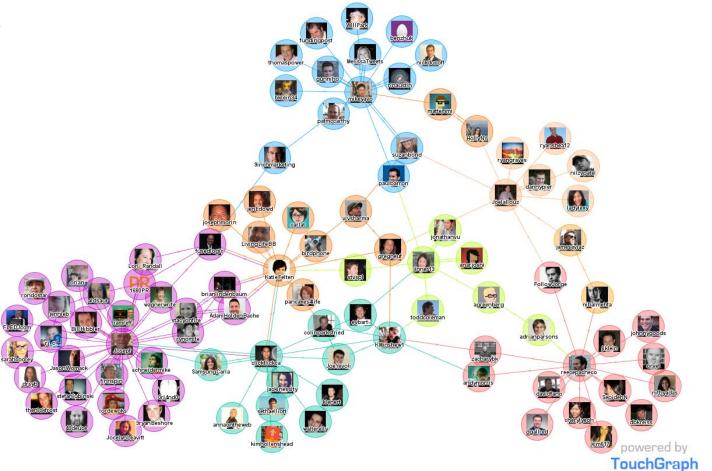


# Introduction to complex networks

## Networks are everywhere!!!

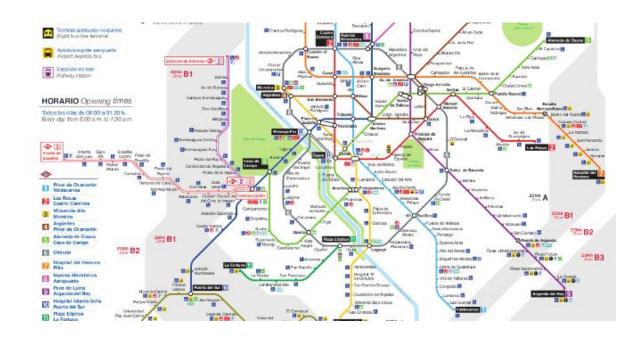
#### Social Networks:

- Facebook
- LinkedIn
- Instagram...



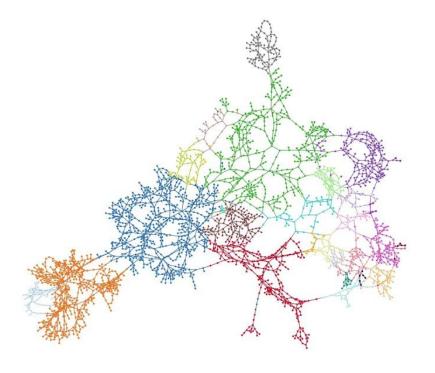
#### **Transportation Networks:**

- Metro
- Roads
- Planes...

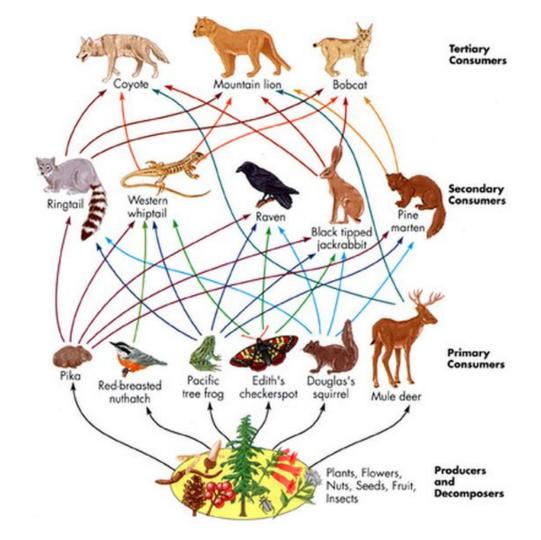


#### Power Networks:

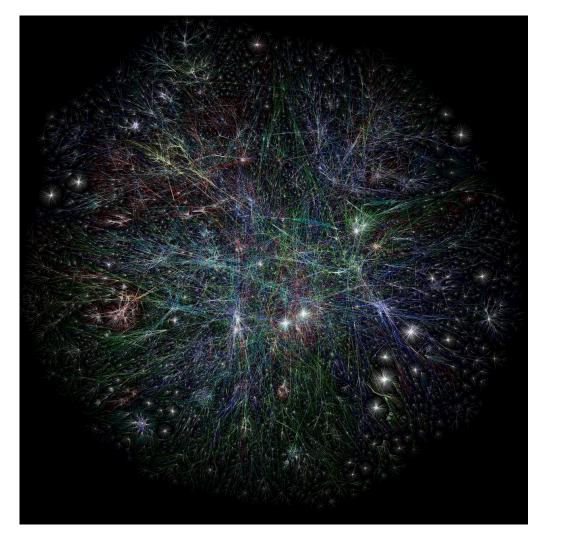
- Electricity Roads
- Planes...



#### **Ecological Networks**

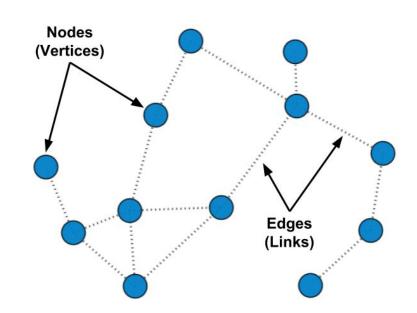


### The internet!



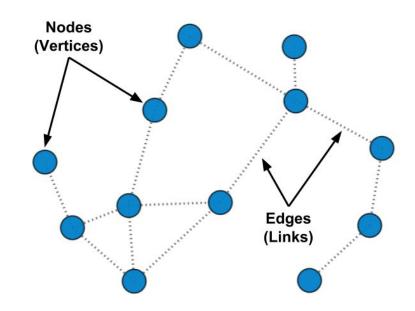
## How can we generally describe this objects?

In general we can define a network as "a set of nodes connected by a set of links"



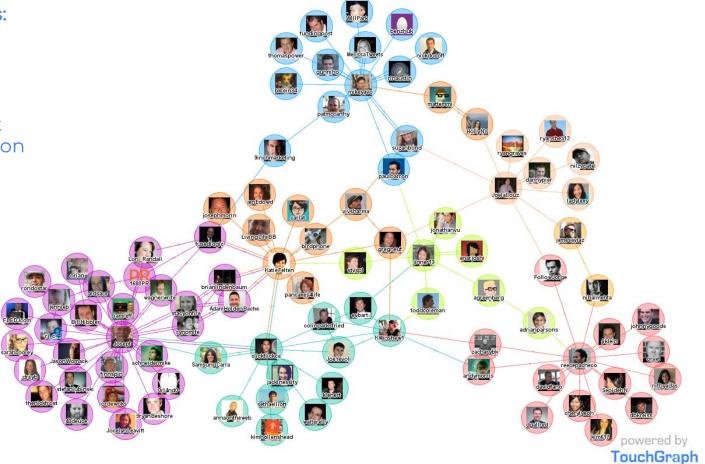
#### Basic definitions:

- Node
  - Type
- Link
  - Weight
  - Direction



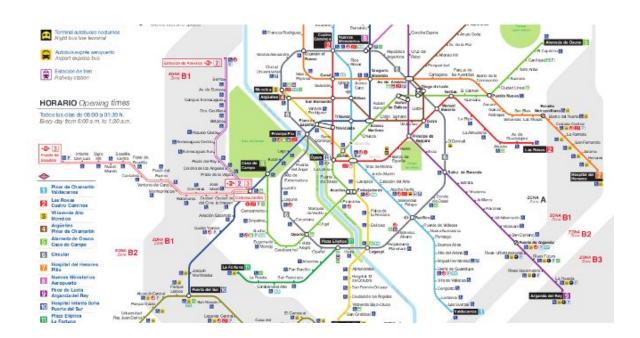


- Node
  - Type
- Link
  - Weight
  - Direction



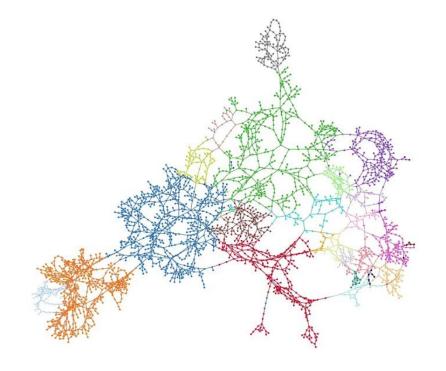
#### Basic definitions:

- Node
  - Туре
- Link
  - Weight
  - Direction



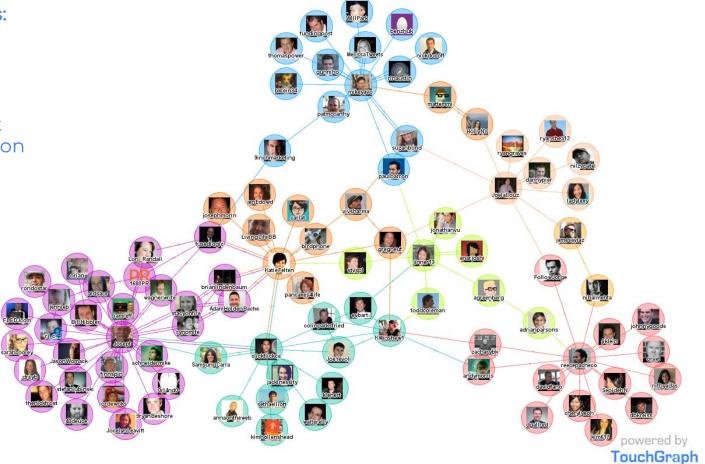
#### Basic definitions:

- Node
  - о Туре
- Link
  - Weight
  - Direction





- Node
  - Type
- Link
  - Weight
  - Direction



Vulnerability due to interconnectivity

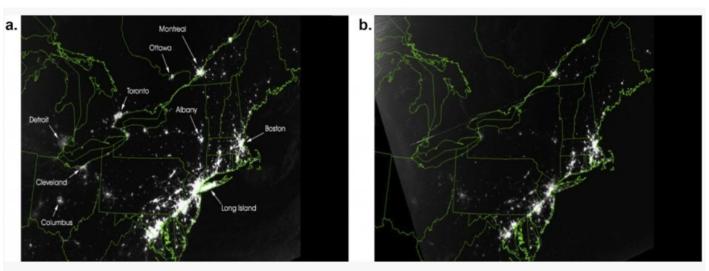
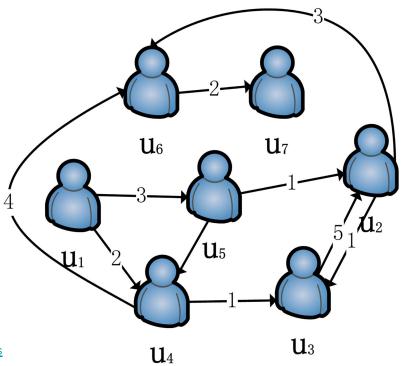


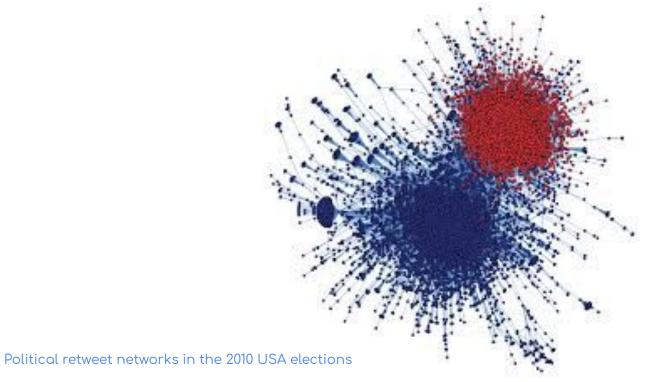
Image 1.1
2003 North American Blackout

• Friendship recommendation in social networks

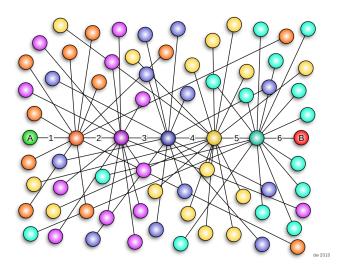


See also: Leaking privacy and shadow profiles in social networks

Political polarization and echo chambers

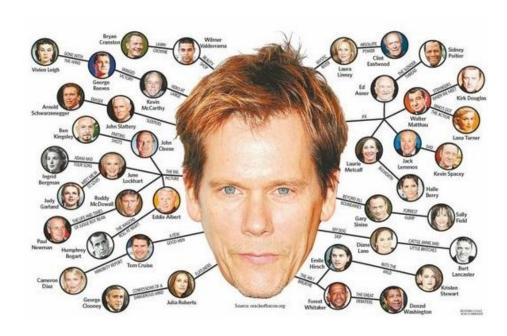


• Explaining the <u>small world effect</u>



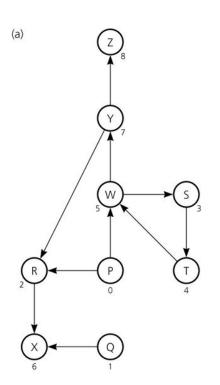
• To play the <u>Bacon Game</u>:)

Link to the game



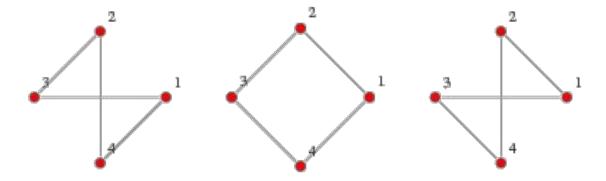
#### Representing a network:

- Adjacency Matrix (also edge lists)



b)		0	1	2	3	4	5	6	7	8
		Р	Q	R	S	T	W	Χ	Υ	Z
0	Р	0	0	1	0	0	1	0	0	0
1	Q	0	0	0	0	0	0	1	0	0
2	R	0	0	0	0	0	0	1	0	0
3	S	0	0	0	0	1	0	0	0	0
4	Т	0	0	0	0	0	1	0	0	0
5	W	0	0	0	1	0	0	0	1	0
6	X	0	0	0	0	0	0	0	0	0
7	Υ	0	0	1	0	0	0	0	0	1
8	Z	0	0	0	0	0	0	0	0	0

 Exercise: Write the adjacency matrix for the following networks:



# Tomorrow we will explore some networks using Networkx