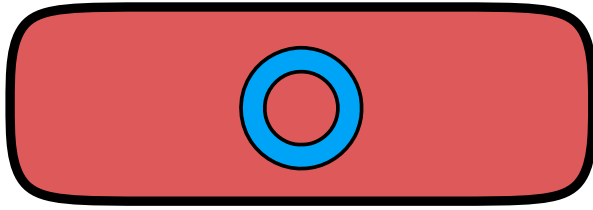
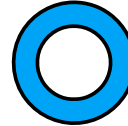


Schematic overview

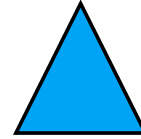


Salmonella Thphimurium (ST)

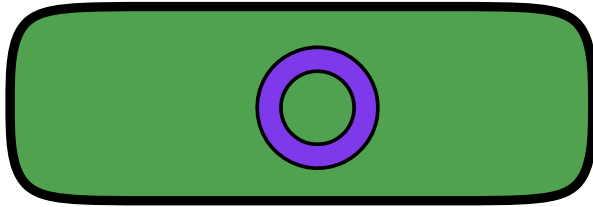


CTX-M-15

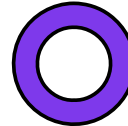
Cefotaxime resistance



Cefotaxime

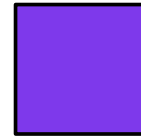


E. coli Nissle (EcN)



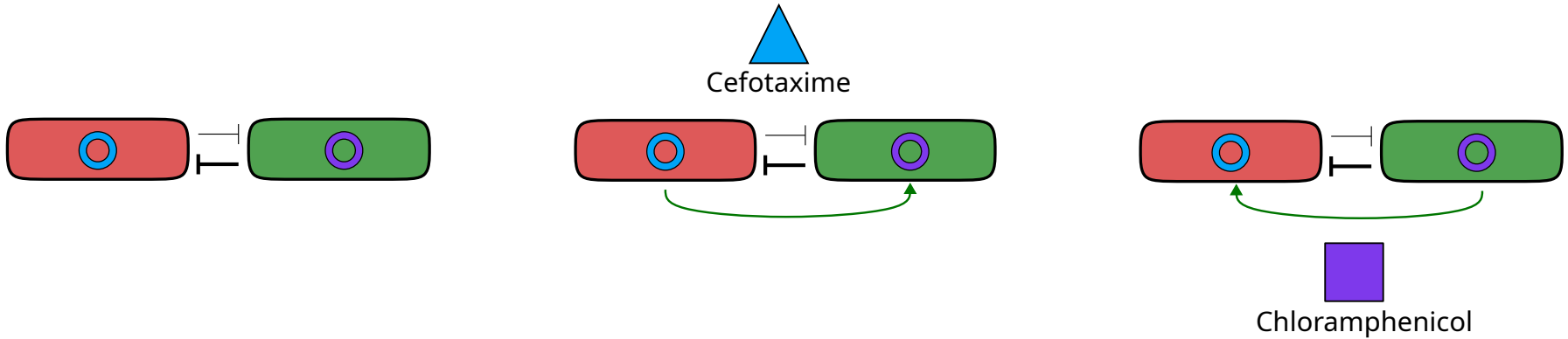
CAT

Chloramphenicol



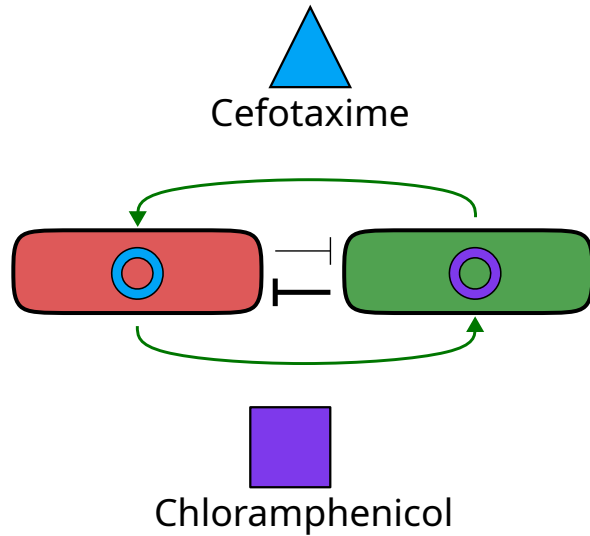
Chloramphenicol

Interactions



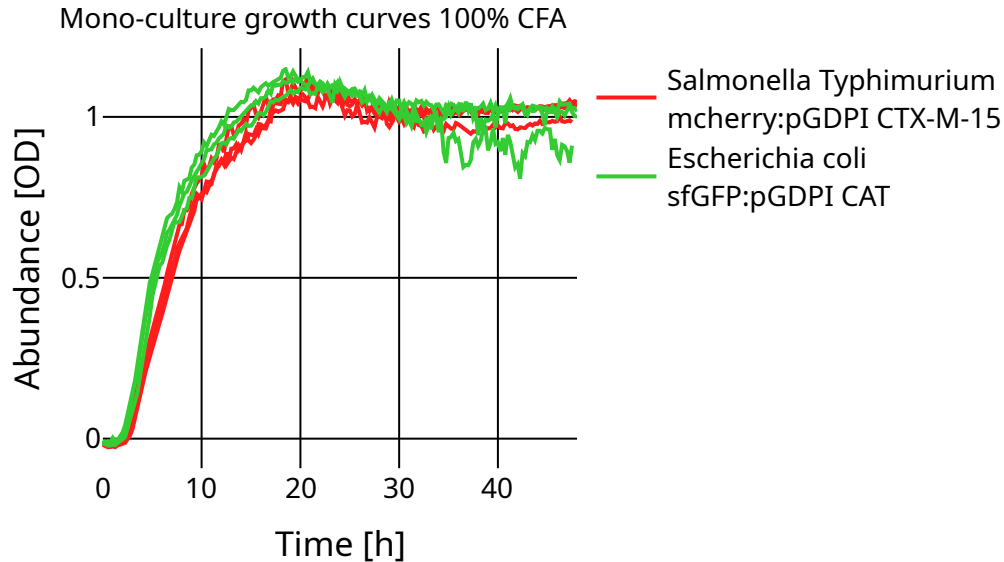
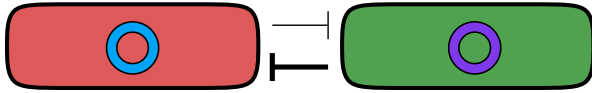
- No antibiotics
- *ST* protects *E. coli*
- *E. coli* excludes *ST*
- Co-existence
- *E. coli* protects *ST*
- *E. coli* excludes *ST*

Interactions



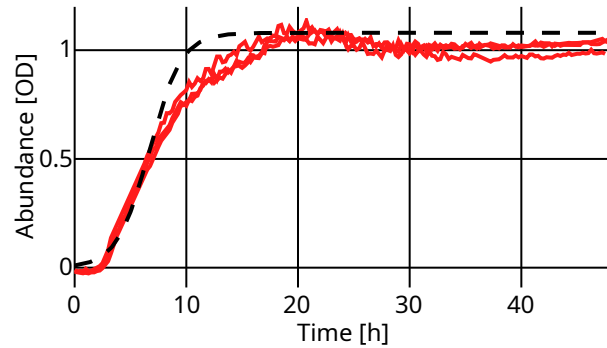
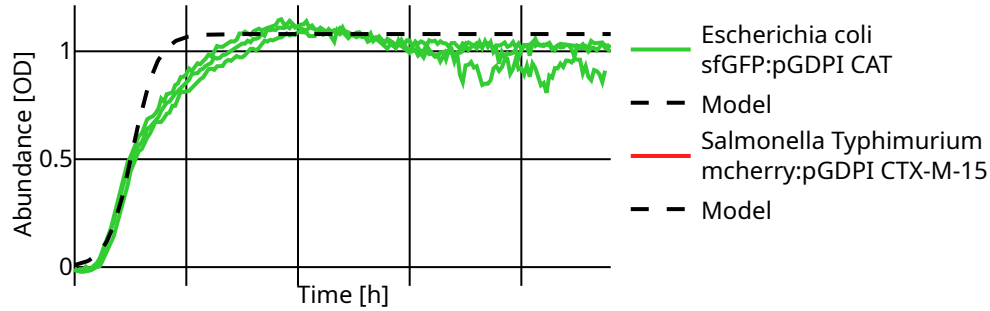
- *ST* protects *E. coli*
- *E. coli* protects *ST*
- Both species go extinct

No antibiotics – Exclusion of *ST*



- Mechanism of exclusion unknown
- Fran created growth curves across CFA gradient for all strains
 - All curves look very similar
- Modeling interactions as resource competition not suitable

Growth model



$$\frac{dN}{dt} = \mu N$$

$$\frac{dN}{dt} = r \left(1 - \frac{N}{K}\right) N$$

μ : Per capita growth rate

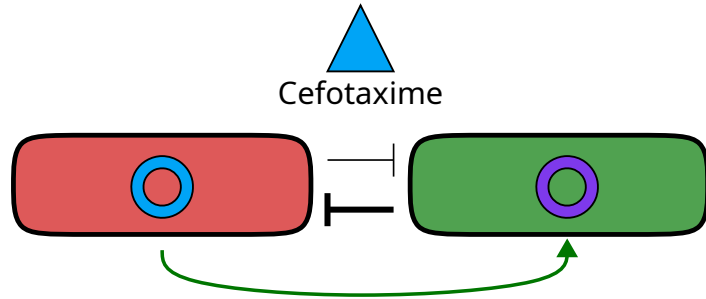
N : Species

r : Maximum growth rate

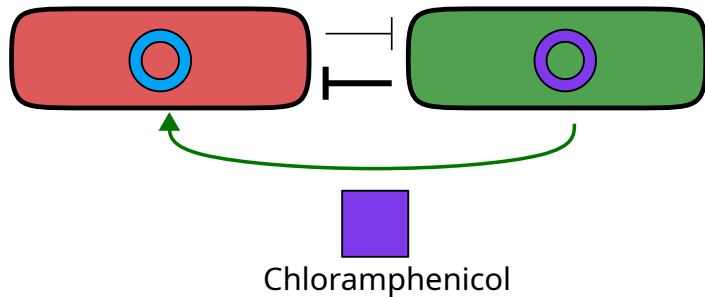
K : Carrying capacity

	<i>E. coli</i>	<i>St</i>
r [1/h]	0.9	0.7
K [OD]	1.1	1.1

One-sided protection

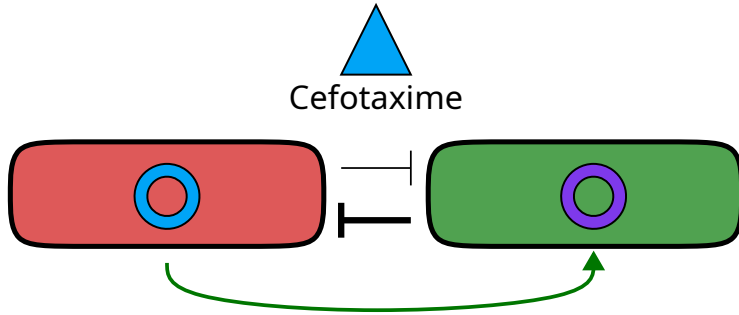


- Opposing signs:
 - *E. coli* relies on partner species for protection



- Matching signs:
 - Even if *E. coli* fully detoxifies the environment the negative interaction causes extinction of *ST*

One-sided protection - opposing signs



$$\frac{dN}{dt} = \left(\mu - \frac{JCf}{Cf + IC_{50}} \right) N$$

N : Abundance *E. coli*

μ : Per capita growth rate

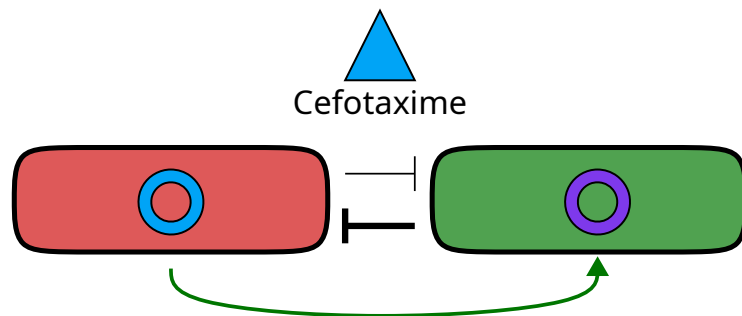
J : Maximum death rate

Cf : Cefotaxime

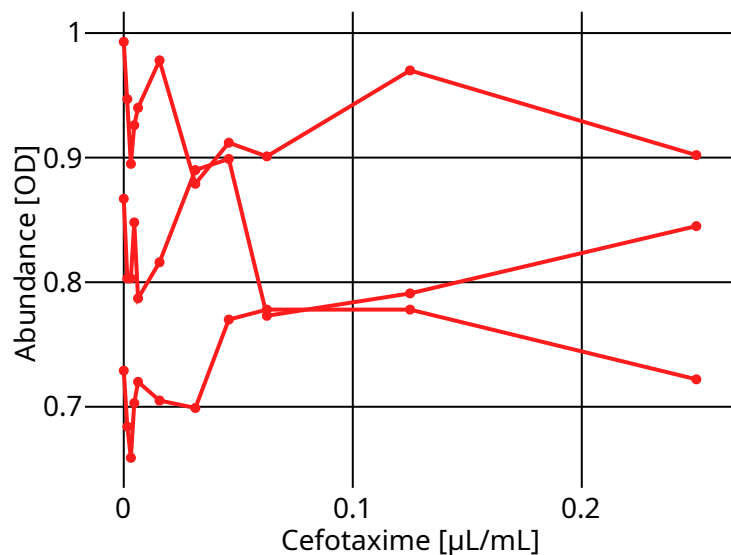
IC_{50} : Half – maximal inhibitory concentration

- Co-existence observed
- Cefotaxime is bactericidal
- Fran did dose response curves to measure the IC_{50}
- Also did a kill curve to measure the maximum death rate J

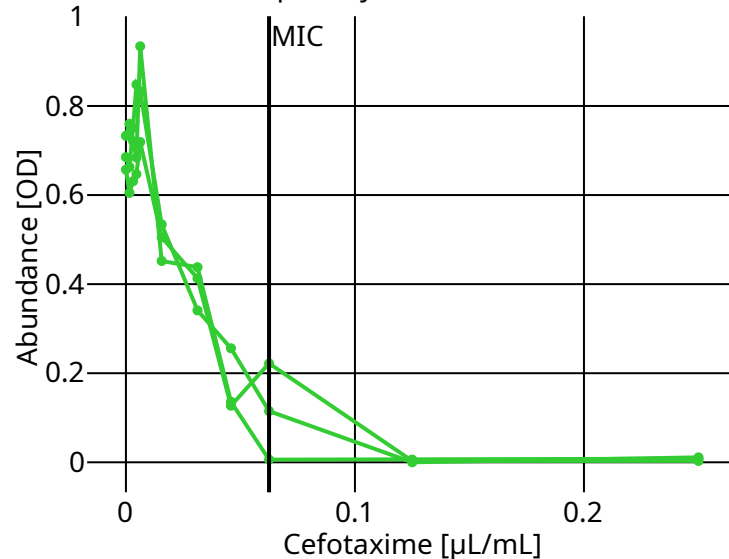
ST is resistant against Cefotaxime, *E. coli* susceptible



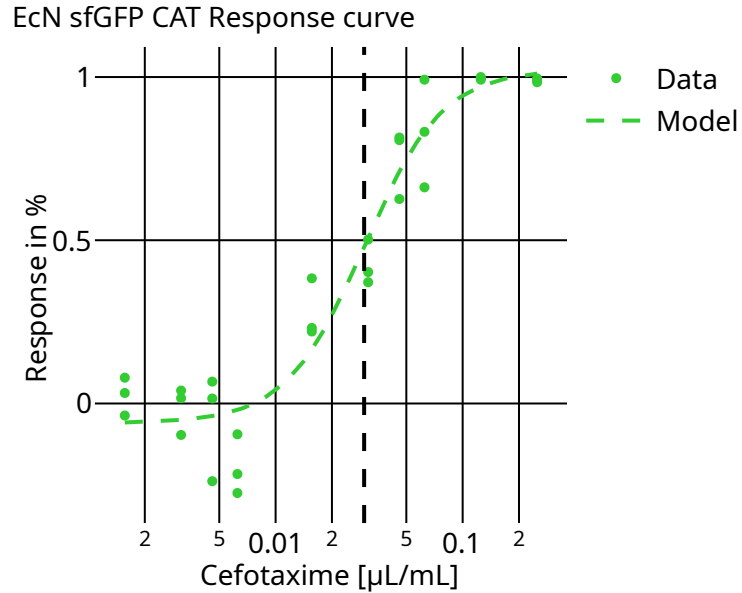
ST mCherry CTX resistance



EcN sfGFP CAT Susceptibility



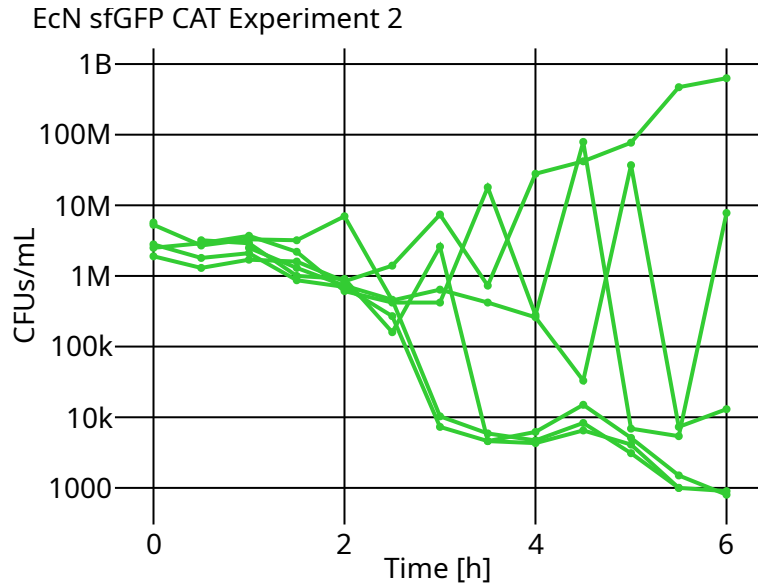
IC50 for *E. coli*



- IC50: How much drug is needed to inhibit half of a biological process
- Fitted sigmoid model
- IC50: 0.03 $\mu\text{g/mL}$
- MIC: 0.0625 $\mu\text{g/mL}$

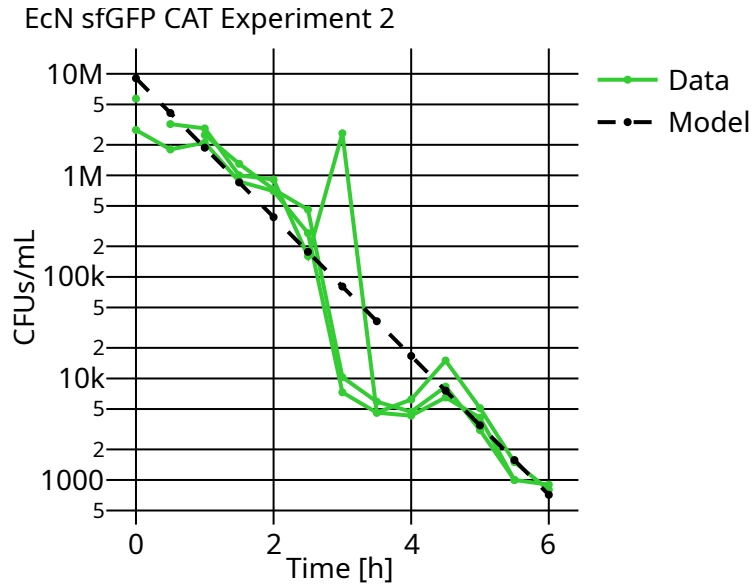
$$\frac{dN}{dt} = \left(\mu - \frac{JC_f}{C_f + IC_{50}} \right) N$$

Maximum death rate



- 4x MIC of Cefotaxime was added after 2 hours
- Variety in repeats
 - In some repeats population manages to resist
- Standing variation:
 - Mutations that are present during treatment

Maximum death rate



- Maximum death rate $J = -1.57$ 1/h for repeats that are killed by Cefotaxime
- Populations that don't go extinct could be important for co-existence
 - Only little detoxification needed

Variation affects netto growth rate

netto growth rate

$$\frac{dN}{dt} = \left(\mu - \frac{JCf}{Cf + IC_{50}} \right) N$$

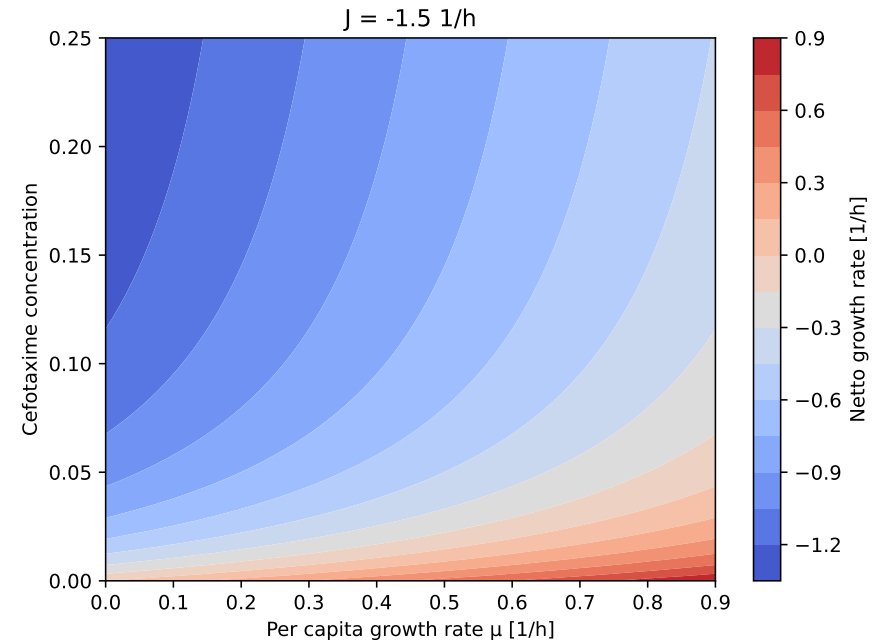
N : Abundance *E. coli*

μ : Per capita growth rate

J : Maximum death rate

Cf : Cefotaxime

IC_{50} : Half – maximal inhibitory concentration



Variation affects netto growth rate

netto growth rate

$$\frac{dN}{dt} = \left(\mu - \frac{JCf}{Cf + IC50} \right) N$$

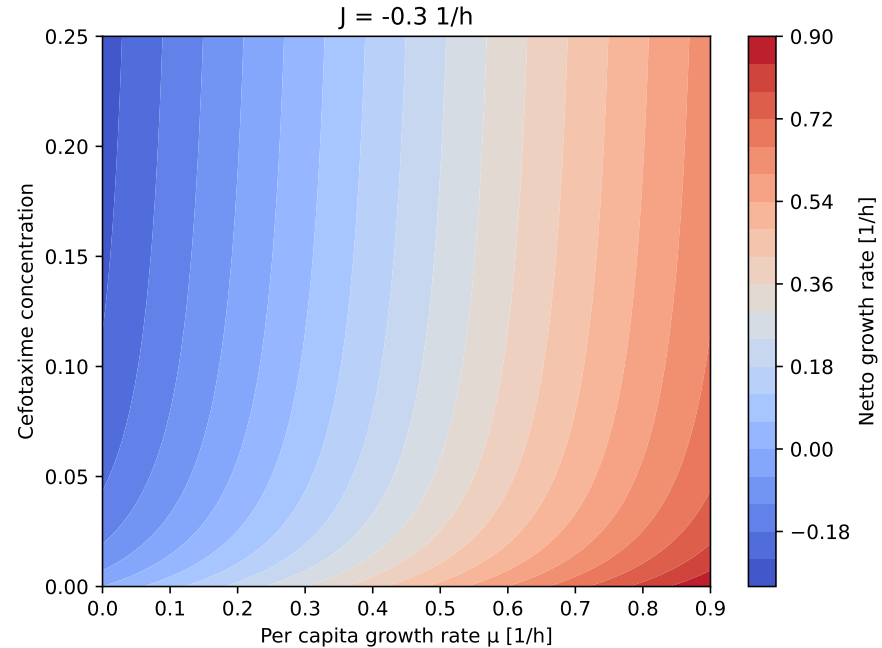
N : Abundance *E. coli*

μ : Per capita growth rate

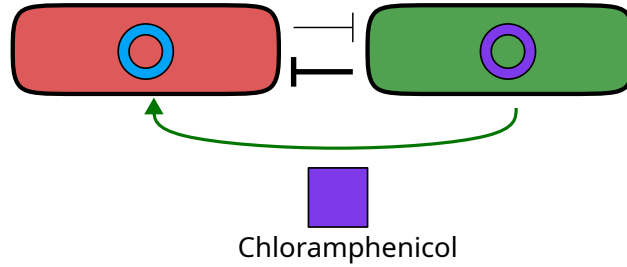
J : Maximum death rate

Cf : Cefotaxime

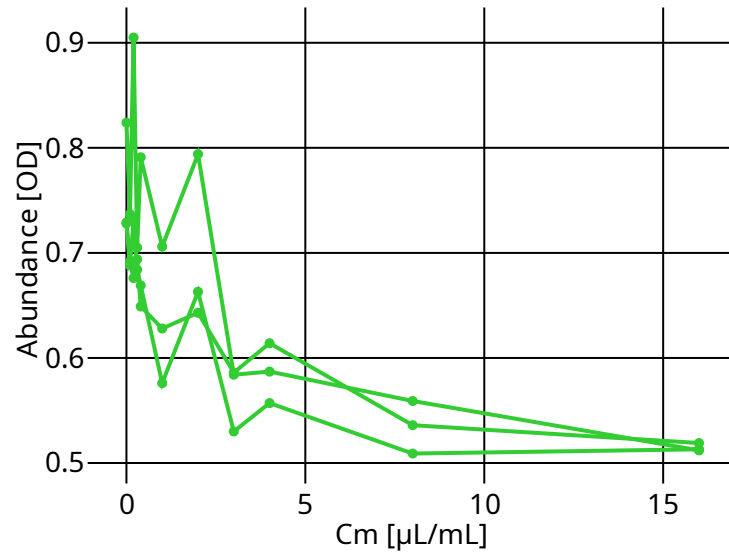
$IC50$: Half – maximal inhibitory concentration



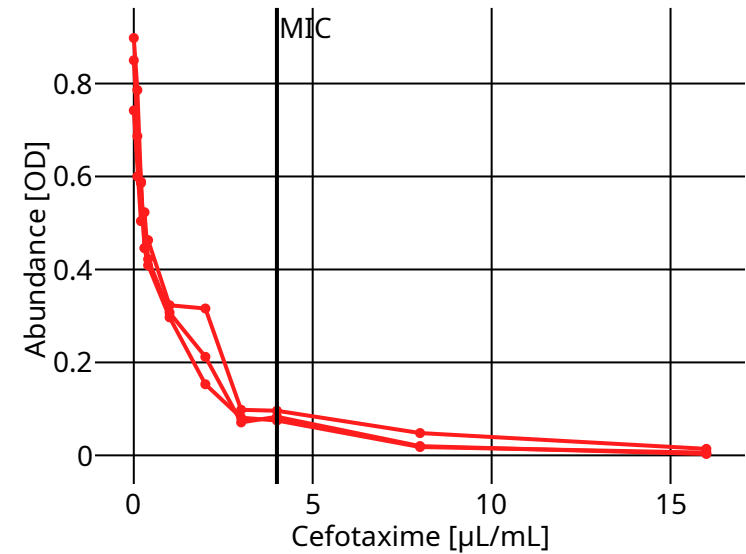
Chloramphenicol



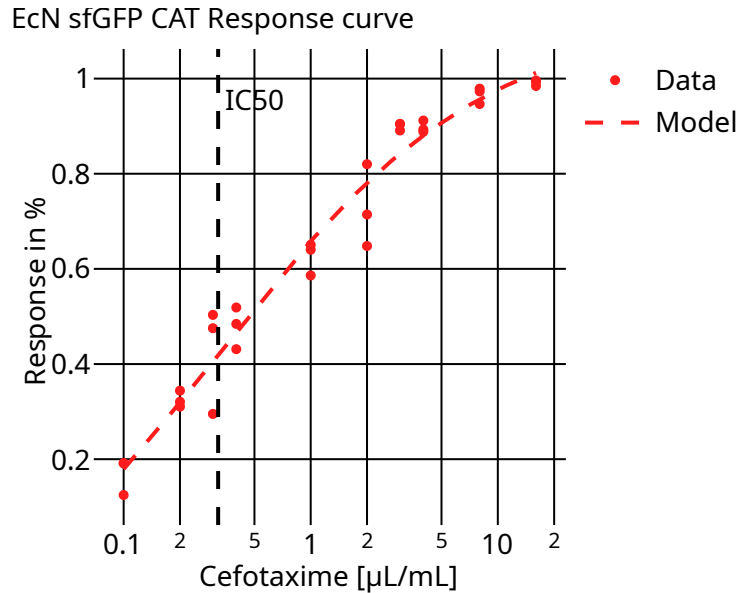
EcN sfGFP CAT



EcN sfGFP CAT Susceptibility



IC50 Chloramphenicol



- IC50 for Chloramphenicol: 0.32 $\mu\text{g/mL}$
- MIC: 4 $\mu\text{g/mL}$
- Chloramphenicol is still effective at 0.025x MIC

Chloramphenicol is very effective

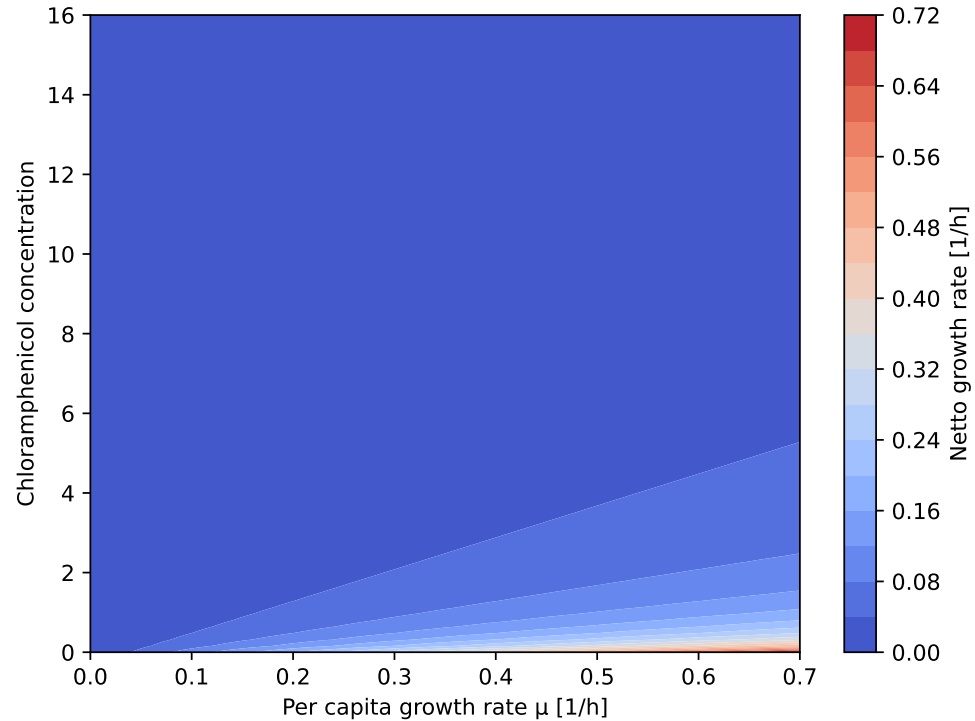
netto growth rate

$$\frac{dN}{dt} = \mu \frac{1}{1 + \frac{C_m}{IC_{50}}} N$$

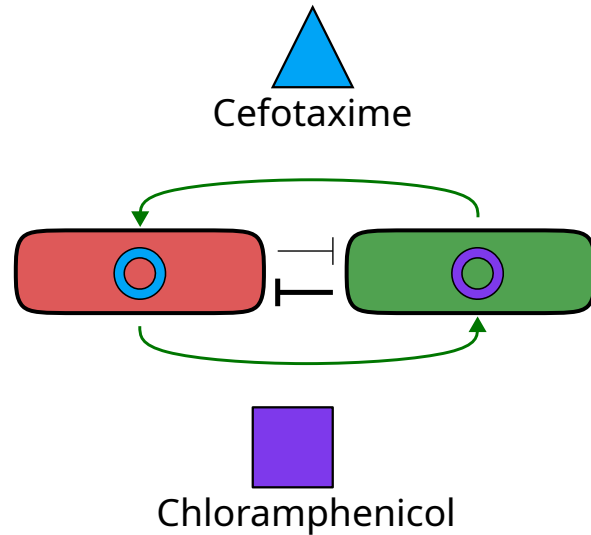
N : Abundance of *ST*

μ : Per capita growth rate

C_m : Chloramphenicol concentration



What does that mean for cross-protection



- *ST* is effectively getting killed by Chloramphenicol
- *E. coli* loses its partner species
- *E. coli* goes extinct in absence of the partner
- In every transfer experiment Chloramphenicol susceptible strains go extinct