



UNIVERSITY OF CENTRAL PUNJAB

LAHORE

Assignment 2

CLO Mapping: CLO2

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|-----------------------|--|-----------------|------------|-----------|--|--|
| Course Code | MAT243 | | Semester | Fall 2025 | | |
| Course Title | Multivariable Calculus | | | | | |
| Resource Person | Ms. Seema Mazhar | | | | | |
| Assignment Given Date | 11-11-2025 | Submission Date | 14-11-2025 | | | |
| Total Marks | 15 marks (assignment)+5 marks (viva)=20 marks | | | | | |
| CLO 2 | The students will be able to associate vector calculus concepts, including function of several variables, directional derivatives to solve problems involving vectors, lines, and planes in 3D and to demonstrate solution of optimization problems. | | | | | |

| Name of student | Complete Registration no. | Section | Assignment marks | Viva Marks | Total |
|-----------------|---------------------------|---------|------------------|------------|-------|
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Submission Instructions (Please follow strictly)

- It is **COMPULSORY** to attach this page as the title page of your assignment. Failure to do so will lead to 2 marks deduction.
- Work should be neat and with **ALL** computational steps.
- This is an **INDIVIDUAL** assignment so mention all detail as asked.
- **LATE SUBMISSION WILL NOT BE ACCEPTED.**
- All Plagiarized assignments will be awarded deduction of 2 marks for each match.
- **Do work on assignment papers or A4 sheets.**

I declare that I have prepared the assignment according to above guidelines, and I shall be responsible for any deduction of marks if the instructions are not followed.

Student signature: _____

1. (5 marks) A particle's position at time t is given by

$$\vec{r}(t) = \ln(5 - x^3)\hat{i} + \frac{1-t}{t^2-3}\hat{j} - 2e^{\frac{7}{t}}\hat{k}.$$

What is the *domain* of the given vector?

2. (10 marks) **Find** the *position vector* of the particle that has the given *acceleration vector*

$$\vec{a}(t) = \sin(2t)\hat{i} - 6\cos(3t)\hat{j} + \frac{25t^4}{2}\hat{k}$$

when $\vec{v}(0) = 2\hat{i}$ and $\vec{r}(\pi) = \hat{i} + \hat{j} + \hat{k}$.

Best of Luck!!