

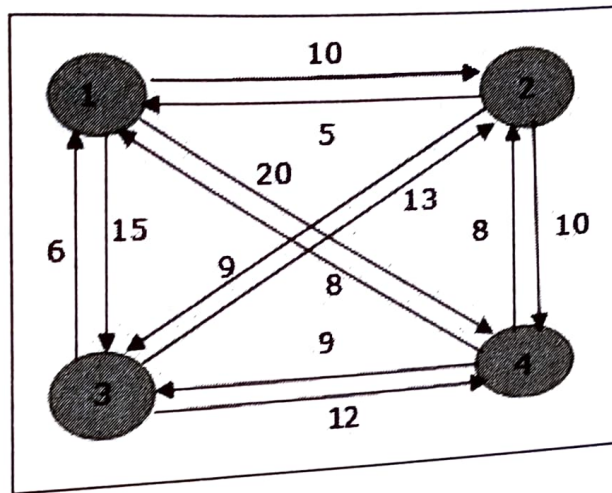
# LAB SESSION 08:

Date of the Session: 23/09/21

Time of the Session: 7 to       

## Pre-Lab:

Your father brought you a ticket to world tour. You have a choice to go to three places, your father knows the places you wanted to travel so he made a graph with the measuring distances from home. Now you start from your place (1: Source) to other places as shown in the graph below apply TSP to find shortest path to visit all places and return to home. (Ex: 2: London, 3: Paris, 4: Singapore)



```

from sys import maxsize
from itertools import permutations

```

$V=4$

```

def travellingSalesmanProblem(graph, s):

```

```

    vertex = []

```

```

    for i in range(V):

```

```

        if i != s:

```

```

            vertex.append(i)

```

```

    min_path = maxsize

```

```

    next_permutation = permutations(vertex)

```

```

    for i in range(next_permutation):
        current_path_weight = 0

```

k = s

for j in p:

current\_path\_weight += graph[k][j]

k = j

current\_path\_weight = graph[k][j]

minpath = min(minpath, current\_path\_weight)

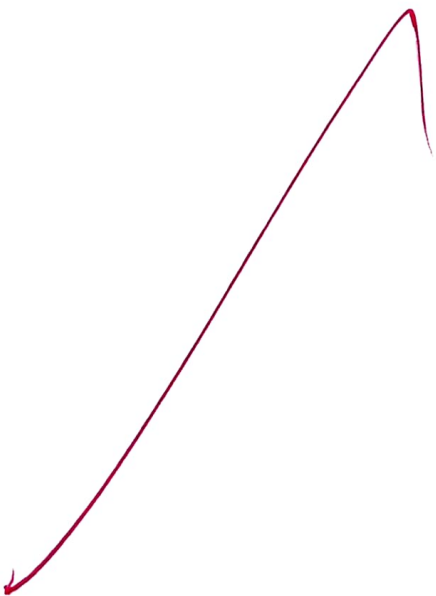
return minpath

if \_\_name\_\_ == '\_\_main\_\_':

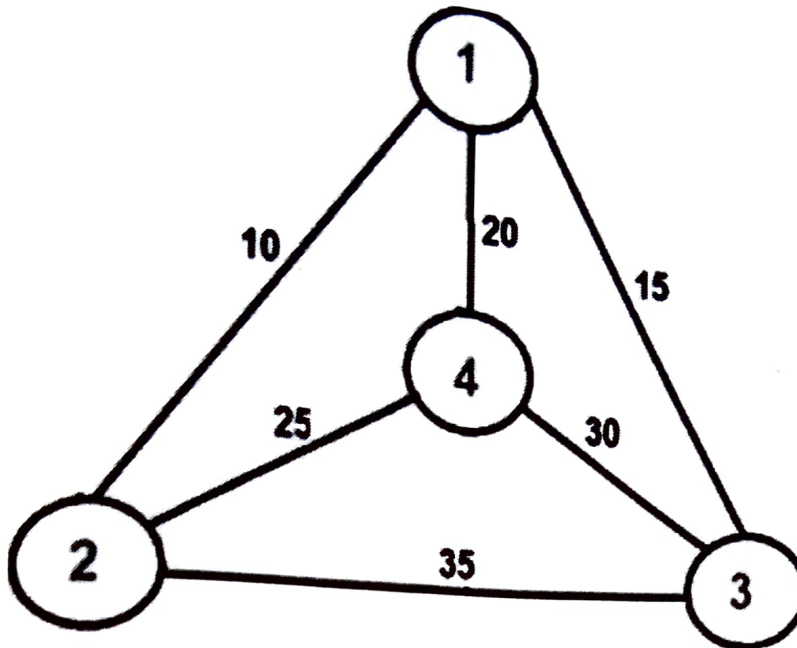
graph = [[20, 10, 15, 20], [10, 10, 35, 25]

[15, 35, 0, 30], [20, 25, 30, 0]]

print(travelling\_salesman\_problem(graph))



2) You can choose any node as the starting point and ending point. Since the route is cyclic you can take any node as starting point and ending point. Find the minimum cost route and remember the Hamiltonian cycle.



```
from sys import maxsize
```

```
from itertools import permutations
```

```
v=4
```

```
def travellingSalesmanProblem(graph,s):
```

```
    vertex=[]
```

```
    for i in range(v):
```

```
        if i!=s:
```

```
            vertex.append(i)
```

```
    min_path=maxsize
```

```
    next_permutation = permutations(vertex v)
```

```
    for i in next_permutation:
```

```
        k=0
```

```
        for j in i:
```

```
            current_path_weight += graph[k][j]
```

```
            k=j
```

current-path weight + graph[i][j]

min-path = min(min-path, current-path, weight)

return min-path

If \_\_name\_\_ == '\_\_main\_\_':

graph = [[0, 10, 15, 20], [10, 0, 35, 25],  
[15, 35, 0, 30], [20, 25, 30, 0]]

s = 0

print(travelling salesman problem(graph, s))

Today, you are planning to visit N cities (numbered 1 through N). There is a direct way to travel between each pair of cities. Each city has a specific temperature; let us denote the temperature in the i-th city by  $C_i$ . Your friend has a fixed temperature tolerance D with the following meaning: for each pair of cities a and b, he may travel from city a directly to city b only if  $|C_a - C_b| \leq D$ , otherwise he would catch a heavy flu because of the sudden change in temperature.

Your friend starts from city 1. Is he able to visit all N cities in such a way that each city is visited exactly once?

Notes:

1. Your friend is not able to travel through a city without visiting it.
2. City 1 is visited at the beginning.

It is not necessary to be able to travel directly to city 1 from the last city Your friend's visits.

Input

2  
5 3  
3 2 1 4 5  
5 4  
10 1 3 2 9

Output

Yes

No

```
import java.util.*;

public class Main
{
    public static void main(String args[])
    {
        Scanner sc = new Scanner(System.in);
        int t = sc.nextInt();
        while (t != 0)
        {
            int n = sc.nextInt();
            int d = sc.nextInt();

            int c = 0;
            int arr[] = new int[n];
            for (int i = 0; i < n; i++)
                arr[i] = sc.nextInt();

            if (arr[0] - arr[1] <= d)
                c++;
        }
    }
}
```

if (c == n-1)

System.out.println("YES");

else

System.out.println("NO");

yy

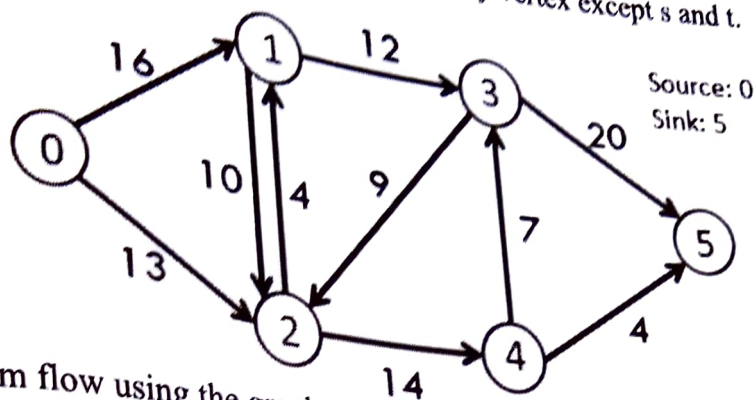
o/p.

YES

NO



- 10-Lab:
- 1) Emma has a graph which represents a flow network where every edge has a capacity. Also given two vertices source  $s$  and sink  $t$  in the graph, find the maximum possible flow from  $s$  to  $t$  with following constraints:
- Flow on an edge does not exceed the given capacity of the edge.
  - Incoming flow is equal to outgoing flow for every vertex except  $s$  and  $t$ .



Find the Maximum flow using the graph and by implementing the code.

```
public class Main {
    static class Graph {
        int vertices;
        int graph[][];
```

```
    public Graph(int vertex, int[][] graph) {
```

```
        this.vertices = vertex;
        this.graph = graph;
```

```
    }

    public int findMaxFlow(int sink) {
```

```
        int [][] residualGraph,
        new int [vertices][vertices]
```

```
        for (int i = 0; i < vertices; i++) {
```

```
            residualGraph[i][i] =
            graph[i][i];
```

```
public static void main (String args[])
```

```
{
```

```
    int vertices = 6;
```

```
    int graph[] = { { 0, 16, 13, 0, 0, 90 }
```

```
        { 0, 0, 10, 12, 0, 0 } ,
```

```
        { 0, 4, 0, 0, 14, 0 } ,
```

```
        { 0, 0, 90, 0, 0, 20 } ;
```

```
    { 0, 0, 0, 70, 4 } ,
```

```
    { 90, 0, 0, 0, 0, 0 }
```

```
};
```

```
    Graph g = new Graph (vertices, graph)
```

```
    int source = 0;
```

```
    int dest = 5;
```

```
    int maxflow = g.findMaxFlow (source, dest)
```

```
    System.out.println (source + dest);
```

```
}
```

O/p: maxflow is 23



2) For the above given graph Emma wants an s-t to cut that requires the source s and the sink t to be in different subsets, and it consists of edges going from the source's side to the sink's side. So, she wants you to find the minimum capacity s-t cut of the given network. Expected output is all the edges of minimum cut.

from collections import defaultdict  
class Graph:

def \_\_init\_\_(self, graph):

self.graph = graph

self.rows = graph = [i[i] for i in graph]

self.row = len(graph)

self.col = len(graph[0])

def BF(self, s, t, parent)

visited = [False] \* (self.row)

queue = []

queue.append(s)

visited[s] = True

while queue:

v = queue.pop(0)

for ind, val in enumerate(self.graph[v]):

if visited[ind] == False and

val > 0:

queue.append(ind)

visited[ind] = True

parent[ind] = v

return True

if visited[t]:

return visited[t]

else:

return False

parent = [-1] \* (self.n + 1)

max-flow = 0

while self.BFS(source, sink, parent):

path-flow = float("inf")

s = sink

while(s != source):

path-flow = min(path-flow, self.graph[s][parent[s]])

s = parent[s]

max-flow += path-flow

v = sink

while(v != source):

u = parent[v]

self.graph[u][v] = path-flow

self.graph[v][u] = path-flow

v = parent[v]

print(str(i) + "-" + str(j)).

1) Hogwarts has yet again declared The Triwizard tournament. Harry must pass this round to get to the next one. Each participant will be given a graph with vertices as shown below. Each vertex is a dungeon, and a golden egg is placed in the root dungeon i.e., the root vertex. Help Harry find the pass this round Harry must write a code).

```
public class main
```

```
{  
    public static void main (String args[])
```

```
{  
        BinaryTree bt = BinaryTree.create();
```

```
        bt.mordec();
```

```
    }  
}
```

```
class BinaryTree {
```

```
    static class TreeNode
```

```
{
```

```
        String data;
```

```
        TreeNode left, right;
```

```
        TreeNode (String value) {
```

```
            this.data = value;
```

```
            left = right = null;
```

```
        }  
    }
```

```
        TreeNode root;
```

```
        public void mordec (TreeNode node)
```

```
        {
```

```
            if (node == null)
```

```
                return;
```

```
        }  
    }
```

public static Binary Tree create()

{

Binary Tree t = new Binary Tree();

t.root = root;

t.root.left = new TreeNode("20");

t.root.left.right = new TreeNode("30");

return t; }