

Dynamics of Rotational Motion

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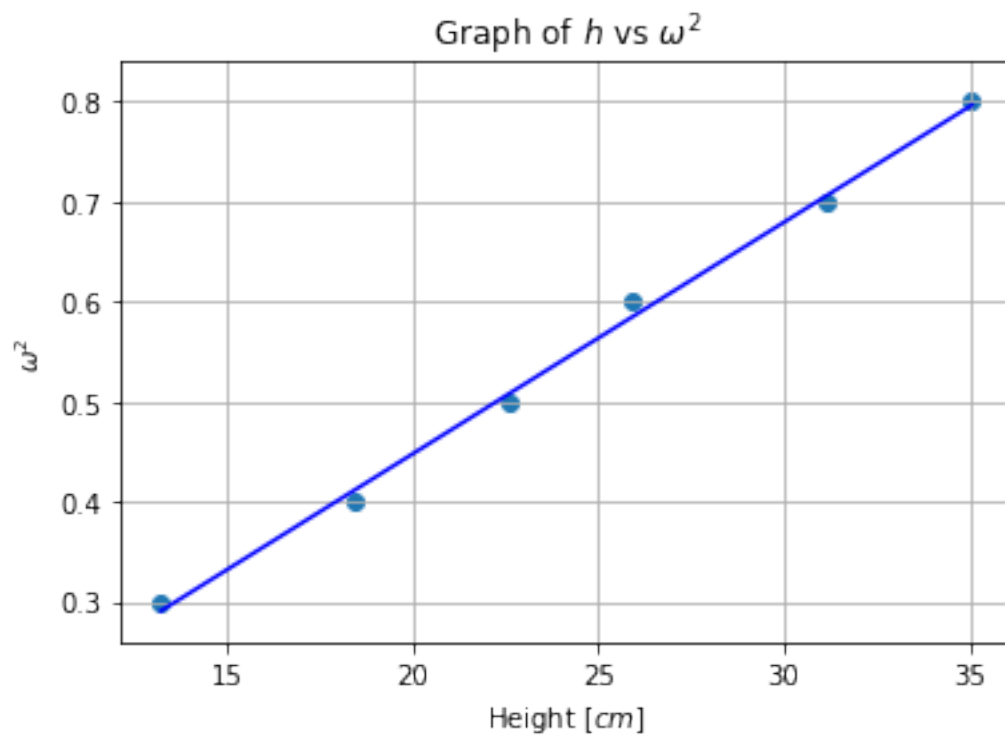
January 3, 2021

0.1 Part 2

[17]:

	Height	\bar{t}	T	ω^2
0	30	0.216100	1.7288	13.209009
1	40	0.183000	1.4640	18.419489
2	50	0.165150	1.3212	22.616355
3	60	0.154300	1.2344	25.908837
4	70	0.140675	1.1254	31.170654
5	80	0.132650	1.0612	35.056234

Table of h vs ω^2 for $m = 30g$



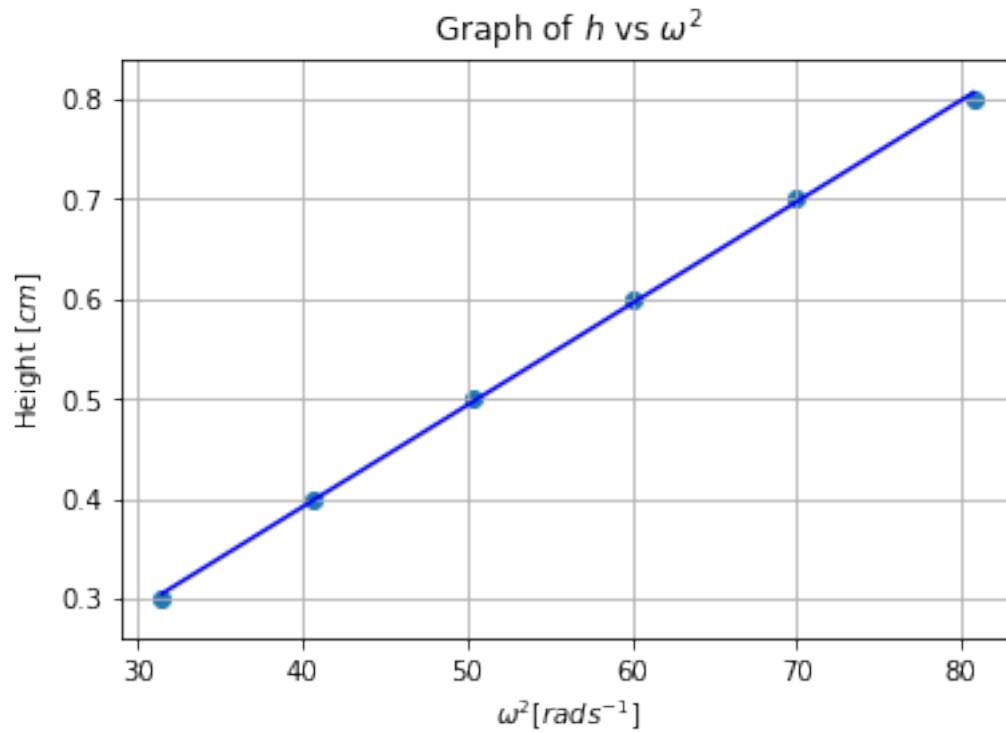
$$R^2 = 0.9967145034156386$$

$$f(x) = 0.02313604038636388x - 0.014444448971893475$$

$$I = 0.0136 \text{ kgm}^2$$

[4]:

| Height [cm] \bar{t} [s] T [s] ω^2 0 30 0.140000 1.1200 31.471953 1 40 0.123250 0.9860 40.607468 2 50 0.110675 0.8854 50.3



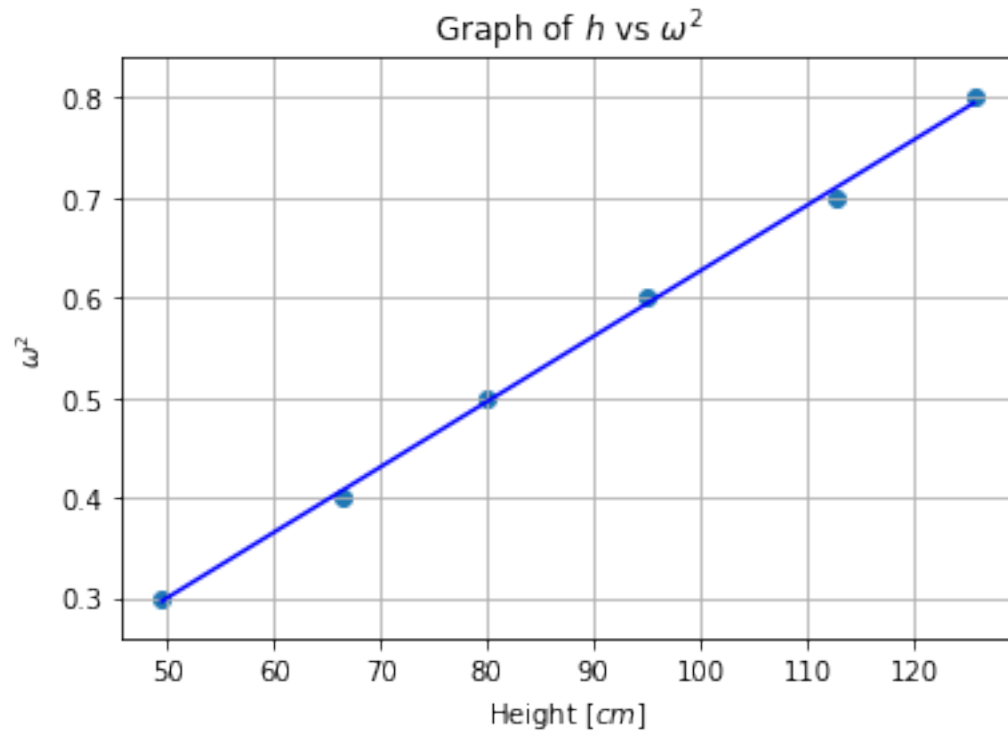
$$R^2 = 0.9994260034678575$$

$$f(x) = 0.010161405884977744x - 0.014454159936804989$$

$$I = 0.0119 \text{ kgm}^2$$

[6]:

Height [cm] \bar{t} [s] T [s] ω^2 0 30 0.111600 0.8928 49.528066 1 40 0.096350 0.7708 66.447145 2 50 0.087800 0.7024 80.018560 3 60 0.080625 0.6450 94.894340 4 70 0.073950 0.5916 112.798521 5 80 0.070075 0.5606 125.618485



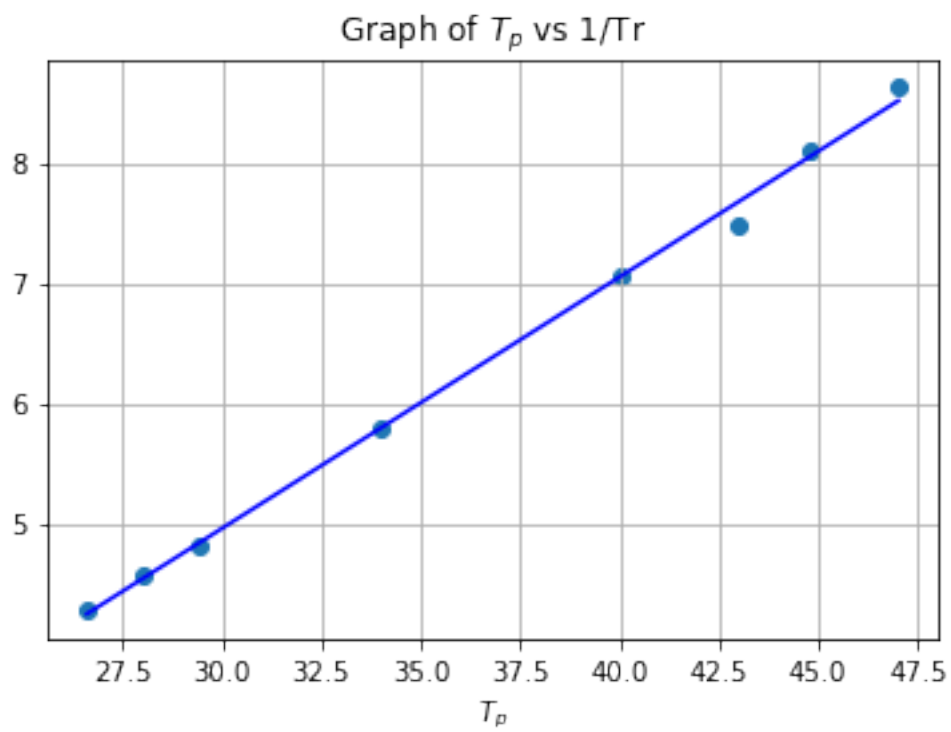
$$R^2 = 0.9984834259758607$$

$$f(x) = 0.006539688827993439x - 0.026915126144064994$$

$$I = 0.0115 \text{ kgm}^2$$

0.2 Part 4

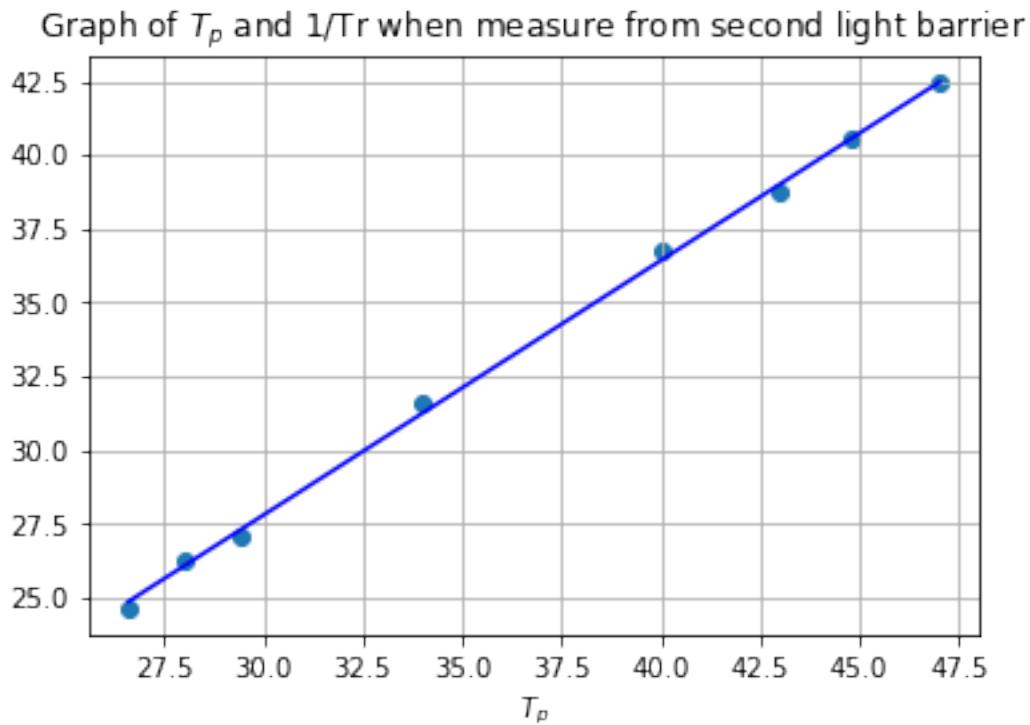
[9] :



$$R^2 = 0.997336044683989$$

$$f(x) = 0.20962434609630795x - 1.3244636934185197$$

$$I = 0.0062$$



$$R^2 = 0.9987049833658189$$

$$f(x) = 0.8628134862229484x + 1.9179656204934474$$

$$I = 0.0015 \text{ kgm}^2$$

0.3 Part 5

0.4 Error Analysis

$$(2.46 \pm 0.12) \times 10^{-8} \quad (2.48 \pm 0.13) \times 10^{-8} \quad (6.9 \pm 0.7) \times 10^{-12}$$