

* Harris vs Shi-Tomasi Corner Detection

- Shi-Tomasi is almost similar to Harris corner detection, apart from the way the score (R) is ~~com~~ calculated.
- This gives a better result than Harris.
- In this method, we find the top N corners, which might be useful in case we don't want to detect each and every corner.
- In Shi-Tomasi, R is calculated in the following way:

$$R = \min(d_1, d_2)$$

If R is $>$ threshold
It's considered
a corner.

Scale Space

It is a formal theory for handling image structures at different scale, by representing an image as a one-parameter family of smoothed images, the scale-space representation, parameterized by the size of the smoothing kernel used for suppressing fine scale structures.

The main type of scale space is the linear (Gaussian) scale space, which has wide applicability as well as the attractive property of being possible to derive from a small set of scale-space axioms.

Scale Selection

* SIFT: Scale Invariant Feature Transform

→ Addresses the problem of matching features with changing scale and rotation.

→ one of best approaches and known to be very successful.

→ Approach:

- create a scale space of images
 - ↳ construct a set of progressively Gaussian blurred images.
 - ↳ Take differences to get a "difference of Gaussian" pyramid (similar to Laplacian of Gaussian)
- Find local extrema in this scale space. choose keypoints from the extrema.
- For each keypoint, in a 16×16 window, find histograms of gradient directions

- from a picture, Laplacian of Gaussian at $\sigma = 2$ would give
very dark parts as maxima
very bright parts as minima

- Log filter extrema locates "blob"
as:
 - maxima = dark blobs on light background.
 - minima = light blobs on dark background.

- Scale of blob (size; radius in pixels) is determined by the sigma param of log filter.

Key point localization

- Detect maxima & minima of difference-of-gaussian in scale space.
- fit quadratic to surrounding values for ~~sup~~ subpixels and sub-scale interpolation
- Taylor expansion around point:

$$D(x) = D + \frac{\partial D}{\partial x} x + \frac{1}{2} x^T \frac{\partial^2 D}{\partial x^2} x$$

- Offset of extremum (use finite differences for derivatives): $\hat{x} = -\frac{\partial^2 D}{\partial x^2}^{-1} \cdot \frac{\partial D}{\partial x}$

→ To

Select canonical Orientation

To extract the features of each keypoint.

- Create histogram of local gradient directions computed at selected scale.
- Assign canonical orientation at peak of smoothed histogram
- each key specifies stable 2D coordinate as $(x, y, \text{scale}, \text{orientation})$

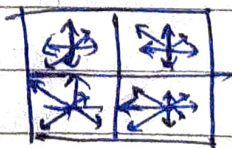
SIFT vector formation

- Threshold image gradients are sampled over 16×16 array of locations in scale space.
- Create array of orientation histograms
- 8 orientations $\times 4 \times 4$ histogram array = 128 dimensions



Image
gradients

8x8



Shows a
2x2 descriptor
array computed
from an
8x8 set of
samples