

**Problem 1** (20 points)**Optimization**

Perform at least **five** standard compiler optimizations on the following C code fragment by writing the optimized version (in C) to the right. Assume **f** and **g** are pure functions that each return an integer with no side effects to other data structures.

<pre> int mycode(int w, int z) {     int x = 256;     int y = 1;     while (y&lt;x+z)     {         if (x)             z = f(w*x, y, z+w*x);         else             z = g(z+w*x, y, w*x);         printf("y:%d, z:%d\n",y,z);         y += z;     }     while (x&gt;0)         printf("%d\n", g(y, --x, z));     return y; } </pre>	$\Rightarrow$	<pre> int mycode(int w, int z) {     int temp = w&lt;&lt;8;     int x = 256; y = 1;     while (y&lt;256+z)     {         z = f(temp, y, z+temp);         printf("y:%d,z:d\n",y,z);         y += z;     }     while (x&gt;0)         printf("%d\n",g(y,--x,z));     return y; } </pre>
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Briefly describe which standard compiler optimizations you applied:

1. **constant propagation** ( $x=256$ )
2. **strength reduction** ( $w*256$  to  $w<<8$ )
3. **common subexpression elimination** ( $temp = w<<8$ )
4. **dead code elimination** (if (256) ... always nonzero, so reduce to then clause only)
5. **loop invariant removal** ( $temp=w<<8$  moved outside loop)

**Problem 2** (2 parts, 20 points)**Conditionals: Compound Predicates**

**Part A** (8 points) Consider the following MIPS code fragment. The comment indicates which variable each register holds. These variables are of type `int` and are initialized elsewhere.

Label	Instruction	Comment
		# \$2: I, \$3: C, \$9: Count, \$8: temp
	<code>slt \$8, \$3, \$0</code>	
	<code>bne \$8, \$0, Next</code>	
	<code>slti \$8, \$3, 26</code>	
	<code>beq \$8, \$0, Next</code>	
	<code>addi \$9, \$9, 1</code>	
<code>Next:</code>	<code>addi \$2, \$2, 1</code>	

What is the equivalent C code fragment? For maximum credit, use a compound logical predicate wherever possible.

```
if ((c >= 0) && (c < 26))
    count++;
i++;
```

**Part B** (12 points) Turn this C code fragment into the equivalent MIPS code. Assume \$1 holds A, \$2 holds B, \$3 holds C and \$4 holds D. *For maximum credit, include comments and use a minimal number of instructions.*

```
if (A && B)
    C = C | D;
else
    C = C & D;
D = C * 8;
```

Label	Instruction	Comment
	<code>beq \$1, \$0, Else</code>	# if !A, branch to Else
	<code>beq \$2, \$0, Else</code>	# else if !B, branch to Else
	<code>or \$3, \$3, \$4</code>	# else (if A&&B), C=C D
	<code>j End</code>	# jump over Else
<code>Else:</code>	<code>and \$3, \$3, \$4</code>	# if !A  !B, C=C&D
<code>End:</code>	<code>sll \$4, \$3, 3</code>	# D = C*8

**Problem 3** (3 parts, 24 points)**Associative Sets and 3D Arrays**

**Part A** (8 points) Suppose we have an associative set of **125** (key, value) pairs implemented as a **sorted singly linked list**. An application performs **1500** lookups of various keys: **1200** of the lookups find the key in the list and **300** lookups fail to find the key. The keys that are found are distributed throughout the list so that each position is equally likely to be where a key is found.

What is the average number of key comparisons that would be needed for a lookup in this list implementation? (Show work. Note: you may not have to use all data provided.)

$$L = 125$$

$$\text{Number comparisons: } (125+1)/2 = 63$$

$$\text{number of comparisons: } \quad 63$$


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**Part B** (8 points) Suppose the associative set is reimplemented as an **open hash table**. The same **125** (key, value) pairs are stored in the hash table and are evenly distributed across **25** buckets, each implemented as an **unsorted singly linked list**. An application performs the same **1500** lookups in which **1200** find the key being searched for and **300** do not. The keys that are found are distributed throughout the bucket lists so that each bucket and each position in the bucket lists is equally likely to be where a key is found.

What is the average number of key comparisons that would be needed for a lookup in this hash table implementation? (Show work. Note: you may not have to use all data provided.)

$$L = 125/5 \text{ elements/bucket}$$

$$\text{Number comparisons} = (1200/1500)(5+1)/2 + (300/1500)*5$$

$$= (4/5)(3) + (1/5)*5 = 3.4$$

$$\text{number of comparisons: } \quad 3.4$$


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**Part C** (8 points) Suppose we have a video snippet containing  $L$  image frames, where each frame has width  $w$  and height  $h$  pixels. Complete the following procedure which sets a pixel at position  $(x, y)$  in frame number  $f$  to `Color`, where  $y$  gives the row and  $x$  gives the column, with  $(0, 0)$  at the top lefthand corner of the image frame, as in Project 3. Assume  $L$ ,  $w$  and  $h$  are globally defined. `VideoPixels` is a pointer to the base of the video pixel array containing all  $L$  image frames in a contiguous linear sequence starting with the first pixel in the first row of frame 0 and ending with the last pixel in the last row of frame  $L-1$ .

```
void SetPixel(int x, int y, int f, uint32_t* VideoPixels, uint32_t Color){
    VideoPixels[f*w*h + y*w + x] = Color;
}
```

**Problem 4** (4 parts, 21 points)**Garbage Collection**

Below is a snapshot of heap storage. Values that are pointers are denoted with a “\$”. The heap pointer is **\$6188**. The heap has been allocated contiguously beginning at **\$6000**, with no gaps between objects.

addr	value	addr	value	addr	value	addr	value	addr	value	addr	value
6000	8	6032	12	6064	0	6096	16	6128	12	6160	0
6004	33	6036	28	6068	4	6100	\$6052	6132	\$6120	6164	0
6008	\$6132	6040	\$6120	6072	\$6132	6104	\$6016	6136	\$6016	6168	16
6012	16	6044	80	6076	8	6108	5	6140	72	6172	\$6016
6016	\$6100	6048	16	6080	24	6112	148	6144	20	6176	0
6020	\$6172	6052	0	6084	\$6172	6116	8	6148	6046	6180	0
6024	25	6056	\$6100	6088	4	6120	32	6152	8	6184	0
6028	30	6060	0	6092	80	6124	\$6080	6156	26	6188	0

**Part A** (10 points) Suppose the stack holds a local variable whose value is the memory address **\$6080**. No other registers or static variables currently hold heap memory addresses. List the addresses of all objects in the heap that are *not* garbage.

Addresses of **6080, 6172, 6016, 6100, 6052**

Non-Garbage Objects: \_\_\_\_\_

**Part B** (3 points) If a reference counting garbage collection strategy is being used, what would be the reference count of the object at address **\$6016**?

Reference count of object at **\$6016** = 2

**Part C** (5 points) If the local variable whose value is the address **\$6080** is popped from the stack, which addresses from Part A will be reclaimed by mark and sweep garbage collection strategy, but *not* by a reference counting strategy? If none, write “none.”

Addresses: 6172, 6016, 6100, 6052

**Part D** (3 points) What benefit does old-new space (copying) garbage collection provide that a mark and sweep garbage collection strategy does not provide?

**Benefit:** It consolidates memory to reduce fragmentation, creating larger contiguous blocks of available memory.

**Problem 5** (2 parts, 20 points)**MIPS and C programming**

**Part A** (5 points) Write a single MIPS instruction that is equivalent to the following MIPS fragment.

Original:	Equivalent MIPS statement:
addi \$1, \$0, 0xFF	<b>lbu \$4, 2(\$8)</b>
sll \$1, \$1, 16	
lw \$4, 0(\$8)	
and \$4, \$1, \$4	
srl \$4, \$4, 16	

**Part B** (15 points) Consider a singly linked list whose elements are `Student_t` structs defined as:

```
typedef struct STUDENT
{
    struct STUDENT* next; // Next pointer for linked list
    char* fname;
    char* mname;
    char* lname;
    double average;
    char letterGrade;
} Student_t;
```

```
Student_t* head;
```

```
Student_t* tail;
```

The global variables `head` and `tail` are initially `NULL` and they hold the head and tail of the list, respectively. Complete the C function `AddToList` below that adds the student record `s` to the end of the linked list pointed to by `head` and `tail`. This list might or might not be empty. Be sure to update `head` and `tail` properly. (The list is unsorted.)

```
void AddToList(Student_t* s)
{
    if (head == NULL) {
        head = s;
        tail = s;
        return;
    }
    tail->next = s;
    tail = s;
}
```

**Problem 6 (40 points)****Activation Frames**

The function `Bar` (below left) calls function `Foo` after completing code block 1. Write MIPS assembly code that properly calls `Foo`. Include all instructions between code block 1 and code block 2. Symbolically label all required stack entries and give their values if they are known (below right).

```
int Bar() {
    int    A[] = {25, 36, 49};
    int    B = 3;
    int    *P;

    (code block 1)

    P = &B;
    A[2] = Foo(A, P, *P);

    (code block 2)
}
```

Bar's FP	9900	XXX	XXX
	9896	A[2]	49
	9892	A[1]	36
	9888	A[0]	25
	9884	B	3
SP	9880	P	9884
	9876	RA of Bar	
	9872	FP of Bar	9900
	9868	A	9888
	9864	P	9884
	9860	*P	3
SP, Foo's FP	9856	RV of Foo	

label	instruction	comment
	<code>addi \$1, \$30, -16</code>	# compute &B
	<code>sw \$1, -20(\$30)</code>	# update P
	<code>addi \$29, \$29, -24</code>	# allocate activation frame
	<code>sw \$31, 20(\$29)</code>	# preserve bookkeeping info
	<code>sw \$30, 16(\$29)</code>	
	<code>addi \$2, \$30, -12</code>	# push inputs
	<code>sw \$2, 12(\$29)</code>	# A
	<code>sw \$1, 8(\$29)</code>	# P
	<code>lw \$1, 0(\$1)</code>	# dereference P
	<code>sw \$1, 4(\$29)</code>	# push *P
	<code>jal Foo</code>	# call Foo
	<code>lw \$31, 20(\$29)</code>	# restore bookkeeping info
	<code>lw \$30, 16(\$29)</code>	
	<code>lw \$1, 0(\$29)</code>	# read return value
	<code>sw \$1, -4(\$30)</code>	# store return value in A[2]
	<code>addi \$29, \$29, 24</code>	# deallocate activation frame