## 第八章 p-n结

- 8.1 平衡p-n结特性
- 8.2 p-n结电流电压特性
- 8.3 p-n结电容
- 8.4 p-n结的击穿
- 8.5 p-n结隧道效应

# 8.3 p-n结电容<sub>1</sub>

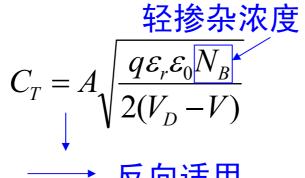
### 8.3.1 势垒电容

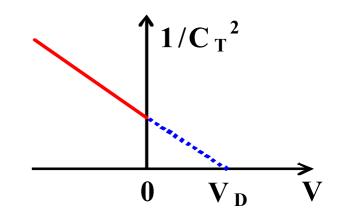
 $C_{T} = A \sqrt{\frac{q\varepsilon_{r}\varepsilon_{0}N_{B}}{2(V_{D}-V)}} \quad \stackrel{\mathbf{突 y ff}}{\underbrace{\phantom{\mathcal{C}_{T} = \frac{dQ}{dV} = A}}} \left[ \frac{A\varepsilon_{0}\varepsilon_{r}}{X_{D}} = \left| C_{T} = \frac{dQ}{dV} = A \left[ \frac{\varepsilon_{0}\varepsilon_{r}q}{2(V_{D}-V)} \frac{N_{A}N_{D}}{N_{A}+N_{D}} \right]^{1/2} \right]$ N<sub>s</sub>: 轻掺杂浓度

### 8.3 p-n结电容<sub>2</sub>

#### 8.3.1 势垒电容

一突变结





一突变结(正向偏压) 
$$C_T = \frac{dQ}{dV} = A \left[ \frac{\varepsilon_0 \varepsilon_r q}{2(V_D - V)} \frac{N_A N_D}{N_A + N_D} \right]^{1/2}$$

考虑势垒区中的载流子作用

$$C_T = 4C_T(0) = 4A\sqrt{\frac{\varepsilon_r \varepsilon_0 q N_A N_D}{2(N_A + N_D)V_D}}$$

# 8.3 p-n结电容<sup>3</sup>

 $-X_D/2$ 

一线性缓变结

$$|Q| = A \int_{0}^{X_{D}/2} \rho(x) dx = A \int_{0}^{X_{D}/2} q a_{j} x dx = A \frac{q a_{j} X_{D}^{2}}{8}$$

$$X_{D} = \left(\frac{12\varepsilon_{r}\varepsilon_{0}(V_{D} - V)}{qa_{j}}\right)^{1/3} Q = A\left(\frac{9qa_{j}\varepsilon_{r}^{2}\varepsilon_{0}^{2}}{32}\right)^{\frac{1}{3}} (V_{D} - V)^{2/3}$$

$$C_{T} = \frac{dQ}{dV} = A \left[ \frac{q \alpha_{j} \varepsilon_{0}^{2} \varepsilon_{r}^{2}}{12(V_{D} - V)} \right]^{1/3} = \frac{A \varepsilon_{0} \varepsilon_{r}}{X_{D}}$$

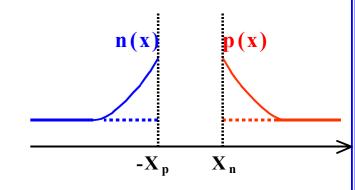
$$\frac{1/C_{T}^{3}}{0 \quad V_{D}} V$$

### 8.3 p-n结电容4

### 8.3.2 扩散电容 (正向偏压)

$$\sum \Delta p(x) = p_{n0} \left[ \exp \left( \frac{qV}{kT} \right) - 1 \right] \exp \left( -\frac{x - x_n}{L_p} \right)$$

$$Q_p = Ae \int_{x_n}^{\infty} \Delta p(x) dx = Aq L_p p_{n0} \left[ exp \left( \frac{qV}{kT} \right) - 1 \right]$$



$$C_{dp} = \frac{dQ_p}{dV} = A \frac{q^2 L_p p_{n0}}{kT} \exp\left(\frac{qV}{kT}\right)$$

$$C_{dn} = A \frac{q^2 L_n n_{p0}}{kT} \exp\left(\frac{qV}{kT}\right)$$

总扩散电容 
$$Q = Q_p + Q_n$$

$$\mathbf{P} \mathbf{X} \quad C_{dn} = A \frac{q^2 L_n n_{p0}}{kT} \exp\left(\frac{qV}{kT}\right) \qquad \frac{dQ}{dV} = \frac{dQ_p}{dV} + \frac{dQ_n}{dV} \quad C_d = C_{dp} + C_{dn}$$

$$C_d = \left[ Aq^2 \frac{\left( n_{p0} L_n + p_{n0} L_p \right)}{kT} \right] \exp\left( \frac{qV}{kT} \right)$$

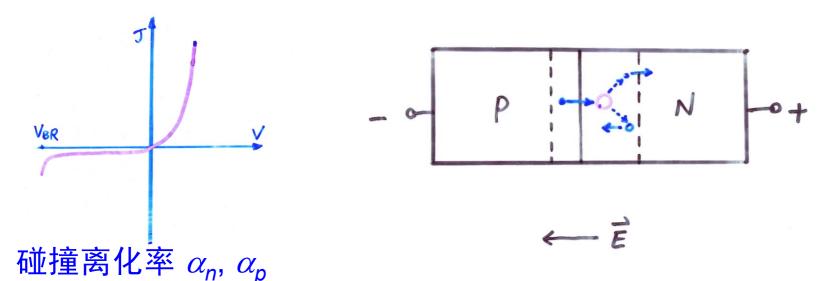
大的正向偏压下,扩散电容为主

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### 8.4 p-n结的击穿1

### 8.4.1 雪崩击穿



— 一个载流子漂移单位距离内产生的电子-空穴对的数目

$$\alpha(E) = \alpha_0 \exp\left[-\left(E_0/E\right)^m\right]$$

#### 雪崩击穿条件

$$N = \int_0^{x_D} \alpha_n dx = 1$$

#### 倍增因子M

$$M = \frac{J}{J_0} = \frac{1}{1 - \int_0^{x_D} \alpha_n dx} \to \infty$$

### 8.4 p-n结的击穿2

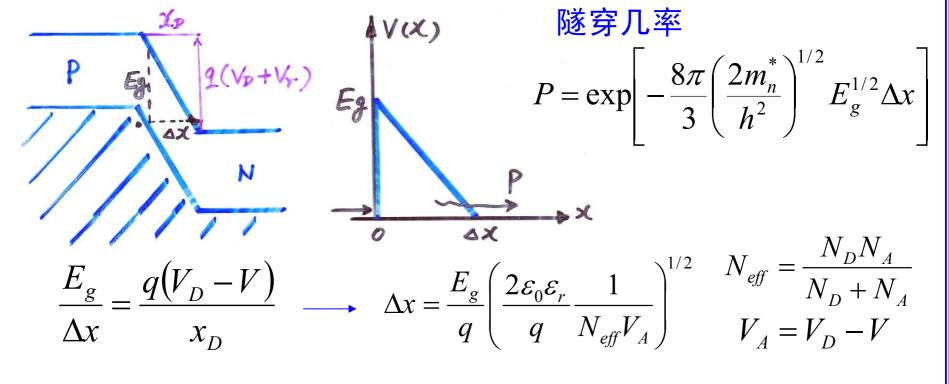
#### 8.4.1 雪崩击穿

估算Si p-n结中的击穿电压 ( $E_c = 2\sim5\times10^5$  V/cm)

 $X_D = \sqrt{\frac{2\varepsilon_r \varepsilon_0 (N_A + N_D)(V_D - V)}{qN_A N_D}}$  线性缓变结 突变结  $E(\mathbf{x}) \qquad X \qquad V_{BR} = \frac{1}{2} E_c \cdot X_D$   $X \qquad X_D = \left(\frac{2\varepsilon_0 \varepsilon_r}{q} \frac{V_{BR}}{N_B}\right)^{1/2}$  $E_{m} = E_{c}$   $\Longrightarrow V_{BR} = \frac{\mathcal{E}_{0}\mathcal{E}_{r}}{2a} \frac{E_{c}^{2}}{N_{R}}$  $V_{BR} = \left(\frac{32\varepsilon_0 \varepsilon_r E_c^3}{9\alpha \cdot a}\right)^{1/2}$ T ↑ l ↓  $V_{BR}$  ↑ 正温度系数

### 8.4 p-n结的击穿3

### 8.4.2 齐纳击穿(隧道击穿)



$$T \uparrow E_g \downarrow P \uparrow V_{BR} \downarrow$$
 负温度系数

## 第八章 p-n结

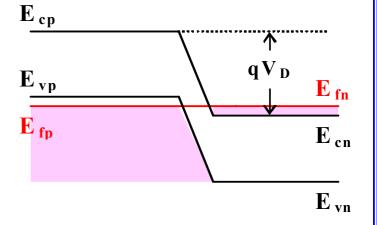
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# 8.5 p-n结隧道效应1

### 8.5.1 简并P-N结的能带图

简并半导体 
$$P: E_{vp} > E_{fp}$$

 $N: E_{fn} > E_{cn}$ 



$$V = 0: E_{fp} = E_{fn}$$
  $V < 0: E_{fp} > E_{fn}$ 

 $E_{vp} > E_{cn}$ 

$$\mathbf{E}_{\mathbf{cp}}$$

$$X_D = \sqrt{\frac{2\varepsilon_r \varepsilon_0 (N_A + N_D)(V_D - V)}{qN_A N_D}}$$

 $N_D = N_A = 10^{21} \text{cm}^{-3}, V_D = 1.28 \text{eV}$ 

$$X_D = 0.53$$
nm

