

# High Performance Computing 1b

## Parallelization of a 2D Hydro Solver

Remo Hertig  
Stephan Radonic

June 30, 2015

# Introduction and physics

Our task was to parallelize an existing code, which solves the Euler equations in 2D using a godunov scheme. A hyperbolic PDE in conservation law form is represented by a written as

$$\partial_t \mathbf{U} + \nabla \cdot \mathbf{F}(\mathbf{U}) = 0 \quad (1)$$

The euler equations are a set of equations which basically state the momentum, mass and energy conservation. Discretization on a grid yields

$$\mathbf{U}_i^{n+1} = \mathbf{U}_i^n + \frac{\Delta x}{\Delta t} (\mathbf{F}_{i-1/2} - \mathbf{F}_{i+1/2}) \quad (2)$$

where  $\mathbf{F}_{i\pm 1/2}$  are the fluxes at the cell boundaries, the godunov scheme uses various approximations for  $\mathbf{F}_{i\pm 1/2}$

# Parallelization strategy

# Serial vs. Parallel Processing

We compare the average time step durations for a single process up to approximately 1500 parallel processes for a fixed problem size (in our case  $60994 \times 120$ ). As observable in the strong scaling graph (ref figure) we get a super linear scaling up to 800 processes. The super linearity of the scaling can be explained with cache usage effects.

Optimal cache memory usage only works well for rectangular shaped domains (large  $x$  small  $y$  for parallelization in  $x$  direction). We have compared how a fixed sized problem performs with different  $x/y$  ratios (see figure xx). We can clearly see that the performance increases with decreasing  $y/x$  size, up to a ratio, where each processes computing domain gets too small and becomes inefficient.

# Scaling and Speedup

sfftrong.png

weffak.png

# Scaling and Speedup

...tzututzut

speehdup.png

# High resolution example

thube2.png