

# Computational Statistics and Probability

## Final term Assignment

Name: Nasirun Leo

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Serial No.	Division	Gender	Age	Height	Weight	Education Level	Occupation	Covid-19 information
1	Dhaka	M	46	179	82	16	Teacher	Pos
2	Dhaka	F	17	162	43	11	Student	Neg
3	Dhaka	F	43	168	53	12	Housewife	Neg
4	Dhaka	M	15	162	54	10	Student	Neg
5	Dhaka	M	12	150	46	7	Student	Neg
6	Dhaka	M	49	168	79	16	Shopkeeper	Pos
7	Dhaka	F	15	158	40	10	Student	Neg
8	Dhaka	F	41	163	51	12	Housewife	Neg
9	Dhaka	F	10	146	41	5	Student	Pos
10	Dhaka	M	38	165	69	15	Teacher	Neg
11	Dhaka	M	35	160	48	12	Shopkeeper	Neg
12	Dhaka	F	7	135	27	2	Student	Pos
13	Dhaka	F	7	132	25	2	Student	Neg
14	Mymensingh	F	7	132	25	2	Student	Neg
15	Mymensingh	M	10	143	36	5	Student	Neg
16	Mymensingh	M	40	161	67	16	Banker	Pos
17	Mymensingh	F	36	153	44	12	shopkeeper	Neg
18	Mymensingh	F	5	115	20	1	student	Neg
19	Khulna	F	30	158	63	16	Businessman	Neg
20	Khulna	M	7	94	24	1	Student	Pos
21	Khulna	M	33	169	68	16	Teacher	Neg
22	Rangpur	F	36	152	49	8	Housewife	Neg
23	Rangpur	M	40	157	58	12	Businessman	Pos
24	Rangpur	M	9	132	36	4	Student	Neg
25	Rangpur	F	8	120	28	3	Student	Neg
26	Sylhet	M	50	165	59	16	Teacher	Neg

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Serial No	Division	Gender	Age	Height	Weight	Education Level	Occupation	Covid-19 Information
26	Sylhet	M	22	160	48	14	Student	Neg
27	Sylhet	F	47	159	51	12	Housewife	Pos
28	Sylhet	F	20	152	47	13	Student	Pos
29	Chittagong	M	56	170	70	8	Bank Manager	Neg
30	Chittagong	F	54	167	65	5	Teacher	Pos
31	Chittagong	M	24	162	60	16	Civil Officer	Pos
32	Chittagong	F	22	160	56	14	Student	Neg
33	Rajshahi	F	60	164	64	15	Housewife	Neg
34	Rajshahi	M	64	166	68	16	Businessman	Neg
35	Rajshahi	M	30	169	72	15	Teacher	Pos
36	Rajshahi	F	28	160	63	15	Housewife	Neg
37	Barisal	M	48	172	76	12	Labourer	Pos
38	Barisal	F	45	171	72	10	Housewife	Neg
39	Barisal	F	18	163	55	12	Student	Neg
40	Barisal	M	15	158	62	10	Student	Pos

No	1	4	7	11	13	14	25	31	36	38
Height	174	162	158	160	132	143	165	162	160	171

Answer to the Question No(1).

Estimate of sample variance,

$$s^2 = \frac{1}{n-1} \left[ \sum x^2 - \frac{(\sum x)^2}{n} \right]$$



Sub:

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$$= \frac{1}{10-1} \left( 253267 - \frac{2519569}{10} \right)$$

$$= 156.678$$

Estimate of the variance of sample means,

$$V(\bar{x}) = \frac{N-n}{Nn} S^2$$

$$= \frac{40-10}{40 \times 10} \times 156.678$$

$$= 11.75085$$

Estimate standard error of sample mean number

of height.  $s.e.(\bar{x}) = \sqrt{V(\bar{x})}$

$$= \sqrt{11.75085}$$

$$= 3.43$$

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Answer to the Question No(2)

Let,  $x \sim N(\mu, \sigma^2)$

$$\mu_0 = 172$$

Here, we need to test,  $H_0: \mu = \mu_0$  against  $H_1: \mu \neq \mu_0$

$$\bar{x} = \frac{1}{n} \sum x$$

$$= \frac{1}{10} \times 1587$$

$$= \cancel{158.74} 158.7$$

$$S^2 = \frac{1}{n-1} \left| \sum x^2 - \frac{(\sum x)^2}{n} \right|$$

$$= 156.678$$

$$\text{Test statistics: } t = \frac{\bar{x} - \mu_0}{S/\sqrt{n}}$$

$$= \frac{158.74 - 172}{12.52/\sqrt{10}}$$

$$= \cancel{-209.24} - 3.359$$

$$\cancel{121 = 3.359}$$

$$121 = 3.359$$

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$$t_{10-1} = t_9 = 2262$$

Hence,  $|t| \neq t_9$

So,  $H_0$  is <sup>not</sup> accepted

Now, from the sample we can conclude that the average height of the population is <sup>not</sup> 172 cm.

Answer to the Question No. (3)

x (height)	y (weight)	xy	$x^2$	$y^2$
174	82	14268	30276	6724
162	59	8748	26244	2916
158	40	6320	24964	1600
160	48	7680	25600	2304
132	25	3300	17424	625
143	36	5148	20449	1296
165	54	8910	27225	2916
162	60	9720	26244	3600
160	63	10080	25600	3969
171	72	12312	29241	5184
$\Sigma x = 1587$	$\Sigma y = 539$	$\Sigma xy = 86986$	$\Sigma x^2 = 253267$	$\Sigma y^2 = 31139$

$$SS(x) = 253267 - \frac{(1587)^2}{10}$$

$$= 1410.1$$

$$SS(y) = 31134 - \frac{(539)^2}{10}$$

$$= 2618.9$$

$$SP(xy) = 86186 - \frac{1587 \times 539}{10}$$

$$= 1740.2$$

$$\therefore r = \frac{1740.2}{\sqrt{1410.1 \times 2618.9}}$$

$$= 0.905$$

$\therefore$  The variables height (x) and weight (y) are positively correlated.

Answer to the Question No. (9)

$$b = \frac{SP(XY)}{SS(X)}$$

$$= \frac{1740.2}{1410.1}$$

$$= 1.239$$

$$a = \bar{y} - b\bar{x}$$

$$= \frac{\sum y}{n} - \frac{b \sum x}{n}$$

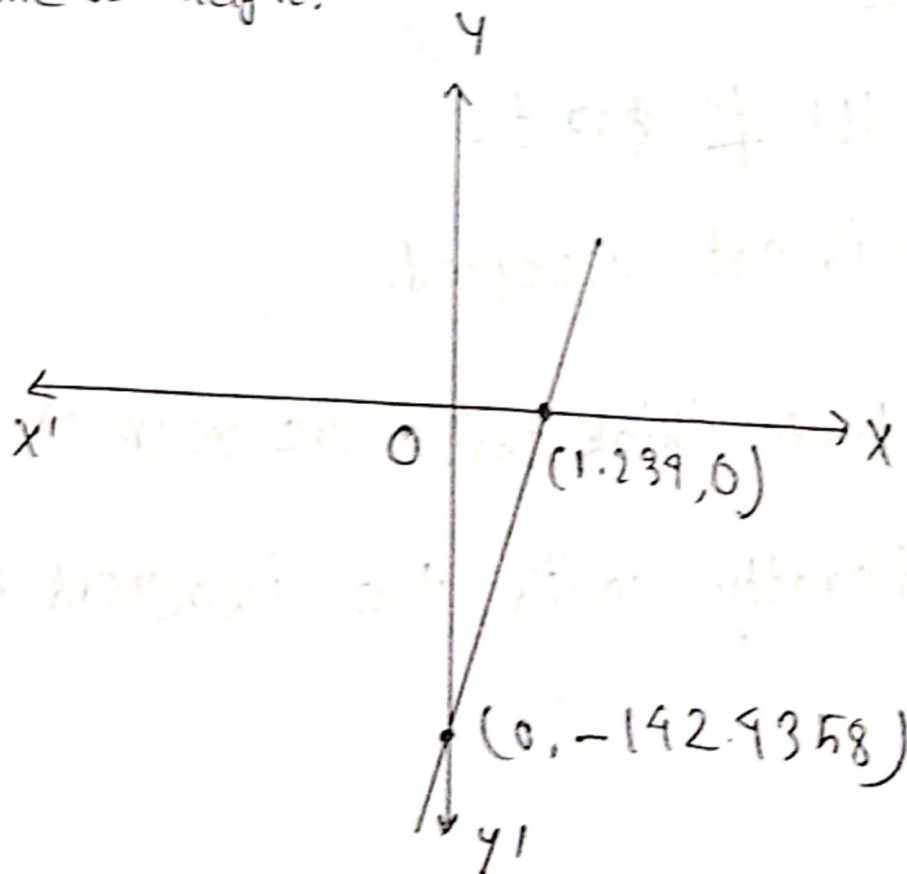
$$= \frac{539}{10} - \frac{1.239 \times 1587}{10}$$

$$= -142.4358$$

$$\therefore \hat{y} = a + bx$$

$$= -142.4358 + 1.239x$$

Regression line of height:





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Answer to the Question No(5)

Here,  
we need to test,  $H_0: p=0$  vs  $H_1: p \neq 0$

$$\begin{aligned}\text{Test statistics: } t &= \frac{p\sqrt{n-2}}{\sqrt{1-p^2}} \\ &= \frac{0.905\sqrt{10-2}}{\sqrt{1-(0.905)^2}} \\ &= 6.017\end{aligned}$$

$$t_{10-2} = t_8 = 2.306$$

So,  $|t| \neq t_8$

$H_0$  is not accepted.

So, I don't think that the year of schooling increase significantly with the increment of age.