

PROBLEM 1 Q1

Null Hypothesis: Students become knowledgeable in the material ($\mu = 0.75$)

Alternative Hypothesis: Students does not become knowledgeable in the material ($\mu \neq 0.75$)

Type of test can be used: z-test

PROBLEM 1 Q2

Sample size = 937

Sample mean = 0.743030411045

Standard error = 0.00415302728827

Standard cost = -1.6781948375

P value = 0.0933090692524

Is result at significance level 0.1? Yes

Is result at significance level 0.05? No

Based on the results gathered, we can conclude the hypothesis is:

significant at $\alpha = 0.1$ (reject H_0),

not significant at $\alpha = 0.05$ (cannot reject H_0)

PROBLEM 1 Q3

Largest standard error which the test will be significant at 0.05 is 0.00355597807416

minimum sample size is 1278.05931911 (1278)

PROBLEM 1 Q4

Null Hypothesis: mean engagement of students who become knowledgeable in the material is the same with those who do not

Alternative Hypothesis: mean engagement of students who become knowledgeable in the material is NOT the same with those who do not

Type of test can be used: two-sample-z-test

PROBLEM 1 Q5

This is the result for sample from eng1.txt:

Sample size = 1977

Sample mean = 0.639954507704

Standard error = 0.00571598958877

Standard cost = -19.2522205626

P value = 1.35240102861e-82

This is for sample from eng0.txt

Sample size: 937

Sample mean: 0.743030411045

Standard error: 0.00415302728827

Standard cost: -1.6781948375

P value: 0.0933090692524

Z-score: 14.58878454

P value for two-z-sample-test: 3.31043071683e-48

Based on the results gathered, we can conclude the hypothesis is significant at $\alpha = 0.1, 0.01, 0.05$ (reject H_0), which means that the mean for samples in eng1.txt is different from the mean for samples in eng0.txt.

PROBLEM 2 Q1

I am using t-test because we don't know standard deviation and $n < 30$

Mean = 7.36363636364

Standard error = 5.07627767575

Standard statistic/t-value = 2.22813885196

Confidence interval for 95% is (3.9533466179911163, 10.773926109281611)

PROBLEM 2 Q2

I am using t-test because we don't know standard deviation and $n < 30$

Standard statistic/t-value: 1.81246112281

Confidence interval for 90% is (4.5895643725433333, 10.137708354729394)

The t-value is lower for 90% confidence interval and the confidence interval is also smaller.

PROBLEM 2 Q3

I am using z-test since we know the population standard deviation.

Mean: 7.36363636364

Standard error: 5.07624499731

Standard statistic/z-value: 1.95996398454

Confidence interval for 95% is (4.3638223960257854, 10.363450331246941)

The standard statistic and confidence interval are all different from the results in Problem 2 Q1 and Problem2 Q2.

PROBLEM 2 Q4

I can say with 82.24% confidence that the team is expected to win on average. This is based on the results calculated in the code:

T-value: 1.4505976296

p-value: 0.177524787237

Confidence value: 0.822475212763

Confidence interval: (5.143416462654649, 9.5838562646180776)