

1.

- a. Graf tersebut tidak homeomorfik terhadap $K_{3,3}$, karena kedua graf tidak memiliki simpul berderajat 2 untuk disisipkan atau membuang simpul
- b. Graf tersebut planar karena, upagraf dari graf tersebut tidak menghasilkan graf $K_{3,3}$ ataupun graf K_5 , dan juga dapat dibuktikan dengan:

$$e = 11$$

$$n = 6$$

$$e \leq 3n - 6$$

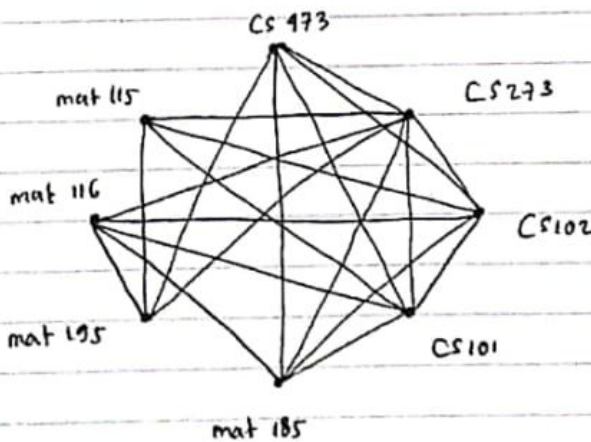
$$11 \leq 3(6) - 6$$

$$11 \leq 12 \quad (\text{terbukti planar})$$

2.

a

b



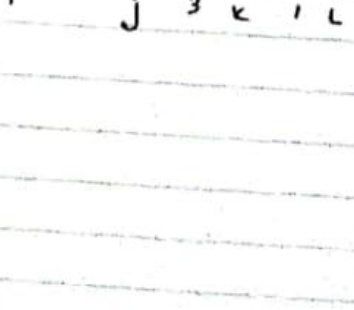
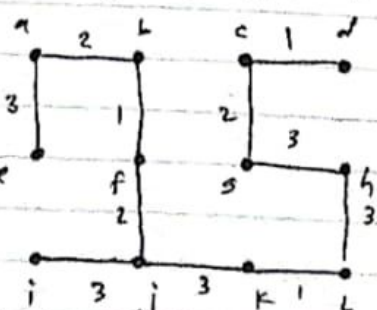
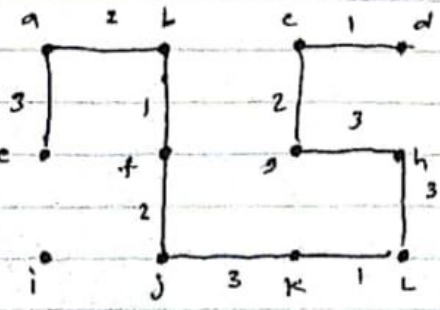
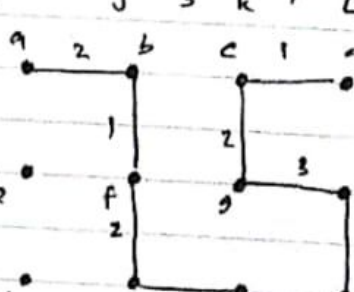
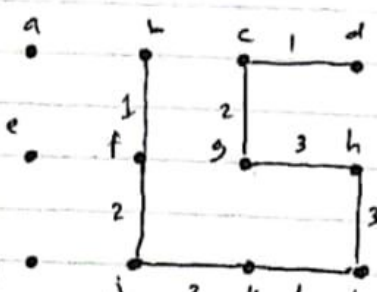
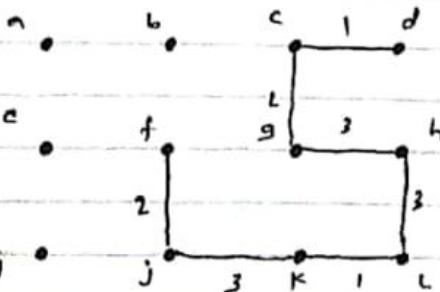
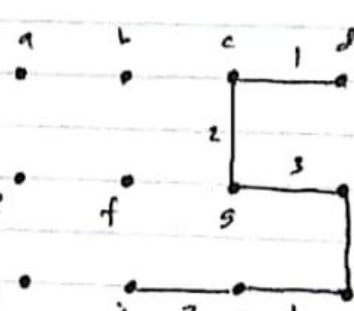
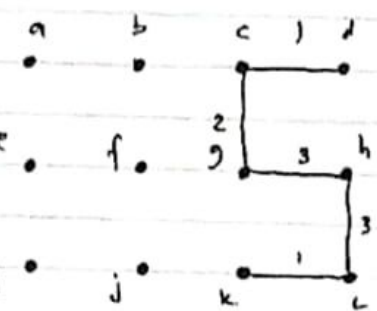
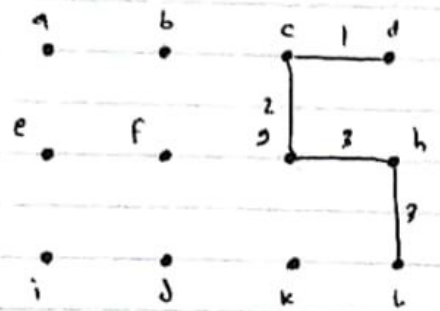
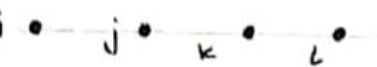
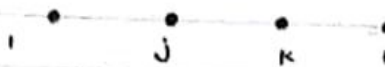
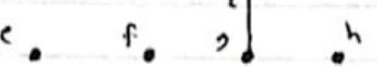
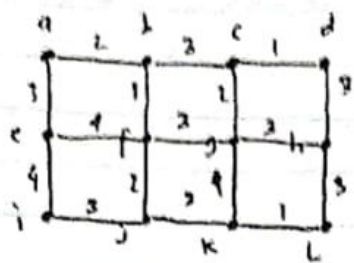
Simpul: Mat 115, Mat 116, Mat 195, Mat 185, CS 101, CS 102, CS 273, CS 473

derajat: 4, 5, 4, 5, 6, 6, 7, 5

warna: Biru, Biru, Hijau, Jingga, Kuning, Hijau, merah, Biru

Jadi $\chi(H) = 5$

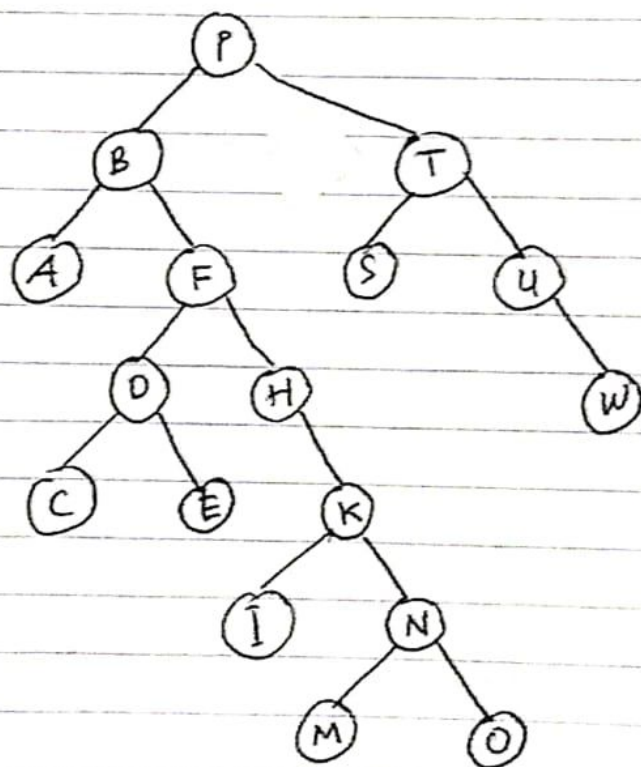
3



Minimum spanning tree = $1 + 2 + 3 + 3 + 1 + 3 + 2 + 1 + 2 + 3 + 3$
 $= 24$

④ P, T, B, F, H, K, N, S, A, U, M, I, D, C, W, O, E

a.



b. Preorder : P, B, A, F, D, C, E, H, K, I, N, M, O, T, S, U, W
InOrder : A, B, C, D, E, F, H, I, K, M, N, O, P, S, T, U, W
PostOrder : A, C, E, D, I, M, O, N, K, H, F, B, S, W, U, T, P