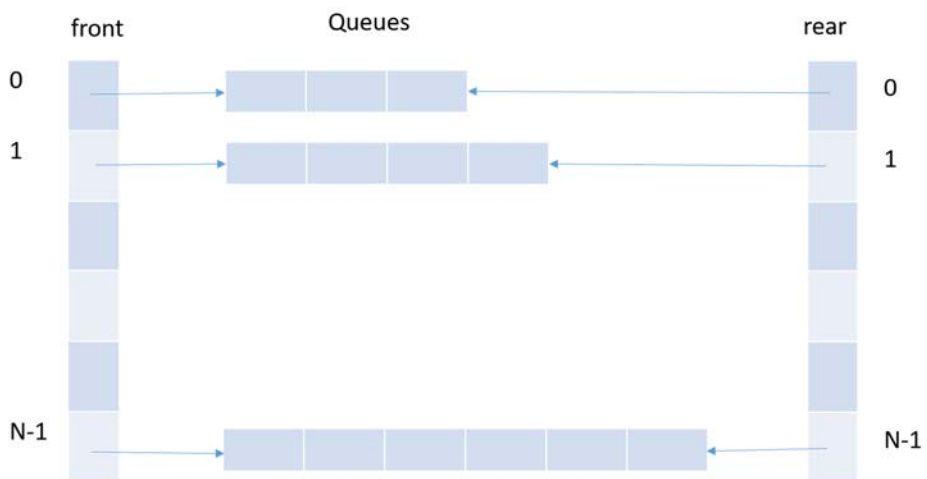


Problem 2: Queue

We aim to implement a quality of service system in a network router so that it can differentiate the type of traffic traversing it, and it can give privilege to data belonging to a given traffic compared to other type of data. So we will create N queues based on *linked list* each. You have an array of pointers to the front of queues and an array of pointers to the rear of the queues, as shown in the figure. Each node of the queues contains the *type* and *data*, and the necessary pointers for connecting with other nodes. Queue q_i contains the data (and type) of traffic of type i , such that type i has a higher priority than j , if $i < j$. It means when the data arrives to the system, they are stored in the necessary queue according to its type. The data leaves the system according to their priority, from the higher priority to the lower one; priority i before j , if $i < j$. It means, q_0 dequeue all its data before q_1 , then q_1 dequeue all its data before q_2 , etc. q_j does not dequeue its data before q_i , if $i < j$.



To simplify the task, the data arriving to the system are all 0. You should generate a random number n_i for each q_i that corresponds to the number of data arriving to the queue q_i with type i . So you receive n_1, n_2, \dots, n_{N-1} data then you serve (output from the system) n random data (starting from the queue with high priority, it means lower type i). Repeat this reception and service many times and calculate the size of each queue and then the average size of each queue.

- Write a C++ program that solves this problem. What should be the relation between n_i for all i and n so that the system will not overload?

Example: $N=3$; q_1, q_2 and q_3 initially empty

Sample Input				Sample Output		
n_1	n_2	n_3	n	$q_1.size()$	$q_2.size()$	$q_3.size()$
3	4	5	6	0	1	5
2	3	1	8	0	0	4
4	5	3	5	0	4	7
				Average		
				0	1.67	5.33