

$$\underline{Y} = \begin{pmatrix} Y - Y \\ -Y \end{pmatrix} \Rightarrow \underline{Y} = \begin{pmatrix} \overline{y} & \overline{j} & \overline{w} \\ -\overline{j} & \overline{w} \end{pmatrix}$$

$$\frac{1}{2} = \frac{1}{N} \begin{pmatrix} Y_{1}(Y_{2}+Y_{3}) & -Y_{1}Y_{2} \\ -Y_{1}Y_{2} & Y_{2}(Y_{1}+Y_{3}) \end{pmatrix}$$

$$\frac{1}{N} = \frac{1}{N} \begin{pmatrix} Y_{1}(Y_{2}+Y_{3}) & -Y_{1}Y_{2} \\ -Y_{1}Y_{2} & Y_{2}(Y_{1}+Y_{3}) \end{pmatrix}$$

$$N = Y_{1} + Y_{2} + Y_{3}$$

$$Y_{11} = \frac{1}{R_1} \left(\frac{1}{R_2} + jwc \right), \quad Y_{12} = Y_{21} = -\frac{1}{R_1 R_2}, \quad Y_{22} = \frac{1}{R_2} \left(\frac{1}{R_1} + jwc \right)$$

$$\sum_{n=1}^{\infty} = \begin{pmatrix} \overline{R_{1}}(\overline{R_{2}} + j\omega C) & -\overline{R_{1}}R_{2} \\ -\overline{R_{1}}R_{2} & \overline{R_{2}}(\overline{R_{1}} + j\omega C) \end{pmatrix} \frac{1}{\overline{R_{1}} + \overline{R_{2}} + j\omega C}$$

$$-\frac{1}{R_{1}R_{2}} \overline{R_{2}}(\overline{R_{1}} + j\omega C) = \frac{1}{R_{1}R_{2}} \overline{R_{2}}(\overline{R_{1}} + j\omega C)$$

$$\frac{1}{2} = \underbrace{1}_{1} + \underbrace{1}_{2} = \left(\frac{1}{jwL} + \frac{R_{1}}{R_{1}} + \frac{R_{2}}{R_{2}} + \frac{1}{jwC} \right) - \frac{1}{jwL} - \frac{R_{1}R_{2}}{R_{1}} + \frac{R_{1}R_{2}}{R_{1}} + \frac{R_{2}R_{2}}{R_{1}} + \frac{R_{2}R_{2}}{R_{2}} + \frac{R_{2}R_{2}}{R_{1}} + \frac{R_{2}R_{2}}{R_{2}} + \frac{R_{2}R_{2}}{R_{1}} + \frac{R_{2}R_{2}}{R_{2}} + \frac$$

mit gestevert

安生 草木町年, 高宝村沿

$$\left| \begin{array}{l} I_1 = I_{GO} + I_{GS} \\ I_{GO} = g_m V_{GS} + v_{GS} I_{ro} + I_{OS} - I_1 \end{array} \right| = \left| \begin{array}{l} I_1 = I_{GO} + I_{GS} \\ I_2 = g_m V_{GS} + I_{ro} + I_{OS} - I_2 \end{array} \right|$$

$$\left| \begin{array}{l} I_3 = I_{GO} + I_{GS} \\ I_4 = g_m V_{GS} + I_{ro} + I_{OS} - I_{GO} \end{array} \right|$$

Krota pota tial verfolm. 3474

$$Y_{11} = jwCas + jwCap$$

$$Y_{22} = jwCap + jvTjwCop$$

$$Y_{22} = jwCap + jvTjwCop$$

$$I_1 = I_1$$

$$I_2 = I_2 - gmV_{as}$$

$$Y_{12} = Jw CaD = Y_{21}$$
I negotive

$$\left(\int w C_{as} + \int w C_{ao} \right) - \int w C_{ao} \\
- \int w C_{ao} + \int w C_{os} \right) \left(V_{k1} \right) = \left(I_1 \\
V_{k2} \right) = \left(I_2 - g_m V_{as} \right) \\
V_{as} = V_1 \\
V_{as} = V_1$$

$$\frac{1}{2} \left(\int_{0}^{\infty} Cas + \int_{0}^{\infty} Cao - \int_{0}^{\infty} Cao \right) \left(V_{1} \right) = \left(\overline{I}_{1} \right) \\
g_{m} - \int_{0}^{\infty} Cao - \int_{0}^{\infty} Cao + \int_{0}^{\infty} + \int_{0}^{\infty} Coo \right) \left(V_{2} \right) = \left(\overline{I}_{2} \right) \\$$

$$= \frac{\left| \frac{1}{L} - jwCa0 \right|}{\left| \frac{1}{L} - jwCa0 \right|} = \frac{\left| \frac{jwCas + jwCa0}{gm - jwCa0} \right|}{\left| \frac{gm - jwCa0}{det Y} \right|}$$

$$= \frac{\left| V_1 \right|}{\left| \frac{1}{L} - jwCa0 \right|} = \frac{\left| \frac{jwCas + jwCa0}{gm - jwCa0} \right|}{\left| \frac{1}{L} \right|} = \frac{\left| \frac{jwCas + jwCa0}{gm - jwCa0} \right|}{\left| \frac{1}{L} \right|}$$

$$|V_{k1}| = |V_{as}| = |V_1|$$

$$|V_{k2}| = |V_{bs}| = |V_2|$$

$$|V_{as}| = |V_1|$$

治入己

$$Z_{II} = \frac{V_{I}}{I_{I}} \Big|_{I_{1}=0} = \frac{\left| I_{I} - jw C_{40} \right|}{I_{I} det Y}$$

$$Z_{12} = \frac{V_1}{T_2} \Big|_{T_1 = 0} = Z_{21}$$

$$Z_{22} = \frac{V_2}{I_2} \Big|_{T_1 = 0} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|g_{m} - j_{u}(a0)|_{I_{21}}} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|I_{u}(a0)|_{I_{u}(a0)}} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|I_{u}(a0)|_{I_{u}(a0)}} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|I_{u}(a0)|_{I_{u}(a0)}} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|I_{u}(a0)|_{I_{u}(a0)}} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|I_{u}(a0)|_{J_{u}(a0)}} = \frac{|J_{u}(as)|_{J_{u}(a0)}}{|J_{u}(a0)|_{J_{u}(a0)}} = \frac{|J_{u}(as$$