

# HANDS-ON — CUDA SDK - LIBRARIES, NUMERICAL ACCURACY

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→ <https://tinyurl.com/cudafordummies/ii/ho4/notes-ho4.pdf>

# OUTLINE

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**Exercise**

**Q1)** Given the following matrix,

$$\mathbf{A} = \begin{pmatrix} 0.30 & -0.61 & 0.40 & 0.37 & -0.49 \\ 0.51 & -0.29 & -0.41 & 0.36 & 0.61 \\ 0.08 & -0.38 & -0.66 & -0.50 & -0.40 \\ 0.00 & -0.45 & 0.46 & -0.62 & 0.46 \\ 0.80 & 0.45 & 0.17 & -0.31 & -0.16 \end{pmatrix}$$

how could we quickly check with the help of CUBLAS that this is actually a matrix consisting of only eigenvectors of a symmetric matrix  $M$  ?

- A1)** *Since the eigenvectors of a symmetric matrix  $M$  are orthogonal to each other, it follows that the inverse,  $A^{-1}$ , is simply the transposed,  $A^t$ , making the matrix matrix multiplication,  $A^t \times A$  result in the unit matrix  $E$ . Matrix matrix multiplication is a straightforward case for CUBLAS (see below version for download).*

### *Exercise*

- Q2)** Could we make use of CUDA managed unified memory, i.e. `cudaMallocManaged()`, when calling CUBLAS, for example when modifying the previous case ?

10 min

A2)

*Yes we can, as long as we don't forget to synchronize the device after the CUBLAS call (see below version for download).*

→ [https://tinyurl.com/cudafordummies/ii/ho4/chck\\_ev\\_v3.cu](https://tinyurl.com/cudafordummies/ii/ho4/chck_ev_v3.cu)

→ <https://stackoverflow.com/questions/65501537/cudamallocmanaged-unified-memory-with-cublas>