

DOM (viro-phys) 10/11/01

(MU) $x = 20 + 5t$ $x(m)$
 $20m + 5s$ $t(s)$

$x = \frac{20m}{5s}$ $x = 4 \frac{m}{s}$

$20m, 5m/s$ a) ✓

So, Table 1 will be just about the same only without the time.

EX: 6/5/01 6/10/01's
 SPIN = 6/5/01 6/10/01's
 N x 10/01's

c) 30 megabytes
 8 bytes / word
 kilo - 1024 (2x10³)
 mega - 2048 (2x10⁴)
 L 2000 x kilo = 1024x10³
 L 4024 x 10⁶ x 30 =

notes:-
 let n1 group d.
 be holding n1 infinite
 num 350 of elements,
 as well groups that
 also groups by
 themselves.

$\sum_{i=1}^n \frac{1}{i^2} = \frac{\pi^2}{6}$
 $\frac{1}{1^2} + \frac{1}{2^2} + \frac{1}{3^2} + \dots$

20/11/01

basal H₂O - methane - 5km/h
 1:30 h
 3:06 80 km/h

5 km/h x 4.5 = 7.5 km
 80 km/h - 5 km/h = 75 km
 70 km/h - 5 km/h = 7.5 km
 $x = \frac{7.5}{7.5} = 0.1 h = 6 min$ ✓

No. The scale is not adequate to Hough scale.

1) 10¹⁰ phones
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20/11/01

PHYSICS - MAXIMUM VALUE
 THE STANDARD CAN BE MORE PRECISE,
 NEVER THESE NON-THAT
 IT SHALL NOT VARY
 BY THE MEANS OF
 BEING AN INSTANT
 OF COMPRESSION OR
 EXPANSION OR
 BEING A STATIONARY
 OTHERWISE IT SHOULD
 BE NOT, LETTING
 THE MORE
 RECEIVABLES.

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20/11/01

MAXIMUM OR REALLY
 GIVE STATED SECTION
 AND MEASURE METHOD
 OF DEPARTING IN G.

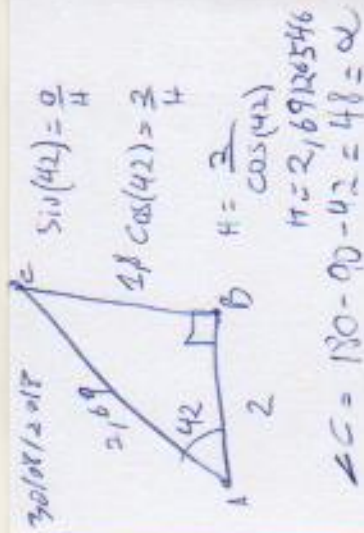
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20/11/01



$0 = \sin(42)H + \sin(42) \frac{2}{\cos(42)}$
 $0 = 2.16926546 + 1.80080809$
 $H^2 = 0^2 + 2^2 = 0.4 \checkmark$

$2\sin(-x) + z = g(x)$
 $\sin(x) = 2\pi$
 $\sin(-x) = 2\pi$
 $(2\pi, 0)$
 $(\pi, 4)$
 $(\pi, 4)$

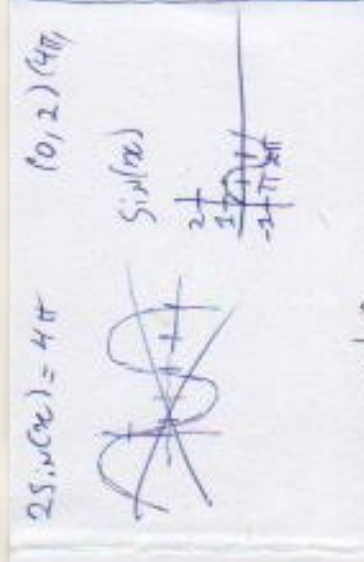
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$3x + y - z = 2$
 $2x + 3z = 4$
 $x + y - 5z = 7$

$\begin{pmatrix} 3 & 1 & -1 & 2 \\ 2 & 0 & 3 & 4 \\ 1 & 1 & -5 & 7 \end{pmatrix}$

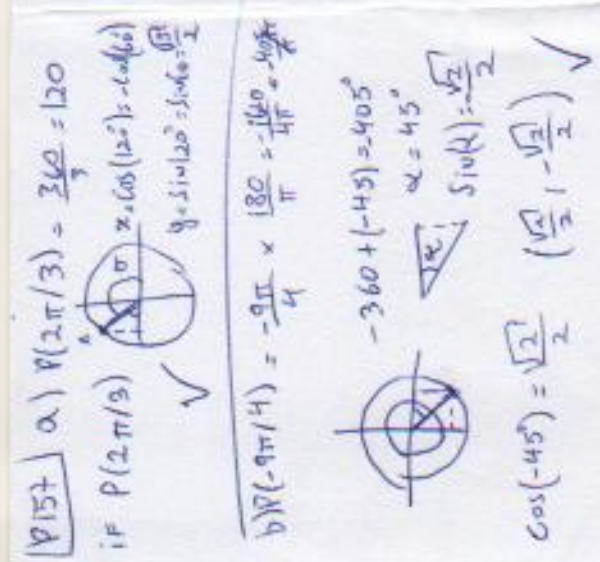
$(a_1, a_2, \dots, a_n) \begin{pmatrix} b_1 \\ b_2 \\ \vdots \\ b_n \end{pmatrix} = \begin{pmatrix} \text{det}(\text{adj}(\text{root})) \\ \text{root} \\ \text{sub} \end{pmatrix}$

The "Scalar" is the number that results from this kind of product, also called scalar product or two vectors.
 Ex: $(135) \begin{pmatrix} 1 \\ -1 \\ 2 \end{pmatrix} = (2 - 5 + 10) = (9) = 9$
 $F(a_1, a_2, \dots, a_n) \quad x = \begin{pmatrix} x_1 \\ x_2 \\ \vdots \end{pmatrix}$



$15/22/03$
 $\text{Resumo } (08/2018 - \text{Agosto})$
 $01/08 - 07/08 = 217 - 129 = 88$
 $01/08 - 31/08 = 284 - 00 = 284$
 $\text{TOTAL} = 88 + 284 = 372$
 $372 \text{ ex} \approx 16 \text{ ex/day}$
 $\frac{372}{23 \text{ days}}$

Scalar product of two vectors:
 $FX = b$
 If x domain is $\mathbb{R} \times \mathbb{R} \times \mathbb{R} \times \mathbb{R}$
 b is a n -tuple of the vectors
 $F_1x = b_1, F_2x = b_2, F_3x = b_3$
 in individual equations, while solution are designated by y
 S_1, S_2, \dots, S_m
 Solution set = intersection
 $S_1 \cap S_2 \cap \dots \cap S_m = x$
 $2x_1 - 3x_2 + 4x_3 = 9$
 $x_2 + 3x_2 + x_3 = 1$
 $x = \begin{pmatrix} x_1 \\ x_2 \\ x_3 \end{pmatrix} = \begin{pmatrix} 1 \\ -1 \\ 2 \end{pmatrix}$



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