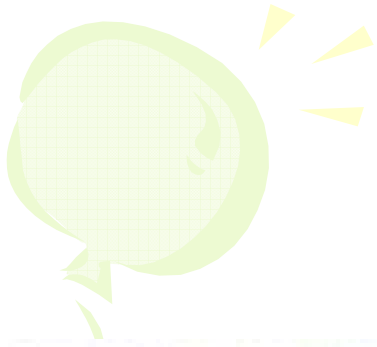


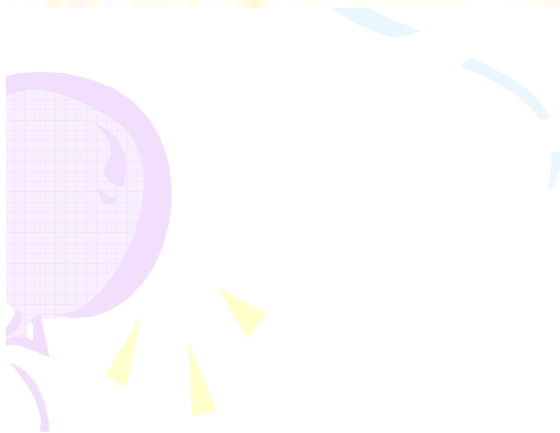
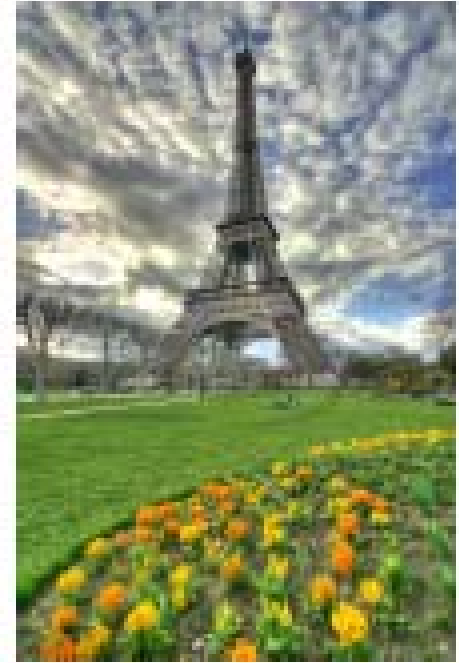
The background features several large, stylized, overlapping swirls in light green, light purple, and light blue. Interspersed among these swirls are numerous small, yellow, starburst-like shapes, some of which are larger and more prominent than others. The overall aesthetic is clean and modern.

# Capture and Displays

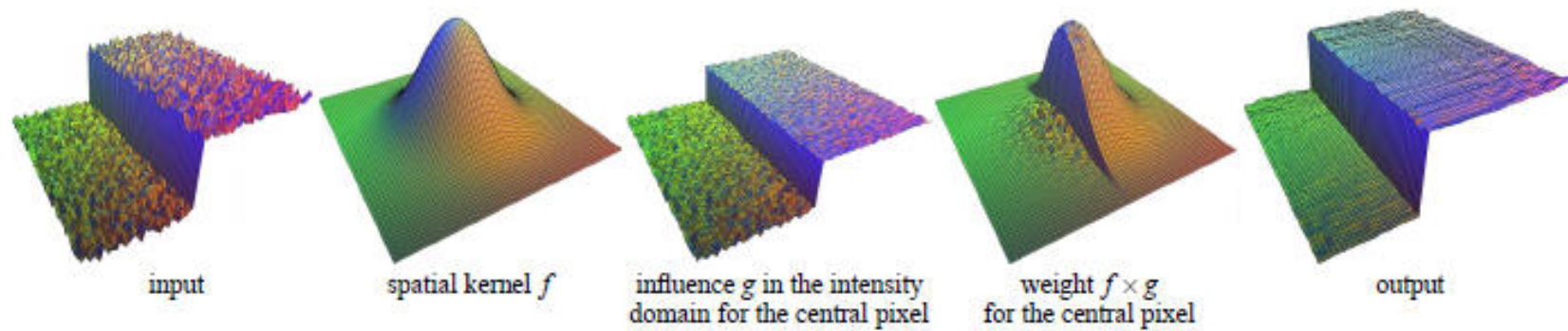
CS 211A



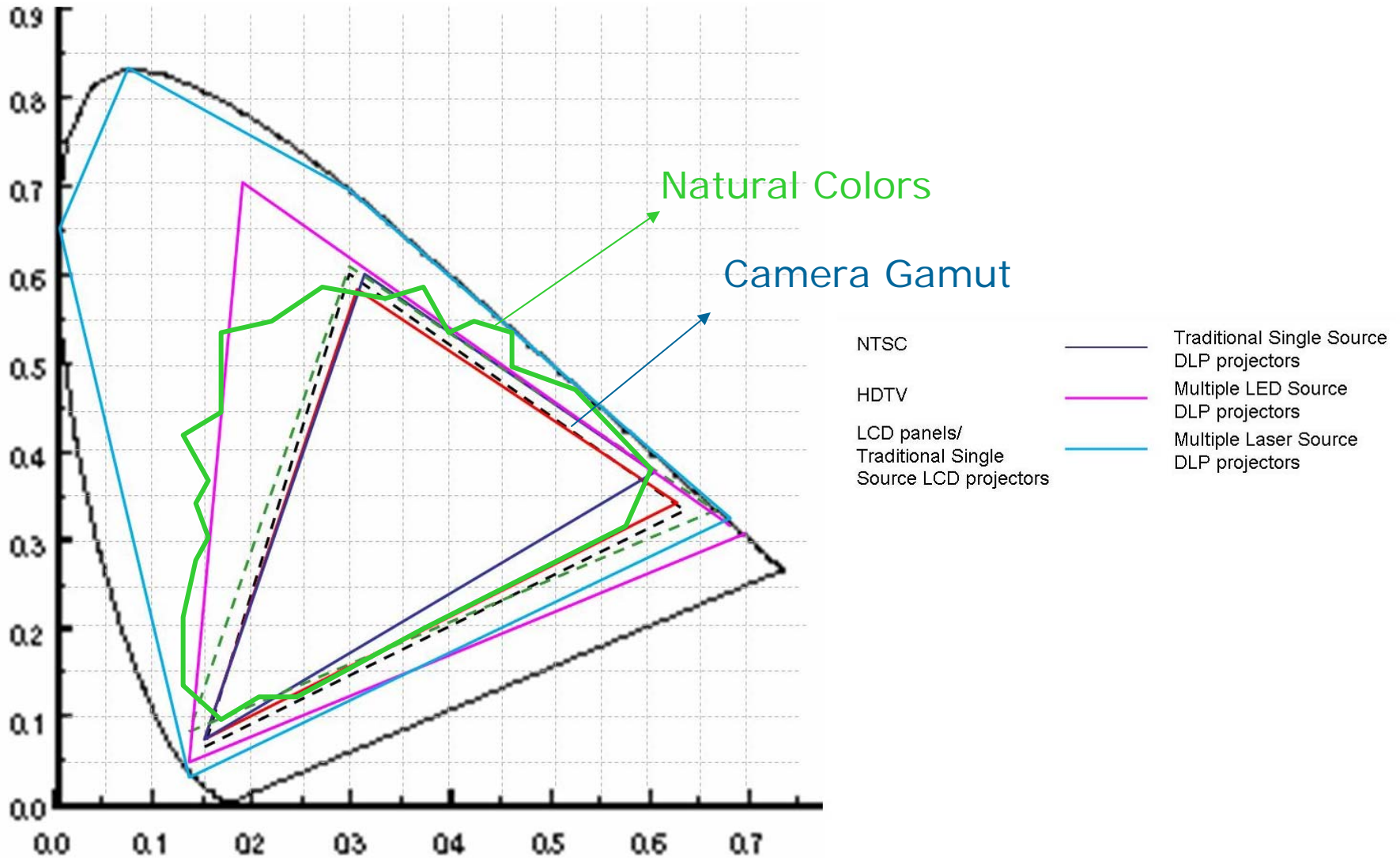
# HDR Image



# Bilateral Filter

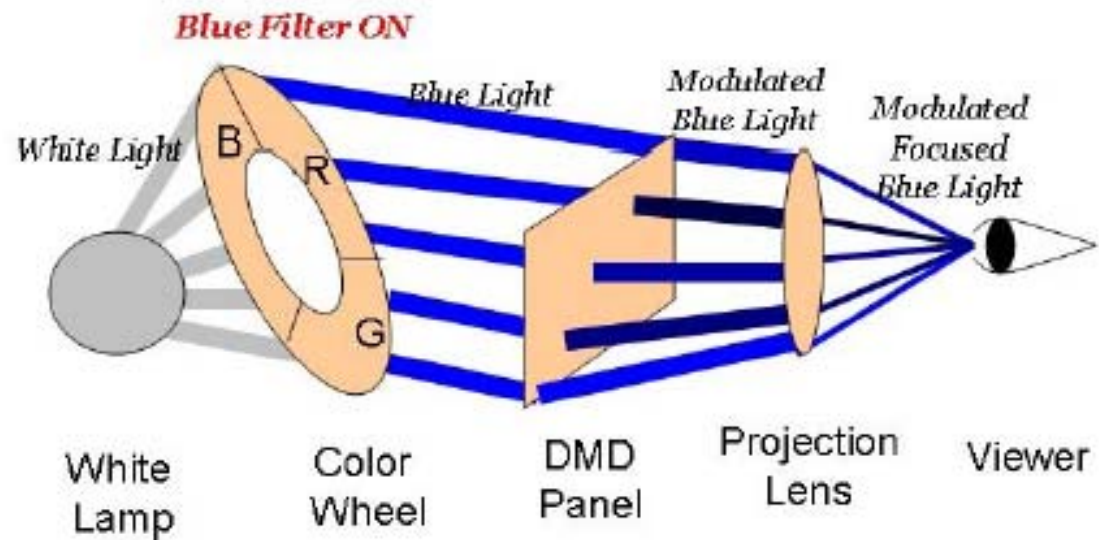


# Color Gamut



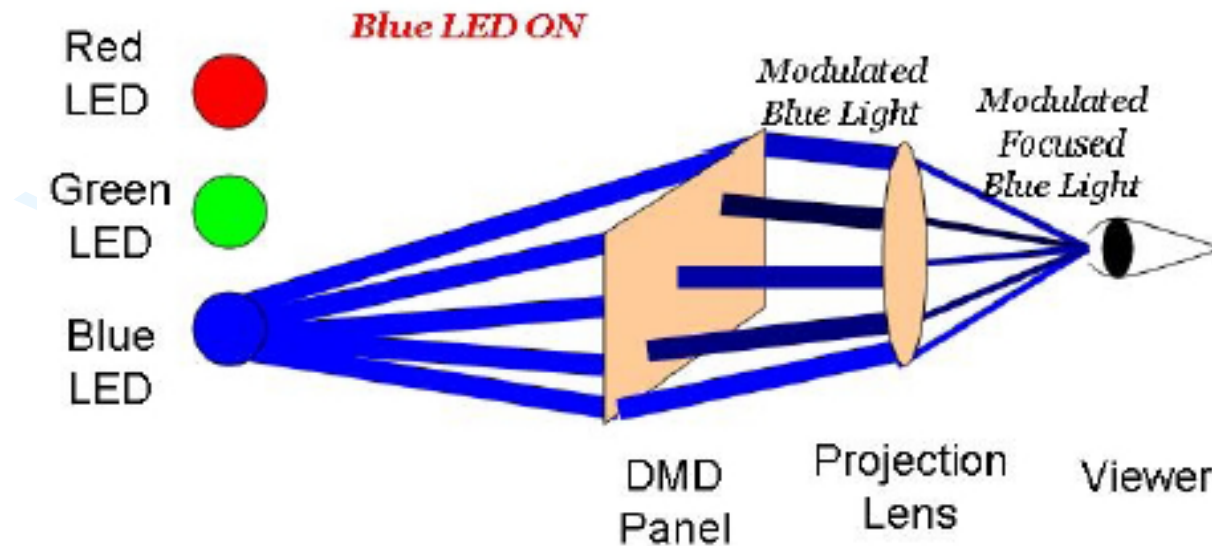
# Traditional Displays

- LCD panels
  - The gamut is the result of the filters used
- In projectors



# Recent high gamut displays

- Comes from use of LEDs
  - LEDs are much saturated primaries
  - 1.5 times HDTV gamut
- Projectors (MERL)



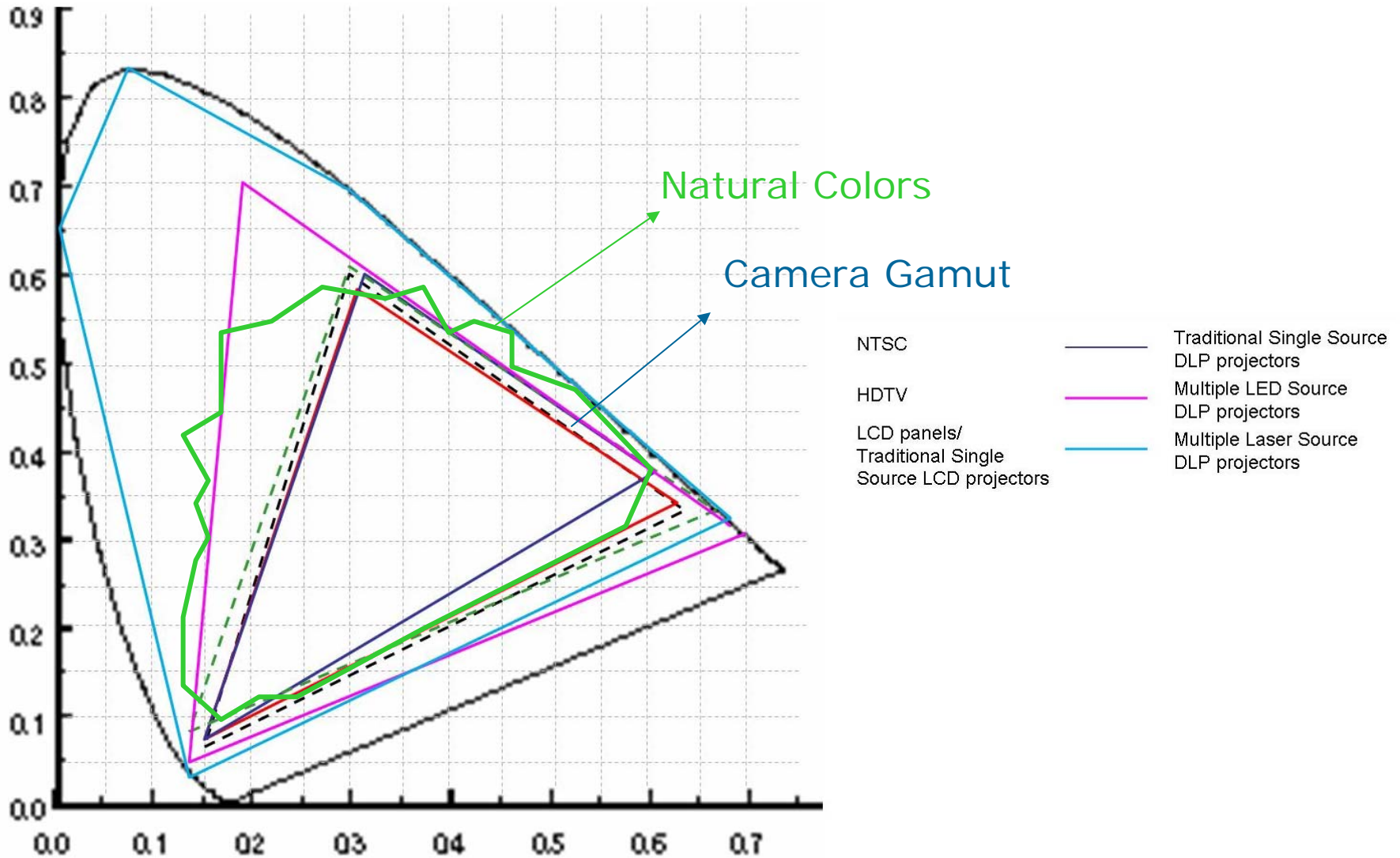


# Recent high gamut displays

- Comes from use of LEDs
  - LEDs are much saturated primaries
  - 1.5 times HDTV gamut
- LCD panels (HP Dream Color)
  - Use LED backlighting
- Laser multi-primary ones are coming up



# Color Gamut







# What about capture?

- No HG capture
  - Not in the required spatial and temporal resolution
- Closest is hyperspectral imagery
  - Captures multiple narrow spectral bands
  - Low spatial resolution (512x512)
  - Low temporal resolution (10 fps)
  - Cost is \$50,000
  - Used for scientific application



# Gap between Capture and Display

- Hollywood have defined a digital cinema standard gamut
  - What they want?
- Close to the current high gamut displays
- No capture device
- Sophisticated gamut extrapolation methods



# High Resolution Imagery

- Capture
  - Panoramic Image generation
- Display
  - Tiled displays

# Panoramic Image





# Basic Algorithm

- Assume distant scene, locally planar
- Detect features across adjacent pics
- Relate two adjacent pictures by a homography
- Stitch them

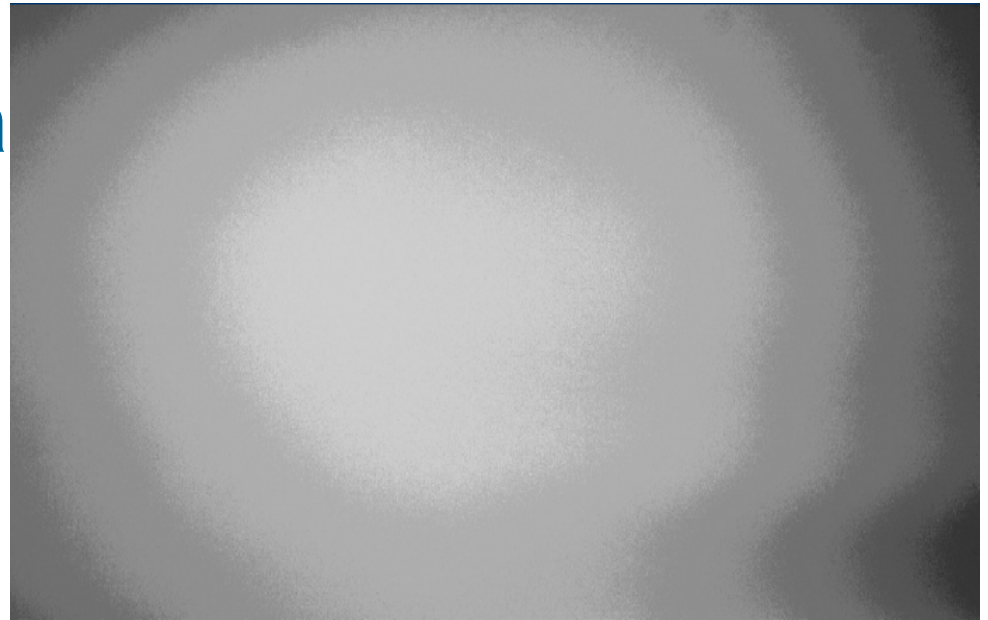


# Problems?

- What if circular?
  - Can have inconsistencies
- What is more than one row?
  - Same issue inconsistencies
- Use some global optimization techniques
  - Optimize across all images together
  - Bundle adjustment

# Another problem

- Spatial intensity fall off in camera
  - Primarily due to the lens
  - Vignetting
- Radial Fall off
- May not be centered

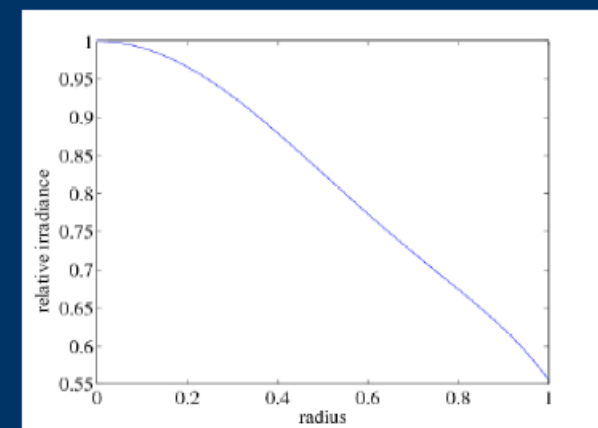
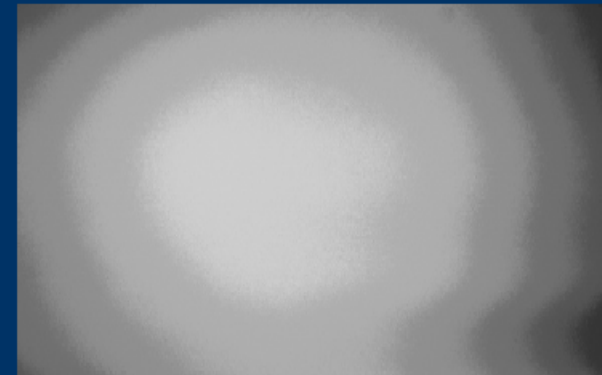




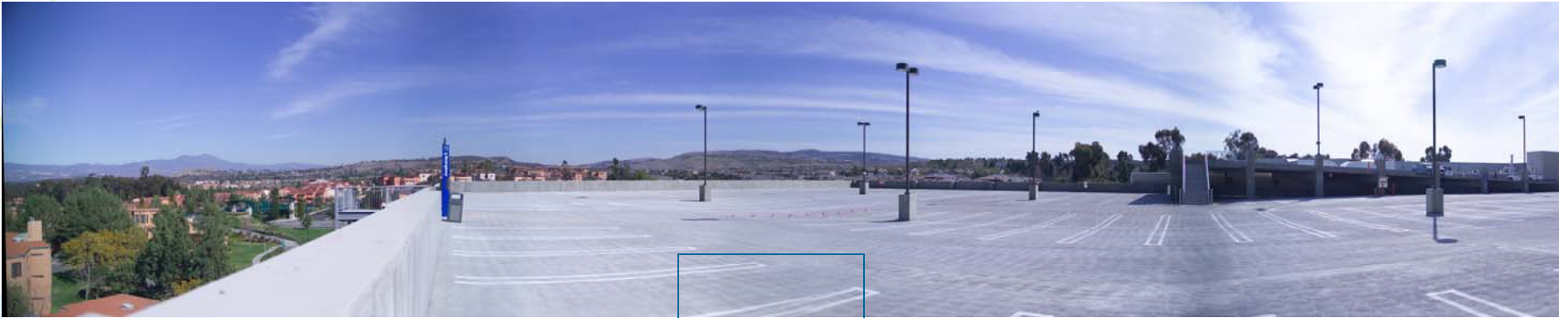
# Modelling vignetting



- Non-Parametric models
  - Flatfield image
    - accurate
    - acquisition cumbersome
- Parametric models
  - Radial polynomial model
$$M = \beta_1 r^6 + \beta_2 r^4 + \beta_3 r^2 + 1$$
  - Allow center shift  $c$



# Inaccurate feature detection





# Radiometric Camera Calibration

- Finding transfer function and vignetting
- Debevec's method
  - Recovers transfer function
  - Assumes no vignetting effect
  - Assures by setting aperture of a narrow FOV camera to a very low value


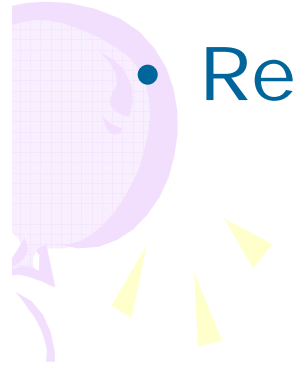


# How to calibrate the camera?

- Debevec
  - Need a few pixels to recover transfer function
  - Can be the center 10x10 of a camera where negligible vignetting
  - Find  $g$



# Goldman et al (2005)

- Assumes known transfer function
  - Takes panoramic images with very large overlaps
  - Same irradiance imaged at different pixels
    - Have different intensity due to different vignetting or exposure
  - Basic idea
    - For corresponding feature  $f$  in image  $i$  and  $j$ 
      - $g(Z_i) = \ln(E) + \ln(V_i) + \ln(t_i)$
      - $g(Z_j) = \ln(E) + \ln(V_j) + \ln(t_j)$
  - Recover both vignetting and exposure
- 
- 

# Results





# Radiometric camera calibration

- Underconstrained problem
- Cannot get both transfer function and vignetting effect
  - Transfer function upto an exponential ambiguity
- Both upto scale factor
  - If transfer function is known

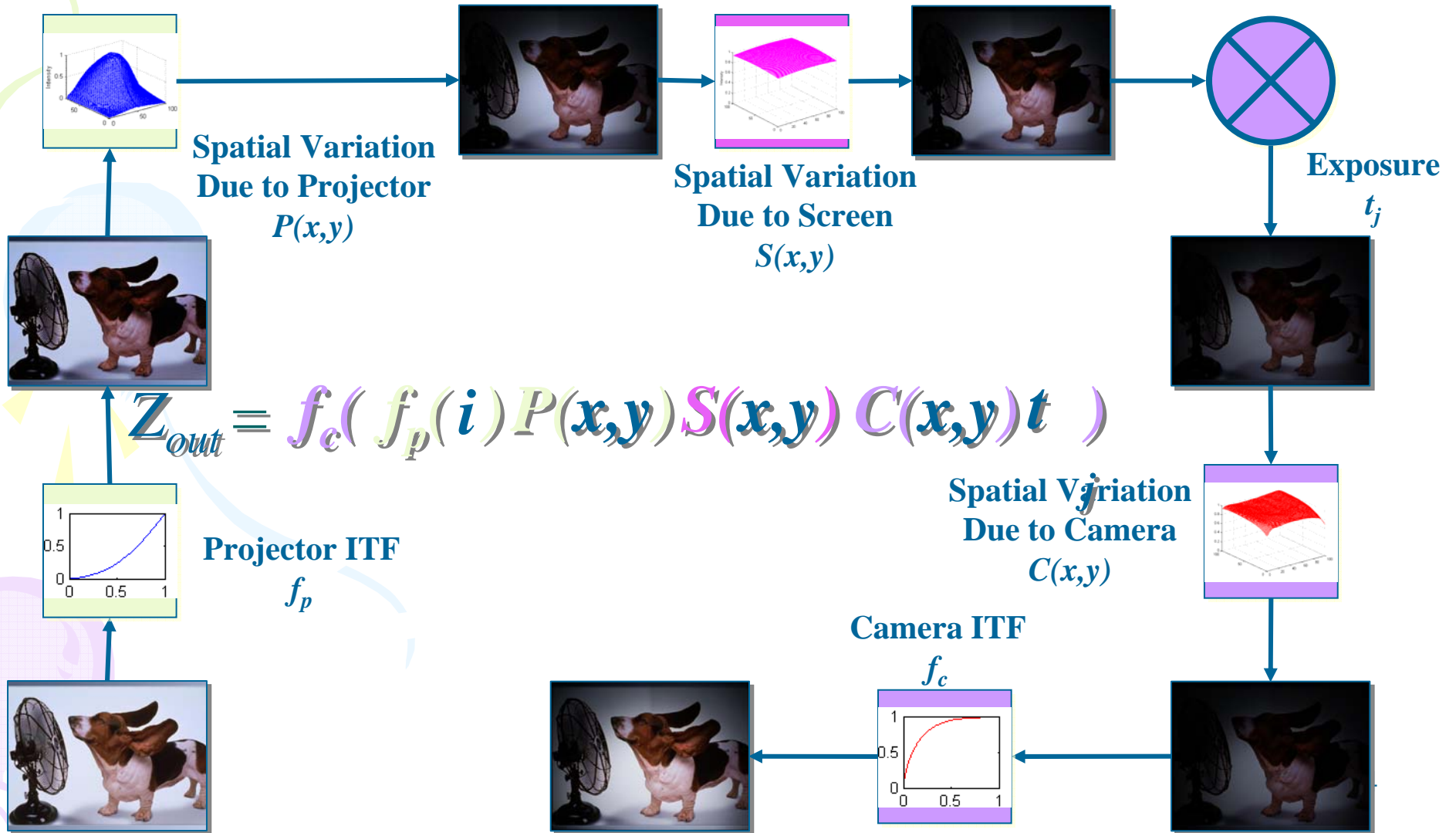




# Juang and Majumder 2007

- Use a projector in the loop
- Constrain the problem by using known inputs to the projector

# Model





# Calibration Algorithm

$$Z_{out} = f_c( f_p(i) \boxed{P(x,y) S(x,y) C(x,y)} t_j )$$



# Calibration Algorithm


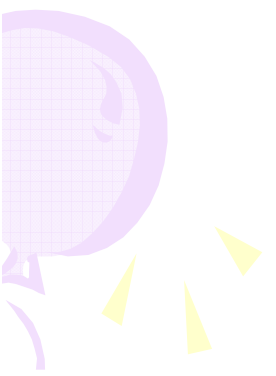
- Since  $f_c(\cdot)$  is monotonic, inverse exists.


$$\mathbf{Z}_{out} = f_c(f_p(i) \mathbf{L}(x, y) \mathbf{t}_j)$$




# Calibration Algorithm

- Take the log of both sides


$$f_c^{-1}(Z_{out}) = f_p(i) L(x,y) t_j$$

$$\ln f_c^{-1}(Z_{out}) = \ln f_p(i) + \ln L(x,y) + \ln(t_j)$$

The diagram shows the transformation of the equation  $f_c^{-1}(Z_{out}) = f_p(i) L(x,y) t_j$  into its logarithmic form. Arrows indicate the mapping from each term in the first equation to its corresponding logarithmic term in the second equation:  $f_c^{-1}(Z_{out})$  maps to  $\ln f_c^{-1}(Z_{out})$ ,  $f_p(i)$  maps to  $\ln f_p(i)$ ,  $L(x,y)$  maps to  $\ln L(x,y)$ , and  $t_j$  maps to  $\ln(t_j)$ .



# Calibration Algorithm

- Images of multiple projector inputs at multiple camera exposures
- Setup system of equations and solve using least-squares

$$\ln f_c^{-1}(Z_{out}) = \ln f_p(i) + \ln L(x,y) + \ln(t_j)$$

# Separating Parameters

- Recall model

$$Z_{out} = f_c( f_p(i) L(x,y) t_j )$$
$$\underbrace{P(x,y) S(x,y)}_{\text{Projector vignetting}} \underbrace{C(x,y)}_{\text{Camera vignetting}}$$



# Separating Parameters

- Recall model

$$Z_{out} = f_c( f_p(i) L(x,y) t_j )$$

$$\underbrace{P(x,y) S(x,y)}_{\text{Projector vignetting}} \underbrace{C(x,y)}_{\text{Camera vignetting}}$$

- Different camera aperture => different  $L$



# Separating Parameters

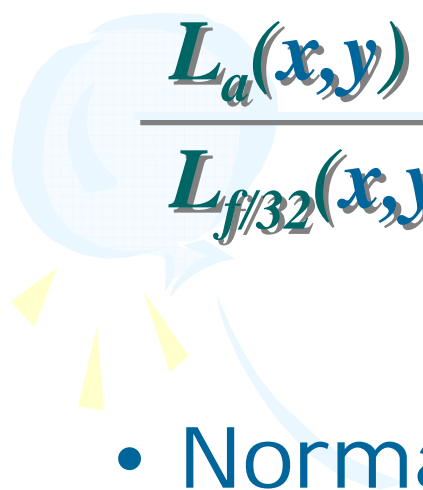
- At narrow camera apertures, camera vignetting is negligible, almost constant

$$L_{f/32}(x,y) = P(x,y) S(x,y) C_{f/32}(x,y)$$



# Separating Parameters

- At wider apertures


$$\frac{L_a(x,y)}{L_{f/32}(x,y)} = \frac{P(x,y) S(x,y) C_a(x,y)}{P(x,y) S(x,y) k} = \frac{C_a(x,y)}{k}$$

- Normalized vignetting effect
- 



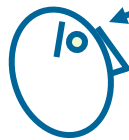
# High Resolution Displays

- Tile Projectors or LCD panels
- Seamless or with seams

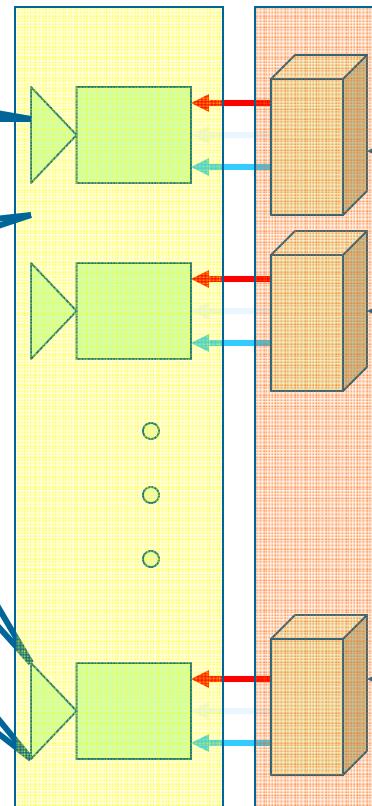
# Building Tiled Displays

Display Screen

Projectors Servers



Viewer



Network



Client

# Geometric/Photometric Mismatch





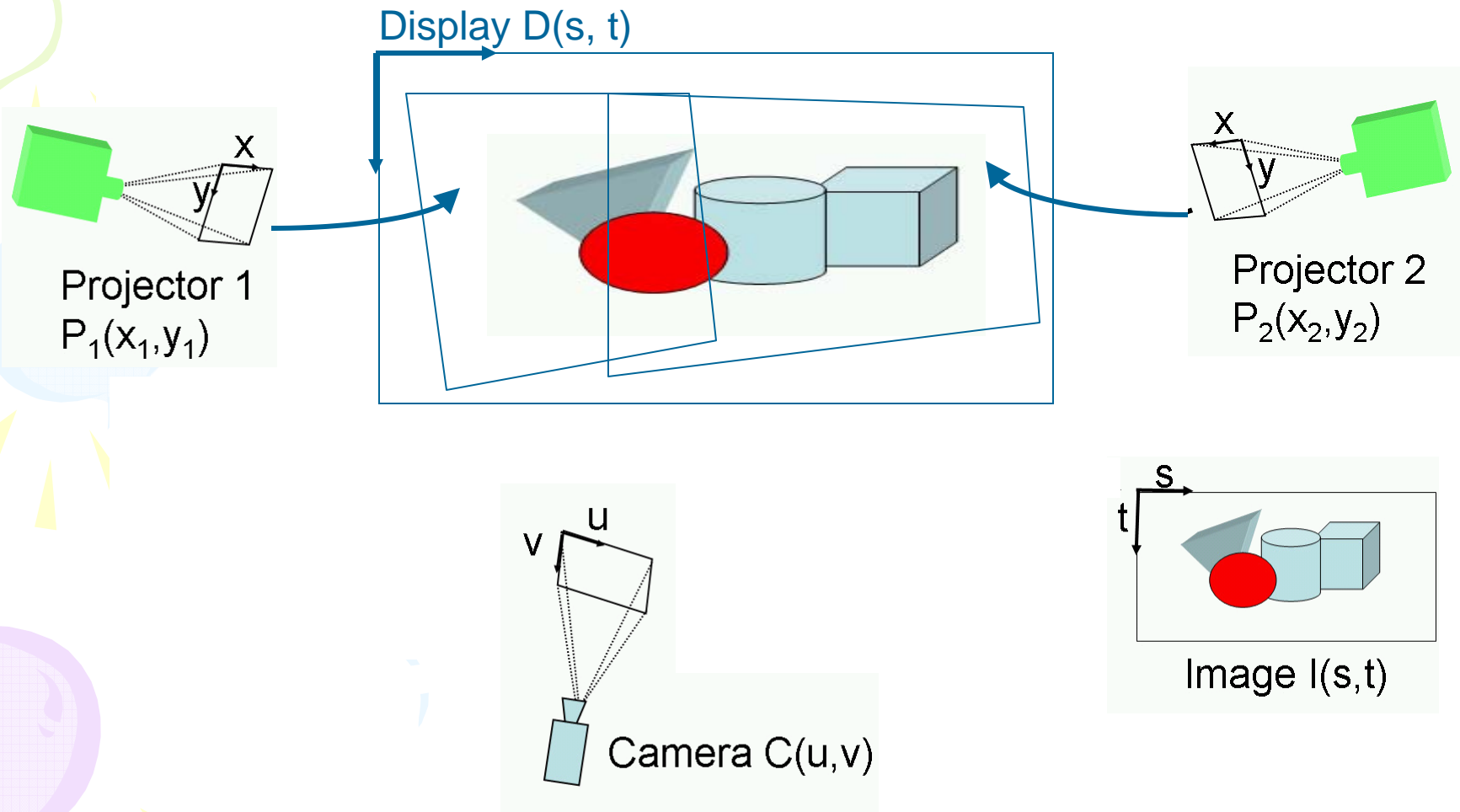


# Camera Based Registration

- Camera feedback detects misregistration
- Encoded in a mathematical function
  - Both geometric and photometric
- Change the projected image digitally
  - Apply the inverse function
  - In real-time via GPU



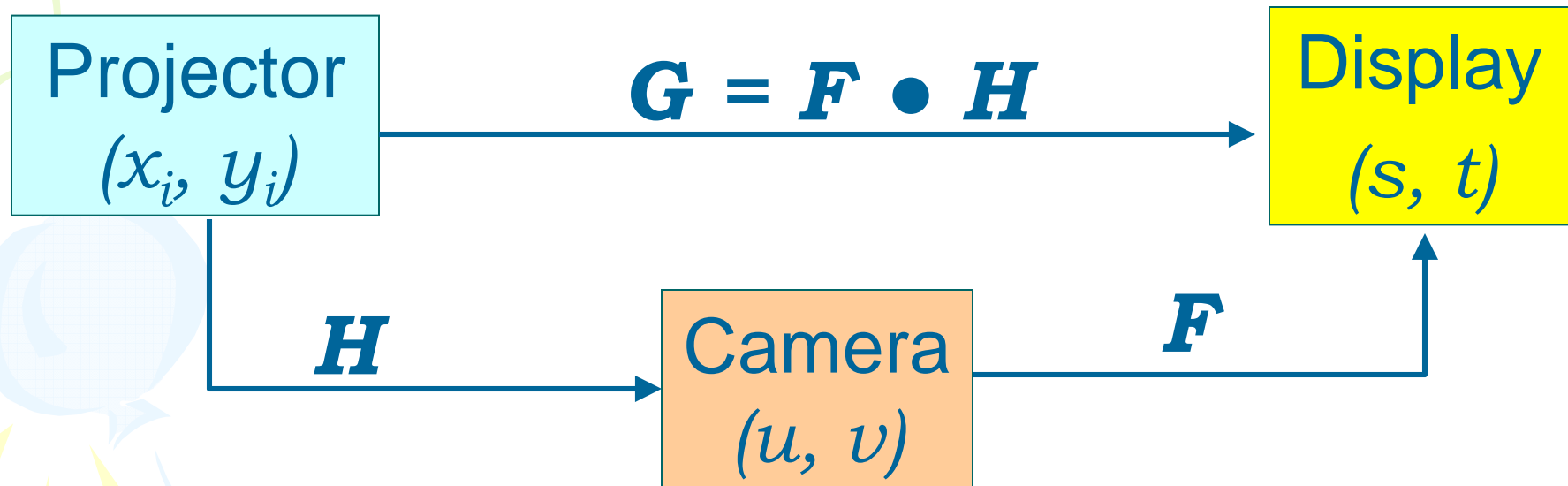
# Different spaces



# Simple Geometric Alignment



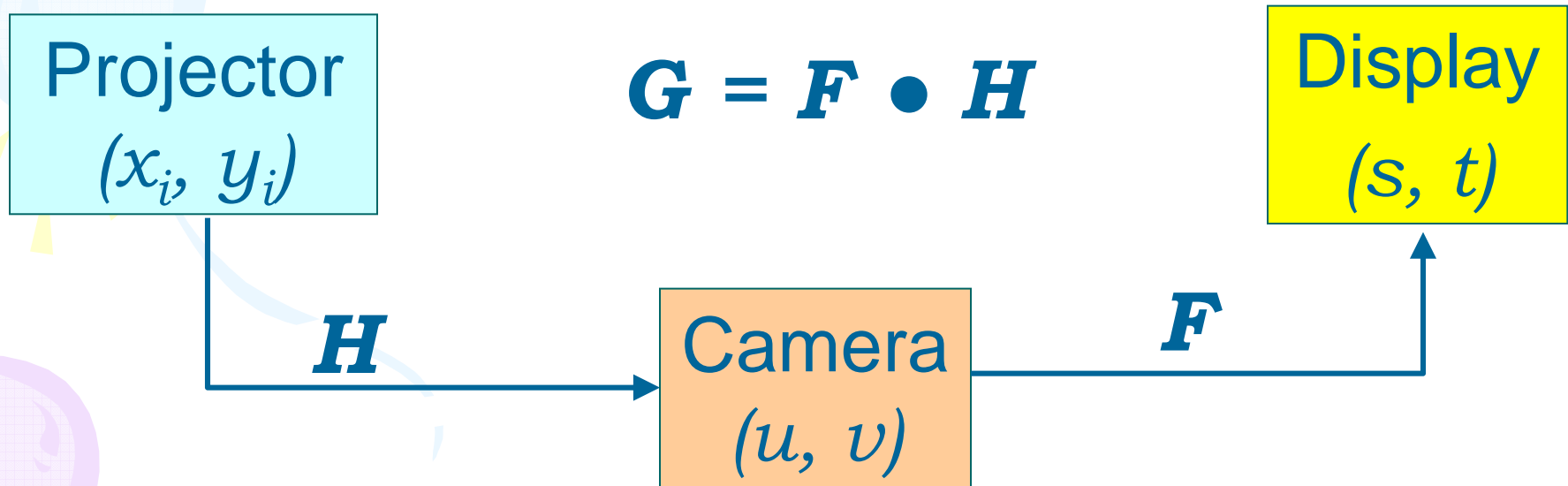
# Simple Geometric Alignment



Apply  $G^{-1}$  for registration

# Planar Display

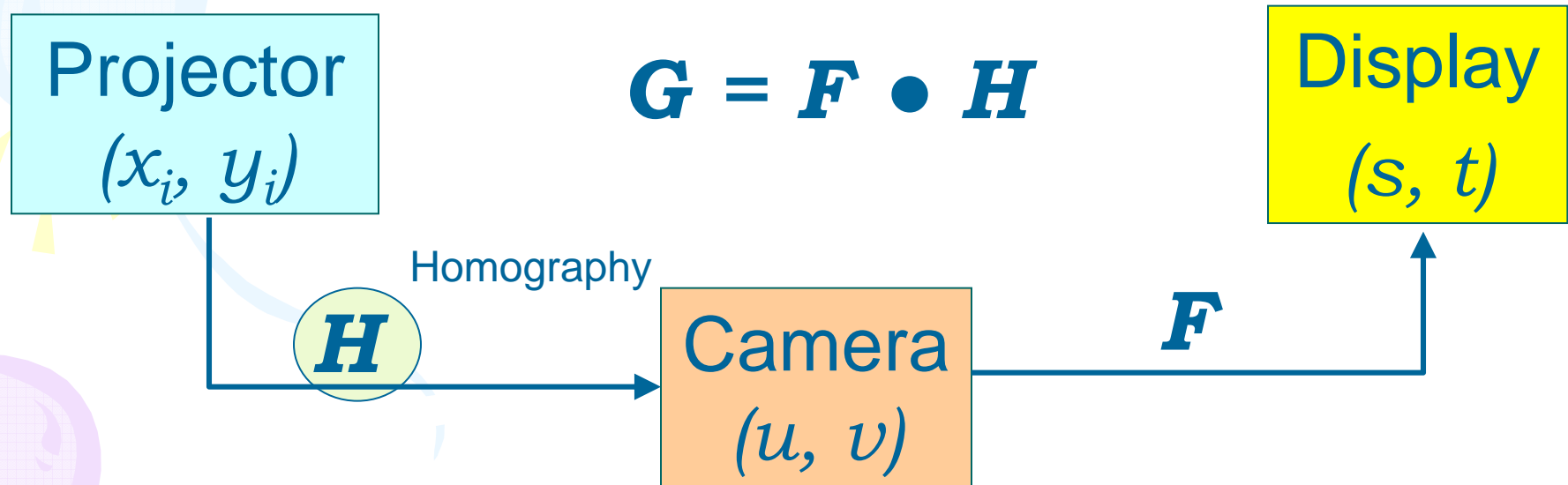
- Calibrated camera (no radial distortion)
- $\mathbf{F}$  is linear (3x3 matrix called *homography*)



R. Raskar, *Immersive Planar Display using Roughly Aligned Projectors*, IEEE VR, 2000.

# Perfect Projectors

- $\mathbf{G} = \mathbf{F} \mathbf{x} \mathbf{H}$
- $\mathbf{G}^{-1}$  is just a matrix inversion



R. Raskar, *Immersive Planar Display using Roughly Aligned Projectors*, IEEE VR, 2000.

# Linear $G$



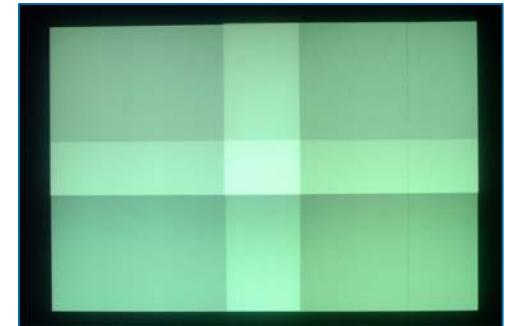
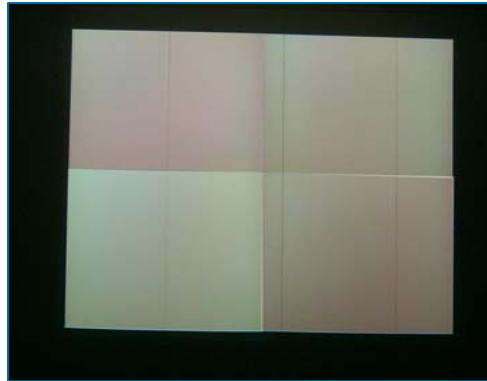
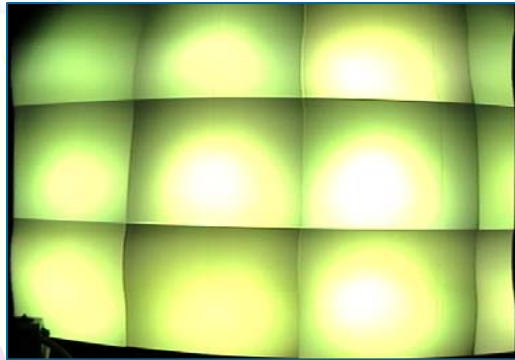


Corrected using  $G^{-1}$



# Intensity Variation

- If the projectors are good and similar
  - No vignetting
    - Take care of overlaps
- If not, measure accurately

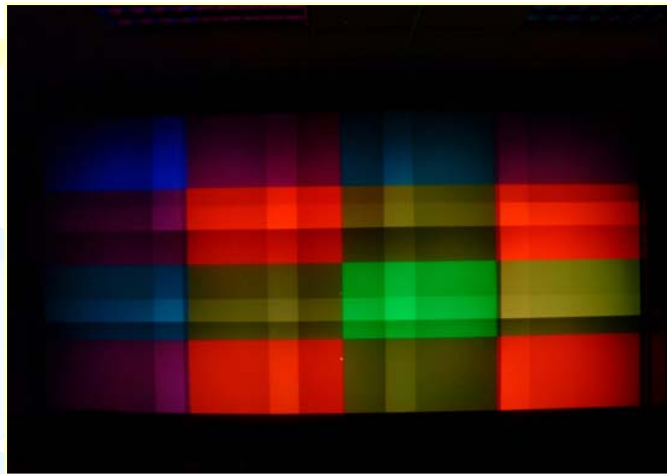


- 1) A. Majumder, *Properties of Color Variation in Multi Projector Displays*, *SID Eurodisplay*, 2002.
- 2) A. Majumder and R. Stevens, *Color Non-Uniformity in Multi Projector Displays: Analysis and Solutions*, *IEEE Transactions on Visualization and Computer Graphics*, Vol. 10, No. 2, 2003.



# Use some edge blending

Before



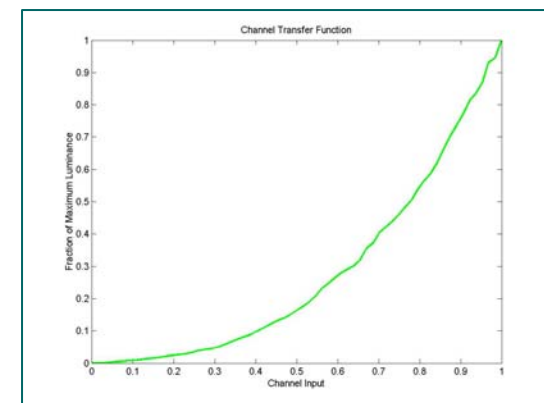
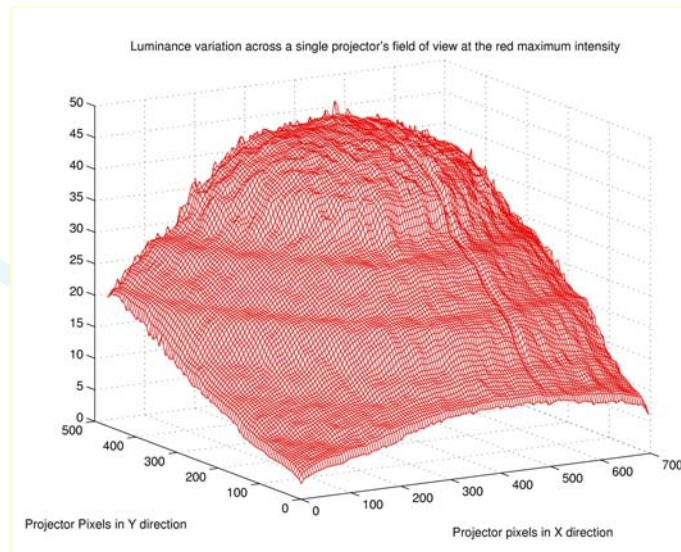
Software  
Blending



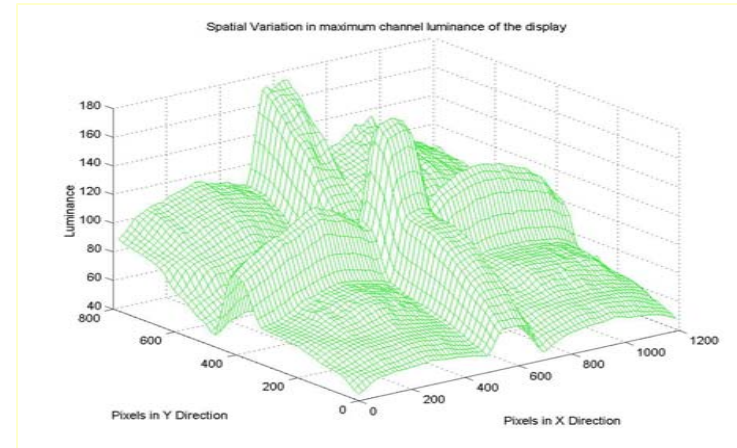
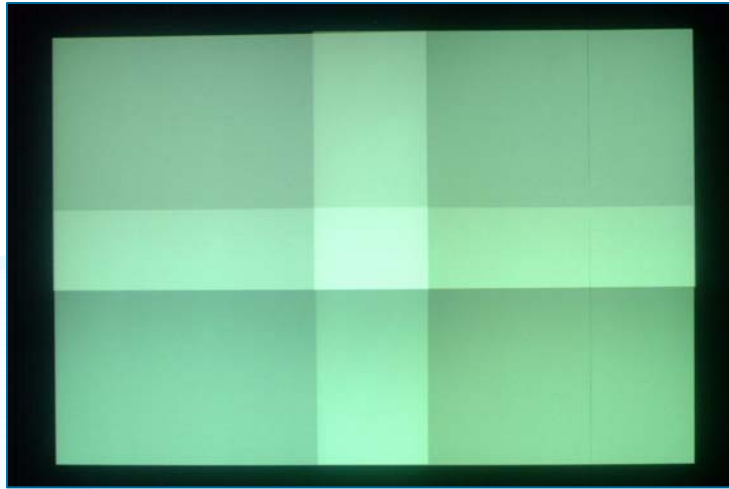
- 1) Lyon Paul, *Edge-blending Multiple Projection Displays On A Dome Surface To Form Continuous Wide Angle Fields-of-View*, *Proceedings of 7<sup>th</sup> I/ITEC*, 203-209, 1985.
- 2) R. Raskar et al, *Seamless Camera-Registered Multi-Projector Displays Over Irregular Surfaces*, *Proceedings of IEEE Visualization*, 161-168, 1999.
- 3) K. Li et.al, *Early experiences and challenges in building and using a scalable display wall system*, *IEEE Computer Graphics and Applications* 20(4), 671-680, 2000.

# Handle all variations

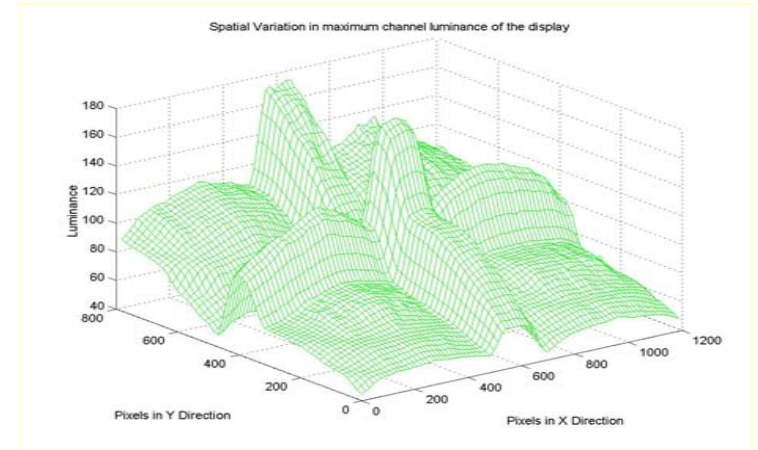
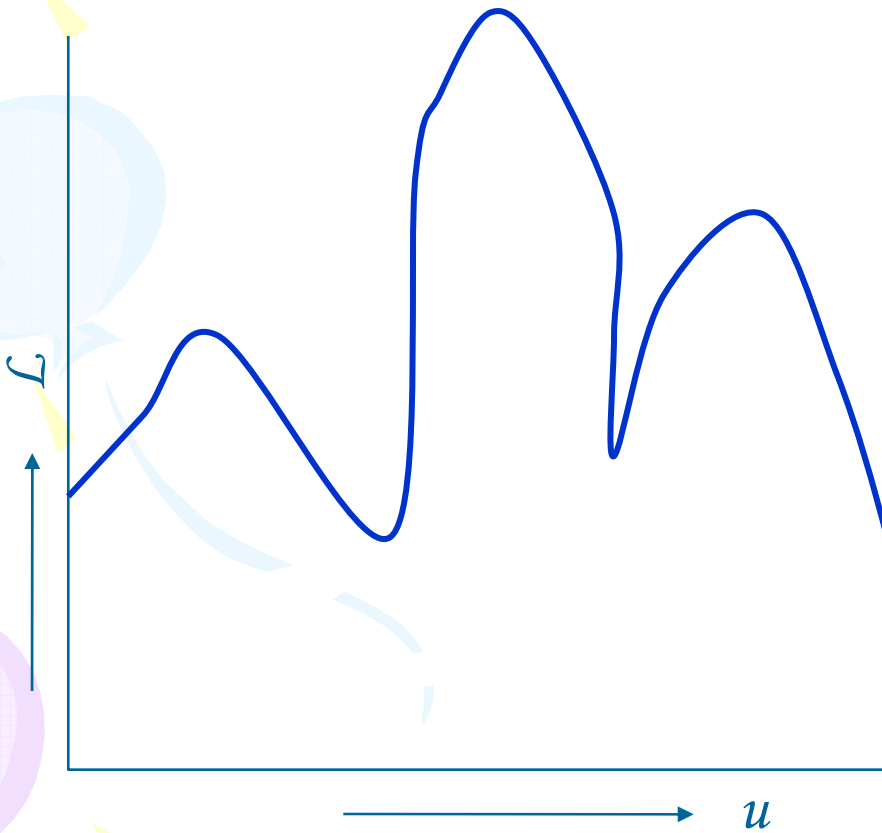
- Measure each projector's vignetting
- Measure each projector's transfer function



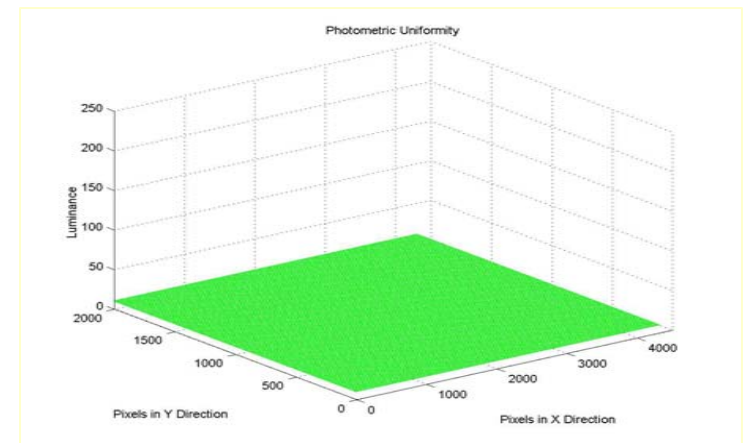
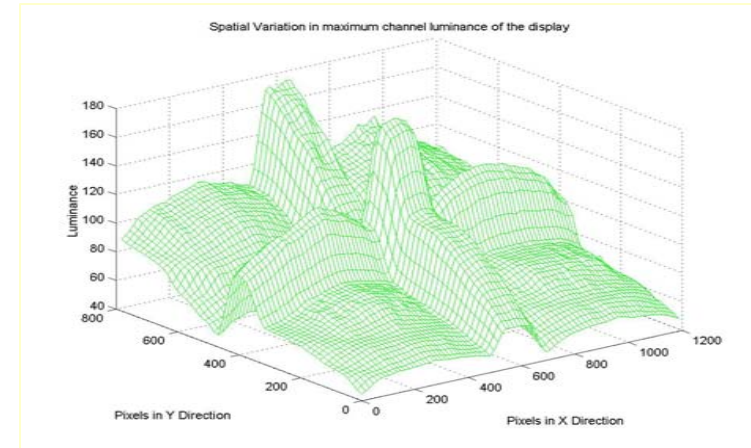
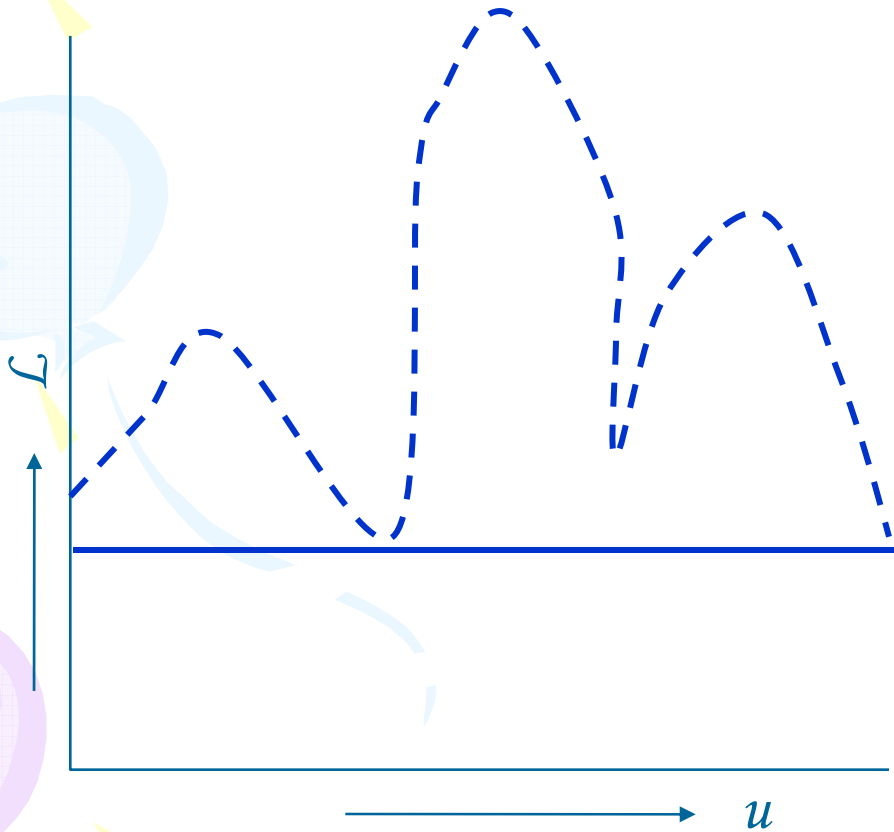
# Add them up



# Strict Luminance Uniformity



# Strict Luminance Uniformity



# Results



Before

A. Majumder and R. Stevens, *Color Non-Uniformity in Multi Projector Displays: Analysis and Solutions*, *IEEE Transactions on Visualization and Computer Graphics*, Vol. 10, No. 2, 2003.

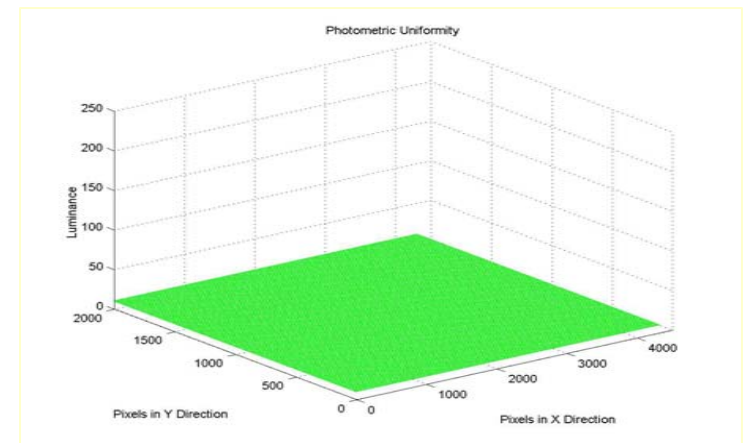
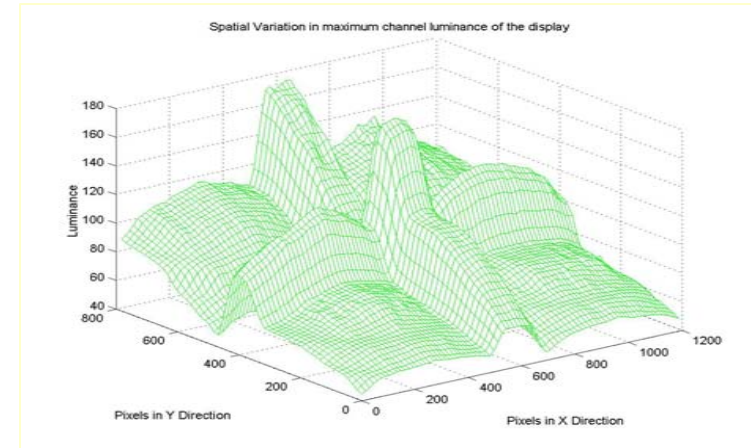
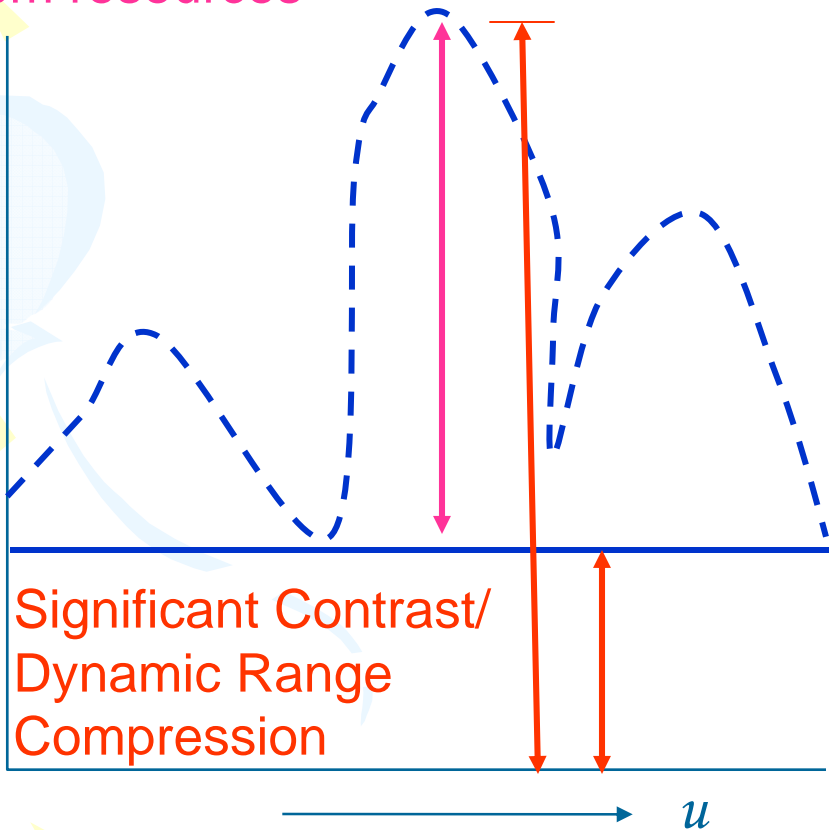
After Strict Luminance Uniformity



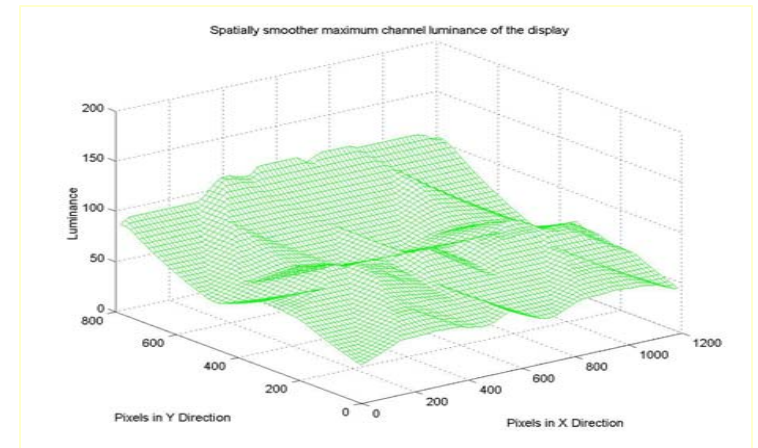
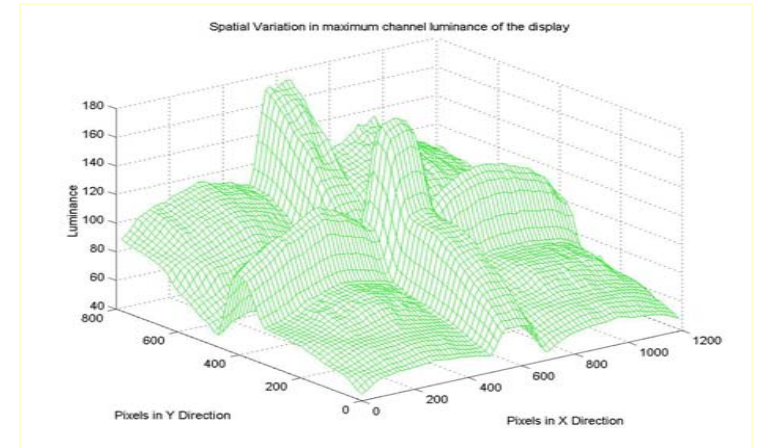
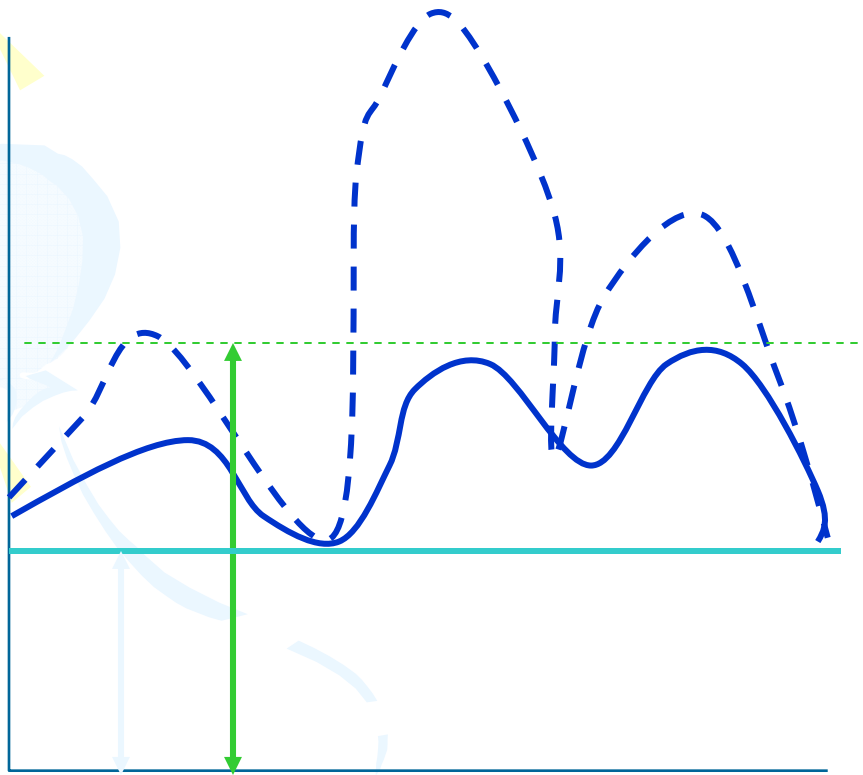


# Strict Luminance Uniformity

Suboptimal use of  
system resources

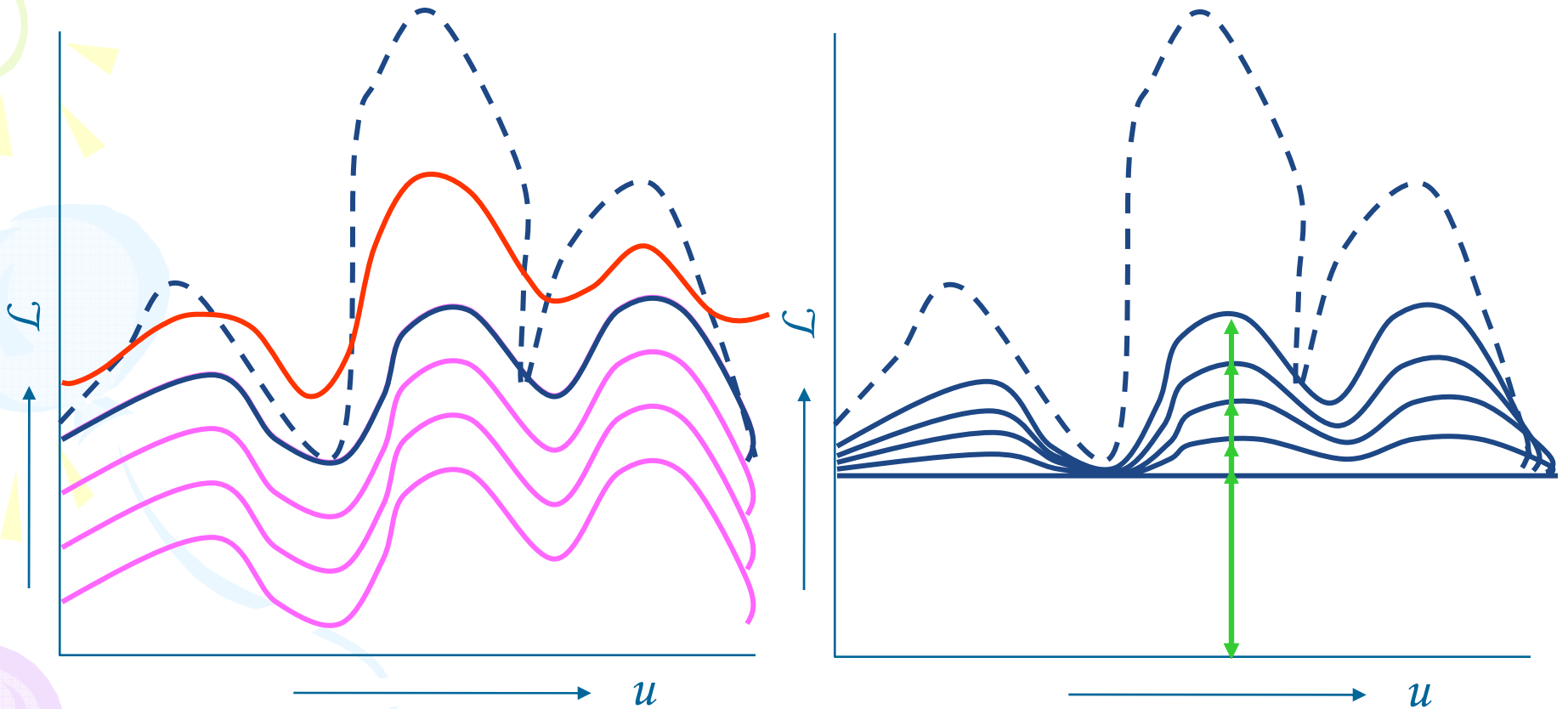


# Smooth the Luminance function





# Optimization Problem



Strict luminance uniformity is a special case.

# Results



Before

After Strict Luminance Uniformity



# Results



Before

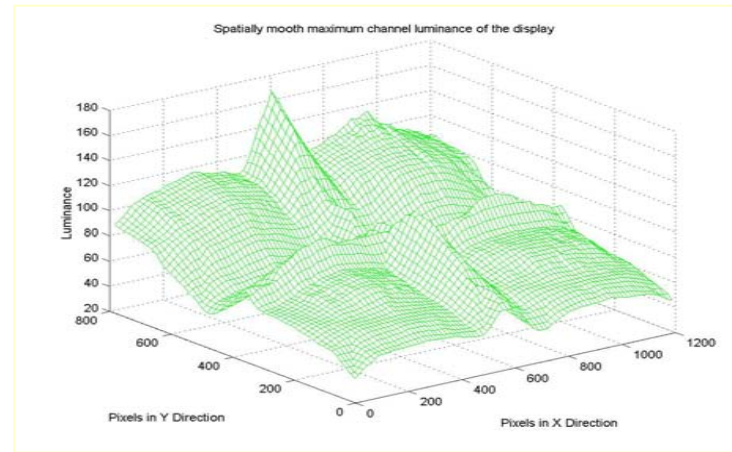
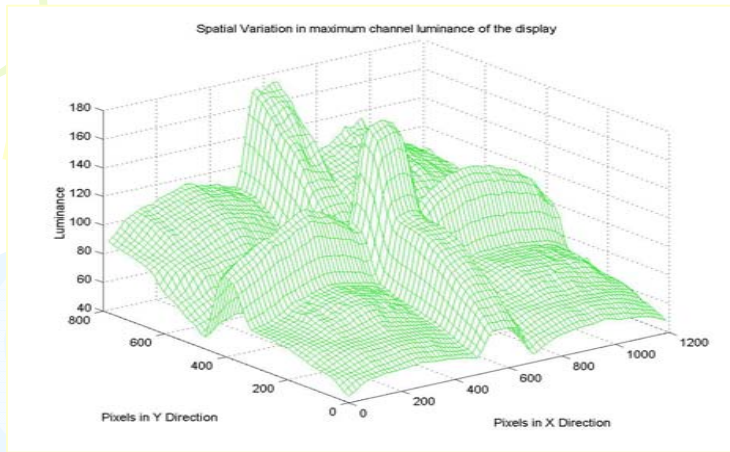
- 1) A. Majumder, R. Stevens, *Perceptual Photometric Seamlessness in Tiled Projection Based Displays*, ACM Transactions on Graphics, Vol. 24, No. 1, 2005.
- 2) A. Majumder, *Improving Contrast of Multi-Displays Using Human Contrast Sensitivity*, IEEE CVPR 2005.

After Luminance Smoothing

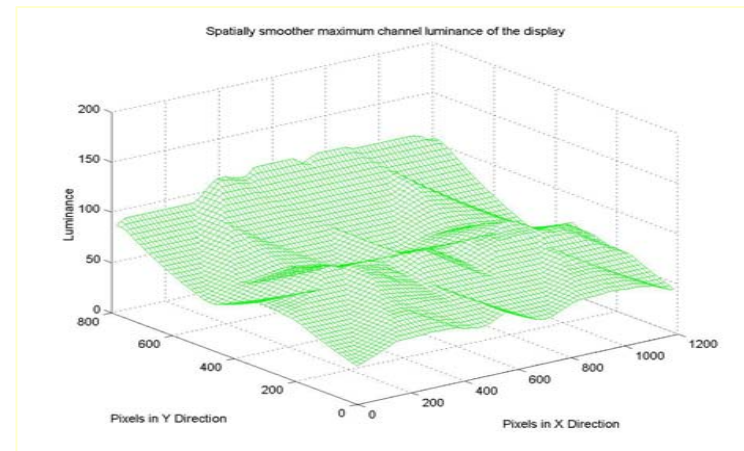


# Different smoothing parameters (2x2 array of four projectors)

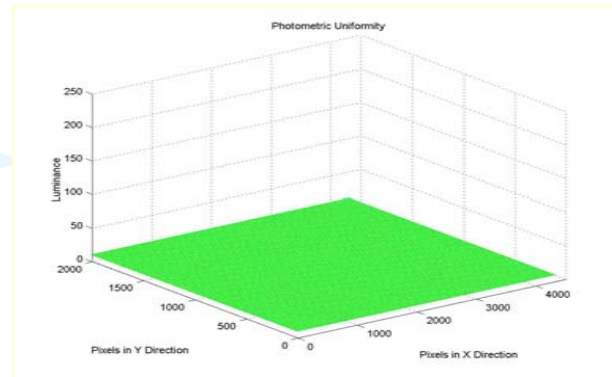
*Smooth*



*Smooter*



*Original*



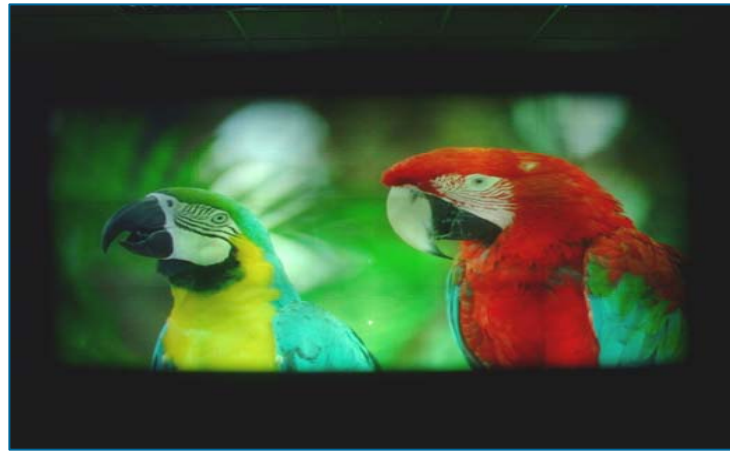
*Flat*



# Different smoothing parameters (3x5 array of fifteen projectors)



*Original*



*Smooth*



*Flat*



*Smoother*