http://asu-compmethodsphysics-phy494/gighub.@/ASIA-RHY494/
Matrix A with elements Q; A = a;

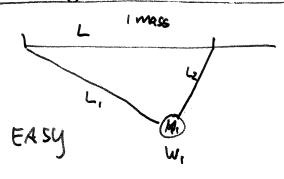
i: row

$$A \cdot x = \lambda x$$

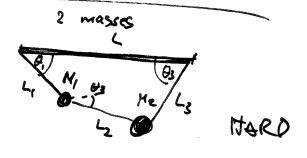
inverse (closes not always entit, A must be NKN squar)

Olet (A) : oleterminant

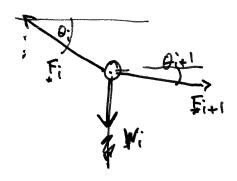
## 3 Strings/2 Masses Problem



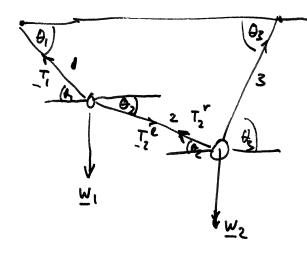
fixed by L, Lz



 $\theta_1$ ,  $\theta_2$ ,  $\theta_3$  can adjust according to  $W_1$  and  $W_2$ ,  $W_1 = M_1 g$ 



F: + 7;+1 + W: = 0



Both manes are at rest:

**剡**i:

$$E_1 + E_2 + W_1 = \sigma$$

$$(v) - T_1 \cos \theta_1 + T_2 \cos \theta_2 = \sigma$$

$$H_2: \frac{F^r + F_3 + W_2 = \sigma}{}$$

Geometry:

$$F_{1} = T_{1} \begin{pmatrix} -\cos\theta_{1} \\ \sin\theta_{1} \end{pmatrix}$$

$$F_{2} = T_{2} \begin{pmatrix} \cos\theta_{2} \\ -\sin\theta_{2} \end{pmatrix}$$

$$F_{3} = T_{3} \begin{pmatrix} \cos\theta_{3} \\ \sin\theta_{3} \end{pmatrix}$$

$$W_{1} = \begin{pmatrix} 0 \\ -w_{1} \end{pmatrix}$$

$$W_{2} = \begin{pmatrix} -\omega_{1} \\ -\sin\theta_{1} \end{pmatrix}$$

$$L_{1} = L_{1} \begin{pmatrix} \cos\theta_{1} \\ -\sin\theta_{2} \end{pmatrix}$$

$$L_{2} = L_{2} \begin{pmatrix} \cos\theta_{2} \\ -\sin\theta_{2} \end{pmatrix}$$

$$L_{3} = L_{3} \begin{pmatrix} \cos\theta_{3} \\ \sin\theta_{3} \end{pmatrix}$$

$$\cos \theta_{1} + \sin^{2} \theta_{2} = 1 \qquad (7)$$

$$\cos^{2} \theta_{2} + \sin^{2} \theta_{2} = 1 \qquad (8)$$

Computational Methods in Physics (ASU PHY494)

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Write equation sas

$$\vec{t}(\vec{x}) = \vec{o}$$

$$f_{\epsilon}(X) = X_{5}^{2} + X_{2}^{2} - 1 = 0$$

-> root fuoling!

-> engly Newson - Royleson:

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$$QX = -\frac{1}{1}f = -(f_i)_{-1}f$$

n-D:

Short with X and get correction AX so that f(x+ax) = 0

Assume x is close: expand

$$\frac{1}{1}(\frac{x}{x} + ax) = \frac{1}{1}(\frac{x}{x}) + \frac{1}{1}\frac{1}{2}\frac{1}{1}\frac{1}{2$$

$$\frac{1}{2}(x+4x)=\frac{1}{2}(x)+\frac{1}{2}(x)$$

(dropped  $\tilde{x}$  and just write x)

Matrix equation: 9 unknowns ex:, 9 equations:

$$f + \underline{J} \Delta x = 0$$
or 
$$\underline{J} \Delta x = -f$$

Formally: solve with inverse ] ( ] ] ( ] ]:

$$\nabla \bar{x} = -\bar{j} \cdot f$$
 (compose to  $\Delta x = -(f') \cdot f$ .)

When solver for  $A \times = b$ 

. numpy. luialg. solve (), dot() (or obsalare as metries)

· test solution by evaluaty & x - b