# 半导体物理

期末复习大纲

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$$D = \frac{kT}{q}\mu$$

$$\begin{cases} J_{n \text{ if }} = q D_n \frac{dn}{dx} \\ J_{n \text{ if }} = q n \mu_n E \end{cases} \qquad J_n = n \mu_n \frac{dE_F}{dx} \\ J_{p \text{ if }} = -q D_p \frac{dp}{dx} \\ J_{p \text{ if }} = q p \mu_p E \end{cases}$$

pn结

$$V_D = \frac{kT}{q} \ln \left( \frac{N_A N_D}{n_i^2} \right)$$

$$n(x) = n_{p0} \exp \left[ \frac{qV(x)}{kT} \right]$$

$$p(x) = p_{p0} \exp \left[ -\frac{qV(x)}{kT} \right]$$

#### 突变结耗尽近似

$$d = \left(\frac{2\varepsilon_0 \varepsilon_r}{q} \frac{(V_D - V)}{N}\right)^{1/2}$$

## pn结

$$\Delta n(x) = \Delta n(-x_p) \exp\left(\frac{x + x_p}{L_n}\right) \leftarrow \Delta n(-x_p) = n_{p0} \left[\exp\left(\frac{qV}{kT}\right) - 1\right]$$

$$\Delta p(x) = \Delta p(x_n) \exp\left(-\frac{x - x_n}{L_p}\right) - \Delta p(x_n) = p_{n0} \left[\exp\left(\frac{qV}{kT}\right) - 1\right]$$

$$J_{s} = \left(\frac{qD_{p}n_{i}^{2}}{L_{p}N_{D}} + \frac{qD_{n}n_{i}^{2}}{L_{n}N_{A}}\right) \quad p_{n0} = \frac{n_{i}^{2}}{N_{D}} \quad n_{p0} = \frac{n_{i}^{2}}{N_{A}} \longrightarrow J = J_{s} \left[\exp\left(\frac{qV}{kT}\right) - 1\right]$$

$$q \phi_{ns} = W_m - \chi$$

$$d = \left[ \frac{2\varepsilon_0 \varepsilon_r}{q N_D} (V_D - V) \right]^{\frac{1}{2}}$$

#### 金半接触

$$J(V) = J_{s \to m}(V) + J_{m \to s}(0)$$
  
=  $A^*T^2 \exp(-q\phi_{ns}/kT) \left[\exp(qV/kT) - 1\right]$ 

$$V_{s} = -\frac{E_{is} - E_{ib}}{q}$$

## $V_s = -\frac{E_{is} - E_{ib}}{2}$ 半导体表面与MIS结构

$$E(x) = \pm \frac{2kT}{qL_D} F\left(\frac{qV(x)}{kT}, \frac{n_{p0}}{p_{p0}}\right) \leftarrow L_D = \left(\frac{2\varepsilon_s kT}{q^2 p_{p0}}\right)^{1/2}$$

$$F\left(\frac{qV}{kT}, \frac{n_{p0}}{p_{p0}}\right) = \left\{ \left[ \exp\left(-\frac{qV}{kT}\right) + \frac{qV}{kT} - 1 \right] + \frac{n_{p0}}{p_{p0}} \left[ \exp\left(\frac{qV}{kT}\right) - \frac{qV}{kT} - 1 \right] \right\}^{1/2}$$

$$C_{FB} = \lim_{V_s \to 0} \frac{dQ_s}{dV_s} = \frac{\sqrt{2}\varepsilon_s}{L_D} \left( 1 + \frac{n_{p0}}{p_{p0}} \right)^{1/2} \approx \frac{\sqrt{2}\varepsilon_s}{L_D}$$

$$d_{\text{max}} = \left(\frac{2\varepsilon_s}{q} \frac{2V_B}{N_A}\right)^{1/2}$$

$$\frac{1}{C} = \frac{dV_G}{dQ} = \left| \frac{dV_{ox}}{dQ_m} \right| + \left| \frac{dV_s}{dQ_s} \right| = \frac{1}{C_{ox}} + \frac{1}{C_s}$$

$$C_{FB} = C_{ox} / 1 + \frac{\varepsilon_{ox}}{d_{ox}} \left( \frac{kT}{q^2 N_A \varepsilon_s} \right)^{\frac{1}{2}}$$

$$\frac{C'_{\min}}{C_{ox}} = \frac{1}{1 + \frac{\varepsilon_{ox}}{\varepsilon_{s}}} \left[ \frac{4\varepsilon_{s}kT}{q^{2}N_{A}} \ln\left(\frac{N_{A}}{n_{i}}\right) \right]^{1/2}} d_{ox}$$

$$V_{FB} = -V_{ms} - \frac{Q_f}{C_{ox}} - \frac{1}{C_{ox}} \int_0^{d_{ox}} \frac{x}{d_{ox}} \rho(x) dx$$

## 半导体表面与 MIS结构

#### 重要基础知识

$$\frac{d^2V(x)}{dx^2} = -\frac{\rho(x)}{\varepsilon_0 \varepsilon_r}$$

$$\iint_{S} \vec{E} \cdot d\vec{s} = \frac{Q}{\varepsilon_{0} \varepsilon_{r}}$$

$$V = -\int E(x)dx$$

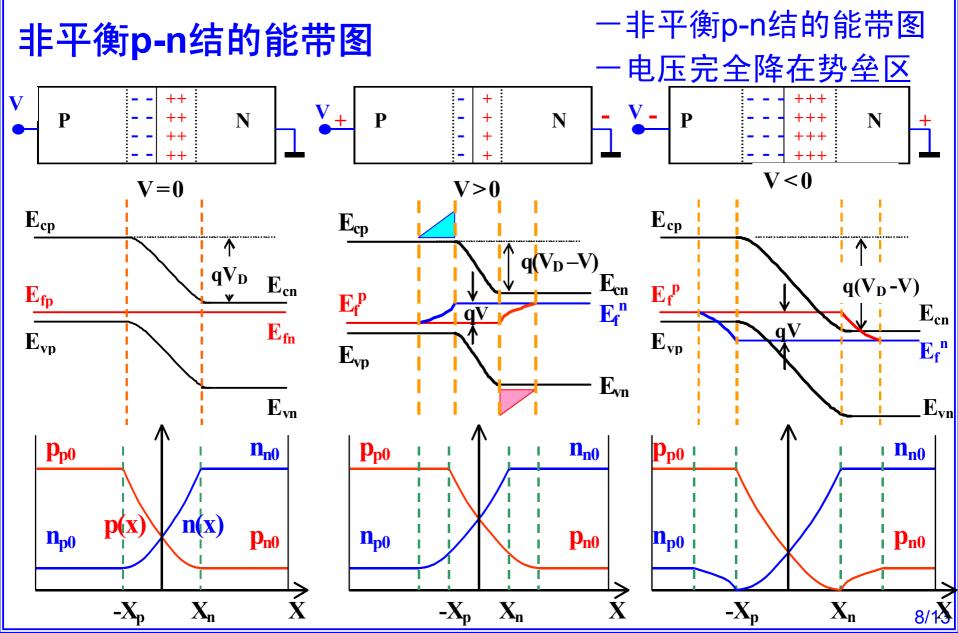
$$\rho(x) = q\left(N_D^+ - N_A^- + p - n\right)$$

$$C = \frac{\mathcal{E}_0 \mathcal{E}_r}{d}$$

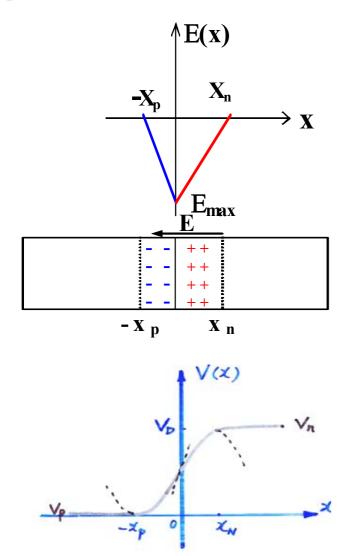
玻尔兹曼统计

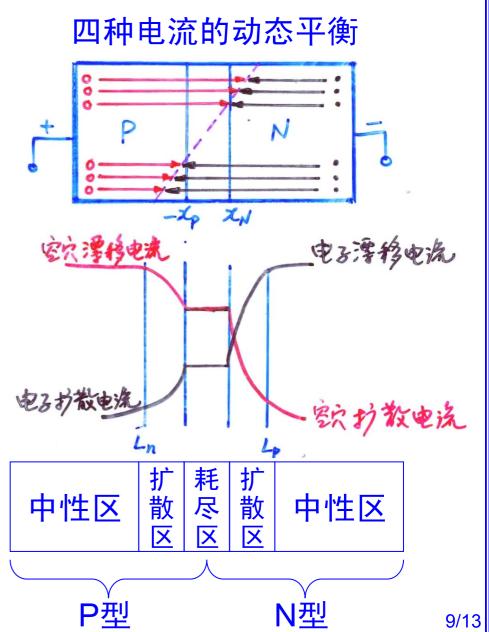
耗尽近似

$$R_{H} = \frac{A (p - nb^{2})}{q (p + nb)^{2}} \leftarrow \left(\frac{\mu_{H}}{\mu}\right)_{n} = \left(\frac{\mu_{H}}{\mu}\right)_{p} = \frac{\mu_{H}}{\mu} = A$$

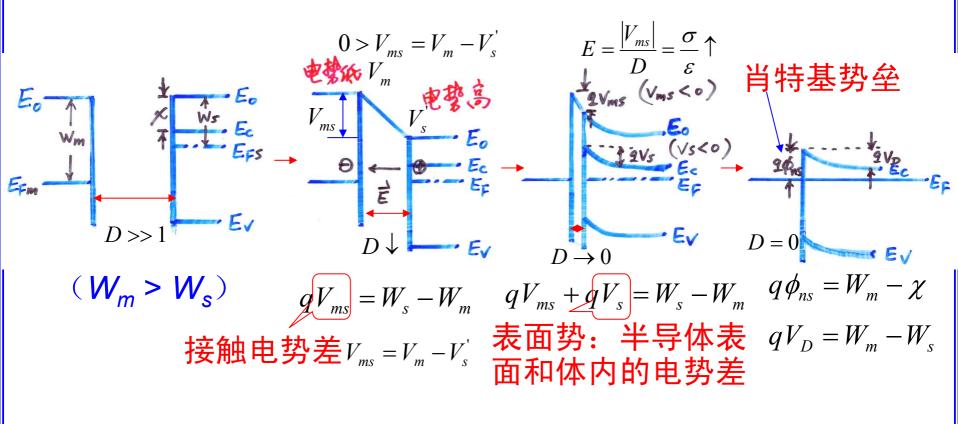


#### p-n结中的电场和电势分布

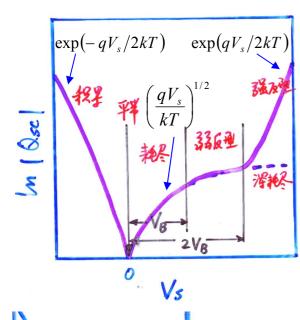




#### 金半接触电势差和肖特基势垒的形成



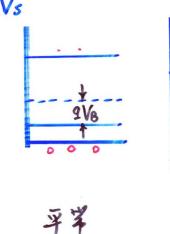
#### 半导体表面层的五种基本状态



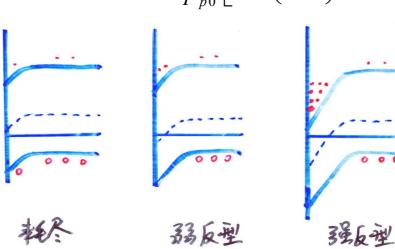
松星

V5<0

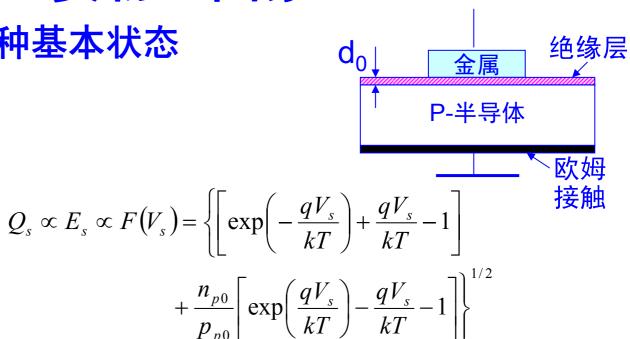




V5=0

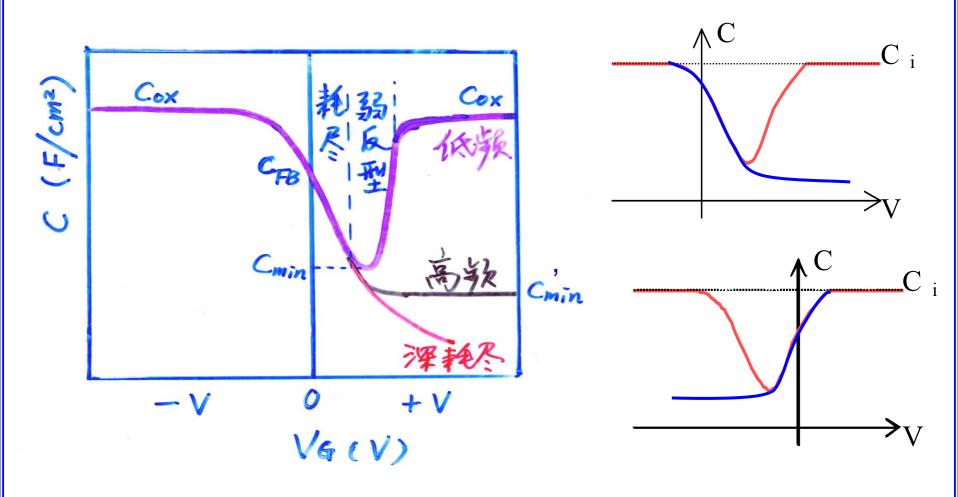


 $V_S \in (0, V_B) \quad V_S \in (V_B, 2V_B)$ 

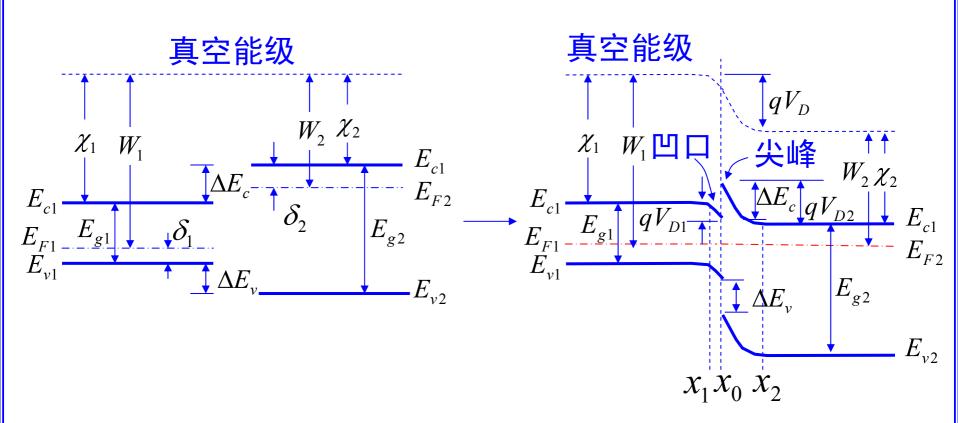


Vs > 2 VB

#### MIS电容的C一V特性



#### 异质结的能带图



## 复习提示

- 讲义、视频必看
- 书本、作业通读有帮助
- 基本常数、核心公式、重要物理图像要记牢
- 各个概念、基础物理常识要熟悉
- 该理解的要自己推导一遍,理顺思路
- 上课只讲n(p)型Si的内容,最好自己推导 对应的p(n)型Si的内容。
- 复习大纲只是重点提示,考试内容则覆盖全部授课内容。