

Relationship

$$\frac{a}{40} = \tan 36^\circ 52' \approx 0.75 \quad \text{sid. tables} \quad \text{pg 13}$$

From tables giving values of trigonometric functions (see the Mathematics Dictionary, D. Van Nostrand CO., Appendix 1) he finds  $\tan 36^\circ 52' = .75$ , whence,  $\frac{a}{40} = .75$  and  $a = 40 \times .75 = 30$

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(tables are now calculators)

A variety of problems involving right triangles can be solved similarly. We cite few interesting examples. (Note - Four place tables were used in the solutions of these examples.)

21/12/2018 (pt. 1)

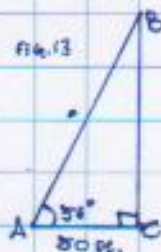
I. How far up a wall will a 30-foot ladder (Figure 12) reach if the foot makes an angle of  $36^\circ$  with the ground?

$$\frac{a}{30} = \sin 36^\circ \quad a = 30 \times 0.5878 \approx 17.63 \text{ ft.}$$

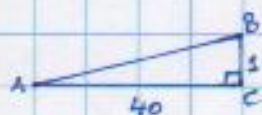
II. How long is the guy rope which supports a pole (Figure 13), if the rope makes an angle of  $36^\circ$  with the ground and is fastened 50 feet from the foot of the pole?

$$\frac{50}{c} = \cos 36^\circ \quad 50 = c \times \cos 36^\circ$$

$$c = \frac{50}{0.8092} \quad \text{whence } c = 89.4 \text{ ft.}$$



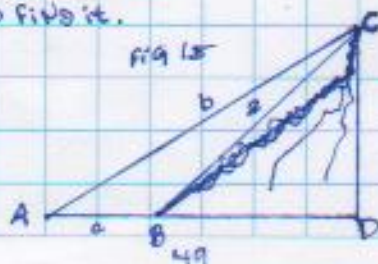
III. What is the inclination of a plane (Figure 14) which rises 1 foot in a horizontal distance of 40 feet?



$$\tan A = \frac{1}{40} \quad \text{OR } 0.025$$

$$A = 1^\circ 26'$$

Unfortunately, the conditions of a problem not always lend themselves to a solution by means of a right triangle. Finding the height of a mountain, for example, may lead to a situation like that in Figure 15 in which side  $a$ , and angles of elevation at  $A$  and  $B$  can be measured; obviously, some new method will have to be devised to find it.



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