

Homework 18 (Chap. 11.3), 55.00/90.00 (61.11%)

March 22, 2020

Problem 22 score: 9/10¹

OK, but where did you check the requirements for Integral Test (e.g. the fact that $f(x)$ is continuous, positive and decreasing)?

Also, series *converges* (not *converge*).

Problem 24 score: 9/10²

OK, but where did you check the requirements for Integral Test (e.g. the fact that $f(x)$ is continuous, positive and decreasing)?

Problem 26 score: 9/10³

Same as in previous problem.

Problem 32 score: 0/10⁴

Answer is wrong. For example, this series converges when $p = 3/2 < 2$:

$$\sum_{n=1}^{\infty} \frac{\ln n}{n^{3/2}} = \underbrace{\sum_{n=1}^{\infty} \frac{1}{n^{5/4}}}_{\text{convergent}} \cdot \underbrace{\frac{\ln n}{n^{1/4}}}_{< 1 \text{ for } n \text{ big}}$$

Problem 39 score: 6/10⁵

Note that the fact that remainder is less than 10^{-6} does NOT in general guarantee correctness to fifth decimal places. For example, take

$$a = 1.9999999, \quad b = 0.0000001 < 10^{-6},$$

but we still have $a + b = 2$, so a and $a + b$ have different fifth decimal sign.

¹similar problems: 20,21

²similar problems: 19,23

³similar problems: 18,25

⁴similar problems: 31,33

⁵similar problems: 39,40

Problem 43 score: 10/10

good

Problem 45 score: 10/10

good

Problem 46 score: 2/10⁶

⚡ Answer is wrong. For example, for $c = 0 \leq 1$ series diverges.

⁶similar problems: 44,42