```
#include <iostream>
#include <cstdio>
#include <cmath>
#include <algorithm>
using namespace std;
const double PI = acos(-1.0);
const double eps = 1e-10;
//判断 ta 与 tb 的大小关系
int sgn( double ta, double tb)
   if(fabs(ta-tb)<eps)return 0;</pre>
   if(ta<tb)
              return -1;
   return 1;
}
//点
class Point
{
public:
   double x, y;
   Point(){}
   Point( double tx, double ty){ x = tx, y = ty;}
   bool operator < (const Point & se) const</pre>
   {
       return x<_se.x || (x==_se.x && y<_se.y);
   friend Point operator + (const Point &_st,const Point &_se)
   {
       return Point(_st.x + _se.x, _st.y + _se.y);
   }
   friend Point operator - (const Point &_st,const Point &_se)
   {
       return Point(_st.x - _se.x, _st.y - _se.y);
   }
   //点位置相同(double 类型)
   bool operator == (const Point &_off)const
   {
```

```
return sgn(x, _off.x) == 0 \&\& sgn(y, _off.y) == 0;
   }
};
double dot(const Point &po,const Point &ps,const Point &pe)
{
   return (ps.x - po.x) * (pe.x - po.x) + (ps.y - po.y) * (pe.y - po.y);
}
//叉乘
double xmult(const Point &po,const Point &ps,const Point &pe)
   return (ps.x - po.x) * (pe.y - po.y) - (pe.x - po.x) * (ps.y - po.y);
//两点间距离的平方
double getdis2(const Point &st,const Point &se)
   return (st.x - se.x) * (st.x - se.x) + (st.y - se.y) * (st.y - se.y);
}
//两点间距离
double getdis(const Point &st,const Point &se)
   return sqrt((st.x - se.x) * (st.x - se.x) + (st.y - se.y) * (st.y - se.y));
}
//两点表示的向量
class Line
public:
   Point s, e;//两点表示, 起点[s], 终点[e]
   double a, b, c;//一般式,ax+by+c=0
   double angle;//向量的角度,[-pi,pi]
   Line(){}
   Line( Point ts, Point te):s(ts),e(te){}//get_angle();}
   Line(double _a,double _b,double _c):a(_a),b(_b),c(_c){}
   //排序用
   bool operator < (const Line &ta)const</pre>
   {
      return angle<ta.angle;
```

```
}
   //向量与向量的叉乘
   friend double operator / ( const Line &_st, const Line &_se)
      return (_st.e.x - _st.s.x) * (_se.e.y - _se.s.y) - (_st.e.y - _st.s.y)
* (_se.e.x - _se.s.x);
   //向量间的点乘
   friend double operator *( const Line & st, const Line & se)
      return (_st.e.x - _st.s.x) * (_se.e.x - _se.s.x) - (_st.e.y - _st.s.y)
* (_se.e.y - _se.s.y);
   }
   //从两点表示转换为一般表示
   //a=y2-y1,b=x1-x2,c=x2*y1-x1*y2
   bool pton()
   {
      a = e.y - s.y;
      b = s.x - e.x;
      c = e.x * s.y - e.y * s.x;
      return true;
   }
   //半平面交用
   //点在向量左边(右边的小于号改成大于号即可,在对应直线上则加上=号)
   friend bool operator < (const Point & Off, const Line & Ori)
   {
      return (_Ori.e.y - _Ori.s.y) * (_Off.x - _Ori.s.x)
          < (_Off.y - _Ori.s.y) * (_Ori.e.x - _Ori.s.x);
   }
   //求直线或向量的角度
   double get_angle( bool isVector = true)
   {
      angle = atan2( e.y - s.y, e.x - s.x);
      if(!isVector && angle < 0)</pre>
          angle += PI;
      return angle;
   }
   //点在线段或直线上 1:点在直线上 2点在 s,e 所在矩形内
   bool has(const Point &_Off, bool isSegment = false) const
   {
      bool ff = sgn( xmult( s, e, _0ff), 0) == 0;
      if( !isSegment) return ff;
      return ff
```

```
&& sgn(_Off.x - min(s.x, e.x), 0) >= 0 && sgn(_Off.x - max(s.x, e.x)) >= 0 && sgn(_Off.x - max(s.x, 
e.x), 0) <= 0
                                                     && sgn(_Off.y - min(s.y, e.y), 0) >= 0 && sgn(_Off.y - max(s.y, e.y)) >= 0 && sgn(_Off.y - max(s.y, 
e.y), 0) <= 0;
                  }
                  //点到直线/线段的距离
                  double dis(const Point &_Off, bool isSegment = false)
                  {
                                   ///化为一般式
                                   pton();
                                   //到直线垂足的距离
                                   double td = (a * _{off.x} + b * _{off.y} + c) / _{sqrt(a * a + b * b);}
                                   //如果是线段判断垂足
                                   if(isSegment)
                                                      double xp = (b * b * _Off.x - a * b * _Off.y - a * c) / (a * a
+ b * b);
                                                     double yp = (-a * b * _Off.x + a * a * _Off.y - b * c) / (a * a
+ b * b);
                                                     double xb = max(s.x, e.x);
                                                     double yb = max(s.y, e.y);
                                                     double xs = s.x + e.x - xb;
                                                     double ys = s.y + e.y - yb;
                                                 if(xp > xb + eps || xp < xs - eps || yp > yb + eps || yp < ys -
eps)
                                                                      td = min( getdis(_Off,s), getdis(_Off,e));
                                   }
                                   return fabs(td);
                  }
                  //关于直线对称的点
                  Point mirror(const Point &_Off)
                                   ///注意先转为一般式
                                   Point ret;
                                   double d = a * a + b * b;
                                   ret.x = (b * b * _0ff.x - a * a * _0ff.x - 2 * a * b * _0ff.y - 2
 * a * c) / d;
                                   ret.y = (a * a * Off.y - b * b * Off.y - 2 * a * b * Off.x - 2
 * b * c) / d;
                                   return ret;
                  //计算两点的中垂线
```

```
static Line ppline(const Point &_a,const Point &_b)
{
   Line ret;
   ret.s.x = (_a.x + _b.x) / 2;
   ret.s.y = (_a.y + _b.y) / 2;
   //一般式
   ret.a = _b.x - _a.x;
   ret.b = \_b.y - \_a.y;
   ret.c = (_a.y - _b.y) * ret.s.y + (_a.x - _b.x) * ret.s.x;
   //两点式
   if(fabs(ret.a) > eps)
       ret.e.y = 0.0;
       ret.e.x = - ret.c / ret.a;
       if(ret.e == ret. s)
          ret.e.y = 1e10;
          ret.e.x = - (ret.c - ret.b * ret.e.y) / ret.a;
       }
   }
   else
       ret.e.x = 0.0;
       ret.e.y = - ret.c / ret.b;
       if(ret.e == ret. s)
       {
          ret.e.x = 1e10;
          ret.e.y = - (ret.c - ret.a * ret.e.x) / ret.b;
       }
   return ret;
}
//-----直线和直线(向量)------
//向量向左边平移 t 的距离
Line& moveLine( double t)
   Point of;
   of = Point( -( e.y - s.y), e.x - s.x);
   double dis = sqrt( of.x * of.x + of.y * of.y);
   of.x= of.x * t / dis, of.y = of.y * t / dis;
   s = s + of, e = e + of;
   return *this;
}
```

```
//直线重合
   static bool equal(const Line &_st,const Line &_se)
      return _st.has( _se.e) && _se.has( _st.s);
   }
   //直线平行
   static bool parallel(const Line &_st,const Line &_se)
      return sgn( _st / _se, 0) == 0;
   }
   //两直线(线段)交点
   //返回-1代表平行,0代表重合,1代表相交
   static bool crossLPt(const Line &_st,const Line &_se, Point &ret)
      if(parallel(_st,_se))
      {
          if(Line::equal(_st,_se)) return 0;
          return -1;
      }
      ret = _st.s;
      double t = ( Line(_st.s,_se.s) / _se) / ( _st / _se);
      ret.x += (_st.e.x - _st.s.x) * t;
      ret.y += (_st.e.y - _st.s.y) * t;
      return 1;
   }
   //----线段和直线(向量)------
   //直线和线段相交
   //参数: 直线[st],线段[se]
   friend bool crossSL( Line &_st, Line &_se)
      return sgn( xmult( _st.s, _se.s, _st.e) * xmult( _st.s, _st.e, _se.e),
0) >= 0;
   }
   //判断线段是否相交(注意添加 eps)
   static bool isCrossSS( const Line &_st, const Line &_se)
      //1.快速排斥试验判断以两条线段为对角线的两个矩形是否相交
      //2.跨立试验(等于0时端点重合)
      return
          max(_st.s.x, _st.e.x) >= min(_se.s.x, _se.e.x) &&
          max(_se.s.x, _se.e.x) >= min(_st.s.x, _st.e.x) &&
          max(_st.s.y, _st.e.y) >= min(_se.s.y, _se.e.y) &&
          max(_se.s.y, _se.e.y) >= min(_st.s.y, _st.e.y) &&
```

```
sgn( xmult( _se.s, _st.s, _se.e) * xmult( _se.s, _se.e, _st.s),
0) >= 0 &&
          sgn( xmult( _st.s, _se.s, _st.e) * xmult( _st.s, _st.e, _se.s),
0) >= 0;
   }
};
//寻找凸包的 graham 扫描法所需的排序函数
Point gsort;
bool gcmp( const Point &ta, const Point &tb)/// 选取与最后一条确定边夹角最
小的点,即余弦值最大者
{
   double tmp = xmult( gsort, ta, tb);
   if( fabs( tmp) < eps)</pre>
       return getdis( gsort, ta) < getdis( gsort, tb);</pre>
   else if( tmp > 0)
       return 1;
   return 0;
}
class Polygon
{
public:
   const static int maxpn = 5e4+7;
   Point pt[maxpn];//点(顺时针或逆时针)
   Line dq[maxpn]; //求半平面交打开注释
   int n;//点的个数
   //求多边形面积,多边形内点必须顺时针或逆时针
   double area()
   {
       double ans = 0.0;
       for(int i = 0; i < n; i ++)
          int nt = (i + 1) \% n;
          ans += pt[i].x * pt[nt].y - pt[nt].x * pt[i].y;
      return fabs( ans / 2.0);
   //求多边形重心,多边形内点必须顺时针或逆时针
   Point gravity()
   {
       Point ans;
```

```
ans.x = ans.y = 0.0;
       double area = 0.0;
       for(int i = 0; i < n; i ++)
          int nt = (i + 1) \% n;
          double tp = pt[i].x * pt[nt].y - pt[nt].x * pt[i].y;
          area += tp;
          ans.x += tp * (pt[i].x + pt[nt].x);
          ans.y += tp * (pt[i].y + pt[nt].y);
       }
       ans.x /= 3 * area;
       ans.y /= 3 * area;
       return ans;
   }
   //判断点是否在任意多边形内[射线法], O(n)
   bool ahas( Point &_Off)
       int ret = 0;
       double infv = 1e20;//坐标系最大范围
       Line 1 = Line( _Off, Point( -infv ,_Off.y));
       for(int i = 0; i < n; i ++)
       {
          Line ln = Line(pt[i], pt[(i + 1) % n]);
          if(fabs(ln.s.y - ln.e.y) > eps)
          {
              Point tp = (ln.s.y > ln.e.y)? ln.s: ln.e;
              if( ( fabs( tp.y - _Off.y) < eps && tp.x < _Off.x + eps) ||
Line::isCrossSS( ln, l))
                  ret++;
          else if( Line::isCrossSS( ln, 1))
              ret++;
       return ret&1;
   }
   //判断任意点是否在凸包内, 0(logn)
   bool bhas( Point & p)
   {
       if(n < 3)
           return false;
       if( xmult( pt[0], p, pt[1]) > eps)
           return false;
       if( xmult( pt[0], p, pt[n-1]) < -eps)
```

```
return false;
       int l = 2, r = n-1;
       int line = -1;
       while( 1 <= r)
       {
           int mid = (l + r) >> 1;
           if( xmult( pt[0], p, pt[mid]) >= 0)
              line = mid, r = mid - 1;
           else l = mid + 1;
       }
       return xmult( pt[line-1], p, pt[line]) <= eps;</pre>
   }
   //凸多边形被直线分割
   Polygon split( Line &_Off)
   {
       //注意确保多边形能被分割
       Polygon ret;
       Point spt[2];
       double tp = 0.0, np;
       bool flag = true;
       int i, pn = 0, spn = 0;
       for(i = 0; i < n; i ++)
       {
           if(flag)
              pt[pn ++] = pt[i];
           else
              ret.pt[ret.n ++] = pt[i];
           np = xmult( _Off.s, _Off.e, pt[(i + 1) % n]);
           if(tp * np < -eps)
           {
              flag = !flag;
              Line::crossLPt( _{0}ff, Line(pt[i], pt[(i + 1) % n]),
spt[spn++]);
           tp = (fabs(np) > eps)?np: tp;
       }
       ret.pt[ret.n ++] = spt[0];
       ret.pt[ret.n ++] = spt[1];
       n = pn;
       return ret;
   }
```

```
/** 卷包裹法求点集凸包, _p 为输入点集, _n 为点的数量 **/
   void ConvexClosure( Point p[], int n)
   {
       sort(_p,_p + _n);
       n = 0;
       for(int i = 0; i < _n; i++)
       {
          while(n > 1 \&\& sgn(xmult(pt[n-2], pt[n-1], _p[i]), 0) <= 0)
          pt[n++] = _p[i];
       }
       int key = n;
       for(int i = _n - 2; i >= 0; i--)
       {
          while(n > \text{key \&\& sgn}(\text{xmult}(\text{pt}[n-2], \text{pt}[n-1], _p[i]), 0) <=
0)
              n--;
          pt[n++] = _p[i];
       if(n>1) n--;//除去重复的点,该点已是凸包凸包起点
   /***** 寻找凸包的 graham 扫描法***********/
   /***** p 为输入的点集, n 为点的数量**********/
   void graham( Point _p[], int _n)
   {
       int cur=0;
       for(int i = 1; i < _n; i++)
          if( sgn( _p[cur].y, _p[i].y) > 0 || ( sgn( _p[cur].y, _p[i].y)
== 0 \& sgn(p[cur].x, p[i].x) > 0)
              cur = i;
       swap( _p[cur], _p[0]);
       n = 0, gsort = pt[n++] = _p[0];
       if( _n <= 1) return;
       sort( _p + 1, _p+_n ,gcmp);
       pt[n++] = _p[1];
       for(int i = 2; i < _n; i++)</pre>
          while(n>1 && sgn( xmult( pt[n-2], pt[n-1], _p[i]), 0) <= 0)// \stackrel{.}{=}
凸包退化成直线时需特别注意 n
              n--;
          pt[n++] = _p[i];
```

```
}
   }
   //凸包旋转卡壳(注意点必须顺时针或逆时针排列)
   //返回值凸包直径的平方(最远两点距离的平方)
   pair<Point, Point> rotating calipers()
      int i = 1 \% n;
      double ret = 0.0;
      pt[n] = pt[0];
      pair<Point,Point>ans=make_pair(pt[0],pt[0]);
      for(int j = 0; j < n; j ++)
      {
          while( fabs( xmult( pt[i+1], pt[j], pt[j + 1])) >
fabs( xmult( pt[i], pt[j], pt[j + 1])) + eps)
             i = (i + 1) \% n;
          //pt[i]和 pt[j],pt[i + 1]和 pt[j + 1]可能是对踵点
          if(ret < getdis2(pt[i],pt[j])) ret = getdis2(pt[i],pt[j]), ans</pre>
= make_pair(pt[i],pt[j]);
                          getdis2(pt[i+1],pt[j+1]))
          if(ret
                    <
                                                           ret
getdis(pt[i+1],pt[j+1]), ans = make_pair(pt[i+1],pt[j+1]);
      return ans;
   }
   //凸包旋转卡壳(注意点必须逆时针排列)
   //返回值两凸包的最短距离
   double rotating_calipers( Polygon &_Off)
   {
      int i = 0;
      double ret = 1e10;//inf
      pt[n] = pt[0];
      _Off.pt[_Off.n] = _Off.pt[0];
      //注意凸包必须逆时针排列且 pt[0]是左下角点的位置
      while( _Off.pt[i + 1].y > _Off.pt[i].y)
          i = (i + 1) \% _{off.n};
      for(int j = 0; j < n; j ++)
          double tp;
          //逆时针时为 >,顺时针则相反
          while((tp = xmult(_{0}ff.pt[i + 1],pt[j], pt[j + 1]) -
xmult(_Off.pt[i], pt[j], pt[j + 1])) > eps)
             i = (i + 1) \% _{off.n};
          //(pt[i],pt[i+1])和(_Off.pt[j],_Off.pt[j + 1])可能是最近线段
          ret = min(ret, Line(pt[j], pt[j + 1]).dis(_Off.pt[i], true));
```

```
ret = min(ret, Line(_Off.pt[i], _Off.pt[i + 1]).dis(pt[j + 1],
true));
          if(tp > -eps)//如果不考虑 TLE 问题最好不要加这个判断
             ret = min(ret, Line(pt[j], pt[j + 1]).dis(_Off.pt[i + 1],
true));
             ret = min(ret, Line(_Off.pt[i], _Off.pt[i + 1]).dis(pt[j],
true));
          }
      return ret;
   }
   //-----半平面交------
   //复杂度:0(nlog2(n))
   //获取半平面交的多边形(多边形的核)
   //参数: 向量集合[1], 向量数量[1n];(半平面方向在向量左边)
   //函数运行后如果 n[即返回多边形的点数量]为 0 则不存在半平面交的多边形(不存在
区域或区域面积无穷大)
   int judege( Line &_lx, Line &_ly, Line &_lz)
      Point tmp;
      Line::crossLPt(_lx,_ly,tmp);
      return sgn(xmult(_lz.s,tmp,_lz.e),0);
   }
   int halfPanelCross(Line L[], int ln)
      int i, tn, bot, top;
      for(int i = 0; i < ln; i++)
          L[i].get_angle();
      sort(L, L + ln);
      //平面在向量左边的筛选
      for(i = tn = 1; i < ln; i ++)
          if(fabs(L[i].angle - L[i - 1].angle) > eps)
             L[tn ++] = L[i];
      ln = tn, n = 0, bot = 0, top = 1;
      dq[0] = L[0], dq[1] = L[1];
      for(i = 2; i < ln; i ++)
      {
          while(bot < top && judege(dq[top],dq[top-1],L[i]) > 0)
             top --;
          while(bot < top && judege(dq[bot],dq[bot+1],L[i]) > 0)
             bot ++;
          dq[++ top] = L[i];
```

```
}
       while(bot < top && judege(dq[top],dq[top-1],dq[bot]) > 0)
       while(bot < top && judege(dq[bot],dq[bot+1],dq[top]) > 0)
          bot ++;
       //若半平面交退化为点或线
       //
               if(top <= bot + 1)
       //
                   return 0;
       dq[++top] = dq[bot];
       for(i = bot; i < top; i ++)</pre>
          Line::crossLPt(dq[i],dq[i + 1],pt[n++]);
       return n;
   }
};
class Circle
{
public:
   Point c;//圆心
   double r;//半径
   double db, de; //圆弧度数起点, 圆弧度数终点(逆时针 0-360)
   //判断圆在多边形内
   bool inside( Polygon &_Off)
   {
       if(_Off.ahas(c) == false)
          return false;
       for(int i = 0; i < _0ff.n; i ++)</pre>
       {
          Line l = Line(_Off.pt[i], _Off.pt[(i + 1) % _Off.n]);
          if(l.dis(c, true) < r - eps)
             return false;
       }
       return true;
   }
   //判断多边形在圆内(线段和折线类似)
   bool has( Polygon &_Off)
   {
       for(int i = 0; i < _0ff.n; i ++)
          if( getdis2(_{0}ff.pt[i],c) > r * r - eps)
```

```
return false;
   return true;
}
//-----圆弧-----
//圆被其他圆截得的圆弧,参数:圆[_Off]
Circle operator-(Circle &_Off) const
{
   //注意圆必须相交, 圆心不能重合
   double d2 = getdis2(c,_Off.c);
   double d = getdis(c,_Off.c);
   double ans = acos((d2 + r * r - _0ff.r * _0ff.r) / (2 * d * r));
   Point py = _Off.c - c;
   double oans = atan2(py.y, py.x);
   Circle res;
   res.c = c;
   res.r = r;
   res.db = oans + ans;
   res.de = oans - ans + 2 * PI;
   return res;
}
//圆被其他圆截得的圆弧,参数:圆[_Off]
Circle operator+(Circle &_Off) const
   //注意圆必须相交,圆心不能重合
   double d2 = getdis2(c,_Off.c);
   double d = getdis(c,_Off.c);
   double ans = acos((d2 + r * r - _{Off.r} * _{Off.r}) / (2 * d * r));
   Point py = _Off.c - c;
   double oans = atan2(py.y, py.x);
   Circle res;
   res.c = c;
   res.r = r;
   res.db = oans - ans;
   res.de = oans + ans;
   return res;
}
//过圆外一点的两条切线
//参数:点[_0ff](必须在圆外),返回:两条切线(切线的s点为_0ff,e点为切点)
pair<Line, Line> tangent( Point &_Off)
{
   double d = getdis(c,_Off);
   //计算角度偏移的方式
```

```
double angp = acos(r / d), ango = atan2(_Off.y - c.y, _Off.x - c.x);
       Point pl = Point(c.x + r * cos(ango + angp), c.y + r * sin(ango + angp)
angp)),
           pr = Point(c.x + r * cos(ango - angp), c.y + r * sin(ango - angp));
       return make_pair(Line(_Off, pl), Line(_Off, pr));
   }
   //计算直线和圆的两个交点
   //参数: 直线[_0ff](两点式),返回两个交点,注意直线必须和圆有两个交点
   pair<Point, Point> cross(Line _Off)
       _Off.pton();
       //到直线垂足的距离
       double td = fabs(_Off.a * c.x + _Off.b * c.y + _Off.c) / sqrt(_Off.a
* _Off.a + _Off.b * _Off.b);
       //计算垂足坐标
       double xp = (_Off.b * _Off.b * c.x - _Off.a * _Off.b * c.y - _Off.a
* _Off.c) / ( _Off.a * _Off.a + _Off.b * _Off.b);
       double yp = (- _Off.a * _Off.b * c.x + _Off.a * _Off.a * c.y - _Off.b
* _Off.c) / (_Off.a * _Off.a + _Off.b * _Off.b);
       double ango = atan2(yp - c.y, xp - c.x);
       double angp = acos(td / r);
       return make_pair(Point(c.x + r * cos(ango + angp), c.y + r * sin(ango
+ angp)),
          Point(c.x + r * cos(ango - angp), c.y + r * sin(ango - angp)));
   }
};
class triangle
{
public:
   Point a, b, c;//顶点
   triangle(){}
   triangle(Point a, Point b, Point c): a(a), b(b), c(c){}
   //计算三角形面积
   double area()
   {
       return fabs( xmult(a, b, c)) / 2.0;
   }
```

```
//计算三角形外心
   //返回:外接圆圆心
   Point circumcenter()
   {
       double pa = a.x * a.x + a.y * a.y;
       double pb = b.x * b.x + b.y * b.y;
       double pc = c.x * c.x + c.y * c.y;
       double ta = pa * (b.y - c.y) - pb * (a.y - c.y) + pc * (a.y - b.y);
       double tb = -pa * ( b.x - c.x) + pb * ( a.x - c.x) - pc * ( a.x - c.x)
b.x);
       double tc = a.x * (b.y - c.y) - b.x * (a.y - c.y) + c.x * (a.y)
- b.y);
       return Point( ta / 2.0 / tc, tb / 2.0 / tc);
   }
   //计算三角形内心
   //返回:内接圆圆心
   Point incenter()
   {
       Line u, v;
       double m, n;
       u.s = a;
       m = atan2(b.y - a.y, b.x - a.x);
       n = atan2(c.y - a.y, c.x - a.x);
       u.e.x = u.s.x + cos((m + n) / 2);
       u.e.y = u.s.y + sin((m + n) / 2);
       v.s = b;
       m = atan2(a.y - b.y, a.x - b.x);
       n = atan2(c.y - b.y, c.x - b.x);
       v.e.x = v.s.x + cos((m + n) / 2);
       v.e.y = v.s.y + sin((m + n) / 2);
       Point ret;
       Line::crossLPt(u,v,ret);
       return ret;
   }
   //计算三角形垂心
   //返回:高的交点
   Point perpencenter()
   {
       Line u,v;
       u.s = c;
       u.e.x = u.s.x - a.y + b.y;
       u.e.y = u.s.y + a.x - b.x;
```

```
v.s = b;
       v.e.x = v.s.x - a.y + c.y;
       v.e.y = v.s.y + a.x - c.x;
       Point ret;
      Line::crossLPt(u,v,ret);
       return ret;
   }
   //计算三角形重心
   //返回:重心
   //到三角形三顶点距离的平方和最小的点
   //三角形内到三边距离之积最大的点
   Point barycenter()
   {
      Line u,v;
       u.s.x = (a.x + b.x) / 2;
      u.s.y = (a.y + b.y) / 2;
       u.e = c;
       v.s.x = (a.x + c.x) / 2;
       v.s.y = (a.y + c.y) / 2;
       v.e = b;
       Point ret;
      Line::crossLPt(u,v,ret);
       return ret;
   }
   //计算三角形费马点
   //返回: 到三角形三顶点距离之和最小的点
   Point fermentPoint()
       Point u, v;
       double step = fabs(a.x) + fabs(a.y) + fabs(b.x) + fabs(b.y) + fabs(c.x)
+ fabs(c.y);
       int i, j, k;
       u.x = (a.x + b.x + c.x) / 3;
       u.y = (a.y + b.y + c.y) / 3;
       while (step > eps)
       {
          for (k = 0; k < 10; step /= 2, k ++)
          {
              for (i = -1; i <= 1; i ++)
              {
                 for (j =- 1; j <= 1; j ++)
```