

Newton's Laws

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FORCES:-

- a force is a push or a pull
- the 4 fundamental forces are: the electromagnetic force, gravitational force, strong nuclear force and weak nuclear force

FRICTION:-

- a contact force parallel to the contact surfaces
- static friction acts to prevent objects from sliding $\rightarrow f = \mu_s N$
- kinetic friction acts to make sliding objects slow down $\rightarrow f = \mu_k N$

TENSION:-

- an ideal chord has zero mass, does not stretch, and the tension is the same throughout the chord

SPRING FORCE:-

- exerted by a compressed or stretched spring upon any object that is attached to it.
- an object that compresses or stretches a spring is always acted upon by a force that restores the object to its rest/equilibrium position.

NORMAL FORCE:-

- acts in the direction \perp to the contact surface

LAWS OF MOTION:-

- if an object moves with uniform motion (constant velocity), no force is required for the motion to be maintained, for example, moon-earth system, electron-nucleus system.
- an object accelerates only if the net force acting on it \neq zero, else $acc = \text{zero}$, velocity remains constant, and object is said to be in equilibrium.

NEWTON'S LAWS:-

1. an object at rest | in motion will stay at rest | in motion at const- velocity, unless acted upon by an unbalanced force
2. acceleration of an object is directly proportional to the net force acting on it, and inversely proportional to its mass ($\Sigma F = ma$)
3. every action force has an equal and opposite reaction force ($F_A = -F_B$)

INERTIA:- the tendency of an object to resist any attempt to change its velocity

MASS:- how much inertia an object has

WEIGHT:- weight = magnitude of gravitational force exerted on object

ATWOOD'S MACHINE:-

When two objects of unequal mass are hung vertically over a frictionless pulley of negligible mass, Determine the magnitude of the acceleration of the two objects and the tension in the lightweight cord.

$$\Sigma F_y = m_2 g - T = m_2 a_y$$

$$\Sigma F_y = T - m_1 g = m_1 a_y$$

$$-m_1 g + m_2 g = m_1 a_y + m_2 a_y$$

$$a_y = \left(\frac{m_2 - m_1}{m_1 + m_2} \right) g$$

$$T = \left(\frac{2m_1 m_2}{m_1 + m_2} \right) g$$

Special Cases When $m_1 = m_2$, then $a_y = 0$ and $T = m_1 g$, as we would expect for this balanced case. If $m_2 \gg m_1$, then $a_y \approx g$ (a freely falling body) and $T \approx 2m_1 g$.

