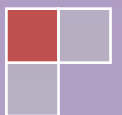


SCS
2111

LABORATORY II

TAKE HOME ASSIGNMENT-2

13000853
2013/CS/085
SCS 2111



- **Q1**

a) Load the data set in the package “dataset”?

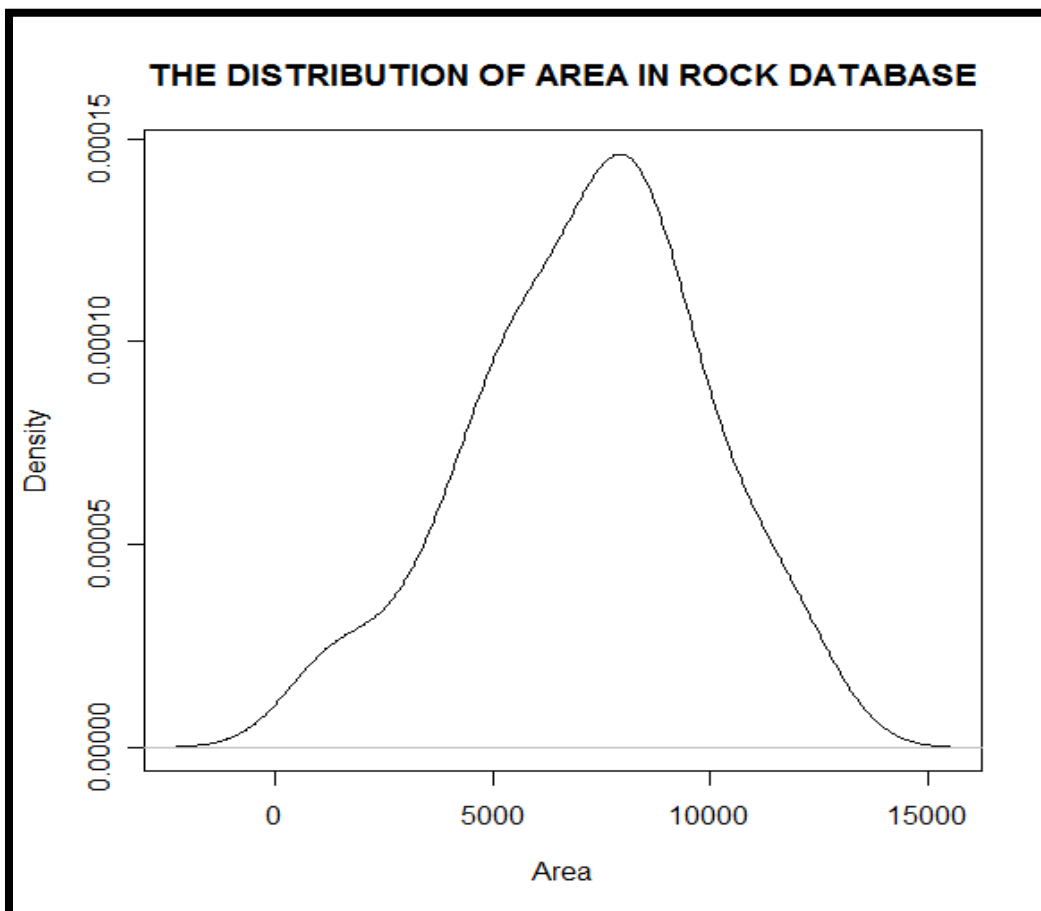
```
> data(package="datasets")
> rock
```

	area	peri	shape	perm
1	4990	2791.900	0.0903296	6.3
2	7002	3892.600	0.1486220	6.3
3	7558	3930.660	0.1833120	6.3
4	7352	3869.320	0.1170630	6.3
5	7943	3948.540	0.1224170	17.1
6	7979	4010.150	0.1670450	17.1
7	9333	4345.750	0.1896510	17.1
8	8209	4344.750	0.1641270	17.1
9	8393	3682.040	0.2036540	119.0
10	6425	3098.650	0.1623940	119.0
11	9364	4480.050	0.1509440	119.0
12	8624	3986.240	0.1481410	119.0
13	10651	4036.540	0.2285950	82.4
14	8868	3518.040	0.2316230	82.4
15	9417	3999.370	0.1725670	82.4
16	8874	3629.070	0.1534810	82.4
17	10962	4608.660	0.2043140	58.6
18	10743	4787.620	0.2627270	58.6
19	11878	4864.220	0.2000710	58.6
20	9867	4479.410	0.1448100	58.6
21	7838	3428.740	0.1138520	142.0
22	11876	4353.140	0.2910290	142.0
23	12212	4697.650	0.2400770	142.0
24	8233	3518.440	0.1618650	142.0
25	6360	1977.390	0.2808870	740.0
26	4193	1379.350	0.1794550	740.0
27	7416	1916.240	0.1918020	740.0
28	5246	1585.420	0.1330830	740.0
29	6509	1851.210	0.2252140	890.0
30	4895	1239.660	0.3412730	890.0
31	6775	1728.140	0.3116460	890.0
32	7894	1461.060	0.2760160	890.0
33	5980	1426.760	0.1976530	950.0
34	5318	990.388	0.3266350	950.0
35	7392	1350.760	0.1541920	950.0
36	7894	1461.060	0.2760160	950.0

- b) Carryout a descriptive analysis for the above variables and comment on your findings?

Descriptive analysis for Area

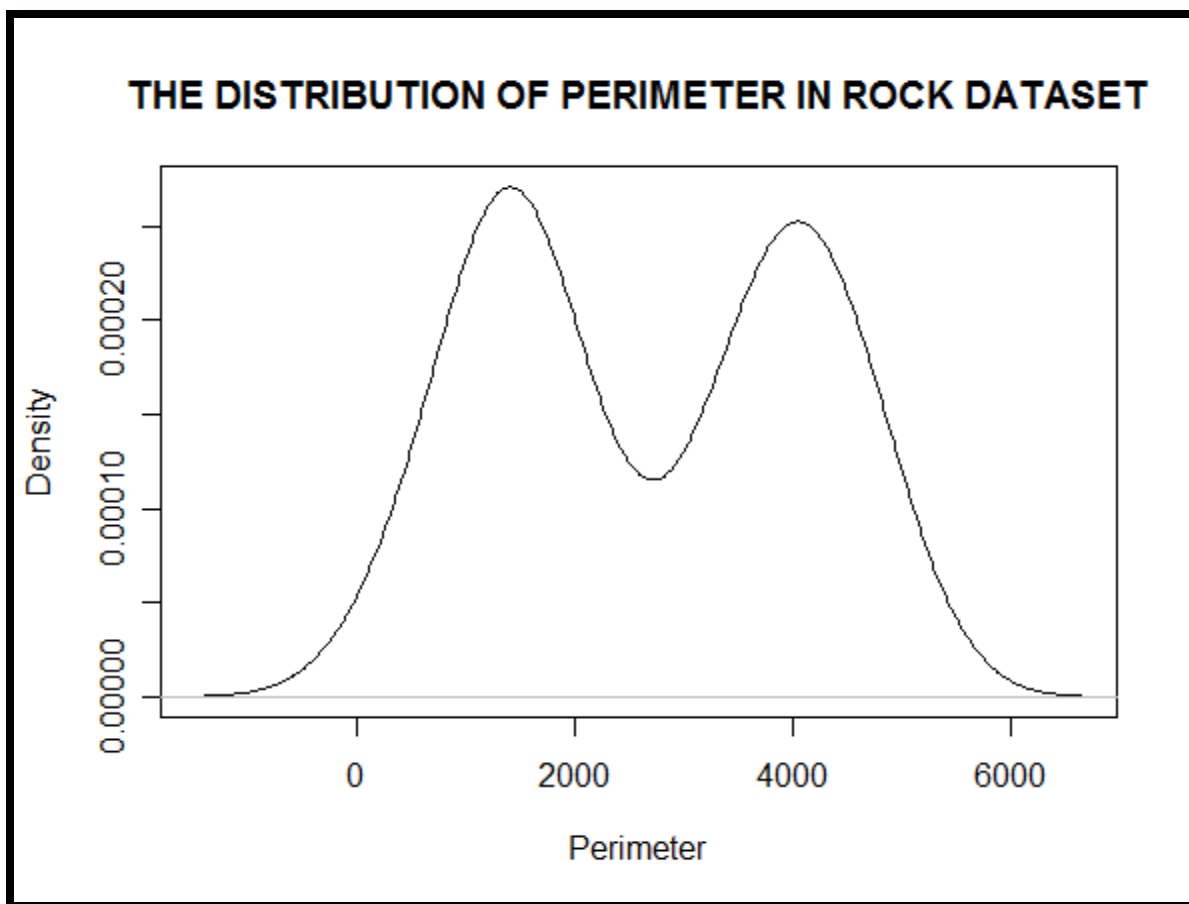
```
> summary(rock$area)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
  1016   5305   7487   7188   8870  12210
> plot(density(rock$area,na.rm=T),main="THE DISTRIBUTION OF AREA IN ROCK DATABASE",xlab="Area",ylab="Density")
Warning message:
In density.default(rock$area, na.rm = T) :
  non-matched further arguments are disregarded
> plot(density(rock$area,na.rm=T),main="THE DISTRIBUTION OF AREA IN ROCK DATABASE",xlab="Area",ylab="Density")
```



The median value of the area is around 7000. In here normal distribution when consider the minimum, maximum and the median value. The graph for the distribution of area in rock dataset is a normal distribution symmetric graph. It has a peak value near 7000.

Descriptive analysis for Perimeter

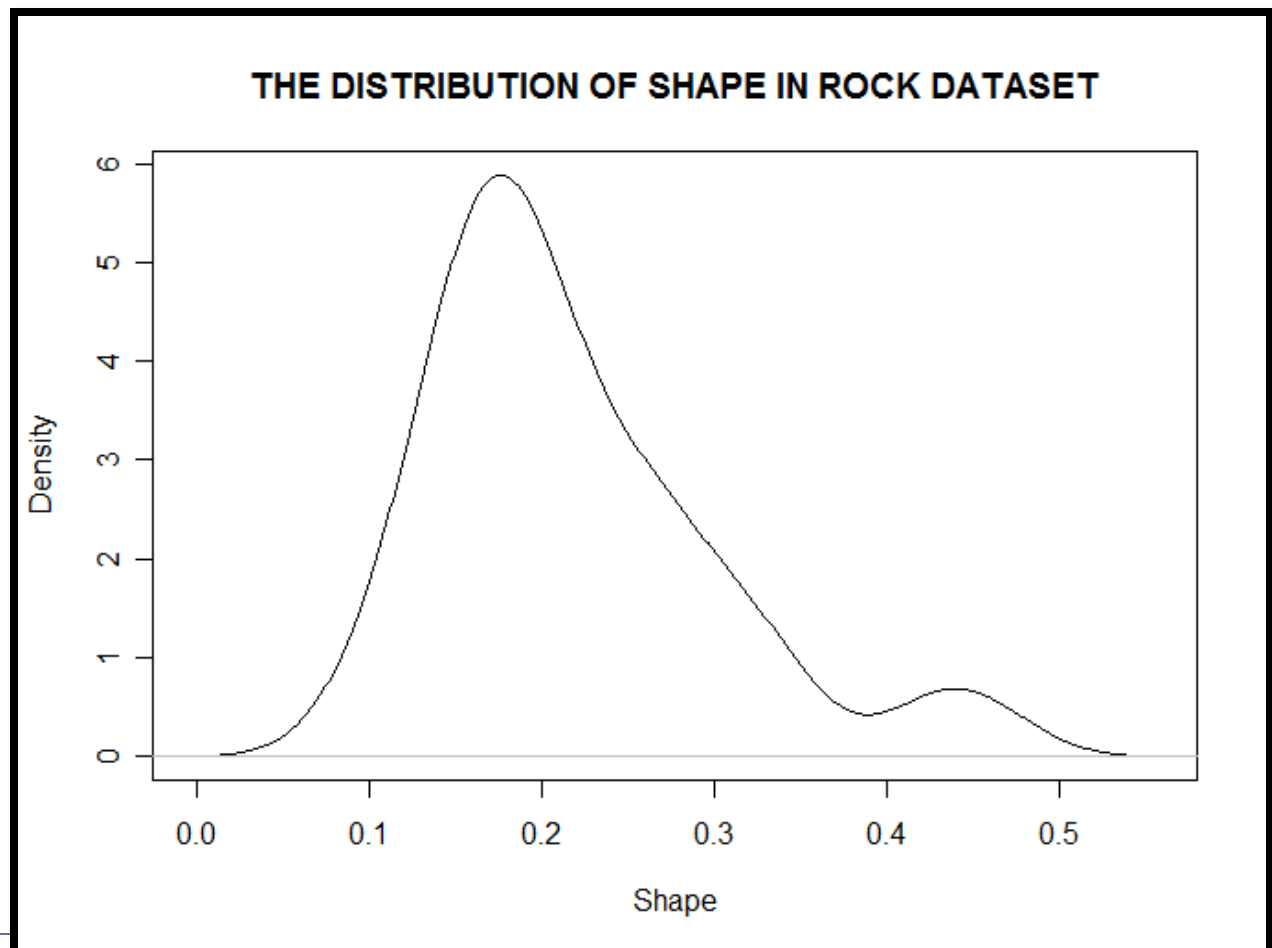
```
> summary(rock$peri)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
  308.6 1415.0 2536.0 2682.0 3990.0 4864.0
> plot(density(rock$peri,na.rm=T),main="THE DISTRIBUTION OF PERIMETER IN ROCK DATASET",xlab="Perimeter",ylab="Density")
> |
```



Distribution of perimeter has a median value of 2536 while mean is 2682. From the distribution graph, that most of the perimeter is distributed between 1000 and 4000 and the graph is a bimodal graph.

Descriptive analysis for Shape

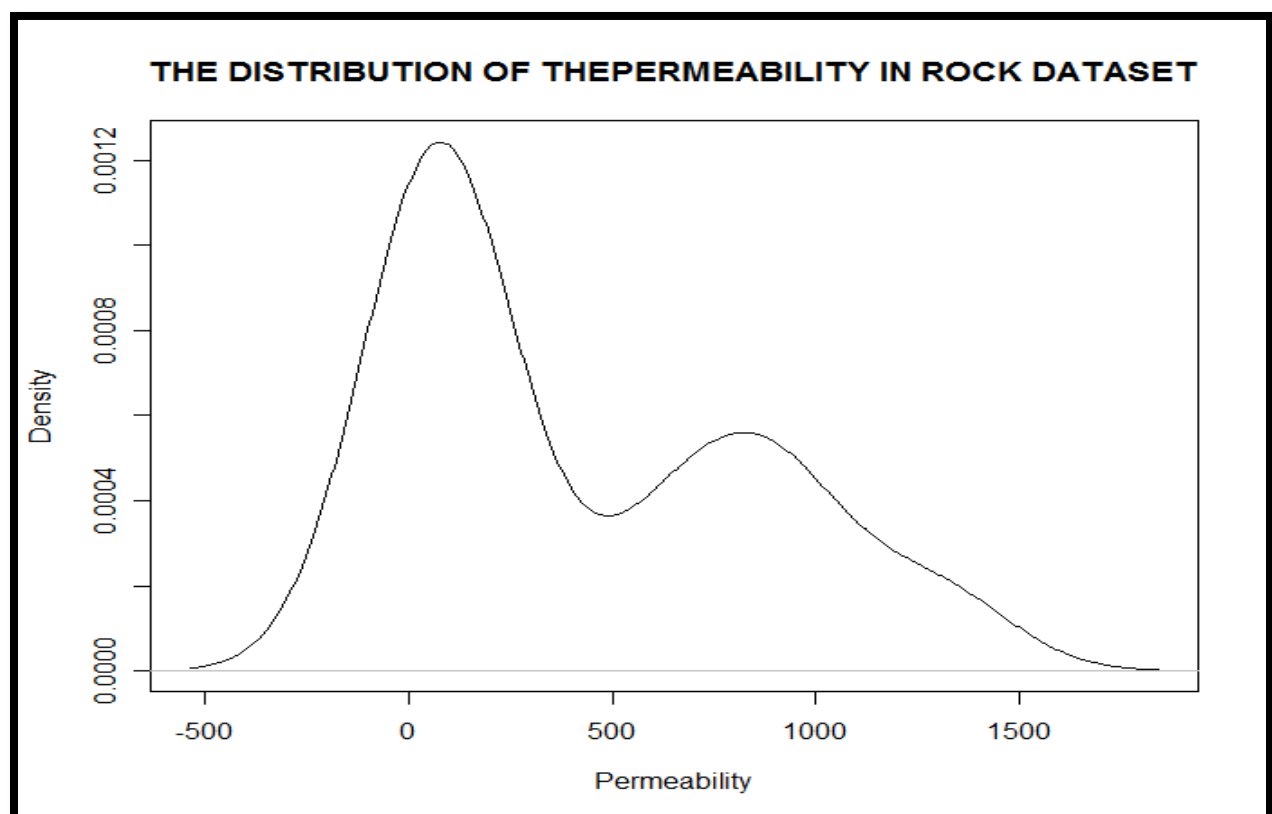
```
> summary(rock$shape)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
0.09033 0.16230 0.19890 0.21810 0.26270 0.46410
> plot(density(rock$shape,na.rm=T),main="THE DISTRIBUTION OF SHAPE IN ROCK DATASET",xlab="Shape",ylab="Density")
> |
```



The shape distribution has a mean value of 0.21810 while 0.19890 value of median. The distribution graph has a continuous distribution with a positive skewness. The peak value is around 0.19.

Descriptive analysis for Permeability

```
> summary(rock$perm)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
  6.30   76.45   130.50   415.40   777.50  1300.00
> plot(density(rock$perm,na.rm=T),main="THE DISTRIBUTION OF THEPERMEABILITY IN ROCK DATASET",xlab="Permeability",ylab="Density")
> |
```



Permeability distribution has a median value around 130.5 and mean value of 415.4. The distribution graph has a positive skewness while graph has two peaks around 100 and 800.

- c) Construct 95% confidence interval for the variable “area” and interpret your results

```
> meanRock<-mean(rock$area)
> meanRock
[1] 7187.729
> lengthRock<-length(rock$area)
> lengthRock
[1] 48
> meanRock<-mean(rock$area)
> meanRock
[1] 7187.729
> sdRock<-sd(rock$area)
> sdRock
[1] 2683.849
> lengthRock<-length(rock$area)
> lengthRock
[1] 48
> errorCL<-qnorm(0.975)*sdRock/sqrt(lengthRock)
> errorCL
[1] 759.2513
> errorLeft<-meanRock-errorCL
> errorLeft
[1] 6428.478
> errorRight<-meanRock+errorCL
> errorRight
[1] 7946.98
> |
```

Since the standard deviation of area distribution is 2683.849, margin of error for the variable area at 95% confidence level is 759.2513 pixels. The confidence interval is between 6428.48 and 7946.98 pixels.

- d) A resercher claims that the area of pores space is greater than 7000 pixels. Formulate suitable hypothese to test the researcher's claim. Assuming the area is normally distributed test the validity of the resercher's claim and interpret your results

```
> meanRock<-mean(rock$area)
> sdRock<-sd(rock$area)
> lengthRock<-lenght(rock$area)
Error: could not find function "lenght"
> lengthRock<-length(rock$area)
> zValue<-(meanRock-7000)/(sdRock/sqrt(lengthRock))
> zValue
[1] 0.4846122
> pValue<-pnorm(zValue)
> pValue
[1] 0.6860243
> |
```

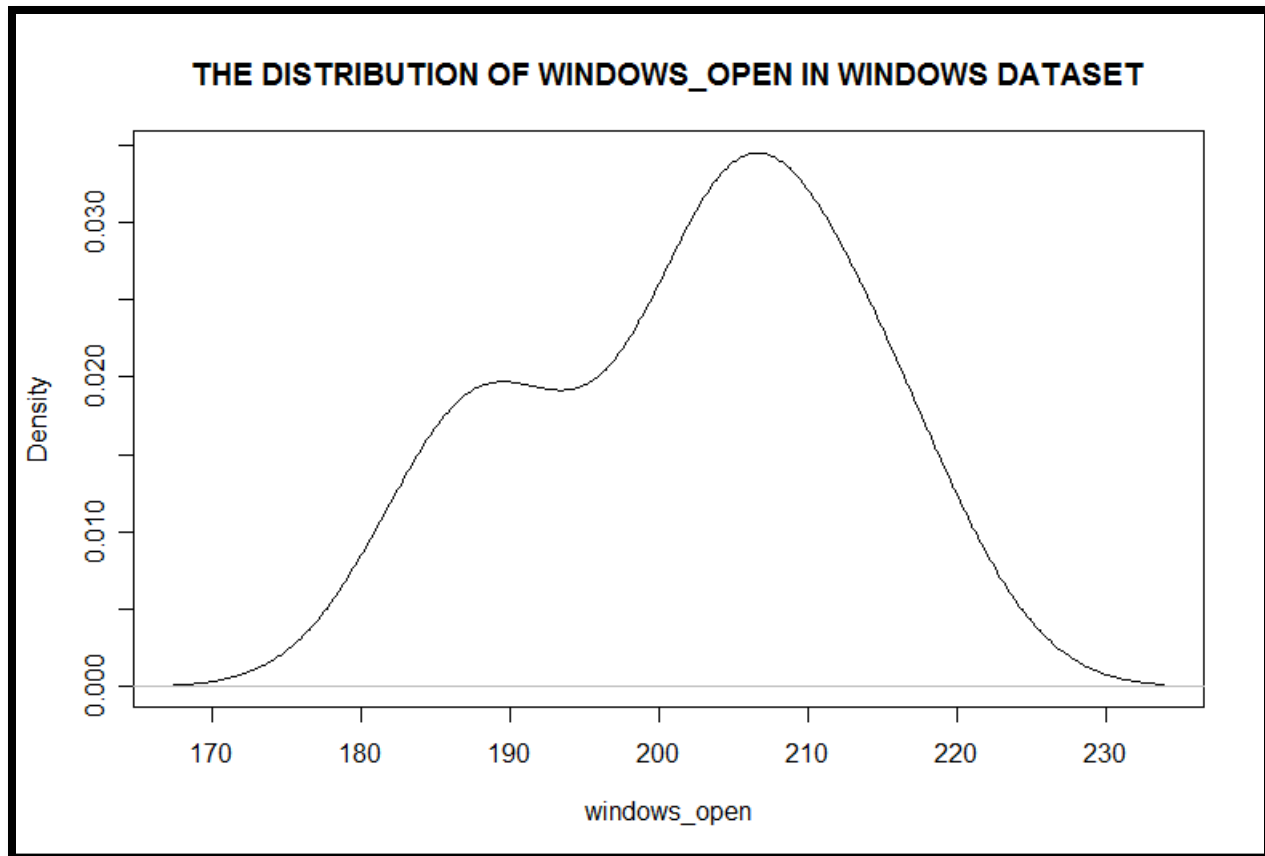
- **Q2**

- a) Carryout the discriptive analysis for the two samples and comment on your findings.


```
> Windows_open<-c(202.0,204.5,207.0,215.5,190.8,215.6,208.8,187.8,204.1,185.7)
> Windows_closed<-c(193.5,192.2,199.4,177.6,205.4,200.6,181.8,169.2,172.2,192.8)
> Windows<-data.frame(Windows_open,Windows_closed)
> Windows
  Windows_open Windows_closed
1         202.0          193.5
2         204.5          192.2
3         207.0          199.4
4         215.5          177.6
5         190.8          205.4
6         215.6          200.6
7         208.8          181.8
8         187.8          169.2
9         204.1          172.2
10        185.7          192.8
> |
```

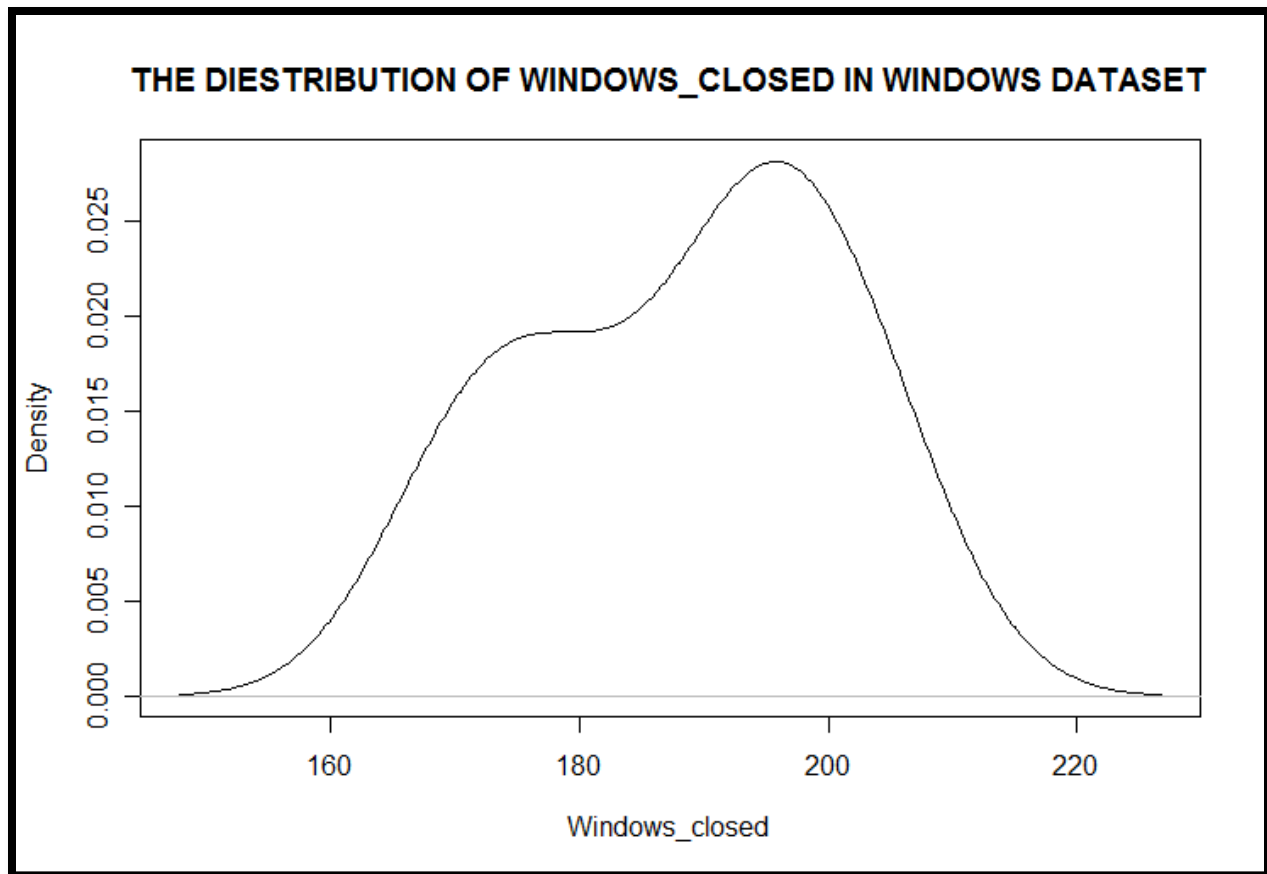
Descriptive analysis for Windows open variable

```
> summary(Windows_open)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
 185.7  193.6   204.3   202.2   208.4   215.6
> plot(density(Windows_open,na.rm=T),main="THE DISTRIBUTION OF WINDOWS DATASET",xlab="windows_open",ylab="Density")
> |
```



Descriptive analysis for Windows closed variable

```
> summary(Windows_closed)
  Min. 1st Qu.  Median    Mean 3rd Qu.    Max.
 169.2  178.6   192.5   188.5   197.9   205.4
> plot(density(Windows_closed,na.rm=T),main="THE DIESTRIBUTION OF WINDOWS_CLOSED IN WINDOWS DATASET",xlab="Windows_closed",ylab="Density")
> |
```



Interpretation

Median value of Windows_open variable distribution is 204.3 while for Windows_closed variable distribution is 192.5. According to the distribution graph of Windows_open, it has two mode at values 185 and 205 nearly. Similarly for the distribution graph of Windows_closed, two mode values are at 175 and 195 nearly. But the peak values are highest for the Windows_open variable while both graphs are bimodal. Similarly mean and The median values are also highest for the Windows_open variable. Therefore it shows that most sales happen during the days where windows are open.

- b) Construct 95% confidence interval for this incident and interpret your results.

```
> meanOpen<-mean(Windows_open)
> sdOpen<-sd(Windows_open)
> sdOpen
[1] 10.75772
> lengthOpen<-length(Windows_open)
> errorOpen<-qt(0.975,df=lengthOpen-1)*sdOpen/sqrt(lengthOpen)
> errorOpen
[1] 7.695606
> errorOpenLeft<-meanOpen-errorOpen
> errorOpenLeft
[1] 194.4844
> errorOpenright<-meanOpen+errorOpen
> errorOpenRight
Error: object "errorOpenRight" not found
> errorOpenRight<-meanOpen+errorOpen
> errorOpenRight
[1] 209.8756
> meanClosed<-mean(Windows_closed)
> sdClosed<-sd(Windows_closed)
> sdClosed
[1] 12.51613
> lengthClosed<-length(Windows_closed)
> errorClosed<-qt(0.975,df=lengthClosed-1)*sdClosed/sqrt(lengthClosed)
> errorClosed
[1] 8.953498
> errorClosedLeft<-meanClosed-errorClosed
> errorClosedLeft
[1] 179.5165
> errorClosedRight<-meanClosed+errorClosed
> errorClosedRight
[1] 197.4235
> |
```

Since the standard deviation of Windows_open distribution is 10.76, margin of error for the variable Windows_open at 95% confidence level is 7.696. The confidence interval is distributed between 194.48 and 209.87.

Since the standard deviation of Windows_closed distribution is 12.52, margin of error for the variable Windows_closed at 95% confidence level is 8.953. The confidence interval is distributed between 179.52 and 197.42

- c) Investigate the baker's belief by formulating a suitable hypothesis and interpret your results.

```
> t.test(Windows_open, Windows_closed, alternative="greater")

Welch Two Sample t-test

data:  Windows_open and Windows_closed
t = 2.6269, df = 17.603, p-value = 0.008659
alternative hypothesis: true difference in means is greater than 0
95 percent confidence interval:
 4.648803      Inf
sample estimates:
mean of x mean of y
 202.18   188.47

> |
```

Here the p-value of the test is 0.01732, which is < 0.05 . Therefore we reject the null hypothesis. Since we reject the hypothesis, alternative is true. That means sales on window open days is higher than in closed days. So baker's belief is true.