

# Report

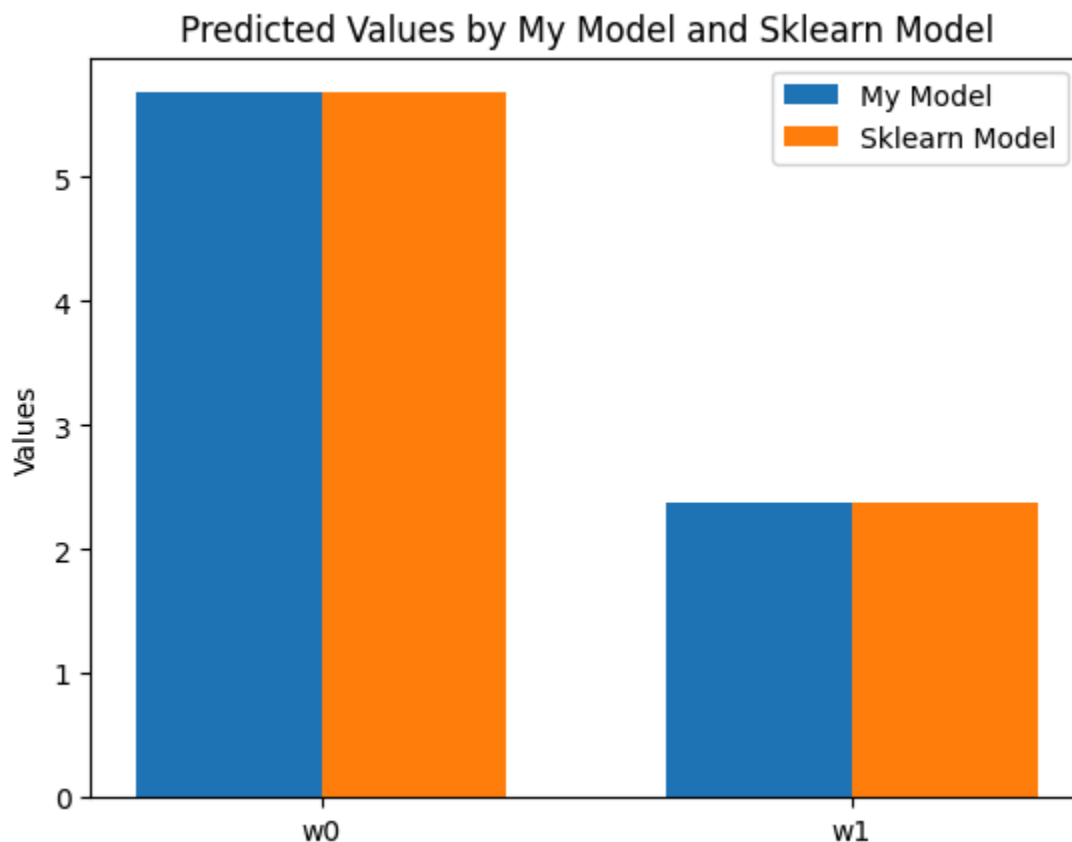
## Dataset 1:

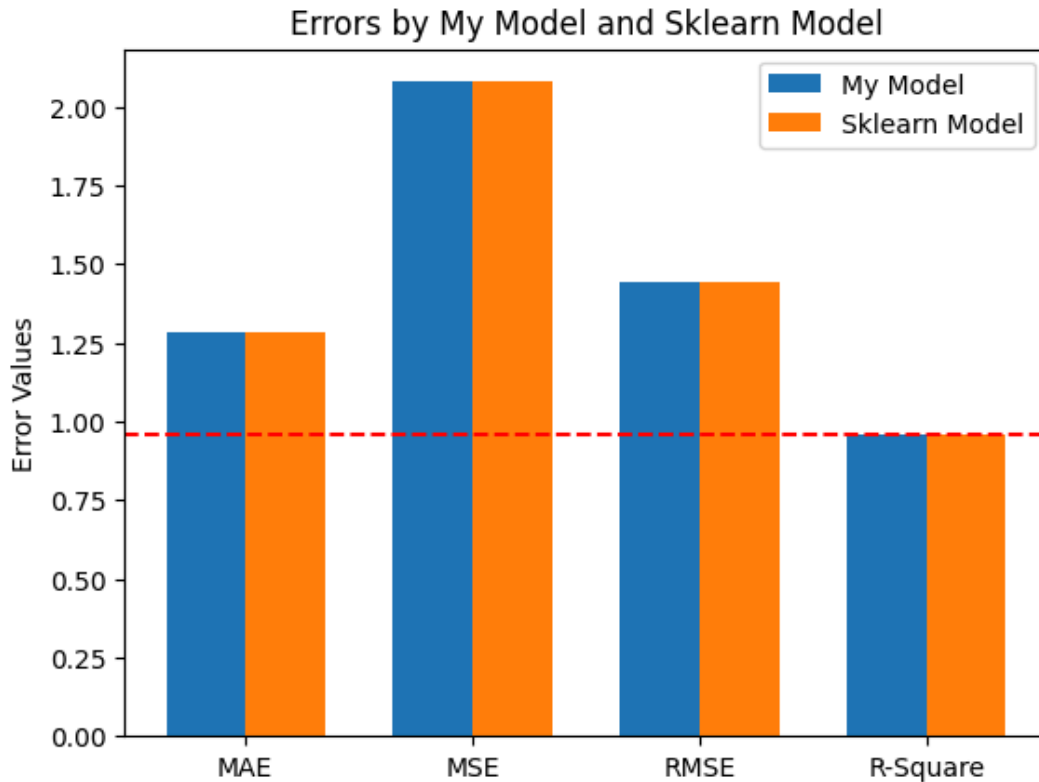
Predicted\_values\_by\_my\_model = [5.680787126761226,  
2.384060066057183] #[w0, w1]

Predicted\_values\_by\_Sklearn\_model = [5.68078713, 2.38406007]

Error\_by\_my\_model = [1.2805559784291467, 2.0785254017773265,  
1.4417091945941547, 0.9579571905586358] #[mae,  
mse,rmse,r\_square]

Error\_by\_Sklearn\_model = [1.280555978429147,  
2.078525401777328, 1.4417091945941551, 0.9579571905586357]



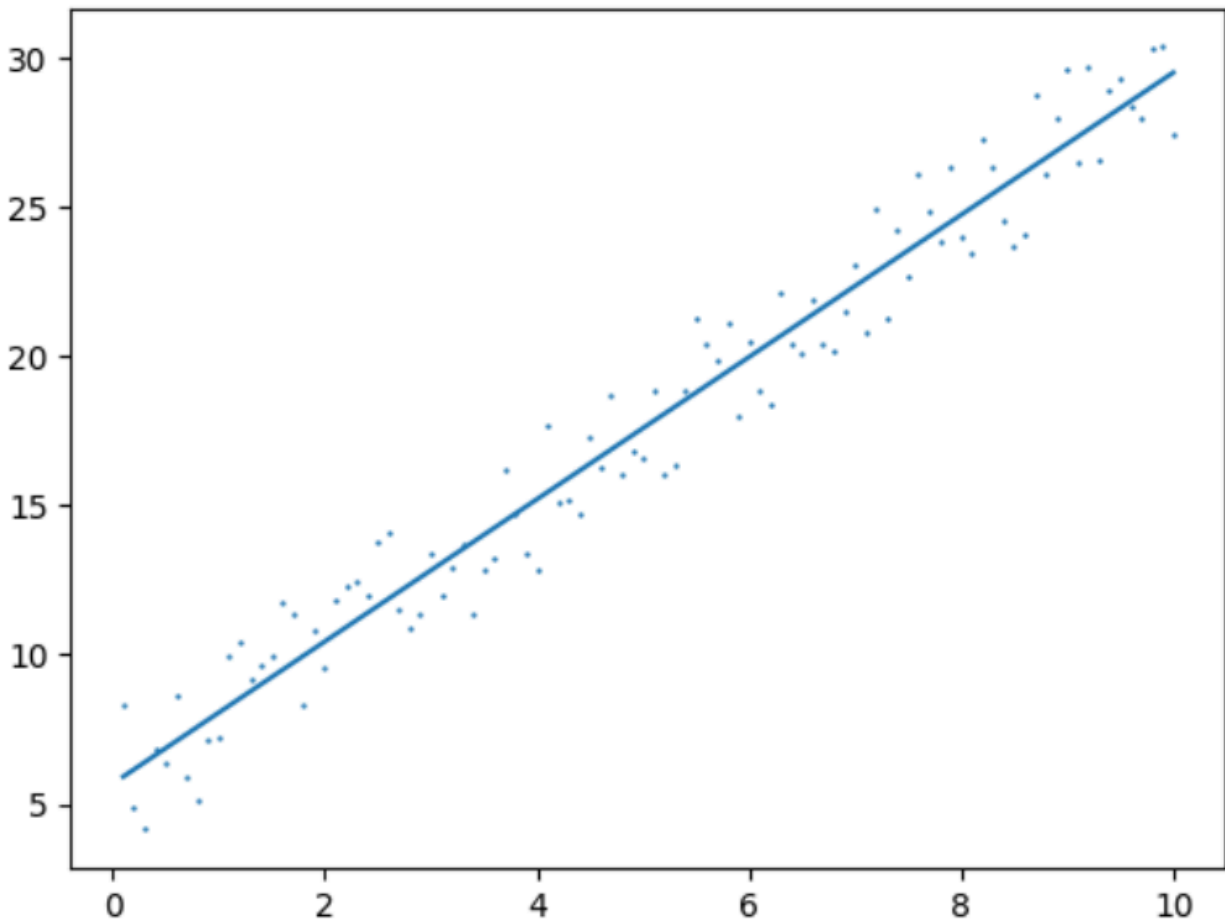


## Conclusion:

In this dataset, I have applied Simple Linear Regression and got the same result as predicted by Scikit-learn Library. I have also got almost same MAE, MSE, RMSE and R\_square. R\_square (0.96) is close to 1. So we can say that my model is working fine with Simple Linear Regression.

**Best Fit Hyperplane;**

$$y = 5.681 + 2.384x$$



## Dataset 2:

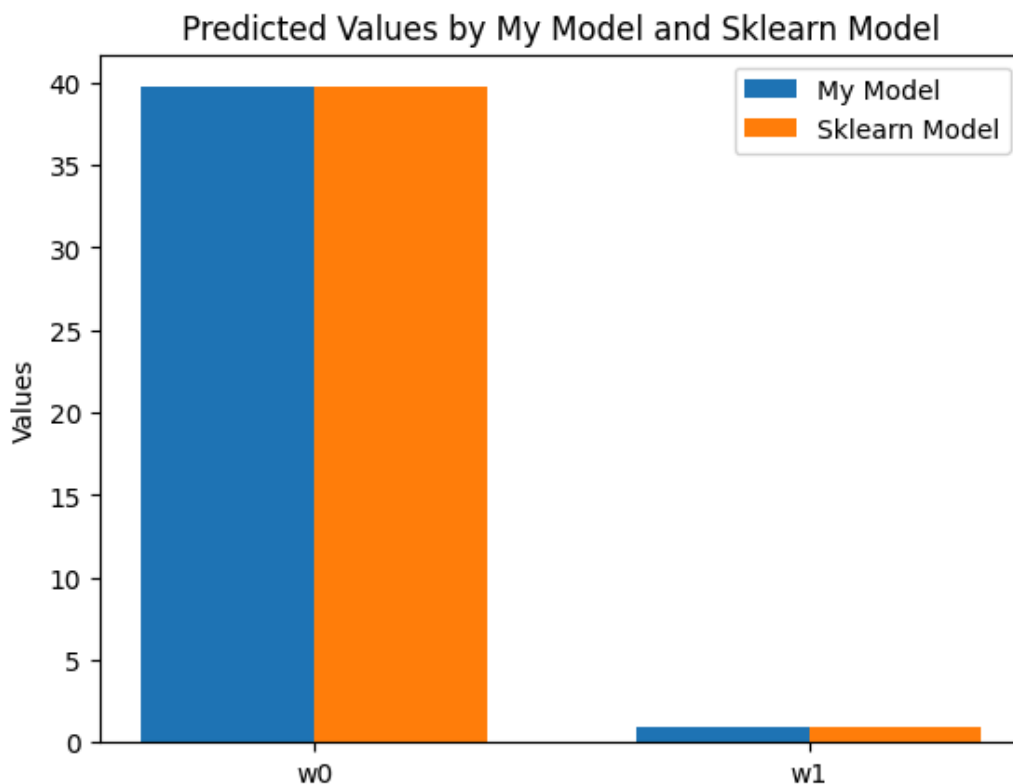
Predicted\_values\_by\_my\_model =

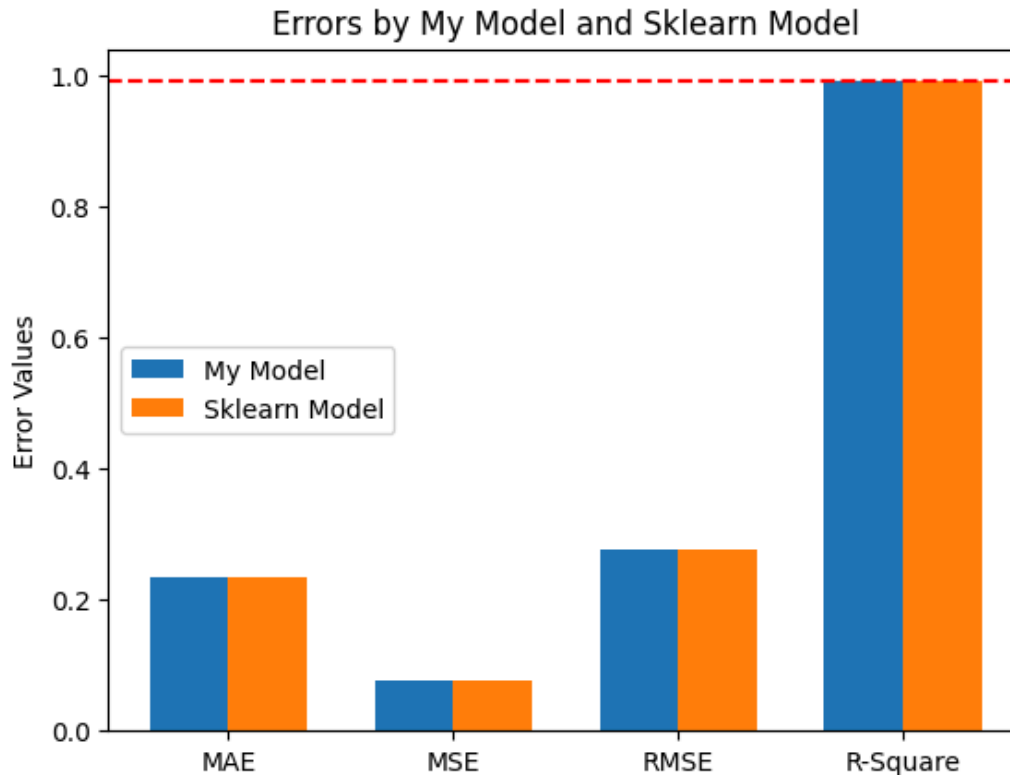
[39.7306395177676, 0.9729974518460589] *#alpha, Beta*

Predicted\_values\_by\_Sklearn\_model = [39.73063952, 0.97299745]

Error\_by\_my\_model = [0.2349883528902577,  
0.07643342704351971,  
0.27646596000867757,  
0.9904038522690993]

Error\_by\_Sklearn\_model = [0.23498835289025738,  
0.07643342704351966,  
0.27646596000867746,  
0.9904038522690993]



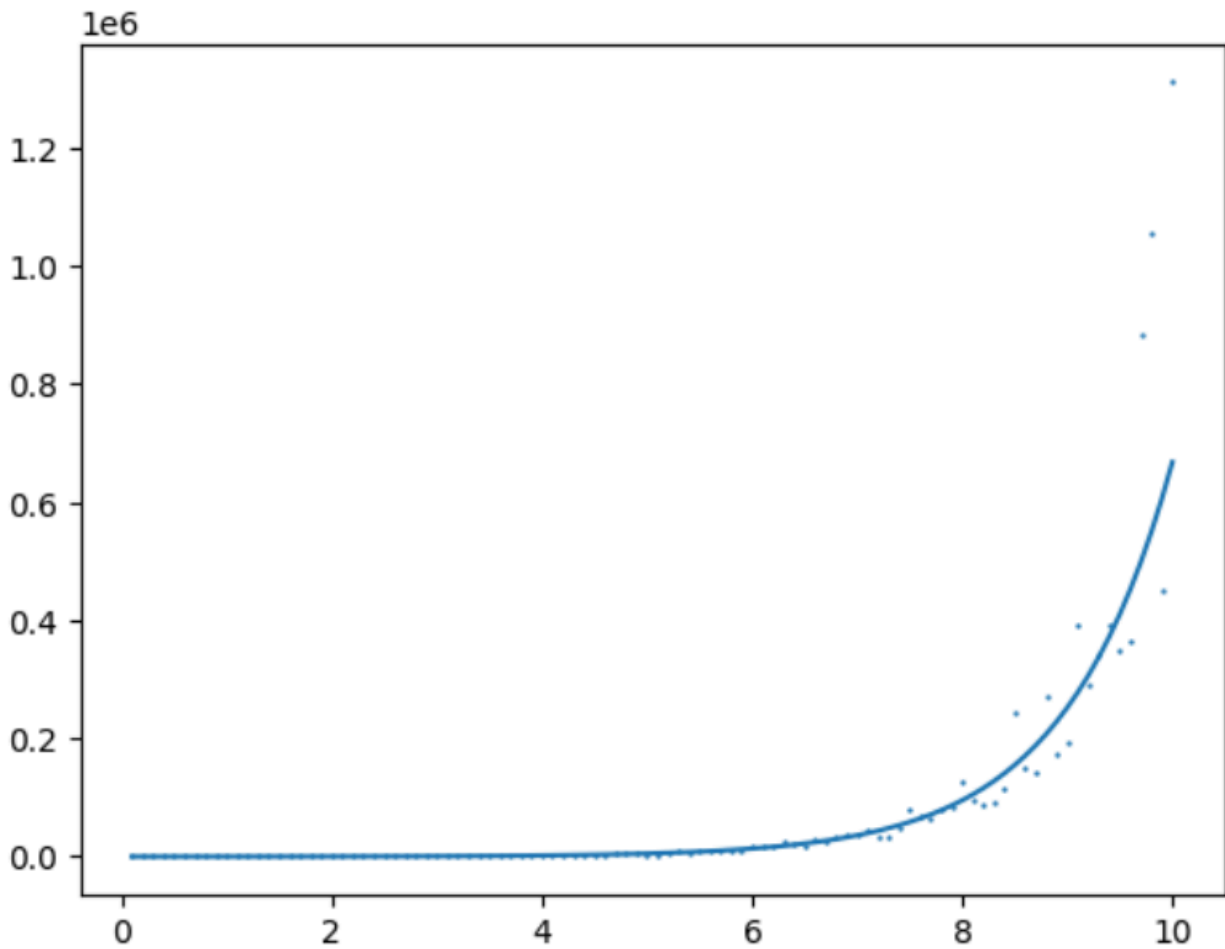


## Conclusion:

In this dataset, I have applied Simple Linear Regression after **Non linear transformation** and got the same result as predicted by Scikit-learn Library. I have also got almost same MAE, MSE, RMSE and R\_square. R\_square (0.99) is close to 1. So we can say that my model is working fine with Simple Linear Regression.

## Best Fit Hyperplane;

$$y = \log(39.73) + 0.97x$$



## Dataset 3:

Predicted\_values\_by\_my\_model =

[1.1770620783119932, 0.09419021414817955] #w0, w1

Predicted\_values\_by\_Sklearn\_model = [1.17706208, 0.09419021]

Error\_by\_my\_model = [0.29467793301310385,

0.16173044143088552,

0.4021572347116057,

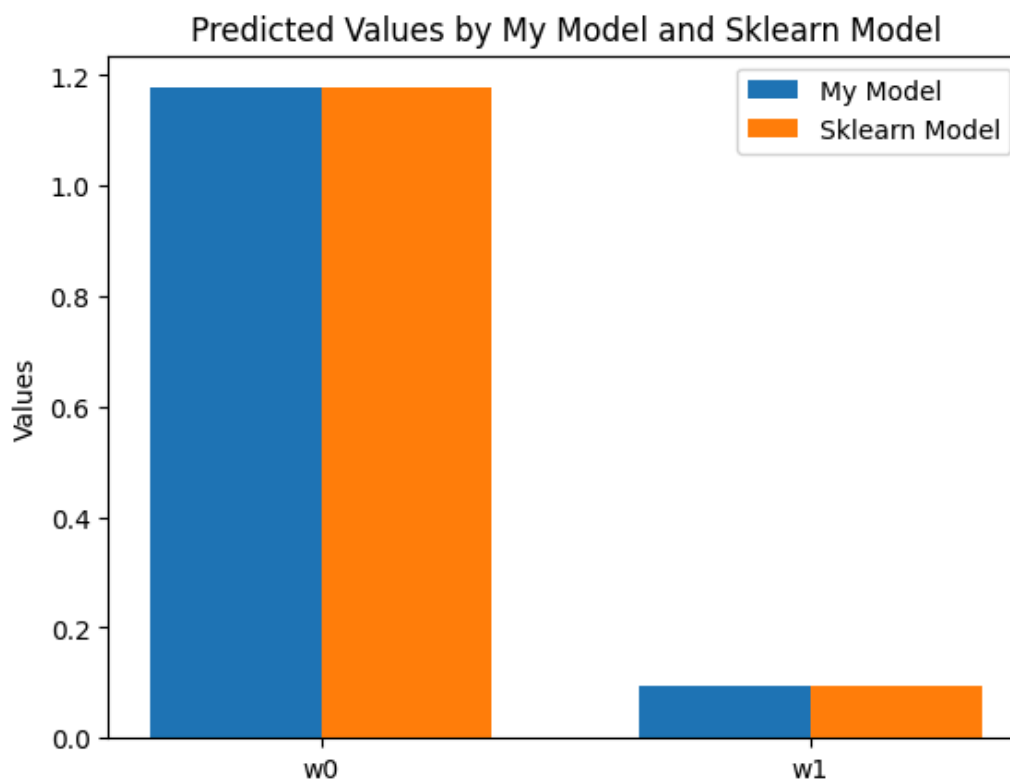
0.3136973226728079]

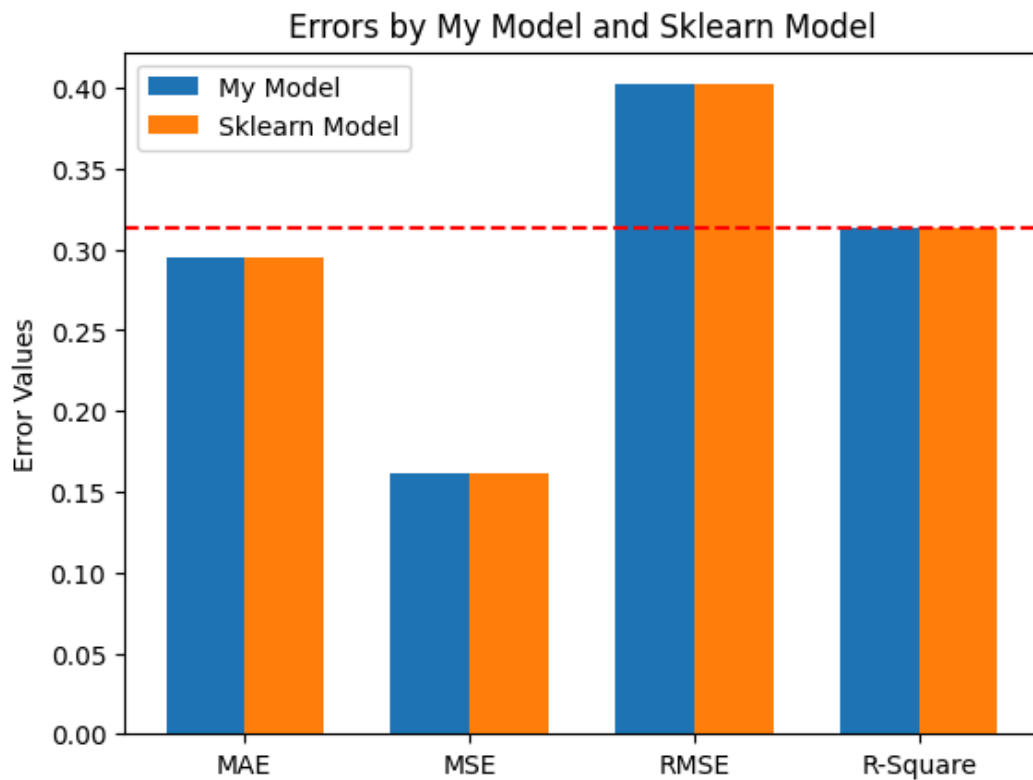
Error\_by\_Sklearn\_model = [0.29467793301310374,

0.16173044143088552,

0.4021572347116057,

0.3136973226728079]





**After applying Linear Regression model These are the approximate errors.**

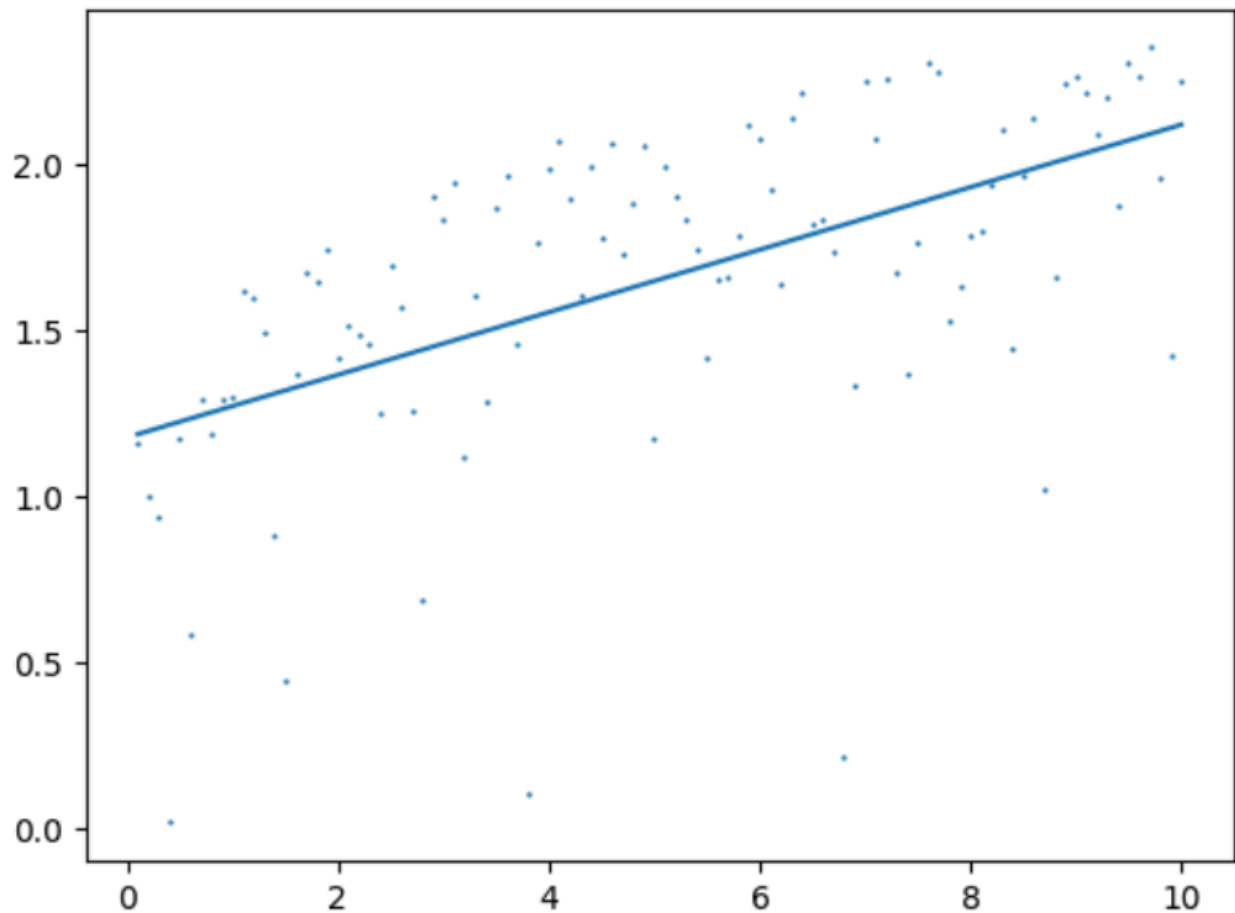
MAE: 0.29467793301310385

MSE: 0.16173044143088552

RMSE: 0.4021572347116057

r\_square: 0.3136973226728079

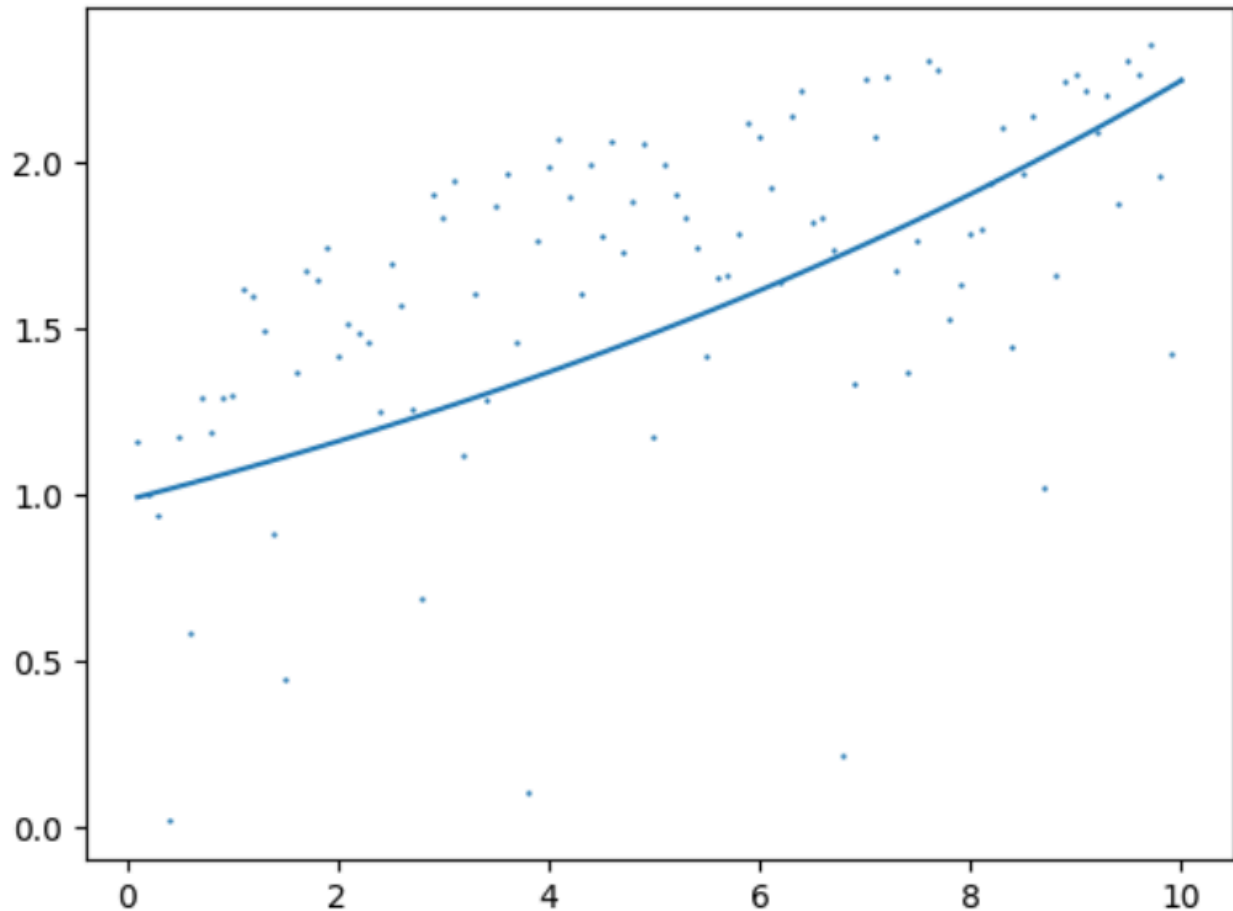




In this dataset, I have applied Simple Linear Regression and got the same result as predicted by Scikit-learn Library. I have also got almost same MAE, MSE, RMSE and it is low also. But **R\_square is 0.31** which is close to 0. So we can say that linear regression is not fit good with this dataset.

**Now, Applying exponential function on same dataset.**

**I got following best fit line;**



**After applying exponential function, errors are;**

MAE: 1.2632395065781865

MSE: 1.7323987153763363

RMSE: 1.3162061826994798

r\_square: -6.351429118982884

## Final Conclusion:

In this dataset, I have applied Simple Linear Regression then I got **R\_square = 0.31** which is very low then I do **Non linear transformation** and applied exponential function on it. In this case I got **Negative R\_square** which is worse. So we can say that non of the model is working fine with dataset.

## Dataset 4:

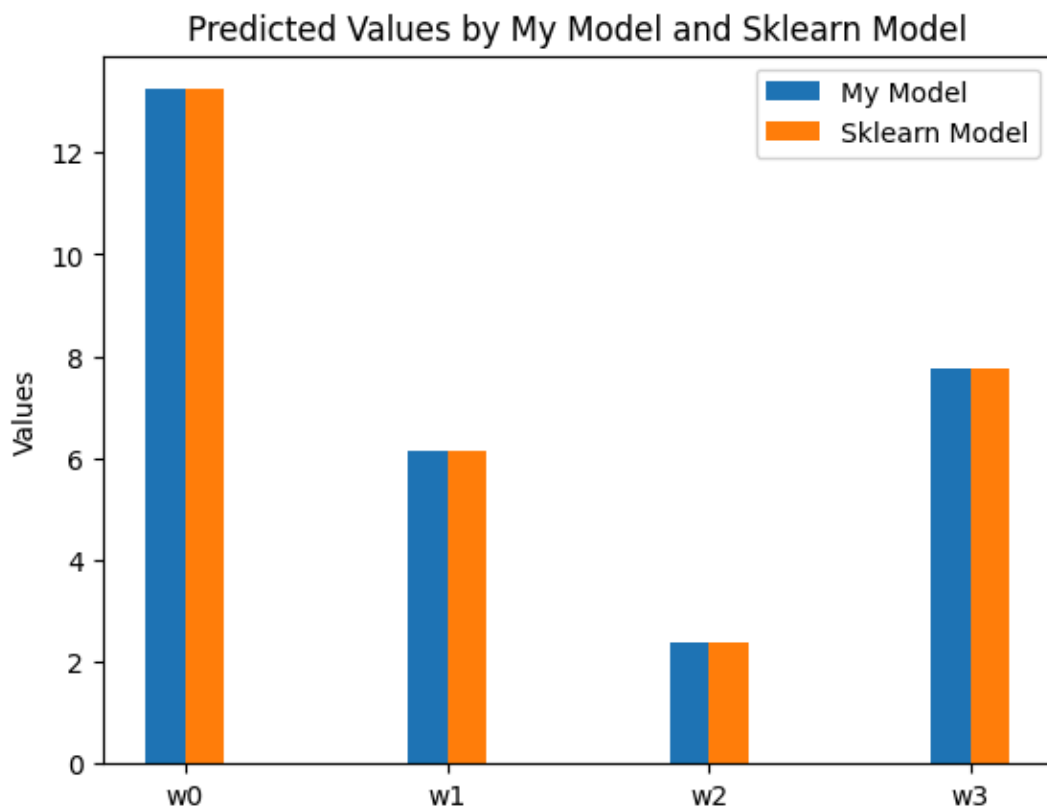
Predicted\_values\_by\_my\_model = [13.239477941118366,  
6.132437615313393, 2.392265549258809, 7.746810380660236]

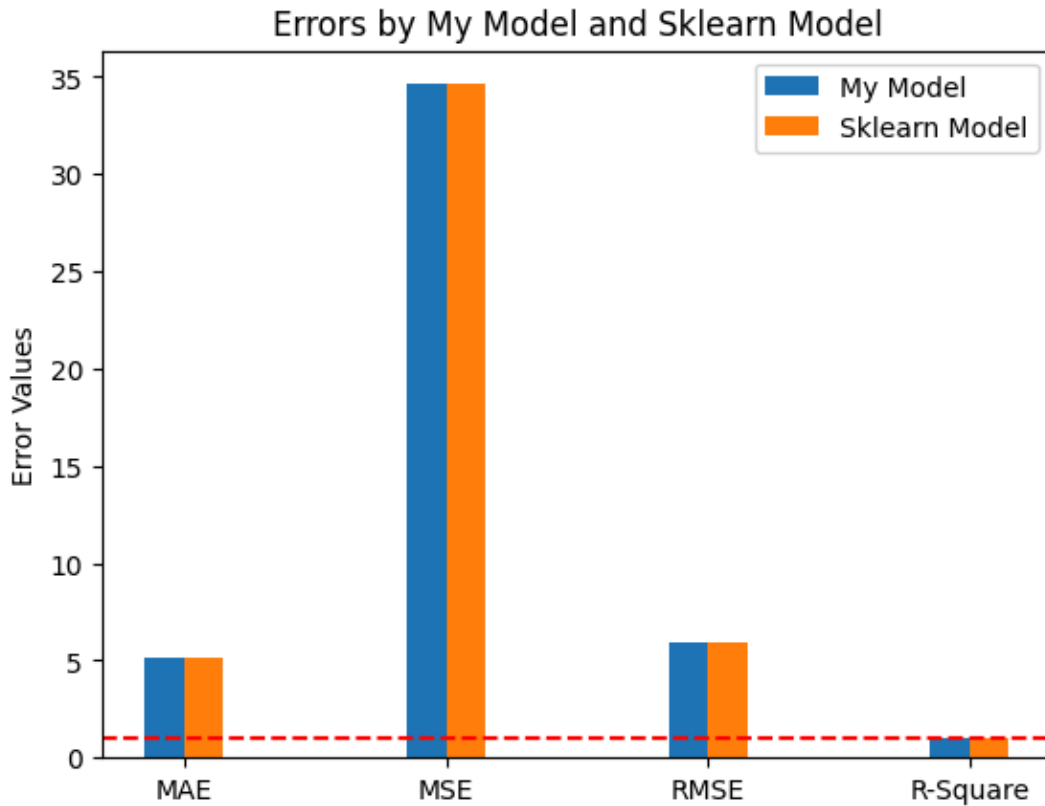
#w0, w1, w2, w3

Predicted\_values\_by\_Sklearn\_model = [13.239477824445359,  
6.13243763, 2.39226554, 7.74681038]

Error\_by\_my\_model = [5.155505639902197, 34.62048082924356,  
5.883917133104745, 0.9841749058943147]

Error\_by\_Sklearn\_model = [5.15550562646378, 34.62048082924356,  
5.883917133104745, 0.9841749058943147]





## Conclusion:

In this dataset, I have applied multiple Simple Linear Regression and got the same result as predicted by Scikit-learn Library. I have also got almost same MAE, MSE, RMSE and it is low also. R\_square is 0.98 which is close to 1. So we can say that multiple linear regression is fit good with this dataset.

**Best Fit Hyperplane:  $13.24 + 6.13 \cdot x_1 + 2.39 \cdot x_2 + 7.75 \cdot x_3$**

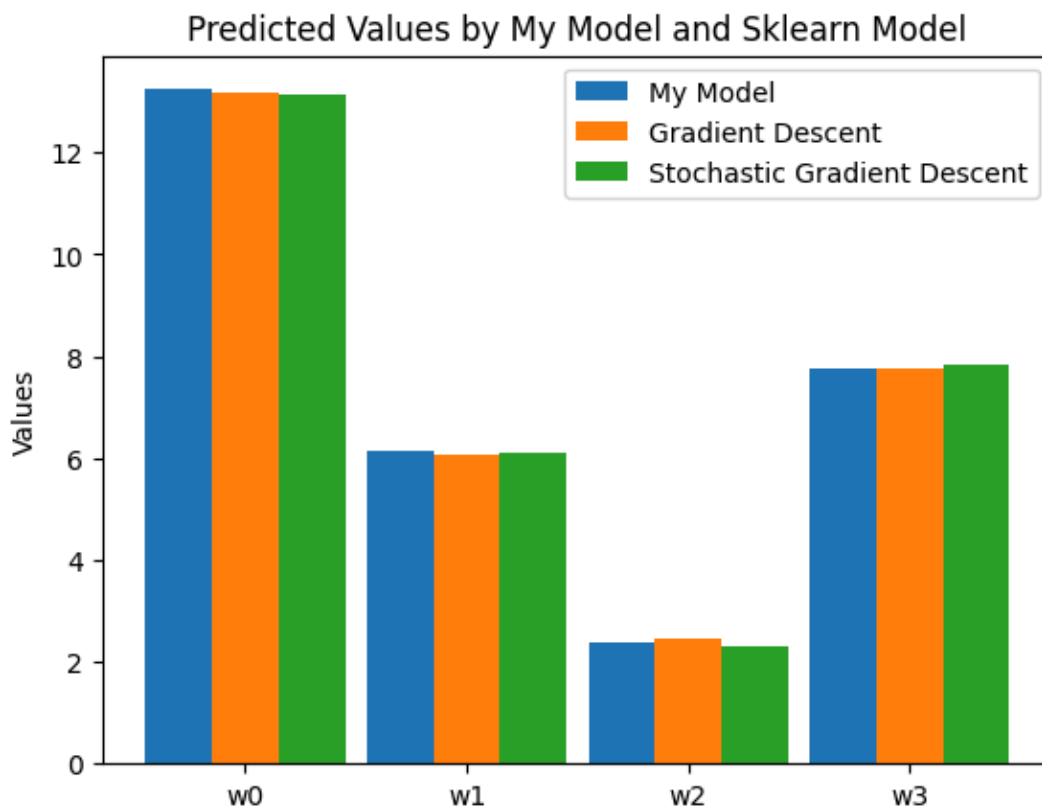
# Gradient Descent v/s Stochastic Gradient Descent on Data4.csv

**Prediction of  $w_0$ ,  $w_1$ ,  $w_2$ ,  $w_3$  by My\_model, GD and SGD;**

Predicted\_values\_by\_my\_model = [13.239477941118366,  
6.132437615313393, 2.392265549258809, 7.746810380660236]  
#[ $w_0$ ,  $w_1$ ,  $w_2$ ,  $w_3$ ]

Predicted\_values\_by\_GD = [13.18578203958556,  
6.060680905255514, 2.445134785871812, 7.766764500756425]

Predicted\_values\_by\_SGD = [13.154571488555078,  
6.091250059460483, 2.3134524409841464, 7.827527898786717]

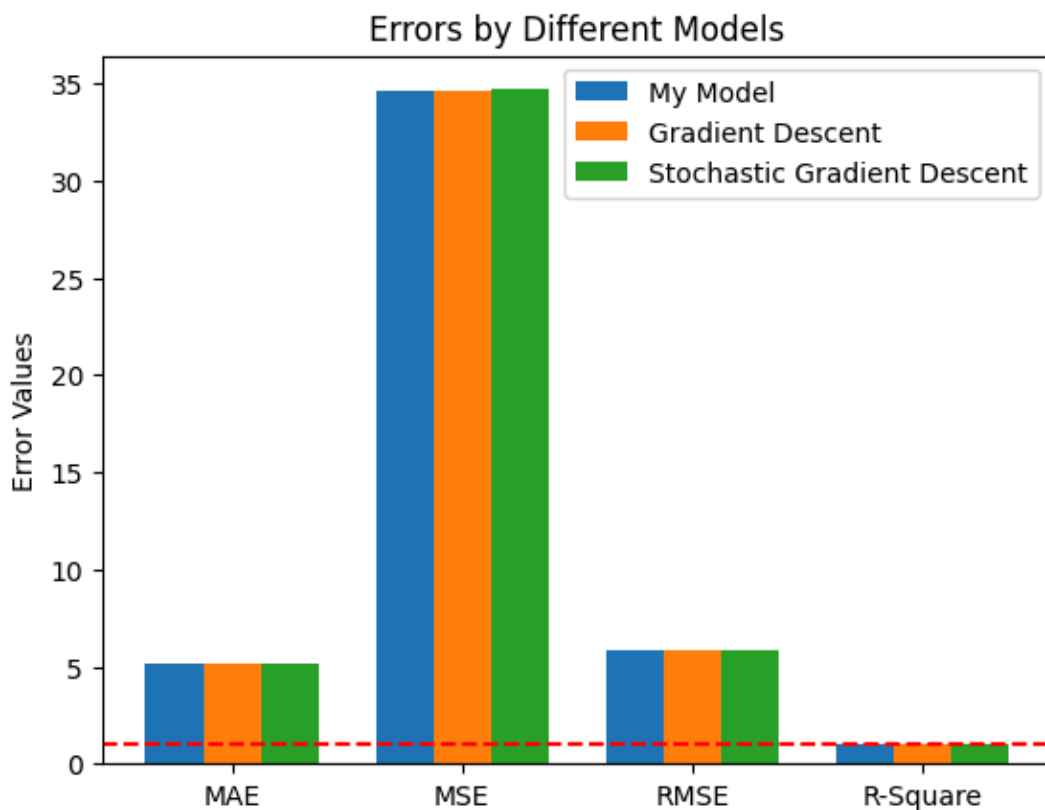


## Error among My\_model, GD and SGD;

Error\_by\_my\_model = [5.155505639902197, 34.62048082924356, 5.883917133104745, 0.9841749058943147]

Error\_by\_GD = [5.155022267892361, 34.62081600683792, 5.883945615557465, 0.9841749058943147]

Error\_by\_SGD = [5.119894250543379, 34.68046898055256, 5.889012564136076, 0.9841749058943147]



## **Conclusion:**

I have predicted  $w_0$ ,  $w_1$ ,  $w_2$  and  $w_3$  using both GD and SGD. I found that GD is giving better result than SGD and result of SGD is updated every time when I run the algorithm(due to randomness). I have also got almost same MAE, MSE, RMSE and it is low also.  $R\_square$  is 0.98 which is close to 1. So we can say that GD and SGD is predicting approximately same.

**Nagmani Kumar**