

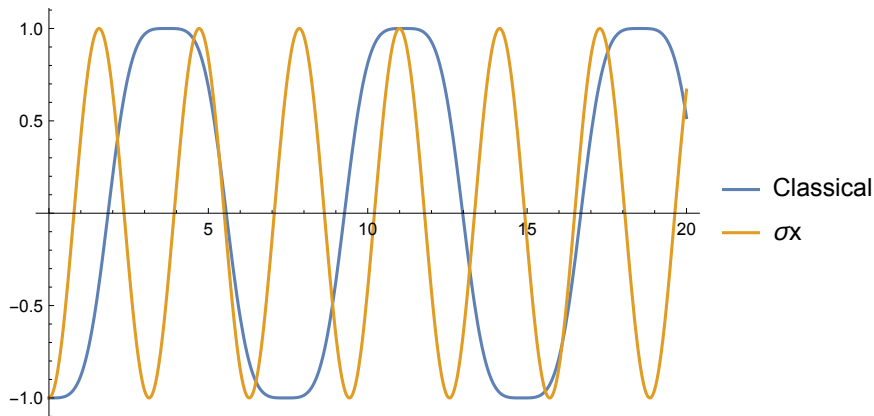
In[182]:=

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ket0 = {1, 0};
ket1 = {0, 1};
(* Defines H = - \sigma_x and subsequent Z(t) evolution *)
ham0 = -PauliMatrix[1];
u0 = MatrixExp[-i ham0 t];
udg0 = MatrixExp[i ham0 t];
zt0 = udg0.PauliMatrix[3].u0;
(* Defines H = - \sigma_x / 2 and subsequent Z(t) evolution *)
ham1 = -PauliMatrix[1] / 2;
u1 = MatrixExp[-i ham1 t];
udg1 = MatrixExp[i ham1 t];
zt1 = udg1.PauliMatrix[3].u1;
```

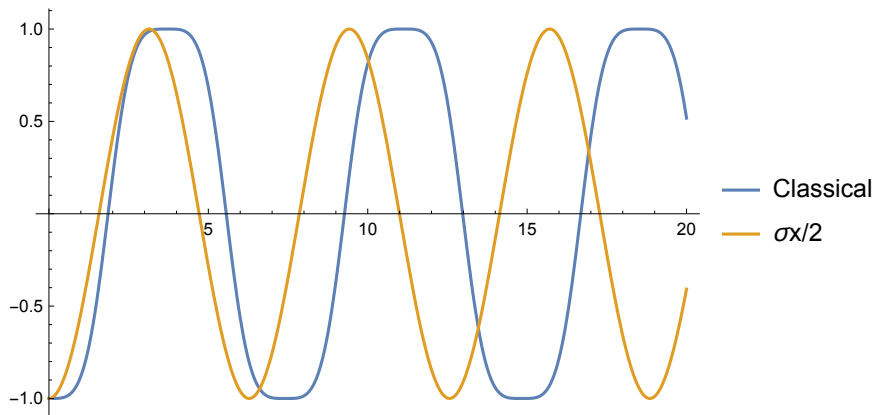
In[373]:=

```
(* Compute <1| Z(t) |1> in both cases and compare to classical solution*)
zt0ExpVal = ket1.zt0.ket1;
zt1ExpVal = ket1.zt1.ket1;
csol = NDSolveValue[{x'[t] + Cos[x[t]] == 0, x[0] == pi, x'[0] == 0}, x, {t, 0, 20}];
Plot[{Cos[csol[t]], zt0ExpVal}, {t, 0, 20}, PlotLegends -> {"Classical", "sigma x"}]
Plot[{Cos[csol[t]], zt1ExpVal}, {t, 0, 20}, PlotLegends -> {"Classical", "sigma x/2"}]
```

Out[376]=



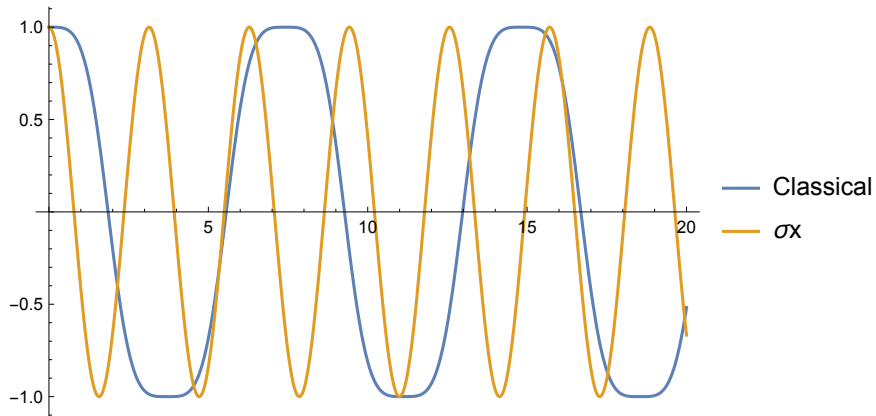
Out[377]=



In[319]:=

```
(* Compute  $\langle 0 | Z(t) | 0 \rangle$  in both cases and compare to classical solution*)
zt0ExpVal = ket0.zt0.ket0;
zt1ExpVal = ket0.zt1.ket0;
csol = NDSolveValue[{x'[t] + Cos[x[t]] == 0, x[0] == 0, x'[0] == 0}, x, {t, 0, 20}];
Plot[{Cos[csol[t]], zt0ExpVal}, {t, 0, 20}, PlotLegends -> {"Classical", " $\sigma x$ "}]
Plot[{Cos[csol[t]], zt1ExpVal}, {t, 0, 20}, PlotLegends -> {"Classical", " $\sigma x/2$ "}]
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Out[322]=



Out[323]=

