

Q) Given N Array elements replace every element

→ $\text{ar}[i]$ with prod of all array elements except itself

→ You cannot / in your code?

0 1 2 3 4

$$\underline{\text{Ex1: }} \text{ar}[5] = \{ 2, 4, 1, 3, 5 \}$$

$$\text{ar}[5] = \{ 60, 30, 120, 40, 24 \}$$

0 1 2 3

$$\underline{\text{Ex2: }} \text{ar}[4] = \{ 1, 6, 2, 3 \} \text{ Prod} = 36$$

$$\text{ar}[4] = \{ 36/1, 36/6, 36/2, 36/3 \}$$

0 1 2 3 4 5 6

$$\underline{\text{Ex3: }} \text{ar}[7] = \{ 2, 1, 3, 2, 1, 4, 2 \}$$

Note: Prefix: Starting at 0^{th} index

$Pf[i] = \text{product of all elements } [0 \dots i]$

Suffix: Ending at $N-1^{\text{th}}$ index

$Sf[i] = \text{product of all elements } [i, N-1]$

Pseudo code

// prod[N]

$i = 0; i < N; i++ \{$

$\underbrace{i}_{\rightarrow \text{product of all elements except } i}$ index
 $\underbrace{\text{prod}[0, i-1]}_{\text{Prep}[i-1]: [0, i-1]} * \underbrace{\text{prod}[i+1, N-1]}_{\text{Sufp}[i+1]: [i+1, N-1]}$

$\text{left} = 1$

$j = 0; j < i; j++ \{ \text{left} = \text{left} * \text{arr}[j] \}$

$\text{right} = 1$

$j = i+1; j < N; j++ \{ \text{right} = \text{right} * \text{arr}[j] \}$

$\text{prod}[i] = \text{left} * \text{right}$

T_C: $N * [N]$

T_C: $O(N^2)$

Idea: We use PreFix product

$\text{prep}[i]$ = Product of all elements from $[0:i]$

$$\text{prep}[i] = \underbrace{\text{prep}[i-1]}_{[0, i-1]} * \alpha^*[i]$$
$$[0, i-1] * \underbrace{\alpha^*[i]}_{\text{prod}} \Rightarrow [0, i]$$

Note: Product of all indices from $[i:j] =$

$$\text{prod} = [0, 1, 2, \dots, i-1, \underbrace{i, \dots, j}]$$

$$\text{Prep}[j] = \text{Prep}[i-1] * \text{prod}[i:j]$$

$$\text{Prod}[i:j] = \frac{\text{Prep}[j]}{\text{Prep}[i-1]}$$

Pseudo code

Prep[N]:

$$\text{Prep}[0] = ar[0]$$

$i = 1; i < N; i++ \{$

$$\} \quad \text{Prep}[i] = \text{Prep}[i-1] * ar[i]$$

Sufp[N]: Sufp[i] = prod of all $[i - N+1]$

$$\text{sufp}[N-1] = ar[N-1]$$

$i = N-2; i >= 0; i-- \{$

$$\} \quad \text{Sufp}[i] = ar[i] * \text{sufp}[i+1]$$

$i = 0; i < N; i++ \{$

$$\underbrace{\text{left}}_{\text{if } i=0} = \text{prod}[0, i-1] = \text{Prep}[i-1] \quad \begin{cases} \text{if } i=0 \\ \text{if } i=1 \end{cases}$$

$$\underbrace{\text{right}}_{\text{if } i=N-1} = \text{prod}[i+1, N-1] = \text{Sufp}[i+1] \quad \begin{cases} \text{if } i=N-1 \\ \text{if } i=1 \end{cases}$$

$$ar[i] = \text{left} * \text{right}$$

$\}$

$$\begin{aligned} TC &= O(N + N + N) \\ &\Rightarrow O(N) \end{aligned}$$

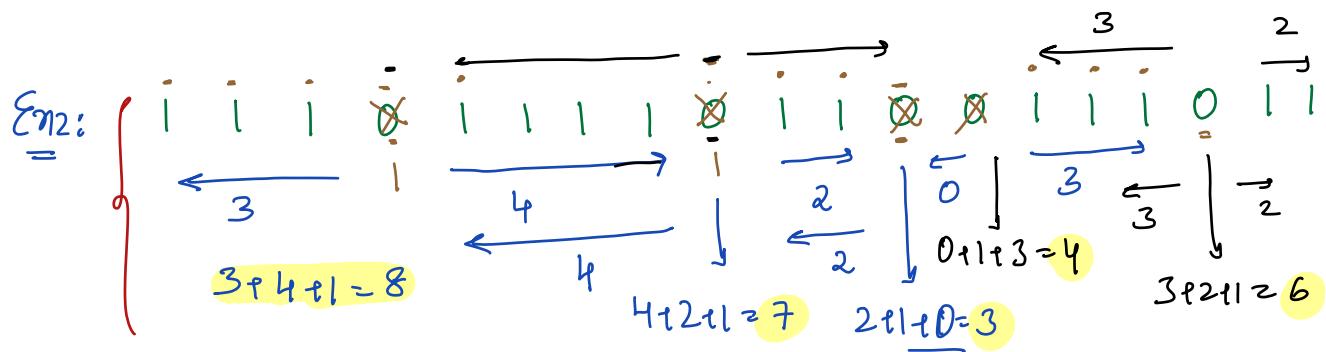
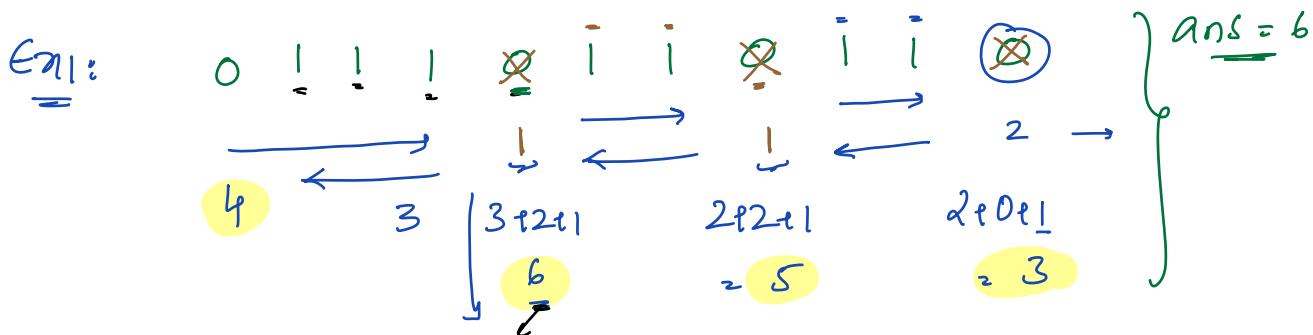
TODO:

$\} \quad \begin{array}{l} \text{Carry forward your} \\ \text{left product} \\ \text{TC: } O(N + N) \quad SC: O(N) \end{array}$

28) Max Consecutive 1's

[Every arr[i] is 0 or 1]

Given a Binary array [], we can almost replace
a single 0 with 1 find max consecutive 1's we
can get



Ex3: 1 1 1 0 1 1 0 1 1 1 0 1

Ex4: 1 1 1 1 1 } Ans = 5

Sol: Approach:

Ans = 0

Iterate q get count of 1's = cnt;

if (cnt == N) { return N; }

i = 0; i < N; i++ { } $\Rightarrow T_C: O(N)$

if (arr[i] == 0) { }

l = 0; \Rightarrow { No. of consecutive 1's on left }

j = i - 1; j >= 0; j-- { }

if (arr[j] == 1) { l++ }

else { break }

$\Rightarrow N$

r = 0; \Rightarrow { No. of consecutive 1's on right }

j = i + 1; j < N; j++ { }

if (arr[j] == 1) { r++ }

else { break }

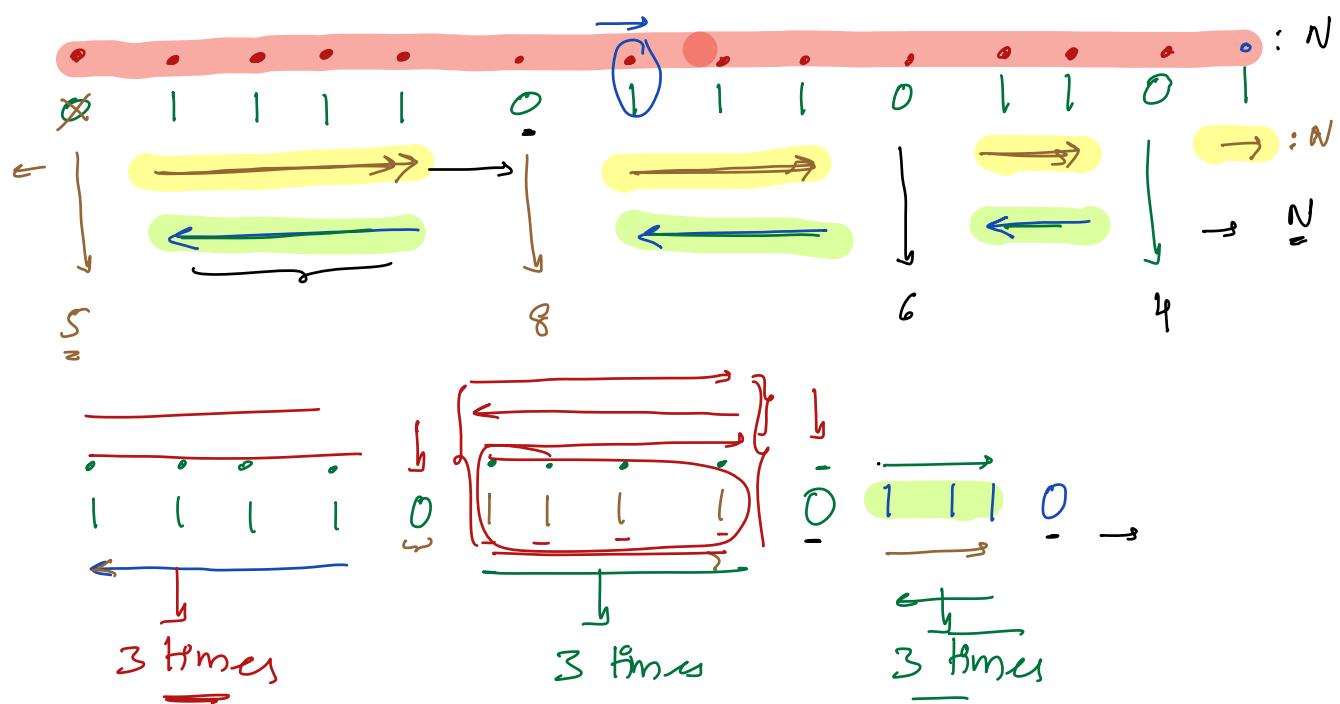
$\Rightarrow N$

T = l + r + 1

ans = max(ans, l + r + 1)

}

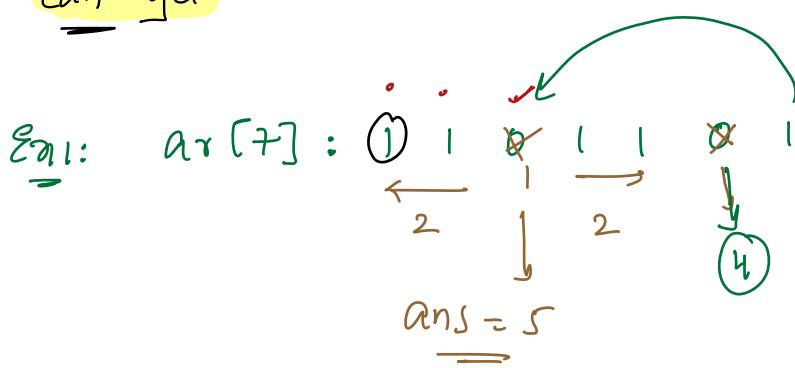
$j = 1; j <= 3; j++) \{$ } Every $dc = 3$ times
 $q = 0; q < N; q++$
 $| \quad \text{printCar}(P)$
 3
 3



Total iterations = Total inner loop iterations

1 should be with m array

Given a Binary array [], we can can almost swap
a single 0 with 1 find max consecutive 1's we
can get



Ex2: $ar[9] = \begin{array}{cccccccccc} 1 & 1 & \cancel{0} & 1 & 0 & 1 & 0 & 1 & 1 \\ \underline{\underline{2 \ 1 \ 1 \ 1}} \end{array}$

Ex3: $ar[7] = \begin{array}{ccccccc} 1 & 1 & 1 & \cancel{0} & 1 & 1 & 1 \\ \downarrow & & & \downarrow & & & \downarrow \\ left = 3 & & right = 3 & & & & \end{array} \rightarrow \begin{array}{ccccccc} 1 & 1 & 1 & 1 & 1 & 1 & 0 \end{array}$

Total ans = $\boxed{left + right}$

Ex4: $ar[8] = \begin{array}{ccccccc} 1 & 1 & \cancel{0} & 1 & 1 & 1 & 0 & 0 \end{array}$

$left = 2, right = 3$

Total ans = $2 + 3 = 5$

Approach:

ans = 0

Iterate q get count of 1's = cnt;

if (cnt == N) { return N }

i = 0; i < N; i++) { } $\Rightarrow T_C: O(N)$

if (arr[i] == 0) { }

l = 0; \Rightarrow No. of consecutive 1's on left

j = i+1; j <= N; j++) { } $\Rightarrow N$

if (arr[j] == 1) { l++ }

else { break }

r = 0; \Rightarrow No. of consecutive 1's on right

j = i+1; j < N; j++) { }

if (arr[j] == 1) { r++ }

else { break }

if (cnt > l+r) { // I can spare extra 1 }

ans = max (ans, l+r)

end =

ans = max (ans, l+r)

38) Find no of triplets (i, j, k) such that

$$\{ \underbrace{i < j < k}_{\text{index}} \} \text{ s.t. } \underbrace{ar[i] < ar[j] < ar[k]}_{\text{arr}}$$

Ex: $\begin{matrix} 0 & 1 & 2 & 3 & 4 \\ 3 & 4 & 6 & 9 & 2 \end{matrix}$

<u>Triplets:</u>	i	j	k	$ar[i]$	$ar[j]$	$ar[k]$	
	0	1	2	3	4	6	✓
	0	2	3	3	6	9	✓
	0	1	3	3	4	9	✓
	1	2	3	4	6	9	✓

$$ar[5] = \{ 2, 4, 6, 9, 10 \}$$

<u>Triplets:</u>	i	j	k	$ar[i]$	$ar[j]$	$ar[k]$	
	0	1	2	2	6	9	✓
	0	1	4	2	6	10	✓
	0	2	4	2	9	10	✓
	1	2	4	6	9	10	✓
	0	3	4	2	4	10	✓

3 Nested Loops

cnt = 0

$i = 0$ $i < N; i+1 \{$ $\rightarrow O(N^3)$ SC: O(1)

Can I say we are forming

$j = i+1; j < N; j+1 \{$

if ($arr[i] > arr[j]$) {

1st element in triplet: arr[i]

$k = j+1; k < N; k+1 \{$

if ($arr[i] < arr[j] < arr[k]$) {

cnt++;

→ Sunday: Problem Solving Assignment

: 2 - 4:30 PM

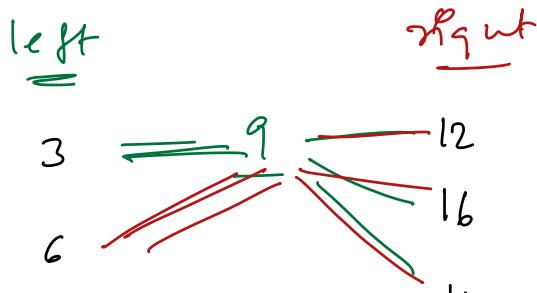
→ N bulbs ✓

→

Ans:

	0	1	2	3	4	5	6	7	8
ar[]:	3	6	9	12	5	16	8	7	11
left:	1	2	3	1	5	3	3	2	
right:	6	3	1	4	0	1	1		

$$\left\{ \begin{array}{l} \text{Total } \gamma = \\ \text{Triplus} \end{array} \right. \quad 6 + 6 + 3 + 4 + 0 + 3 + 3 = 25$$



Final Optimized Sol

TC: $O(N \log N)$

1) Balanced BST

2) Segment Trees

cnt = 0

i = 1; i < N-1; i++) {

// ar[i]

①

left = number of less than
ar[i] in left [0, i-1]

right = number of greater than
ar[i] in right [i+1, N-1]

cnt = cnt + left + right

TC: $O(N^2)$ SC: $O(1)$

$ar[]:$ 3 4 8 7

→ 3 5 8 9 ~~6~~ 13 ~~12~~ 15