pmatrix} e & f \\ g & h \end{pmatrix} = \begin{pmatrix} ae+bg & af+bd \\ ce+dg & cf+dh \end{pmatrix}$$

$$e_j^i = s_i^T h_j \in \mathbb{R}$$

# Attention Tutorial (score)

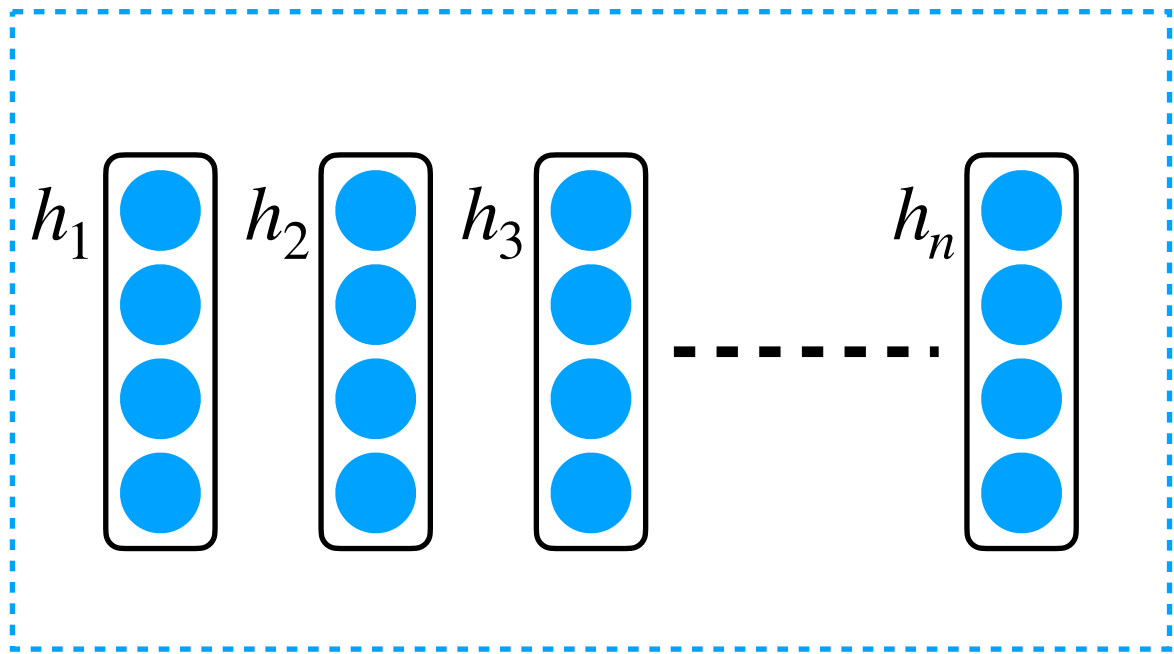
그림예시 (논문예시) (행벡터)   
 실제 코드 (열벡터)   
 numpy . tf.

$$e = s^T h \in \mathbb{R}^{m \times n}$$



Decoder hidden state:  $s^T \in \mathbb{R}^{m \times h}$

×



Encoder hidden state:  $h \in \mathbb{R}^{h \times n}$

=

	$h_1$	$h_2$	$h_3$	...	$h_n$
$s_1^T$	$s_1^T h_1$	$s_1^T h_2$	$s_1^T h_3$	...	$s_1^T h_n$
$s_2^T$	$s_2^T h_1$	$s_2^T h_2$	$s_2^T h_3$	...	$s_2^T h_n$
$s_3^T$	$s_3^T h_1$	$s_3^T h_2$	$s_3^T h_3$	...	$s_3^T h_n$
...	...	...	...	...	...
$s_m^T$	$s_m^T h_1$	$s_m^T h_2$	$s_m^T h_3$	...	$s_m^T h_n$

Attention score:  $e \in \mathbb{R}^{m \times n}$

$$e_j^i = s_i^T h_j \in \mathbb{R}$$



# Attention Tutorial (prob)

$$\alpha = softmax(e) \in \mathbb{R}^{m \times n}$$

$softmax($ 

	$h_1$	$h_2$	$h_3$	...	$h_n$
$s_1^T$	$s_1^T h_1$	$s_1^T h_2$	$s_1^T h_3$	...	$s_1^T h_n$
$s_2^T$	$s_2^T h_1$	$s_2^T h_2$	$s_2^T h_3$	...	$s_2^T h_n$
$s_3^T$	$s_3^T h_1$	$s_3^T h_2$	$s_3^T h_3$	...	$s_3^T h_n$
...	...	...	...	...	...
$s_m^T$	$s_m^T h_1$	$s_m^T h_2$	$s_m^T h_3$	...	$s_m^T h_n$

 $)$

$s_1$ 에 대한 확률 분포

$s_2$ 에 대한 확률 분포

$=$ 

	$h_1$	$h_2$	$h_3$	...	$h_n$
$s_1^T$	$\alpha_1^1$	$\alpha_2^1$	$\alpha_3^1$	...	$\alpha_n^1$
$s_2^T$	$\alpha_1^2$	$\alpha_2^2$	$\alpha_3^2$	...	$\alpha_n^2$
$s_3^T$	$\alpha_1^3$	$\alpha_2^3$	$\alpha_3^3$	...	$\alpha_n^3$
...	...	...	...	...	...
$s_m^T$	$\alpha_1^m$	$\alpha_2^m$	$\alpha_3^m$	...	$\alpha_n^m$

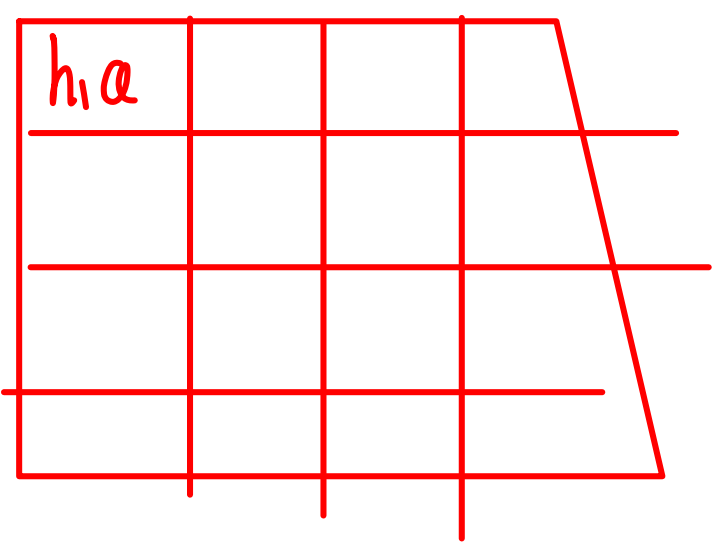
Attention score:  $e \in \mathbb{R}^{m \times n}$

행 단위 softmax

Attention prob:  $\alpha \in \mathbb{R}^{m \times n}$

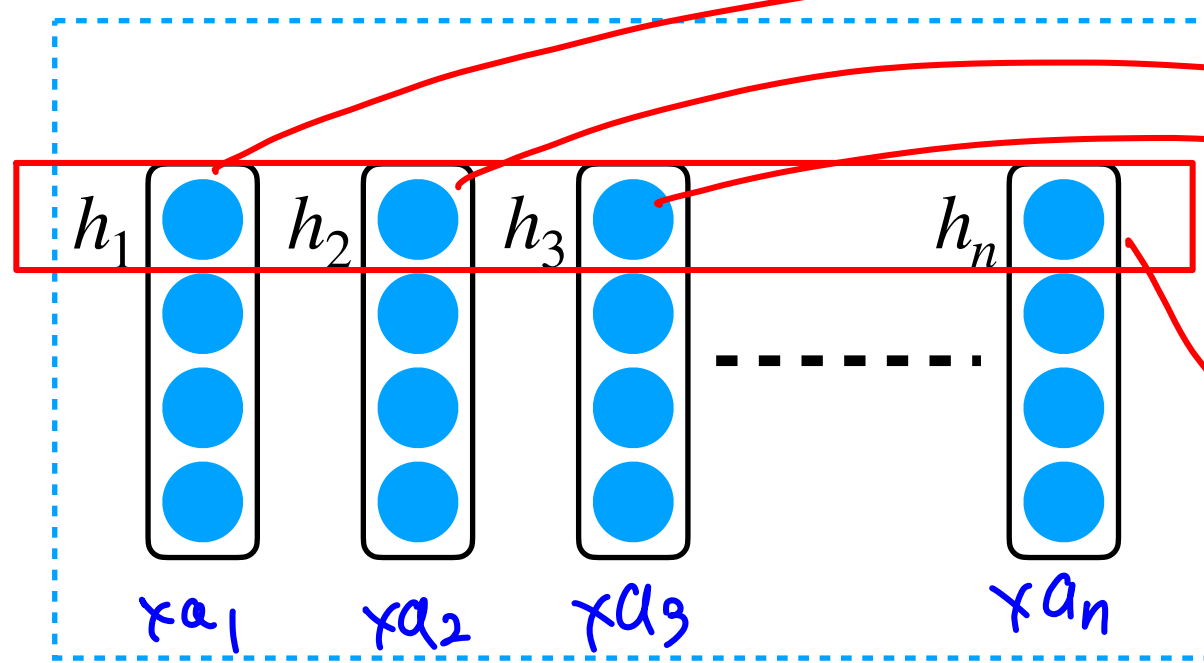
$$(A \cdot B)^T = B^T \cdot A^T$$

# Attention Tutorial (output)



$$a = h\alpha^T \in \mathbb{R}^{h \times m}$$

$$\alpha^T = \alpha \cdot h^T$$

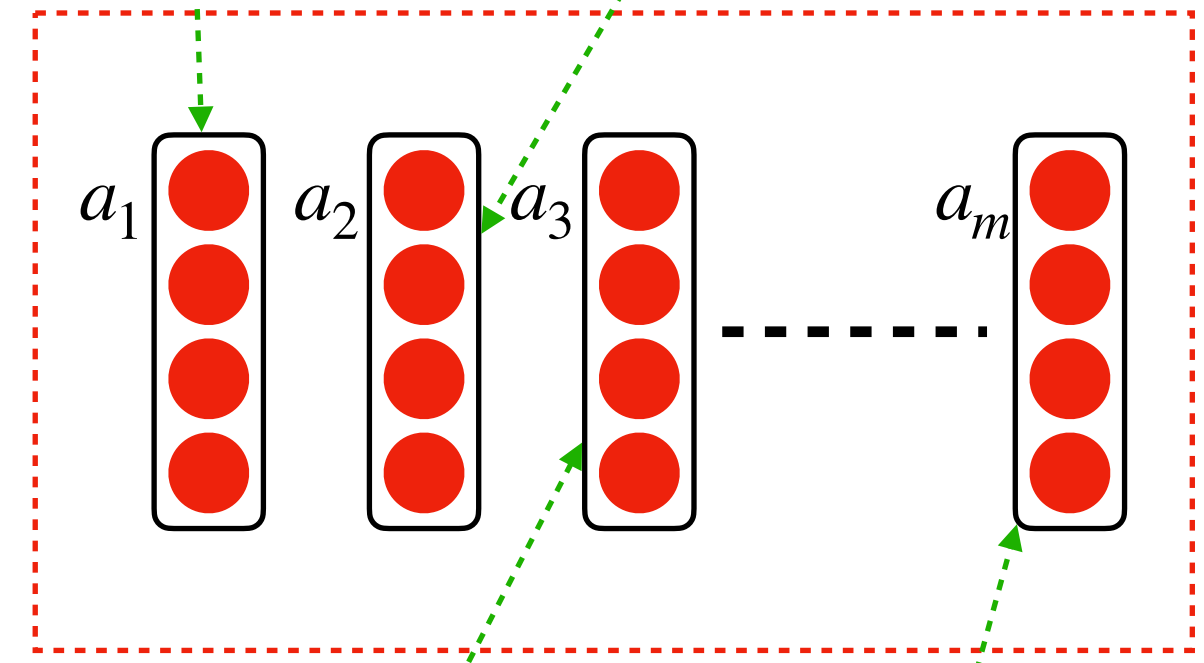


	$s_1$	$s_2$	$s_3$	...	$s_m$
$h_1^T$	$\alpha_1^1$	$\alpha_1^2$	$\alpha_1^3$	...	$\alpha_1^m$
$h_2^T$	$\alpha_2^1$	$\alpha_2^2$	$\alpha_2^3$	...	$\alpha_2^m$
$h_3^T$	$\alpha_3^1$	$\alpha_3^2$	$\alpha_3^3$	...	$\alpha_3^m$
...	...	...	...	...	...
$h_n^T$	$\alpha_n^1$	$\alpha_n^2$	$\alpha_n^3$	...	$\alpha_n^m$

$$\alpha_1^1 h_1 + \alpha_2^1 h_2 + \alpha_3^1 h_3 + \dots + \alpha_n^1 h_n$$

$$\alpha_1^2 h_1 + \alpha_2^2 h_2 + \alpha_3^2 h_3 + \dots + \alpha_n^2 h_n$$

=



Attention output:  $a \in \mathbb{R}^{h \times m}$

$$\alpha_1^m h_1 + \alpha_2^m h_2 + \alpha_3^m h_3 + \dots + \alpha_n^m h_n$$

$$\alpha_1^3 h_1 + \alpha_2^3 h_2 + \alpha_3^3 h_3 + \dots + \alpha_n^3 h_n$$

Encoder hidden state:  $h \in \mathbb{R}^{h \times n}$

Attention prob:  $\alpha^T \in \mathbb{R}^{n \times m}$

scalar

$$\underbrace{0.6}_{a_1} \begin{bmatrix} h_1 \end{bmatrix} + \underbrace{0.1}_{a_2} \begin{bmatrix} h_2 \end{bmatrix} + \underbrace{0.01}_{a_3} \begin{bmatrix} h_3 \end{bmatrix} + \dots + \underbrace{0.01}_{a_n} \begin{bmatrix} h_n \end{bmatrix}$$

$(h \times n)$

$= (h \times m)$

$\Rightarrow$  Transpose of  $\alpha$

$(n \times m)$

○ attention은 weight를 높일게 아티라. 계산량을 늘린거지 //

○ 지평선 부동 블록들.. count가변

extraction // → square //

새생성제  
○ 3x2 // →

감사합니다.