

Ain Shams University
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Discipline Programs



Signals Project Report

Computer Engineering and Software Systems (CESS)

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1.0 Introduction

This project aims to display how the music notes DO, RE, MI, FA sound originally, low pass filtered, and high pass filtered.

2.0 Step 1

First off, we calculated the different frequencies of each musical node to be able to find sampling frequency using the equation in the figure below.

```
1      n1=-9;
2      n2=-7;
3      n3=-5;
4      n4=-4;
5      F1= 440*(2^(n1/12));
6      F2= 440*(2^(n2/12));
7      F3= 440*(2^(n3/12));
8      F4= 440*(2^(n4/12));
9      %QUESTION 1
10     Fs= 10* max([F1,F2,F3,F4]);|
11     framesize= round(0.5*Fs);
12     T= 1/Fs;
13     t=(0:1:framesize-1)*T;
14     xt1=cos(2*pi*F1*t);
15     xt2=cos(2*pi*F2*t);
16     xt3=cos(2*pi*F3*t);
17     xt4=cos(2*pi*F4*t);
```

3.0 Step 2

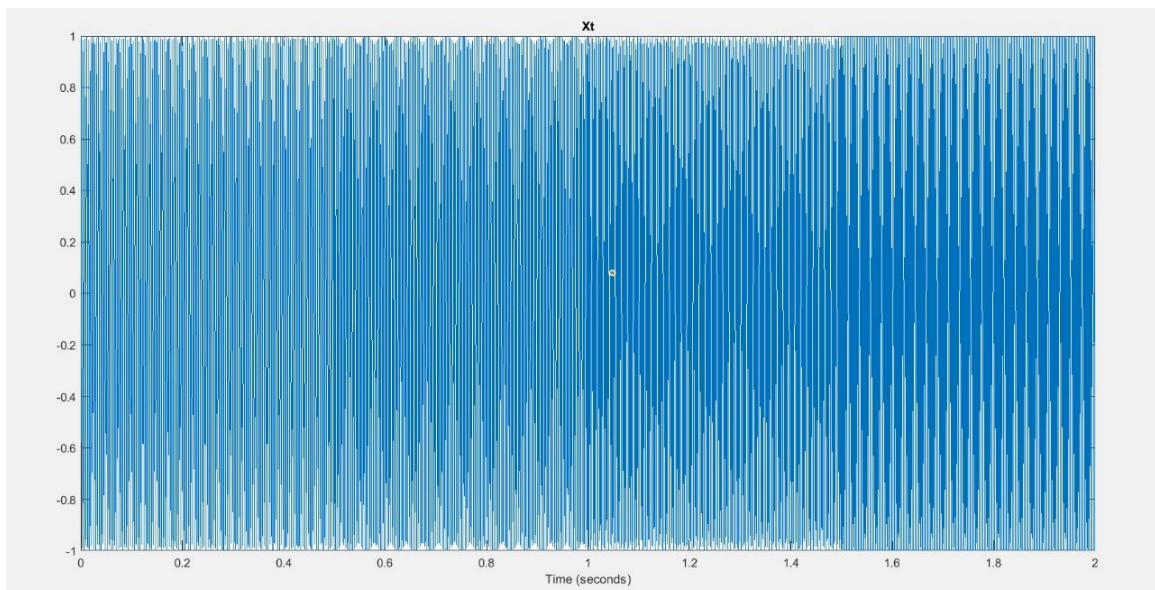
Then, we calculated $x(t)$ by combining the $x(t)$ of each musical node into one vector and generated its sound wave.

```
14     xt1=cos(2*pi*F1*t);
15     xt2=cos(2*pi*F2*t);
16     xt3=cos(2*pi*F3*t);
17     xt4=cos(2*pi*F4*t);
18     xt= [xt1 xt2 xt3 xt4];
19     framesize= framesize *4;
20     t=(0:1:framesize-1)*T;
21     %QUESTION2
22     filename= 'Xt.wav';
23     audiowrite('Xt.wav',xt, fix(Fs));
24     sound(xt,Fs);
```

4.0 Step 3

Then, we plotted signal $x(t)$ versus time (t) as shown in the figure below

```
25     %QUESTION3: Plot the Xt:
26     figure;
27     plot(t,xt);
28     xlabel('Time (seconds)');
29     title('Xt');
```



5.0 Step 4

Then, we computed the energy of the signal $x(t)$ using the equation below.

```
30 %QUESTION4
31 XEnergy= sum(abs(xt.^2))*T;
```

6.0 Step 5

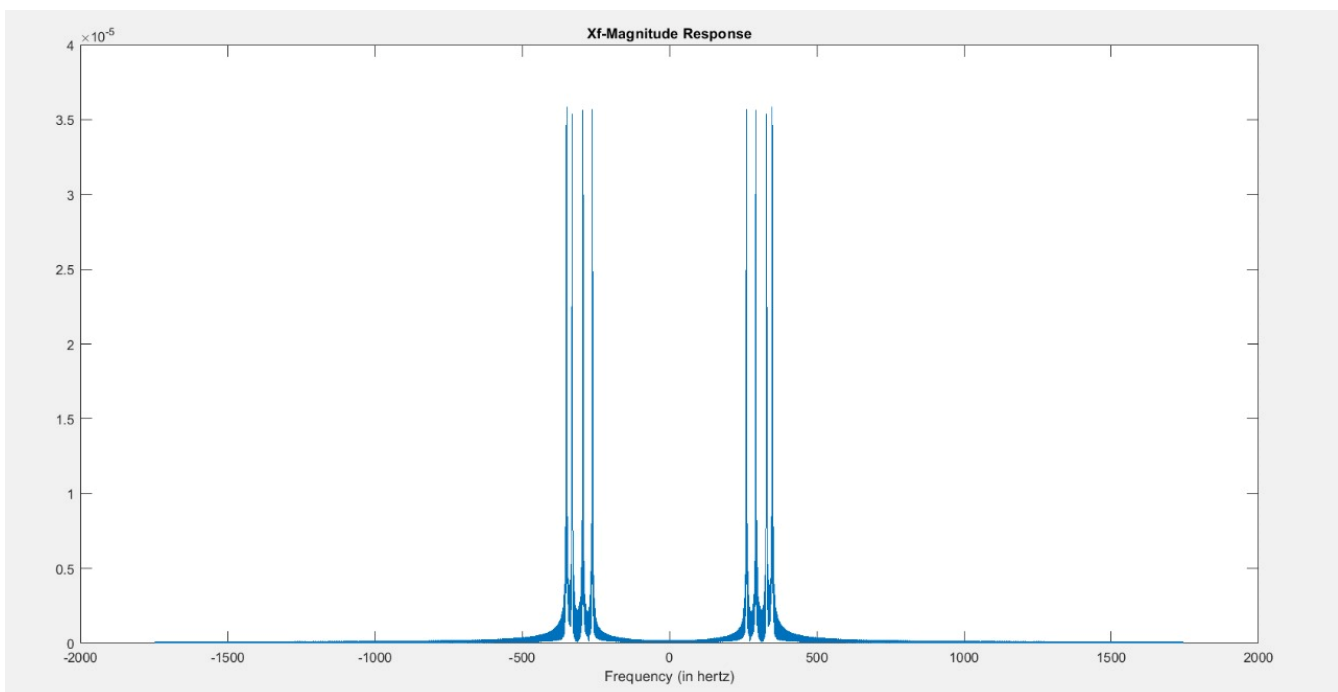
Then, we computed the frequency spectrum $X(f)$ of the signal using the equations below.

```
32 %QUESTION5
33 Xf= fftshift(fft(xt,framesize))*T;
34 dF = Fs/framesize;
35 f = -Fs/2:dF:Fs/2-dF;
```

7.0 Step 6

Then we plotted the magnitude of $X(f)$ in the frequency range $fs/2 \leq f \leq fs/2$, where fs is the sampling frequency as shown in the figure below.

```
36 %Question6: Plot the Xf spectrum:
37 figure;
38 plot(f,abs(Xf)/framesize);
39 xlabel('Frequency (in hertz)');
40 title('Xf-Magnitude Response');
```



8.0 Step 7

Then we computed the Energy of the signal $x(t)$ from its frequency spectrum $X(f)$, and verified Parseval's Theorem using the equation below.

```
41  
42
```

```
%QUESTION7
```

```
XEnergy2=sum(abs(Xf.^2))*dF;
```

9.0 Step 8

Then we designed a Butterworth low-pass filter with filter order 20 such that when the signal $x(t)$ is applied to this filter, the output does NOT contain the MI and FA musical nodes. Moreover, we calculated the cut-off frequency by calculating the average of RE and MI musical nodes together.

```
43  
44  
45  
46
```

```
%QUESTION8
```

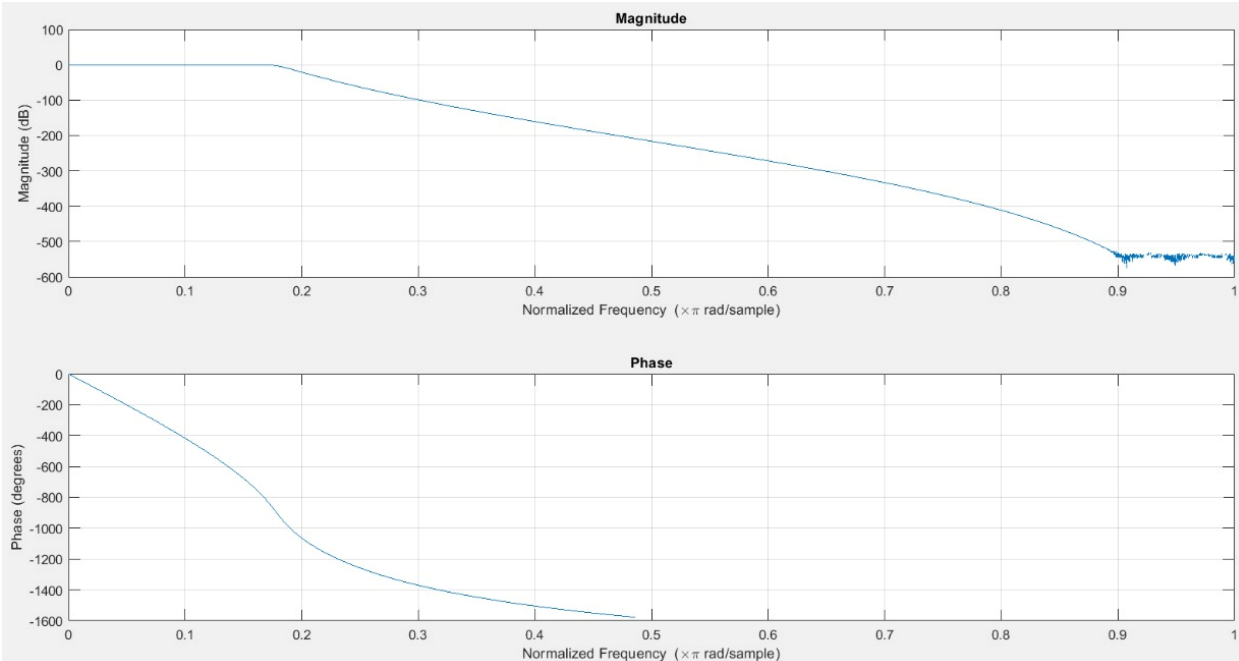
```
Fc= (F2+F3)/2;
```

```
nF= Fc/(Fs/2);
```

```
[b,a] = butter(20,nF,"low");
```

10.0 Step 9

Then we plotted the magnitude and phase response of the Butterworth low pass filter as shown in the figure below.



11.0 Step 10

Then, we applied the signal $x(t)$ to this Butterworth LPF and denoted the output signal as $y_1(t)$

```
50 %QUESTION10
51 Y1t= filter(b,a,xt);
```

12.0 Step 11

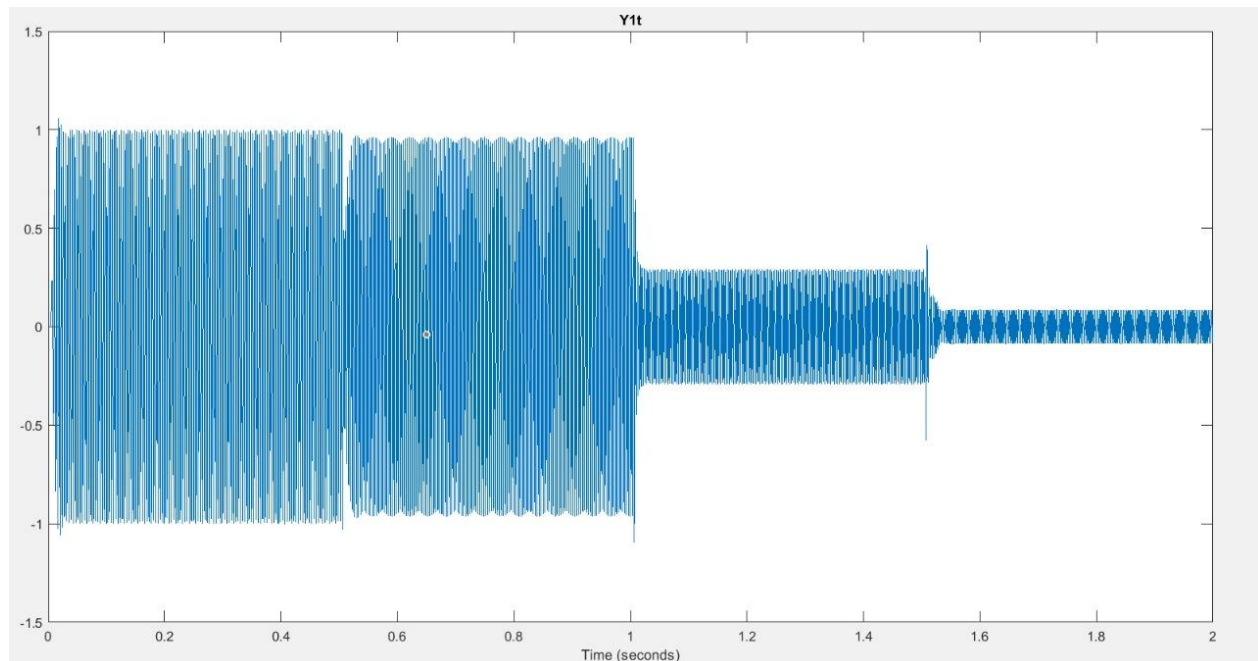
Then we stored the generated signal $y_1(t)$ as an audio file with extension (*.wav)

```
52 %QUESTION11
53 filename= 'Yt.wav';
54 audiowrite('Yt.wav',Y1t, fix(Fs));
55 sound(Y1t,Fs);
```

13.0 Step 12

Then we plotted the signal $y_1(t)$ versus time (t) as shown in the figure below.

```
56 %QUESTION12
57 figure;
58 plot(t,Y1t);
59 xlabel('Time (seconds)');
60 title('Y1t');
```



14.0 Step 13

Then we computed the energy of the signal $y_1(t)$ using the equation below.

```
61 %QUESTION13
62 Y1Energy= sum(abs(Y1t.^2))*T;
```

15.0 Step 14

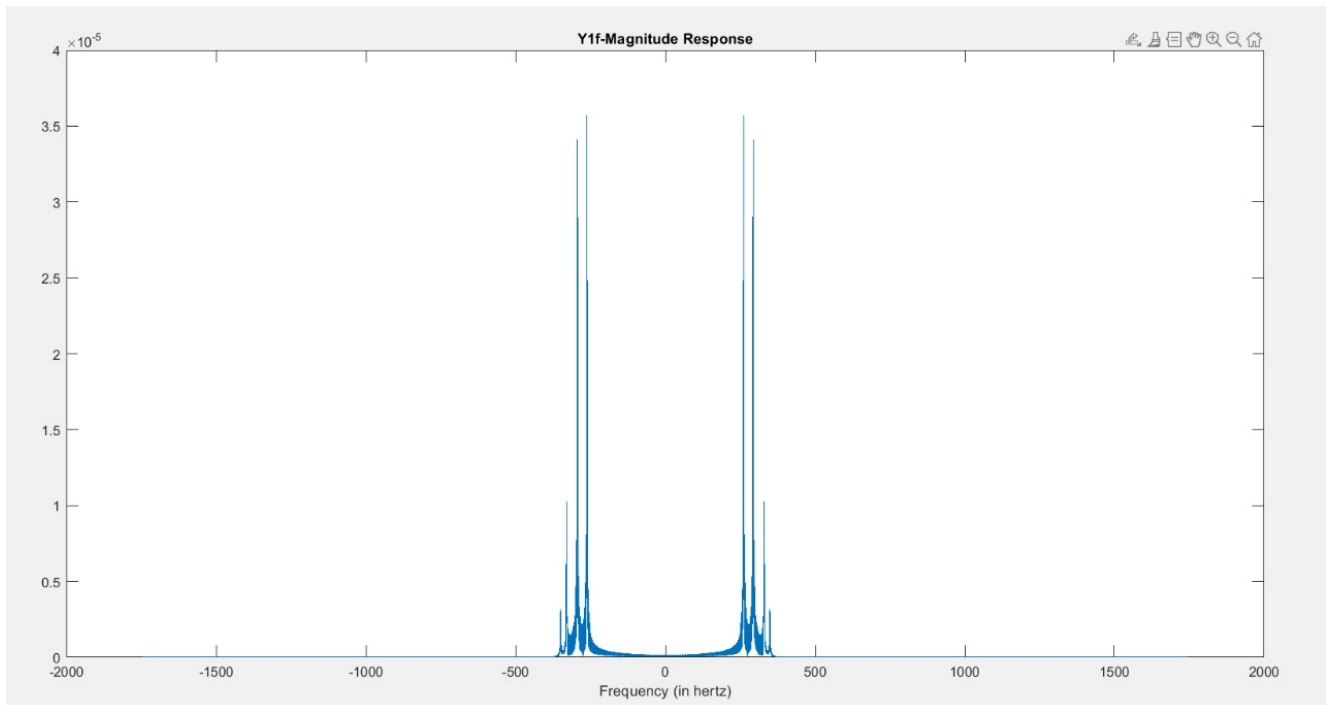
Then we computed the frequency spectrum $y_1(f)$ of this signal.

```
63 %QUESTION14
64 Y1f= fftshift(fft(Y1t,framesize))*T;
```

16.0 Step 15

Then we plotted the magnitude of $y_1(f)$ in the frequency range $fs/2 \leq f \leq fs/2$ as shown in the figure below

```
65 %QUESTION15
66 figure;
67 plot(f,abs(Y1f)/framesize);
68 xlabel('Frequency (in hertz)');
69 title('Y1f-Magnitude Response');
```



17.0 Step 16

Then we computed the Energy of the signal $y_1(t)$ from its frequency spectrum $y_1(f)$ and verified Parseval's Theorem using the equation below.

```
70 %QUESTION16
71 Y1Energy2=sum(abs(Y1f.^2))*dF;
```

18.0 Step 17

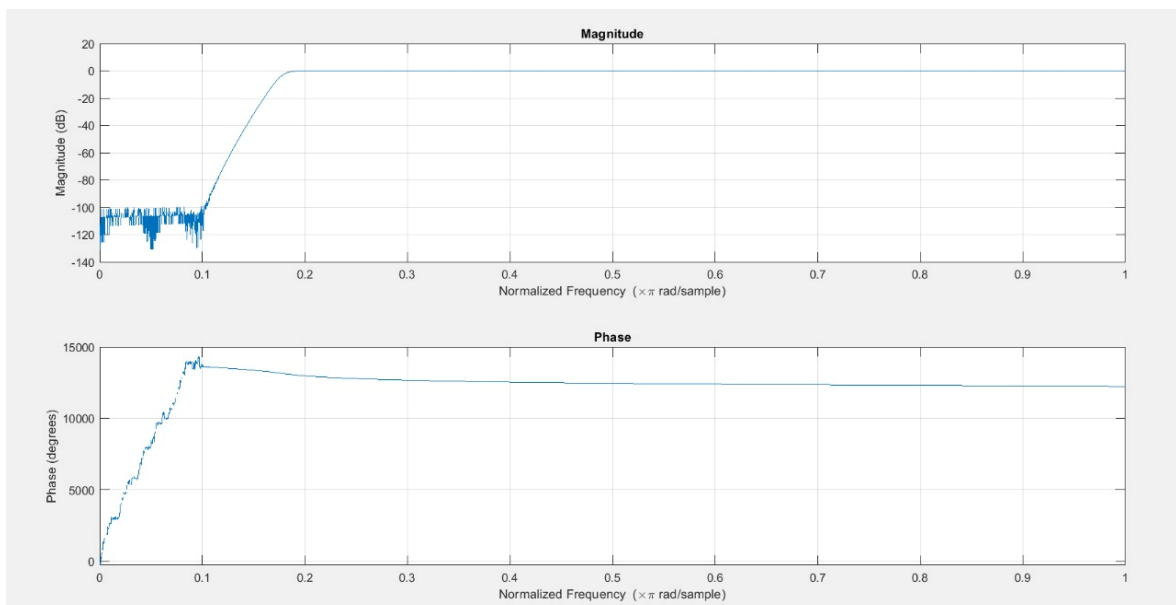
Then we designed a Butterworth high-pass filter with filter order 20 such that when the signal $x(t)$ is applied to this filter, the output does NOT contain the DO and RE musical nodes as shown in the figure below. Moreover, we calculated the cut-off frequency by calculating the average of RE and MI musical nodes together.

```
72 %QUESTION17
73 [d,c] = butter(20,nF,"high");
```

19.0 Step 18

Then we plotted the magnitude and phase response of the Butterworth HPF as shown in the figure below.

```
74 %QUESTION18
75 figure;
76 freqz(d, c, framesize);
```



20.0 Step 19

Then we applied the signal $x(t)$ to this Butterworth HPF and denoted the output as $y2(t)$.

```
77 %QUESTION19
78 Y2t= filter(d,c,xt);
```

21.0 Step 20

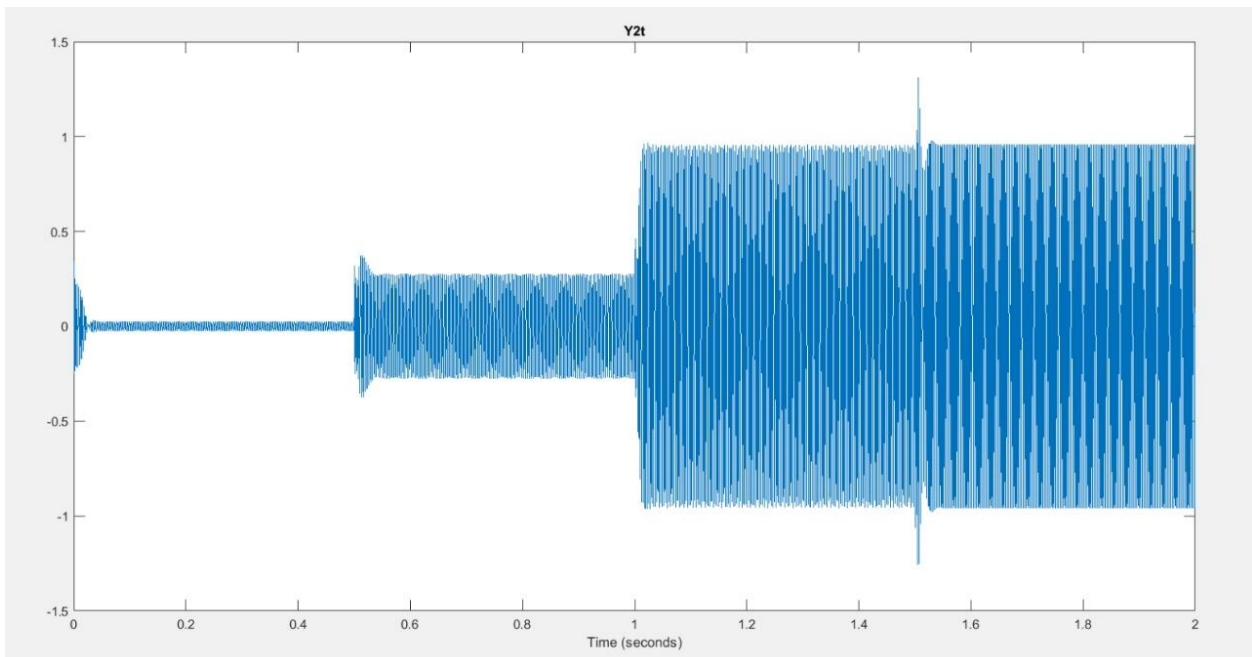
Then we stored the generated signal $y2(t)$ as an audio file with extension (*.wav).

```
79 %QUESTION20
80 filename= 'Y2t.wav';
81 audiowrite('Y2t.wav',Y2t, fix(Fs));
82 sound(Y2t,Fs);
```

22.0 Step 21

Then we plot the signal $y2(t)$ versus time (t) as shown in the figure below.

```
83 %QUESTION21
84 figure;
85 plot(t,Y2t);
86 xlabel('Time (seconds)');
87 title('Y2t');
```



23.0 Step 22

Then we computed the energy of the signal $y_2(t)$ using the equation below.

88

%QUESTION22

89

```
Y2Energy= sum(abs(Y2t.^2))*T;
```

24.0 Step 23

Then we computed the frequency spectrum $Y_2(f)$ of this signal.

90

%QUESTION23

91

```
Y2f= fftshift(fft(Y2t,framesize))*T;
```

25.0 Step 24

Then we plotted the magnitude of $y_2(f)$ in the frequency range $fs/2 \leq f \leq fs/2$ as shown in the figure below.

92

%QUESTION24

93

```
figure;
```

94

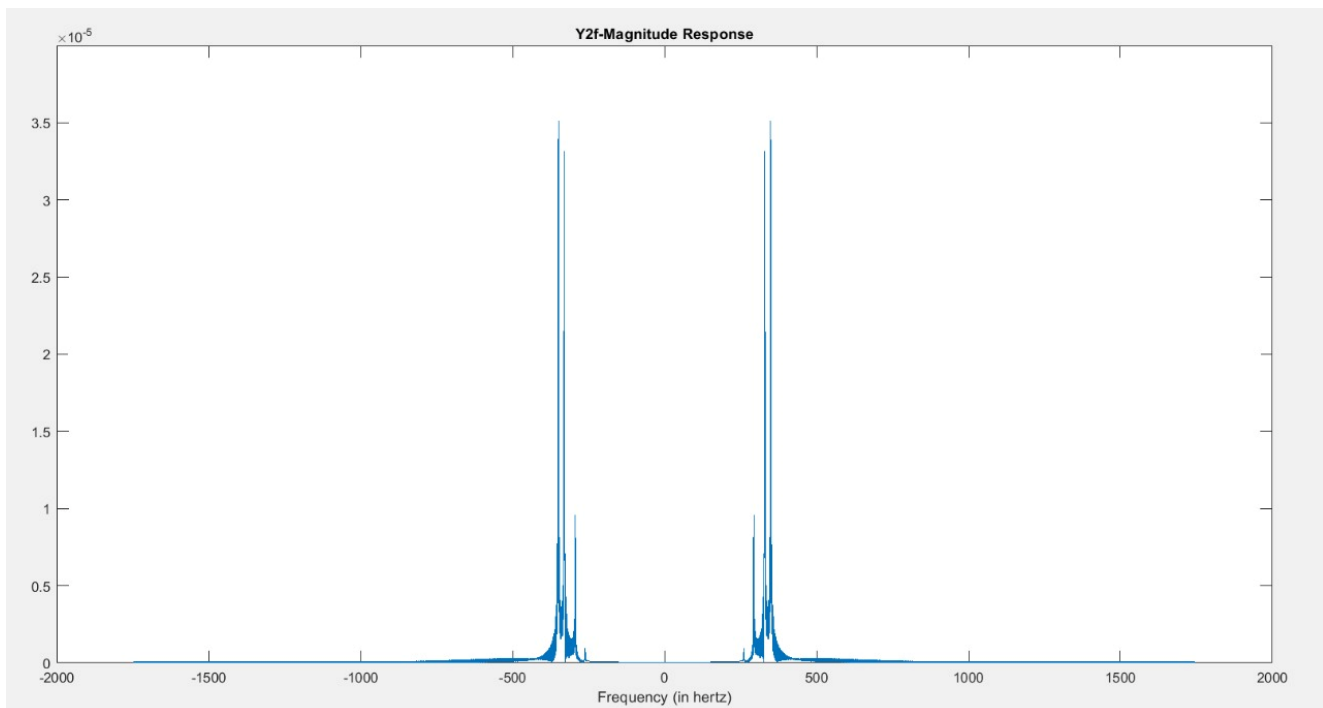
```
plot(f,abs(Y2f)/framesize);
```

95

```
xlabel('Frequency (in hertz)');
```

96

```
title('Y2f-Magnitude Response');
```



26.0 Step 25

Then we computed the Energy of the signal $y_2(t)$ from its frequency spectrum $y_2(f)$ and verified Parseval's Theorem using the equation below.

97

%QUESTION25

98

$Y2Energy2 = \sum (abs(Y2f.^2)) * dF;$

27.0 Contributions

	Habiba	Nadine	Salma	Hamsa	Mahamad
Responsibility: Indicate the specific part of preparing the report that each individual was responsible for.	2,8,9,10 17,18,19	4,5,7,13 16,22,25	1,3,6,12 15,21,24	Shared in the rest	0
Cooperation: (10 points) Able to work within team. Willingly performed tasks.	10	10	10	10	0
Punctuality (5 points) On time for team meetings.	5	5	5	Medical Excuse	0
Evaluative (10 points) Offer constructive criticism and helpful evaluation of work.	10	10	10	Medical Excuse	0
	Total: 25	Total:25	Total:25	Total:10 Medical Excuse (Tried to help as best as possible)	Total: 0

